DS 116 - Data Visualization

Time series visualization

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Time Series

- Series of data observed over time
- Anything that is observed over time are time series
- Eg.: Daily IBM stock prices, monthly rainfall in London, Annual GDP of Armenia

Time Series:

- A sequence of data in chronological order
- Data is commonly recorded sequentially, over time
- Time series data is everywhere

Why to study time series separately?

- Sequence of the data does matter
- Look for the pattern in sequence
- ullet Usually autoregressive in nature (value in time t depends on the value in time t-1)

```
rates <- read.csv('Data/exchange_rates.csv')
head(rates)

## Date EUR USD
### Date EUR USD
```

```
## 1 2005-01-04 661.22 486.05

## 2 2005-01-05 649.65 486.05

## 3 2005-01-07 646.32 488.75

## 4 2005-01-08 651.25 493.37

## 5 2005-01-10 653.41 495.01

## 6 2005-01-11 651.73 497.39
```

str(rates)

```
## 'data.frame': 3926 obs. of 3 variables:
## $ Date: chr "2005-01-04" "2005-01-05" "2005-01-07" "2005-01-08" ...
## $ EUR : num 661 650 646 651 653 ...
## $ USD : num 486 486 489 493 495 ...
```

Symbol	Meaning	Example
%d	day as a number (0-31)	31-Jan
%a	abbreviated weekday	Mon
% A	unabbreviated weekday	Monday
%m	month (00-12)	00-12
%b	abbreviated month	Jan
%В	unabbreviated month	January
%у	2-digit year	7
% Y	4-digit year	2007

We have

- 2-digit year (%Y)
- month (%m)
- day (%d)

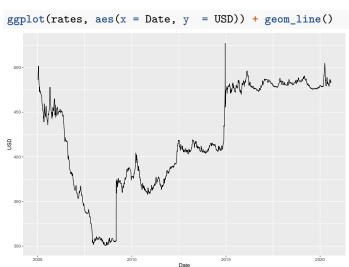
values are separated by -

Change the format to date

```
rates$Date <- as.Date(rates$Date, format = '%Y-%m-%d')
str(rates)

## 'data.frame': 3926 obs. of 3 variables:
## $ Date: Date, format: "2005-01-04" "2005-01-05" ...
## $ EUR: num 661 650 646 651 653 ...
## $ USD: num 486 486 489 493 495 ...
```

Now ggplot understands X axis as a date



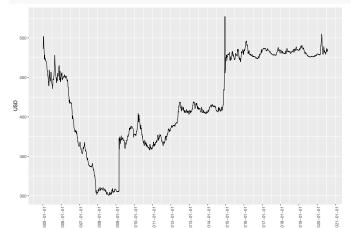
Customize the plot: breaks

```
ggplot(rates, aes(x = Date, y = USD)) + geom_line() +
    scale_x_date(breaks = 'year')
```



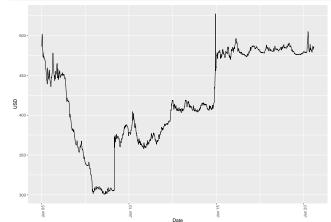
Fix the angle

```
ggplot(rates, aes(x = Date, y = USD)) + geom_line() +
    scale_x_date(breaks = 'year') +
    theme(axis.text.x = element_text(angle = 90))
```



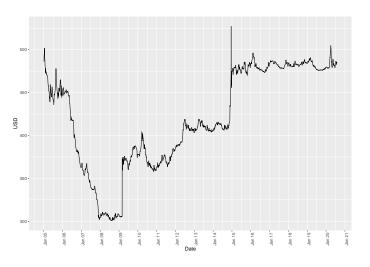
Change the format of data label

```
ggplot(rates, aes(x = Date, y = USD)) + geom_line() +
    scale_x_date(date_labels = '%b %y') +
    theme(axis.text.x = element_text(angle = 90))
```



Breaks and data labels together

```
ggplot(rates, aes(x = Date, y = USD)) + geom_line() +
  scale_x_date(breaks = 'year', date_labels = '%b %y') +
  theme(axis.text.x = element_text(angle = 90))
```



