AILAB SEMINAR #19

RNN & LSTM

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DIN DEEP NEURAL NETWORK

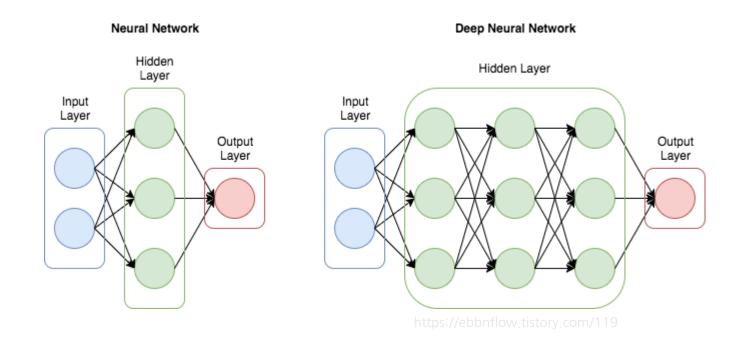
DNN - Deep Neural Network

DNN

RNN

LSTM

- Input layer와 Output layer사이 여러 개의 Hidden layer가 있는 인공 신경망의 한 형태
- Feed-Forward 와 Backpropagation 을 통해 Loss를 낮추는 방향으로 Parameter를 학습



DNN - DNN의 한계

DNN

RNN

LSTM

GRU

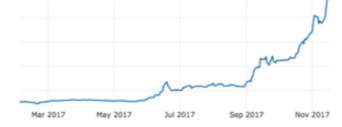
- 고정된 길이의 Input과 Output에 대해서만 연산이 가능
- 시계열, 자연어 등 Sequence data에서 Context 정보를 활용하기 어려움

This sentence is a sequence of words...













