作业0

CCH(水)=| Ck=+11) 数从2+1时线记录成立,由中国的知,对从21、线论均成立

$$|C| = \frac{C_{10}^{4}(\frac{1}{2})^{4}}{|C|^{2}(\frac{1}{2})^{4}} = \frac{C_{10}^{4}}{2^{10}}$$

② 62 放射 注意抽 5 独 的 图号段 才 C 52 型加 XXX YY , 先近取 X、Y, 4% 压定 4 级 X 中进取 3 饭 . C 4 , 在 4 级 Y 中 进取 2 级 , C 4 及 p = 46 C 4 C 5

1.3 lip:
$$p(A|B) = \frac{p(A|B)}{p(B)} = \frac{(\frac{1}{2})^3}{|-(\frac{1}{2})^3} = \frac{1}{7}$$

$$\frac{14 \text{ if:} \quad P(X<0||X|=1) = P(X=-1||X|=1) = P(bix=1||X|=1)}{P(bix=1, ||X|=1)} = \frac{P(bix=1, ||X|=1)}{P(bix=1, ||X|=1)} = \frac{P(bix=1, ||X|=1)}{P(bix=1, ||X|=-1)} = \frac{\frac{1}{2} \times \frac{1}{4}}{\frac{1}{2} \times \frac{1}{4} + \frac{1}{2} \times \frac{1}{8}} = \frac{2}{3}$$

1.5
$$\frac{1}{15}$$
 : $\frac{1}{15}$:

$$| \zeta | = \frac{1}{N-1} \sum_{h=1}^{N} (X_h - \overline{X})^2$$

$$= \frac{1}{N-1} \sum_{h=1}^{N} (X_h^2 - 2X_h \overline{X} + \overline{X}^2)$$

$$= \frac{1}{N-1} \left(\sum_{h=1}^{N} X_h^2 - 2\overline{X} \sum_{h=1}^{N} X_h + N\overline{X}^2 \right)$$

$$= \frac{1}{N-1} \left(\sum_{h=1}^{N} X_h^2 - 2N\overline{X}^2 + N\overline{X}^2 \right)$$

$$= \frac{N}{N-1} \left(\frac{1}{N} \sum_{h=1}^{N} X_h^2 - \overline{X}^2 \right)$$

$$P(Z=z) = P(X_1+X_2=z) = \iint_{B} f(x_1,x_2) dx_1 dx_2$$

$$= \int_{-\infty}^{\infty} \left(\int_{-\infty}^{z-x_1} f(x_1,x_2) dx_2 \right) dx_1$$

 χ_1 2 的 名度 函数 为 上式 本 号 $U(t) = \int_{-\infty}^{\infty} f(x_1, 2-x_1) dx$ = 5-00 S(X, Z-x) dx $= \int_{-\infty}^{\infty} \int_{1}^{\infty} (x, \int_{2}^{\infty} (2-x) dx \qquad (x, x, 32)$ X, ~ N(M. Gi) X, ~ N(M. Gi) 时入 过 $L(2) = \frac{1}{276662} \int_{-\infty}^{\infty} \exp \left[-\frac{1}{2} \left(\frac{(x-u_0)^2}{6x^2} + \frac{(2-x-u_0)^2}{6x^2} \right) \right] dx$ = (\(\frac{271(6i+6i)}{-1}\) exp \(\frac{1}{-2}\) (\(2-M_1-M_2)^2/(6i+6i)\) 12 2 N (MHU, 61-162) 对本题 Z~ N(-1,5) J.1 解: 矩阵的张描述的是含的/如何望的成性无关性,通过点好滴之法得到非全塞的段 rank (A)=2 22 解: 矩阵的运河通过 CA, 21 可测验检 $C2, A^{-1}$ 方列 $A^{-1} = \begin{pmatrix} 1/8, -5/8, 3/4 \\ -1/4, 3/4, -1/2 \\ 3/8, -7/8, 1/4 \end{pmatrix}$ $\det(\Lambda_{I}-A) = \begin{vmatrix} 1-3 & -1 & -1 \\ -2 & 1-4 & 2 \\ 1 & 1 & 1-1 \end{vmatrix} = (1-4)(1-2)^{2} = 0$

战的证值 A=4,A=2 C=重好证值)

