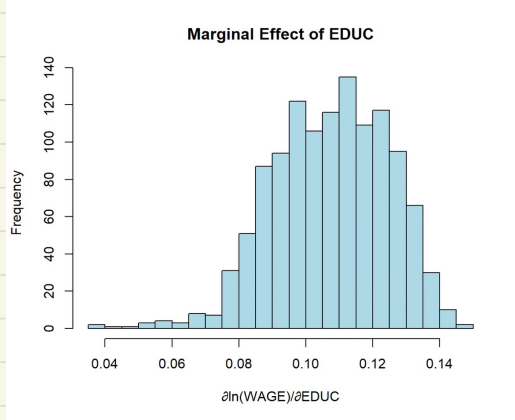


marginal effect 会随 EDUC 增加而增加, 随 EXPER 增加而下降

C.



	5%	50%	95%
	0.08008187	0.10843125	0.13361880

110705058ice陳羽萱

- d. Obtain an expression for the marginal effect $\partial E[\ln(WAGE)|EDUC, EXPER] / \partial EXPER$. Comment on how the estimate of this marginal effect changes as *EDUC* and *EXPER* increase.
- e. Evaluate the marginal effect in part (d) for all observations in the sample and construct a histogram of these effects. What have you discovered? Find the median, 5th percentile, and 95th percentile of the marginal effects.
- f. David has 17 years of education and 8 years of experience, while Svetlana has 16 years of education and 18 years of experience. Using a 5% significance level, test the null hypothesis that Svetlana's expected log-wage is equal to or greater than David's expected log-wage, against the alternative that David's expected log-wage is greater. State the null and alternative hypotheses in terms of the model parameters.

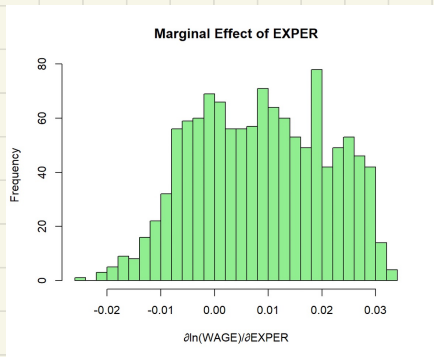
d.

$$\frac{\partial E[\ln(WAGE)|EDUC, EXPER]}{\partial EXPER} = \beta_4 + 2\beta_5 EXPER + \beta_6 EDUC$$

$$= 0.04488 + 2 \times (-0.00468) \times EXPER + (-0.00101) \times EDUC$$

marginal effect decreases as EDUC or EXPER increases

e.



	5%	50%	95%
	-0.010376212	0.008418878	0.027931151

most marginal effects are positive, only a small portion may experience negative.

$$1. H_0: \beta_1 + 17\beta_2 + 17^2\beta_3 + 8\beta_4 + 8^2\beta_5 + 8 \times 17\beta_6 \leq \beta_1 + 16\beta_2 + 16^2\beta_3 + 18\beta_4 + 18^2\beta_5 + 18 \times 16\beta_6$$

$$H_1: \beta_1 + 17\beta_2 + 17^2\beta_3 + 8\beta_4 + 8^2\beta_5 + 8 \times 17\beta_6 > \beta_1 + 16\beta_2 + 16^2\beta_3 + 18\beta_4 + 18^2\beta_5 + 18 \times 16\beta_6$$

$$H_0: \beta_2 + 33\beta_3 - 10\beta_4 - 26\beta_5 - 15\beta_6 \leq 0$$

$$H_1: \beta_2 + 33\beta_3 - 10\beta_4 - 26\beta_5 - 15\beta_6 > 0$$

$$t_{0.75, 1194} = 1.646131$$

$$t = \frac{-0.03388 - 0}{0.021499} = -1.6697 < 1.646$$

fail to reject H_0