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RNN

RECURRENT NEURAL NETWORK

RNN - Recurrent Neural Network

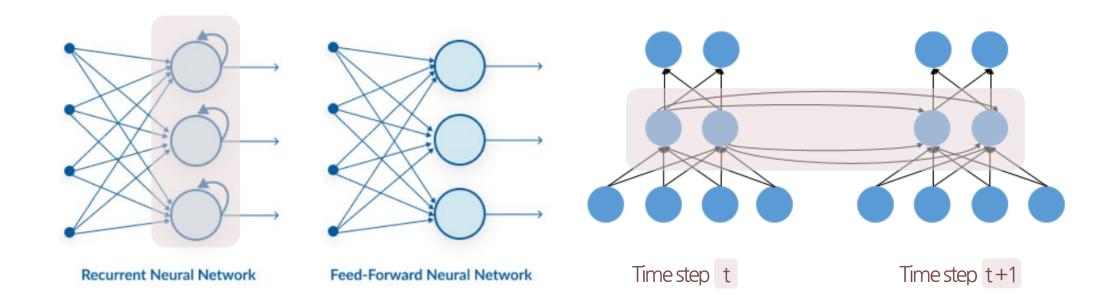
DNN

RNN

LSTM

GRU

■ Hidden layer의 결과 값을 다음 시점의 Hidden Layer로 보내는 재귀적 특성을 가진 순환 신경망



RNN - Recurrent Neural Network

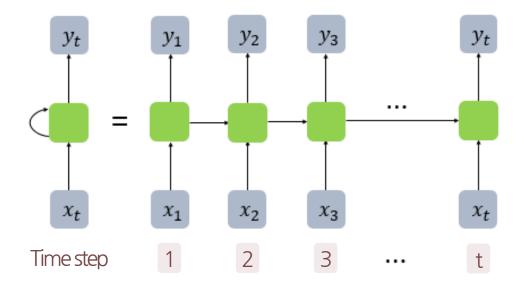
DNN

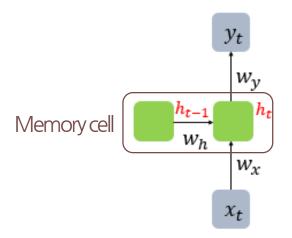
RNN

LSTM

GRU

■ Memory cell (RNN cell) 은 이전의 값(Hidden state)을 기억하여 Sequential 정보를 학습





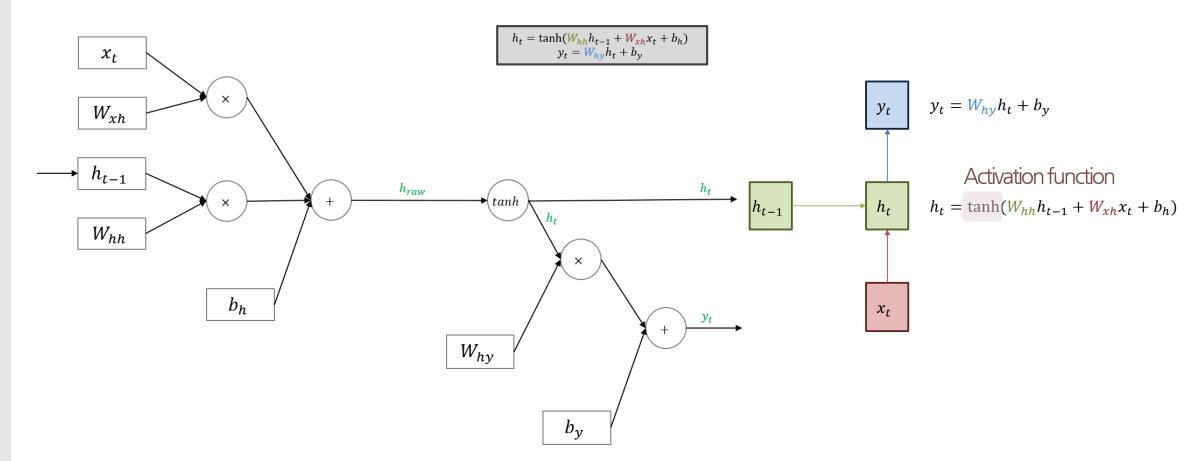
RNN - The Vanilla RNN Forward

DNN

RNN

LSTM

- 시점 t 에서 Input = x_t , Hidden state = h_t , Output = y_t
- 각시점의 *W_{hy}, W_{hh}, W_{xh}* 값을 공유함



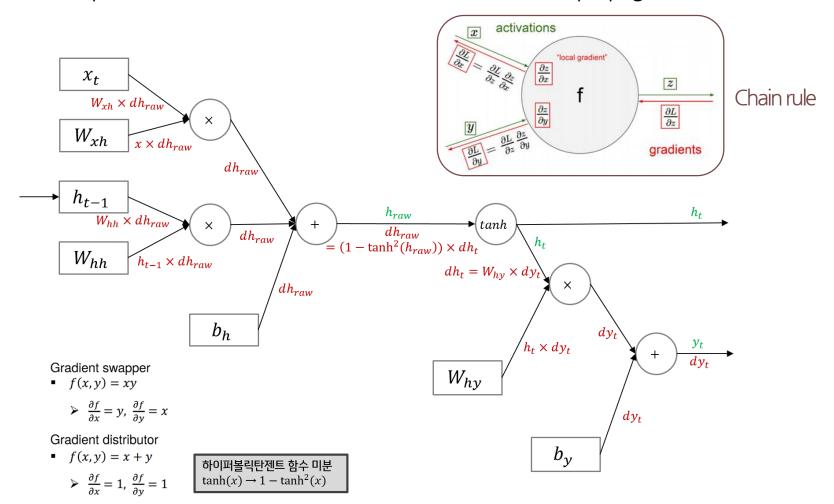
DNN

RNN

LSTM

GRU

■ Time step에 따라 Unfold 된 RNN Cell을 DNN과 유사하게 Backpropagation



RNN - Backpropagation Though Time (BPTT)

