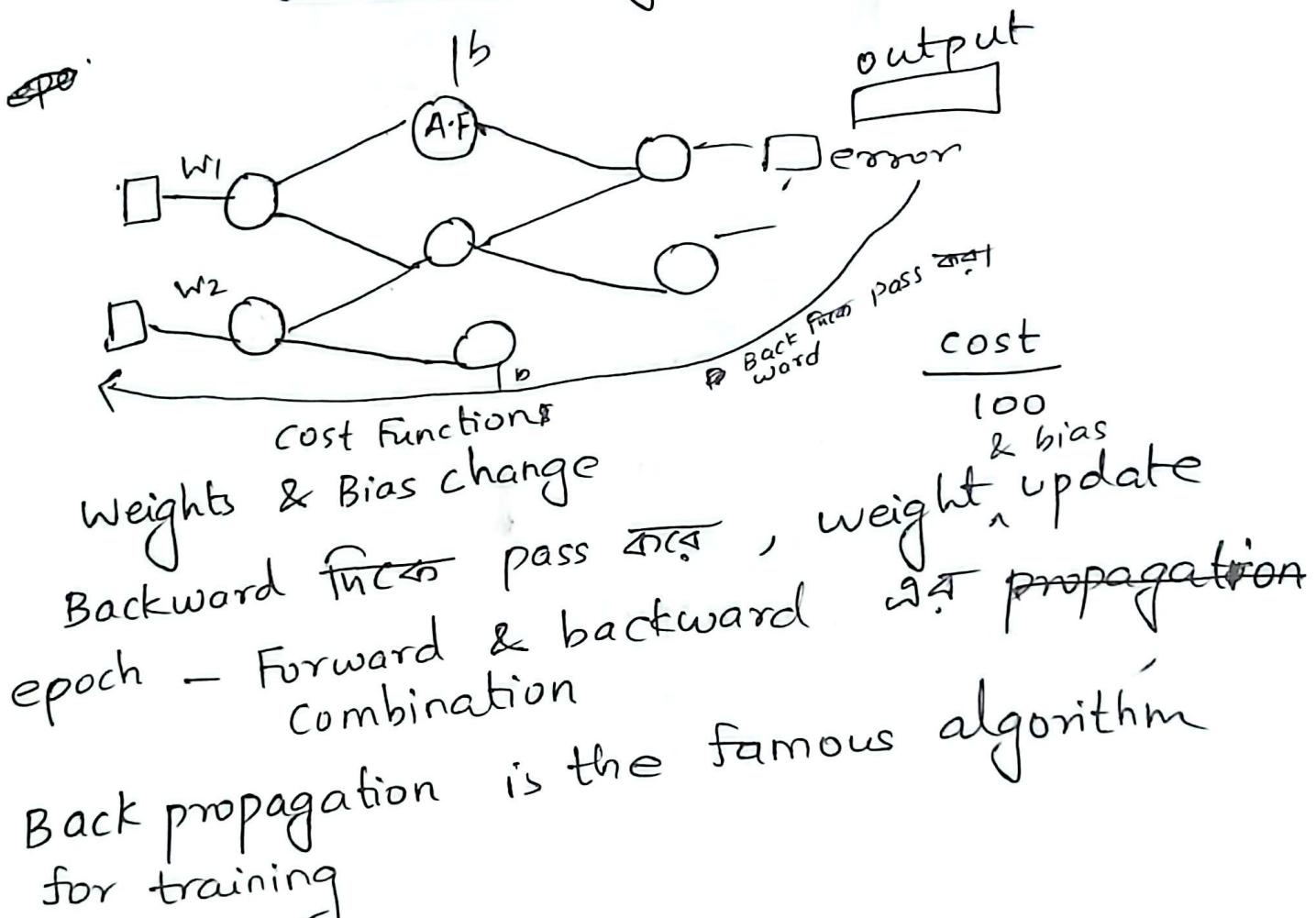


Backward Propagation



$$e_j = d_i - y_i$$

$$\epsilon_{av} = \frac{1}{2N} \sum e_j^2$$

Truly Once Daily
DELANZO™
 Dexlansoprazole INN 30 mg & 60 mg Vegi Cap.

19 Aug 2025

Backward

1) Introduction

2) Perceptron

3) AND gate, OR gate using single
XOR can't use single per

• Hidden Neuron

Activation Function and its Type

4) Softmax

Biological cell

Universal Approximation Theory

line bend, video

Cost Function

Binary classification

Multi class

MSE, MAE

Cost function, error find

Optimization - parameters optimize

Gradient Descent - എല്ല യോഗിക്കുന്നു, local

Min-batch, momentum, SGD, RMSProp, Adam

Performance Metrics

Recall, Precision ~~cost~~, കൂടുന്ന use കൂട്ടാണ്

F1-score

5) Adam (Adaptive Moment Estimation) :-

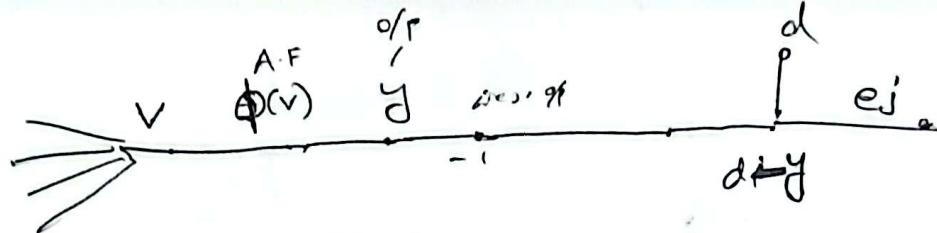
- (1) It is used for training machine learning models.
- (2) It is an optimization algorithm.
- (3) Adam adapts the learning rate for each parameter individually based on the historical gradients of those parameters.

Swarm Intelligence Algorithms

1) Ant colony optimization -

- (1) Ant colony optimization is inspired by the behavior of ants.
- (2) Ants find the shortest path between their colony and food sources by laying down pheromones which guide other ants to the path.



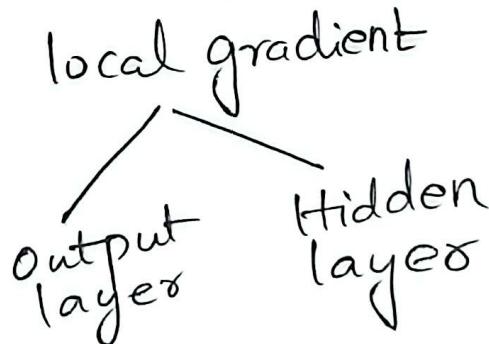


If any update that means Δw
then column update kothu change

$$\Delta w_{ij} = \eta \times \text{local gradient} \times \text{input signal}(y_i)$$

eta Learning Rate

We should calculate local gradient
Hidden layer and output layer both different



* Example

Output unit

$$\delta_5 = y(1-y)(y_{\text{target}} - y)$$

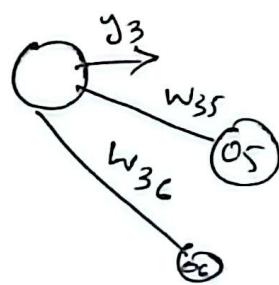
$$= 0.69(1-0.69) \times -$$

$$O \xrightarrow{y_6} y \quad y_6(1-y)(y_{\text{target}} - y)$$

$$\delta_5 = -0.0406$$

because it is 6th

Hidden unit $\delta_3 = y_3(1-y_3) w_{35} * \delta_5$



ff then
sum "

$$y_3(1-y_3) \leq (w_{35}x_5 + w_{36}x_6)$$

$$\delta_4 = y_4(1-y_4)w_{45}x_5$$

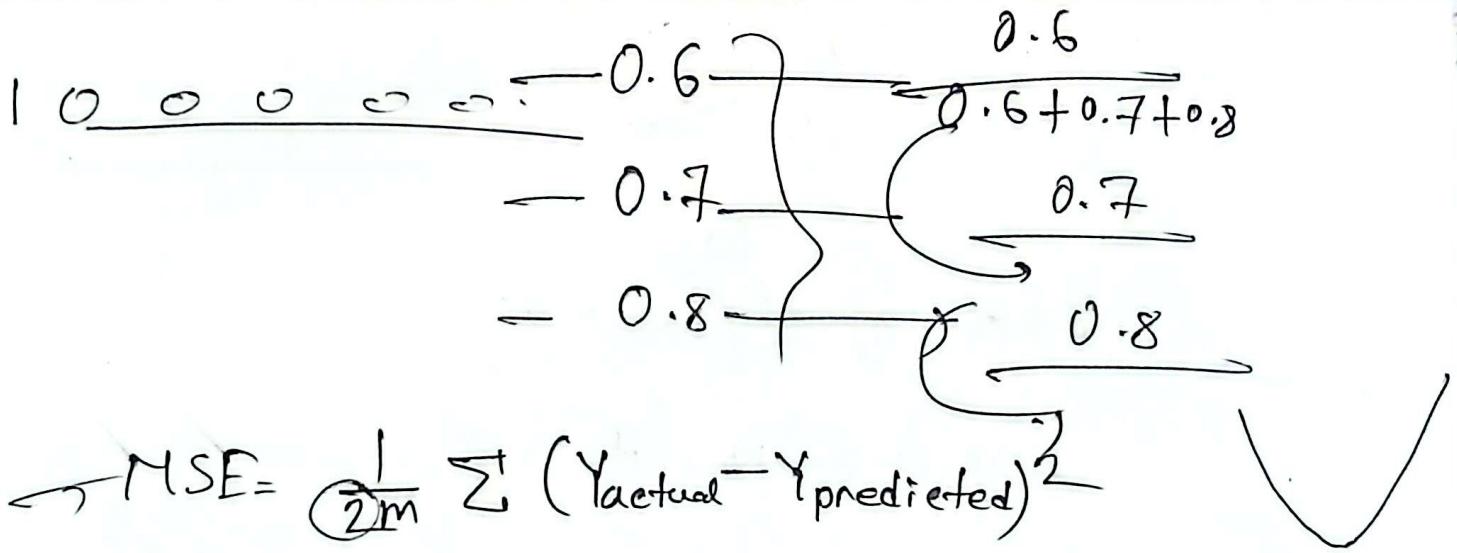
ff find w_{45}

$$\begin{aligned}\Delta w_{45} &= \eta \delta_5 y_4 \\ &= 1 \times -0.0406 \times 0.66 \\ &= -0.0269\end{aligned}$$

$$w_{45}(\text{new}) = w_{45}(\text{old}) + \Delta w_{45}$$

Machine Learning
Biological Neuron
Linear Regress — cost & gradient
Logistic Regress → cost function
Loss's and cost function





$$\rightarrow \text{MSE} = \frac{1}{m} \sum (\text{Yactual} - \text{Ypredicted})^2$$

$$\rightarrow \text{MAE} = \frac{1}{m} \sum |\text{Yactual} - \text{Ypredicted}|$$

Classification

1 0

Categorical C.E:

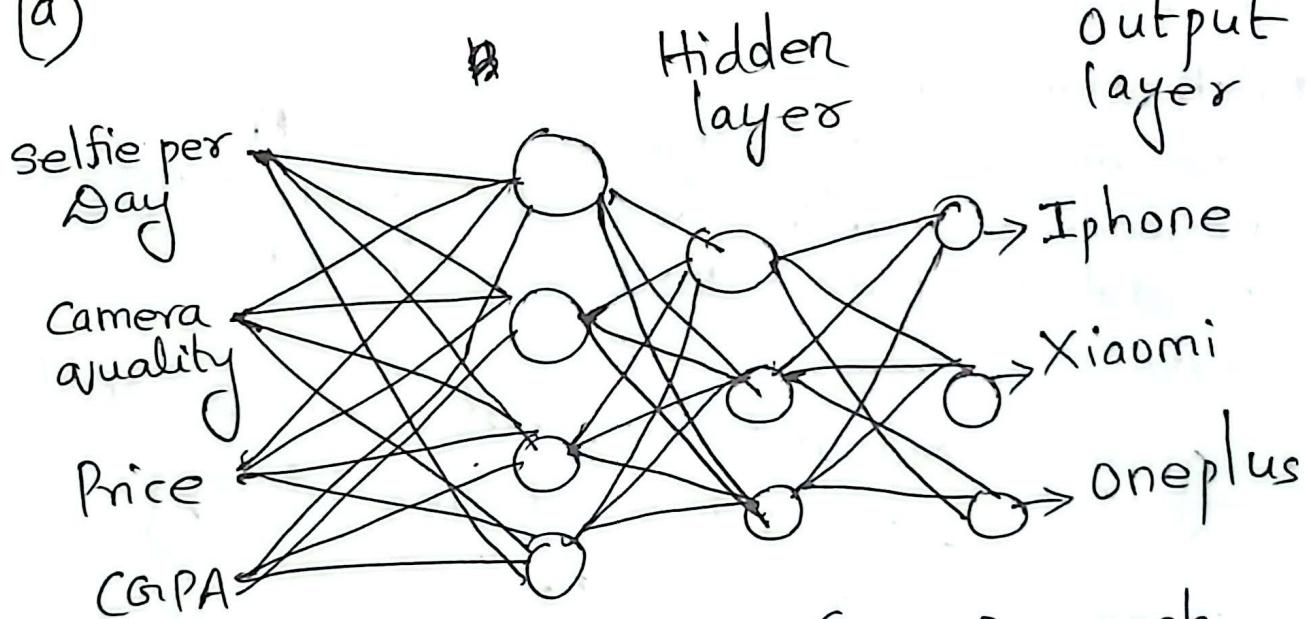
	0.1	0.2	0.7
0.1	1	0	0
0.2	0	1	0
0.7	0	0	1

one-hot encoding

Discretization	0.6	0.2	0.8
	0	0	1

$$\theta_{\text{new}} = \theta_{\text{old}} - n \frac{\partial \text{J}(\theta)}{\partial \theta_{\text{old}}}$$

3) (a)



Input layer: 4 neurons (one for each feature)

hidden layer: 2 hidden layers with 4 and 3 neurons respectively using ReLU activation function for non-linearity.

Output layer: 3 neurons (one for each phone model using softmax function to handle multiclass classification.)

Loss function: categorical cross-entropy which is appropriate for multi-class problems.

b) Analysing datasets, appropriate cost function binary cross entropy

$$\textcircled{2} \quad J = -\frac{1}{n} \leq [y \log(\hat{y}) + (1-y) \log(1-\hat{y})]$$

Here $n = 3$ class = 3

For data 1

$$\frac{1}{3} \log(0.85) + (1-1) \log(1-0.85)$$

$$= -0.0705$$

For data 2

$$\frac{0}{3} \log(0.12) + (1-0) \log(1-0.12)$$

$$= -0.0555$$

For data 3

$$\frac{1}{3} \log(0.92) + (1-1) \log(1-0.92)$$

$$= -0.0362$$

$$\text{Average cost} = -\frac{1}{3} \left[\begin{array}{l} (-0.0705) + (-0.0555) + \\ (-0.0362) \end{array} \right]$$

$$= 0.054$$

⇒ Dense layer / Fully-connected layer
When neuron is connected to every other neuron
in the next layer.

