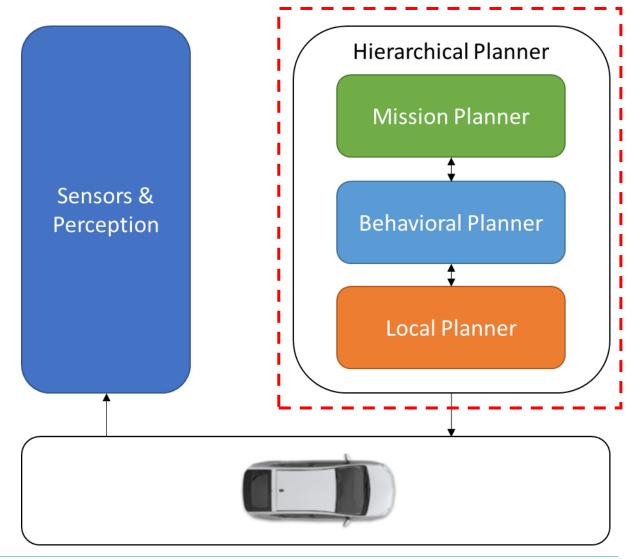






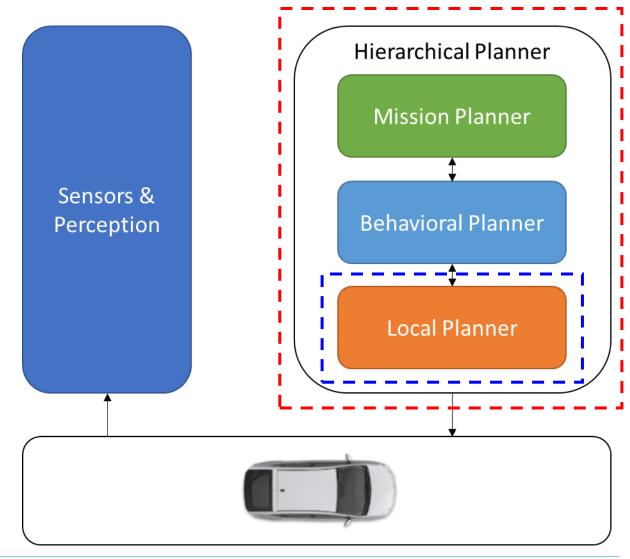
- Mission Planner: what is the overall goal of the vehicle?
- Behavioral Planner: what rules should the vehicle follow in different situations?
- Local Planner: what is the optimal trajectory from position to a goal?







- Mission Planner: what is the overall goal of the vehicle?
- Behavioral Planner: what rules should the vehicle follow in different situations?
- Local Planner: what is the optimal trajectory from position to a goal?







## The Local Planning Problem

#### Given

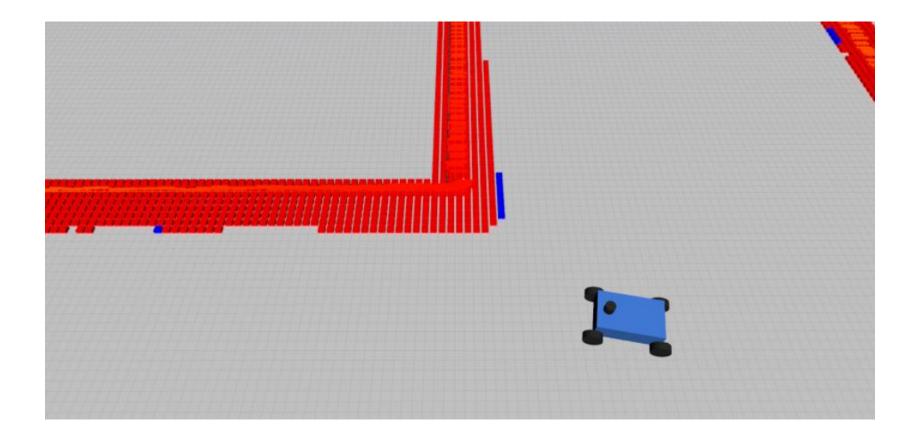
- A robot with configuration space: C
- The set of obstacles:  $C_{obs}$
- An initial configuration:  $q_{init}$
- A goal configuration:  $q_{goal}$
- (possibly a cost function)
- Find a path x:[0, 1] → C (continuous function) such that the path
  - starts from the initial configuration  $x(0) = q_{init}$
  - reaches the goal configuration  $x(1) = q_{goal}$
  - avoids collision with obstacles  $x(s) \notin C_{obs}$  for all  $s \in [0,1]$
  - (possibly is the minimum cost path)
- We'll go over multiple ways to construct different representations: Grids, Graphs, and Trees and to search the path: Dijkstra, A\*, and RRT





## **Discrete Approximations of Continuous Space**

• How do we discretize free space into a grid?

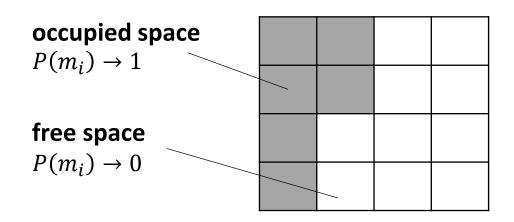


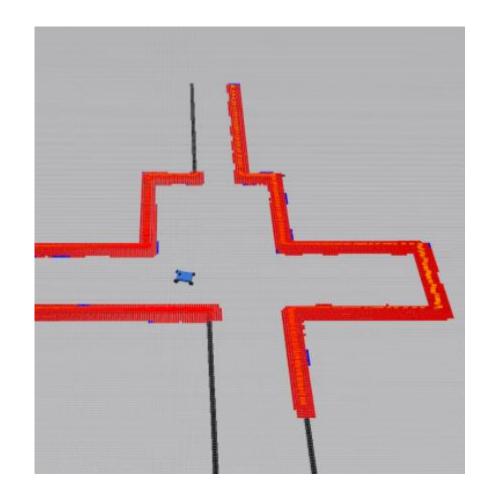




## **Discrete Approximations of Continuous Space**

- How do we discretize free space into a grid?
  - → Use an Occupancy Grid
- A grid cell represents **free space** if:
  - It doesn't overlap with any obstacle (value in grid cell is binary)







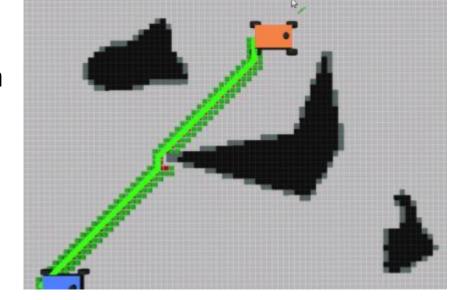


### **Planning in Discrete State Space**

- Input:
  - State space: discrete map with cells labelled as occupied or free
  - Action space: set of cells the robot can reach from a certain cell
  - Cost function: cost of each action
  - Start state
  - Goal state



- Series of cells in minimum cost path
  - → Now we have a discrete representation of the world, how do we search?

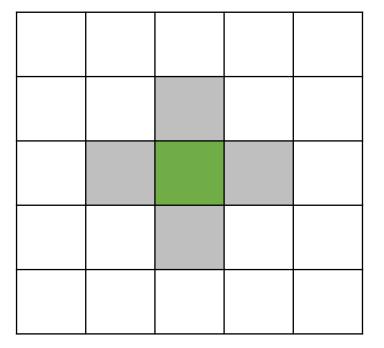






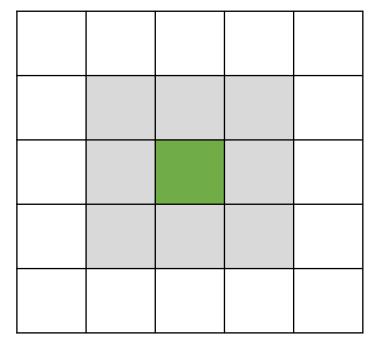
## Occupancy Grid as Graph

#### 4-Connected



Green - Current Node Gray - Neighbor Node

#### 8-Connected

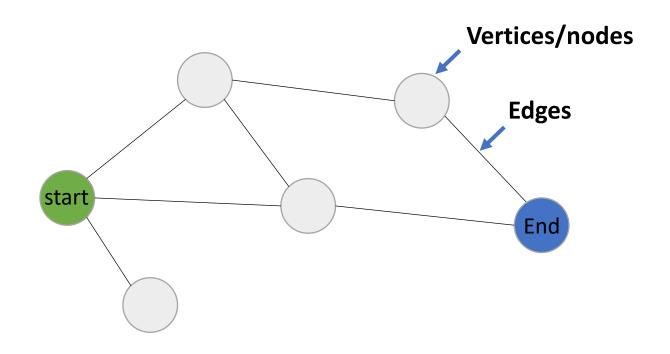






### **Graphs**

- Graph: ordered pair G = (V,E) where V is a set of vertices/nodes and E is a set of edges
- Edges: 2-tuple of vertices
  - Directed vs Undirected
  - Weighted vs Unweighted







#### **Best-First Search**

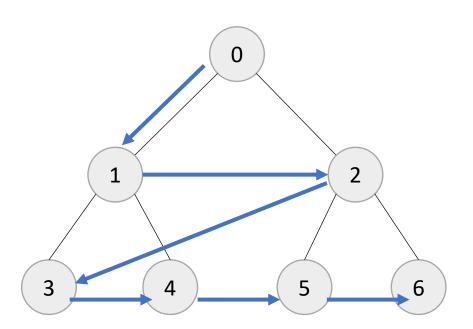
Choose most promising node next according to some rule



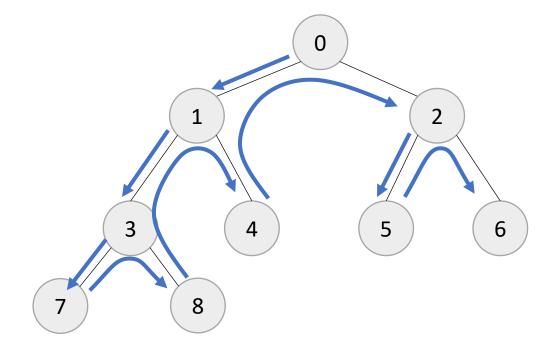


#### **Best-First Search**

- Choose most promising node next according to some rule
- Shallowest next:
  - Breadth-first search



