

8.6

a.

H_0 : 模型不存在異質變異數 ($\sigma_M^2 = \sigma_F^2$)

H_1 : 模型存在異質變異數 ($\sigma_M^2 \neq \sigma_F^2$)

$$F = \frac{\sigma_M^2}{\sigma_F^2} \sim F_{0.05}(576, 422)$$

$$RR: \{P|P > F_{0.05}(576, 422) = 1\}$$

$$F^* = \frac{97161.9174 / 576}{12.0242} = 1.1667$$

拒絕虛無假設，有證據支持 $\sigma_M^2 \neq \sigma_F^2$

b.

$H_0: \sigma_{\text{single}}^2 = \sigma_{\text{married}}^2$ vs. $H_1: \sigma_{\text{single}}^2 > \sigma_{\text{married}}^2$

$$\sigma_{\text{single}}^2 = 56231.0382 / 400 = 140.5776$$

$$\sigma_{\text{married}}^2 = 100703.0471 / 600 = 167.8384$$

$$F = \frac{\sigma_M^2}{\sigma_s^2} \sim F_{0.05}(599, 399)$$

$$RR: \{P|P > F_{0.05}(599, 399) = 1\}$$

$$F^* = \frac{167.8384}{140.5776} = 1.1941$$

拒絕虛無假設，有證據支持 $\sigma_{\text{single}}^2 > \sigma_{\text{married}}^2$

C.

H_0 : 模型不存在異質變異數 vs. H_1 : 模型存在異質變異數

$$Y = NR^2 \sim \chi^2_{\text{ndf}}(4)$$

$$\text{RR: } \{Y | Y > \chi^2_{0.05}(4) = 9.488\}$$

$$Y^* = 59.03 > \text{RR}$$

拒絕虛無假設，有證據支持模型存在異質變異數
跟(b)結果一樣

d.

White test use: educ, exper, metro, female,
educ², exper², educxexper, educxmetro, educxfemale,
experxmetro, experxfemale, metroxfemale

$$\text{degree of freedom: } 12 + 1 - 1 = 12$$

$$\text{critical value } \chi^2_{0.05}(12) = 21.06$$

$$\text{test statistic: } 18.52$$

reject the null hypothesis

2.

narrower: EXPER, METRO, FEMALE

wider: intercept, EDLC,