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## Program 1: Implement Tic Tac Toe

```
board = []
```

```
for i in range(9):  
    board.append('_')
```

```
def printingOX(letter, pos):  
    board[pos] = letter
```

```
def empty(pos):  
    if (board[pos] == ''):  
        return True
```

```
else:  
    return False
```

## # prints Tic Tac Toe

```
def printboard(board):  
    for i in range(3):  
        print(board[3*i] + ' | ' + board[3*i+1] +  
              ' | ' + board[3*i+2])  
    if (i == 1):  
        print('-----')
```

## # Wining

```
def wining(board, l)
```

if (board[0] == l and board[1] == l and board[2] == l)

or (board[3] == l and board[4] == l and board[5] == l)

or (board[6] == l and board[7] == l and board[8] == l)

or (board[0] == l and board[3] == l and board[6] == l)

or (board[1] == l and board[4] == l and board[7] == l) or

(board[2] == l and board[5] == l and board[8] == l)

or (board[0] == l and board[4] == l and board[8] == l)

or

(board[2] == 1 and board[4] == 1 and board[6] == 1)

# empathy

def moves()

sun = True

while (sun):

more = int(input("Select position for X:"))

try:

if (more >= 0 and more < 9):

if (empty(more))

sun = False

but OX('X', more)

else

but ("Space Occupied")

else

but ("Invalid position")

except

print ("Please type number again")

but board(board)

if (winning(board, 'X')) == True:

return "winner is X"

if (boardFull(board)):

return "no winner"

sun = True

while (sun):

more = int(input("Select position for O:"))

try:

if (more >= 0 and more < 9):

if (empty(more))

sun = False

but OX('O', more)

else

but ("Space Occupied")

enough

board (Please type, number next)  
if "winning (board, 0' == 1 wall)  
return "win in 0"

def BoardFull (board)

if " " is board

return False

else

return True

def main () :

white !. BoardFull (board))

Mover () .

### Algorithm

- ① Take a list named as board for elements, keep it empty.
- ② Define a function party OR to put the letter in the position.
- ③ Check if the board is empty i.e. the position, then return true.
- ④ Make a function put board to put the board.
- ⑤ Define a function to check for all winning condition.
- ⑥ Define the function move to input
  - i.  $\rightarrow X \rightarrow$  check if board is empty with empty function
  - ii. Put it on the board to put it.  
→ Check the winning condition using min(1)
  - Check if the board is full
- ⑦ Check for O → check for empty but in position by party
- ⑧ Check again if the board is full
- ⑨ Move main function to call move () till board becomes full.

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Would you like to go first or second? (1/2)

1  
| |  
---+---+  
| |  
---+---+  
| |

Player move: (0-8)

4  
| |  
---+---+  
| 0 |  
---+---+  
| |

X | |  
---+---+  
| 0 |  
---+---+  
| |

Player move: (0-8)

2  
X | | 0  
---+---+  
| 0 |  
---+---+  
| |

X | | 0  
---+---+  
| 0 |  
---+---+  
X | |

Player move: (0-8)

3  
X | | 0  
---+---+  
0 | 0 |  
---+---+  
X | |



x		o
---	---	---
o	o	
---	---	---
x		



x		o
---	---	---
o	o	x
---	---	---
x		

Player move: (0-8)

7

x		o
---	---	---
o	o	x
---	---	---
x	o	

x	x	o
---	---	---
o	o	x
---	---	---
x	o	

Player move: (0-8)

8

x	x	o
---	---	---
o	o	x
---	---	---
x	o	o

The game was a draw.

Continue playing? (y/n)

n

- 8 puzzle problem using BFS

from queue import Queue

```
def put_board(board):
    for row in board:
        print(row)
    print()
```

```
def get_blank_position(board):
    for i in range(3):
```

Algorithm :-

1. First of all, we consider a queue i.e import it.  
→ from queue import Queue

- 2) Create a board with the help of function & print rows.

```
def p_board(board):
    for row in board:
        print(row)
    print()
```

- 3) We check empty places

```
def i_in_range(3):
```

```
def get_blank_position(board):
```

```
for i in range(3):
```

```
for j in range(3):
```

```
if board[i][j] == 0:
```

return 1, 1

✓ To check if move is valid

def valid-move(x, y):

return  $0 \leq x \leq 3$  and  $0 \leq y \leq 3$

✓ function for swap

def swap(board, x1, y1, x2, y2):

board[x1][y1], board[x2][y2] =

board[x2][y2], board[x1][y1]

✓ Main function

# Creating a set for the visited states

visited = set()

# A queue for BFS traversal

q = queue()

If queue is not empty, add to visited board

if current state is equal to goal state

return moves

- get the blank position

we can have the possible moves is

move = [(0, 1), (1, 0), (0, -1), (-1, 0)]

for move in moves:

new-x, new-y = blank + move(0)

blank-y + move(1)

✓ check if the move is valid; swap  
✓ make a new state

✓ if board not visited, add to queue,  
add to visited, move more.