- Deepest next:
  - Depth-first search

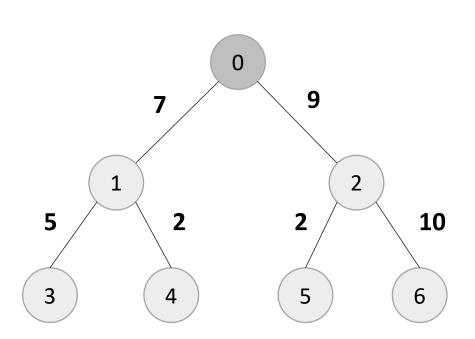


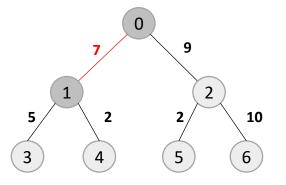


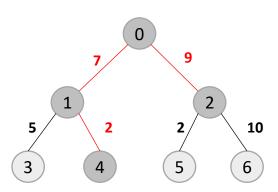


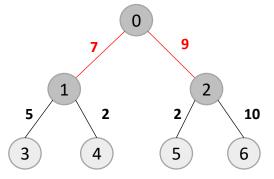
#### **Best-First Search**

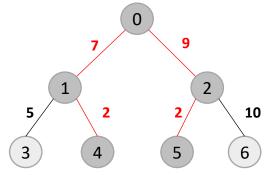
- Choose most promising node next according to some rule
- Cheapest next:
  - Uniform cost search















- For a node v, we want to:
  - Estimate the running cost g(v): the lowest cost to reach v from start
- Key Idea: Pick the frontier node that has the lowest running cost

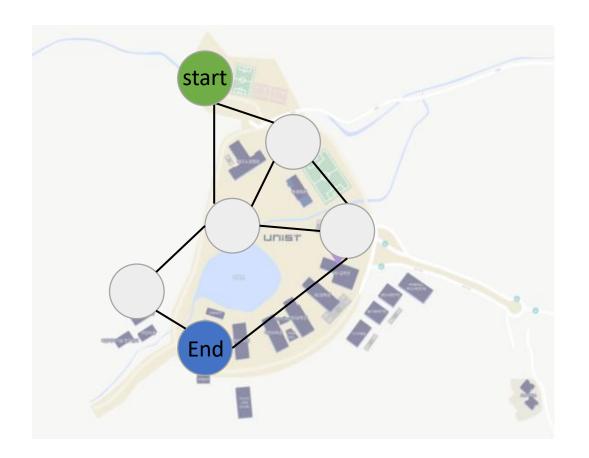




```
function Dijkstra(Graph, source):
                                                 // Unvisited set
               create vertex set Q
               for each vertex v in Graph:
                             g[v] \leftarrow \mathsf{INFINITY}
                              prev[v] \leftarrow UNDEFINED
                              add v to Q
               g[source] \leftarrow 0
               while Q is not empty:
                              u \leftarrow vertex in Q with min g[u]
                              remove u from Q
                             for each neighbor v of u:
                                                              // only v that are still in Q
                              alt \leftarrow g[u] + cost(u, v)
                             if alt < g[v]:
                                                             // shorter path is found
                                            g[v] \leftarrow alt
                                             prev[v] \leftarrow u
               return g[], prev[]
```





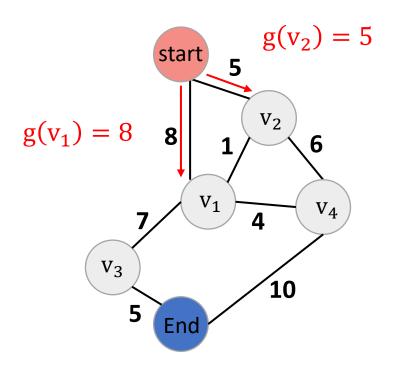


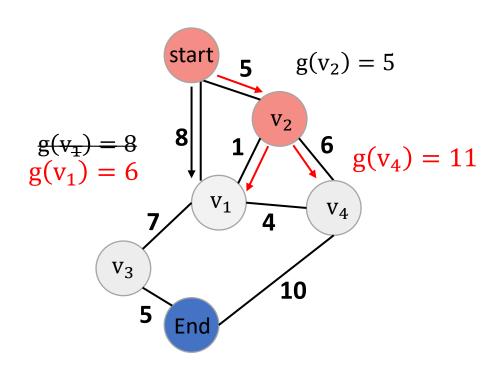
Goal: Find the shortest path between two nodes on the graph

(e.g., find the shortest path from dormitory to bldg.112)



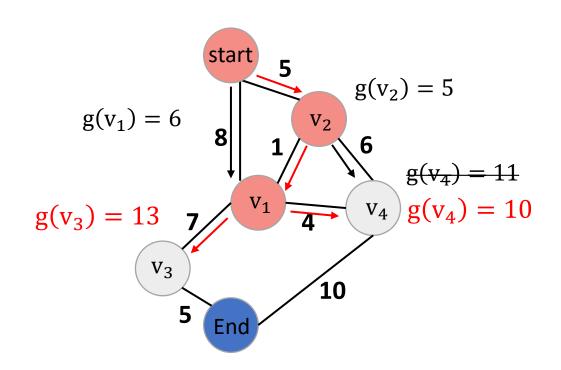


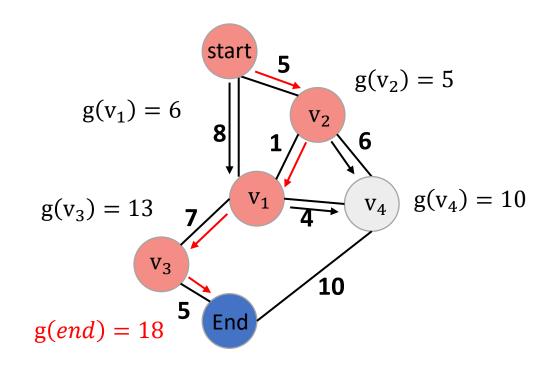






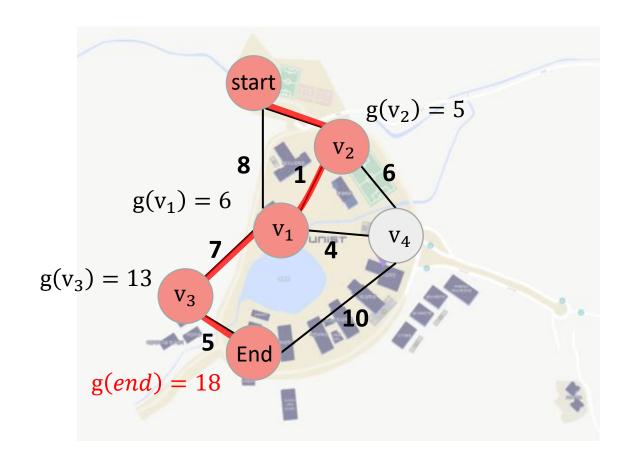
















## A\* Algorithm

- For a node v, we want to:
  - Estimate the running cost g(v): the lowest cost to reach v from start
  - (Under)estimate the cost to reach the goal
- For cost of a node v:
  - f(v) = g(v) + h(v)
  - h is a heuristic function that underestimates in cost to reach the goal from v





#### Heuristic

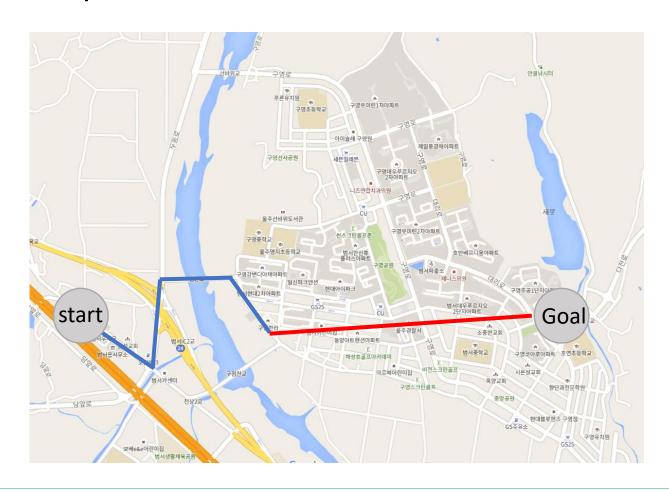
- Heuristic functions:
  - Problem specific
  - Admissible: never overestimate the actual cost to get the goal
  - Consistent:  $h(v_g) = 0$ , and for every  $v \neq v_g$ ,  $h(v) \leq cost(v, successor(v)) + h(successor(v))$
  - Consistency implies admissibility, not necessarily the other way around





## A\* Algorithm

• In the example here, the Euclidean distance to the goal is used as heuristic



$$f(v) = g(v) + h(v)$$





## A\* Algorithm

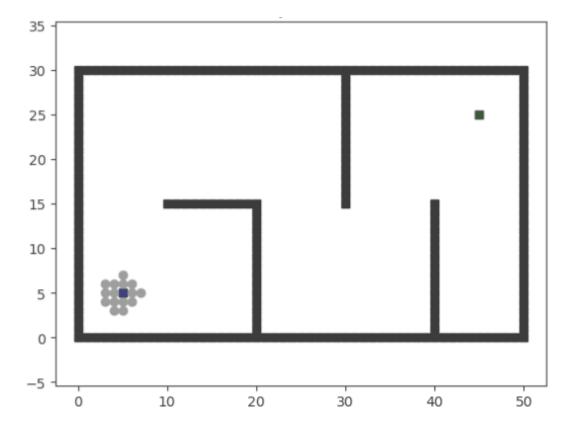
```
function A*(Graph, source):
                                                // Unvisited set
              create vertex set Q
              for each vertex v in Graph:
                             g[v] \leftarrow \mathsf{INFINITY}
                             prev[v] \leftarrow UNDEFINED
                             add v to Q
              g[source] \leftarrow 0
              while Q is not empty:
                                                                     //replace g[u] with f[u] = g[u] + h[u]
                             u \leftarrow vertex in Q with min f[u]
                             remove u from Q
                             for each neighbor v of u:
                                                           // only v that are still in Q
                             alt \leftarrow g[u] + cost(u, v)
                             if alt < g[v]:
                                                            // shorter path is found
                                            g[v] \leftarrow alt
                                            prev[v] \leftarrow u
              return g[], prev[]
```