⇒ Sparse layer - When not connected

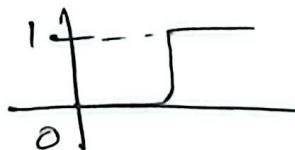
video = why neural networks can learn
any function:

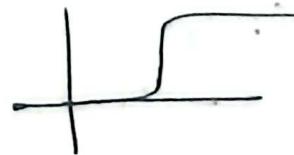
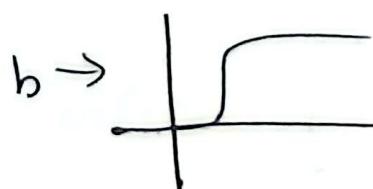
adding more neurons can add more steps

~~n~~ w → smooth/stip

b → shift^{activation} at the right/left

a → height of the smoothness or
stip ness / how many
time it will
be able
to be





{ - two
neuron in hidden layer

Truly Once Daily
DELANZO™
Dexlansoprazole INN 30 mg & 60 mg Vegi Cap.

Role

- (i) Activation function - Activation function introduce non-linearity into the neural network, enabling it to learn and model complex patterns in the data.
- Sigmoid - output values between 0 and 1. Often used for binary classification.
 - ReLU - Outputs the input if positive otherwise zero.
 - tanh - outputs value between 1 and -1 centered in the data; often used in hidden layers.
 - Softmax - extends logistic regression to multiple classes.
 - o/p zero for negatives, linear for positives.

Q5) Binary cross entropy entropy is appropriate.

$$J = -\frac{1}{n} \sum_{i=1}^n [y_i \log(\hat{y}_i) + (1-y_i) \log(1-\hat{y}_i)]$$

Sample, n=3

y_i = can I go on a trip

\hat{y}_i = predicted value

For sample 1:

$$[0 \log(0.15) + (1-0) \log(1-0.15)] \\ = -0.070$$

For sample 2:

$$[1 \log(0.40) + (1-1) \log(1-0.40)] \\ = -0.397$$

For sample 3:

$$[1 \log(0.92) + (1-1) \log(1-0.92)] \\ = -0.0362$$

Now,

$$J = -\frac{1}{3} [(-0.070) + (-0.397) + (-0.0362)] \\ = 0.16773$$



D) a) Linear Regression hypothesis :

$$\textcircled{1} \quad h_{\theta}(x) = \theta_0 + \theta_1 x$$

Cost function :

$$J(\theta_0, \theta_1) = \frac{1}{2m} \sum_{i=1}^m \{h_{\theta}(x_i) - y_i\}^2$$

Gradient descent update Rules .

$$\theta_0 = \theta_0 - \alpha \frac{\partial}{\partial \theta_0} J(\theta_0, \theta_1)$$

$$\theta_1 = \theta_1 - \alpha \frac{\partial}{\partial \theta_1} J(\theta_0, \theta_1)$$

$$\theta_0 = 5, \theta_1 = 2, \alpha = 0.1$$

$$h_0(x) = 5 + 2 \cdot 250 = 505$$

$$h_1(x) = 5 + 2 \cdot 220 = 445$$

$$h_2(x) = 5 + 2 \cdot 280 = 565$$

$$h_3(x) = 5 + 2 \cdot 235 = 475$$

$$h_4(x) = 5 + 2 \cdot 185 = 415$$

Cost function :

$$J(\theta_0, \theta_1) = \frac{1}{2m} \sum_{i=1}^m \{h_{\theta}(x_i) - y_i\}^2$$

$$= \frac{1}{2 \cdot 4} \left[(505 - 18)^2 + (445 - 15)^2 + \right.$$

$$\left. (565 - 22)^2 + (475 - 17)^2 \right]$$

$$= 115835.25$$

Gradient Descent

$$\theta_0 = \theta_0 - \alpha \frac{\partial J}{\partial \theta_0} (\theta_0, \theta_1)$$

$$\begin{aligned}\frac{\partial J}{\partial \theta_0} &= \frac{1}{4} (487 + 430 + 543 + 458) \\ &= 479.5\end{aligned}$$

$$\begin{aligned}\frac{\partial J}{\partial \theta_1} &= \frac{1}{4} \sum |h_{\theta}(x) - y_i| x_i \\ &= \frac{1}{4} (487 \cdot 250 + 430 \cdot 220 \\ &\quad + 543 \cdot 280 + 458 \cdot 235) \\ &= 11900.5\end{aligned}$$

$$\theta_0 = 5 - 0.1 (479.5) = -42.95$$

$$\theta_1 = 2 - 0.1 (11900.5) = -11898.5$$

$$\therefore \text{cost } J = 115835.25$$

$$\text{update } \theta_0 = -42.95$$

$$\theta_1 = -11898.5$$

1) Supervised learning - Learning with labeled data training.

Eg:- Email spam classification

Input: Email content,

Output: spam/Not

spam

(~~labeled~~ labeled)

Unsupervised learning -

Supervised learning

Unsupervised learning

Reinforcement learning

(1) learning from labeled data.

(1) Identifies patterns of unlabeled data.

(1) Learning from interaction with the environment.

(2) Types of problem:
classification,
Regression

(2) Types of Problem:
clustering,
Association

(2) Types of Problem:
sequential
Decision making

(3) Algorithm:
SVM, Decision Tree,
Neural networks.

(3) Algorithm:
k-means, PCA,
Auto encoders

(3) Algorithm:
Q-learning

(4) Applications:-
Medical diagnosis,
Fraud detection

(4) Applications:-
Cyber security,
e-commerce

(4) Autonomous
driving, Robotics
gaming.

(5) Eg:- Email spam
classification

(5) Eg:- Customer
segmentation
I/P-Customer purchase
data, O/P, cust
groups

(5) Eg:- Gameplaying
(Chess, go)
Agent: game player
Environment - game board
Reward: win/loss/draw

2) b) Binary cross entropy is appropriate

$$J = -\frac{1}{n} \sum_{i=1}^n \left[y_i \log y_i + (1-y_i) \log(1-y_i) \right]$$

For sample 1:

$$\begin{aligned} & [0 \log(0.15) + (1-0) \log(1-0.15)] \\ & = -0.07058 \end{aligned}$$

Already done once

3) b) Can we use the same linear regression cost function for logistic regression problem?

Justify your answer.

⇒ No, we cannot use the linear regression (MSE) cost function for logistic regression.

- With sigmoid hypothesis, MSE makes the cost function non-convex, leading to multiple local minima and slow convergence or inefficient learning.

- Instead, logistic regression uses the log loss (cross-entropy) cost function which is convex and ensures efficient training and correct optimization.



Loss function: Binary cross entropy

$$J = -\frac{1}{n} \sum_{i=1}^n [y_i \log(\hat{y}_i) + (1-y_i) \log(1-\hat{y}_i)]$$

Justification:-

ReLU : outputs the input if positive, otherwise zero. Prevents vanishing gradients, computationally efficient.

Sigmoid output: output value between range 0 and 1, often used for binary classification.

Binary cross-Entropy :- Optimal for binary classes such as two ~~p~~ classes. Penalizes confident wrong directions.

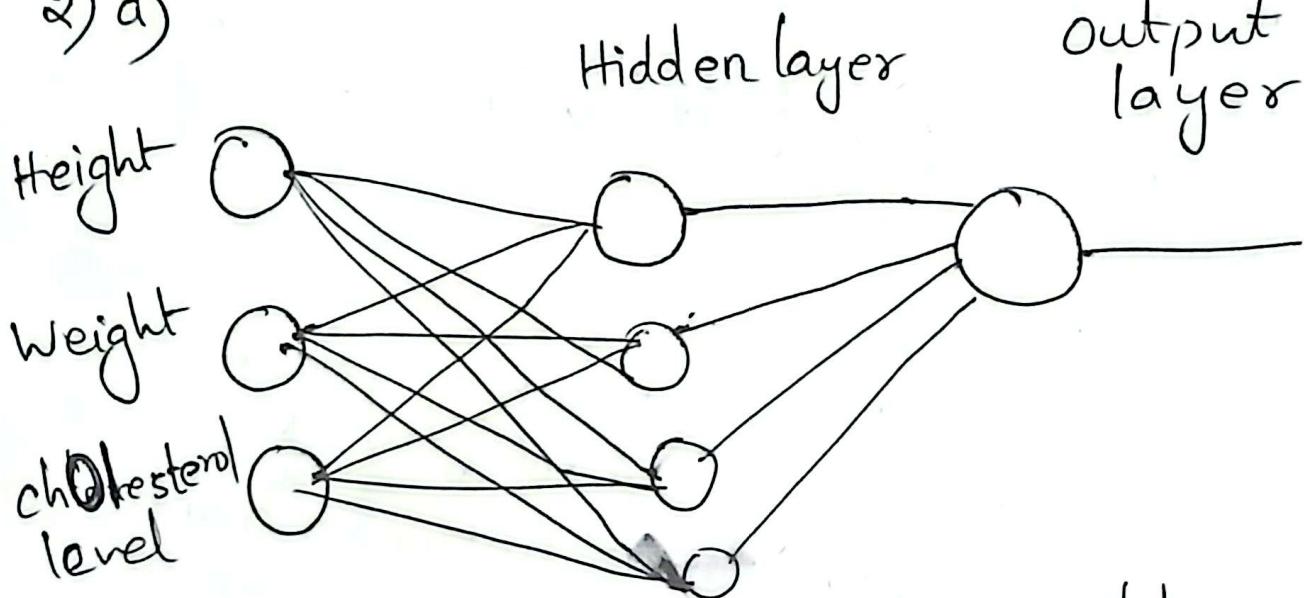
3) b) - Binary cross entropy is the appropriate cost function.

$$J = -\frac{1}{n} \sum_{i=1}^n [y_i \log(\hat{y}_i) + (1-y_i) \log(1-\hat{y}_i)]$$

sample; n = 3

$$\begin{aligned} \text{for sample 1} \\ &= 1 \log(0.85) + (1-1) \log(1-0.85) \\ &= -0.070 \end{aligned}$$

2) a)



Input layer: 3 neurons (Height, Weight, cholesterol) one for each feature.

Output Hidden layer: 4 neurons with using ReLU activation function to introduce non-linearity.

~~Output layer = 1 neuron using softmax activation function to handle multiclass~~
Binary cross entropy for binary classification.

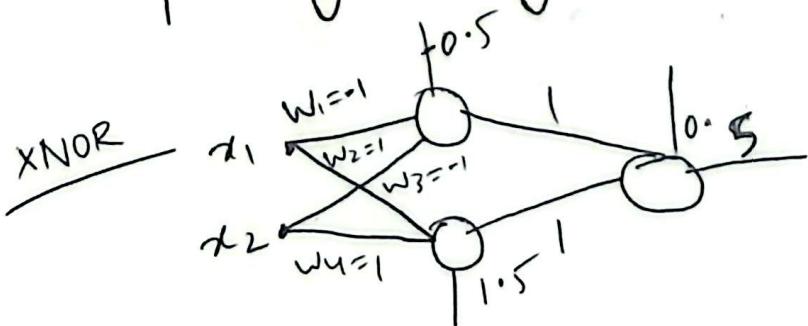
Activation functions:-

Hidden layers: Sigmoid or ReLU

$$\text{Sigmoid}(x) = \frac{1}{1+e^{-x}}$$

$$\text{ReLU}(x) = \max(0, x)$$

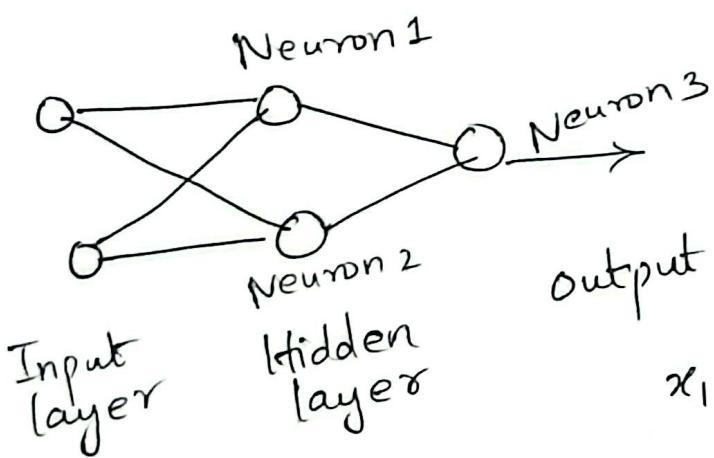
Output layer: Sigmoid (for probability output)



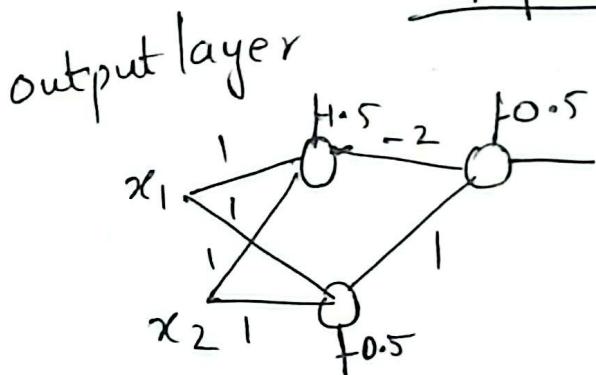
logic operation	w1	w2	bias
OR	+1	+1	-0.5
AND	1	1	-0.5
NOR	-1	-1	0.5
NAND	-1	-1	1.5

Truly Once Daily
DELANZO™
Dexlansoprazole INN
30 mg & 60 mg Vegi Cap.