Code:

from queue import Queue

def get\_b\_potion(board):

for i in range(3):

    for j in range(3):

        if board[i][j] == 0,  
            return i, j

def is\_valid\_move(x, y):

    return 0 <= x < 3 and 0 <= y < 3

def swap(board, x1, y1, x2, y2):

    board[x1][y1], board[x2][y2] =

    board[x2][y2], board[x1][y1]

def solve\_puzzle(initial\_state, goal\_state):

    initial = set()

    queue = Queue()

    queue.put((initial, 0))

    while not queue.empty():

        current\_state, move\_count = queue.get()

        initial.add(tuple(tuple for tuple in current\_state))

        if current\_state == goal\_state:

            return move\_count

        blank\_x, blank\_y = get\_blank\_pos(current\_state)

        moves = [(0, 1), (1, 0), (0, -1), (-1, 0)]

        for move in moves:

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new\_x, new\_y = blank\_x + move(0), blank\_y  
+ move(1)

if is valid - more((new\_x, new\_y)):

new\_state = (new\_x, new\_y) for row in

current state ]

swap(new\_state, blank\_x, blank\_y,  
new\_x, new\_y)

if tuple(map(tuple, new\_state))

queue.put((new\_state, more\_out+1))  
more\_out + add(tuple(map(tuple, new\_state)))

return more

initial\_state = [

[1, 2, 3],  
[0, 6, 5],  
[4, 7, 8]

]

goal\_state = [

[0, 1, 2],  
[3, 4, 5],  
[6, 7, 8]

]

more\_out = solve\_puzzle(initial\_state, goal\_state)

if more\_out is not None:

bmts ("Minimum number of moves:", more\_out)

else:



1	2	3
4	5	6
0	7	8

1	2	3
0	5	6
4	7	8

1	2	3
4	5	6
7	0	8

0	2	3
1	5	6
4	7	8

1	2	3
5	0	6
4	7	8

1	2	3
4	0	6
7	5	8

1	2	3
4	5	6
7	8	0

success

## 8. Puzzle using IDDFS

### Algorithm

→ defining the goal state

goal state = [1, 2, 3]

[8, 0, 4]

[7, 6, 5]

return state = goal state

def get actions(state):

→ define the possible actions to move the blank tile  
actions = [] → create an empty list  
blank\_row, blank\_col = find-blank(state)

### Possible action

if blank\_row > 0:  
action.append("up")

blank\_row < 2:  
action.append("down")

blank\_col > 0:  
action.append("left")

blank\_col < 2:  
action.append("right")

### return algo.

if find-blank(state):

# Find the row and column index of  
the blank tile (0)

For i in range(3):

for j in range(3):

if state[i][j] == 0:

return i, j

- Apply the action to move the blank tile  
def apply\_action(state, action):

new\_state = [row.copy() for row in state]  
blank\_row, blank\_col = find\_blank(state)

if action == "up":

new\_state[blank\_row][blank\_col], new\_state[blank\_row - 1][blank\_col] =  
new\_state[blank\_row - 1][blank\_col], 0

elif action == "down":

new\_state[blank\_row][blank\_col], new\_state[blank\_row + 1][blank\_col] = new\_state[blank\_row + 1][blank\_col],  
new\_state[blank\_row + 1][blank\_col], 0

elif action == "left":

new\_state[blank\_row][blank\_col], new\_state[blank\_row][blank\_col - 1] =  
new\_state[blank\_row][blank\_col - 1], 0

elif action == "right":

new\_state[blank\_row][blank\_col], new\_state[blank\_row][blank\_col + 1] =  
new\_state[blank\_row][blank\_col + 1], 0

return new\_state

def left\_h\_limited\_search(state, parent=None,  
action=None, depth=0, depth\_limit=0):