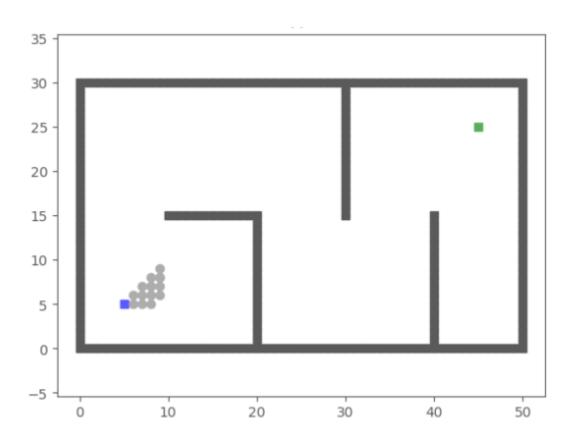


# Dijkstra's vs A\*





#### **A**\*







### **Planning Challenges for Race Car**

- **Dimensionality:** as the state of the robot we define encodes more information, the higher the dimensionality of the planning space
- Responsiveness: the planning algorithm needs to react fast when the car is travelling at high speeds
- **Obstacles:** potentially dynamic and moving obstacles(head-to-head racing)
- Motion constraints: kinematic or dynamic





## **Sampling based Algorithm**

Goal: Plan collision-free trajectories through cluttered space





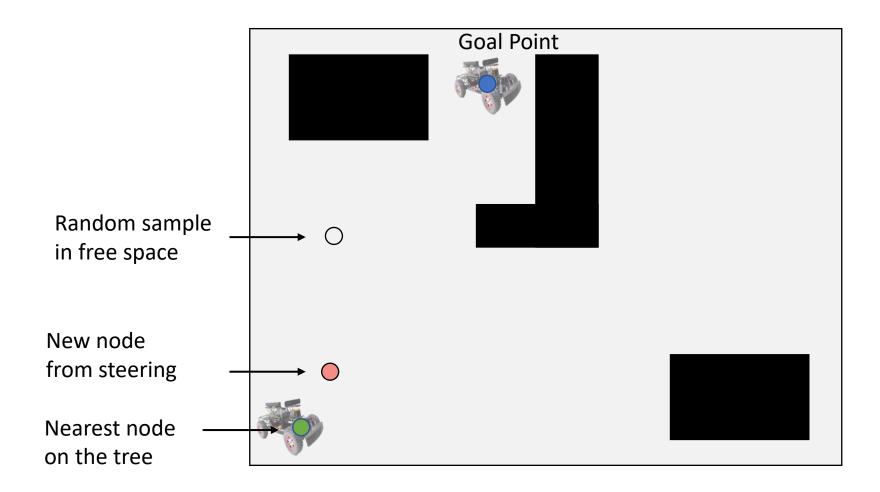


#### **RRT**

```
function rrt(x_{init}, max_iter):
                V \leftarrow \{x_{init}\}
                                                                                   // vertices
                E \leftarrow \emptyset
                                                                                 // edges
                for i = 1:max_iter:
                                                                                 // maximum number of expansions
                                                                                // collision free random configuration
                      x_{rand} \leftarrow SampleFree ()
                     x_{nearest} \leftarrow Nearest (G = (V,E), x_{rand})
                                                                                // closest neighbor in the tree
                     x_{\text{new}} \leftarrow \text{Steer}(x_{nearest}, x_{rand})
                                                                               // expanding the tree
                     if ObstacleFree (x_{nearest}, x_{new})
                                                                              // the edge is collison-free
                                 V \leftarrow V \cup \{x_{new}\}
                                 V \leftarrow E \cup \{(x_{nearest}, x_{new})\}
                return G = (V,E)
```

