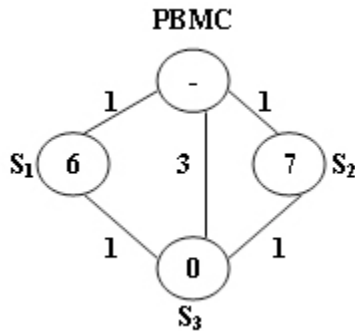


Project 2: Public Bike Management

There is a public bike service in Hangzhou City which provides great convenience to the tourists from all over the world. One may rent a bike at any station and return it to any other stations in the city.

The Public Bike Management Center (PBMC) keeps monitoring the real-time capacity of all the stations. A station is said to be in **perfect** condition if it is exactly half-full. If a station is full or empty, PBMC will collect or send bikes to adjust the condition of that station to perfect. And more, all the stations on the way will be adjusted as well.

When a problem station is reported, PBMC will always choose the shortest path to reach that station. If there are more than one shortest path, the one that requires the least number of bikes sent from PBMC will be chosen.



The above figure illustrates an example. The stations are represented by vertices and the roads correspond to the edges. The number on an edge is the time taken to reach one end station from another. The number written inside a vertex S is the current number of bikes stored at S . Given that the maximum capacity of each station is 10. To solve the problem at S_3 , we have 2 different shortest paths:

1. $PBMC \rightarrow S_1 \rightarrow S_3$. In this case, 4 bikes must be sent from PBMC, because we can collect 1 bike from S_1 and then take 5 bikes to S_3 , so that both stations will be in perfect conditions.
2. $PBMC \rightarrow S_2 \rightarrow S_3$. This path requires the same time as path 1, but only 3 bikes sent from PBMC and hence is the one that will be chosen.

Input Specification:

Each input file contains one test case. For each case, the first line contains 4 numbers: C_{\max} (≤ 100), always an even number, is the maximum capacity of each station; N (≤ 500), the total number of stations; S_p , the index of the problem station (the stations are numbered from 1 to N , and PBMC is represented by the vertex 0); and M , the number of roads. The second line contains N non-negative numbers C_i ($i=1, \dots, N$) where each C_i is the current number of bikes at S_i respectively. Then M lines follow, each contains 3 numbers: S_i , S_j , and T_{ij} which describe the time

T_{ij} taken to move between stations S_i and S_j . All the numbers in a line are separated by a space.

Output Specification:

For each test case, print your results in one line. First output the number of bikes that PBMC must send. Then after one space, output the path in the format: $0 \rightarrow S_1 \rightarrow \dots \rightarrow S_p$. Finally after another space, output the number of bikes that we must take back to PBMC after the condition of S_p is adjusted to perfect.

Note that if such a path is not unique, output the one that requires minimum number of bikes that we must take back to PBMC. The judge's data guarantee that such a path is unique.

Sample Input:

```
10 3 3 5
6 7 0
0 1 1
0 2 1
0 3 3
1 3 1
2 3 1
```

Sample Output:

```
3 0->2->3 0
```

Grading Policy:

This assignment is due **Monday, November 28th, 2016** at 10:00pm.

- **Programmer:** Write the program (50 pts.) with sufficient comments.
- **Tester:** Provide a set of test cases to fill in a test report (20 pts.). Note that the tester is responsible, as well as the programmer is, for any bug later found by Judge. Write analysis and comments (10 pts.).
- **Report Writer:** Write Chapter 1 (6 pts.), Chapter 2 (12 pts.), and finally a complete report (2 pts. for overall style of documentation).