- If the state is the goal state

return the action

elif depth == depth\_limit

return None

else get possible actions

new state  $\leftarrow$  application(state, a)

result  $\leftarrow$  d-l-s(new state, state, depth + 1,  
depth - limit)

if result  $\leftarrow$  not None:

return result

return None

TODFS

D-l = 0

while True:

result = d-l-s (initial-state, d-l = d-l)

if result  $\leftarrow$  None or None:

return result

d-l = +1

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Code:

def dfr(puzzle, goal, getmoves):  
import itertools

def df(route, depth):

if depth == 0,  
return route

if route[-1] == goal:  
return route

for move in get\_moves(route[-1]):

if move not in route,

next\_route = dfr(route + [move], depth - 1)

if next\_route:

return next\_route

for depth in itertools.count(1):

route = dfr([puzzle], depth)

if route:

return route

def possible\_moves(state):

b = state[0:3]

if b not in [0, 1, 2]:

l.append('u')

if b not in [6, 7, 8]:

l.append('d')

if b not in [0, 3, 6]:

l.append('l')

if b not in [2, 5, 8]:

l.append('r')

for move in l:

for i in d:

for - moves. offend (generate (state, i, b))  
return for - moves

def generate (state, m, b):

temp = state . copy ()

if m == 'l':

temp [b+3] = temp [b], temp [b] = temp [b+3], temp [b+3]

if m == 'u':

temp [b-3] = temp [b], temp [b] = temp [b-3], temp [b-3]

if m == 'r':

temp [b-1] = temp [b], temp [b] = temp [b-1], temp [b-1]

if m == 'd':

temp [b+1] = temp [b], temp [b] = temp [b+1], temp [b+1]

return temp

initial = (1, 2, 3, 0, 4, 5, 7, 8, 6)

goal = (1, 2, 3, 4, 5, 6, 7, 0, 8)

route = id\_dfs ( initial, goal, formula max )

if route:

print ("Success")

print ("Path, node")

else:

print ("Failed")

D

Output:

Success!! It is possible to solve 8 Puzzle problem  
Path: [[1, 2, 3, 0, 4, 6, 7, 5, 8], [1, 2, 3, 4, 0, 6, 7, 5, 8], [1, 2, 3, 4, 5, 0, 7, 6, 8]]

\* 8 puzzle problem using A\*

- (1) Create initial and goal state for puzzle.
- (2) We calculate value at each step  
 $f\text{ value} = h\text{ value} + \text{path cost}$
- (3) Choose the direction where f value is least.  
 & no. of steps
- (4) we reach to the goal state when  
 $f\text{ value} = 0$ .
- (5)  $F(n) = h(n) + g(n)$   
 heuristic      goal state      path cost
- (6) Now check the heuristic cost of each  
 of the child node and expand only those  
 who have least heuristic value.
- (7) This will go on until we get h as 0  
 & g become answer

1	2	3
4	5	6
0	7	8

$h = 3, g = 0$   
 $f = 3$

$$h = 3, g = 1$$

1	2	3
4	5	6
7	0	8

$f = 4$

1	2	3
4	5	6
7	0	8

$h = 2, g = 1$   
 $f = 3$

1	2	3
4	0	6
7	5	8

$$h = 3$$

$$g = 2$$

$$f = 5$$

1	2	3
4	5	6
0	7	8

$$h = 3$$

$$g = ?$$

$$f = 5$$

1	2	3
4	5	6
7	0	8

Code

Class Node

def \_\_init\_\_(self, data, level, feature):

    self.data = data

    self.level = level

    self.feature = feature

def generate\_child(self):

    x, y = self.find(self.data, ' - ')

    walllist = [(x, y-1), (x, y+1), (x-1, y), (x+1, y)]

    children = []

    for i in walllist:

        child = self.shuffle(self.data, x, y, i(0), i(1))

        if child is not None:

            childNode = Node(child, self, level+1, 0)

            children.append(childNode)

    return children

def shuffle(self, hen, x1, y1, x2, y2):

    if x2 = 0 and y2 < len(self.data) and y2 = 0

        and y2 < len(self.data)

        leaf\_piz = []

        leaf\_piz = self.copy(piz)

        leaf = leaf\_piz[x2][y2]

        leaf[x2][y2] = leaf\_piz[x1][y1]

        leaf\_piz[x1][y1] = leaf

        return leaf\_piz

    else:

        return None

    def copy(self, piz):

        leaf = []

        for i in root:

            t = []

for  $i$  in  
   $\text{t} \cdot \text{affel}(i)$   
   $\text{tanh} \cdot \text{affel}(t)$   
  return  $\text{tanh}$   
  class Purple  
  def \_\_init\_\_(self, size)  
    self.m = size  
    self.n = size  
    self.bn = 0  
    self.bn = 1  
  self.bn = self.bn + 1  
  return self.bn

for  $i$  in range(0, self.m):  
   $\text{tanh} \cdot \text{softmax}(\text{t} \cdot \text{softmax}(i))$   
   $\text{tanh} \cdot \text{softmax}(\text{tanh})$   
  return  $\text{tanh}$   
  self.bn = self.bn + 1  
  return self.bn  
  self.bn = self.bn + 1  
  return self.bn  
  self.bn = self.bn + 1  
  return self.bn

for  $i$  in range(0, self.m):  
  for  $j$  in range(0, self.m):  
    if start(i) > goal(j) &  
      start(i) < goal(j):  
        tanh += 1  
  return tanh