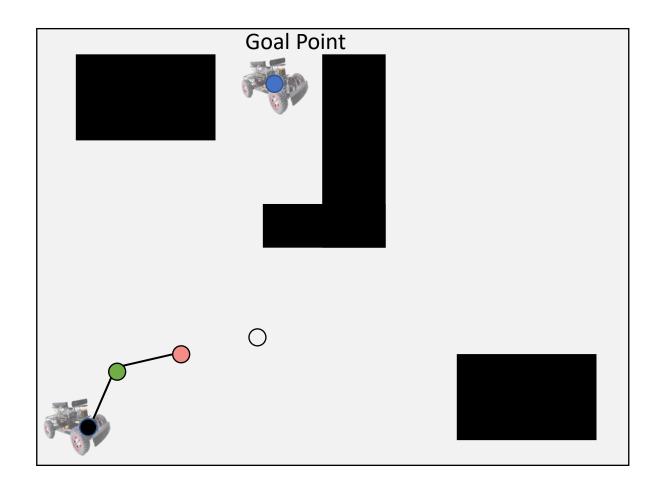






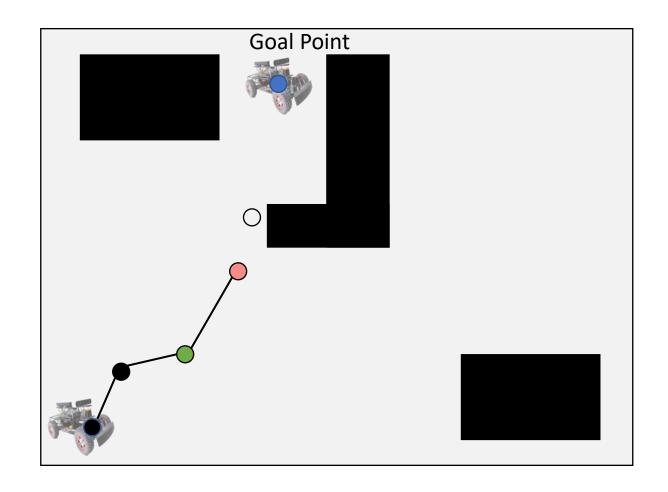






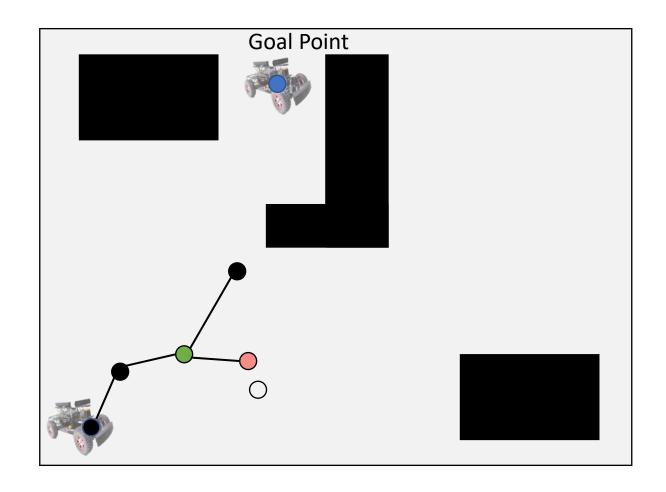






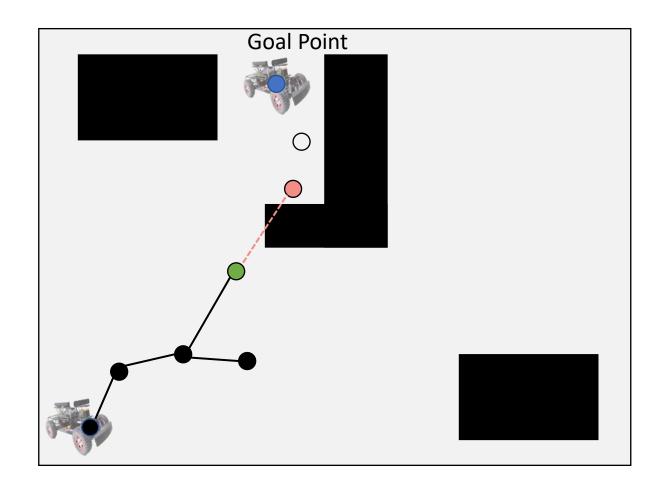






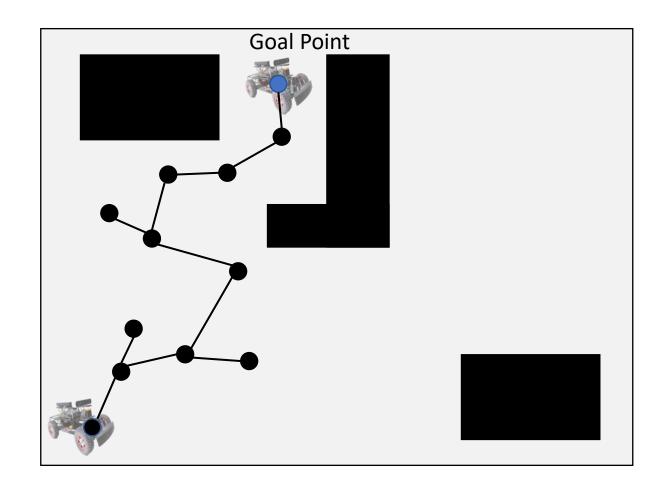






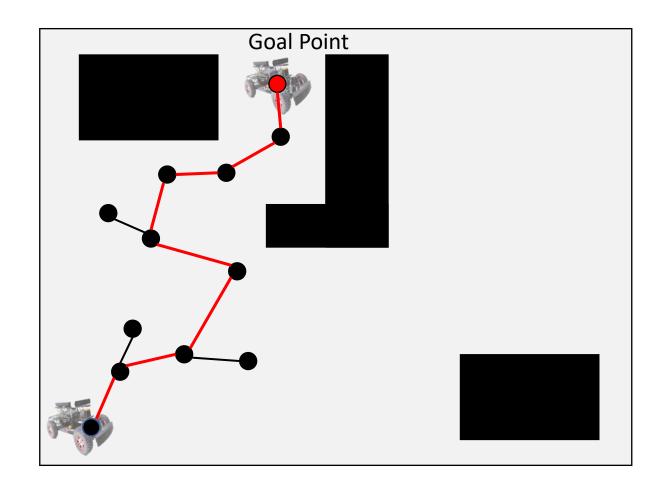






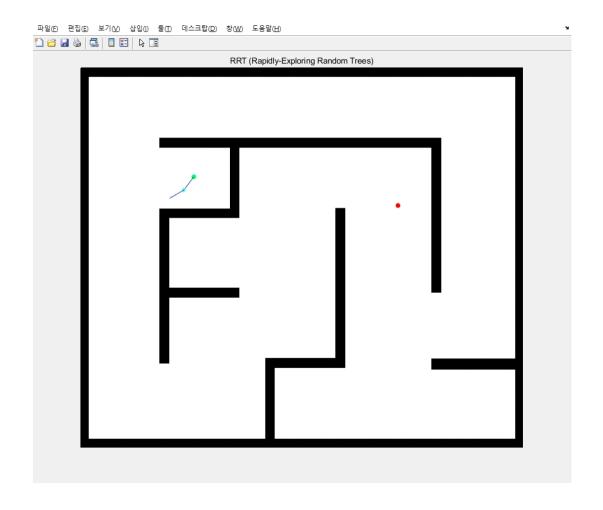








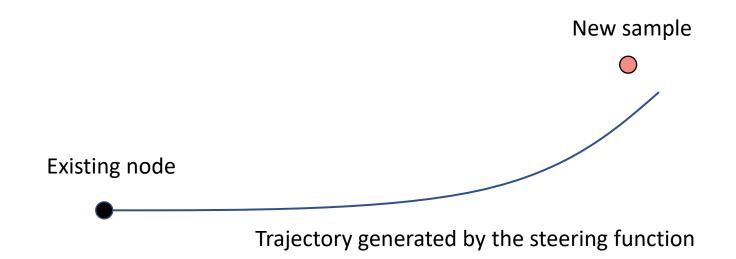








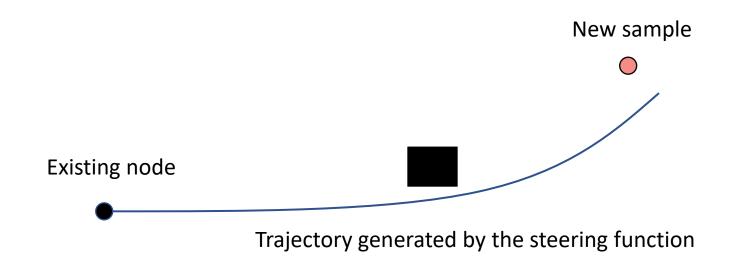
Need to design a "steering function" for your system based on its constraints







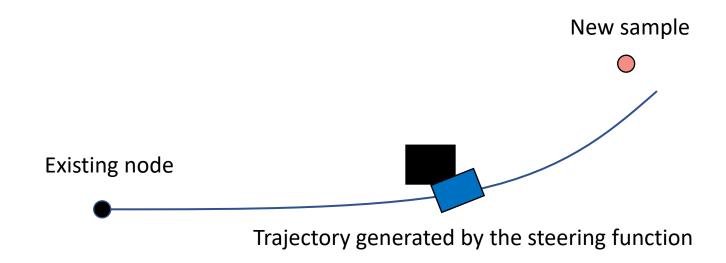
Need to design a collision checking function for your system







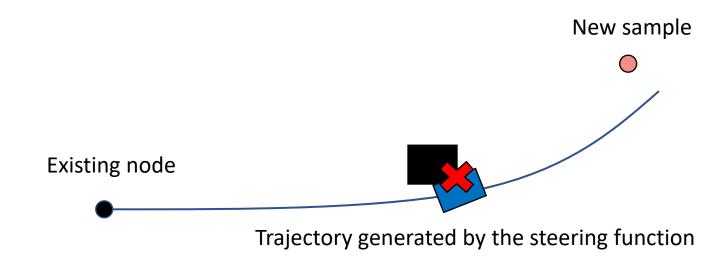
Need to design a collision checking function for your system







Need to design a collision checking function for your system

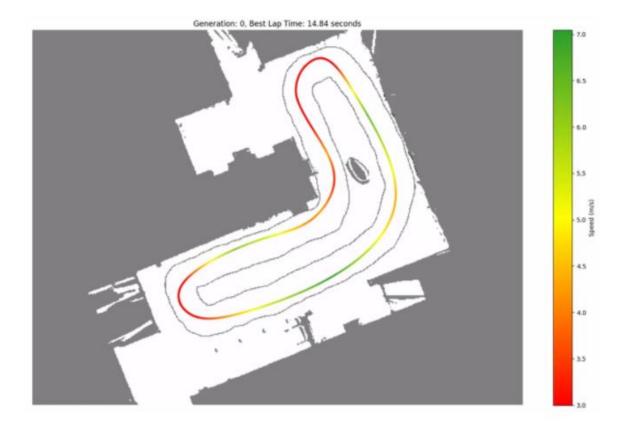






#### Path with a velocity profile

- The top speed of the car at certain points on the path is constraint by the curvature of the path at those points
- We'll denote a path, along with the velocity profile on the path as trajectories







### **Optimizing for speed**

- A naïve approach:
- Curvature limits the maximum speed the car can achieve on the curve
- Find maximum curvature locations on the curve
- Define speed limit on these maximum curvature location
- Come up with a full speed profile by interpolating velocities in between locations on the curve

An efficient way to do this is to use (Convex) Optimization





#### **Convex Optimization**

- Mathematical optimization that studies the problem for minimizing convex functions over convex sets
- A standard form of a convex optimization problem:

subject to 
$$g_i(\mathbf{x}) \leq 0$$
,  $i = 1, ..., m$   $h_i(\mathbf{x}) = 0$ ,  $i = 1, ..., p$ 

• Where x is the optimization variable, f is the objective function, functions  $g_i$  and  $h_i$  are constraint functions. The functions f and  $g_i$  are convex, and the functions  $h_i$  are affine





#### What are the constraints?

• The dynamics of the vehicle:

Vehicle State Control Input 
$$\downarrow \qquad \qquad \downarrow \\ \dot{x} = f(x, u)$$

#### **Kinematic Bicycle Model**

$$\dot{x} = \begin{bmatrix} v\cos\varphi \\ v\sin\varphi \\ \frac{v}{L}\tan(\delta) \\ a \end{bmatrix}$$

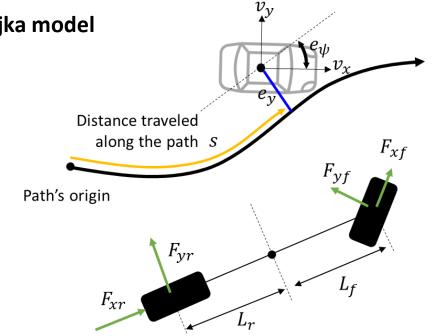
$$x = [x + \alpha, v]^{T} + C$$

$$x = [x, y, \varphi, v]^T$$
,  $u = [a, \delta]^T$ 

#### Dynamic bicycle model with simplified Pacejka model

$$\begin{bmatrix} \frac{v_x \cos(e_\psi) - v_y \sin(e_\psi)}{1 - k(s)e_y} \\ v_x \sin(e_\psi) + v_y \cos(e_\psi) \\ w - \frac{v_x \cos(e_\psi) - v_y \sin(e_\psi)}{1 - k(s)e_y} k(s) \\ a_x - \frac{1}{m} (F_{yf} \sin(\delta) + mv_y w) \\ \frac{1}{m} (F_{yf} \cos(\delta) + F_{yr}) - \psi v_y \\ \frac{1}{I_z} (L_f F_{yf} \cos(\delta) - F_{yr} L_r) \end{bmatrix}$$

$$x = [s, e_y, e_\psi, v_x, v_y, w]^T, u = [a, \delta]^T$$







#### What are the constraints?

Constraints on state and input:

$$x \in X$$
,  $u \in U$ 

- Ensure the vehicle remains within the track, adhering to the physical limits of the vehicle.





#### **Convex Optimization**

 Putting it all together our goal is to minimize T subject to the constraints defined in the previous slides

minimize T

subject to 
$$\dot{x} = f(x, u)$$
,  $x \in X$ ,  $u \in U$ 

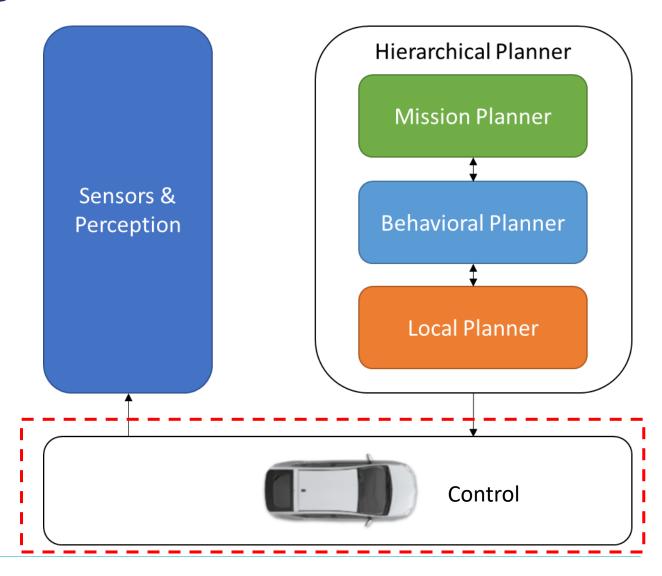
How to solve? Use different optimization tools, e.g., CVX, etc.





#### **Autonomous Vehicles Planning and Control Stack**

- How do we track a given trajectory?
- How do we correct for actuation errors?

