

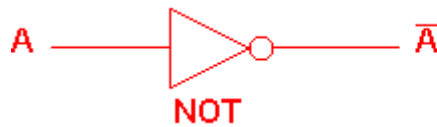


Lab Manual

Experiment Number < 1 >																																
1	Aim / Objective / problem statement	Study and verify the outputs of the logic gates (AND, OR, NOT, NAND, NOR, Ex-OR, and Ex-NOR).																														
	sample input	Input for all gates: A=0, B=1																														
	expected output	Suppose the output of all gates denoted by symbol X, then Output of NOT Gate: $X=1$ {for input A} Output of AND Gate: $X=0$ Output of OR Gate: $X=1$ Output of NAND Gate: $X=1$ Output of NOR Gate: $X=0$ Output of XOR Gate: $X=1$ Output of XNOR Gate: $X=0$																														
2	Theory	<p>AND Gate:</p> <p>A multi-input circuit in which the output is 1 only if all inputs are 1. A dot (.) is used to show the AND operation i.e. (A.B). The symbolic representation and truth table of the 2-input AND gate are given below:</p> <div style="display: flex; align-items: center; justify-content: center;">  <table border="1" style="margin-left: 20px;"> <caption>2 Input AND gate</caption> <thead> <tr> <th>A</th><th>B</th><th>A.B</th></tr> </thead> <tbody> <tr><td>0</td><td>0</td><td>0</td></tr> <tr><td>0</td><td>1</td><td>0</td></tr> <tr><td>1</td><td>0</td><td>0</td></tr> <tr><td>1</td><td>1</td><td>1</td></tr> </tbody> </table> </div> <p>OR Gate:</p> <p>A multi-input circuit in which the output is 1 when any input is 1. A plus (+) is used to show the OR operation i.e. (A+B). The symbolic representation and truth table of 2-input OR gate are given below:</p> <div style="display: flex; align-items: center; justify-content: center;">  <table border="1" style="margin-left: 20px;"> <caption>2 Input OR gate</caption> <thead> <tr> <th>A</th><th>B</th><th>A+B</th></tr> </thead> <tbody> <tr><td>0</td><td>0</td><td>0</td></tr> <tr><td>0</td><td>1</td><td>1</td></tr> <tr><td>1</td><td>0</td><td>1</td></tr> <tr><td>1</td><td>1</td><td>1</td></tr> </tbody> </table> </div>	A	B	A.B	0	0	0	0	1	0	1	0	0	1	1	1	A	B	A+B	0	0	0	0	1	1	1	0	1	1	1	1
A	B	A.B																														
0	0	0																														
0	1	0																														
1	0	0																														
1	1	1																														
A	B	A+B																														
0	0	0																														
0	1	1																														
1	0	1																														
1	1	1																														

NOT Gate:

The output is 0 when the input is 1, and the output is 1 when the input is 0. It is also known as an inverter. If the input variable is A, the inverted output is known as NOT A. This is also shown as A', or A with a bar over the top, as shown at the outputs. The symbolic representation and truth table of an inverter are given below:



NOT gate	
A	\bar{A}
0	1
1	0

NAND Gate:

AND followed by an INVERTER. The output of a NAND gate is high if any of the inputs are low. It is also known as universal gate. The symbolic representation and truth table of 2-input NAND gate are given below:



2 Input NAND gate		
A	B	$\overline{A \cdot B}$
0	0	1
0	1	1
1	0	1
1	1	0

NOR Gate:

OR followed by inverter. The outputs of a NOR gate is low if any of the inputs are high. It is also known as universal gate. The symbolic representation and truth table of 2-input NOR gate are given below:



2 Input NOR gate		
A	B	$\overline{A+B}$
0	0	1
0	1	0
1	0	0
1	1	0

Ex-OR Gate:

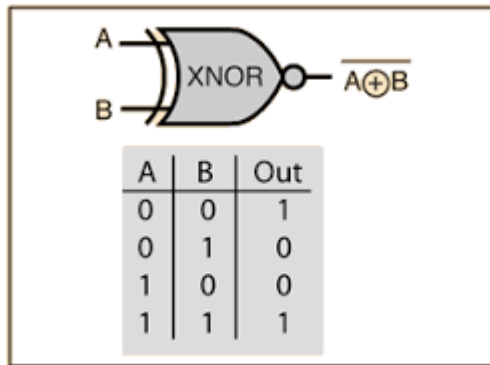
The output of the Exclusive-OR gate is 0 when its two inputs are the same and its output is 1 when its two inputs are different. **X-OR gate is a digital logic gate that gives a true (1 or HIGH) output when the number of true inputs is odd.** An encircled plus sign (\oplus) is used to show the XOR operation. The symbolic representation and truth table of 2-input XOR gate are given below:



2 Input EXOR gate		
A	B	$A \oplus B$
0	0	0
0	1	1
1	0	1
1	1	0

Ex-NOR Gate:

The output of the Exclusive-NOR gate, is 1 when its two inputs are the same and its output is 0 when its two inputs are different. **X-NOR gate is a digital logic gate that gives a true (1 or HIGH) output when the number of true inputs is even.** An encircled dot sign is used to show the Ex-NOR operation. The symbolic representation and truth table of 2-input XNOR gate are given below:

**3 Procedure****Steps:**

1. Start the simulator by using <https://circuitverse.org/simulator> link
2. Design the circuit as shown in the theory section.
3. Set the inputs as shown in the Input section
4. And verify the output as mentioned in the output section
5. Take the screenshot and create a PDF document
6. Upload this PDF document on the given assignment link onto the moodle.

4 Viva questions

1. How many AND gates are required to realize $Y = CD + EF + G$?
2. How many NAND gates are required to design a XOR gate? Draw XOR gate using NAND gate.
3. Which gates are the universal gates? Why these gates are called universal gates?

Experiment Number < 2>

1 Aim / Objective / problem statement **Implement Half Adder, Full Adder, Half Subtractor and Full Subtractor.**

sample input

Inputs for Half Adder and Half Subtractor
A=0, B=1

Inputs for Full Adder and Full Subtractor
A=0, B=1, C=1

expected output

Output of Half Adder
Sum S= 1, Carry C=0

Output of Half Subtractor
Diff D= 1, Borrow Bo =1

Output of Full Adder
Sum S= 0, Carry C=1

Output of Full Subtractor
Diff D= 0, Borrow Bo =1

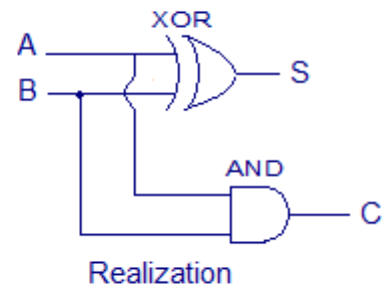
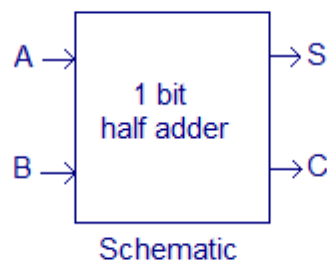
2 Theory

Half Adder:

The Half Adder is a combinational digital circuit that adds two binary digits and produces two outputs as Sum(S) and Carry (C). The circuit, Block diagram and truth table of Half Adder are shown below:

Inputs		Outputs	
A	B	S	C
0	0	0	0
1	0	1	0
0	1	1	0
1	1	0	1

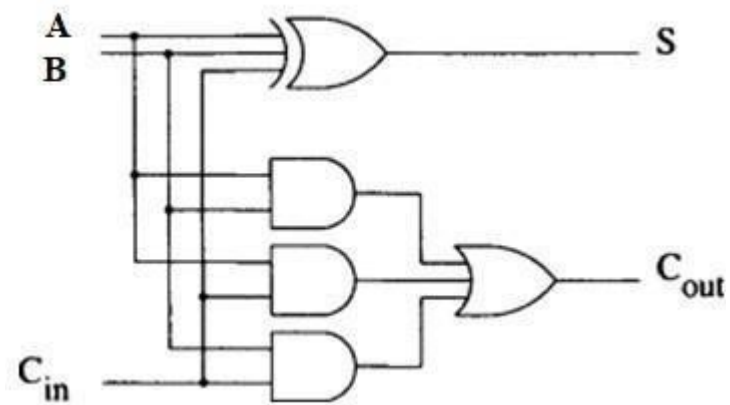
Truth table



Full Adder:

The Full Adder is a combinational digital circuit that adds three binary digits and produces two outputs as Sum (S) and Carry (C_{out}). The first two inputs are A and B and the third input is an

input carry designated as C_{in} . The circuit diagram and Truth Table of a full adder are given below:



Input(A)	Input(B)	Input(Cin)	Sum(S)	Carry(Cout)
0	0	0	0	0
0	0	1	1	0
0	1	0	1	0
0	1	1	0	1
1	0	0	1	0
1	0	1	0	1
1	1	0	0	1
1	1	1	1	1

