

Kodiranje Turingovega stroja

$T = \langle Q, \Sigma, \Gamma, \delta, q_1, B_1, q_f \rangle$   
Če je  $\delta(q_i, a_j) = \langle q_k, a_l, S_m \rangle$  ukaz programa  $\delta$ , ga zakodiramo kot:

$$K = 0^i 10^j 10^k 10^l 10^m$$

Ko zakodiramo vseh R ukaov programa  $\delta$  dobimo kode  $K_1, K_2, \dots, K_r$  iz katerih bomo sestavili kodo Turingovega stroja:

$$<T> = 111K_111K_211 \dots 11K_r111$$

Prevedbe - Seznam jezikov

- $L_d = \{w_i \mid w_i \notin L(M_i)\} \notin TJ$
- $L_{\bar{d}} = \{w \mid w_i \in L(M_i)\} \in TJ$
- $L_u = \{<M, w> \mid w \in L(M)\} \in TJ$
- $L_{\bar{u}} = \{<M, w> \mid w \notin L(M)\} \notin TJ$
- $L_h = \{<M> \mid M \text{ vstavi na vseh vhidih}\} \notin TJ$
- $L_e = \{<M> \mid L(M) = \emptyset\} \notin TJ$
- $L_{ne} = \{<M> \mid L(M) \neq \emptyset\} \in TJ$
- $L_{eq} = \{<M_1, M_2> \mid L(M_1) = L(M_2)\} \notin TJ$
- $L_{|eq|} = \{<M_1, M_2> \mid |L(M_1)| = |L(M_2)|\} \notin TJ$
- $L_{\overline{|eq|}} = \{<M_1, M_2> \mid |L(M_1)| \neq |L(M_2)|\} \notin TJ$

Rekurzivne funkcije

1.  $Z(n) = 0$
2.  $N(n) = n + 1$
3.  $\pi_i^k(n_1, n_2, \dots, n_k) = n_i$

4. Kompozicija:  
 $f(x_1, \dots, x_n) =$   
 $g(h_1(x_1, \dots, x_n), h_2(x_1, \dots, x_n), \dots, h_m(x_1, \dots, x_n))$
5. Primitivna rekurzija:  
 $f(x_1, \dots, x_n, 0) = g(x_1, x_2, \dots, x_n)$   
 $f(x_1, \dots, x_n, y + 1) = h(x_1, \dots, x_n, y, f(x_1, \dots, x_n, y))$
6. Minimizacija:  
 $f(x_1, x_2, \dots, x_n) = \mu_y(g(x_1, x_2, \dots, x_n, y)) = z$   
Pri tem je  $z$  najmanjše število, za katerega velja  $g(x_1, x_2, \dots, x_n, z) = 0$ . Če tak  $z$  ne obstaja je funkcija  $f$  tam nedefinirana.

funkcije ki smo jih naredili med vajami:

- $P(n) = n - 1$
- $\ominus(a, b) = a - b$
- $\oplus(a, b) = a + b$
- $\otimes(a, b) = a * b$
- $\oslash(a, b) = a / b$
- $mod(a, b) = ab$
- $divides(a, b) = \begin{cases} 1 ; & a \bmod b = 0 \\ 0 ; & a \bmod b \neq 0 \end{cases}$
- $IF(a, b, c) = \begin{cases} b ; & a \neq 0 \\ c ; & a = 0 \end{cases}$
- $sqrt(a) = \sqrt{a}$