Modeling Ribosome Motion: Fitting Kinetic Rates from Ribo-seq Experiment Using Ballistic Model

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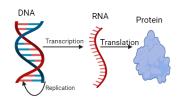




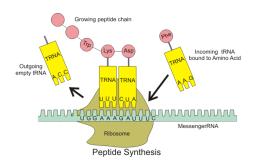


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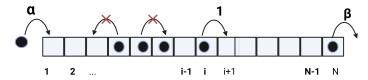
Genetic Translation



Central Dogma



Totally Asymmetric Simple Exclusion

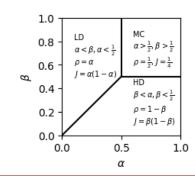


TASEP model

The two major quantities studied in TASEP are density and current expressed as:

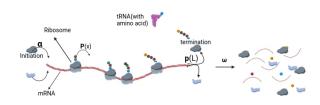
$$\rho = \frac{1}{L} \sum_{i} \rho_{i}$$

$$J = \rho v = p \rho (1 - \rho) \approx p \rho$$



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Ballistic Model



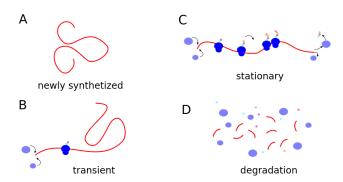
Ballistic model

- Ribosome initiates translation with stochastic rate α , elongates with deterministic rate p(x) and terminate the translation with rate $P(L) = \beta$, and get degraded with rate ω
- · Low density, neglecting interactions and hence no traffic jam

 $\tilde{\alpha} = \alpha T(I)$ $\tilde{\alpha} = \omega T(I)$ $\tilde{n}(r) = 0$

 $\tilde{\alpha} = \alpha T(L), \quad \tilde{\omega} = \omega T(L), \quad \tilde{p}(x) = p(x)T(L).$

Different stages of mRNA

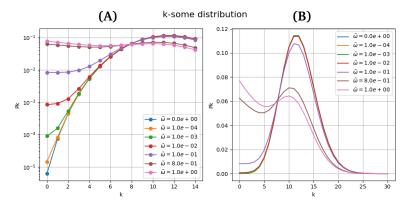


Some possible stages mRNA undergoes from its synthesis to degradation

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k-some Distribution

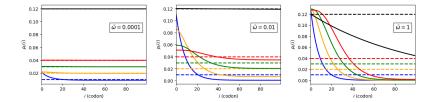
$$P_{k} = \frac{\tilde{\omega}}{\tilde{\alpha} + \tilde{\omega}} \left(\frac{\tilde{\alpha}}{\tilde{\alpha} + \tilde{\omega}} \right)^{k} \frac{\gamma(k+1, \tilde{\alpha} + \tilde{\omega})}{k!} + \frac{\tilde{\alpha}^{k}}{k!} e^{-(\tilde{\alpha} + \tilde{\omega})}, \tag{1}$$



The distribution P_k for $\tilde{\omega}$ from 0 to 1, with parameters fixed at T(L) = 200 s, L = 100 codons, and $\alpha = 0.06 \text{ s}^{-1}(A)$ In the lin-log graph(B) In the lin-lin

K-some Density

$$\rho_k(x) = \frac{\tilde{\alpha}}{P_k P(\tilde{x})} \frac{e^{-(\tilde{\alpha} + \tilde{\omega})}}{(k-1)!} + \frac{\tilde{\omega}}{P_k P(\tilde{x})} \left(\frac{\tilde{\alpha}}{\tilde{\alpha} + \tilde{\omega}}\right)^k \frac{\gamma(k, \tilde{\alpha} + \tilde{\omega}) - \gamma(k, (\tilde{\alpha} + \tilde{\omega})(\tau(x)))}{(k-1)!}$$



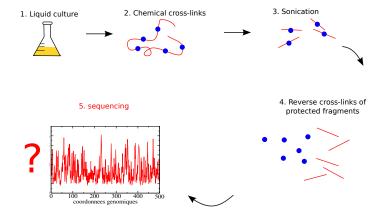
Plot of k-some densities ρ_k for k=1 to 4 against the genomic coordinate x with $\alpha=0.06$, p=0.5 and L=100 The black curve is for polysome density, and the dashed lines is for infinite lifetime; $\tilde{\omega}=0$

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Ribo-seq experiment and fitting procedure

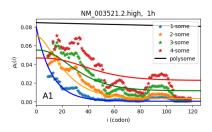
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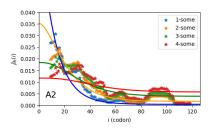
Ribo-seq experiment procedure

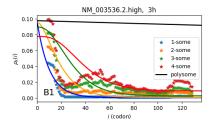


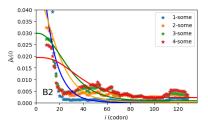
Experimental Observations During Genetic Translation

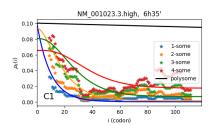
Experiment vs Ballistic model

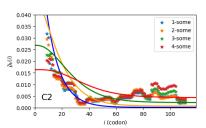


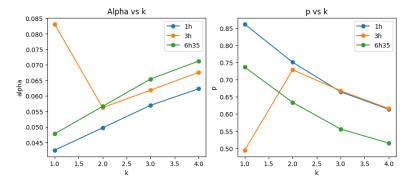






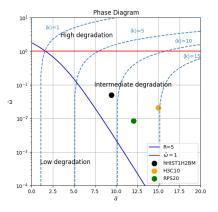






Fitted parameters α (left) and p (right) versus k for three genes: histone gene HIST1H2BM (blue), histone gene H3C10 (orange), and ribosomal protein RPS20 (green)

Phase Diagram



Phase diagram of the $(\tilde{\alpha},\tilde{\omega})$ plane showing the three phases of the ballistic model: low degradation (LD), intermediate degradation (ID), and high degradation (HD) seperated by $\tilde{\omega}=1\sim o(1)$ and $R(0)_1=5\sim o(1)$. The positions of the analyzed genes HIST1HBM (black dot), H3C10 (orange), and RPS20 (green) indicate their relevance to the intermediate degradation phase.

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Conclusion

- The ballistic model is solved analytically, and the *k*-some distribution and density profiles are obtained, showing the effect of finite lifetime on *k*-some density.
- From the ribo-seq data, the kinetic parameters α and p are fitted, and the variation with k the number of ribosomes is visualized.

Thank You for Your Attention!