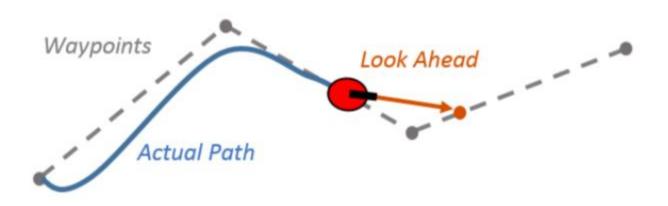






#### **Assumptions**

- Vehicle is given a sequence of 2D position, i.e. waypoints, to follow
- Vehicle knows where the given waypoints are in the vehicle's frame of reference
  - Underlying assumptions that the vehicle can localize itself
- Goal is to follow these waypoints







### Revisit to Vehicle Kinematics: Bicycle Model

• The bicycle model (simplified form of the four-wheel Ackerman steering kinematics) is used to derive a steering angle for the pure pursuit method

• 
$$\dot{x}_{p_v} = vcos(\theta_{car})$$

• 
$$\dot{y}_{p_v} = vsin(\theta_{car})$$

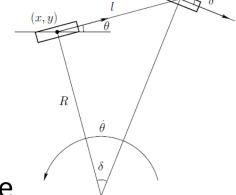
• 
$$\dot{\theta}_{car} = \frac{vtan(\delta)}{L}$$





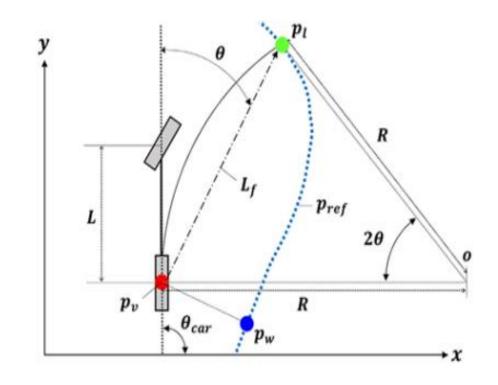
- $\theta_{car}$  is the vehicle's orientation in the global frame
- $\delta$  is the steering angle in the vehicle frame
- v is the longitudinal velocity
- *L* is the wheelbase





#### **Pure Pursuit Method Geometric Interpretation**

- The pure pursuit method tracks the path  $p_{ref}$  by calculating the look-ahead point  $p_l$  on the  $p_{ref}$
- $L_f$ : Look ahead distance
- R: radius of arc
- $\theta$  : Look ahead heading
- $p_l$ : Look ahead point
- $p_w$ : closest point
- v is assumed to be constant



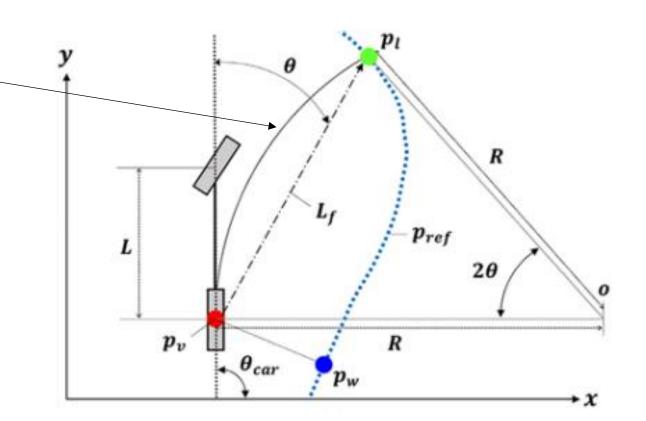




#### **Pure Pursuit Method Geometric Interpretation**

Follow the arc of a circle to reach the goal point

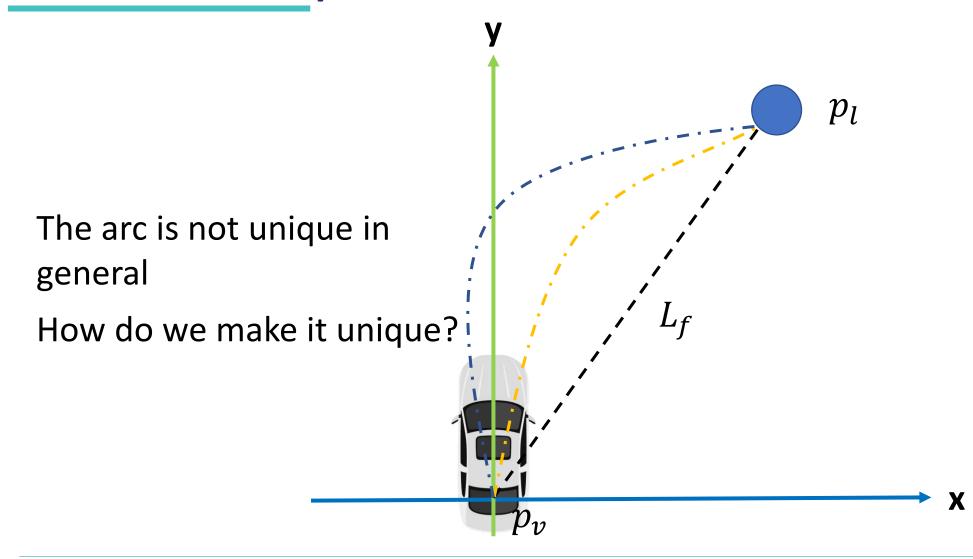
What else we need to set?







#### **Geometric Interpretation**

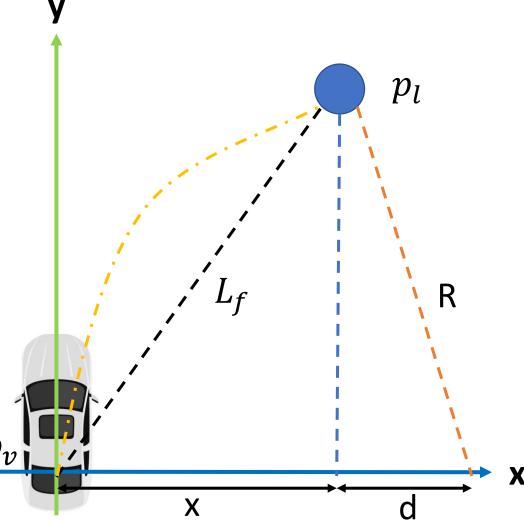






#### **Geometric Interpretation**

Constrain the center of the arc to be on the x-axis of rear-wheel fixed frame







$$R = |x| + d$$

$$d^{2} + y^{2} = R^{2}$$

$$(R - |x|)^{2} + y^{2} = R^{2}$$

$$R^{2} + x^{2} - 2R|x| + y^{2} = R^{2}$$

$$R^{2} + L_{f}^{2} - 2R|x| = R^{2}$$

$$R = \frac{L_{f}^{2}}{2|x|}$$



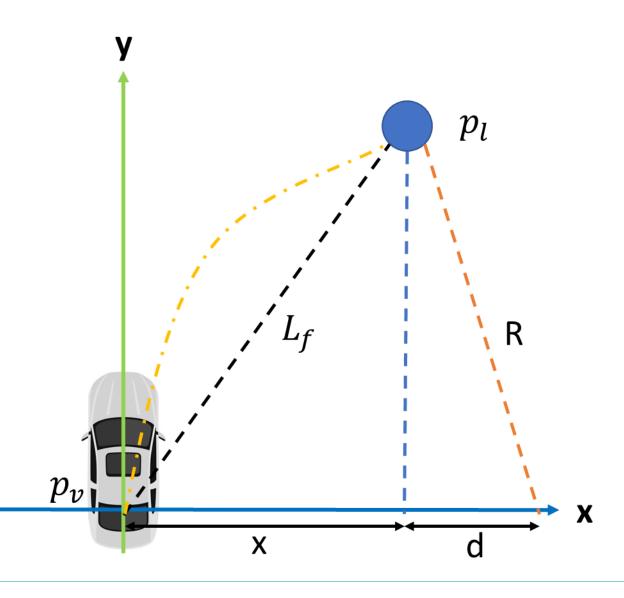


$$R = \frac{L_f^2}{2|x|}$$

- Curvature is the inverse of radius
- Steering angle should be
   proportional to the curvature of the arc

$$\gamma = \frac{1}{R} = \frac{2|x|}{L_f^2}$$

Looks familiar? P control





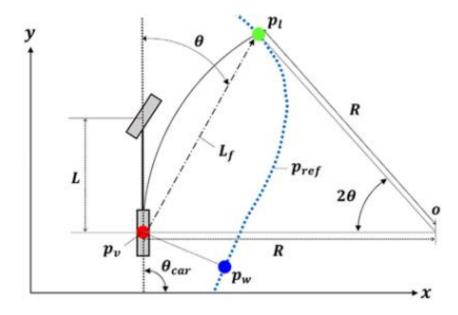


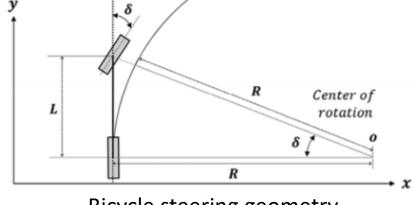
$$x = L_f \sin(\theta)$$

$$\gamma = \frac{1}{R} = \frac{2|x|}{L_f^2} = \frac{2\sin(\theta)}{L_f}$$

- There exists a geometric relationship between the vehicle steering angle  $(\delta)$  and R : Bicycle steering geometry

$$\tan(\delta) = \frac{L}{R}$$





Bicycle steering geometry



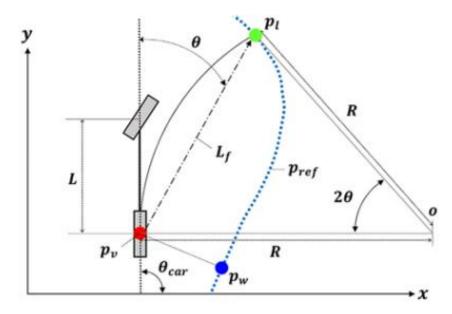


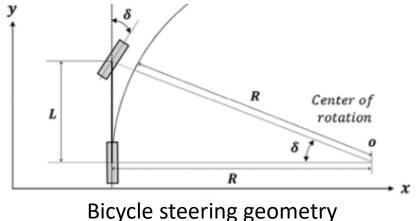
$$\tan(\delta) = \frac{L}{R}$$

$$\delta = \tan^{-1}(\gamma L)$$

$$\delta = \tan^{-1}(\frac{2\sin(\theta)}{L_f})$$

Steering angle command is calculated! And this is unrelated to v value





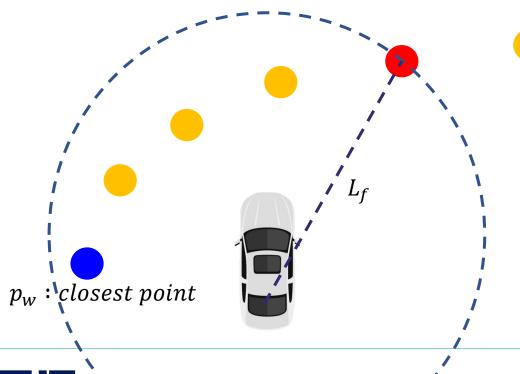




 Now that we know how to calculate steering angle command to a given waypoint, how do we pick a current waypoint from a list of waypoints?



