

Roll No: 2003028

Lab Evaluation 1

Lab Task Q1

Question: Create a Latex program which will format following text:

Solution (Latex Code):

```
\documentclass{book}
\usepackage{ulem}
\usepackage{fancyhdr}
\usepackage{amsmath}
```

```
\title{2003028}
\author{Md. Abdullah AL Mamun}
\begin{document}
```

```
\setlength{\topmargin}{5cm}
\setlength{\rightmargin}{5cm}
\setlength{\leftmargin}{5cm}
```

```
\maketitle
```

If $f(x,y)$ is a function, where f partially depends on x and y and if we differentiate f with respect to x and y , then the derivatives are called the partial derivatives of f . The formula for the partial derivative of f with respect to x , taking y as a constant, is given by:

```
\begin{center}

$$f_x = \frac{\partial f}{\partial x} = \lim_{h \rightarrow 0} \frac{f(x+h,y)-f(x,y)}{h}$$

\end{center}
```

And the partial derivative of f with respect y keeping x as constant, we get;

```
\begin{center}

$$f_y = \frac{\partial f}{\partial y} = \lim_{h \rightarrow 0} \frac{f(x,y+h)-f(x,y)}{h}$$

\end{center}
```

The Gradient of f at point (x_0, y_0) is defined as follows:

```
\begin{center}

$$\nabla f(x_0,y_0) = \begin{bmatrix} \frac{\partial f}{\partial x}(x_0,y_0) \\ \frac{\partial f}{\partial y}(x_0,y_0) \end{bmatrix}$$

\end{center}
\begin{center}

$$=$$

\begin{matrix}
\end{matrix}
\end{center}
```

```

\begin{matrix} f_x \\ f_y \end{matrix} \\
\end{matrix} \\
\end{center} \\
\end{document}

```

Output (Screen/SnapShot of Generated PDF):

2

If $f(x, y)$ is a function, where f partially depends on x and y and if we differentiate f with respect to x and y , then the derivatives are called the partial derivatives of f . The formula for the partial derivative of f with respect to x , taking y as a constant, is given by:

$$f_x = \frac{\partial f}{\partial x} = \lim_{h \rightarrow 0} \frac{f(x+h, y) - f(x, y)}{h}$$

And the partial derivative of f with respect y keeping x as constant, we get;

$$f_y = \frac{\partial f}{\partial y} = \lim_{h \rightarrow 0} \frac{f(x, y+h) - f(x, y)}{h}$$

The *Gradient* of f at point (x_0, y_0) is defined as follows:

$$\begin{aligned} \nabla f(x_0, y_0) &= \begin{bmatrix} \frac{\partial f}{\partial x}(x_0, y_0) \\ \frac{\partial f}{\partial y}(x_0, y_0) \end{bmatrix} \\ &= \begin{bmatrix} f_x \\ f_y \end{bmatrix} \end{aligned}$$

Lab Task Q2

Question: Create two chapters using same paragraph with formatting as in previous question in a two mini page whose margin will be narrow and there will be two footers with random texts.

Solution (Latex Code):

```
\documentclass{article}
\usepackage{ulem}

\title{2003028}
\author{Md. Abdullah AL Mamun}
\begin{document}

\maketitle

This research work is focused on detecting low-grade glioma tumorous cells in MRI images. Glioma is a common brain tumor, that exhibits properties of benign tumors. We used the TCGA-LGG Segmentation dataset for our research. It consists of 3929 brain tumor images and corresponding FLAIR abnormality segmentation masks obtained from 110 patients. \citation{wadhwa2019review}.

Table \ref{tab:encoder-models} lists the models used as encoder for U-Net architecture.

\begin{table}[htbp]
\centering
\caption{Models used for U-Net encoder and trainable blocks/stages for finetuning.}
\label{tab:encoder-models}
\begin{tabular}{c c c}
\hline
Family & Models & \\
Trainable Blocks \\\
\hline
EfficientNet & EfficientNetB0 to B7 & Block
30 to 32 \\\
DenseNet & DenseNet169, DenseNet201 & Block
7 \\\
VGG & VGG16, VGG19 & Block
5 \\\
\end{tabular}
\end{table}
```

```

\hline
\end{tabular}
\end{table}

\bibliographystyle{plain}
\bibliography{references}

\end{document}

```

Output (Screen/SnapShot of Generated PDF):

2003028

Md. Abdullah AL Mamun

January 14, 2024

This research work is focused on detecting low-grade glioma tumorous cells in MRI images. Glioma is a common brain tumor, that exhibits properties of benign tumors. We used the TCGA-LGG Segmentation dataset for our research. It consists of 3929 brain tumor images and corresponding FLAIR abnormality segmentation masks obtained from 110 patients. .

Table 1 lists the models used as encoder for U-Net architecture.

Table 1: Models used for U-Net encoder and trainable blocks/stages for fine-tuning.

Family	Models	Trainable Blocks
EfficientNet	EfficientNetB0 to B7	Block 30 to 32
DenseNet	DenseNet169, DenseNet201	Block 7
VGG	VGG16, VGG19	Block 5

References