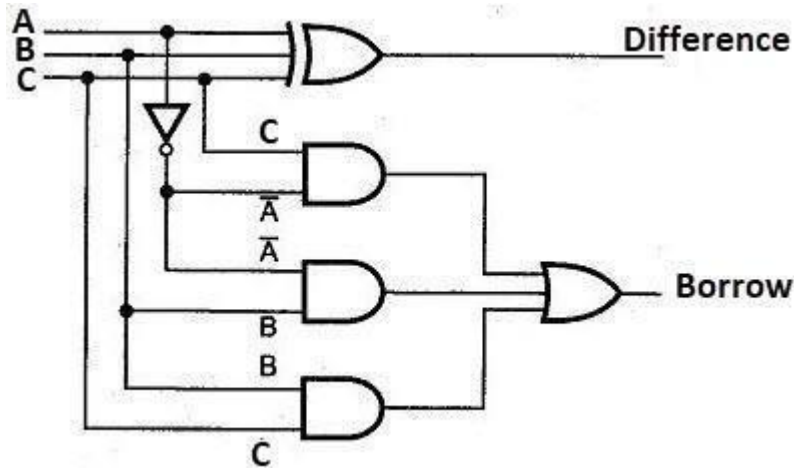
Half Subtractor:

The Half-Subtractor is a combinational circuit which is used to perform subtraction of two bits. It has two inputs, A (minuend) and B (subtrahend) and two outputs D (difference) and B_0 (borrow). The circuit diagram and Truth Table of a half subtractor are given below:

<pre>graph LR A --- XOR1((XOR)) B --- XOR1 XOR1 --- D A --- AND1((AND)) B --- NOT1((NOT)) NOT1 --- AND1 AND1 --- B0</pre>	Inputs		Outputs	
	Input(A)	Input(B)	Diff (D)	Borrow (Bo)
	0	0	0	0
	0	1	1	1
	1	0	1	0
	1	1	0	0

Full Subtractor:

A combinational circuit which performs the subtraction of three input bits is called full subtractor. The three input bits include two significant bits and a previous borrow bit. A full subtractor circuit can be implemented with two half subtractors and one OR gate. The circuit diagram and Truth Table of a full subtractor are given below:



Input(A)	Input(B)	Input(C)	Diffence D	Borrow(Bout)
0	0	0	0	0
0	0	1	1	1
0	1	0	1	1
0	1	1	0	1
1	0	0	1	0
1	0	1	0	0
1	1	0	0	0
1	1	1	1	1

3 Procedure

Steps:

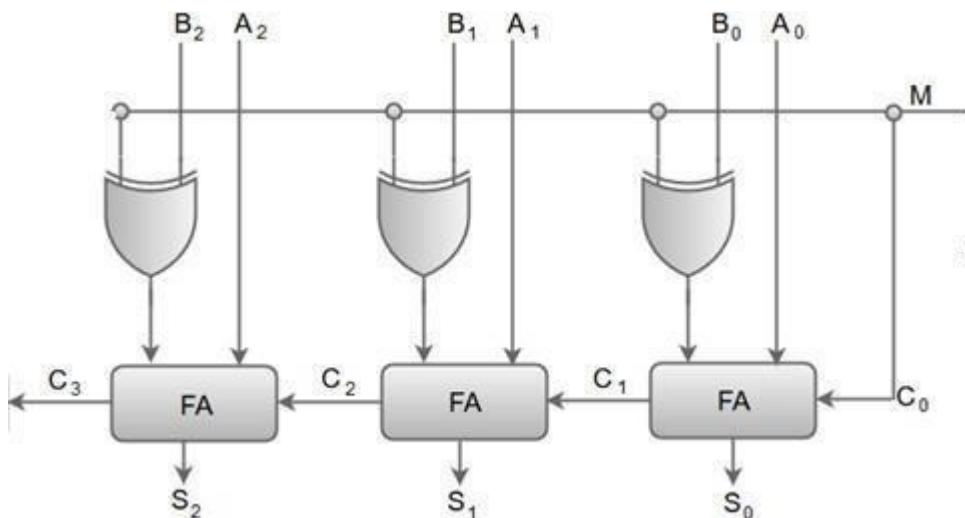
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4 Viva questions

Draw the full adder using half adders.

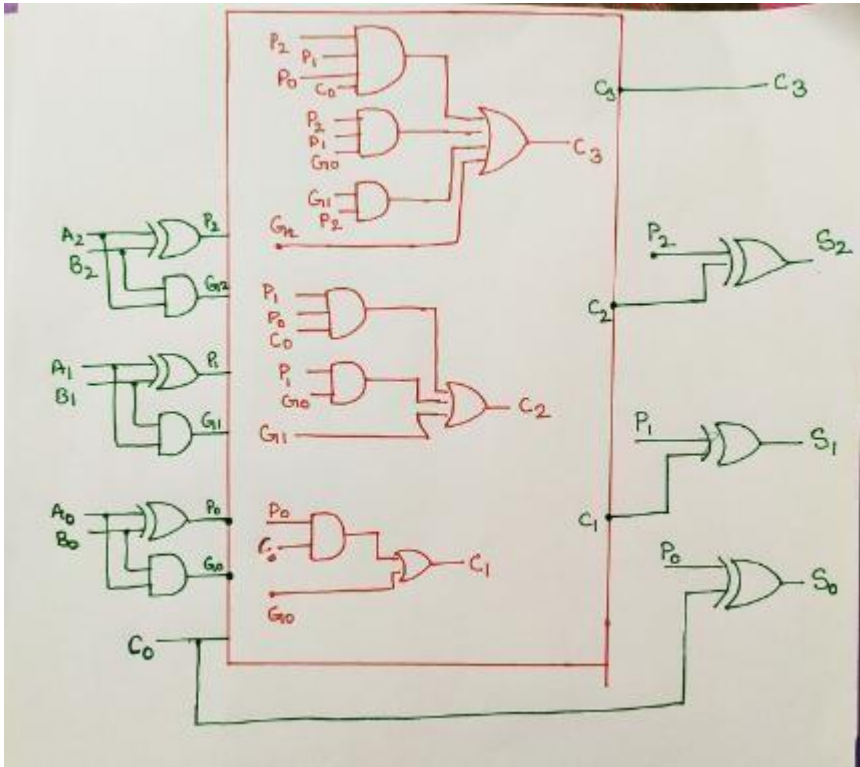
Draw the full subtractor using half subtractor.

What is a major limitation of a half adder?

Experiment Number < 3 >		
1	Aim / Objective / problem statement	Implement 3-bit parallel Binary Adder/Subtractor.
	sample input	$A_2A_1A_0 = 110$ $B_2B_1B_0 = 101$
	expected output	When $M=0$, $S_2S_1S_0 = 011$, $C_3 = 1$ When $M=1$, $S_2S_1S_0 = 001$, $C_3 = 1$
2	Theory	<p>Binary Adder/Subtractor:</p> <p>A 3-bit Binary Adder-Subtractor is a digital circuit for both addition and subtraction of two 3-bit binary numbers in one circuit itself. The operation being performed depends upon the binary value the control signal M.</p> <p>The circuit consists of 3 full adders. There is a control line M that holds a binary value of either 0 or 1. $M=0$ determines that the operation is addition. $M=1$ determines that the operation is subtraction.</p> <p>XOR gate complements its input if the other input is 1. The XOR gate properties given below.</p> $X \oplus 1 = X'$ $X \oplus 0 = X$ <p>The 3-bit Binary Adder/Subtractor is shown below:</p> 
3	Procedure	<p>Steps:</p> <ol style="list-style-type: none"> 1. Start the simulator by using https://circuitverse.org/simulator link 2. Design the circuit as shown in the theory section. 3. Set the inputs as shown in the Input section 4. And verify the output as mentioned in the output section 5. Take the screenshot and create a PDF document 6. Upload this PDF document on the given assignment link onto the moodle.