DNN

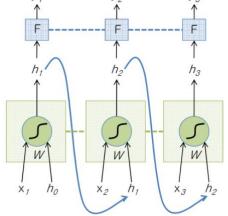
RNN

LSTM

GRU

 x_{t-1}

■ 순환 구조이므로 다음 시점의 Gradient도 더해서 반영함

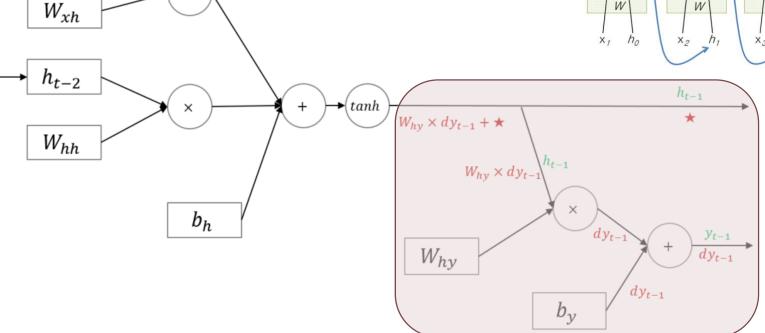


$$h_t = \tanh W \begin{pmatrix} x_t \\ h_{t-1} \end{pmatrix}$$

$$y_t = F(h_t)$$

$$C_t = \operatorname{Loss}(y_t, \operatorname{GT}_t)$$

----- indicates shared weights



모든 경로의 derivative를 곱해서 더함

RNN - Applications

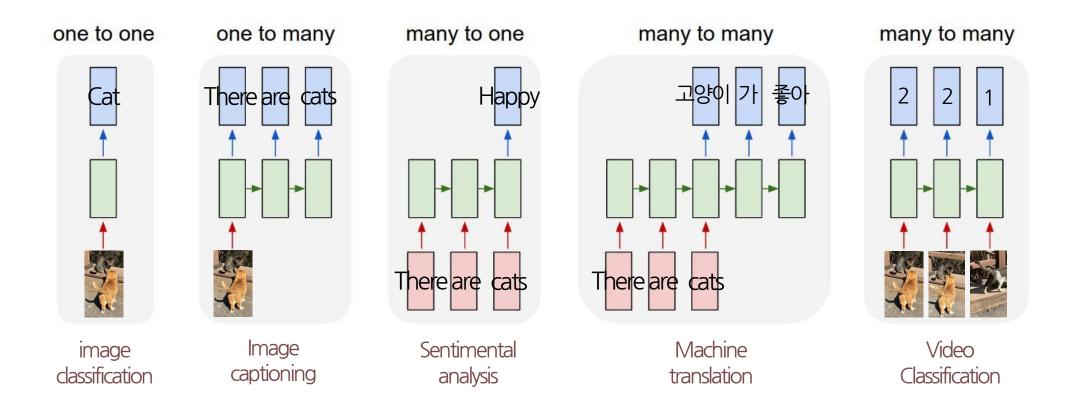
DNN

RNN

LSTM

GRU

■ Input과 Output의 길이가 가변적이므로 다양한 활용이 가능



RNN - Applications

DNN

RNN

LSTM

GRU

Example - Minimal character-level language model (The Little Prince)

90547 Characters, 80 Unique

```
----
!PweW-4'!2y7r YuD3Ev"sSefyj$KHW"sP"T9EUAYNq)BT2WaHBjpporE7rCm.D zanzbchlj$h3,ek-b0'yKpG-Tx5"5Exh fz-jVi$$Z'U'0xh)FI LRh"w0G
hW s8'TFHg1f"arg5LV"p9AZ.q.NBvrr"fj0!4ft-3(A""g"eeB:illE'y!Nb\spUF7kk')oL-!\
----
iter 0, loss: 109.550664
```



```
t deed seece,..

"I
hom, insed tasly.

"Oner, is il le ind sas yowe the junco hame the was it are. kne ad at That ang they wn of a ctaide beake.

"Thay laosy shao ave revker ast foubbet if a cee ghec
----
iter 10000, loss: 54.261064
```



```
n," the long muke you dot shimpsik to is waughe thowen'twambabge the was mollije, coad them id as tarning you stime fout tho kill, my wass. Mins," serest-ming to he and whey to he aldile, in you corsp
----
iter 50000, loss: 41.201140
```

