

Bangabandhu Sheikh Mujibur Rahman Agricultural University

EDGE_Batch-11

Mid Exam

Marks: 20 Time: 90 minutes

Name: ...Ummay Habiba.....

Reg. No:...18-05-4603.....Dept....Agronomy.....

Note: Submit the completed file to nazmol.stat.bioin@bsmrau.edu.bd and keyadas57@bsmrau.edu.bd with subject **EDGE11_Mid_Your registration number_ Dept.**

1. Short Questions

(5*1=05)

1. When comparing the means of two related groups (e.g., pre-test and post-test), the ... **paired t-test**..... test is used, assuming the data is normally distributed.
 2. In regression analysis, the **t-test**..... test is used to determine if the slope of a regression line is significantly different from zero, assuming normally distributed residuals.
 3. In testing for normality, the ..**Shapiro-Wilk test**..... test is used to check if a data set follows a normal distribution, assuming that the data are parametric.
 4. The ..**Kruskal-Wallis test**..... non-parametric test is used when comparing three or more independent groups.
 5. The ..**Spearman's rank correlation**..... correlation measures the degree of association between two variables when both are measured at the ordinal level.
-
2. For the given data set “Reg1”,
 - a) Present a correlation plot among independent variables using corrplot package.
 - b) Check the assumptions and fit a multiple linear regression model.
 - c) Apply forward selection method (stepwise regression) to find best subset of the independent variables.

Answer to the ques no 2

(a)

Here is the code.

```
Data <- read.csv("Reg1.csv")
```

```
library("corrplot")
```

```
correlations <- cor(Data[,-1])
```

```

corrplot(correlations,
         method = "circle",
         col = colorRampPalette(c("lightgreen", "white", "darkgreen"))(200),
         tl.col = "black",
         mar = c(0, 0, 3, 0))
title("Correlation Plot", col.main = "black", cex.main = 1.2)

```

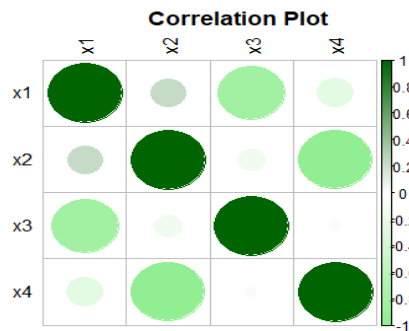


Figure: correlation plot among independent variables using corrplot package

Interpretation: This is a correlation plot where size and color of the circles indicate the strength and direction of the correlation between independent variables (X1, X2, X3, X4). In Darker and larger circles represent stronger correlations, with blue indicating positive correlations and lighter shades represent weaker correlation and no correlations means absence of color.

(b)

Here is the code.

```

Data <- read.csv("Reg1.csv", header=T)
head(Data)
model1<-lm(y~.,data=Data)
summary(model1)
AIC(model1)
abline(lm(y~.,data=Data))
model2<-lm(y~x1+x2+x3+x4,data=Data)

```

```
summary(model2)
```

```
AIC(model2)
```

```
abline(lm(y~x1+x2+x3+x4,data=Data))
```

```
model3<-lm(y~0+x1+x2+x3+x4,data=Data)
```

```
summary(model3)
```

```
AIC(model3)
```

```
abline(lm(y~0+x1+x2+x3+x4,data=Data))
```

```
par(mfrow = c(2, 2))
```