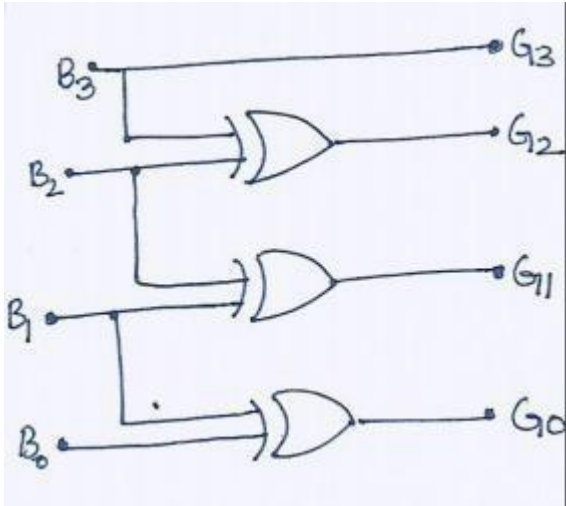
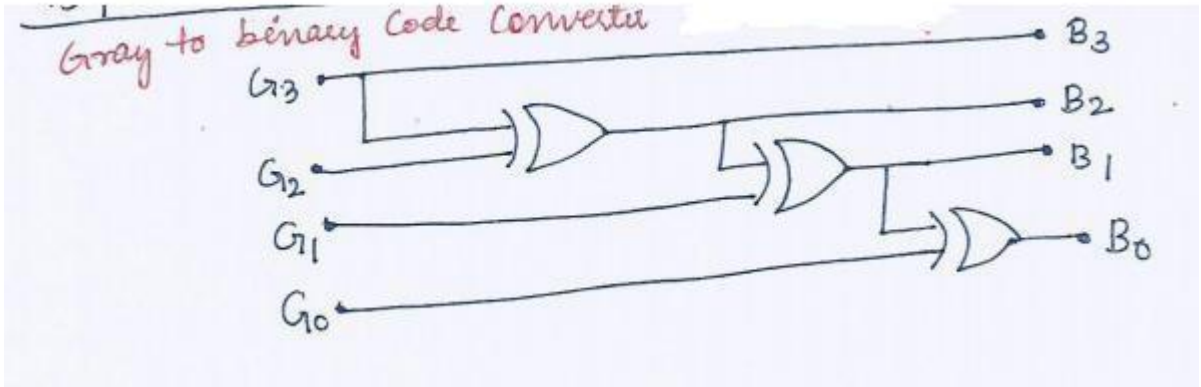
4	Viva questions	How many full adders and XOR gates are required to make 4-bit Binary Adder/Subtractor?
		What is the disadvantage of a ripple adder?
		Draw the 4-bit parallel Binary Adder/Subtractor

Experiment Number < 4 >

1	Aim / Objective / problem statement
sample input	$A_2A_1A_0 = 110$ $B_2B_1B_0 = 101$
expected output	$S_2S_1S_0 = 011$, $C_3 = 1$
2	<p>Theory</p> <p>Carry look ahead Adder:</p> <p>Carry look-ahead adder utilizes the logic gates to look at the lower order bits of augmend and addend to see if a higher order carry is to be generated or not.</p> <p>Carry look-ahead uses the two concepts of carry propagate and carry generate functions. This adder uses the following equations for i^{th} stage:</p> <p>Carry propagate $P_i = A_i \oplus B_i$</p> <p>Carry generate $G_i = A_i \cdot B_i$</p> <p>Sum $S_i = P_i \oplus C_i$</p> <p>Carry $C_{i+1} = G_i + P_i \cdot C_i$</p> <p>The circuit diagram of 3-bit Carry Look-Ahead Adder is shown in the following figure:</p> 
3	<p>Procedure</p> <p>Steps:</p> <ol style="list-style-type: none"> 1. Start the simulator by using https://circuitverse.org/simulator link. 2. Design the circuit as shown in the theory section. 3. Set the inputs as shown in the Input section 4. And verify the output as mentioned in the output section 5. Take the screenshot and create a PDF document 6. Upload this PDF document on the given assignment link onto the moodle.
4	<p>Viva questions</p> <p>1. What property distinguishes a look-ahead-carry adder from ripple adder?</p>

		2. What are the two functions Carry look-ahead logic uses to create carry look-ahead generator circuit?
		3. What is carry propagation delay?

Experiment Number < 5 >

1	Aim / Objective / problem statement Implement 4-bit Binary -to -Gray, Gray -to -Binary code converter.
sample input	Input: For circuit 1: Binary code ($B_3B_2B_1B_0$) = 0101 Input: For circuit 2: Gray code ($G_3G_2G_1G_0$) = 0111
expected output	Output: For circuit 1: Gray code ($G_3G_2G_1G_0$) = 0111 Output: For circuit 2: Binary code ($B_3B_2B_1B_0$) = 0101
2	Theory <p>Gray Code: Gray code is a binary numeral system where two successive values differ in only one bit.</p> <p>Binary to Gray: Binary to gray code converter is a combinational circuit that converts a binary number into a gray code. The circuit diagram of Binary to Gray Converter is shown in the following figure:</p>  <p>Gray to Binary: Gray to binary code converter is a combinational circuit that converts a gray code into binary code. The circuit diagram of Gray to binary code converter is shown in the following figure:</p>  <p>Truth table for conversion:</p>

S. No	Binary code ($B_3B_2B_1B_0$)	Gray code ($G_3G_2G_1G_0$)
0	0000	0000
1	0001	0001
2	0010	0011
3	0011	0010
4	0100	0110
5	0101	0111
6	0110	0101
7	0111	0100
8	1000	1100
9	1001	1101
10	1010	1111
11	1011	1110
12	1100	1010
13	1101	1011
14	1110	1001
15	1111	1000

3 Procedure

Steps:

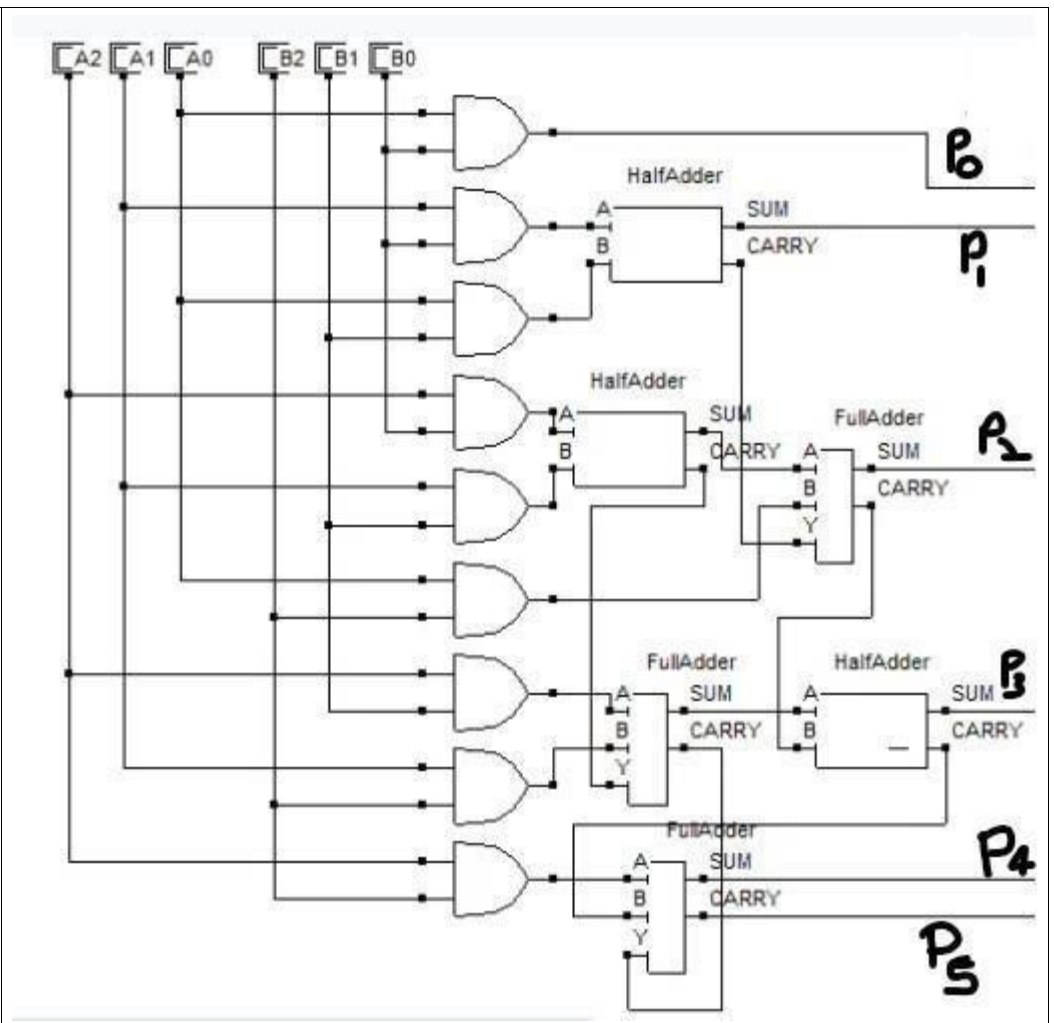
1. Start the simulator by using <https://circuitverse.org/simulator>
2. Design the circuit as shown in the theory section.
3. Set the inputs as shown in the Input section
4. And verify the output as mentioned in the output section
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4 Viva questions

What is the property of gray code?

What are the applications of gray code?