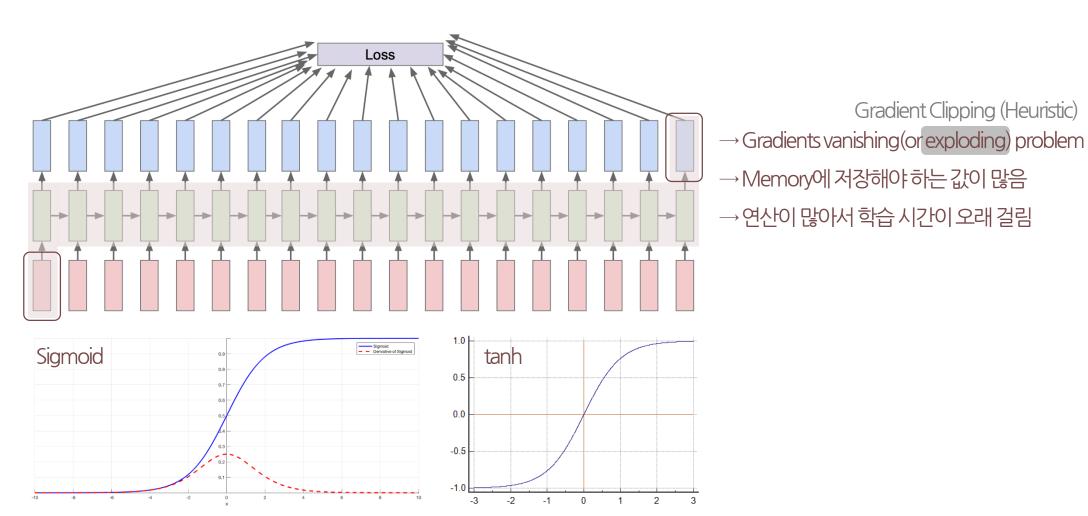
DNN

RNN

LSTM

GRU

■ 모든 Time step마다 Unfold된 RNN Cell의 처음부터 끝까지 연산해야 함



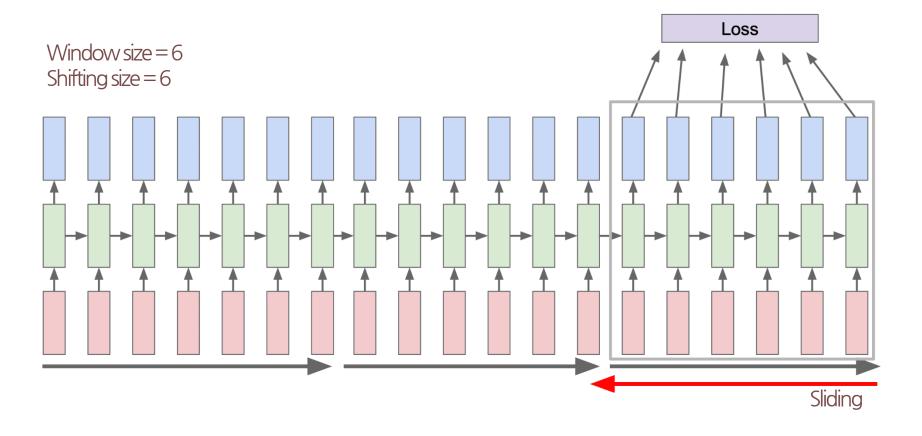
RNN - Truncated BPTT

DNN

RNN

LSTM

- Time step을 일정 크기로 나누어서 Backpropagation
- True Truncated BPTT는 Shifting size = 1인 경우를 의미



