June_2

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MBP Feature extraction and analysis

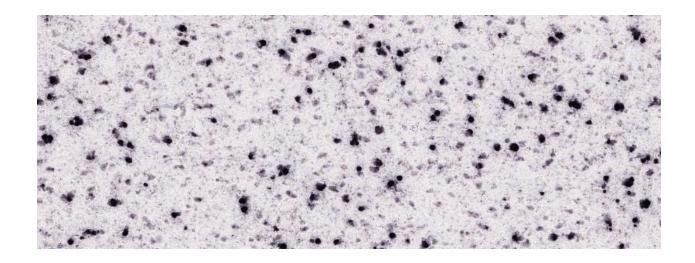
Here I used cropped picture(this is all I have) as an example. There are mainly 2 steps:

- 1. Threshold the image, then compute the features;
- 2. Use the features to compute intensity estimation and other graphs. ## Step1: Feature extraction Load the package and preview the image.

```
library(BiocManager)
```

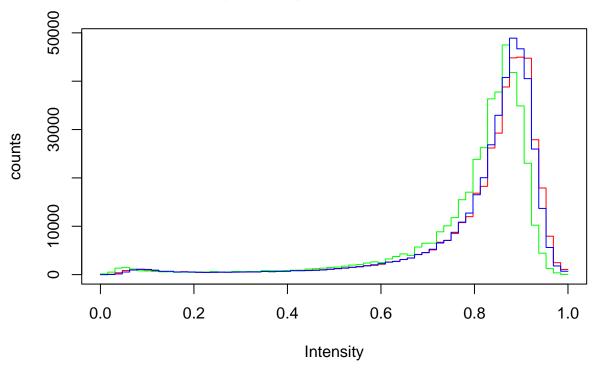
```
## Bioconductor version '3.14' is out-of-date; the current release version '3.15'
## is available with R version '4.2'; see https://bioconductor.org/install
```

```
library(EBImage)
im=readImage("/Users/hainanxu/Documents/spatial_visual_cortex/data/im3.jpg")
display(im,method="raster")
```



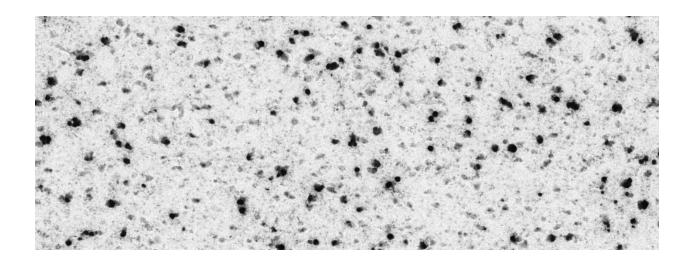
Check the histogram, we can see that there are 3 colors in the histogram, and they are interlaced. To make the segementation easier, we convert them to greyscale(using the red channel).

Image histogram: 1274805 pixels



Take a look at greyscaled im.

display(im,method="raster")

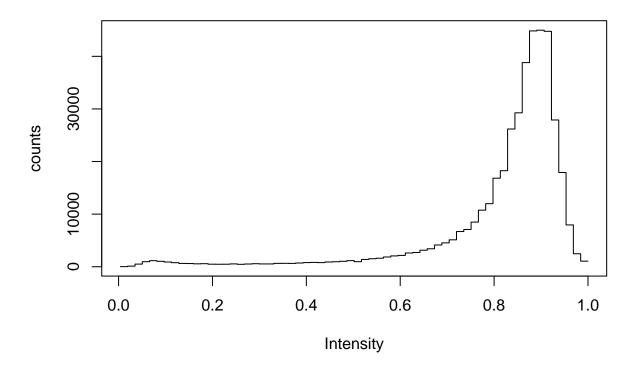


```
#w = makeBrush(size = 30, shape = "gaussian", sigma = 2)
#nucSmooth = filter2(getFrame(r, 1), w)
#display(nucSmooth)
#display(nucSmooth<0.3)</pre>
```