OIP

enter the start state enter the goal state

1 2 3	1 2 3	1 2 3
4 5 6	4 5 6	4 5 6
- 7 8	7 0 -	- 7 8
1 2 3	1 2 3	
4 5 6	4 5 1	
7 - 8	7 8 -	

→ Enter the start state matrix

1 2 3  
4 5 6  
\_ 7 8

Enter the goal state matrix

1 2 3  
4 5 6  
7 8 \_

|  
|  
\ /

1 2 3  
4 5 6  
\_ 7 8

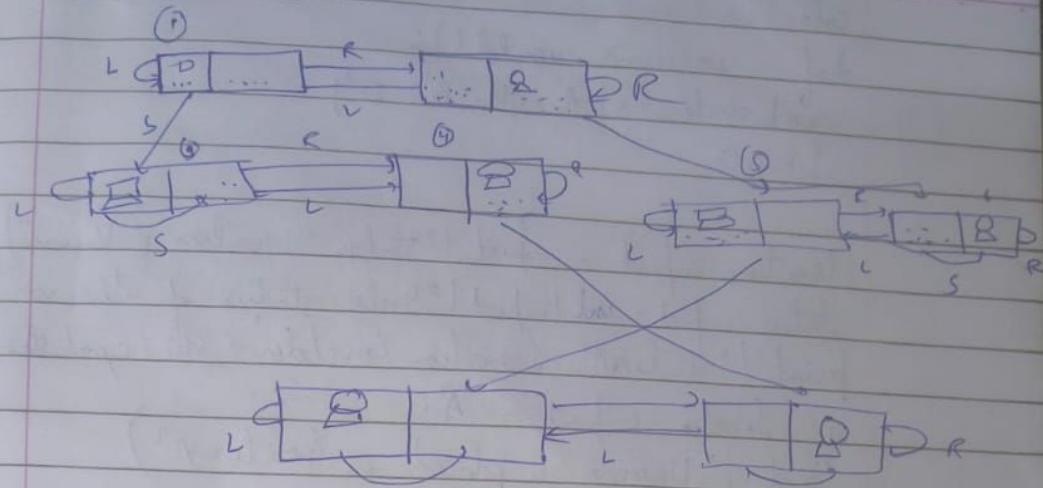
|  
|  
\ /

1 2 3  
4 5 6  
7 \_ 8

|  
|  
\ /

1 2 3  
4 5 6  
7 8 \_

## Vacuum Cleaner



- Initialize a cleaning agent with 2 rooms & set the current room init (self, room1, room2)
- clean\_room (room) : initiates the cleaning function of each room, it calls the clean\_room function
  - clean\_room (room)  
if (room == 'clear')  
return ('clean')  
elif (room == 'dirty')  
'initiates cleaning'  
room = 'clean'  
return ('clean')
- If move to next room.  
count = 0;  
until the current room & other room  
if count = 2 and  
the move to next room

Code:

```
def vacuum_world():
    goal_state = {'A': 0, 'B': 0}
    cost = 0
```

location input - input ("Enter location of Vacuum")

status input = int (input ("Enter status of location"))

print ("Initial Location Condition + Str (goal state)")

if location - input == 'A':

print ("Vacuum is placed in location A")

if status - input == 1:

print ("Location A is Dirty")

goal state ['A'] = 0

cost += 1

print ("Cost for Cleaning A" + str (cost))

print ("Location A has been Clean")

if status - input complement == 1:

print ("Location B is dirty")

print ("Money kept to location B")

cost += 1

print ("Cost for moving RIGHT" + str (cost))

goal state ['B'] = 0

cost += 1

print ("Cost for SUCK" + str (cost))

print ("Location B has been Clean")

else:

print ("Location B is clean")

print ("Location B is already clean")

if status - input == 0:

print ("Location A is already clean")

if status - input complement == 1:

print ("Location B is Dirty")

put ("Moving Right to location B.")  
cost += 1

put ("Cost for moving right + str (cost))  
goal-state ("B") = 0  
cost += 1

put ("Cost for Suck" + str (cost))  
put ("location B has been (clean))  
else :

put ("No Action" + str (cost))  
put (cost)

put ("location B is already clean")

else : put (cost)

put ("location B is already clean")

if status\_input\_constraint = 1 + if A is dirty,

put ("location A is Dirty")

put ("Moving LEFT to location A")

cost += 1

put ("Cost for Suck" + str (cost))

put ("location A has been (clean))

else :

put ("No action" + str (cost))

put ("location A is already clean")