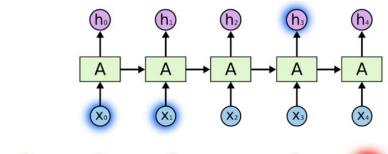
DNN

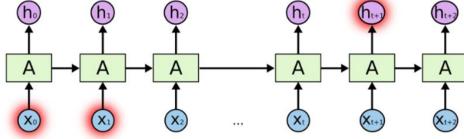
RNN

LSTM

GRU

- 앞선 방법으로는 Long-term dependency problem이 완전히 해결되지 않음
- 거리가 먼 정보는 반영되기 어려워 학습 능력이 저하됨





$$\frac{\partial C_{t}}{\partial h_{1}} = \left(\frac{\partial C_{t}}{\partial y_{t}}\right) \left(\frac{\partial y_{t}}{\partial h_{1}}\right) \qquad h_{t} = \tanh W \begin{pmatrix} x_{t} \\ h_{t-1} \end{pmatrix} \\
= \left(\frac{\partial C_{t}}{\partial y_{t}}\right) \left(\frac{\partial y_{t}}{\partial h_{t}}\right) \left(\frac{\partial h_{t}}{\partial h_{t-1}}\right) \cdots \left(\frac{\partial h_{2}}{\partial h_{1}}\right) \qquad y_{t} = F(h_{t}) \\
C_{t} = Loss(y_{t}, GT_{t})$$