本解3程 (AI-A) X = 0たか=9日 p = C(1, 2, -1) 1 = 1 = 2日 p = C(1, -1, 0)

2.4 illy; (a) MM1M

= USVTVSTUTUSVT

= $U\Sigma I \Sigma^{\dagger} I \Sigma V^{T} = U\Sigma \Sigma^{\dagger} \Sigma V^{T}$

其中 I、2+均多对确阵,放

 $\Sigma^{\dagger} \Sigma \tau_{ij} \tau_{jj} = \begin{cases}
\frac{1}{\Sigma \tau_{ij} \tau_{jj}} \cdot \Sigma \tau_{ij} \tau_{jj} = 1 & \text{when } \Sigma \tau_{ij} \tau_{jj} = 0 \\
0 & \text{when } \Sigma \tau_{ij} \tau_{jj} = 0
\end{cases}$ Cathrill

明内 sts=1, MM+M=USVT cb) $M^{\dagger}M = V\Sigma^{7}U^{7}U\Sigma V^{7} = V\Sigma^{4}\Sigma V^{7} = VV^{7} = I$ to $M^{4} = M^{-1}$

 $2.5 \text{ Red}; \quad (a) \qquad X^{T} 2 z^{T} X = (X^{T} Z) (X^{T} Z)^{T} > 0$

(b) $X^TAX = X^TAX = AX^TX > 0$ =) A > 0

2.6、箱: ① N5×3万期同时, 有 Mxmax = 11×11

3.6. 衛: ① M5×6周報問題, 每 M²_{min} = 1|v||
② M5×6周報題, 每 M²_{xmin} = -1|x||
③ M5×6周報題, 每 M²_{xmin} = 0|x||
3.1 衛:
$$\frac{dF_{u}}{dx} = \frac{e^{-2x} \cdot (-1)}{14e^{-2x}} = -\frac{2}{e^{2x}+1}$$

$$\frac{3g_{u}y_{1}}{2y} = 2e^{2y} + 6xye^{3xy_{1}}$$
3.2 衛: $\frac{3f_{u}}{2y} = \frac{3f_{u}}{2x} \cdot \frac{3x}{2y} + \frac{3f_{u}}{2y} \cdot \frac{2y}{2y}$

$$= y(-5m(c_{1}+v)) + x(-005(c_{1}+v))$$

$$= -5m(c_{1}+v) + x(c_{1}+v) - cos(c_{1}+v) + cos(c_{1}+v) = -os(2y)$$
3.5 衛: $\int_{0}^{1} \frac{2}{x \cdot 3} dx = 2\int_{0}^{2} \frac{1}{x \cdot 5} d(x \cdot 5) = 2\int_{0}^{2} \frac{1}{x} dx$

$$= 2 \ln x|_{1}^{2} = 2 \ln \frac{3f_{u}}{2x}$$

$$= 2 \ln x|_{1}^{2} = 2 \ln \frac{3f_{u}}{2x}$$
3.4 中 ① ② $= 2 \ln x \cdot \frac{3f_{u}}{2x} = 2 \ln x \cdot \frac{3f_{u}}{2x}$

$$= (2(Me^{x}-2ve^{-x}) \cdot (e^{x}+2ve^{-x}), 2(e^{x}-2ve^{-x}) \cdot (Me^{x}-2e^{-x}))$$
When $M=1$, $V=1$ $= 2 \ln x \cdot \frac{3f_{u}}{2x} = \frac{3f_{u}}{2x}$

$$= (2(Me^{x}-2ve^{-x}) \cdot (e^{x}+2ve^{-x}), 2(e^{x}-2e^{-x}) \cdot (e^{x}+2ve^{-x}))$$

$$= \left(\frac{2(e^{x}-2ve^{-x})}{2v^{2}} \cdot \frac{3f_{u}}{2x} - \frac{3f_{$$

和闻3.4中的历史代入上式, 并及剧从V 代替人人 To E(M.V)=(e-ze-1)2+ 2(e-4e-2) M+ 2(e-2e-1)2 V + (2e2+16e2+4) N'+ (8e232e2) W+ (4e2+8e22-12) V2 + R2 3.6 \(\beta: \quad \frac{df}{dJ} = Ae^{\alpha} - 28e^{-2\alpha} = 0 = \) \(\alpha = \frac{1}{3} \ln \frac{2B}{A} \)