

Dense Vector

- a dense vector is a numeric representation where most (or all) dimensions have non-zero values, it encodes information smoothly across all dimensions, like this : Ex $[0.12, -0.37, 0.44, 0.05, \dots 0.1]$
this is what you get from embeddings or Neural Network layers
 - Why NN work better with them 1) continuity: small input changes lead to small output changes, making it easier to learn gradients 2) information spread: Every dimension carries some information (vs sparse vectors with mostly zeros) 3) efficient learning: Dense representations let NNs capture complex patterns and relationships through weighted combinations 4) Differentiability: works naturally with Backpropagation since everything is continuous and dense

How: model does automatically since every dim has a non zero continuous value
if you want to ensure it uses n-gram embeddings (eg transformers), not one-hot or sparse bag of words

(instruction tuned
models can fix
hallucinations using
finetuning models) Base Models vs instruction tuned models (Both still LLM)