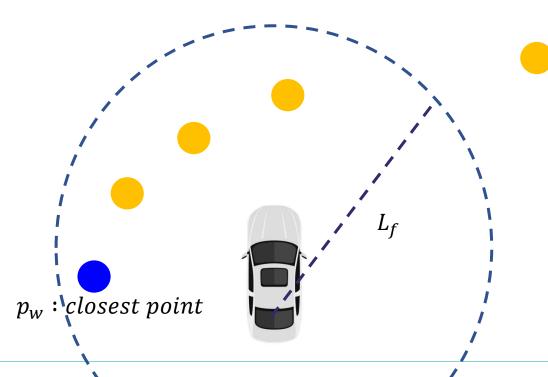




- 1. Pick the waypoint that is closest to the vehicle
- 2. Go up to the waypoint until you get to one that is one lookahead distance away from the car
- 3. Use that as the target waypoint



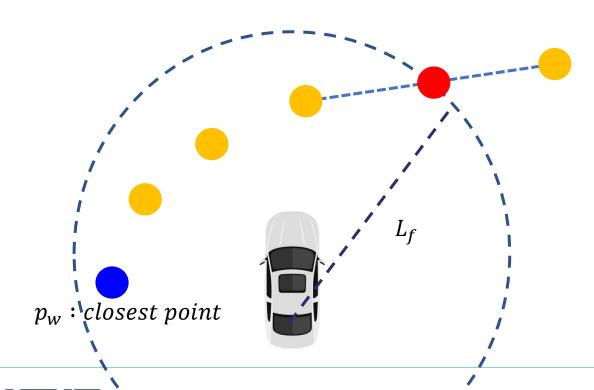




What if there's no waypoints exactly  $L_f$  away from the car?

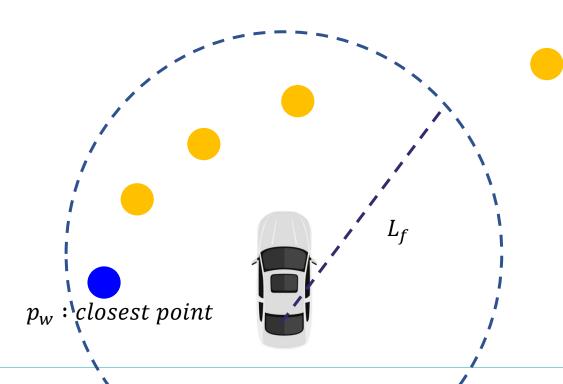






What if there's no waypoints exactly  $L_f$  away from the car? Interpolate between the two waypoints that sandwich the distance  $L_f$  What should be the value of  $L_f$  in your curvature calculation in this case?





What if there's no waypoints exactly  $L_f$  away from the car?

Come up with your own solution!



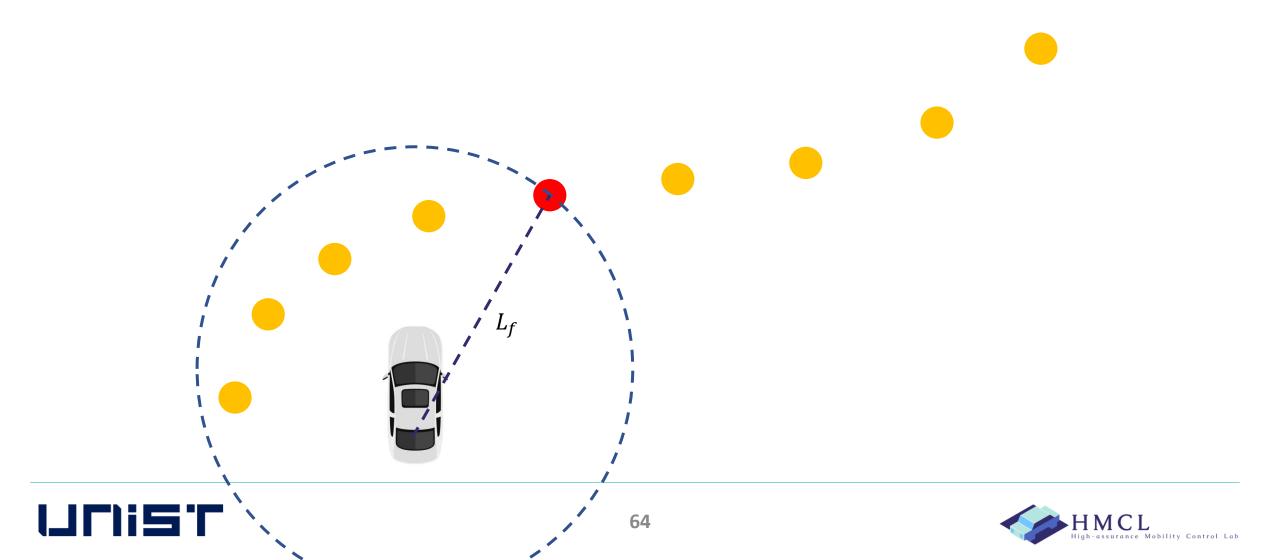


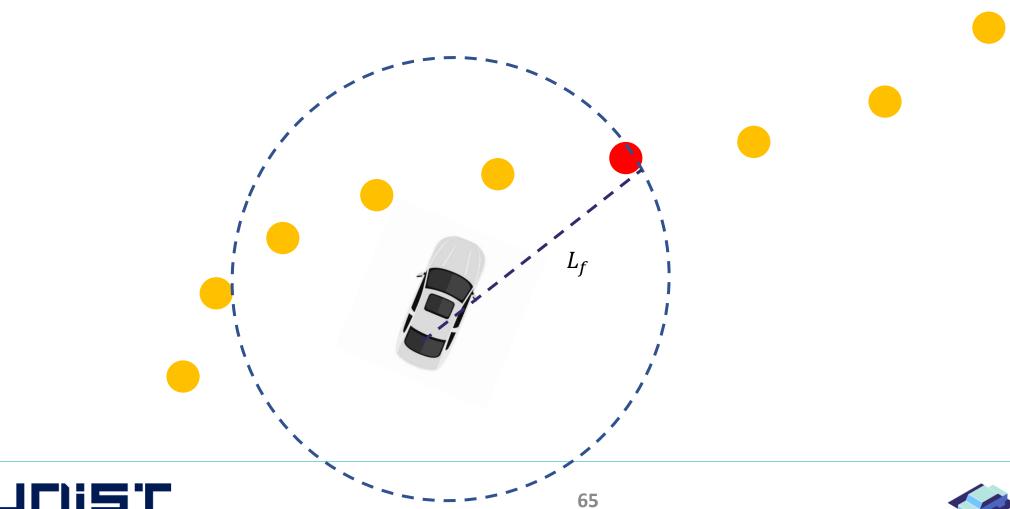
### Updating the goal point (one way to do it)

- Each time we have a new pose of the car, we could :
  - Find the target waypoint
  - Actuate towards that waypoint with calculated steering angle
  - Localize to find the new pose, repeat

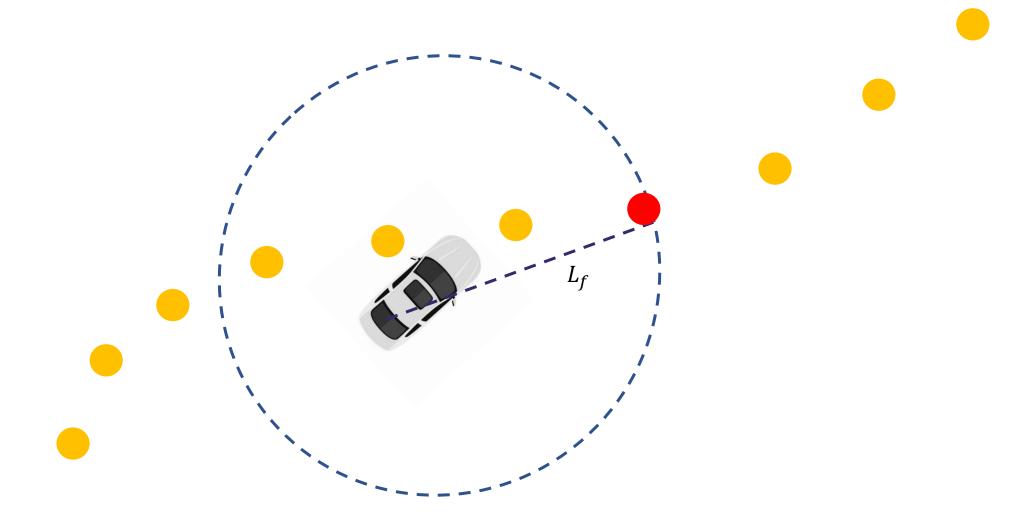






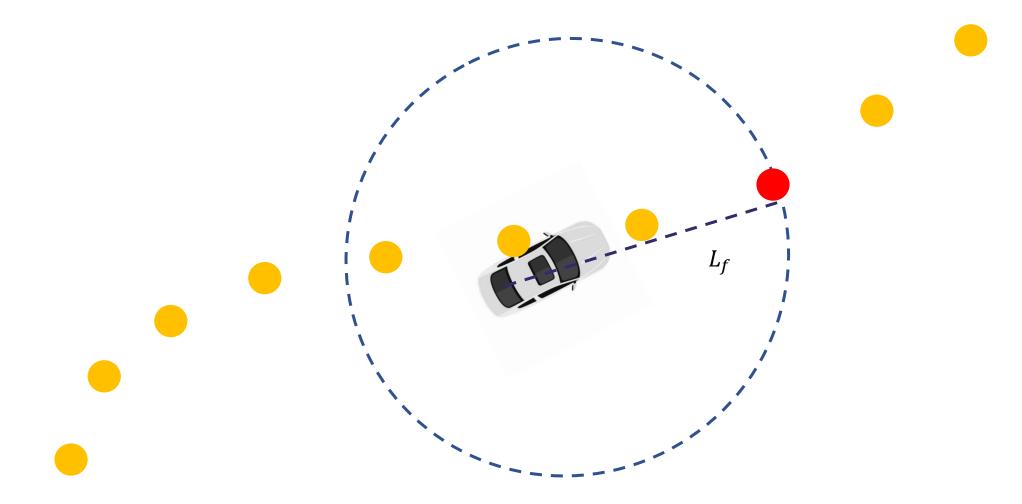










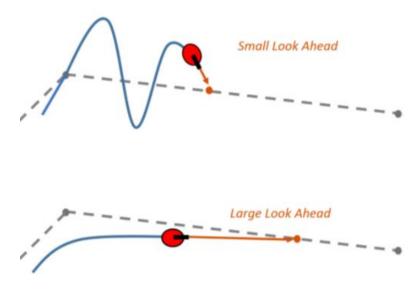






#### **Tuning**

- The parameter  $L_f$  (lookahead distance) is a parameter of pure pursuit
- ullet Smaller  $L_f$  leads to more aggressive maneuvering to track tighter arc, and and the tighter arcs might be against dynamical limits of the car
- ullet Larger  $L_f$  leads to smoother trajectory but larger tracking errors, might lead to close calls with obstacles







