```
robot=FunctionHolder;
a1=robot.a1;a2=robot.a2;a3=robot.a3; a4=robot.a4;
realpathPoints=robot.realpathPoints;
OrientZ=robot.OrientZ;
%% shift of coordinates from end effector to base of Link4
pathPoints=realpathPoints;
for j=1:size(realpathPoints,2)
    pathPoints(1,j) = realpathPoints(1,j) + a4*sin(OrientZ(j));
    pathPoints(2, j) = realpathPoints(2, j) -a4*cos(OrientZ(j));
end
%% Konwn Transformation matrix from end effector to base of robot
Te0=cell(1, size(realpathPoints, 2));
for i=1:size(pathPoints,2)
    TeO\{i\} = [cos(OrientZ(1,i)) - sin(OrientZ(1,i)) \ O pathPoints(1,i); sin(OrientZ(1,i)) \ V
cos(OrientZ(1,i)) 0 pathPoints(2,i);
        0 0 0 pathPoints(3,i);0 0 0 1];
end
velPathPoints=[0 0;0 0;0 0];
%% Trajectory Planning
%From Cartesian coordinates to Joint variable using inverse kinematics
JointVariables=zeros (5, size (pathPoints, 2));
JointVariablesdot=zeros(5, size(pathPoints, 2));
for i=1:size(pathPoints,2)
    I=robot.InverseKinematics(Te0{i},a1,a2,a3);
    JointVariables (1, i) = I(1, 1);
    JointVariables (2,i)=I(1,2);
    JointVariables (3, i) = I(1, 3);
    JointVariables (4, i) = I(1, 4);
    JointVariables (5, i) = OrientZ(i); %known orientation of end effector wrt base
end
%% Cubic Polynomial trajectory generation in joint space
T = [0 \ 3];
                                                % TIme elapsed
t=0:0.05:T(size(T,2));
NoOfJoints=5;
                                                %joint 5 is not the joint but the ∠
orientation of end effector wrt base.
NoOfCubicPoly=size(pathPoints,2)-1;
coefficentOfPoly=cell(1,NoOfJoints);
theta=cell(1,NoOfJoints);
coefficientMatrix=cell(NoOfJoints, NoOfCubicPoly);
for j=1:NoOfJoints
    for k=1:NoOfCubicPoly
        C1=(robot.CoefficientsOfCubic(T(k),T(k+1),JointVariables(j,k),JointVariables 

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(j,k+1),JointVariablesdot(j,k),JointVariablesdot(j,k+1)));
        coefficentOfPoly\{j\}\{1,k\}=C1\{1,1\};
        coefficentOfPoly\{j\}(2,k)=C1(2,1);
        coefficentOfPoly\{j\}(3,k)=C1(3,1);
        coefficentOfPoly\{i\}\{4,k\}=C1\{4,1\};
        coefficientMatrix{j,k}=C1;
```

```
end
end
for k=1:NoOfCubicPoly
           for j=1:NoOfJoints
                       for i=1:length(t)
                                  if t(i) \le T(k+1) &  t(i) > = T(k)
                                             theta\{j\}(i)=double(coefficientMatrix\{j,k\}(1,1)+coefficientMatrix\{j,k\}\checkmark
 (2,1)*t(i)+coefficientMatrix{j,k}(3,1)*t(i)^2+coefficientMatrix{j,k}(4,1)*t(i)^3);
                                  end
                       end
           end
end
%% Main Code
% Forward Kinematics
T10=cell(1, size(t,2)); T21=cell(1, size(t,2)); T32=cell(1, size(t,2)); T43=cell(1, size(t, \mathbb{L}))
2));T20=cell(1,size(t,2));