R has several specific classes for time series, the basic is ts()

```
t1 <- ts(c(103,44,78,52,90), start=2012)
class(t1)
## [1] "ts"
```

t1

Time Series: ## Start = 2012 ## End = 2016 ## Frequency = 1 ## [1] 103 44 78 52 90

Habet Madoyan (American University of Armenia)

- When creating a ts object, it is important to determine the "frequency" of the series.
- The frequency is the number of observations before the seasonal pattern repeats.
- Or otherwise it is showing how many times during the time period the observation was taken

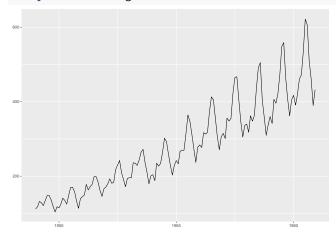
Frequency when the time period is a year

Data	Frequency
Annual	1
Quarterly	4
Monthly	12
Weekly	52

Air Passengers data Monthly totals of international airline passengers, 1949 to 1960, thousands.

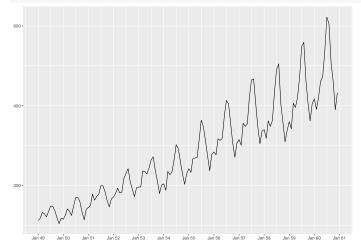
autplot() is a generic method from ggplot2 package that draws a plot for an object of a particular class in a single command.

autoplot(AirPassengers)



Autoplot is a ggplot object and is used as a ggplot object!

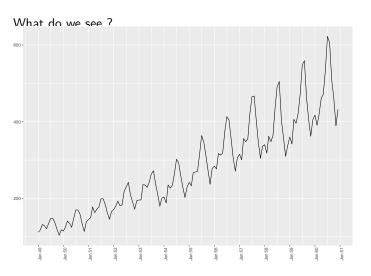
```
autoplot(AirPassengers) +
   scale_x_date(breaks = 'year', date_labels = '%b %y')
```



We visualize time series to see the patterns:

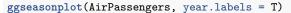
There are three main patterns in time series

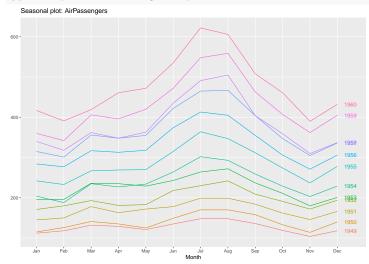
- Trend pattern exists when there is a long-term increase or decrease in the series. It can be linear, exponential, or different one and can change direction during time.
- Seasonality exists when data is influenced by seasonal factors, such as a day
 of the week, a month, and one-quarter of the year. A seasonal pattern exists
 for a fixed known period.
- Cyclic pattern occurs when data rise and fall, but this does not happen within the fixed time and the duration of these fluctuations is usually at least 2 years.



Few other ways of visualization to spot patterns:

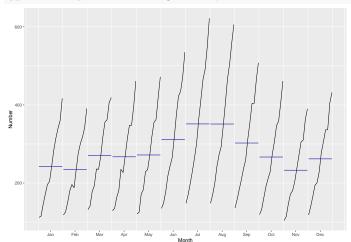
- A seasonal plot is similar to a time plot except that the data are plotted against the individual "seasons" in which the data were observed.
- An example is given for the Air Passengers data.





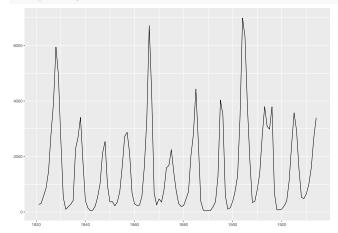
Subseries plot

ggsubseriesplot(AirPassengers) + ylab("Number")



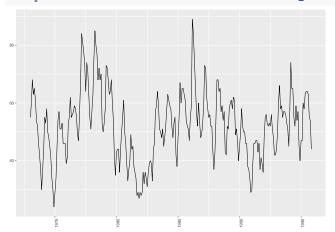
The plot shows the famous Canadian lynx data – the number of lynx trapped each year in the McKenzie river district of northwest Canada (1821-1934)

autoplot(lynx)