~~put ("GOAL STATE")~~

~~put (goal-state)~~

~~put ("Performance Measurement" + str (cost))~~

Karen said()

0 indicates clean and 1 indicates dirty

Enter Location of VacuumA

Enter status of A1

Enter status of other room1

Vacuum is placed in Location A

Location A is Dirty.

Cost for CLEANING A 1

Location A has been Cleaned.

Location B is Dirty.

Moving right to the Location B.

COST for moving RIGHT2

COST for SUCK 3

Location B has been Cleaned.

GOAL STATE:

{'A': '0', 'B': '0'}

Performance Measurement: 3

## Knowledge Base entailment

### Algorithm

-11 Creating a knowledge base

define symbols

$p = \text{Symbol}('p')$

$q = \text{Symbol}('q')$

$r = \text{Symbol}('r')$

$k-b = \text{And}($

Infer ( $p, q$ ), # if  $p$  then  $q$

Infer ( $\neg r$ ), # if  $q$  then  $r$

$\text{Not}(r)$

)

return knowledge-base

*Proceed*

def query\_entails (knowledge\_base, query) :

entailment = satisfiable ( And (knowledge\_base, Not (query)))

return not entailment

Code:

from sympy import symbols, And, Not, If, satisfiable

def create\_knowledge\_base():

p = symbols('p')

q = symbols('q')

r = symbols('r')

knowledge\_base = And(

Implication(p, q),

Implication(q, r),

Not(r)

)

return knowledge\_base

def query\_entails(knowledge\_base, query):

entailment = satisfiable(And(knowledge\_base, Not(query)))

return not entailment

If \_\_name\_\_ == "\_\_main\_\_":

kb = create\_knowledge\_base()

query = symbols('p')

Xmll = query\_entails(kb, query)

print("Knowledge Base:", kb)

print("Query:", query)



Knowledge Base:  $\neg r \And (\text{Implies}(p, q)) \And (\text{Implies}(q, r))$

Query: p

Query entails Knowledge Base: False

## knowledge-based Resolution

def negate\_literal (literal)

if literal (0) :-  
return literal '(1)

else :-  
return '~' + literal

def resolve (c1, c2)

resolved clause : et ((1)) set ((2))

for literal in c1

if negate\_literal (literal) in c2

resolved clause = resolve (literal)

resolved - clause . remove (negate literal)

(1) literal

def resolution (knowledge-base)

while True :

new clauses : set ()

for i, ci in enumerate (knowledge-base)

for j, cj in enumerate (knowledge-base)

~~if  $i \neq j$  =~~

~~new clause = resolve (ci, cj)~~

~~If lev(new-clause) = 0 & new-clause~~  
~~knowledge-base = new-clause add (new-clause)~~

~~if  $i \neq j \neq$~~

~~not new clause~~  
~~break~~

knowledge-base | = new-clause  
return knowledge-base

if -name = "Main"  
for q ('(P, b'), [~p, Y], [q, ~Y])  
result = resolution  
bnt ("Original KB", kb)  
bntl ("Resolved KB", result)

O/P:

inter statement = negation

The statement not entailed by knowledge-base

Step	Clauses	Derivation
------	---------	------------

---

1.	$R \vee \neg P$	Given.
----	-----------------	--------

2.	$R \vee \neg Q$	Given.
----	-----------------	--------

3.	$\neg R \vee P$	Given.
----	-----------------	--------

4.	$\neg R \vee Q$	Given.
----	-----------------	--------

5.	$\neg R$	Negated conclusion.
----	----------	---------------------

6.		Resolved $R \vee \neg P$ and $\neg R \vee P$ to $R \vee \neg R$ , which is in turn null.
----	--	--

A contradiction is found when  $\neg R$  is assumed as true. Hence,  $R$  is true.

