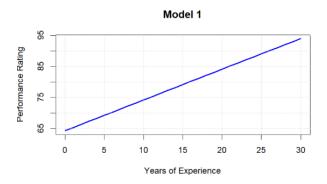
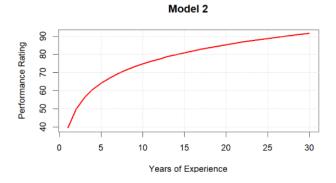
計量作業 0317

4.4a



b.



因為 In 0 值不存在,所以 four artists 的資料就被剔除了。

C.

在 Model 1 中,β2 的斜率為 0.99,表達其他條件不變下,每增加一年經驗,平均而言增加 0.99 的 Rating。

d.

```
> cat("marginal effect Model 2(EXPER=10): ",
+ marginal_effect_model2(10), "\n")
marginal effect Model 2(EXPER=10): 1.5312
> cat("marginal effect Model 2(EXPER=10): ",
+ marginal_effect_model2(20), "\n")
marginal effect Model 2(EXPER=10): 0.7656
```

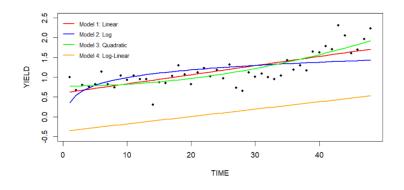
Model 1 的R²是 0.3793

Model 2 的R²是 0.6414

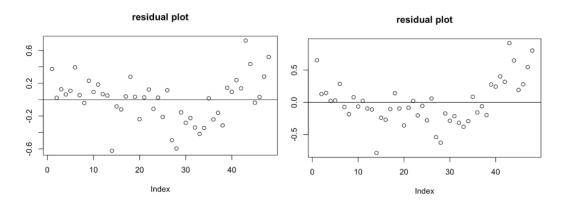
故 Model 2 的擬合度比 Model 1 好

f.

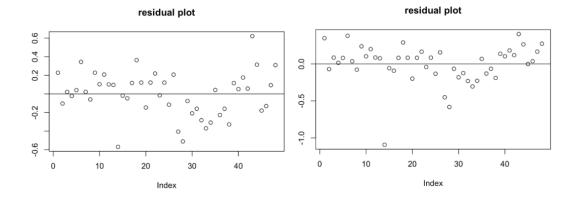
在經濟意涵上 Model 2 比較合理一點,因為隨著經驗增長,對於 rating 的效果應該要呈現邊際效應遞減,此時解釋變數取 In 較為符合。



Linear Linear-log



Quadratic Log-linear



Error normality tests

Model	W	p-value	R-square
linear	0.98236	0.6792	0.5778
log	0.96657	0.1856	0.3385
quadratic	0.98589	0.8266	0.6890
log-linear	0.86894	0.00007205	0.5073

Quadratic 擁有最高的 p 值·表示其殘差最接近常態分布·較符合常態性假設。在 Shapiro-Wilk 檢定中·p 值越高·代表資料越有可能服從常態分布。

b.

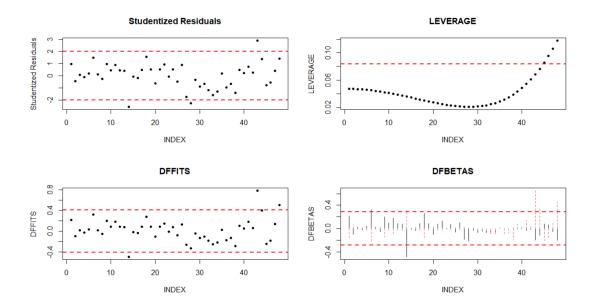
Residuals:

Min 1Q Median 3Q Max -0.56899 -0.14970 0.03119 0.12176 0.62049

Coefficients:

Estimate Std. Error t value Pr(>|t|)
(Intercept) 7.737e-01 5.222e-02 14.82 < 2e-16 ***
time2 4.986e-04 4.939e-05 10.10 3.01e-13 ***

時間變數的係數 γ_1 代表時間對小麥產量的二次效應。當 $\gamma_1 > 0$ 時,表示產量的增長速度隨著時間呈現加速趨勢。



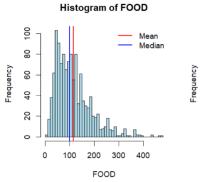
d.