1) b) Determine the parameters required to design an XOR gate using the perceptron rule with threshold value of 1



x_1	x_2	XOR Output
0	0	0
0	1	1
1	0	1
1	1	0



When input ~~(0,0)~~

$$(0,0) = (0 \times 1) + (0 \times 1) - 1.5 = -1.5 < 0 = 0$$

$$(0,1) = (0 \times 1) + (0 \times 1) - 0.5 = -0.5 < 0 = 0$$

$$(1,0) = (0 \times 1) + (0 \times 1) - 0.5 = -0.5 < 0 = 0$$

$$(1,1) = (0 \times 1) + (0 \times 1) - 0.5 = -0.5 < 0 = 0$$

$$(0,0) = (0 \times 1) + (1 \times 1) - 1.5 = -1.5 < 0 = 0$$

$$(0,1) = (0 \times 1) + (1 \times 1) - 0.5 = 0.5 > 0 = 1$$

$$(1,0) = (0 \times 1) + (1 \times 1) - 0.5 = 0.5 > 0 = 1$$

$$(1,1) = (0 \times 1) + (1 \times 1) - 0.5 = 0.5 > 0 = 1$$

$$(0,0) = (1 \times 1) + (0 \times 1) - 1.5 = -1.5 < 0 = 0$$

$$(0,1) = (1 \times 1) + (0 \times 1) - 0.5 = 0.5 > 0 = 1$$

$$(1,0) = (1 \times 1) + (0 \times 1) - 0.5 = 0.5 > 0 = 1$$

$$(1,1) = (1 \times 1) + (1 \times 1) - 0.5 = 1.5 > 0 = 1$$

$$(0,0) = (1 \times 1) + (1 \times 1) - 0.5 = 1.5 > 0 = 1$$

$$(0,1) = (1 \times 1) + (1 \times 1) - 0.5 = 1.5 > 0 = 1$$

$$(1,0) = (1 \times 1) + (1 \times 1) - 0.5 = 1.5 > 0 = 1$$

$$(1,1) = (1 \times 1) + (1 \times 1) - 0.5 = 1.5 > 0 = 1$$

$$\frac{0}{0 \log(0.12)} + (1-0) \log(1-0.12) \\ = -0.055$$

$$\frac{1}{1 \log(0.92)} + (1-1) \log(1-0.92) \\ = -0.0362$$

Total cost:

$$J = \frac{-1}{3} [(-0.070) + (-0.055) + (-0.0362)] \\ = 0.0537$$

- Q) Explain the problems that may arise while training with gradient descent.
- \Rightarrow (1) slow convergence, if learning rate is small
 (2) Divergence or oscillation if learning rate is too high.
 (3) local minima or saddle points may trap the algorithm.
 (4) Vanishing or exploding gradients make learning unstable.
 (5) High computational cost for large datasets when using batch gradient descent.



Q) What is the difference between linear regression and classification models?

⇒ Linear regression: Predicts a continuous numeric value (eg:- price, Temperature)

Classification: Predicts categorical outcomes (eg:- spam/not spam, disease/no disease)

Regression uses metrics like MSE (Mean Squared Error), while classification uses metrics like accuracy, precision and recall.

Q) Compare Biological neuron vs Artificial Neuron.

Aspect	Biological Neurons	Artificial neurons
1) Structure	cell body, dendrites, soma, axon, synapses	Input nodes, weights, activation function, output
2) Processing	Electrochemical signal	Mathematical computations.
3) Speed	slow (milliseconds)	Fast (nanoseconds)
4) Learning	Synaptic plasticity	Weight adjustment algorithms.
5) Connectivity	~10,000 connections per neuron	Variable, typically fewer.
6) Fault tolerance	High redundancy, self-repair	Limited fault tolerance

Biological neurons use electrochemical neurotransmitter, artificial use numerical weights, biological systems are massively parallel; artificial are often sequential - Biological learning is continuous; artificial learning is batch-based.

Q) To calculate the cost function for linear regression, we use MSE (Mean squared Error).

$$J(\theta) = \frac{1}{2m} \sum_{i=1}^m (h_x^{(i)} - y^{(i)})^2$$

m = no. of training examples
 House Actual price ($y^{(i)}$) Predicted price ($h_x^{(i)}$)

1	1000	1350
2	1500	1590
3	2000	1800

$$(1) (1350 - 1000)^2 = 350^2 = 122500$$

$$(2) (1590 - 1500)^2 = 90^2 = 8100$$

$$(3) (1800 - 2000)^2 = (-200)^2 = 40000$$

Total cost function

$$J(\theta) = \frac{1}{2 \times 3} [122500 + 8100 + 40000]$$

$$= \frac{1}{6} \times 170600 = 28433.33$$



~~For first~~
 Q) Loss function: Binary Cross-Entropy loss
 (For binary classification. Also known as log-loss)

$$L = -\frac{1}{N} \sum_{i=1}^N [y_i \log(\hat{y}_i) + (1-y_i) \log(1-\hat{y}_i)] \quad (\text{natural log - ln})$$

For first student:-

$$- [1 \times \log(0.85) + (1-1) \times \log(0.85)] \\ = 0.1625$$

For second student:-

$$- [0 \times \log(0.12) + (1-0) \times \log(0.88)] \\ = 0.1278$$

For third student:

$$- [1 \times \log(0.92) + (1-1) \times \log(0.08)] \\ = 0.0834$$

$$\text{Average cost} = \frac{0.1625 + 0.1278 + 0.0834}{3} \\ = 0.1246$$

Q) Loss function used:

Binary cross entropy

$$Y_1 = 0, \hat{Y}_1 = 0.15$$

$$Y_2 = 1, \hat{Y}_2 = 0.40$$

$$Y_3 = 1, \hat{Y}_3 = 0.92$$

$$\text{Loss} = -\frac{1}{n} \sum_{i=1}^n [y_i \log \hat{y}_i + (1-y_i) \log (1-\hat{y}_i)]$$
$$\approx -\frac{1}{3} L_1 = \log(0.15) + (1-0) \log(1-0.15)$$
$$= -0.0705$$

$$L_2 = 1 \log(0.40) + (1-1) \log(1-0.40)$$
$$= -0.398$$

$$L_3 = 1 \log(0.92) + (1-1) \log(1-0.92)$$
$$= -0.0362$$

$$\text{Loss} = -\frac{1}{3} [(-0.0705) + (-0.398) + (-0.0362)]$$
$$= 0.168$$



- 1) one-hot Encoding - A method to represent categorical data as binary vector.
- 2) Label-encoded - A method of converting categorical data into numeric labels (integers).
- 3) Discretization (Binning) :-

• The process of converting continuous numerical data into categorical bins (interval)

e.g.: suppose Age = [5, 12, 20, 35, 60]

child (0-12)
Teen (13-19)
Adult (20-59)
senior (60+)

	Age	Bin
	5	child
	12	child
	20	Adult
	35	Adult
	60	senior

color Encoded

Red 0
Green 1
Blue 2

color	R	G	B
R	1	0	0
G	0	1	0
B	0	0	1

Multiclass classification:

Loss function \rightarrow categorical cross Entropy

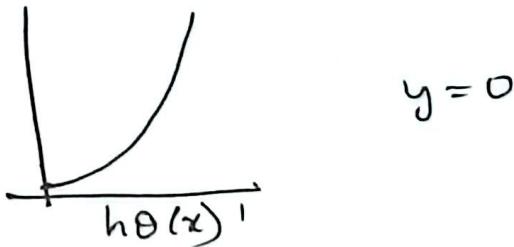
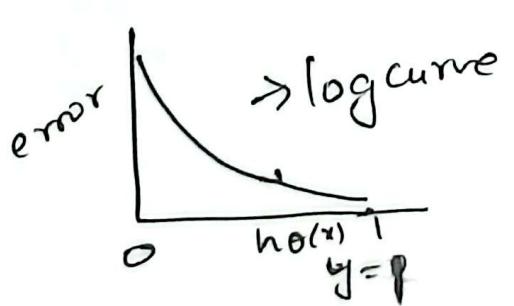
$$-\frac{1}{N} \sum_{i=1}^N \sum_{j=1}^C y_{ij} \log(\hat{y}_{ij})$$

↓ ↓
 True label Predicted label
 {For class j}

$C = \text{No. of classes}$
 $N = \text{No. of samples}$

$$h_\theta(x) = \theta_0 + \theta_1 x \quad h \rightarrow \text{hypothesis}$$

$$\text{cost}(h_\theta(x)) = \begin{cases} -\log(h_\theta(x)), & \text{if } y=1 \\ -\log(1-h_\theta(x)), & \text{if } y=0 \end{cases}$$



$$\text{Loss} = - \sum_{j=1}^k y_j \log(1 - \hat{y}_j)$$

$$\text{cost} = -\frac{1}{m} \sum_{i=1}^m \sum_{j=1}^k y_{ij} \log(1 - \hat{y}_{ij})$$

$m = \text{no. of training example}$



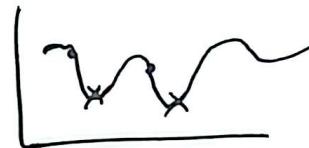
31 Aug 2025

1) last layer node ~~linear~~ লাইনেরি
linear, o/p

Fatigue Positive cause miss করা হ্যাবে না।

		Fatigue	NF
predic	F	TP	FP
	NF	(X)	TN
		FN করার জন্য	Recall

Possible, ~~not~~
GD



Initialization
change - better
result

2) a) No, not change
Network- Linear Activation Function
Use proper non-linear A·F

b) Learning rate (বেস্ট রেট)
overshoot

c)

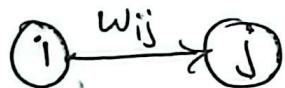
3) a) Dataset balance এর
~~পুরো~~ Recall

b) Bias

c) change করে করে কেন্দ্রীয় করে।

31 Aug 2025

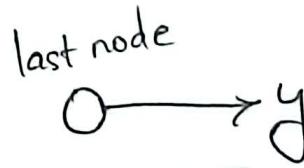
Backpropagation



local gradient - destination

$$\Delta w_{ij} = \eta * \delta_{ij} * \text{input}$$

~~গুরুত্ব~~ gf node output layer
 Hidden layer



Output unit
 $\delta = y(1-y)(y_{\text{pre}} - y_{\text{act}})$. $\Delta w_{ij} = \eta * \delta_{ij} * \text{input}$

For hidden unit:
 $\delta_3 = y(1-y) \sum (0.3x - 0.0406)$

$$\Delta w_{14} = \eta \times \delta_4 \times 0.35$$

$$w_{14}(\text{new}) = w_{14}(\text{old}) + \Delta w_{14}$$

g) Attention Mechanism in Neural Networks

Understand complex image or
translate a sentence from one
language to another.

Attention-mechanism in
deep learning enhancing
model performance

The selective focus is what we refer to as attention

Types :-

- 1) self-Attention Mechanism
- 2) Scaled Dot-Product Attention
- 3) Multi-Head Attention
- 4) Location-Based attention

3) Recurrent Neural Network

deeplearning - Types of neural network

Repeatedly uses same,

use for tasks involving sequences like text, speech or time series.

It handles sequential data in which the current o/p is a result of previous i/p by looping over themselves to hold internal state (memory)

4) Long short-Term Memory Networks (LSTMs)

Variant of RNNs.
Used when need to model long-term sequences dependencies in sequences

I live in Bangladesh

5) Gated Recurrent Units (GRUs)

6) Radial Basis Function Networks

Good choice for function approximation -

7) Generative Adversarial Networks

generator and discriminator

Generated fake sample Combine Real Data samples & Generated fake samples



local gradient all calculations

$$\Delta b_1 = n \times \delta_4 \times 1$$

From google

Metrics form



$$= \begin{bmatrix} - & - \\ - & - \end{bmatrix}$$

$$\begin{bmatrix} b_1 \\ \vdots \end{bmatrix}$$

$$b_1 = 0.4$$

bias input always 1

ai by hand propagation
can-you-calculate-back

$$X \cdot W^T$$

In Exam it will be given in Matrics form

also can be given in Network system

2 Sept 2025

Greeksforgreeks

* Types of neural networks

1) Feedforward Neural Networks

Training - Backpropagation

when the data is static and has no sequential dependencies.

2) Convolutional Neural Networks (CNNs)

normal mathematical operation

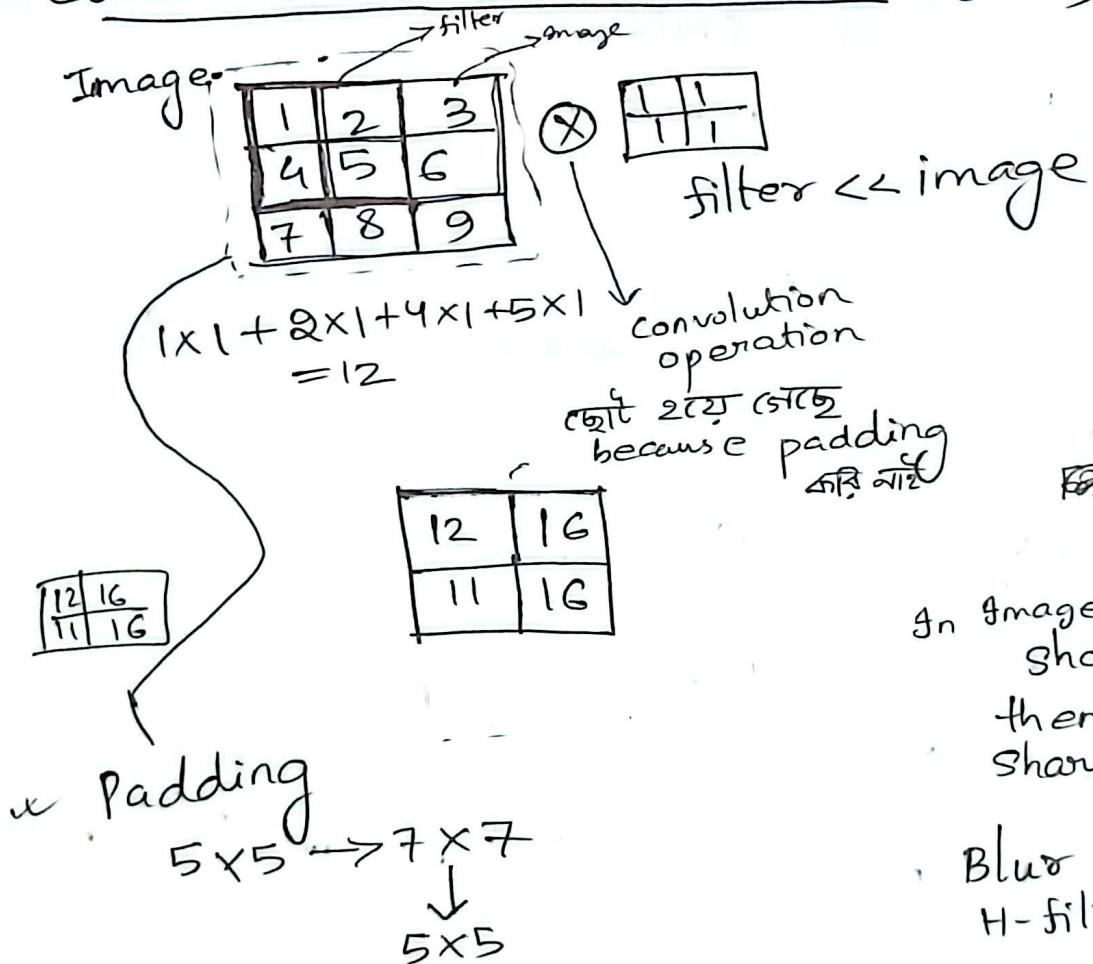
Input layer \rightarrow convolution layer \rightarrow Max pooling layer \rightarrow Dense layer \rightarrow Output layer

Used when working with image, video or grid-structured data

2	3	4
5	6	7
8	9	10

একটা matrix এবং convolutional.

Convolutional Neural Networks (CNNs) -



Pixel to pixel multiply then
পরপর pixel add

shifting is called

pixel করে নেওয়ে

বড় করে না প্রাপ্ত্যুষ
জন্য image

ধারাতে ২২

In image if we use
sharpening filter
then we get
sharp image

Blur
H-filter

Next class Read Convolution operation and come

Truly Once Daily
DELANZO™
Dexlansoprazole INN 30 mg & 60 mg Vegi Cap.