## Unification

 $\tau_1$  $\tau_2$ 

e.g.:  $\text{know}([J, \tau_1, \tau_2]) \quad \text{know}([John, \tau_2])$   
 S:  $\tau_1 \leftarrow [Jane]$

Step 1: If term 1 or term 2 is a variable  
 constant, then:

a) term 1 or term 2 are identical  
 return NIL

b) If term 1 is available  
~~if term 1 occurs in term 2~~  
 return FAIL

else return  $\{\{(\tau_2) \leftarrow \tau_1\}\}$

c) If term 2 is a variable  
~~if term 2 occurs in term 1~~  
 return FAIL

else

return  $\{\{(\tau_1) \leftarrow (\tau_2)\}\}$

d) else return FAIL

Step 2: If predicate(term1) ≠ predicate(term2)  
 return FAIL

Step 3: Number of arguments ≠  
 return FAIL

Step 4. set(SUBST) = NIL

for i = 1 to the number of elements in  $\tau_1$   
 a) call unify( $\tau_1$  in  $\tau_1$ ,  $i$ th  $\tau_2$ )  
 put result into S

b.  $S = \text{FAIL}$

return FAIL

ii) If  $S \neq \text{NIL}$

- a - Apply  $S$  to the remainder of both  $L_1$  and  $L_2$
- b,  $\text{SUBST} = \text{APPEND}(S, \text{SUBST})$
- c, Return  $\text{SUBST}$

## → Unification Code

import re

```
def getAttributes(expression):
    expression = expression.split("(")[1:]
    expression = ":".join(expression)
    expression = re.split("\?|\|\(|\)|\?", expression)
    return expression
```

```
def getInitialPredicate(expression):
    return expression.split("(")[0]
```

```
def isConstant(char):
    return char.isupper() or ord(char) == 1
```

```
def isVariable(char):
    return char.islower() or ord(char) == 1
```

```
def replaceAttributes(exp, old, new):
    attributes = getAttributes(exp)
    for index, val in enumerate(attributes):
        if val == old:
            attributes[index] = new
```

```
predicate = getInitialPredicate(exp)
return predicate + "(" + ":".join(attributes) + ")"
```

```
def apply(exp, substitution):
    for substitution in substitution:
```

new, old = substitution

```
exp = replaceAttributes(exp, old, new)
return exp
```

def checkOwner(var, expr):  
 if expr.find(var) == -1:  
 return False  
 return True

def getFirstPart(expression):  
 attributes = getAttributes(expression)  
 return attributes[0]

def getRemainingPart(expression):  
 predicate = getInitialPredicate(expression)  
 attributes = getAttributes(expression)  
 newExpression = predicate + "(" + "+" + "-" + ")"  
 for i in range(1, len(attributes) - 1):  
 newExpression += attributes[i] + "+"  
 return newExpression

def unify(expr1, expr2):  
 if expr1 == expr2:  
 return True

if isConstant(expr1) and isConstant(expr2):  
 if expr1 != expr2:  
 return False

if isConstant(expr1):  
 return [expr1, expr2]

if isConstant(expr2):  
 return [expr2, expr1]

if isVariable(expr1):  
 if checkOwner(expr1, expr2):  
 return False

else:

return [(ent 2, ent 1)]

if variable (ent 2):

if check Owner (ent 2, ent 1):

return False

else,

return [(ent 1, ent 2)]

if getInitialPredicate(ent 1) != getInitialPredicate(ent 2),

but ("Predicates do not match. Can not  
be unified")

return False

attributeCont1 = len (getAttributes (ent 1))

attributeCont2 = len (getAttributes (ent 2))

if attributeCont1 != attributeCont2:

return False

head1 = getFirstPart (ent 1)

head2 = getFirstPart (ent 2)

initialSubstitution = unify (head1, head2)

if not initialSubstitution:

return False

if attributeCont1 == 1:

return initialSubstitution

tail1 = getRemainingPart (ent 1)

tail2 = getRemainingPart (ent 2)

remainingSubstitution = unify (tail1, tail2)

if not univarsal substitution:  
return False

univarsal substitution entered (universal Substitution)  
return univarsal Substitution

sub 1 = "know( A, x )"

sub 2 = "know( y, V )"

substitution = unify( sub 1, sub 2 )

first "Substitution :")

list ( Substitutions )

Solutions:

$[ (x, y), (y, V) ]$

Substitutions:

[('A', 'y'), ('Y', 'x')]

For to CNF conversion

X Step 1: Remove implications  
within "Or (Not(1) and (0?)), (part 07)"

Step 2: apply demorgan law  
formula replace ("Not(Not; Not(Not))") & replace  
("Not(Not; Not(Not))")

Step 3: disburse quantifiers  
formula replace ("Forall(); All(); exists(); Or();")

Step 1: create a list of SKOLEM-CONSTANTS

Step 2. Fix  $\forall \exists$

If the attributes are lower case, replace them  
with a skolem constant

remove used skolem constant or further from  
list

If the attributes are both lowercase and upper case,  
replace the uppercase attribute with a skolem  
function.

