10.18

(a)

```
> cat(round(mother_pct, 2), "%\n")
12.15 %
> cat(round(father_pct, 2), "%\n")
11.68 %
```

(b)

```
> print(round(cor_matrix, 3))
educ mothercoll fathercoll
educ 1.000 0.359 0.398
mothercoll 0.359 1.000 0.355
fathercoll 0.398 0.355 1.000
```

The correlation between EDUC and MOTHERCOLL is 0.3595. The correlation between EDUC and FATHERCOLL is 0.3985. It might be argued that parents who had attended college for at least some time have a higher appreciation of education for their children than those who did not.

(c)
95% CI for EDUC coefficient: [-0.0012 , 0.1533]

(d)

```
Linear hypothesis test:
mothercoll = 0

Model 1: restricted model
Model 2: educ ~ exper + exper2 + mothercoll

Res.Df RSS Df Sum of Sq F Pr(>F)
1 425 2219.2
2 424 1929.9 1 289.32 63.563 1.455e-14 ***
---
Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
```

The t-statistic for the coefficient of MOTHERCOLL is 7.97, and the corresponding F-value is 63.56. This is far greater than the rule-of-thumb value of 10, so we reject the notion that the IV is weak on this basis.

(e)

```
95% CI for EDUC (2 IVs): [ 0.0275 , 0.1482 ]
```

This is slightly narrower than the interval estimate using only MOTHERCOLL as an IV as shown in part (c).

(f)

```
Call:
lm(formula = educ ~ exper + exper2 + mothercoll + fathercoll,
     data = mroz2)
Residuals:
                1Q Median
                                    3Q
     Min
 -7.2152 -0.3056 -0.2152 0.7627 5.0620
Coefficients:
                Estimate Std. Error t value Pr(>|t|)
                             0.290251 40.965 < 2e-16 ***

0.040133 1.225 0.221

0.001199 -1.209 0.227

0.322347 5.429 9.58e-08 ***
(Intercept) 11.890259
exper 0.049149
exper
exper2
              -0.001449
1.749947
mothercoll
fathercoll 2.186612 0.329917
                                          6.628 1.04e-10 ***
Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
Residual standard error: 2.033 on 423 degrees of freedom
Multiple R-squared: 0.2161, Adjusted R-squared: 0.2
                                       Adjusted R-squared: 0.2086
F-statistic: 29.15 on 4 and 423 DF, p-value: < 2.2e-16
```

```
Linear hypothesis test:
mothercoll = 0
fathercoll = 0

Model 1: restricted model
Model 2: educ ~ exper + exper2 + mothercoll + fathercoll

Res.Df RSS Df Sum of Sq F Pr(>F)
1 425 2219.2
2 423 1748.3 2 470.88 56.963 < 2.2e-16 ***
---
Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
```

We reject the null hypothesis that the instruments are weak.

(g)

```
> (p_value <- 1 - pchisq(S, df = 1))
[1] 0.6281333</pre>
```

we fail to reject the null hypothesis.

10.20

(a)

Microsoft beta is 1.2018.

Microsoft stock is relatively risky compared to the market portfolio.

(b)

```
Linear hypothesis test:

RANK = 0

Model 1: restricted model

Model 2: mkt_excess ~ RANK

Res.Df RSS Df Sum of Sq F Pr(>F)

1 179 0.43784

2 178 0.03829 1 0.39955 1857.6 < 2.2e-16 ***

---
Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
```

The variable RANK does not directly cause Microsoft's return, so it meets condition IV1.

```
R^2 = 0.9126.
```

The t-value is 43.10, and the F-statistic is 1857.61.

This means that RANK is a very strong instrument.

(c)

The t-statistic on \hat{v} is -2.04 with a p = 0.043.

It is not significant at the 1% level, but at the 5% level.

At the 1% level, we cannot reject the null hypothesis that the market return is exogenous.

(d)

The IV estimate of Microsoft's beta (1.2783) is slightly higher than the OLS estimate (1.2018), consistent with the expectation that OLS suffers from attenuation bias due to potential measurement error in the market excess return.

(e)

```
lm(formula = mkt_excess ~ RANK + POS, data = capm5)
Residuals:
                      Median
                10
                                    30
 -0.109182 -0.006732 0.002858 0.008936 0.026652
Coefficients:
<2e-16 ***
RANK
           -0.0092762 0.0042156
                                  -2.20 0.0291 *
POS
Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
Residual standard error: 0.01451 on 177 degrees of freedom
Multiple R-squared: 0.9149, Adjusted R-squared: 0.9139
F-statistic: 951.3 on 2 and 177 DF, p-value: < 2.2e-16
```

```
Linear hypothesis test:
RANK = 0
POS = 0

Model 1: restricted model
Model 2: mkt_excess ~ RANK + POS

Res.Df RSS Df Sum of Sq F Pr(>F)
1 179 0.43784
2 177 0.03727 2 0.40057 951.26 < 2.2e-16 ***
---
Signif. codes: 0 '***' 0.001 '**' 0.01 '* '0.05 '.' 0.1 ' '1
```

Based on the F-test, we would conclude the IVs are not weak.

(e)

The t-value on the first stage residuals is -2.05 with a p-value of 0.0287. Thus, at the

1% level, we cannot reject the null hypothesis that the market return is exogenous.

(f)

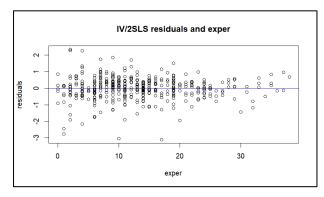
The coefficient estimate 1.28 is larger than the OLS estimate from part (a). If there is a measurement error problem the OLS estimator suffers attenuation bias, that is, it is biased downward.

(h)

At the 5% level of significance, we find no evidence against the validity of RANK and POS as instruments, indicating that they can be treated as exogenous variables in the model.

10.24

(a)



There may be a "funnel" shape present, with more variation in the residuals at lower years of experience than at higher years of experience.

(b) $nR^2 = 7.438552 \; p\text{-value} = 0.006384122$ We reject the null hypothesis of homoskedasticity.

> print(se_comparison)				
	Estimate	Baseline_SE	Robust_SE	Increased_SE
(Intercept)	0.04810	0.40033	0.42980	Yes
exper	0.04417	0.01343	0.01555	Yes
I(exper∧2)	-0.00090	0.00040	0.00043	Yes
educ	0.06140	0.03144	0.03334	Yes
< T				

(d)

```
> print(boot_ci)
[1] -0.002000496 0.124793752
```

The bootstrap standard errors are ever so slightly smaller than the robust standard errors, but still a bit larger than the usual IV standard errors.