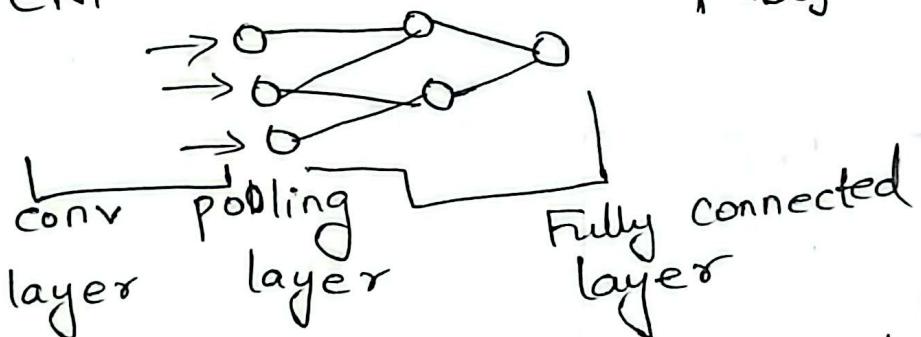
7 September 2025

Deep learning with CNN

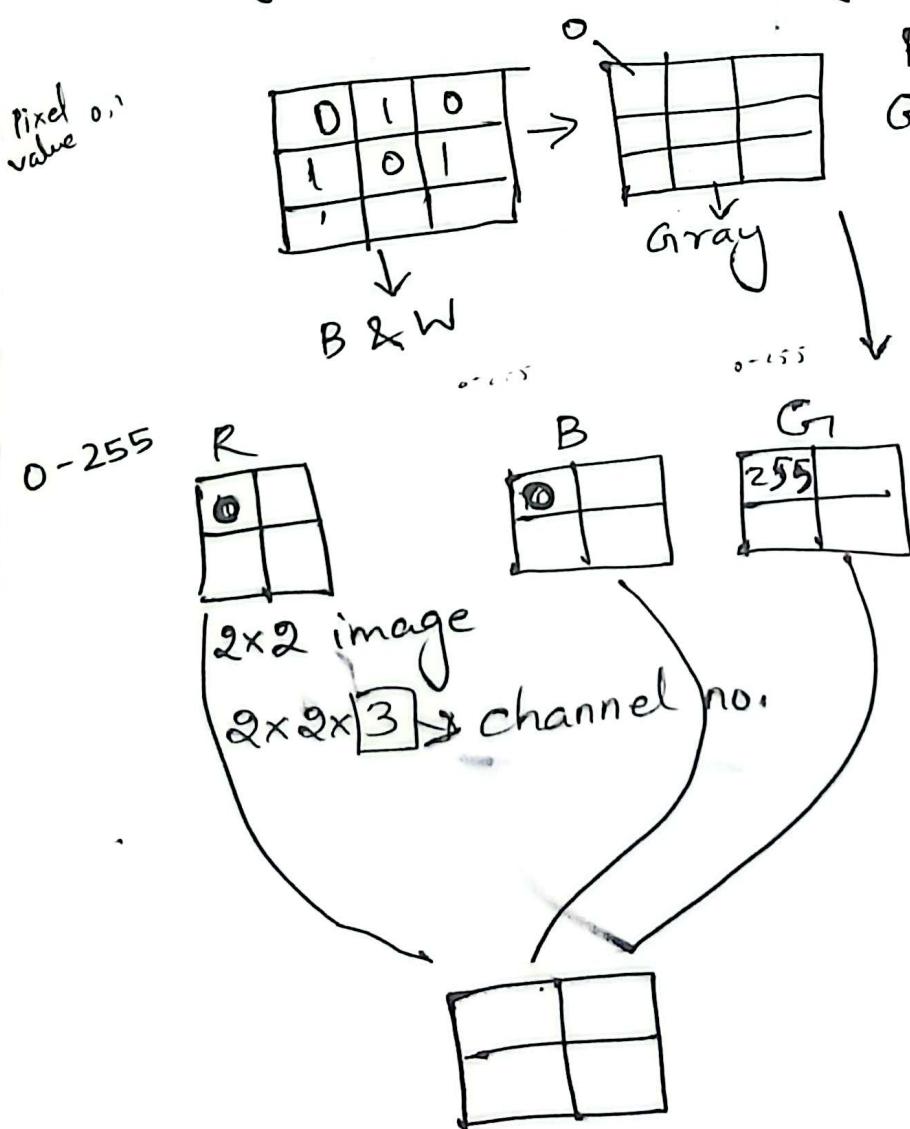
* How to choose a Deep Net

- CNN
- RNN

* CNN



Fully connected layer



R, G, B colors known as
(Primary color)

Pixel would be
green if
G = 255

Binary image - 4^{TT} pixels
Grayscale - 4^{TT} pixels
RGB - 12^{TT}

Image of size $200 \times 200 \times 3$

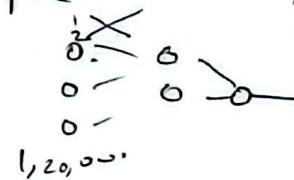
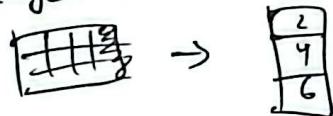
color image
1,29,000 inputs
computationally costly

wide high color channels
computationally costly

Model has parameter count too - overfit

conv, pooling - picture \rightarrow down sample

layer 10



Matrix \rightarrow flatten layer 9 convert

* Pg 17 MLP vs ConvNet

* Pg 18 X or 0 classify
Image-binary

pixel $\leftarrow [1 \ 0 \ 1]$

white = 1
black = -1

* What about trickier cases?

* Pg 19-20 How ConvNet

Pixel to pixel compare
Not same as actual pixel

feature
broadview \rightarrow compare



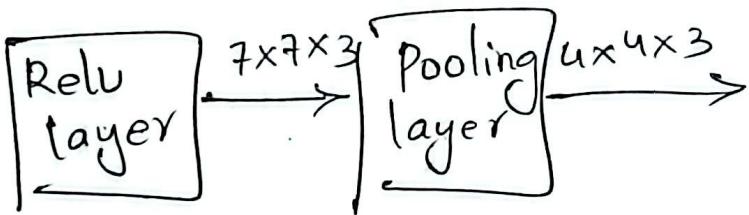
Pooling layer

- downsampling process

Pooling Filter size = 2×2 , stride = 2

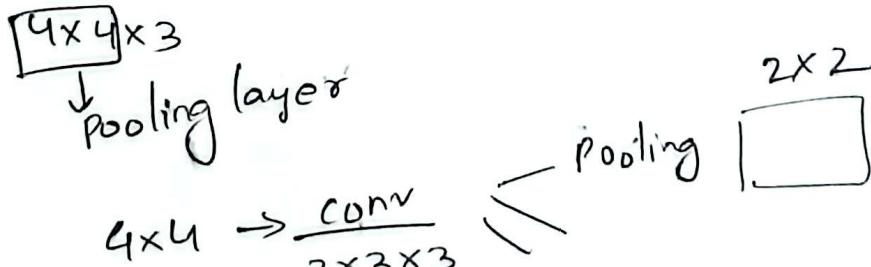
- max pooling

- Average Pooling



shape is changing

$7 \times 7 \times 3$ ↓
ci value it change - convolution layer \Rightarrow $4 \times 4 \times 3$



feature map \Rightarrow 4×4

Flatten - 2D or 1D \Rightarrow flat करना
Flatten matrix Q2

* Convolution Layer - Filters

3 filter ফিল্টার দ্বারা ৬ লাভে strides
করতে একটি ছবি move করতে - spatial position

- feature map

$3 \times 3 \times 64$

$3 \times 3 \times 1 \rightarrow$ filter কর্তৃপক্ষ আছে
 $H \quad W$

Padding - 0 or 1
কর্তৃপক্ষ

Mean value দ্বারা filter centre এ বনাতে
এই মান ছবির পরিসরে উভয়

- filter use করে এই মাত্রায় image তৈরি করা
গুরুতর - that is feature map

Input size (w): 9 means 9×9

Feature Map size = $1 + (w - F + 2P) / s$

3 filter
featuremap = 3

9×9 conv layer $\rightarrow 7 \times 7 \times 3$

9×9 conv layer-1 $\rightarrow 7 \times 7 \times 3 \rightarrow$ Relu layer-1 $\rightarrow 7 \times 7 \times 3$
Black color is -ve value

Relu to remove -ve value . and becomes 0
-ve

* Conv layers

- dot product

- Use ReLU layer

pixel value negative হলে যাবে
By using ReLU negative we can remove

Fully-connected

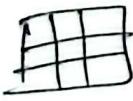
* Feature matching
Convolution region to region match করতে
মাছায় করা।

9 Sept 2025

$$200 \times 200 \times 3 \\ = 120000$$

$$\sqrt{120000} \\ \underline{100}$$

NN
point to point fit
model overfit



conv layer

image এর প্রতি convolution operation দেন
We can use ReLU activ layer

Pooling layer

Image থেকে 2D করা
Pooling 1D layer এ convert করা

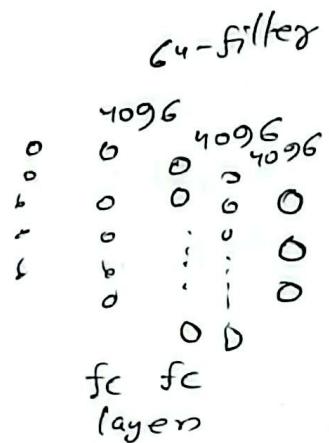
* Hyperparameters (knobs)

- translearning

CNN - input image size (9×9) fixed

guide CNN - model architecture - layer wise
cnn visualization - CNN explorer

VGG16 architecture diagram



25600

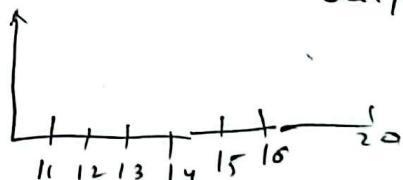
14 September 2025

I am

next word prediction

sequential problem

depend on another output



Google - Understanding Recurrent Neural Network

14 I/p \rightarrow Hidden layer \rightarrow output

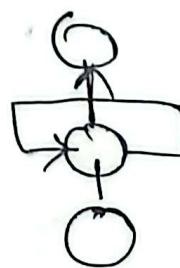
W_H M_STCA

G_PTCTTC 2010

15 I/P $\xrightarrow{W_x}$ [Hidden layer] \rightarrow O/P

pass to next HL

I/p \rightarrow Hidden layer \rightarrow O/p



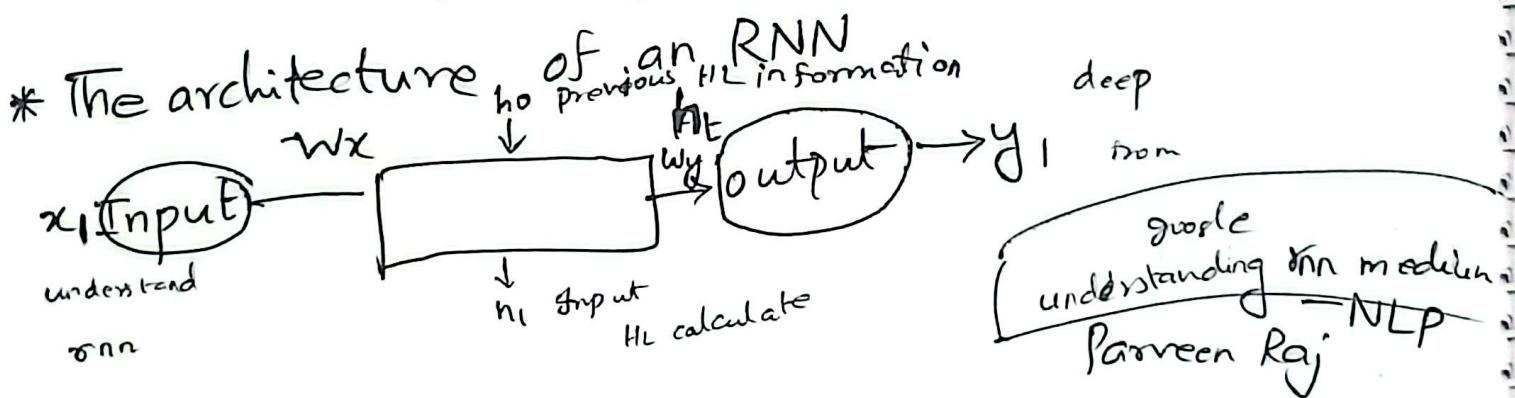
Normal Feed forward Neural Network

Can't memorize previous input



List of Common applications -

- Speech Recognition
- Sentiment Classification
- Machine Translation (i.e. Chinese to English)
- Video Activity Recognition
- Name Entity Recognition (i.e. Identifying names in sentences)



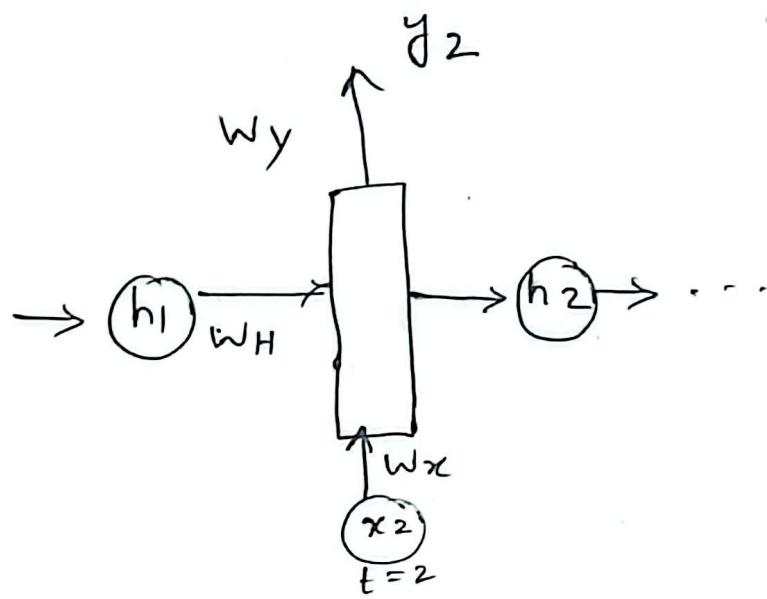
value
1) Categorical value \rightarrow string type
2) numerical value

convert categorical ~~to~~ numerical value
convert encoding ~~to~~ count |

$$d = \begin{bmatrix} 1 \\ 0 \\ 0 \\ 0 \end{bmatrix} \quad o = \begin{bmatrix} 0 \\ 1 \\ 0 \\ 0 \end{bmatrix} \quad g = \begin{bmatrix} 0 \\ 0 \\ 1 \\ 0 \end{bmatrix} \quad s = \begin{bmatrix} 0 \\ 0 \\ 0 \\ 1 \end{bmatrix}$$

Encoding of the word "dogs"

$$x = \begin{bmatrix} \quad \end{bmatrix}_{4 \times 1}$$



$$a_t = w_H h_{t-1} + w_x x_t$$

$$h_t = \tanh(a_t)$$

$$y_t = \text{Softmax} = (h_t \cdot w_y)$$

$x \cdot w_x + h_1 \cdot w_H$

$a_t = w_H h_{t-1} + w_x x_t$

$h_t = \tanh(a_t)$

$y_t = \text{Softmax} = (h_t \cdot w_y)$

\downarrow

$4 \times 1 \quad w_x$

$3 \times 1 \quad w_H$

$3 \times 3 \quad h_{t-1}$

$3 \times 1 \quad w_y$

$4 \times 1 \quad y_t$

send to o/p layer

$$a_t = w_H h_{t-1} + w_x x_t$$

$3 \times 3 \quad 3 \times 1 \quad 4 \times 1$

$\uparrow \quad \uparrow \quad \uparrow$

softmax/ sigmoid

3×4

$$a_1 = w_H h_0$$

$$w_x x_1$$

$$()^{=1}$$

classification problem

Truly Once Daily
DELANZO™
 Dexlansoprazole INN 30 mg & 60 mg Vegi Cap.