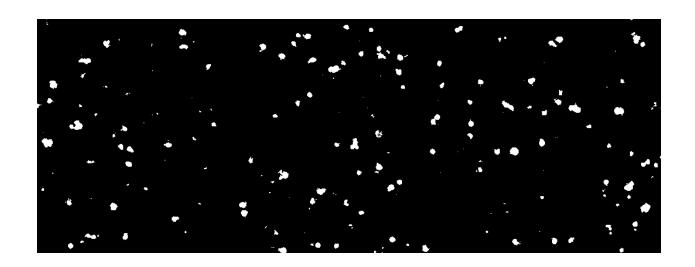
After that, we apply a simple method to threshold our greyscale image im.

hist(im)

Image histogram: 424935 pixels



display(im<0.25)</pre>





```
rRGB=toRGB(rOpened)
display(rRGB)
writeImage(rRGB, "Ahad_June3.tiff", quality = 100)
```

After thresholing our image, we segment it into different objects.

```
rSeed = bwlabel(rOpened)
display(colorLabels(rSeed), method="raster")
```



Here we computed the features of this slice of image. There are 84 features in total, including shape features and moment features of the MBP cell. We create a new dataframe to store the 3 features that we need right now. The 3 features includes: x coordinate, y coordinate, area of each object. After this, we can convert it to a ppp object.

rSeed=bwlabel(rOpened)		
_		
table(rSeed)		

##	rSeed										
##	0	1	2	3	4	5	6	7	8	9	10
##	416219	56	97	44	102	17	47	79	126	101	9
##	11	12	13	14	15	16	17	18	19	20	21
##	19	95	87	50	52	87	83	55	59	12	92
##	22	23	24	25	26	27	28	29	30	31	32
##	85	84	91	146	40	59	55	175	86	22	98
##	33	34	35	36	37	38	39	40	41	42	43
##	62	30	134	48	37	35	61	57	75	50	51
##	44	45	46	47	48	49	50	51	52	53	54
##	156	12	23	15	201	20	171	58	9	37	144
##	55	56	57	58	59	60	61	62	63	64	65
##	216	71	40	40	54	48	9	54	16	9	172
##	66	67	68	69	70	71	72	73	74	75	76
##	206	101	77	42	63	35	79	157	64	71	40
##	77	78	79	80	81	82	83	84	85	86	87
##	47	107	23	9	83	96	39	47	164	49	61
##	88	89	90	91	92	93	94	95	96	97	98
##	63	176	104	22	15	124	15	22	27	62	60

```
100
                                    103
                                                    105
                                                                   107
                                                                                  109
##
       99
                     101
                             102
                                            104
                                                           106
                                                                          108
##
       55
              98
                     115
                             188
                                     15
                                            100
                                                    50
                                                            82
                                                                    62
                                                                           12
                                                                                   57
##
      110
              111
                     112
                             113
                                    114
                                            115
                                                    116
                                                           117
                                                                   118
                                                                          119
                                                                                  120
##
                       9
                                                    100
                                                                    80
                                                                                   78
        9
                9
                              28
                                     12
                                             79
                                                            76
                                                                           58
##
      121
              122
                     123
                             124
                                    125
                                            126
                                                    127
                                                           128
                                                                   129
                                                                          130
##
       17
               66
                      64
                              12
                                     56
                                             15
                                                     87
                                                           104
                                                                    39
                                                                            9
```

```
F1 = computeFeatures(rSeed,im, xname = "r",
refnames = "r")
```