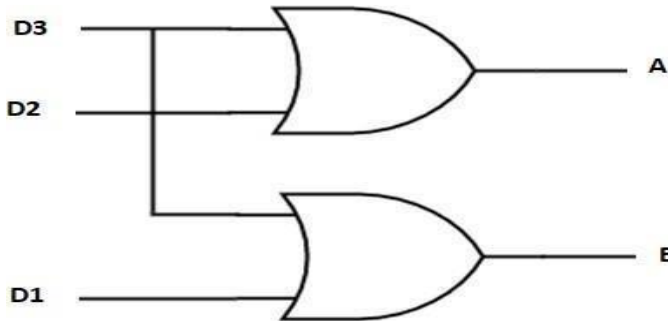
What are the weighted and un-weighted codes? Is gray code weighted?

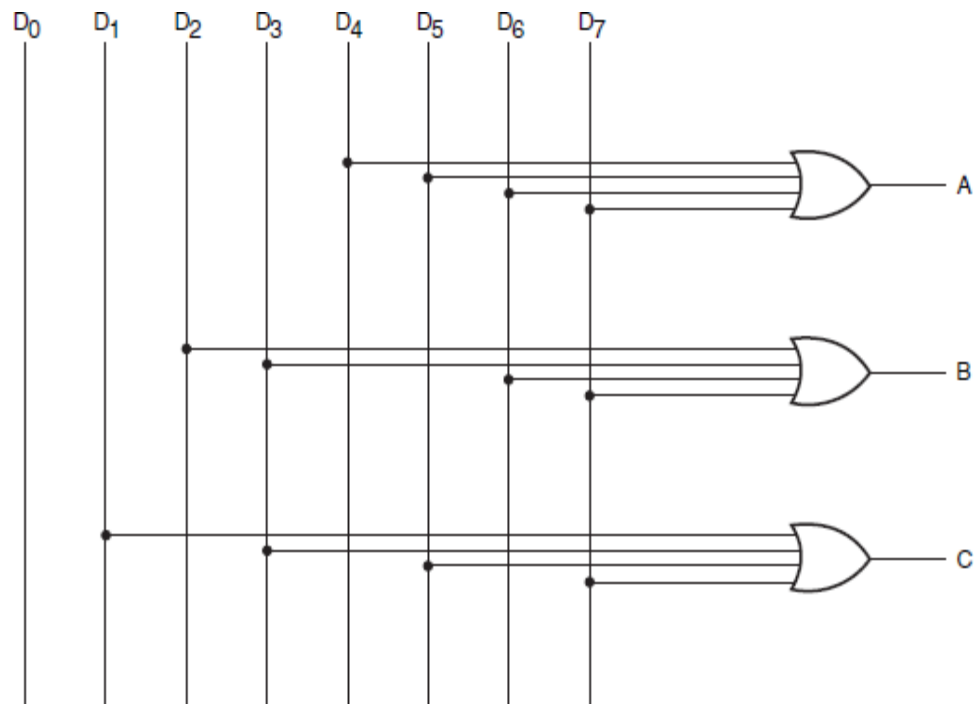


3	Procedure	<p>Steps:</p> <ol style="list-style-type: none"> 1. Start the simulator by using https://circuitverse.org/simulator link 2. Design the circuit as shown in the theory section. 3. Set the inputs as shown in the Input section 4. And verify the output as mentioned in the output section 5. Take the screenshot and create a PDF document 6. Upload this PDF document on the given assignment link onto the moodle.
4	Viva questions	<p>Draw 4x4-Binary Multiplier.</p> <p>How many full adders and AND gates are will be required to draw 4x3 binary multiplier?</p> <p>How many bits will in the result of multiplication of M-bit and N-bit numbers?</p>

Experiment Number < 7 >

1	Aim / Objective / problem statement	Implement (4 to 2) line and (8 to 3) line Encoders.
	sample input	Input for (4 to 2) line Encoder: $D_0D_1D_2D_3 = 0001$ Input for (8 to 3) line Encoder: $D_0D_1D_2D_3D_4D_5D_6D_7 = 00010000$
	expected output	Output for (4 to 2) line Encoder: $AB = 11$ Output for (8 to 3) line Encoder: $ABC = 011$

2	<div>Theory</div> <div> <p>Encoder:</p> <p>An Encoder is a combinational circuit that has maximum of 2^n input lines and ‘n’ output lines; hence it encodes the information from 2^n inputs into an n-bit code. It will produce a binary code equivalent to the input, which is active High.</p> <p>(4 to 2) line Encoder:</p> <p>The 4 to 2 Encoder consists of four inputs $D_0 D_1 D_2 D_3$, and two outputs A and B. (4 to 2) Encoder encodes the information from 4 inputs into a 2-bit code. The circuit diagram and truth table of (4 to 2) line Encoder are shown below:</p> <div>  </div> <table> <tr> <th colspan="4">Inputs</th> <th colspan="2">Outputs</th> </tr> <tr> <th>D0</th> <th>D1</th> <th>D2</th> <th>D3</th> <th>A</th> <th>B</th> </tr> <tr> <td>1</td> <td>0</td> <td>0</td> <td>0</td> <td>0</td> <td>0</td> </tr> <tr> <td>0</td> <td>1</td> <td>0</td> <td>1</td> <td>0</td> <td>1</td> </tr> <tr> <td>0</td> <td>0</td> <td>1</td> <td>0</td> <td>1</td> <td>0</td> </tr> <tr> <td>0</td> <td>0</td> <td>1</td> <td>1</td> <td>1</td> <td>1</td> </tr> </table> <p>(8 to 3) line Encoder:</p> <p>The 8 to 3 Encoder or octal to Binary encoder consists of 8 inputs: D_7 to D_0 and 3 outputs A, B and C. Each input line corresponds to each octal digit and three outputs generate corresponding binary code. The circuit diagram and truth table of (8 to 3) line Encoder are shown below:</p> </div>	Inputs				Outputs		D0	D1	D2	D3	A	B	1	0	0	0	0	0	0	1	0	1	0	1	0	0	1	0	1	0	0	0	1	1	1	1
Inputs				Outputs																																	
D0	D1	D2	D3	A	B																																
1	0	0	0	0	0																																
0	1	0	1	0	1																																
0	0	1	0	1	0																																
0	0	1	1	1	1																																



Truth table for (8 to 3) line Encoder:

D_0	D_1	D_2	D_3	D_4	D_5	D_6	D_7	A	B	C
1	0	0	0	0	0	0	0	0	0	0
0	1	0	0	0	0	0	0	0	0	1
0	0	1	0	0	0	0	0	0	1	0
0	0	0	1	0	0	0	0	0	1	1
0	0	0	0	1	0	0	0	1	0	0
0	0	0	0	0	1	0	0	1	0	1
0	0	0	0	0	0	1	0	1	1	0
0	0	0	0	0	0	0	1	1	1	1

3 Procedure

Steps:

1. Start the simulator by using <https://circuitverse.org/simulator>
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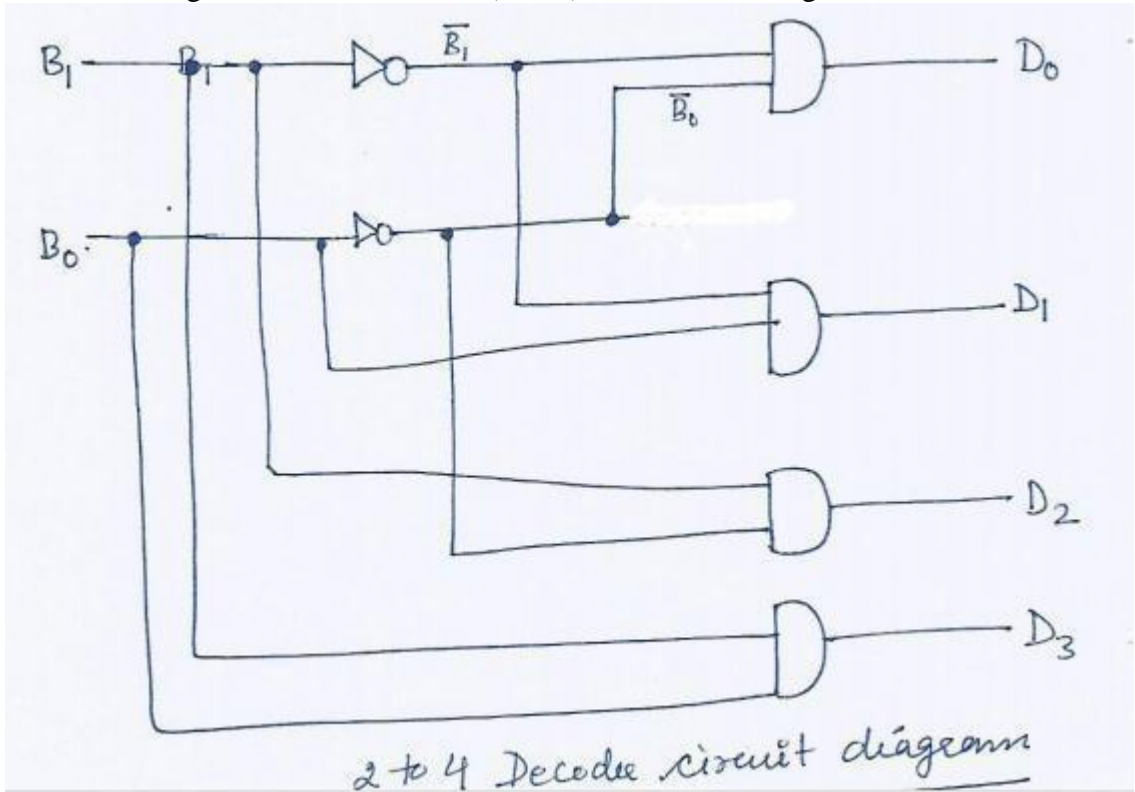
4 Viva questions

What is Priority Encoder?