Constant Error Flow 필요

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LSTM

LONG SHORT-TERM MEMORY

LSTM - Long Short-Term Memory

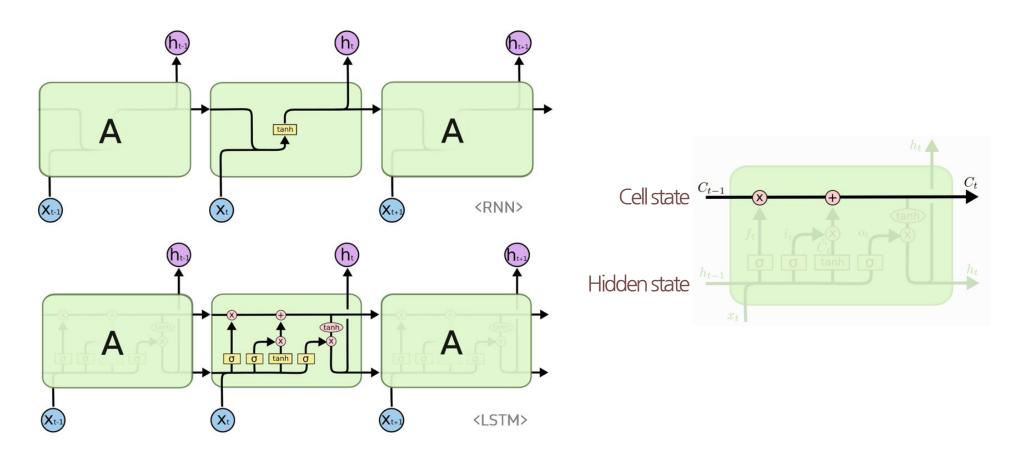
DNN

RNN

LSTM

GRU

■ 단기 기억을 위한 Hidden state 이외에 장기 기억을 위한 Cell state를 도입



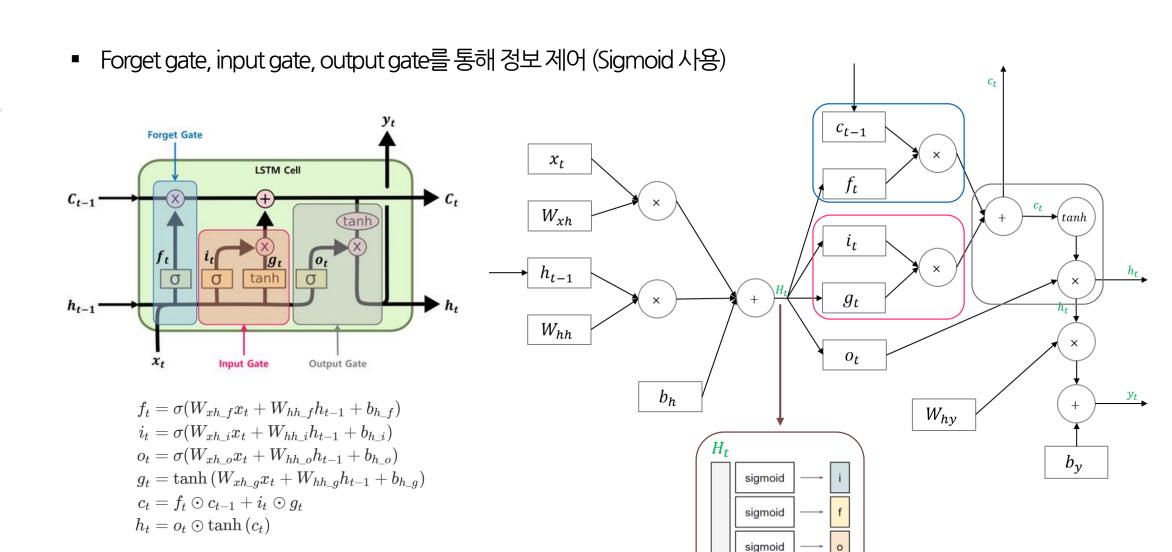
LSTM - LSTM Cell Forward Pass

DNN

RNN

LSTM

GRU



tanh

18

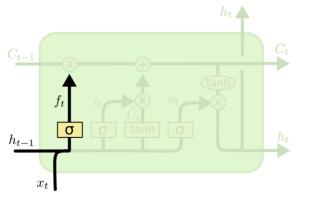
DNN

RNN

LSTM

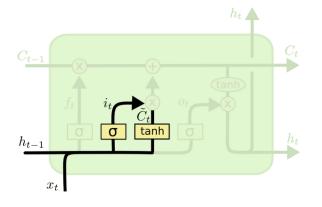
GRU

■ Forget gate - Cell state로부터 어떤 정보를 잊을 것인가



$$f_t = \sigma \left(W_f \cdot [h_{t-1}, x_t] + b_f \right)$$

■ Input gate - 새로운 정보 중 어떤 것을 Cell state에 저장할 것인가



$$i_t = \sigma (W_i \cdot [h_{t-1}, x_t] + b_i)$$

$$\tilde{C}_t = \tanh(W_C \cdot [h_{t-1}, x_t] + b_C)$$

LSTM - LSTM Cell state update / Output gate layer

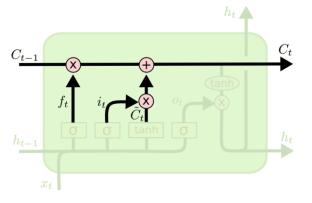
DNN

RNN

LSTM

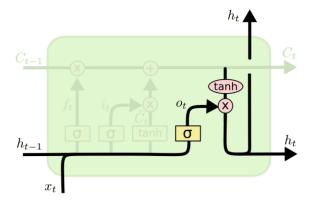
GRU