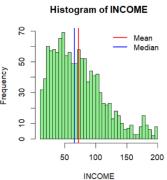
confidence interval = [1.4126, 2.4324]

 $YIELD = 2.2318 \in [1.4126, 2.4324]$

the interval contains the true value.

```
Mean 114.4431 72.14264
Median 99.8000 65.29000
Min 9.6300 10.00000
Max 476.6700 200.00000
SD 72.6575 41.65228
```





> jarque.bera.test(cex5_small\$food)

Jarque Bera Test

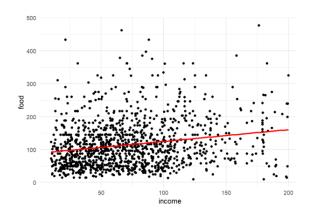
data: $cex5_small$food$ X-squared = 648.65, df = 2, p-value < 2.2e-16

> jarque.bera.test(cex5_small\$income)

Jarque Bera Test

data: $cex5_small$ income X-squared = 148.21, df = 2, p-value < 2.2e-16

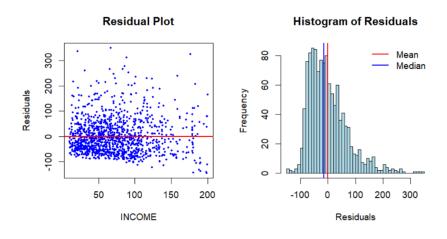
b.



0.2619215

C.

income



0.455452

> jarque.bera.test(residuals)

Jarque Bera Test

data: residuals X-squared = 624.19, df = 2, p-value < 2.2e-16

d.

```
Income Food_hat ∈ se_€ €_lower_bound €_upper_bound

19 95.38155 0.07145038 0.00982475 0.05219423 0.09070654

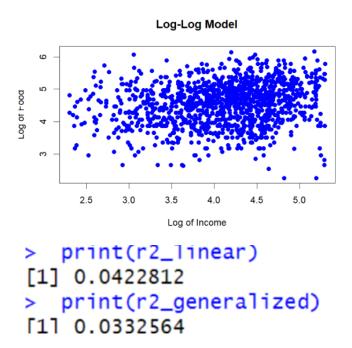
65 111.88114 0.20838756 0.02865423 0.15222630 0.26454882

160 145.95638 0.39319883 0.05406661 0.28723022 0.49916745
```

隨著收入增加,食物支出的所得彈性也隨之上升,說明不同收入階層之間在食物消費上的彈性存在明顯差異。所得彈性的信賴區間彼此沒有重疊,顯示不同收入群體的食物消費行為在統計上有顯著差異。 一般認為食物是基本需求,因

此食物支出的所得彈性通常會隨著收入增加而降低或趨於穩定。然而,結果顯示彈性反而隨收入上升,這與傳統經濟理論的預測並不完全一致。

e.



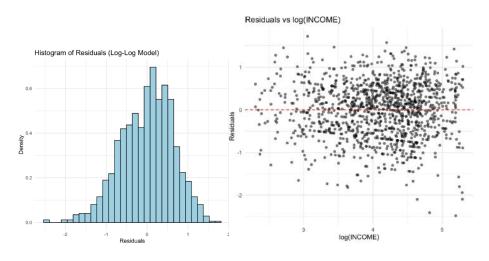
f.

```
Income: 19
2-value: 3.743498
P-value: 0.0001814758
The two elasticities are significantly different (reject HO).

Income: 65
2-value: -0.5407951
P-value: 0.5886488
No significant difference between the two elasticities (fail to reject HO).

Income: 160
2-value: -3.367963
P-value: -0.0007572575
The two elasticities are significantly different (reject HO).

Income: 100
Income:
```

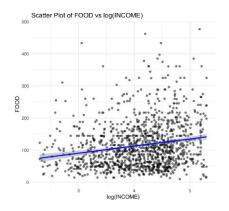


Jarque Bera Test

data: residuals_log
X-squared = 25.85, df = 2, p-value = 2.436e-06

- 1. 散點圖顯示,數據點隨機分佈於零附近,未顯示明顯的結構性偏誤。
- 2. 殘差分佈整體趨近常態,但左尾稍長,呈現一定程度的左偏分佈特性。
- 3. 由於 p 值低於顯著水準 0.05 · 故拒絕殘差常態性假設 · 意味殘差分佈不服從 常態 ·

h.

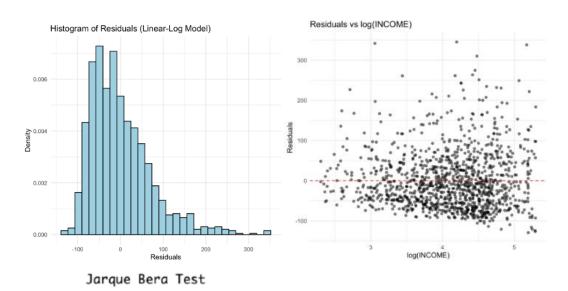


Linear model 更符合

log-log model 與 linear-log model: 在各收入水準下,log-log model 與 linear-log model 所估計之彈性值於統計上並無顯著差異,結果顯示二者具一致性。

linear-log model 與 linear model: 當收入分別為 19 與 160 時,兩模型之信賴區間並未重疊,顯示 linear-log model 與 linear-linear model 所估計之彈性值在統計上存在顯著差異。

j.



data: residuals_lin_log
X-squared = 628.07, df = 2, p-value < 2.2e-16</pre>

k.

我選擇 log-log 模型,因為相比其他模型,它的殘差更符合常態分佈。