~~Notes~~

TG September 2025

Backward Propagation

* BP for Multilayer (with fIN)

$$\Delta w_{ij} = \eta \delta_j \times \text{input}$$

\downarrow
gradient
 $= 0$ weight update করতে হবে না,

- 1) Vanishing gradient problem
- 2) Exploding gradient problem

understanding recurrent
Neural networks RNN nlp

Google Backward propagation

w_x, w_h, w_y

* Introduction to Long Short-Term memory (LSTM)

No memory cell

RNN কোন memory cell থাকে না
LSTM a dedicated memory cell থাকে।

In LSTM 3 special gates
 \downarrow
To control

- 1) Input gate - তাই info আসে এটি imp or not
memory তে রাখতে হবে কি রেখেন। decide করে।

* Types of RNN architecture -			
1) One-to-one	one I/p	one o/p	classification
2) One to many	Image	caption	1/o many o/p
3) many to one	Many	to one	(sentiment analysis)
4) Many to Many	one	many	sequence
5) Man			POS

Advantages & Disadvantages of RNN

Adv RNN are even used with convolutions to extend the effective pixel neighborhood.

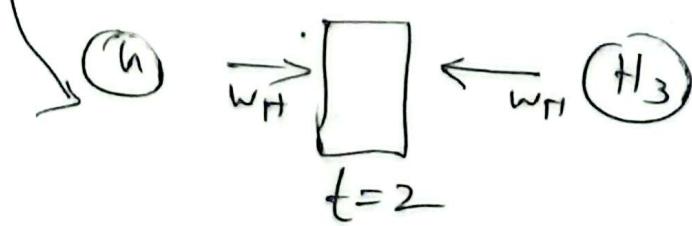
Disadv It cannot process very long sequence if using Tanh or Relu as an Activation function

* Applications of RNN

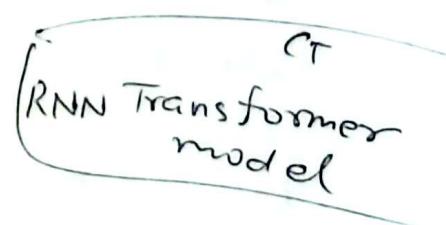
* Variation of RNN

1) Bidirectional Neural Network

- 2) LSTM



Bidirectional NN



For multiple - categorical cross entropy classification

* RNN Backpropagation through time weight matrix 3×3 w_x, w_y, w_h

1) Initialize weights

2) compute the loss

3) compute gradients based on gradients

4) Update weights based on gradients

5)

Previous loss + current loss
weight update

$$w_x = \begin{bmatrix} \cdot & \cdot & \cdot & \cdot \\ \cdot & \cdot & \cdot & \cdot \\ \cdot & \cdot & \cdot & \cdot \end{bmatrix} \quad 3 \times 4$$

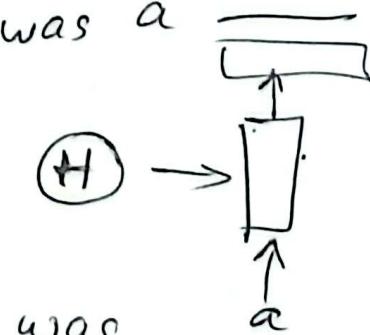
RNN problem

One major problem: Vanishing gradients

model to predict layer

like a memory based

The brown and black dog, which was playing with the cat, was a german shepherd.



- Vanishing gradients make it difficult for the model to learn long-term dependencies.

- 2) Forget gate - decide memory के info. आएँ
oita delete करने के लिए जो चीजें होंगी ,
- 3) Output gate - ^{मोने info.}
memory के या आएँ
प्राप्ति के लिए जो चीजें होंगी , current output / current prediction

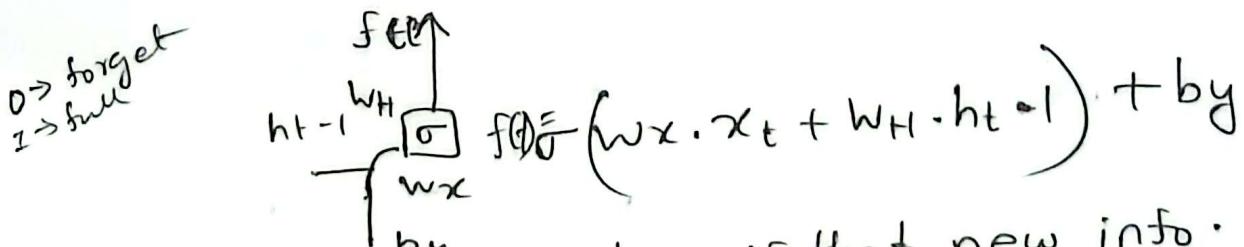
* What is the vanishing gradient problem?

1) cell state / Memory cell
kind of as a conveyor belt ,

$$c_{t-1} \xrightarrow{\otimes} \oplus x_t \longrightarrow c_{t+1}$$

2) Forget gate decides what info. should be forgotten .

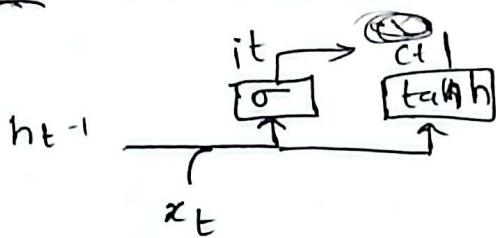
It does a dot product $h(t-1)$ and $x(t)$
sigmoid layer o/p a number b/w 0 and 1



3) Input gate - decides if that new info. is going to be stored in the cellstate .

- 3 parts -
- (1) A Sigmoid layer decides the values to be updated.
 - (2) A tanh activation function layer
- कोरा candidate बनाता है





$$C_f = C_{t-1} \times f_t + i_t \times c_t$$

current step portion
hidden state info.
memory update

(2) Output gate

Sigmoid layer
tanh layer -

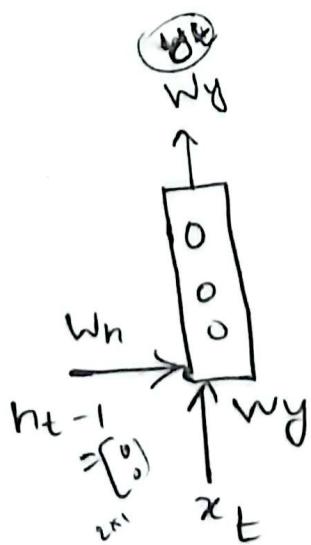
Memory ~~value~~ value after

$$\begin{matrix} y_t \\ \downarrow w_y \\ i_t \rightarrow c_t \\ \text{current memory} \end{matrix}$$

LSTM 2nd RNN ~~at~~
variation handle ~~at~~ LSTM
long dependence

GRU

21 September 2025



$$h_t = \tanh(W_x \cdot x_t + W_h \cdot h_{t-1})$$

$$h_{t-1} = []$$

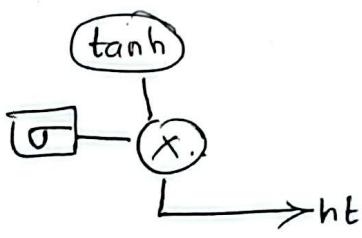
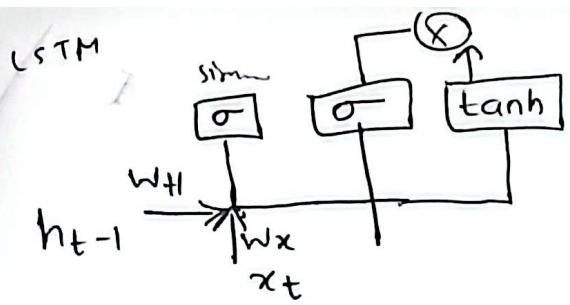
$$W_H = []$$

$$W_x = []$$

$$x = []$$

$$y_t =$$

SimpleRNN (-)



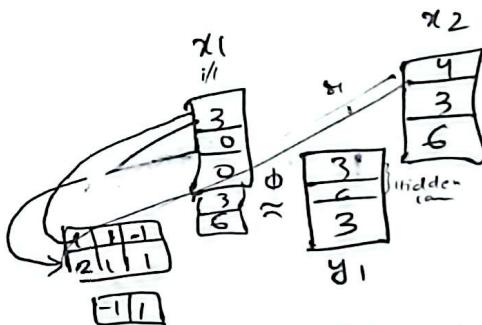
$$r(x_t + W_h h_{t-1})$$

RNN \Rightarrow i/p from o/p হবে করতে হবে (memory cells)

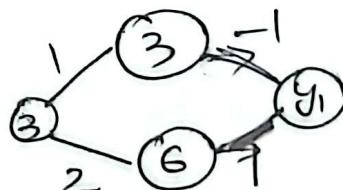
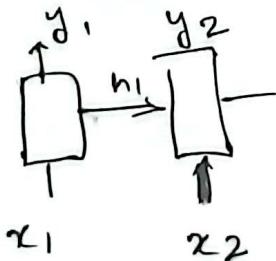
Google
RNN by hand

$$x = \begin{bmatrix} 3 & 4 & 5 & G \end{bmatrix}$$

$$\begin{bmatrix} 3 \\ 4 \\ 5 \\ C \end{bmatrix}$$



relu



$$-3 + 6 = 3$$

$$[3 \ 4] \begin{bmatrix} 1 & -1 \\ 1 & 1 \end{bmatrix}$$

$$\approx [3 \ 8]$$

$$\begin{bmatrix} 4 \\ 8 \end{bmatrix} \begin{bmatrix} 1 & -1 \\ 1 & 1 \end{bmatrix} = 4 + 8 - 8 = 4$$

$$\begin{bmatrix} 4 & -8 \\ 4 & 8 \end{bmatrix}$$

$$32^{-3}$$

$$r_2$$

$$a_1 = w_x \cdot x_t + w_h h_{t-1} + b_f$$

$$h = AF(a_1)$$

$$y_1 = AF(h_1 \cdot w_y)$$



Input node

$$d = \begin{bmatrix} 1 \\ 0 \\ 0 \\ 0 \\ 0 \end{bmatrix}$$

bias Hidden node & initial bias other

RNN

Input sequence

$$x \quad \begin{array}{|c|c|c|c|} \hline x_1 & x_2 & x_3 & x_4 \\ \hline 3 & 4 & 5 & 6 \\ \hline \end{array}$$

Node $\frac{c}{n}$ states

Parameter A

$$\begin{bmatrix} 1 & -1 \\ 1 & 1 \end{bmatrix}$$

$$\begin{bmatrix} 1 \\ 2 \end{bmatrix}$$

$$\begin{bmatrix} -1 & 1 \end{bmatrix}$$

(3)

$A \cdot F$ ϕ : ReLU

Hidden states

h_0

$$\begin{bmatrix} 0 \\ 0 \end{bmatrix}$$

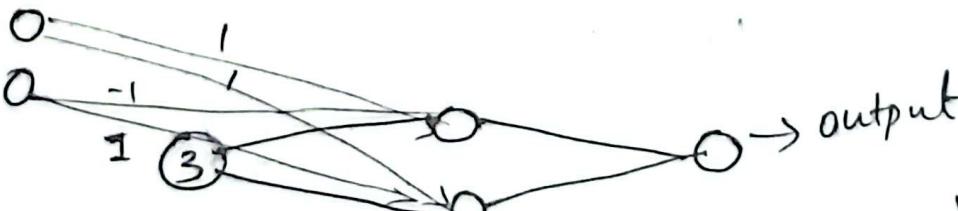
Output sequence

y

$$\begin{array}{|c|c|c|c|} \hline & & & \\ \hline \end{array}$$

w_h

Previous
hidden
layer
node



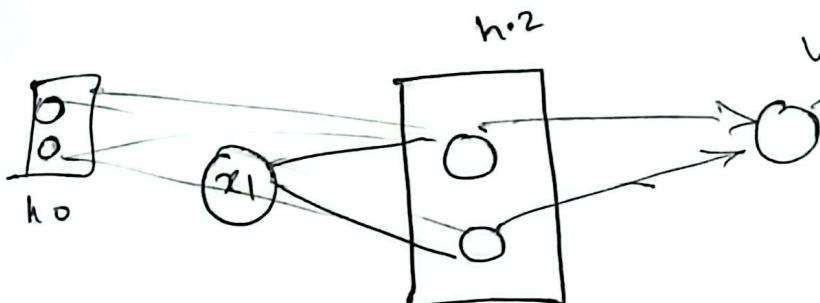
$$w_h = \begin{bmatrix} 1 & -1 \\ 1 & 1 \end{bmatrix}$$

$$w_x = \begin{bmatrix} 1 \\ 2 \end{bmatrix}$$

$$w_y = \begin{bmatrix} -1 & 1 \end{bmatrix}$$

current y
previous

23 Sept 2025) intro.
 Google introductory medium
 Understanding recurrent neural networks - nlp
 node കൂട്ടി ചാക്ക എന്നതു എന്ത്
 h₀ = previous state of hidden layer o/p



$$w_y = []_{1 \times 2}$$

$$\text{tanh} []_{1 \times 3}$$

o/p 2^T



$$w_y = [\square \square]$$

$$w_x = [w_1 \quad w_2]$$

$$w_h = [\square \square]_{2 \times 2}$$

$$h_0 = [h_1 \quad h_2]_{2 \times 1}$$

Depends on
hidden unit
node



$$[h_1 \quad h_2 \quad h_3]$$



$$w_x = []_{2 \times 2}$$

$$x_t \cdot w_x + [w_h \cdot h_{t-1}] \rightarrow 1 \times 3$$

$$\begin{bmatrix} 2 \\ -1 \\ 0 \\ 1 \end{bmatrix}$$

$$\begin{bmatrix} 1 & 0 \\ 0 & 2 \\ 1 & 2 \end{bmatrix}$$

$$\begin{bmatrix} 2 \\ -1 \\ 0 \\ 1 \end{bmatrix} \begin{bmatrix} 1 & \dots & \end{bmatrix} \quad \text{4x3}$$