What is decimal to BCD encoder?

What are the applications of an encoder circuit?

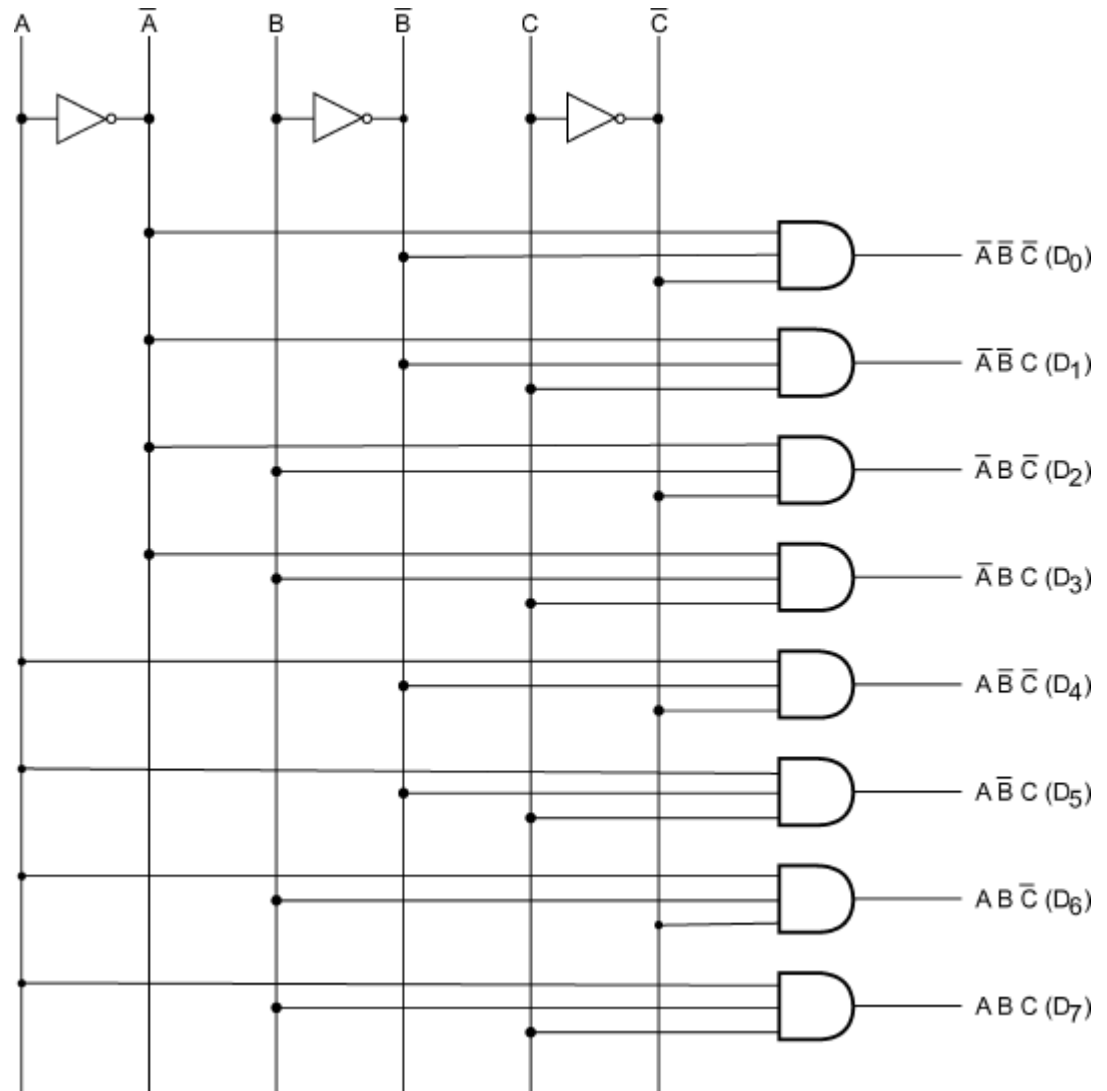
Experiment Number < 8 >

1	Aim / Objective / problem statement	Implement (2 to 4) line and (3 to 8) line Decoders.																																				
	sample input	Input for (2 to 4) line decoder: $B_1B_0=11$ Input for (3 to 8) line decoder: $ABC=011$																																				
	expected output	Output for (2 to 4) line Encoder: $D_0D_1D_2D_3 =0001$ Output for (3 to 8) line Encoder: $D_0D_1D_2D_3D_4D_5D_6D_7 = 00010000$																																				
2	Theory	<p>Decoder: In Digital Electronics, discrete quantities of information are represented by binary codes. A binary code of n bits is capable of representing up to 2^n distinct elements of coded information. A decoder is a combinational circuit that converts binary information from n input lines to a maximum of 2^n unique output lines.</p> <p>(2 to 4) Decoder: The (2 to 4) decoder consists of two inputs B_1and B_0, and four outputs $D_0 D_1 D_2 D_3$. (4 to 2) decoder decodes the information from 2 inputs into a 4-bit code.</p> <p>The circuit diagram and truth table of (2 to 4) line decoder are given below:</p> <div></div> <p>Truth Table for (2 to 4) line decoder:</p> <table><tr><th colspan="2">Inputs</th><th colspan="4">Outputs</th></tr><tr><th>B1</th><th>B0</th><th>D0</th><th>D1</th><th>D2</th><th>D3</th></tr><tr><td>0</td><td>0</td><td>1</td><td>0</td><td>0</td><td>0</td></tr><tr><td>0</td><td>1</td><td>0</td><td>1</td><td>0</td><td>1</td></tr><tr><td>1</td><td>0</td><td>0</td><td>0</td><td>1</td><td>0</td></tr><tr><td>1</td><td>1</td><td>0</td><td>0</td><td>1</td><td>1</td></tr></table>	Inputs		Outputs				B1	B0	D0	D1	D2	D3	0	0	1	0	0	0	0	1	0	1	0	1	1	0	0	0	1	0	1	1	0	0	1	1
Inputs		Outputs																																				
B1	B0	D0	D1	D2	D3																																	
0	0	1	0	0	0																																	
0	1	0	1	0	1																																	
1	0	0	0	1	0																																	
1	1	0	0	1	1																																	

(3 to 8) line DECODER:

The (3 to 8) decoder consists of **three** inputs A, B, and C, and eight outputs $D_0 D_1 D_2 D_3 D_4 D_5 D_6 D_7$. (3 to 8) decoder decodes the information from 2 inputs into a 4-bit code.

The circuit diagram and truth table of (2 to 4) line decoder are given below:



Truth Table of (3 to 8) line DECODER:

INPUTS			OUTPUTS							
A	B	C	D_0	D_1	D_2	D_3	D_4	D_5	D_6	D_7
0	0	0	1	0	0	0	0	0	0	0
0	0	1	0	1	0	0	0	0	0	0
0	1	0	0	0	1	0	0	0	0	0
0	1	1	0	0	0	1	0	0	0	0
1	0	0	0	0	0	0	1	0	0	0
1	0	1	0	0	0	0	0	1	0	0
1	1	0	0	0	0	0	0	0	1	0
1	1	1	0	0	0	0	0	0	0	1