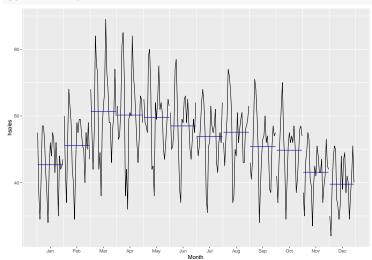


Monthly sales of new one-family houses sold in the USA (1973-1995)

autoplot(hsales) + theme(axis.text.x = element_text(angle = 90))

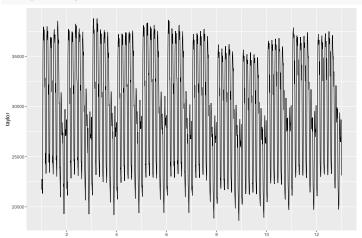


ggsubseriesplot(hsales)



Half-hourly electricity demand in England and Wales from Monday 5 June 2000 to Sunday 27 August 2000

autoplot(taylor)



Time series decomposition

Time series data can exhibit a variety of patterns, and it is often helpful to split a time series into several components, each representing an underlying pattern category.

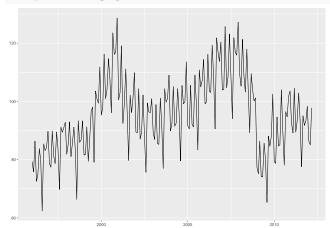
We have discussed three types of time series patterns: trend, seasonality and cycles. When we decompose a time series into the following components:

- Combine the trend and cycle into a single trend-cycle component (sometimes called the trend for simplicity).
- Seasonal Component
- A remainder component (containing anything else in the time series).

More on the mathematical functions for the decomposition can be see seen here

Monthly manufacture of electrical equipment: computer, electronic and optical products. January 1996 - March 2012.

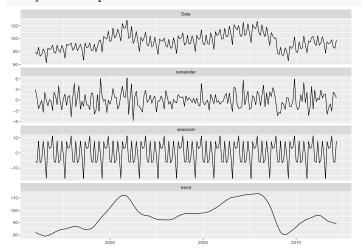
autoplot(elecequip)



Decomposing time series:

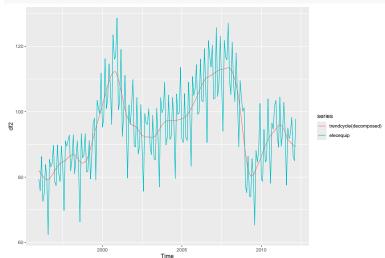
- t.window is the number of consecutive observations to be used when estimating the trend-cycle;
- s.window is the number of consecutive years to be used in estimating each value in the seasonal component.

decomposed <- stl(elecequip, s.window = 'periodic', t.window = 13)
autoplot(decomposed)</pre>

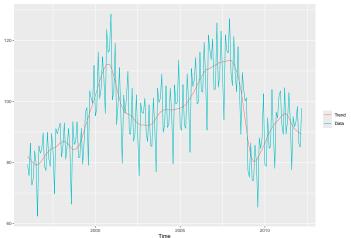


head(decomposed\$time.series)

df2 <- cbind(trendcycle (decomposed), elecequip)
autoplot(df2)</pre>

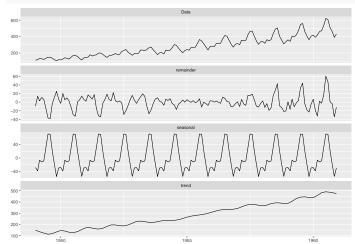


```
autoplot(df2) +
  scale_color_discrete(labels = c('Trend', 'Data'), name = '') +
  labs(y = "")
```



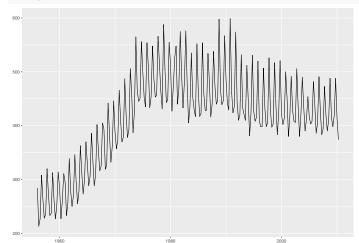
Decomposing AirPassangers data

air_dec <- stl(AirPassengers,s.window = 'periodic', t.window = 13)
autoplot(air_dec)</pre>