Step2: Intensity estimation and other graphs

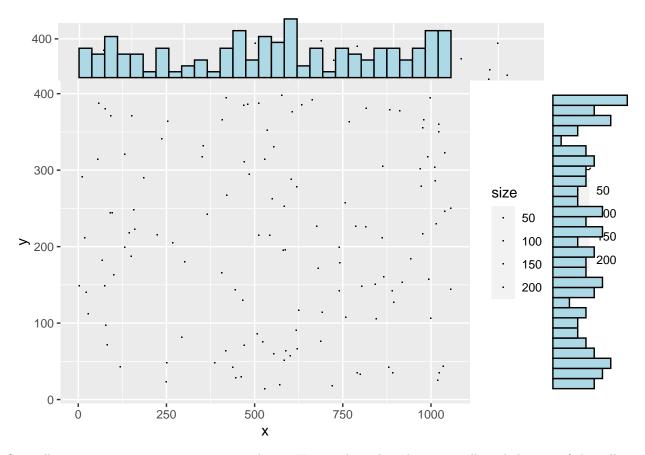
First, create a new dataframe MBP. We can explore the distributions of the cells by computing the marginal distribution.

```
## [1] 9 216
```

```
head(MBP)
```

```
##
            X
                     y size
## 1
     528.4286 14.30357
                          56
## 2 720.3608 18.02062
                         97
## 3 570.8182 19.18182
                         44
## 4 248.9020 23.55882
                        102
## 5 1018.9412 25.41176
                         17
## 6 446.3404 28.36170
                         47
```

```
a<-ggplot(MBP,
   aes(x = x, y = y,size=size)) + geom_point(shape = ".",aes(size=size))
a
ggMarginal(a,type="histogram",fill = "lightblue")</pre>
```



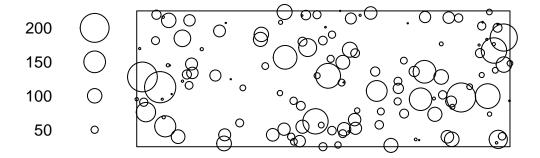
Secondly, convert MBP as a porint process object. Here each circle indicates a cell, and the size of the cell is corresponding to the area each cell as occupied in pixel.

```
library("spatstat")
```

```
## Loading required package: spatstat.data
## Loading required package: spatstat.geom
## spatstat.geom 2.4-0
##
## Attaching package: 'spatstat.geom'
## The following objects are masked from 'package:EBImage':
##
## affine, closing, distmap, opening, rotate
## Loading required package: spatstat.random
## spatstat.random 2.2-0
## Loading required package: spatstat.core
## Loading required package: nlme
```

```
## Loading required package: rpart
## spatstat.core 2.4-4
##
## Attaching package: 'spatstat.core'
## The following object is masked from 'package:BiocManager':
##
       valid
##
## Loading required package: spatstat.linnet
## spatstat.linnet 2.3-2
##
## spatstat 2.3-4
                        (nickname: 'Watch this space')
## For an introduction to spatstat, type 'beginner'
ln = with(MBP,
  ppp(x = x, y = y, marks = size, xrange = range(x), yrange = range(y)))
plot(ln)
```

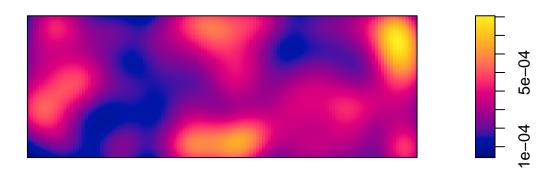
In



Thirdly, we can explore the first order effect: estimate the intensity of this particular region.

```
d = density(subset(ln), edge=TRUE, diggle=TRUE)
plot(d)
```

d



Fourthly, we can explore the second order effect: randomly pick a point, what is the distance to it's nearest neighbor?

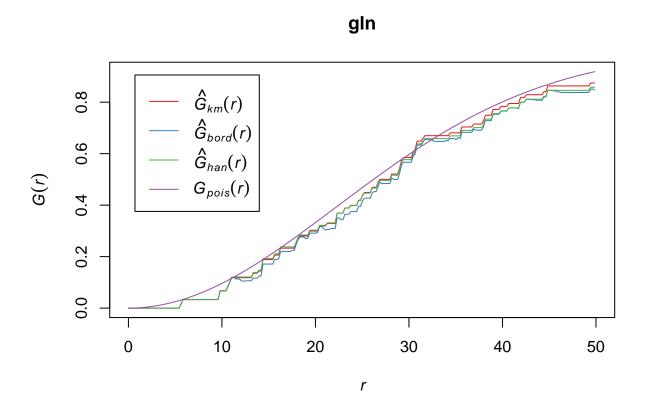
G function: the cumulative distribution function of the distance. Here the purple line indicates the possion process. The second graph is the zoomed in version of the first graph.

```
gln = Gest(ln)
gln
```