Step 3: Replace  $\Rightarrow$  with  $\neg \perp$

transform as  $Q \Rightarrow (P \Rightarrow Q) \wedge (\neg P \vee Q)$

Step 4. Replace  $\neg$  with  $\perp$

transform as  $\neg Q = \perp \vee Q$

Step 5: Apply demorgan law

replace  $\sim$

as  $\sim P \sim Q \sim P \wedge Q$  if () was present  
otherwise  $\sim P$

as  $\sim P \vee \sim Q \sim P \vee Q$  if ( ) was present

otherwise  $\sim P \vee \sim Q$

FOL to CNF calc:

def getAttributes (story):

expr = '\[(\+)]+\\"

matches = re.findall(expr, story)

return [m for m in matches if m[0] is alpha(1)]

def getPredicates (story):

expr = '\[(\-\=)]+\\"((A-Za-z)\+)+\\"'

return re.findall(expr, story)

def DeMorgan (sentence):

story = join(lit(sentence), 'by(1)')

story = story.replace('"\', '')

flag = '[' in story

story = story.replace('"\[', '')

story = story.replace('"\]'')

for predicate in getPredicates(story):

story = story.replace(predicate, f'~{predicate}'')

s = lit(story)

for i, c in enumerate(story):

if c == 'I':

s[i] = 'l'

elif c == 'd':

s[i] = 'l'

story = join(s)

story = story.replace('"\', '')

return f'[{story}]' if flag else story

def Skolemization (sentence) :

SKOLEM\_CONSTANTS = ['I' ? char(c) & for c  
in range(97, ord('A'), ord('Z') + 1)]

statement = ". join(lit(sentence), why(1))  
matches = re.findall('(\w+)', statement)  
for match in matches [: :- 1]:  
 statement = statement.replace(match, '')

statement = re.findall('(\w+)(\w+\w+)',  
statement)

for s in statement:

statement = statement.replace(s, s[1:-1])

for predicate in getPredicates(statement):

attribute = getAttribute(predicate)

if "'", join(attribute) in lower():

inhat ee

def fol\_to\_cnf(fol):

statement = fol.replace("=>", " - ")

while ' - ' in statement:

i = statement.index(' - ')

new\_statement = 'C' + statement[:i]

+ '=>' + statement[i+1:] + ']' & '[' + statement  
(i+1:) + ']'

statement = new\_statement

statement = statement.replace("=>", " - ")

sub = '\[(\w+)\], ) \w+,

statement = re.findall(sub, statement)

for i, s in enumerate(statements):

if 'C' in s and ']' not in s  
statements[i] += ']'

for s in statements:

statement = statement.replace(s, f'do {s}')

while '-' in statement:

i = statement.index('-')

br = statement.index('[') if '[' in  
statement else 0

new\_statement = '~' + statement[br:i] + ']' +  
statement[i+1:]

while '~V' in statement:

i = statement.index('~V')

statement = list(statement)

statement[i], statement[i+1], statement  
(i+2) = ']', statement[i+1], statement[i+2] = '~'

statement = ''.join(statement)

while '~F' in statement:

i = statement.index('~F')

list(statement)

s(i), s(i+1), s(i+2) = 'V', s(i+2)

statement = ''.join(s)

statement = statement.replace('~(V', '(~V')

Statement = statement.replace('~(F', '(~

enpr = '(~(V|F)).Y'

for s in statement:

statement = statement.replace(s, DeMorgan(s))

return statement

pred(Chalmazation[fol ~ cui ~ ("animal(y))])

$\rightarrow$  lower(x, y)  $\rightarrow$  cui("Vx[b(y)]")

pred(Chalmazation[fol ~ cui ~ ("lower(z, u)"))]

animal(y)  $\rightarrow$  lower(x, y)  $\rightarrow$  ("lower(z, u))

pred(fol ~ cui ~ ("Cannibal(u) & weapon(y))")

$\rightarrow$  seller(x, y, z) & hostile(z)  $\rightarrow$  cannibal(u))")

[~ animal(y) | lower(x, y)] & [~ lower(x, y) | animal(y)]

[~ animal(G(u)) & ~ lower(x, G(u))] | lower(f(h),

z)]

[~ animal(u) | ~ weapon(y) | ~ seller(x, y, z)]

[~ hostile(z) | cannibal(u)]

$\neg \text{bird}(x) \mid \neg \text{fly}(x)$

$[\neg \text{bird}(A) \mid \neg \text{fly}(A)]$

## Foarul Chaining

### Algorithm

- 1) Initialize the Agenda  
    i) Add the query to the agenda
- 2) While the Agenda is not empty:
  - a, pop a statement from agenda
    - i) If the statement is already known, continue to next statement
    - ii) if it is a fact, add it to the set of known facts
    - iii) If the statement is a rule, apply the rule to generate new statements and add them to agenda.