Total quarterly beer production in Australia (in megalitres) from 1956:Q1 to 2010:Q2.

autoplot(ausbeer)



```
dec <- stl(ausbeer, s.window = 'periodic', t.window = 4)</pre>
autoplot(dec)
   600
500 -
400 -
300 -
200 -
                               remainder
25 -
-25 -
50 -
25 -
-25
                                trend
500 -
450 -
400 -
350 -
300 -
```

1980

2000

STL is using LOESS for the decomposition of time series, however there are other methods as well. decompose() function does additive or multiplicative decomposition - works with moving average

- ullet S_t is the seasonal component of the time series at the time period t
- T_t is the trend-cycle period
- R_t is the random component

Additive decomposition

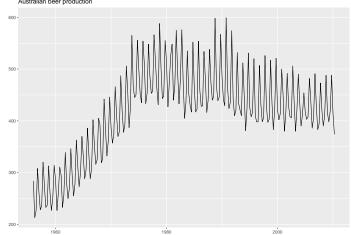
$$y_t = S_t + T_t + R_t$$

Multiplicative decomposition

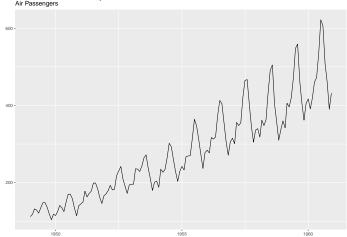
$$y_t = S_t * T_t * R_t$$

- Additive decomposition is used when variation in seasonal component is pretty stable
- Multiplicative decomposition is used when variation in seasonal pattern is increasing over time

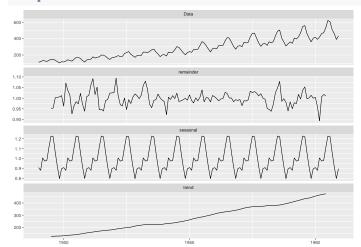
$\underset{\text{Australian beer production}}{\mathsf{Additive}} \text{ or multiplicative model ?}$



$\underset{\mbox{\scriptsize Air Passengers}}{\mbox{Additive or multiplicative model ?}}$



```
dec <- decompose(AirPassengers, type = 'multiplicative')
autoplot(dec)</pre>
```



- Correlation measures the extent of a linear relationship between two variables,
- Autocorrelation measures the linear relationship between lagged values of a time series.

$$r_{k} = \frac{\sum_{t=k+1}^{T} (y_{t} - \bar{y})(y_{t-k} - \bar{y})}{\sum_{t=1}^{T} (y_{t} - \bar{y})^{2}}$$

There are several autocorrelation coefficients, corresponding to each lag.

- r_1 correspondents to the correlation between y_t and y_{t-1}
- r_2 correspondents to the correlation between y_t and y_{t-2}

Autocorrelation plot helps to:

- Understand the trend and seasonality in the data
- Choose appropriate forecasting method

lag explained

6 135 121 129

```
b <- as.vector(AirPassengers)

Lag1 <- Hmisc::Lag(b,1)

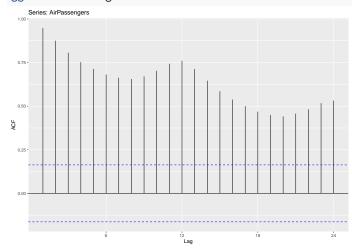
Lag2 <- Hmisc::Lag(b,2)

df <-data.frame(b,Lag1, Lag2)

head(df)

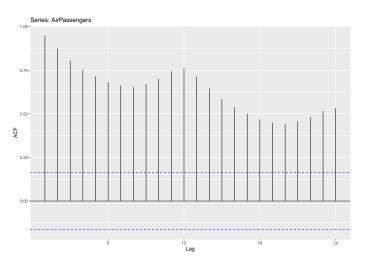
## b Lag1 Lag2
## 1 112 NA NA
## 2 118 112 NA
## 3 132 118 112
## 4 129 132 118
## 5 121 129 132 1
```

ggAcf(AirPassengers)



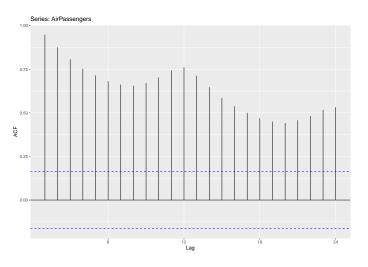
Trend

When data have a trend, the autocorrelations for small lags tend to be large and positive because observations nearby in time are also nearby in size. So the ACF of trended time series tend to have positive values that slowly decrease as the lags increase.