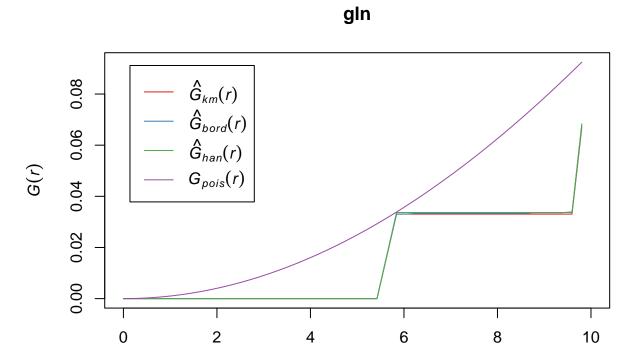
```
## Function value object (class 'fv')
## for the function r \rightarrow G(r)
##
          Math.label
                          Description
## r
                          distance argument r
          G[pois](r)
                          theoretical Poisson G(r)
## theo
## han
          hat(G)[han](r)
                          Hanisch estimate of G(r)
          hat(G)[bord](r) border corrected estimate of G(r)
## rs
## km
          hat(G)[km](r)
                          Kaplan-Meier estimate of G(r)
## hazard hat(h)[km](r)
                          Kaplan-Meier estimate of hazard function h(r)
## theohaz h[pois](r)
                          theoretical Poisson hazard function h(r)
## .......
## Default plot formula: .~r
## where "." stands for 'km', 'rs', 'han', 'theo'
```

```
## Recommended range of argument r: [0, 50.895]
## Available range of argument r: [0, 106.8]
```

```
library("RColorBrewer")
plot(gln, xlim = c(0, 50), lty = 1, col = brewer.pal(4, "Set1"))
```



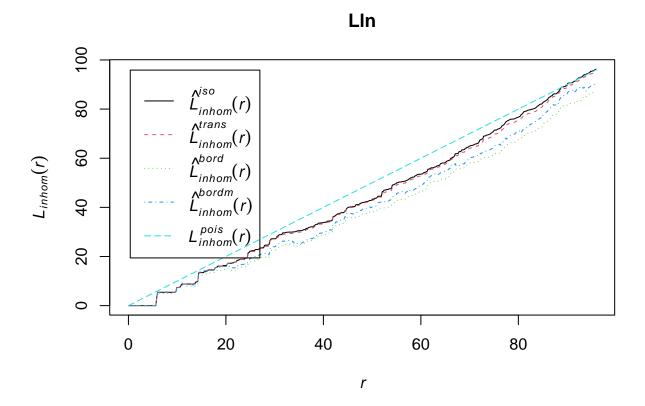
```
plot(gln, xlim = c(0, 10), lty = 1, col = brewer.pal(4, "Set1"))
```



Ripley's K function: for estimation and visualization, transfer K function as L function.

```
Lln = Linhom(ln)
plot(Lln)
```

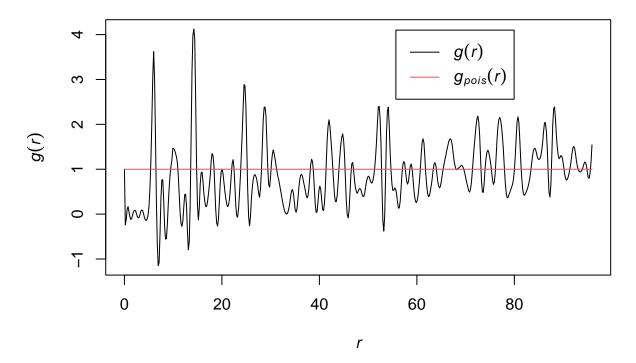
r



Paired correlation function:

```
pcfln = pcf(Kinhom(ln))
plot(pcfln, lty = 1)
```





plot(pcfln, lty = 1, xlim = c(0, 10))

pcfln