#### **Notes**

- ullet Tuning  $L_f$  will change the behavior of pure pursuit the most
- The waypoints are a sequence of points, and could also have a velocity component at positions
- Pure pursuit doesn't take dynamics into account, thus it might produce dynamically infeasible arcs





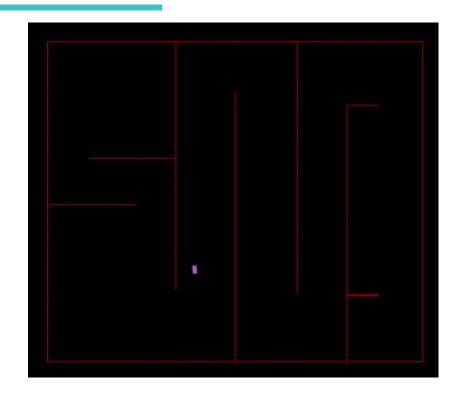
#### The pipeline of using pure pursuit

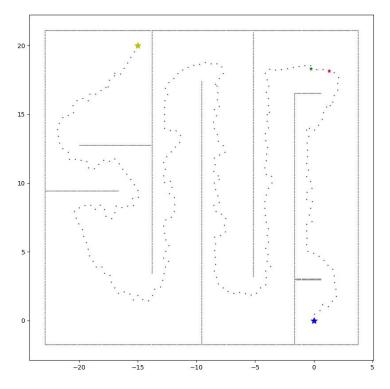
- Create a new map using SLAM algorithm
- Create a list of waypoints using a global / local planner
  - a. Easiest way is to record waypoints driven by teleoperation
- Pick waypoints to track at each frame
- Set steering angle to track the target waypoint
- Update the waypoint to track as you go





#### **Practice Goal**





- The goal of this lab is to implement the RRT algorithm.
- In this lab, we will implement the planner which can generate reference trajectory and tune the pure pursuit controller to follow the trajectory.





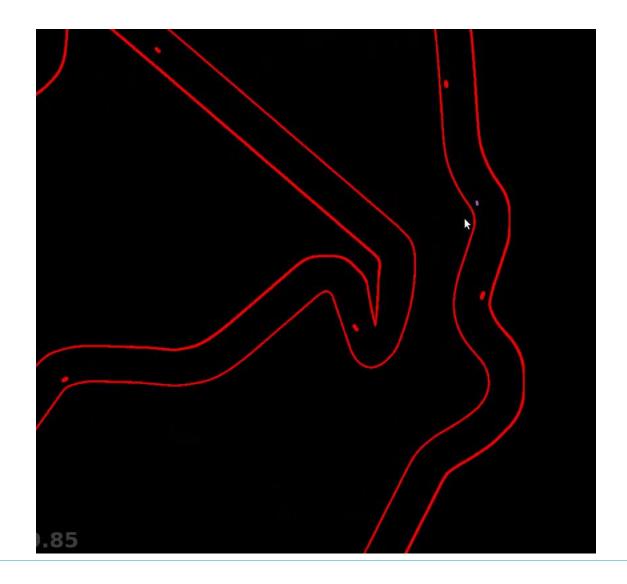
#### **Overview**

- For this lab, we will implement a 'RRTPlanner' that makes the reference trajectory in the simulation environment.
- We need to implement RRT algorithm to generate a reference trajectory.
- Then, we need to tune the Pure Pursuit controller to follow the reference trajectory.





## **Racecar simulation environment**







- Step 1: Clone the repository into your workspace
  - mkdir: command for making folder
  - cd : command for changing directory
  - git clone: command for cloning a local git repository

```
hmcl1@hmcl1-System-Product-Name:~$ mkdir -p ~/simulation/src
hmcl1@hmcl1-System-Product-Name:~$ cd ~/simulation/src
hmcl1@hmcl1-System-Product-Name:~/simulation/src$ git clone
Cloning into 'MEN491_2023'...
remote: Enumerating objects: 262, done.
remote: Counting objects: 100% (262/262), done.
remote: Compressing objects: 100% (214/214), done.
remote: Total 262 (delta 76), reused 191 (delta 35), pack-reused 0
Receiving objects: 100% (262/262), 3.13 MiB | 6.40 MiB/s, done.
Resolving deltas: 100% (76/76), done.
```





- Step 2: Install required packages
  - git checkout : command for switching branches
  - pip install : command for installing python module

```
Step 2-1 sudo apt-get install python3-pip
Step 2-2 pip3 install --upgrade --ignore-installed pip setuptools
Step 2-3 sudo apt-get install unixodbc-dev
Step 2-4 pip3 install pyodbc
Step 2-5 pip3 install llvmlite==0.34.0
Step 2-6 pip3 install pyglet==1.5.26
```





• Step 3-1: change setup.py located in (~/f1tenth-riders-quicksatrt/gym)

Step 3-2: Install gym

hmcl1@hmcl1-System-Product-Name:~/simulation/src\$ cd ~/simulation/src/MEN491\_2023/f1tenth-riders-quickstart/
hmcl1@hmcl1-System-Product-Name:~/simulation/src/MEN491\_2023/f1tenth-riders-quickstart\$
pip3 install --user -e gym





If you have a problem,

```
CMake Error at /usr/local/share/cmake-3.9/Modules/FindPackageHandleStandardArgs
.cmake:137 (message):
   Could NOT find SDL (missing: SDL_LIBRARY SDL_INCLUDE_DIR)
Call Stack (most recent call first):
```

- -> sudo apt-get install libsdl-image1.2-dev
- -> sudo apt-get install libsdl-dev

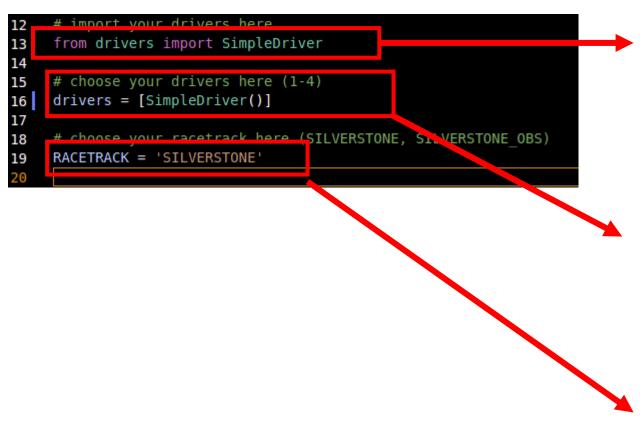
- If you have until a problem,
- -> rosdep install —y —from-paths src —ignore-src —rosdistro \$ROS\_DISTRP os=ubuntu:xenial





### **Gym Environment**

• Change main.py (~/f1tenth-riders-quicksatrt/pkg/src/pkg)



#### **Changing driver**

- For importing your drivers, write the class name which you want to import.
- Possible classes are declared in drivers.py.

#### **Multi-Agent Racing**

- For spawning your drivers, write the class name which you want to import
- To practice racing multiple drivers against each other, simply choose multiple drivers
- You may race the same driver against itself by choosing it twice
- Four driver are available to add for simulation

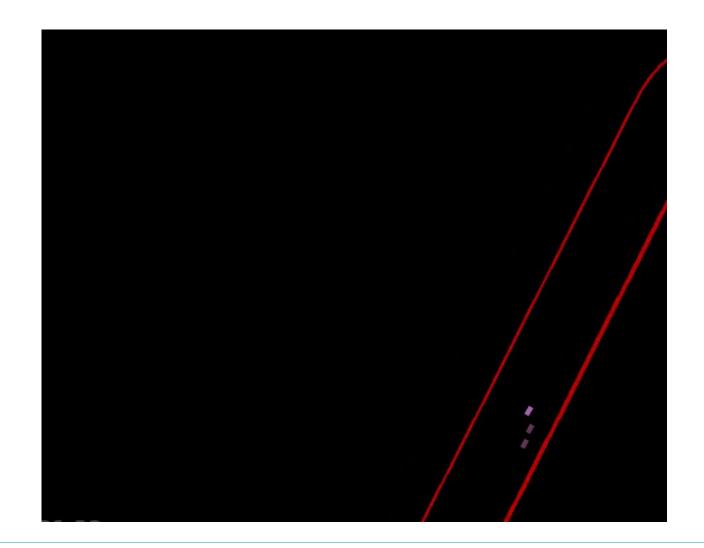
#### **Changing map**

 You can choose between using the ordinary Silverstone map or the Silverstone Obstacle map