Code:

infert re

def invariable (n),  
 return len(n) == 1 and n.islower() or  
 n in alpha()

def getAttributes (string)  
 enfp = '\\"([^\"])+\\\"'  
 matches = re.findall (enfp, string)  
 return matches

def getPredicates (string):  
 enfp = '([a-zA-Z]+)\\"([^\"]+)\"'  
 return re.findall (enfp, string)

class Expr:

def \_\_init\_\_(self, expression),  
 self.expression = expression

predicate, parav = self.split (expression)

self.predicate = predicate

self.parav = parav

self.Renult = aux (self.getContents())

def splitExpression (self, expression):

predicall = getPredicates (expression)

parav = getAttributes (expression) (07.11)

('()').split (';')

return [predicate, parav]

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Page \_\_\_\_\_

```
def getParam(self):
    return self.params
```

```
def getContact(self):
    return (None if not Variable(c) else c
            for c in self.params)
```

```
def getVariables(self):
    return [(c if not Variable(c) else f(c)
            for c in self.params)]
```

```
def substitute(self, contents):
    c = contents.copy()
    f = f"self.predicate({c}), pos({c})
        onleft = bob(0) if not Variable(c) else f
        for p in self.params])"
    return Fact(f).simplify()
```

class Implication:

```
def __init__(self, expression):
    self.expression = expression
    l = expression.simplify('=>')
    self.lhs = [Fact(f) for f in l[0].split('&')]
    self.rhs = Fact(l[1])
```

```
def evaluate(self, facts)
```

contents = {f}

new\_lns = {f}

for fact in facts:

for val in self.lhs:

if val.predicate == fact.predicate:

for l, v in enumerate(val.getVariables())

if val\_predicate := fact · predicate

if v:

contact (v) = fact . get contact  
new\_val (affert) (fact)

predicate\_attributor = get predicate of all the atoms  
(67) stir (get\_attributes (self . attrtributor)) (0)

for key in contact:

if contact (key):

attributor = attributor · replace (key,  
contact (key))

expr = f · { predicate, y } {allenliste }

return fact(expr) if len (new\_val) not all  
get result (1 for f in new\_val) else None

class KB:

def \_\_init\_\_(self)

self . fact = set () self . path = set ()

self . implication = set ()

def . tell (self , e)

{ '=>' in e:

self . implication . add (complement (e))

else:

self . fact . add (fact (e))

for n in self . implication:  
n . derivable (self . path)



if self-faith add (new)

def query (self, e):

    faith = set ('It is proven for f in self-faith')

    f = |

    print(f'Query({e}) = {f}' )

def display (self):

    print ("All paths")

for i, f in enumerate (set (f.e for f in self-faith))

    print(f'{i} \t {f} \t {i + f} \t {f \* f}' )

kb = kb (E)

kb.all ('mail (v) => weather (n)')

kb.tell ('mail (m)')

kb.tell ('enemy (v), Anglia => hostile (v)')

kb.tell ('anew (n)')

kb.tell ('new (N), New (N)')

kb.tell ('own (n), M. (n)')

kb.tell ('own (n) & own (Non n) => self (n)')

kb.tell ('available (v) & weather (y) & self (x) & ~

    unusual (n)')

kb.query ('unusual (n)')

kb.display

Query Unusual (x):

g. Unusual (went)

All paths:

- c, Aneum (West)
- 2, Sel (West, N, Noe)
- 3, Nunde (M.)
- 4, Eneng (Noe, Aneum)
- 5, Cund (West)
- 6, weapon (M.)
- 7, omu (Noe, M.)
- 8, holt (Noe)

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Querying `criminal(x)`:

1. `criminal(West)`

All facts:

1. `enemy(Nono,America)`
2. `missile(M1)`
3. `sells(West,M1,Nono)`
4. `weapon(M1)`
5. `hostile(Nono)`
6. `criminal(West)`
7. `owns(Nono,M1)`
8. `american(West)`