

Data structure is the way of organising similar or dissimilar logically related data items.

### Data structures

Concrete  
again classified to

Abstract  
Primitive - basic units  
Non primitive  $\rightarrow$  array  
can divide as basic units

Static data structure  $\rightarrow$  at the time of compilation  
dynamic d.s  $\rightarrow$  at the time of execution  
memory is allocated - array  
memory is allocated - linked list

Linear  $\Rightarrow$  stored one by one  $\rightarrow$  stack, array, queue  
nonlinear  $\Rightarrow$  tree, graph  
continuous  $\rightarrow$  array  
noncontinuous  $\rightarrow$  linked list

## Module - 7

1. write an algorithm to insert an element at the beginning of the array

A. 1. initialize maximum no. of elements to be stored, MAX.

2. Input no. of elements of an array n.

3. Input elements of the array A

4. Input the element to be inserted K

5.  $i = n$

6. if  $n = \text{MAX}$

print "Insertion is not possible"

else

while  $i \geq 1$

$\{ A[i+1] = A[i]$

$i = i - 1$

$A[1] = K$

print elements of the array A.

2. write an algorithm to insert an element at the end of an array.

A.1. initialize maximum no. of elements to be stored, max.

2. Input the no. of elements of the array,  $n$

3. Input the elements of the array  $A[p]$  and  $n$

4. Input the number to be inserted,  $K$

if  $n = \text{max}$

print "Insertion is not possible"

else

$A[n+1] = K$

$n = n + 1$

print elements of the array

write algorithm to insert an element at the particular position.

1. initialize maximum no. of elements to be stored, max

2. Input the no. of elements of the array,  $n$

3. Input the elements of the array  $A[i]$

4. Input the number to be inserted,  $K$

if  $n = \text{max}$

print "Insertion is not possible"

else

$A[n+1] = K$

$n = n + 1$

print elements of the array

write algorithm to insert an element at the particular position.

else

while  $i \geq P$

$A[i+1] = A[i]$

$i = i + 1$

$A[P] = K$

$n = n + 1$

print the elements of the array

4. write algorithm to delete an element from the beginning

ii) from end

iii) from particular position

and print the deleted element

A.1. i) initialize maximum number of elements of the array, max

2. Input the no. of elements of the array,  $n$

3. Input the elements of the array  $A$

4.  $n = 0$

5. if  $n = 0$

print "deletion is not possible"

else

while  $i \leq n$

$A[i] = A[i+1]$

$i = i + 1$

$n = n - 1$

print elements of the array

ii) from end

iii) from particular position

and print the deleted element

6.  ~~$n = n - 1$~~   
 7. print ~~AC~~  
 4. print  $AC[i]$   
 5.  $i = 1$   
 6. if  $n = 0$   
     print "Deletion is not possible"  
     else  
         while  $i < n$   
         {  
              $AC[i] = AC[i+1]$   
              $i = i + 1$   
         }  
     print elements of the array  
     Initialize maximum no. of elements of the array, max  
     Input the number of elements, n  
     Input all elements of the array A  
     4. print  $AC[n]$   
     5. if  $n = 0$   
         print "deletion is not possible"

6. print elements of the array.  
 iii)   
 1. Initialise maximum no. of elements to be stored, max.  
 2. Input no. of elements, n  
 3. Input the elements of array A  
 4. Input the particular position to be deleted, m  
 5. if  $n = 0$   
     print "deletion is not possible"  
     else  
         while  $(i \geq m)$   
         {  
              $AC[i] = AC[i+1]$   
              $i = i + 1$   
         }  
     f.  $n = n - 1$   
     print the elements of the array, A

5. Write algorithm to find the no. of occurrences of the given element in an array of size  $n$ .

## Representation of Arrays in Memory

There are two types of representation of array in memory

- i) row major - stored in rows
- ii) column major - stored in columns

How to calculate the address of a particular element

Suppose the order of a 2D array is  $m \times n$ . What is the address of  $A[i][j]$ . Assume that the base address is  $B$ .