T30=cell(1, size(t,2)); T40=cell(1, size(t,2)); xm=zeros(1, size(t,2)); ym=zeros(1, size(t, \checkmark
2)); zm=zeros(1, size(t,2));
for j=1:length(t)
           T10\{j\}=[\cos(\text{theta}\{1\}(j)) -\sin(\text{theta}\{1\}(j)) \ 0 \ 0; \sin(\text{theta}\{1\}(j)) \ \cos(\text{theta}\{1\}(j)) \ \kappa
0 0;0 0 1 a1;0 0 0 1];
           T21\{j\}=[1 \ 0 \ 0 \ a2;0 \ 1 \ 0 \ 0;0 \ 0 \ 1 \ theta\{2\}(j);0 \ 0 \ 0 \ 1];
           T32\{j\}=[\cos(\theta_3)(j)) -\sin(\theta_4)] 0  a3*\cos(\theta_4);  a3*\cos(\theta_4)
cos(theta{3}(j)) 0 a3*sin(theta{3}(j));0 0 1 0;0 0 0 1];
           0 0;0 0 1 0;0 0 0 11;
           T20\{\dot{j}\}=T10\{\dot{j}\}*T21\{\dot{j}\};
           T30\{j\}=T20\{j\}*T32\{j\};
           %modified end effector position
           xm(j)=T30\{j\}(1,4)-a4*sin(theta\{5\}(j));
           ym(j) = T30\{j\} (2,4) + a4*cos(theta\{5\}(j));
           zm(j) = T30\{j\}(3,4);
end
%% Animation
plot3([0 0],[0 0],[0 0],'Color',[0.5 0.5 0],'LineWidth',2); %Link1
axis([-1.5 1.5 -1.5 1.5 0 3]);
xlabel('x-axis','FontSize',10,'Color',[1,0,0]);
ylabel('y-axis','FontSize',10,'Color',[1,0,0]);
zlabel('z-axis','FontSize',10,'Color',[1,0,0]);
grid on
hold on
h1=plot3([0 0],[0 0],[0 0],'Color',[1 0 0],'LineWidth',2,'DisplayName','Link1'); % \(\varphi\)
h2=plot3([0 0],[0 0],[0 0],'Color',[0 1 0],'LineWidth',2,'DisplayName','Link2'); %

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h3=plot3([0 0],[0 0],[0 0],'Color',[0 0 1],'LineWidth',2,'DisplayName','Link3'); % \( \sigma \)
```

```
link3
h4=plot3([0 0],[0 0],[0 0],'Color',[0 0 0.5],'LineWidth',2,'DisplayName','Link4'); % \( \sigma \)
h5=plot3([realpathPoints(1,1) realpathPoints(1,2)],[realpathPoints(2,1) 

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realpathPoints(2,2)],[realpathPoints(3,1) realpathPoints(3,2)], ...
    '--','Color',[0.5 0 0.5],'LineWidth',2,'DisplayName','Line btw start and end'); % ∠
straight trajectory
h6=plot3(xm(1),ym(1),zm(1),'--','Color',[1 0 0.5],'LineWidth', 
2, 'DisplayName', 'EndeffectorPosition'); %end effector position
legend;
i=0;
while i<=3
    for j=(2:length(t))
         set(h1, 'XData', [0 T10{j}(1,4)], 'YData', [0 T10{j}(2,4)], 'ZData', [0 T20{j} \( \n' \)
(3,4)]);
         \mathtt{set}\,(\texttt{h2},\texttt{'XData'},\texttt{[T10\{j\}(1,4)\ T20\{j\}(1,4)]},\texttt{'YData'},\texttt{[T10\{j\}(2,4)\ T20\{j\}}\,\boldsymbol{\angle},\texttt{(T10\{j,4),4)})
(2,4)], 'ZData', [T20{j}(3,4) T20{j}(3,4)]);
         set(h3, 'XData', [T20{j}(1,4) T30{j}(1,4)], 'YData', [T20{j}(2,4) T30{j} ⊾
(2,4)], 'ZData', [T20{j}(3,4) T30{j}(3,4)]);
         set(h4,'XData',[T30{j}(1,4) xm(j)],'YData',[T30{j}(2,4) ym(j)],'ZData',[T30⊀
\{j\}(3,4) \text{ zm}(j)\};
         set(h6, 'XData', xm(1:j), 'YData', ym(1:j), 'ZData', zm(1:j));
         pause (0.1);
    end
end
```