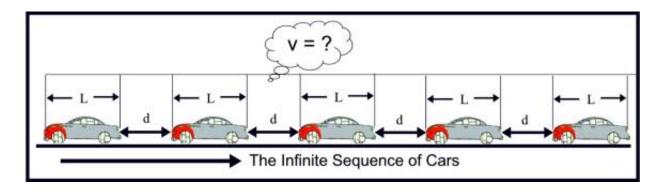
Problem F Traffic Volume

Input: standard input
Output: standard output
Time Limit: 1 second



In the picture below (or above depending on HTML response :)) you can see a street. It has infinite number of cars on it. The distance between any two consecutive cars is \mathbf{d} , length of each car is \mathbf{L} and the velocity of each car is \mathbf{v} . The volume of cars through a road means the number of cars passing through a road in a specific amount of time. When the velocity is constant, \mathbf{d} must be minimum for the volume of cars passing through the road to be maximal. In our model when the velocity of all the cars is \mathbf{v} then the minimum possible value of \mathbf{d} is $\mathbf{v}^2/(2\mathbf{f})$ (The more the car velocity the more distance you need to bring down your velocity to zero). Here \mathbf{f} is the deceleration due to break.

Keeping this model in mind and given the value of L and f your job is to find the value of v for which the volume of traffic through the road is maximal.

Input

The input file contains several lines of input. Each line of input contains two integers L (0 < L <= 100) and f(0 < f <= 10000). The unit of L is meter and the unit of f is meter/second². The input is terminated by a single line whose value of L and f is zero.

Output

For each line of input except the last one produce one line of output. Each line contains two floating-point number \mathbf{v} and **volume** separated by a single space. Here \mathbf{v} is the velocity for which traffic flow is maximal and **volume** is the maximum number of vehicles (of course it is a fraction) passing through the road in an hour. These two floating points should have eight digits after the decimal. Errors less than 1e-5 will be ignored.

Sample Input

Output for Sample Input

5.47722558 1971.80120702

5 3

0 0

Problem setter: Shahriar Manzoor, Member of Elite Problemsetters' Panel

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