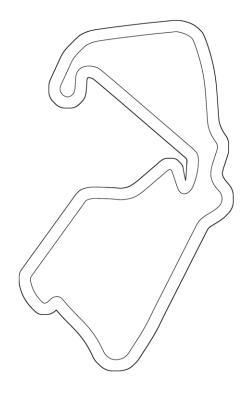
# **Multi-Agent Racing**



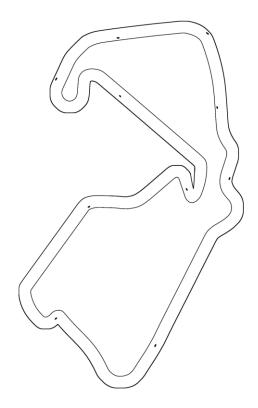




# **Changing Map**



Silverstone map



Silverstone Obstacle map





• Let's see drivers.py (~/f1tenth-riders-quicksatrt/pkg/src/pkg)

```
import numpy as np
     # drives straight ahead at a speed of 5
     class SimpleDriver:
         def process_lidar(self, ranges):
             speed = 5.0
             steering angle = 0.0
 8
 9
             return speed, steering angle
10
     class AnotherDriver:
         def process lidar(self, ranges):
             # the number of LiDAR points
17
             NUM RANGES = len(ranges)
18
             # angle between each LiDAR point
             ANGLE BETWEEN = 2 * np.pi / NUM RANGES
19
             # number of points in each quadrant
21
             NUM PER QUADRANT = NUM RANGES // 4
22
23
             # the index of the furthest LiDAR point (ignoring the points behind the car)
24
             max idx = np.argmax(ranges[NUM PER QUADRANT:-NUM PER QUADRANT]) + NUM PER QUADRANT
25
             # some math to get the steering angle to correspond to the chosen LiDAR point
26
             steering angle = max idx * ANGLE BETWEEN - (NUM RANGES // 2) * ANGLE BETWEEN
27
             speed = 5.0
             return speed, steering angle
```

- There are two types of drivers
- You can add your code in this file and import it by main.py
- In simulation, output value is speed and steering angle





Let's see drivers.py

```
import numpy as np
    # drives straight ahead at a speed of 5
    class SimpleDriver:
         def process_lidar(self, ranges):
             speed = 5.0
 8
             steering angle = 0.0
 9
             return speed, steering angle
10
     # drives toward the furthest point it sees
     class AnotherDriver:
14
15
         def process lidar(self, ranges):
             # the number of LiDAR points
16
17
             NUM RANGES = len(ranges)
18
             # angle between each LiDAR point
19
             ANGLE BETWEEN = 2 * np.pi / NUM RANGES
             # number of points in each quadrant
21
             NUM PER QUADRANT = NUM RANGES // 4
22
23
             # the index of the furthest LiDAR point (ignoring the points behind the car)
24
             max idx = np.argmax(ranges[NUM PER QUADRANT:-NUM PER QUADRANT]) + NUM PER QUADRANT
25
             # some math to get the steering angle to correspond to the chosen LiDAR point
             steering angle = max idx * ANGLE BETWEEN - (NUM RANGES // 2) * ANGLE BETWEEN
27
             speed = 5.0
             return speed, steering angle
```

Simple Driver:
 Without any control, just move with constant velocity and steering angle





Let's see drivers.py

```
import numpy as np
     # drives straight ahead at a speed of 5
     class SimpleDriver:
 5
         def process lidar(self, ranges):
             speed = 5.0
             steering angle = 0.0
             return speed, steering angle
 9
10
11
     # drives toward the furthest point it sees
    class AnotherDriver:
         def process lidar(self, ranges):
             # the number of LiDAR points
17
             NUM RANGES = len(ranges)
             # angle between each LiDAR point
18
19
             ANGLE BETWEEN = 2 * np.pi / NUM RANGES
             # number of points in each quadrant
21
             NUM PER QUADRANT = NUM RANGES // 4
22
23
             # the index of the furthest LiDAR point (ignoring the points behind the car)
24
             max idx = np.argmax(ranges[NUM PER QUADRANT:-NUM PER QUADRANT]) + NUM PER QUADRANT
25
             # some math to get the steering angle to correspond to the chosen LiDAR point
             steering angle = max idx * ANGLE BETWEEN - (NUM RANGES // 2) * ANGLE BETWEEN
27
             speed = 5.0
             return speed, steering angle
```

 AnotherDriver:
 With constant velocity, change the steer angle toward the furthest point it sees





• A Driver is just a class that has a *process\_lidar* function which takes in LiDAR data and returns speed to drive at along with a steering angle.

• Ranges: an array of 1080 distances(ranges) detected by the LiDAR scanner. As the LiDAR scanner takes reading for the full  $360^{\circ}$ , the angle between each range is  $2\pi/1080$  (in radians)

• steering\_angle: an angle in the range  $\left[-\frac{\pi}{2},\frac{\pi}{2}\right]$  in radians, with  $0^\circ$  meaning straight ahead





### How to start simulation environment with your driver

- cd YOURWORKSPACE/f1tenth-riders-quicksatrt/pkg/src/pkg
- python3 main.py

```
hmcl1@hmcl1-System-Product-Name:~/simulation/src/MEN491_2023/f1tenth-riders-quickstart$ cd pkg/src/pkg/
hmcl1@hmcl1-System-Product-Name:~/simulation/src/MEN491_2023/f1tenth-riders-quickstart/pkg/src/pkg$ code .
hmcl1@hmcl1-System-Product-Name:~/simulation/src/MEN491_2023/f1tenth-riders-quickstart/pkg/src/pkg$ python3 main.py
/home/hmcl1/.local/lib/python3.6/site-packages/numba/core/errors.py:149: UserWarning: Insufficiently recent colorama version found. Numba requires colorama >= 0.3.9
    warnings.warn(msg)
Sim elapsed time: 11.0599999999999809 Real elapsed time: 7.173454284667969
```





## **Environment Setup**

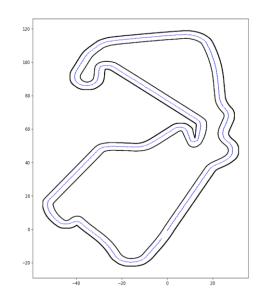
- In the file, you can find six files,
  - SIMPLE.png
  - SIMPLE.yaml
  - map\_rrt.npy
  - test\_rrt.py, planner\_rrt.py
  - drivers\_ppc\_rrt.py

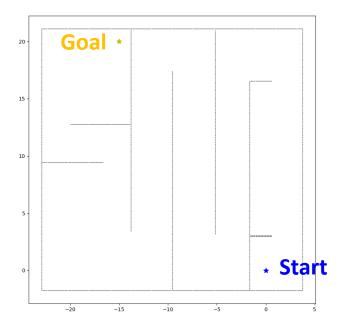




### **SIMPLE** map

• We will generate the reference trajectory for "SIMPLE" map using RRT algorithm.









### planner\_rrt.py

- planner\_rrt.py contains the skeleton code for your RRT planner.
- You should generate the reference trajectory based on RRT algorithm.
- You can implement RRT algorithm based on the lecture notes

```
# ASSIGNMENT - Implement the planner using RRT algorithm
import numpy as np
import math
class Node:
    def __init__(self, n):
        self.x = n[0]
        self.parent = None
class RRTPlanner:
    def __init__(self, s_start, s_goal, map_points):
        ########## DO NOT TOUCH THIS CODE###########
        self.s start = Node(s start)
        self.s_goal = Node(s_goal)
        self.x_range = (-23.8, 2.2)
        self.y_range = (-3.0, 19.0)
        self.map = map_points
        # you should set these value appropriately
        self.step_len =
        self.goal_sample_rate =
        self.iter_max =
        # you can add some more class variables under this line
        # like this
    def rrt_planning(self):
        # TODO implement RRT algorithm
        path = np.zeros(shape=(100,2))
        # find path from start pose to goal pose which does not collide with map
        # sample node from the in the range self.x_range, self.y_range
    # you can define more functions if you want
```





## drivers\_ppc\_rrt.py

- drivers\_ppc\_rrt.py contains the skeleton code for your pure pursuit controller.
- Implement pursuit control code.
- Then tune the parameter appropriately to follow your path generated by RRT algorithm.

```
# ASSIGNMENT - Implement the driver using Pure Pursuit algorithm
import numpy as np
import math
class PurePursuitDriver:
    def pure_pursuit_control(self, pose_x, pose_y, pose_theta, ref):
        # TODO implement pure pursuit algorithm
        # Set the lookahead distance
        # Find the lookahead point on the reference trajectory
        lookahead idx = 10
        # Compute the heading to the lookahead point
        # Compute the steering angle
        steering angle = 0.0
        speed = 5.0
        return speed, steering angle, lookahead idx
```





### test\_rrt.py

- test\_rrt.py contains the python code for testing your RRT planner and Pure Pursuit controller in the simulation environment.
- You can run the test using the command below.

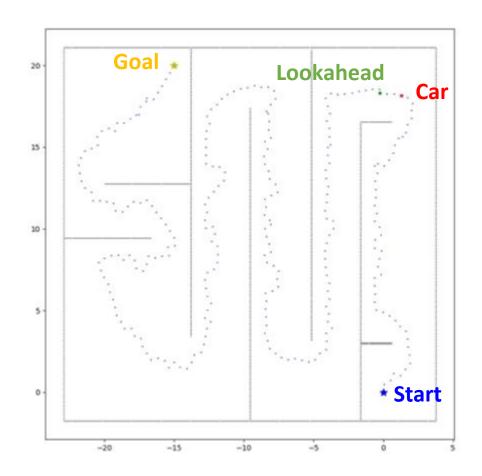
• (py36) hb@HB-HMCL:~/simulation/src/MEN492\_2023/fltenth-riders-quickstart/pkg/src/pkg\$ python test\_rrt.py





## test\_ppc.py - Plot tools

- If you uncomment this code, you can use plot tools.
- You can check the start and goal position marked with blue and yellow point, the ego vehicle position with a red point, lookahead point with green and blue center line in the plot.
- You can debug your code using the plot tools like this.







### test\_ppc.py - Grading

Generate reference path successfully

```
    (py36) hb@HB-HMCL:~/simulation/src/MEN492_2023/f1tenth-riders-quickstart/pkg/src/pkg$ python test_rrt.py
Path is generated successfully!
You got 2 points!
Sim elapsed time: 25.5800000000012 Real elapsed time: 165.08719658851624 Final Score : 2
```

- → 2 points (You will lose this point when the path seems to intersect the map and cause collision even if it prints "You got 2 points".)
- Reach the goal using controller based on the generated path

```
    (py36) hb@HB-HMCL:~/simulation/src/MEN492_2023/f1tenth-riders-quickstart/pkg/src/pkg$ python test_rrt.py
    Path is generated successfully!
    You got 2 points!
    Your car has successfully reached the goal!
    You got 5 points! Congratulations!!
    Sim elapsed time: 25.720000000000122 Real elapsed time: 166.23932313919067 Final Score : 5
```

- $\rightarrow$  3 points
- If the collision occurs or the sim elapsed time exceeds 30 seconds, the simulation is terminated.





# test\_ppc.py - Successful Example