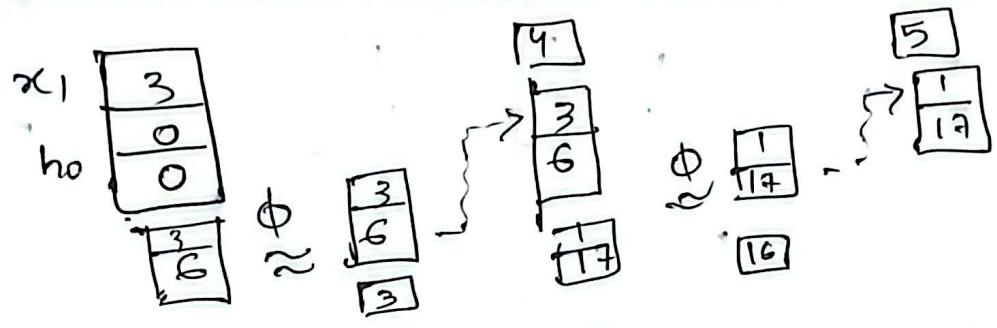
$$d_1 \begin{bmatrix} 2 & 1 & 1 & 1 \\ -1 & 0 & 1 & 2 \\ 0 & 1 & 0 & -1 \\ 1 & 0 & 0 & 2 \end{bmatrix} \begin{bmatrix} \cdot \\ \cdot \\ \cdot \\ \cdot \end{bmatrix} \quad x \quad w_t \quad 1 \times 3$$

Google medium LSTM

* Introduction to Long Short Term Memory (LSTM)

* Understanding Recurrent Neural Network (RNN)

कोड में लिया गया (multiplication)



$$a_1 = \begin{bmatrix} 1 \\ 2 \end{bmatrix} 3 + \begin{bmatrix} 1 & -1 \\ 1 & 1 \end{bmatrix} \begin{bmatrix} 0 \\ 0 \end{bmatrix}$$

$$= \begin{bmatrix} 3 \\ 6 \end{bmatrix} + \begin{bmatrix} 0 \\ 0 \end{bmatrix} = \begin{bmatrix} 3 \\ 6 \end{bmatrix}$$

$\xrightarrow{\text{w}_y}$

$$h_1 = \begin{bmatrix} 3 \\ 6 \end{bmatrix} \times \begin{bmatrix} -1 \\ 1 \end{bmatrix}$$

$$[-1 \ 1] \times \begin{bmatrix} 3 \\ 6 \end{bmatrix} =$$

$$a_1 = \begin{bmatrix} 1 \\ 2 \end{bmatrix} 4 + \begin{bmatrix} 1 & -1 \\ 1 & 1 \end{bmatrix} \begin{bmatrix} 3 \\ 6 \end{bmatrix}$$

$$\begin{bmatrix} 4 \\ 8 \end{bmatrix} + \begin{bmatrix} -3 \\ 9 \end{bmatrix} = \begin{bmatrix} 1 \\ 17 \end{bmatrix}$$

$$h_1 = \begin{bmatrix} -1 & 1 \end{bmatrix} \times \begin{bmatrix} 1 \\ 17 \end{bmatrix}$$

$$= 16$$

5
17

$$a_1 = \begin{bmatrix} 1 \\ 2 \end{bmatrix} \times 5 + \begin{bmatrix} 1 & -1 \\ 1 & 1 \end{bmatrix} \begin{bmatrix} 1 \\ 17 \end{bmatrix}$$

$$= \begin{bmatrix} 5 \\ 10 \end{bmatrix} + \begin{bmatrix} 1 & -17 \\ 1 & 17 \end{bmatrix}$$

$$= \begin{bmatrix} 5 \\ 10 \end{bmatrix} + \begin{bmatrix} -16 \\ 18 \end{bmatrix}$$

$$= \begin{bmatrix} -11 \\ 28 \end{bmatrix}$$

using relu A.F.

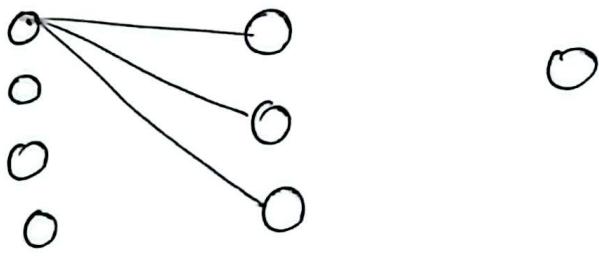
$$h_1 = \begin{bmatrix} -11 \\ 28 \end{bmatrix} = \begin{bmatrix} 0 \\ 28 \end{bmatrix}$$

$$y_1 = \begin{bmatrix} -1 & 1 \end{bmatrix} \begin{bmatrix} 0 \\ 28 \end{bmatrix}$$

$$= \begin{bmatrix} 0 & 28 \end{bmatrix}$$

$$= 28$$

xxcl



$$W_x = [3 \times 4]$$

$$W_h = [3 \times 3]$$

$$W_y = [1 \times 3]$$

$$a_1 = \begin{bmatrix} 1 & 0 & -1 & 1 \\ 0 & 2 & 1 & 0 \\ 1 & 2 & 1 & 0 \end{bmatrix} \begin{bmatrix} 2 \\ -1 \\ 0 \\ 1 \end{bmatrix} + \begin{bmatrix} 1 & 0 & 1 \\ 0 & 1 & 1 \\ 0 & 1 & 0 \end{bmatrix} \begin{bmatrix} 0 \\ 0 \\ 0 \end{bmatrix} + \begin{bmatrix} 1 \\ -1 \\ -1 \end{bmatrix}$$

$$\tanh^{-1} \text{ to } A^F$$

Q) w_x, w_y, w_h value করে
~~এবং~~ y_3 value ~~কো~~ find করতে চাবে



$$w_y = \begin{bmatrix} 3 \\ 0 \\ -1 \end{bmatrix}$$

Transpose করে multiply করতে চাবে

gate
5th layer

Q) input source — column সংজ্ঞা
" Destination — ROW সংজ্ঞা

$$w_y = \text{shape} \begin{bmatrix} w_{y1} \\ w_{yz2} \\ w_{yz3} \end{bmatrix}$$

transpose করতে চাবে

$$w_y = [w_{y1} \quad w_{yz2} \quad w_{yz3}]$$

Truly Once Daily
DELANZO™
Dexlansoprazole INN 30 mg & 60 mg Vegi Cap.

RNN bas

RNN weight matrix

W_x, W_y, W_h

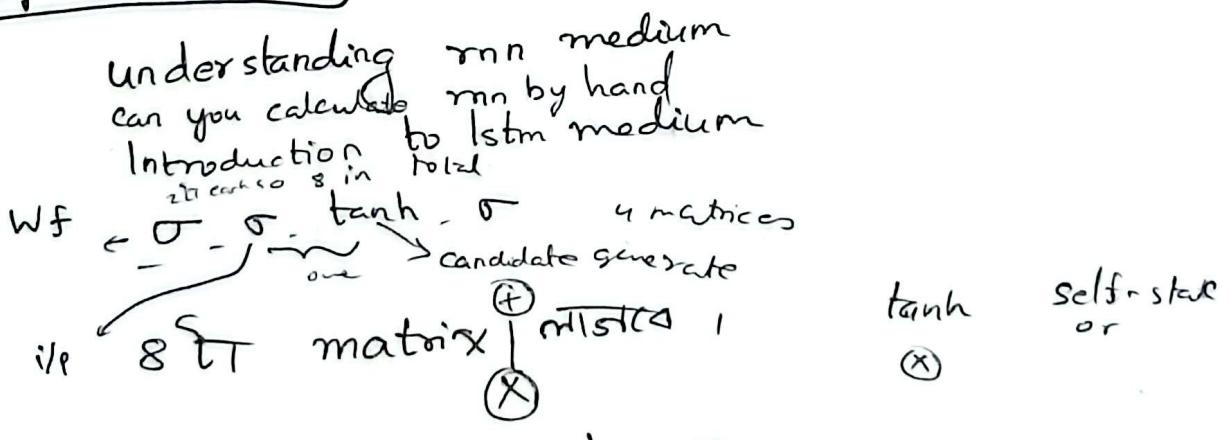
forget gate

W_x forget gate matrix
 W_c input gate candid mat
 W_o o/p matrix
Yellow W_x Green W_h
Total matrix = 2

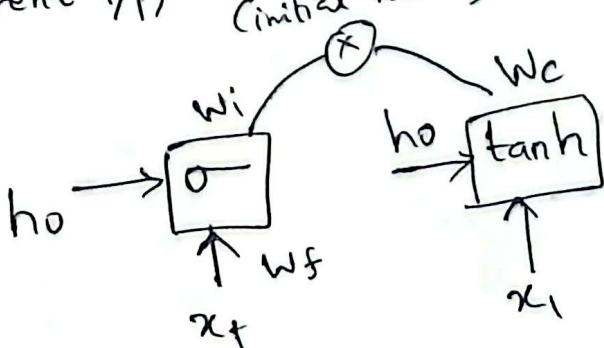
RNN math: কৈমে আসবে

7 October 2025

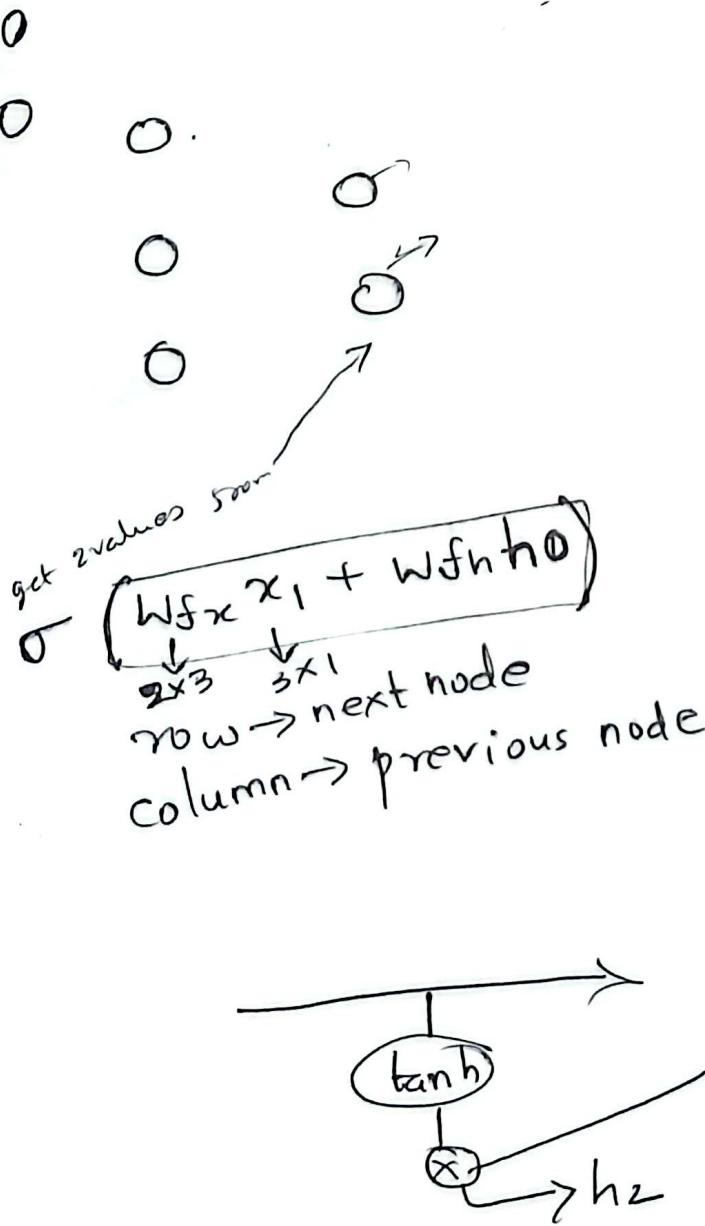
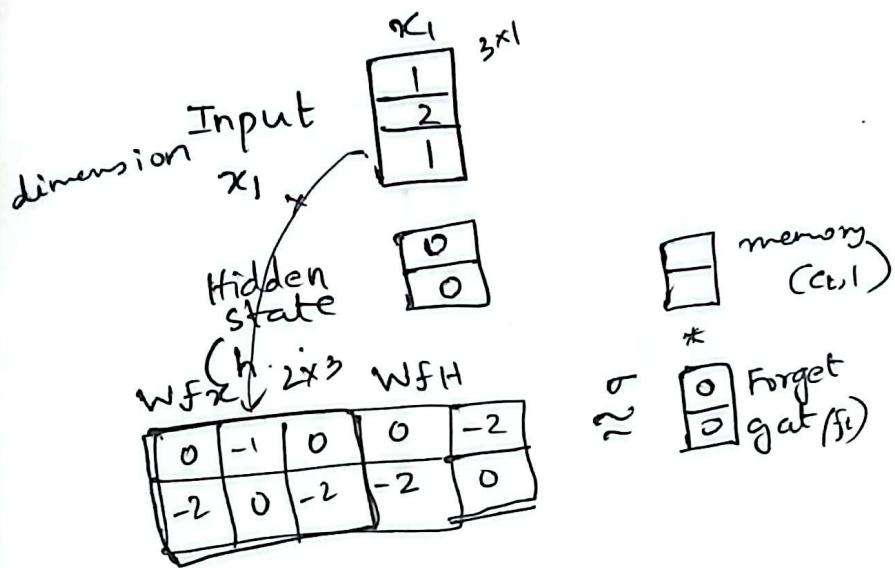
LSTM



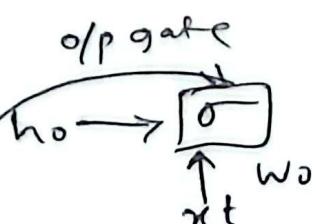
$$\text{current i/p, hidden state} \\ (\text{initial memo})$$
$$x_t \rightarrow \begin{matrix} w_f \\ \sigma \end{matrix} \quad \begin{matrix} w_i \\ \sigma \end{matrix} \quad \begin{matrix} w_c \\ \sigma \end{matrix} \quad \begin{matrix} w_o \\ \sigma \end{matrix}$$



LSTM

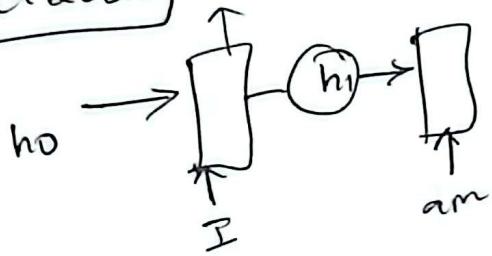


$$\begin{aligned} & (2 \times 3) (3 \times 1) \\ & = (2, 1) \end{aligned}$$



Truly Once Daily
DELANZO™
 Dexlansoprazole INN 30 mg & 60 mg Vegi Cap.