A\* In row major method

For 2D array

$$\text{eqn is } (i-1) \times n + j$$

for  $i = \text{no. of columns}$

(index = 1)

$$= B + (i-1) \times n + j$$

In column major method,

$$\text{eqn is } (j-1) \times m + i$$

$$= B + (j-1) \times m + i$$

- 5.1. 1. Initialise  $\text{flag} = 0$ ,  $A[20]$

2. Input the no. of elements  $n$

3. Input the array elements

4. Input the searching element,  $k$

5. for  $i = 0$  to  $i = n-1$  do

if  $A[i] = k$  then

flag = 1

Print number " $k$ " is occurring repeated

3 dimensional array

Row major :-

(i-1) x n x p + (j-1) x p + k

$$A[i, j, k]$$

For  $n$  dimensional array:

$m_1, m_2, m_3, \dots, m_n$

$A[i_1, i_2, i_3, \dots, i_n]$

$((i_1-1) \times m_2 \times m_3 \times \dots \times m_n +$

$(i_2-1) \times m_3 \times m_4 \times \dots \times m_n +$

$(i_3-1) \times m_4 \times \dots \times m_n +$

$(i_n-1) \times m_n + i_n)$

$(i_1-1) \times m_2 \times m_3 \times \dots \times m_n +$

$(i_2-1) \times m_3 \times m_4 \times \dots \times m_n +$

$(i_3-1) \times m_4 \times \dots \times m_n +$

$(i_n-1) \times m_n + i_n)$

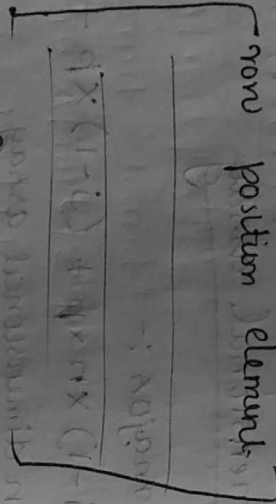


## Sparse matrix

It is the matrix in which majority elements are zero.

In sparse matrix representation no. of columns is limited to 3 columns.

(Index starts from zero), then the number of rows = no. of non-zero element + 1.



In first row, first

⇒ Total no. of rows

total no. of columns

total no. of non-zero elements

For example:-

$$\begin{bmatrix} 0 & 0 & 1 & 0 \\ 0 & 0 & 0 & 0 \\ 10 & 0 & 0 & 0 \\ 0 & 20 & 0 & 0 \end{bmatrix}$$

$$\Rightarrow \begin{bmatrix} 0 & 1 & 0 & 3 \\ 4 & 0 & 2 & 1 \\ 2 & 0 & 10 & 3 \\ 3 & 1 & 20 & 3 \end{bmatrix}$$

## Linked list

Linked list is used for dynamic memory allocation.

A pointer to a node is stored in the next field of a node.

1. Node structure:  $data \rightarrow next$

2.  $next = \text{address of next node}$

3.  $next = \text{address of next node}$

4.  $next = \text{address of next node}$

5.  $next = \text{address of next node}$

6.  $next = \text{address of next node}$

7.  $next = \text{address of next node}$

6. write algorithm and program to search an element from a set of  $n$  elements using binary search.

A. 1. Input the no. of elements of the array,  $n$

2. Input the elements of array  $A$

3. Sort the array element,  $K$

4. input searching element,  $K$   
initialise  $i = 0$  and  $j = n - 1$

5. while  $i \leq j$

{  
mid =  $\frac{i+j}{2}$

if  $A[mid] = K$

print "found"

else if  $A[mid] < K$

$i = mid + 1$

else else:

{  
 $j = mid - 1$

7. if  $i > j$

print "not found!!"

OR

1. Input the no. of elements,  $n$

2. Input the element of array  $A$

3. sort the array.

4. Input searching element,  $K$

5. initialise  $i = 0$  and  $j = n - 1$ ,  $flag = 0$

6. while  $i \leq j$

{  
mid =  $\frac{i+j}{2}$

if  $A[mid] = K$   
print "Found" and  $flag = 1$

else

if  $A[mid] < K$   
 $i = mid + 1$

else  $j = mid - 1$

}

7. if  $flag = 0$   
print "not found!!"

Linear Sorting

1. Input the number of elements of array,  $n$

2. Input the element of array  $A$

3. for  $i = 0$  to  $n - 2$  {  
 $j = i + 1$  to  $n - 1$  {

if  $A[i] > A[j]$   
temp =  $A[i]$

$A[i] = A[j]$

$A[j] = temp$