■ Cell state update - Forget gate와 Input gate를 적용



$$C_t = f_t * C_{t-1} + i_t * \tilde{C}_t$$

■ Output gate - Cell state 중 어느 부분을 Output으로 내보낼 것인가



$$o_t = \sigma \left(W_o \left[h_{t-1}, x_t \right] + b_o \right)$$

$$h_t = o_t * \tanh\left(C_t\right)$$

LSTM - LSTM Cell Backpropagation

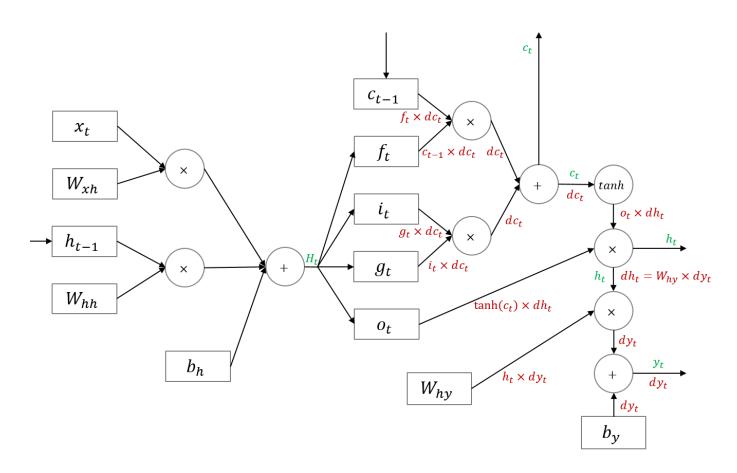
DNN

RNN

LSTM

GRU

■ RNN 에서의 Backpropagation 과 유사



LSTM - LSTM Cell Backpropagation

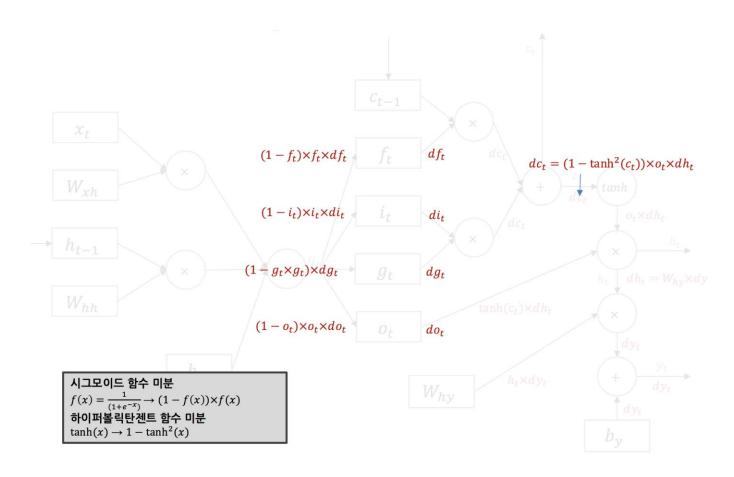
DNN

RNN

LSTM

GRU

■ RNN 에서의 Backpropagation 과 유사



LSTM - LSTM Cell Backpropagation

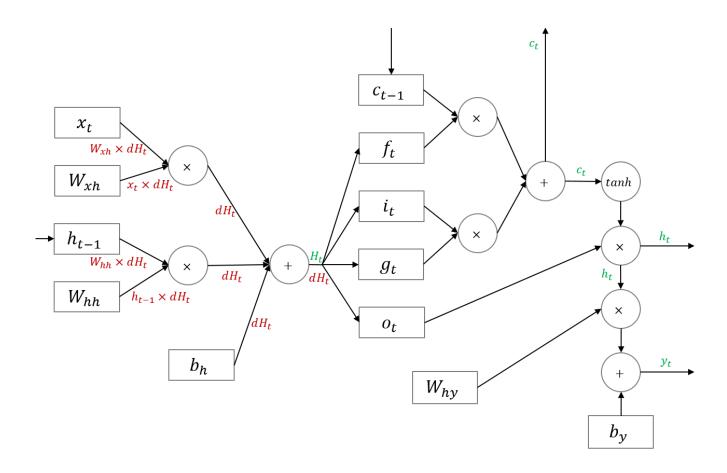
DNN

RNN

LSTM

GRU

■ RNN 에서의 Backpropagation 과유사 Details → http://arunmallya.github.io/writeups/nn/lstm/index.html#/



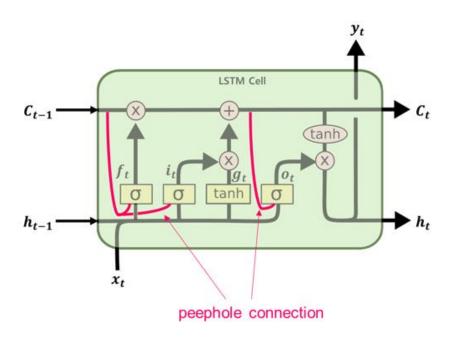
LSTM - Peephole connection

DNN

RNN

LSTM

- F. Gers and J.Schmidhuber (2000)
- 이전 Time step의 Cell state가 입력으로 추가되어 보다 많은 Context 인식