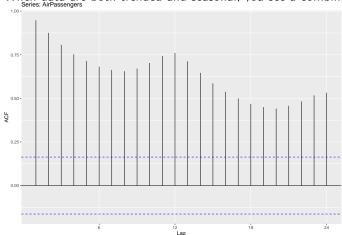


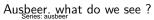
Seasonality

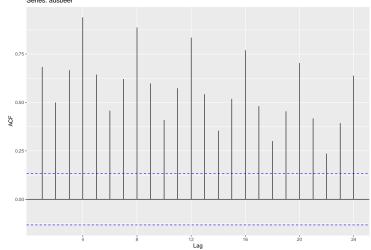
When data are seasonal, the autocorrelations will be larger for the seasonal lags (at multiples of the seasonal frequency) than for other lags.

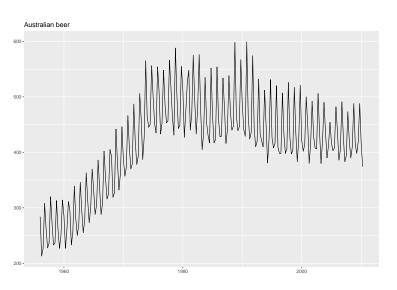


When data are both trended and seasonal, you see a combination of these effects. $_{\mbox{\scriptsize Series: AirPassengers}}$



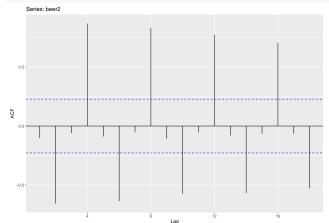






Lets look at the second part of the plot only, starting from 1992, use function $\mathsf{window}()$

```
beer2 <- window(ausbeer, start=1992)
ggAcf(beer2)</pre>
```



california.rda contains data on hourly energy consumption in California for the period of 2016-01-01 to 2019-12-31.

The sampling frequency is an hour

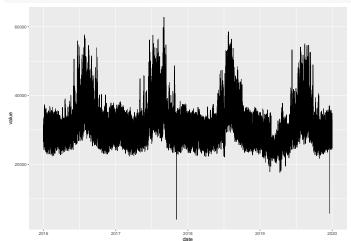
You can get more energy related data using *library(eia)* or from the website of US Energy Information Agency

value shows energy demand per hour in megawatt

```
## date value
## Min. : 2016-01-01 00:00:00 Min. : 3984
## 1st Qu.:2016-12-31 05:45:00 1st Qu.:26991
## Median :2017-12-31 11:30:00 Median :30584
## Mean :2017-12-31 11:30:00 Mean :31603
## 3rd Qu.:2018-12-31 17:15:00 3rd Qu.:34084
## Max. : 2018-12-31 3:00:00 Max. : 62787
```

plot the demand

ggplot(california, aes(date, value)) + geom_line()



Take a moment to think what are the seasonal periods in this data ?

```
cali_ts <- msts(california$value, seasonal.periods=c(24,24*7,24*365),
                           start = 2016 + 1/365*24
mstl(cali_ts) %>% autoplot()
 60000 -
 40000 -
 20000
 32500 -
 32000 -
 31500 -
 31000 -
 30500 -
 10000 -
 5000 -
 -5000 -
-10000 -
 2000 -
   0-
 -2000 -
 -4000 -
 10000 -
 5000 -
 -5000 -
 10000 -
 5000 -
 -5000 -
-10000 -
-15000 -
                         2017
```

Autocorrelation plot

ggAcf(cali_ts, lag.max = 48)