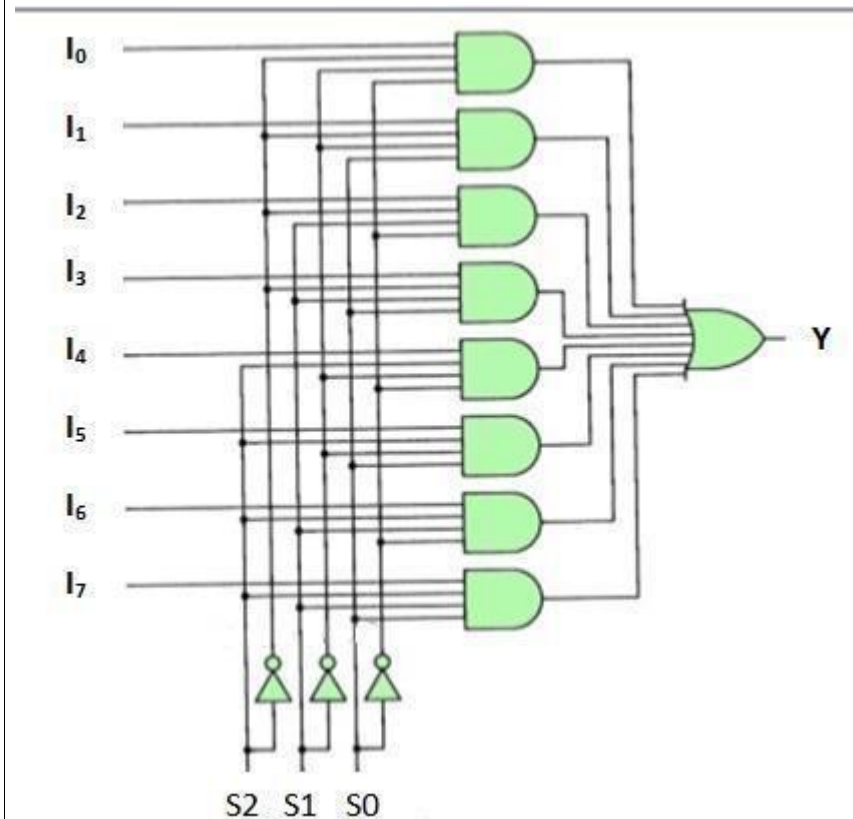
3	Procedure	Steps: <ol style="list-style-type: none"> 1. Start the simulator by using https://circuitverse.org/simulator link 2. Design the circuit as shown in the theory section. 3. Set the inputs as shown in the Input section 4. And verify the output as mentioned in the output section 5. Take the screenshot and create a PDF document 6. Upload this PDF document on the given assignment link onto the moodle.
4	Viva questions	Draw the 3x8 decoder using 2x4 decoders.
		What is a binary decoder?
		What are the applications of a decoder?

Experiment Number < 9 >																									
1	Aim / Objective / problem statement	Implement 4x1 and 8x1 Multiplexers.																							
	sample input	Inputs For 4x1Mux: S1S0 = 00, Inputs For 8x1Mux: S2S1S0 = 000																							
	expected output	When I ₀ =0, then Y=0 When I ₀ =1, then Y=1 { in both the circuits }																							
2	Theory	<p>Multiplexer:</p> <p>Multiplexers are circuits that can select one of many inputs.</p> <p>4x1 Multiplexer:</p> <p>4:1-Mux has 4 inputs with only 1 output. It has 2 data selector inputs namely S₀ and S₁, at which the control bits are applied. I₀, I₁, I₂, and I₃ represent the inputs bits. Only one of these will be transmitted to the output. But which one of the inputs will be transmitted will depend on the values of the controls. The selection table is given below:</p> <table><tr><th rowspan="2">S.No</th><th colspan="2">SELECTION INPUT</th><th>OUTPUT</th></tr><tr><th>S1</th><th>S0</th><th>Y</th></tr><tr><td>1.</td><td>0</td><td>0</td><td>I₀</td></tr><tr><td>2.</td><td>0</td><td>1</td><td>I₁</td></tr><tr><td>3.</td><td>1</td><td>0</td><td>I₂</td></tr><tr><td>4.</td><td>1</td><td>1</td><td>I₃</td></tr></table> <p>The following circuit diagram shows 4x1 multiplexer:</p>	S.No	SELECTION INPUT		OUTPUT	S1	S0	Y	1.	0	0	I ₀	2.	0	1	I ₁	3.	1	0	I ₂	4.	1	1	I ₃
S.No	SELECTION INPUT			OUTPUT																					
	S1	S0	Y																						
1.	0	0	I ₀																						
2.	0	1	I ₁																						
3.	1	0	I ₂																						
4.	1	1	I ₃																						

8x1 Multiplexer:

It has 8 inputs with only 1 output Y. It has 3 data selector inputs namely S₀, S₁, and S₂ at which the control bits are applied.

I₀, I₁, I₂, I₃, I₄, I₅, I₆, and I₇ represent the inputs bits. Only one of these will be transmitted to the output Y. But which one of the inputs will be transmitted will depend on the values of the controls. The circuit diagram and the selection table (truth table) of 8x1 Multiplexer are given below:



SELECTION INPUT			OUTPUT
S2	S1	S0	Y
0	0	0	I ₀
0	0	1	I ₁
0	1	0	I ₂
0	1	1	I ₃
1	0	0	I ₄
1	0	1	I ₅
1	1	0	I ₆
1	1	1	I ₇

3 Procedure

Steps:

1. Start the simulator by using <https://circuitverse.org/simulator> link
2. Design the circuit as shown in the theory section.
3. Set the inputs as shown in the Input section
4. And verify the output as mentioned in the output section

		<p>5. Take the screenshot and create a PDF document</p> <p>6. Upload this PDF document on the given assignment link onto the moodle.</p>
4	Viva questions	1. Draw the block diagram of 8 input multiplexer using 2-input multiplexer, 16 input multiplexer using 2-input multiplexer.
		2. What are the applications of a multiplexer?
		<p>3. Implement the following function using 4x1 Mux.</p> $F(A, B, C) = \sum (2, 4, 7)$

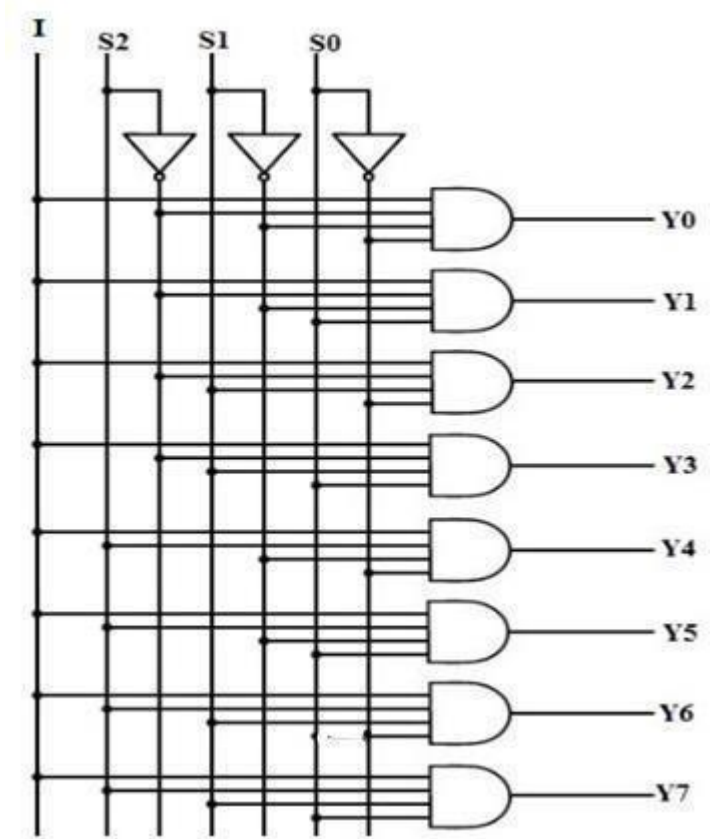
Experiment Number < 10>		
1	Aim / Objective / problem statement	Implement 1x4 and 1x8 De-multiplexers.
	sample input	Inputs For 1x4 De-Mux: S1S0 = 00, Inputs For 1x8 De-Mux: S2S1S0 = 000
	expected output	When I=0, then Y ₀ =0 When I=1, ten Y ₀ =1
2	Theory	<p>Demultiplexer:</p> <p>A demultiplexer is a combinational logic circuit with an input line, 2ⁿ output lines and n select lines. It routes the information present on the input line to any of the output lines. The output line that gets the information present on the input line is decided by the bit status of the selection lines.</p> <p>1x4 Demultiplexer:</p> <p>It has only data input I with 4 outputs namely Y₀, Y₁, Y₂, and Y₃. It has two data selector inputs namely S₀ and S₁, at which control bits are applied. The data bit is transmitted to any of the data bit Y₀, Y₁, Y₂, and Y₃ of the output lines. Which particular output line will be chosen will depend on the value of S₁ and S₀ the control input. The circuit diagram and the selection table (truth table) of 1x4 Demultiplexer are given below:</p>

Selection table:

INPUT			OUTPUT			
S1	S2	I	Y0	Y1	Y2	Y3
0	0	0	0	0	0	0
0	0	1	1	0	0	0
0	1	0	0	0	0	0
0	1	1	0	1	0	0
1	0	0	0	0	0	0
1	0	1	0	0	1	0
1	1	0	0	0	0	0
1	1	1	0	0	0	1

1x8 Demultiplexer:

It has only data input I with 8 outputs namely Y₀, Y₁, Y₂, Y₃, Y₄, Y₅, Y₆, and Y₇. It has three data selector inputs namely S₀, S₁ and S₂, at which control bits are applied. The data bit is transmitted to any of the Y₀, Y₁, Y₂, Y₃, Y₄, Y₅, Y₆, and Y₇ output lines. Which particular output line will be chosen will depend on the value of S₀, S₁, and S₂ the control input. The circuit diagram and the selection table (truth table) of 1x8 Demultiplexer are given below:

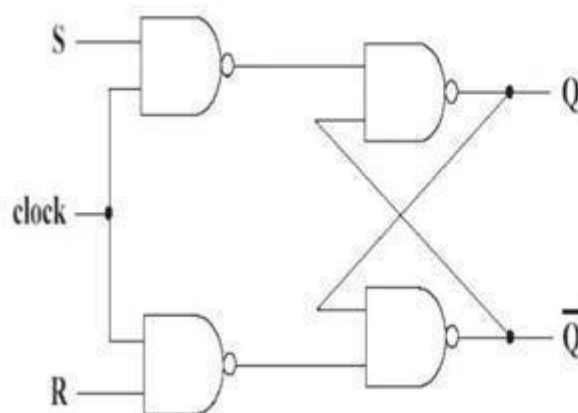


		<div>Selection Table</div> <table><tr><th colspan="3">Selection Input</th><th>Output Selected</th></tr><tr><th>S2</th><th>S1</th><th>S0</th><th>Y</th></tr><tr><td>0</td><td>0</td><td>0</td><td>Y₀</td></tr><tr><td>0</td><td>0</td><td>1</td><td>Y₁</td></tr><tr><td>0</td><td>1</td><td>0</td><td>Y₂</td></tr><tr><td>0</td><td>1</td><td>1</td><td>Y₃</td></tr><tr><td>1</td><td>0</td><td>0</td><td>Y₄</td></tr><tr><td>1</td><td>0</td><td>1</td><td>Y₅</td></tr><tr><td>1</td><td>1</td><td>0</td><td>Y₆</td></tr><tr><td>1</td><td>1</td><td>1</td><td>Y₇</td></tr></table>	Selection Input			Output Selected	S2	S1	S0	Y	0	0	0	Y ₀	0	0	1	Y ₁	0	1	0	Y ₂	0	1	1	Y ₃	1	0	0	Y ₄	1	0	1	Y ₅	1	1	0	Y ₆	1	1	1	Y ₇
Selection Input			Output Selected																																							
S2	S1	S0	Y																																							
0	0	0	Y ₀																																							
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3	Procedure	<div>Steps:</div> <div><div>1. Start the simulator by using https://circuitverse.org/simulator link</div><div>2. Design the circuit as shown in the theory section.</div><div>3. Set the inputs as shown in the Input section</div><div>4. And verify the output as mentioned in the output section</div><div>5. Take the screenshot and create a PDF document</div><div>6. Upload this PDF document on the given assignment link onto the moodle.</div></div>																																								
4	Viva questions	<div>1. Draw a 1x8 demultiplexer using 1x4-demultiplexer.</div> <div>2. Why a demultiplexer is called a data distributor?</div> <div>3. How many selection lines are required in 1x64 demultiplexer.</div>																																								

Experiment Number < 11 >

1	Aim / Objective / problem statement	Verify the characteristic/state tables of SR and D FLIP-FLOPS using NAND gates.
	sample input	Input for SR Flip Flop: S=1, R=0 Input for D Flip Flop: D=1, En=1,
	expected output	Q=1 { output for both the circuits }

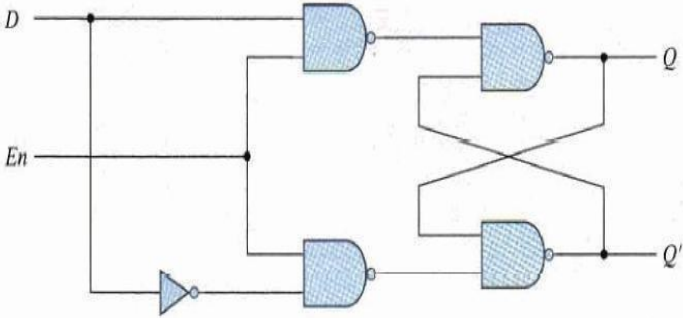
2	Theory	<p>Flip Flop: Flip Flop is a sequential digital circuit that stores one bit. Types of the flip flops are :</p> <ul style="list-style-type: none"> • SR Flip Flop • D Flip Flop • JK Flip Flop • T Flip Flop • Master-Slave JK Flip Flop <p>SR Flip Flop SR flip flop is a circuit with two cross coupled NAND gates or NOR gates, and two inputs labeled S for set and R for Reset. The flip flop has two useful states. When output Q=1 and Q'=0 the flip flop is said to be in set state and when output Q=0 and Q'=1, it is in the reset state. Outputs Q and Q' are normally complement of each other. However, when both inputs are equal to 1 at the same time, a condition in which both outputs are equal to 0 occurs. If both the inputs are then switched to 0 simultaneously, the device will enter an unpredictable or undefined state. In practical applications, setting both inputs to 1 is forbidden. The logic diagram of SR flip flop using NAND gate and its characteristic table are given below:</p>
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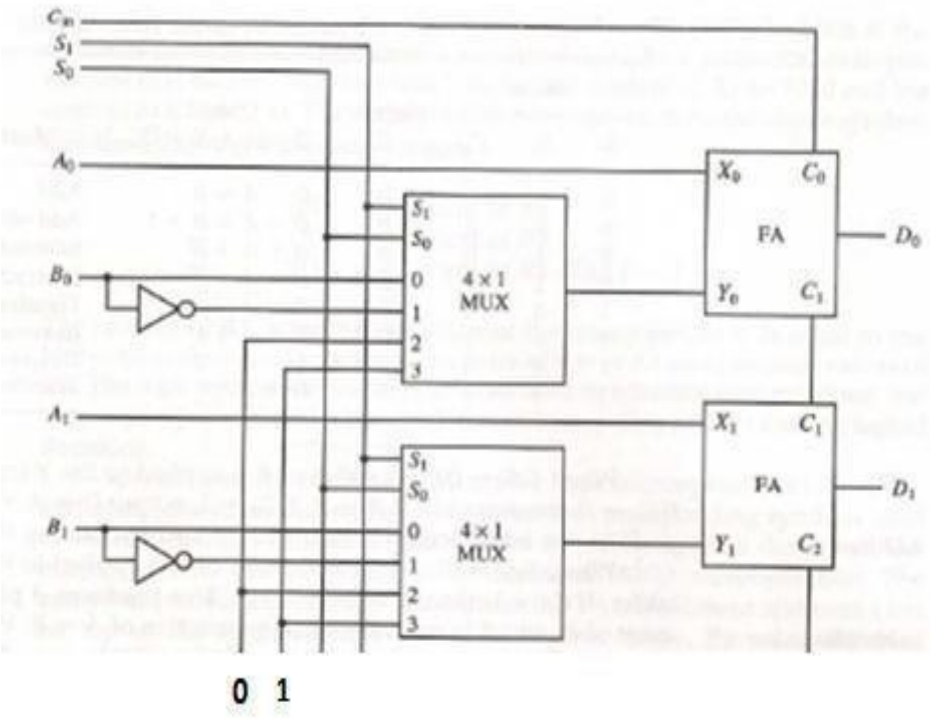
Operation Mode	S	R	Q_{n+1}
No change	0	0	Q_n
SET	1	0	1
RESET	0	1	0
Forbidden	1	1	—

D Flip Flop:

The D input goes directly to the S input and its complement is applied to R input. As long as the enable is at 0, the cross-coupled SR latch has both inputs at the level 1 and the circuit cannot change state regardless of the value of D. The D input is sampled when En =1. If D =1, the Q output goes to 1, placing the circuit in the set state. If D=0, output Q goes to 0, placing the circuit in the reset state. The logic diagram of D flip flop using NAND gate and its characteristic table are given below:

		 <table border="1" data-bbox="1136 220 1388 378"> <thead> <tr> <th>En</th> <th>D</th> <th>Next state of Q</th> </tr> </thead> <tbody> <tr> <td>0</td> <td>X</td> <td>No change</td> </tr> <tr> <td>1</td> <td>0</td> <td>$Q = 0$; reset state</td> </tr> <tr> <td>1</td> <td>1</td> <td>$Q = 1$; set state</td> </tr> </tbody> </table>	En	D	Next state of Q	0	X	No change	1	0	$Q = 0$; reset state	1	1	$Q = 1$; set state
En	D	Next state of Q												
0	X	No change												
1	0	$Q = 0$; reset state												
1	1	$Q = 1$; set state												
3	Procedure	<p>Steps:</p> <ol style="list-style-type: none"> 1. Start the simulator by using https://circuitverse.org/simulator link 2. Design the circuit as shown in the theory section. 3. Set the inputs as shown in the Input section 4. And verify the output as mentioned in the output section 5. Take the screenshot and create a PDF document 6. Upload this PDF document on the given assignment link onto the moodle. 												
4	Viva questions	<ol style="list-style-type: none"> 1. What is difference between the flip flop and latch? 2. Draw the SR flip flop and D flip flop using NOR gates 3. What is a sequential digital circuit? 												