$$egin{aligned} \mathbf{f}_t &= \sigma \left(\mathbf{W}_{cf}^T \cdot \mathbf{c}_{t-1} + \mathbf{W}_{xf}^T \cdot \mathbf{x}_t + \mathbf{W}_{hf}^T \cdot \mathbf{h}_{t-1} + \mathbf{b}_f
ight) \ \mathbf{i}_t &= \sigma \left(\mathbf{W}_{ci}^T \cdot \mathbf{c}_{t-1} + \mathbf{W}_{xi}^T \cdot \mathbf{x}_t + \mathbf{W}_{hi}^T \cdot \mathbf{h}_{t-1} + \mathbf{b}_i
ight) \ \mathbf{o}_t &= \sigma \left(\mathbf{W}_{co}^T \cdot \mathbf{c}_t + \mathbf{W}_{xo}^T \cdot \mathbf{x}_t + \mathbf{W}_{ho}^T \cdot \mathbf{h}_{t-1} + \mathbf{b}_o
ight) \end{aligned}$$

4

GRU

GATED RECURRENT UNIT

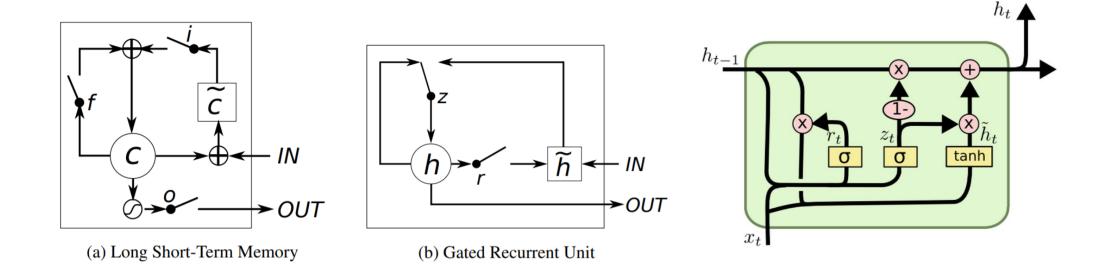
GRU - Gated Recurrent Unit

DNN

RNN

LSTM

- KyungHyun C, et al. (2014)
- 기존 LSTM 에서 Cell state 와 Hidden state 가 하나로 통합되어 저장됨
- LSTM Cell의 Forget gate, input gate, output gate 대신 Update gate, reset gate 제시



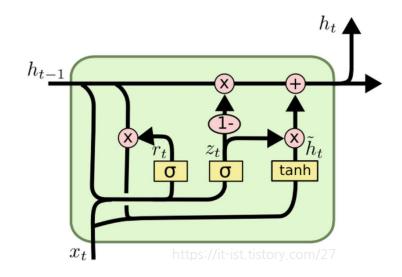
GRU - Gated Recurrent Unit

DNN

RNN

LSTM

- Update gate (z_t) : Take a linear sum between the existing state and the newly computed state
- Reset gate (r_t) : If it is reading the first symbol of an input sequence, allow it to forget
- GRU에는 LSTM의 Output gate mechanism이 존재하지 않고 r_t 가 Sequence의 시작만 구별



$$h_t^j = (1 - z_t^j) h_{t-1}^j + z_t^j \tilde{h}_t^j$$

$$z_t^j = \sigma \left(W_z \mathbf{x}_t + U_z \mathbf{h}_{t-1} \right)^j$$

$$\tilde{h}_t^j = \tanh \left(W \mathbf{x}_t + U \left(\mathbf{r}_t \odot \mathbf{h}_{t-1} \right) \right)^j$$

$$r_t^j = \sigma \left(W_r \mathbf{x}_t + U_r \mathbf{h}_{t-1} \right)^j$$

DNN

RNN

LSTM

- Traditional RNN 보다 나은 성능, LSTM과 비교해서는 Dataset의 종류에 영향을 받음
- 데이터 양이 적을 때 강세를 보임 (Ubisoft Dataset B)