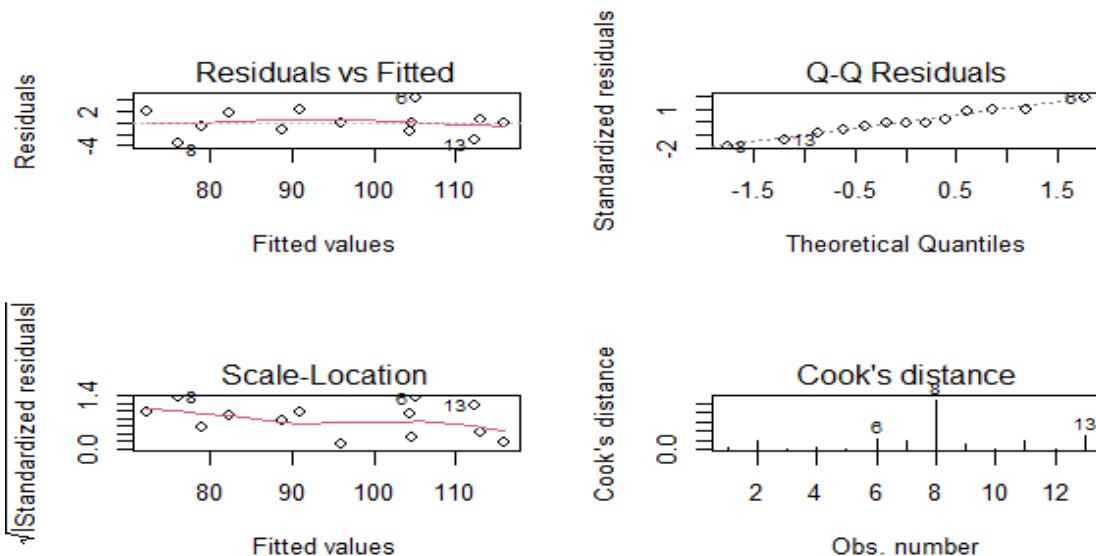
```
plot(model3, which = 1)
```

```
plot(model3, which = 2)
```

```
plot(model3, which = 3)
```

```
plot(model3, which = 4)
```

There are 3 multiple linear regression model (model1, model 2, model 3). In model1 and model2, R-square value is 0.9824 and AIC value is 65.83669. In model3, R-square value is 0.9996 and AIC value is 65.06563. All the model has high R-square value, and $p < 0.05$ which is significant. But, in model3, R-square value is higher than any other models, AIC value is lower than any other models. Four plots for model3 are given below:



(c)

Here is the code.

```
library(MASS)
stepwise_model <- stepAIC(lm(y ~ 1, data = Data),
                          scope = list(lower = ~1, upper = ~x1 + x2 + x3 + x4),
                          direction = "forward")
summary(stepwise_model)
```

Result:

Residuals:

Min	1Q	Median	3Q	Max
-3.0919	-1.8016	0.2562	1.2818	3.8982

Coefficients:

	Estimate	Std. Error	t value	Pr(> t)
(Intercept)	71.6483	14.1424	5.066	0.000675 ***
x4	-0.2365	0.1733	-1.365	0.205395
x1	1.4519	0.1170	12.410	5.78e-07 ***
x2	0.4161	0.1856	2.242	0.051687 .

Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Residual standard error: 2.309 on 9 degrees of freedom

Multiple R-squared: 0.9823, Adjusted R-squared: 0.9764

F-statistic: 166.8 on 3 and 9 DF, p-value: 3.323e-08

Interpretation:

Intercept (71.6483): This is predicted value of y when all independent variables are 0.

x4 (-0.2365): For every unit increase in x4, y decreases by 0.2365 units, holding other variables constant. However, p-value(0.205) indicates that it is not statistically significant.

x1 (1.4519): For every unit increase in x1, y increases by 1.4519 units, holding other variables constant. This variable is highly significant (p-value < 0.001).

x2 (0.4161): For every unit increase in x2, y increases by 0.4161 units, holding other variables constant. It is marginally significant (p-value = 0.0517).

3. A randomized complete block design was conducted considering four blocks, seven levels/treatments. Afterward, the yield of certain plant characteristics was observed. The data regarding this experiment were given in the file “RBDdata”. Answer the following question using this data.

- Construct an ANOVA table using the mentioned dataset based on R programming.
- Write down the null hypothesis of the treatment effects and interpret the results based on the ANOVA table.
- Perform a post-hoc test for the treatments and draw a bar diagram with lettering.