8 Oct 2025]



sequence to sequence model

Jay Alamman
visualizing a Neural Machine Translation Model
(Mechanics of seq2seq Models with Attention)

To transform word into vector we turn
to the class of methods called word embedding.

After the sentence finished there will be end tag.
Decoder $\xrightarrow{\text{Input}}$ $\xrightarrow{\text{embedding generation}}$ $\xrightarrow{\text{END}}$ $\xrightarrow{\text{tag}}$

Decoder $\xrightarrow{\text{Input}}$ $\xrightarrow{\text{embedding generation}}$ $\xrightarrow{\text{END}}$ $\xrightarrow{\text{tag}}$

* Attention module
weight \times multiply \times handle \times
Extra attention calculate - extra attention

Attention Mechanism

Truly Once Daily
DELANZO™
Dexlansoprazole INN 30 mg & 60 mg Vegi Cap.

12 Oct 2025]

~~Self-calculat~~

Self-Attention -

Decoder Encoder-Decoder Attention

Encoder context vector \tilde{c}_i याएँ

Fuzzy logic Neural Networks

Human brain, perceptron, Mac Culloch's pit, Single neuron, Approximation, Universal activation Function, Evaluation Matrix, Hidden layer with proper AF, Forward Propagation, Gradient descent, Cost Theorem, A·F (Types), Backpropagation (Precision, Recall, Cost), Regression (MSE, MAE), Function, Classification (cost), Full connected Early stopping, underfitting, overfitting, CNN (local minima) layer, Pooling layer, Relu, filter, Convolutional operation, padding, pooling method, strides, Filter size, feature map) RNN[?] model, Time by Time change, Hidden info. one to another layer pass, RNN math), LSTM (dedicated memory एकी, output gate forget gate, input gate op, memory एकी, long dependency problem solve, seq2seq model, Transformer model Basics)

Fuzzy logic

Introduction to Fuzzy logic systems

Human जीवन का मानव विचारणा.

Binary logic

Thinking capability and behavior like human.
Uncertainty, Partial truth

* Introduction vague information

our model any value $\in [0, 1]$

Fuzzy logic value - 0 \leq value \leq 1



* Crisp sets and logic

$$\text{Tall} = \{$$

$$\text{Medium} =$$

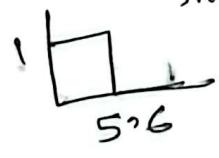
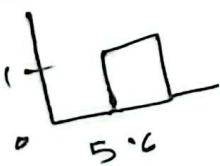
$$\text{Short} = \{$$

\rightarrow crisp set/binary set

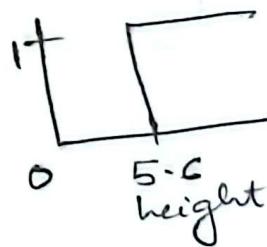
y

Threshold
set 5'6
5'59

5'6 - 5'9



short graph



* Fuzzy sets

Membership function

$$\begin{aligned}\text{Tall} &= \{ 1 & 0 \\ \text{Medium} &= \{ 0 & 1 \\ \text{Short} &= \{ 0 & 0 \end{aligned}$$

$$\text{Tall} = \{ 0 & 0 \\ 0 & 1 \end{math>$$

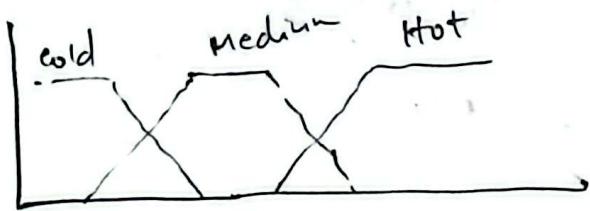
$$\text{Medium} = \{ 0 & 0 \\ 0 & 1 \end{math>$$

$$\text{Short} = \{ 0 & 0 \\ 0 & 1 \end{math>$$

* Basic configuration

- 1) Fuzzification
- 2) Fuzzy Inference Engine / system
- 3)

* Design of Fuzzy system AI integrated fan-speed



A total of nine rules are used to describe the knowledge necessary to operate our fan:

- 1) Fuzzification - input ~~FECHA~~ crisp set \rightarrow convert
जहाँ Fuzzy membership

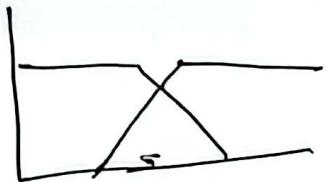
- 2) Fuzzy inference Engine
With this input 2 rules are fired with a degree higher than zero
and rule strength \rightarrow

Fan speed graph

\rightarrow ~~fuzzy~~ crisp value

- 3) Mamdani Algorithm
Mamdani and Sugeno Inference Systems
gives min. value

Triangle Membership function - Increasing and decreasing of temp.



Trapezoidal Membership function

* Fuzzy operation

sign Union \rightarrow max value নিয়ে

$$A = \{ 0\%, 1\%, 2\%, 0.5/3, 1/4, 0.5/5, \dots \}$$

$$B = \{ \dots 0/4, 0.5/5, 1/6, \dots \}$$

$$A \cup B = \{ 0.5/3, 1/4, \dots \}$$

$$A \cap B = \{ 0/3, 0.5/5, \dots \}$$

slide

* Union - Max value নিয়ে 2²

* Intersection

* Complement

$$\mu_{\neg A}(x) = 1 - \mu_A(x)$$

google * fuzzy Inference Systems
If , then logic কাজ করে

introduced by Lotfi Zadeh (1921-2017) in 1965.

like crisp set ---

The membership function ---- degree of belonging.

[Oct 2025]

A very brief introduction to fuzzy logic

Membership value - 0 or 1

Intro to fuzzy logic
& fuzzy systems

Crisp set and logic

Uncertainty express

$0 \leq x \leq 1$ AUB
 $x = 1$ intersect

$$12 \leq x \leq 4$$

$\frac{4}{12} \text{ or } 0.33$ $\frac{12}{22} \text{ or } 0.55$

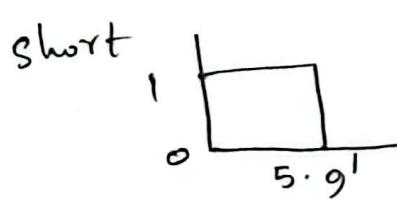
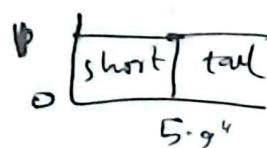
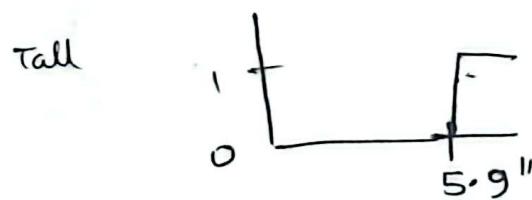
x
5.6

* Fuzzy sets

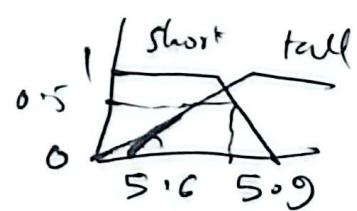
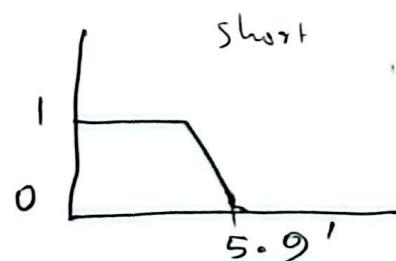
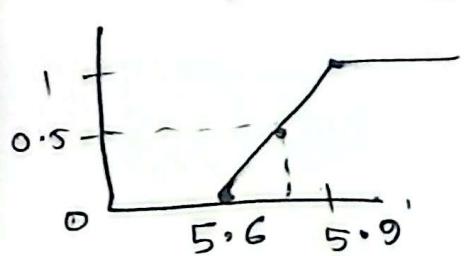
value from 0 to 1

$$\text{tall} = \{0.8\}$$

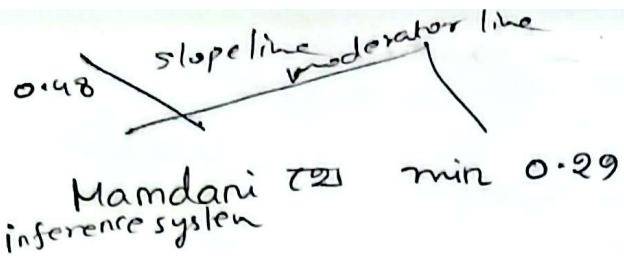
$$\text{short} = \{0.2\}$$



Fuzzy set



$$\text{tall} = \{0.5\}$$
$$\text{short} = \{0.5\}$$



slow = 0.48
moderate = 0.29

↓
crisp, \rightarrow convert
centre of gravity point \rightarrow crisp conversion.

Centre of gravity - ~~standard~~ centre of gravity point
Defuzzification - Fuzzy ~~convert~~ crisp conversion.

slide * Properties of Fuzzy sets

1) Report submit both online & offline - 10

2) Hardcopy print & submit to SIR

plagiarism less than 30%

AI less than 20%

Latex format for
format given

min 20 Pg

* No code in methodology

Github
• ipynb - Python as notebook file
model h5 model as chunk. as o/p file
2) Github link - code, Model tester video 10

27 Oct submission dat = 11.59



PUC CGIP projects
PUC IP projects
openCV
C++
3) Youtube video submission
10
+ viva

-Youtube

Padding:

Padding means adding extra rows and columns (usually filled with zeros) around the edges of an input image before applying the convolution operation.

- 1) Validation data - used to tune hyperparameters and check performance during training.
Model evaluation during training.
- 2) Validation data helps to avoid overfitting (when the model memorizes training data).
- 3) Training data - helps the model learn.
Model training phase.
- 3) Testing data - Measures generalization ability - how well the model works on new, unseen data.
verbose=0, shows loss of every epoch
convolutional works well on grid-type data.

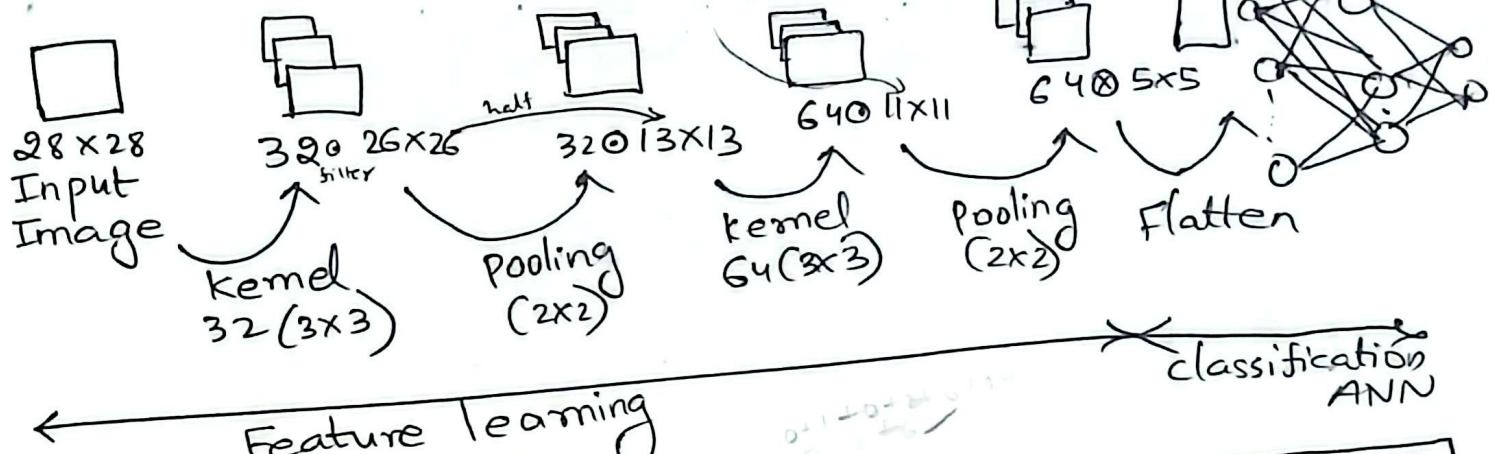
1. KERNEL = Filters
= Feature detector

2. STRIDE

3. PADDING

4. POOLING

5. FLATTEN



Feature learning

3	3	2	1	0
0	0	1	3	1
3	1	2	2	3
2	0	0	2	2
2	0	0	0	1

5×5
Input

$$\begin{aligned} \text{Output} &= [i - k] + 1 \\ &= [5 - 3] + 1 = 3 \end{aligned}$$

0	1	2
2	2	0
0	1	2

Kernel

3×3

12	12	17
10	17	19
9	6	14

0 + 3 + 4
+ 0 + 0 + 0
+ 0 + 1 + 4

Feature map / convoluted map
 3×3

Truly Once Daily
DELANZO™
Dexlansoprazole INN ↑ 30 mg & 60 mg Vegi Cap.

$$\text{Output Dimension} = \left\lceil \frac{\text{Input Dimension} - \text{kernel size} + 2 \times \text{Padding}}{\text{stride}} \right\rceil + 1$$

Dimensions after each operation:

- 1) After 3×3 convolution : $10 \times 10 \times 40$
- 2) After ReLU Activation : $10 \times 10 \times 40$
- 3) After 3×3 Max Pooling : $10 \times 10 \times 40$
- 4) After 3×3 convolution : $10 \times 10 \times 20$
- 5) After ReLU Activation : $10 \times 10 \times 20$
- 6) After 2×2 Max Pooling : $6 \times 6 \times 20$

- 1) 3×3 convolution (40 channels) with stride 1 and padding 1

kernel size = 3×3 stride: 1 Padding: 1

Input dimensions: $10 \times 10 \times 10$

$$\text{Output Width} = \left\lceil \frac{10 - 3 + 2 \times 1}{1} \right\rceil + 1 = 10$$

$$\text{Output Height} = \left\lceil \frac{10 - 3 + 2 \times 1}{1} \right\rceil + 1 = 10$$

$$\text{Output channels} = 40$$

$$\text{Dimension} = 10 \times 10 \times 40$$

- 2) ReLU Activation

- Does not change dimensions

- Output Dimensions : $10 \times 10 \times 40$

- 3) 3×3 Max Pooling with stride 1 and padding 1

kernel size = 3×3

Stride = 1

Padding = 1

$$\text{Output width} = \left\lceil \frac{10 - 3 + 2 \times 1}{1} \right\rceil + 1 = 10$$

$$\text{Output height} = \left\lceil \frac{10 - 3 + 2 \times 1}{1} \right\rceil + 1 = 10$$

Output channels = 40 (channel dimension remains unchanged in pooling)

$$\text{Dimension} = 10 \times 10 \times 40$$

Pooling - Max Pooling (2x2)

Reduce dimension

6	14	17	11	3
14	12	12	17	11
8	10	17	19	13
11	9	6	14	12
6	4	4	6	4

5x5

$$\frac{5}{2} = \lfloor 2.5 \rfloor = 2$$

14	17
11	19

Avg pooling

11.5	14.25
10.5	14.0

25%
20

$$6 + 14 + 14 + 12 = \frac{40}{4}$$

CNN calculating Parameters (Output Dimensions)