Experiment Number < 12 >

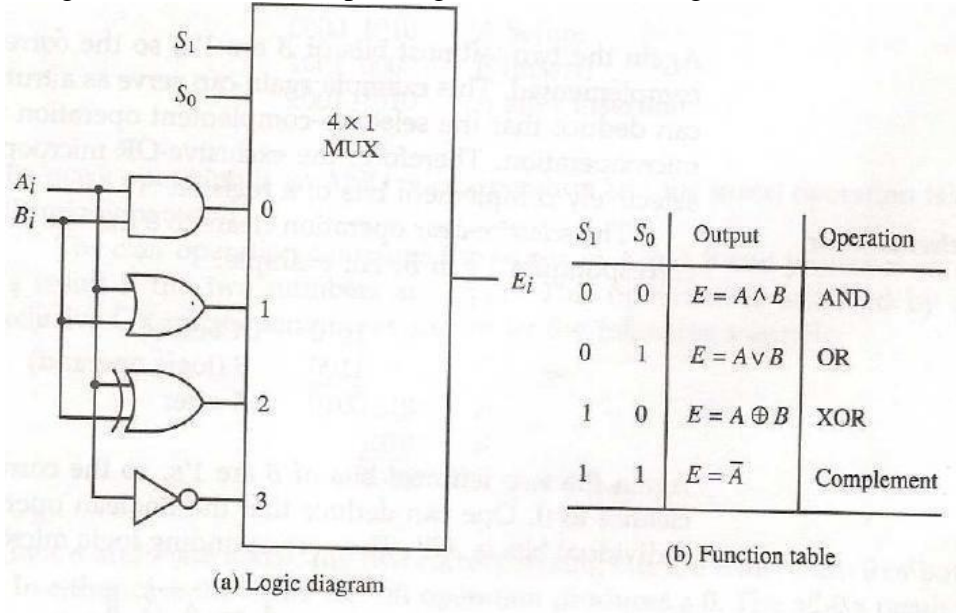
1 Aim / Objective / problem statement	Design a 2-bit Arithmetic Logic Unit.
sample input	S1S0=00 A1A0= 11 B1B0= 01
expected output	Output of Arithmetic Unit: When $C_0 = 0$ D1D0=00, C2=1 When $C_0 = 1$ D1D0= 01, C2=1 Output of Logic Unit : $E0 = A_0.B_0 = 1$
2 Theory	<p>Arithmetic Unit:</p> <p>The circuit diagram of arithmetic unit given below can perform the arithmetic microoperations listed in the given table. By controlling the data inputs to the adder, it is possible to obtain different types of arithmetic operations. The diagram of a 4-bit arithmetic circuit shown below. It has two full adders and two multiplexers for selecting different operations.</p> <p>There are two 2-bit inputs A and B and 2-bit output D. the input A directly goes to X inputs of the binary adders.</p> <p>The multiplexer takes input B, Complement of B, 0 and 1 as input. The selection of inputs is controlled by S1 and S0 selection lines.</p> <p>The output of the binary adder is calculated by $D = A + Y + C_{in}$. The possible generated microoperations using this equation for different combinations of inputs are given in the arithmetic function table.</p> 

The arithmetic function table:

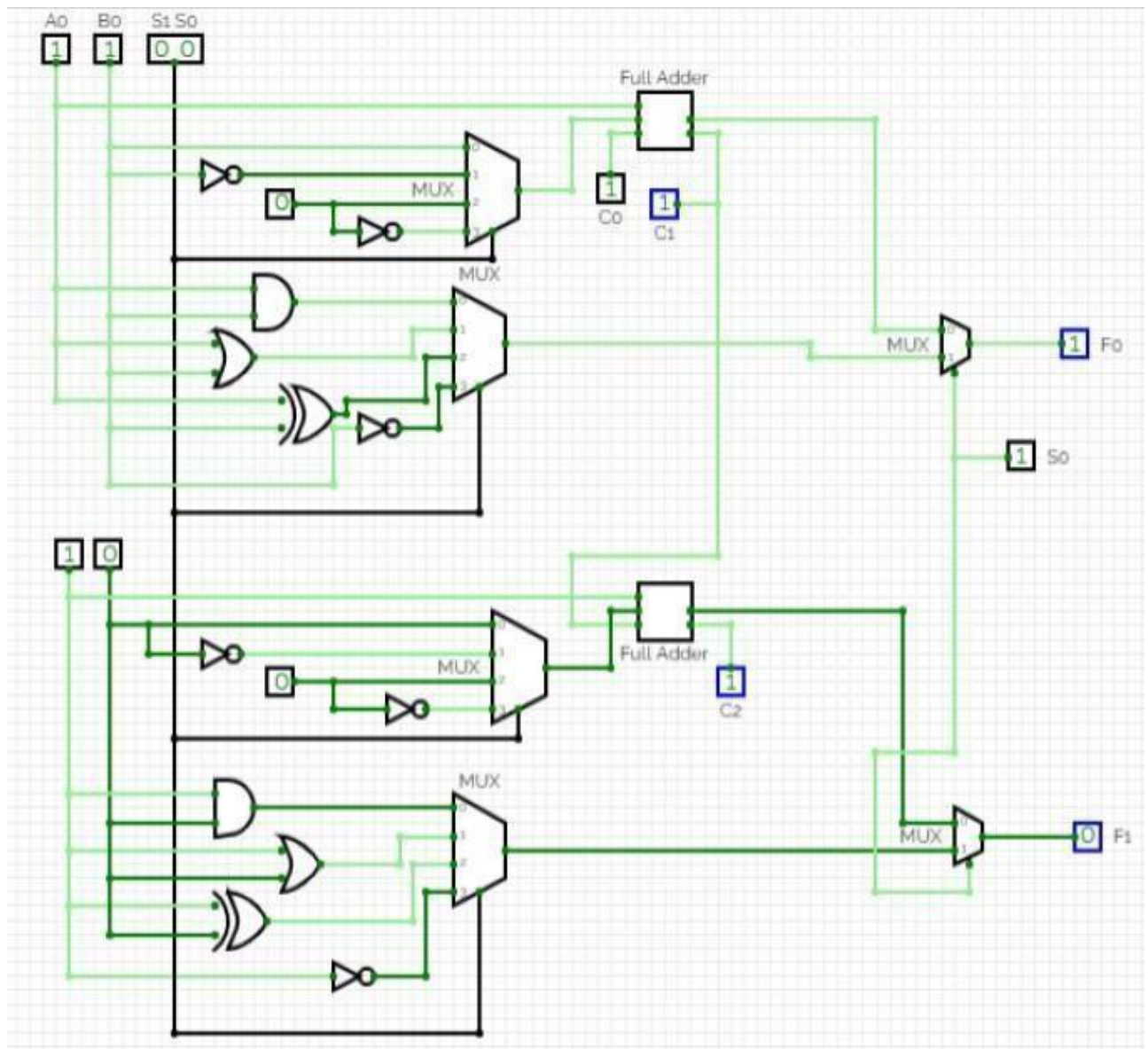
Select			Input Y	Output $D = A + Y + C_{in}$	Microoperation
S_1	S_0	C_{in}			
0	0	0	B	$D = A + B$	Add
0	0	1	\overline{B}	$D = A + \overline{B} + 1$	Add with carry
0	1	0	\overline{B}	$D = A + \overline{B}$	Subtract with borrow
0	1	1	\overline{B}	$D = A + \overline{B} + 1$	Subtract
1	0	0	0	$D = A$	Transfer A
1	0	1	0	$D = A + 1$	Increment A
1	1	0	1	$D = A - 1$	Decrement A
1	1	1	1	$D = A$	Transfer A

One Stage of Logic Unit:

One stage of logic unit given in the following figure generates the four basic logic microoperations. It consists of four gates and a multiplexer. The outputs of the logic gates are applied to the input of multiplexer. The selection inputs S_1 and S_0 choose one of the data inputs. The diagram of one stage of logic unit and the corresponding function table are given below:



The Final ALU circuit design:



3 Procedure

Steps:

1. Start the simulator by using <https://circuitverse.org/simulator> link
2. Design the circuit as shown in the theory section.
3. Set the inputs as shown in the Input section
4. And verify the output as mentioned in the output section
5. Take the screenshot and a PDF document
6. Upload this PDF document on the given assignment link onto the moodle.

4 Viva questions

1. Draw the 4-bit arithmetic unit:
2. Register A holds the 8-bit binary 11011001. Determine the B operand and the logic microoperation to be performed in order to change the value in A to 01101101
3. What is the purpose of ALU?