Answer to the ques no 3

(a)

Here is the dataset based on r programming.

```
Data.RCBD<-read.csv("RBDdata.CSV")
Data.RCBD<-Data.RCBD[,2:4]
Rep<-c("Rep1","Rep2","Rep3","Rep4")
Treat<-c("Treat1","Treat2","Treat3","Treat4","Treat5","Treat6","Treat7")
r<-length(Rep)
t<-length(Treat)
Block<-gl(r,t,r*t,factor(Rep))
Treat<-gl(t,1,r*t,factor(Treat))
ANOVA.RCBD<-aov(YIELD~Block+Treat,
                 data=Data.RCBD)
summary(ANOVA.RCBD)
```

ANOVA Table

	Df	Sum Sq	Mean Sq	F value	Pr(>F)
Block	3	1742	580.7	29.61	3.55e-07 ***
Treat	6	12148	2024.6	103.24	5.96e-13 ***
Residuals	18	353	19.6		

Signif. codes: 0 ‘***’ 0.001 ‘**’ 0.01 ‘*’ 0.05 ‘.’ 0.1 ‘ ’ 1

(b)

The null hypothesis based on treatment effects:

H0: $\mu_1 = \mu_2 = \mu_3 = \dots = \mu_t$ & the alternative hypothesis is H1 which is opposite to H0.

H1: $\mu_1 \neq \mu_2 \neq \mu_3 \neq \dots \neq \mu_t$

ANOVA Table

	Df	Sum Sq	Mean Sq	F value	Pr(>F)
Block	3	1742	580.7	29.61	3.55e-07 ***
Treat	6	12148	2024.6	103.24	5.96e-13 ***
Residuals	18	353	19.6		

Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

From the ANOVA table, p value is less than 0.05. So, the null hypothesis is rejected. It indicates that there is significant differences among treatments effects.

(c)

Here is the r code for post Hoc test.

```
library(agricolae)
PostHoc.Test<-with(Data.RCBD,HSD.test(YIELD,Treat,DFerror=18,MSerror=19.6))
YIELD groups Lettering
Treat6 133.25 a
Treat3 127.00 ab
Treat5 125.75 ab
Treat1 125.00 ab
Treat7 121.00 b
Treat4 87.75 c
Treat2 75.25 d
```

From this test, I can say that Treat6, Treat3, Treat5, Treat1 get the same letter which is lettering 'a'. So, these four treatments are better for getting better yield but Treat6 is the best in all of these treatments.

```
Mutplcom.TreatFact<-with(Data.RCBD,HSD.test
(YIELD,Treat,DFerror=18,MSerror=19.6))
library(gplots)
Treat.SE.Mat<-Mutplcom.TreatFact$means[, "se"]
Treat.Mean<-Mutplcom.TreatFact$groups
Mean.Mat<-Mutplcom.TreatFact$means
Mean.Mat<-Mean.Mat[order(-Mean.Mat$YIELD)]
Treat.Treat.Mean<-Treat.Mean$YIELD
```

```
Treat.SE<-Mean.Mat[, "se"]
Treat.SE.Mat<-Mutplcom.TreatFact$means[order(Mutplcom.TreatFact$means[, "se"])]
```

Here is the code for Barplot.

```
Barplot.Se<-barplot2(Treat.Treat.Mean,
  names.arg = rownames(Treat.Mean),
  xlab="Treatment",ylab="Yield",
  horix=F,plot.ci = T,
  ci.l=Treat.Treat.Mean-Treat.SE,
  ci.u=Treat.Treat.Mean+Treat.SE,
  col="lightblue")
text(Barplot.Se, 7,Treat.Mean$groups, cex=2,
  pos = 3, col= "black")
```

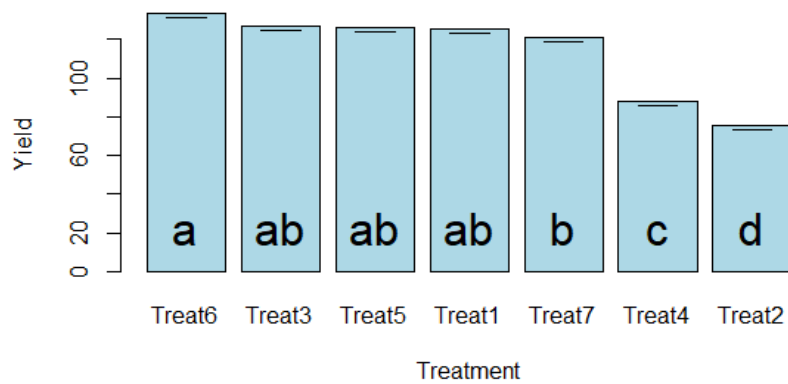


Figure: Barplot with treatment & yield