- Q) Consider the input tensor of dimensions $10 \times 10 \times 10$ where the last dimension is the channel dimension. The following operations are applied:
1. 3×3 convolution (40 channels) with stride 1 and padding 1 for each dimension.
 2. ReLU activation
 3. 3×3 max pooling with stride 1 and padding 1 for each dimension.
 4. 3×3 convolution (20 channels) with stride 1 and padding 1 for each dimension.
 5. ReLU activation.
 6. 2×2 max pooling with stride 2 and padding 1 for each dimension.



stride - move two blocks

3	3	2	1	0
0	0	1	3	1
3	1	2	2	3
2	0	0	2	2
2	0	0	0	1

5x5
Input

$$0+3+4+0+0+0+0+1+4 \\ 0+1+0+2+6+0+0+2+6$$

12	7
9	14

2x2

0	1	2
2	2	0
0	1	2

kernel

3x3

12	12	7
10	17	9
9	6	14

Feature map

$$0 = \left\lceil \frac{i-k}{s} \right\rceil + 1 \\ = \left\lceil \frac{5-3}{2} \right\rceil + 1 = 2$$

Padding (Border problem solver)

0	0	0	0	0	0	0
0	3	3	2	1	0	0
0	0	0	1	3	1	0
0	3	1	2	2	3	0
0	2	0	0	2	2	0
0	2	0	0	0	1	0
0	0	0	0	0	0	0

0	1	2
2	2	0
0	1	2

3x3

/	/	/
/	/	/
/	/	/

3x3
5x5

$$0 = \left\lceil \frac{i-k+2P}{s} \right\rceil + 1 = \left\lceil \frac{5-3+2 \times 1}{1} \right\rceil + 1 = \left\lceil \frac{5-3+2 \times 1}{1} \right\rceil + 1 = 5 \times 5$$

6	14	17	11	3
14	12	12	17	11
8	10	17	19	13
11	9	6	14	12
6	4	4	6	4

5x5

4) 3×3 Convolution (20 channels) with stride 1 and padding 1

kernel size = 3×3
stride = 1

padding = 1
Input dimension = $10 \times 10 \times 40$

$$\text{Output width} = \left\lfloor \frac{10 - 3 + 2 \times 1}{1} \right\rfloor + 1 = 10$$

$$\text{Output height} = \left\lfloor \frac{10 - 3 + 2 \times 1}{1} \right\rfloor + 1 = 10$$

Output channels = 20

Dimension = $10 \times 10 \times 20$

5) ReLU Activation

- Does not change dimension

- Output Dimension = $10 \times 10 \times 20$

6) 2×2 Max pooling with stride 2 and padding 1

kernel size = 2×2 padding = 1

stride = 2

$$\text{Output width} = \left\lfloor \frac{10 - 2 + 2 \times 1}{2} \right\rfloor + 1 = 6$$

$$\text{Output height} = \left\lfloor \frac{10 - 2 + 2 \times 1}{2} \right\rfloor + 1 = 6$$

Output channels = 20 (channel dimension remain unchanged in pooling)

Dimension = $6 \times 6 \times 20$



Parameter Count

i) Number of Parameters = $(\text{kernel height} \times \text{kernel width} \times \text{input channels} + 1) \times \text{output channels}$

First 3×3 convolution (40 channels):

Kernel height = 3

Kernel width = 3

Input channels: 10 (initial input channels)

Output channels = 40

$$\text{Parameters} = (3 \times 3 \times 10 + 1) \times 40 = (90 + 1) \times 40 = 3640$$

ii) second 3×3 convolution (20 channels):

The input to this layer is the output of the first max pooling layer, which maintains 40 channels.

Output channels = 20

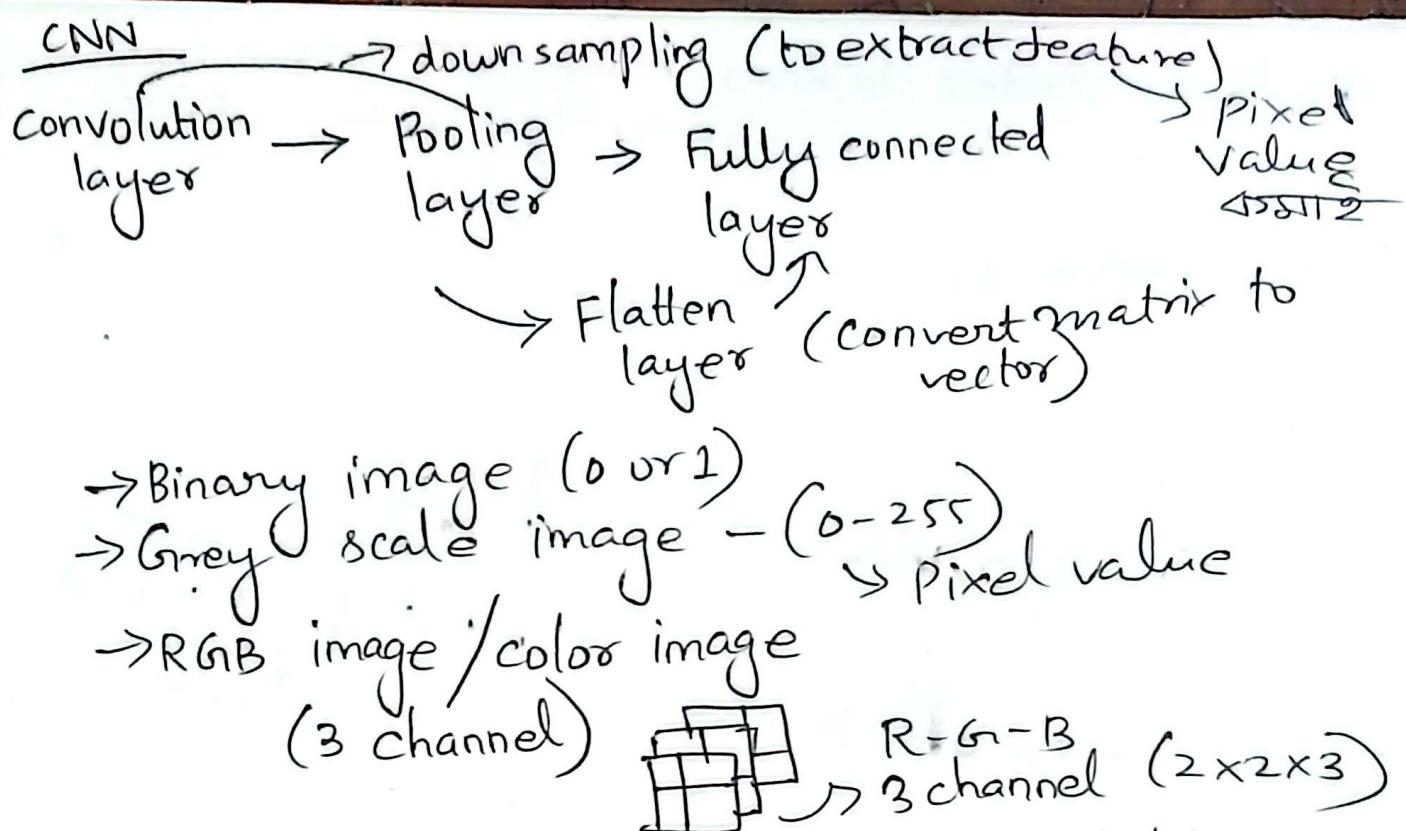
$$\text{Parameters} = (3 \times 3 \times 40 + 1) \times 20 = (360 + 1) \times 20 = 7220$$

Total Parameters

Total number of parameters in the CNN:

$$\text{Total parameters} = 3640 (\text{first conv}) + 7220 (\text{2nd conv}) \\ = 10860$$

Thus, the CNN has a total of 10,860 parameters, solely from the convolutional layers as pooling layers and ReLU activations do not add any learnable parameters.



Feature mapping → Region wise matching

⇒ Will be computational costly if convolutional layer, pooling layer are not used.

e.g. 120,000 $\xrightarrow{\text{down sampling}}$ 100 pixels
 → ReLU (introduce non-linearity by converting negative values to 0).

Convolutional layer → Pooling layer → Flatten layer (convert 2D matrix to 1D vector)



$$\frac{32 - 6 + 2 \times 0}{1} + 1 = 28 \times 28 \times 6$$

$$\frac{28 - 5 + 2 \times 0}{2} + 1 = 14 \times 14 \times 6$$

$$\frac{14 - 5 + 2 \times 0}{1} + 1 = 10 \times 10 \times 16$$

$$\frac{10 - 2 + 2 \times 0}{2} + 1 = 5 \times 5 \times 16$$

$$\frac{5 - 5 + 2 \times 0}{2} + 1 = 1 \times 1 \times 120$$

21 October 2025

- * Membership function
- * Various type of Membership function
- * Fuzzy Set representation
- * Fuzzy Representation
- * Empty Fuzzy set
- * Fuzzy operations
- * Union - max value
- * Intersection - min value
- * Complement $r_A(x) = 1 - r_A(x)$
- * Multiplying a Fuzzy set by a crisp number
(just like α)
- * Properties of Fuzzy sets (exan like this α)
- * Fuzzy operations example

$$r_A(x) = \frac{x}{x+1}$$

$$A \cdot \frac{0}{0+1} = 0$$

$$\frac{1}{0+1} =$$

$$A = \{0/0, 0.5/1, 0.67/2 \dots\}$$

$$r_B(x) = 4 - (x+1)$$

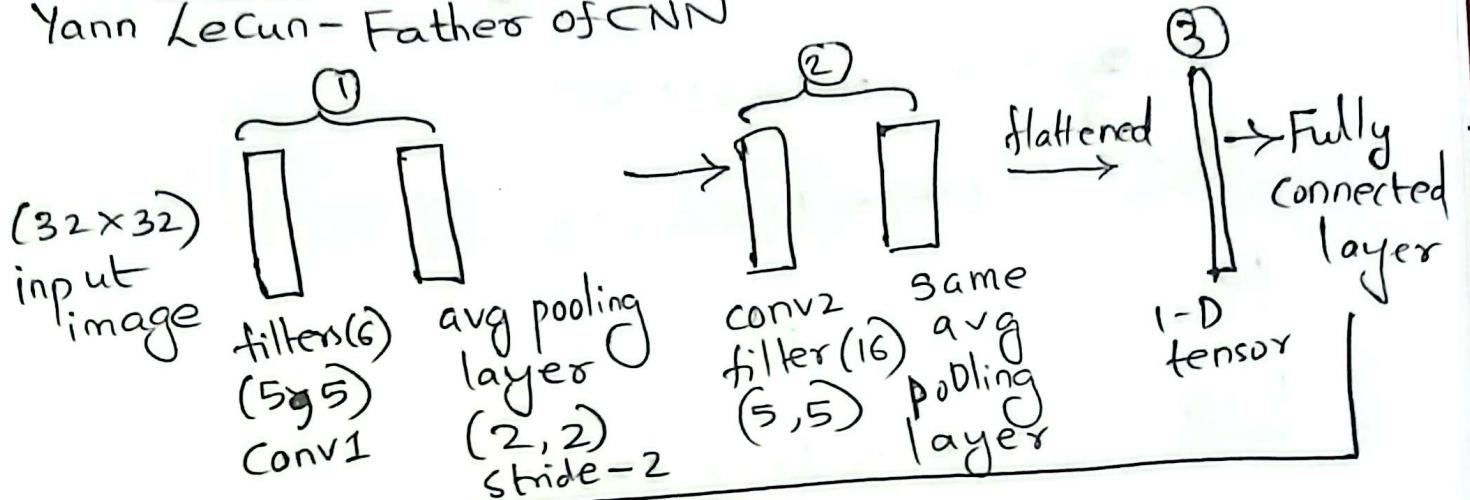
$$B = \{3/0, 2/1,$$

$$= 2 - 0+1$$

$$x = [0, 5]$$

LeNet: (LeNet - 5 layers)

Yann Lecun - Father of CNN



The diagram illustrates a neural network structure. It starts with a 'fully-connected layer of 128 neurons' (labeled ④), which is connected by an arrow to a 'fully-connected layer of 84 neurons' (labeled ⑤). A final arrow points from layer 5 to 'Softmax (digit classification)'.

$$(32 \times 32) \rightarrow (28, 28, 6) - (14, 14, 6) \rightarrow (10, 10, 16) - (5, 5, 16)$$

Pixel image

Pixel image
 \rightarrow (25×16)
 \rightarrow 400
 flatten layer $\rightarrow (400 \times 120) (120 \times 84) (84 \times 10)$
 10 digits
 batch size increases

When CNN increases, ~~filter~~ size increases
LeNet - activation function (tanh)

Parameters calculation:

Parameter calculation:
 conv1: $(K_w \times K_h \times \text{Input chan} + 1) \times \text{output channel}$
 $(5 \times 5 \times 3 + 1) \times 5 = 456$

$$\frac{W - F + 2P}{S} + 1$$

$$\frac{5 - 69 + 1}{1}$$

$$\text{conv2: } \cancel{(5 \times 5 \times 3+1)} \times 16 = 2416$$

$$\text{Q3} \quad \text{Ans: } (5 \times 5 \times 16 + 1) \times 120 = 48120$$

$$\text{Q3} \quad \text{Ans: } (5 \times 5 \times 16 + 1) \times 120 = 48120$$

$$\text{Q3} \quad \text{Ans: } (5 \times 5 \times 16 + 1) \times 120 = 48120$$

$$\text{Q3} \quad \text{Ans: } (5 \times 5 \times 16 + 1) \times 120 = 48120$$

$$\text{Q3} \quad \text{Ans: } (5 \times 5 \times 16 + 1) \times 120 = 48120$$

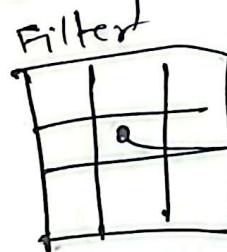
$$\text{Q3} \quad \text{Ans: } (5 \times 5 \times 16 + 1) \times 120 = 48120$$

strides - strides defines how far the filter moves across the image during convolution.

Feature map -

Feature map represents the activation produced by applying a specific filter to input data.

$3 \times 3 \times 1 \rightarrow$ filter value is 1



center by
conversion,
hyperparameter
can be changed.

⊗ sign for convolution operation

Feature map size = $\frac{W - F + 2P}{S} + 1$

F = Filter size
 P = padding
 W = Picture size
 S = stride

- Pooling layer \rightarrow Pools out important pixels (also works as filter) \rightarrow Filters does not have any value

↳ Max-pooling ↳ Average pooling } Reduces size

CNN - Uses transfer learning

if I want to use transfer learning,
the image size has to be ~~the~~ same
(disadvantage)

Approach

- LeNet
- Alex Net
- ZF Net
- VGG
- Google Net
- ResNet