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1 message

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Expert Answer



sunieel answered this

$$X(t) = A \cos(\omega t + \Theta)$$

$$\text{a) mean:- } mX(t) = E[A \cos(\omega t + \Theta)] = \frac{1}{2\pi} \int_0^{2\pi} A \cos(\omega t + \Theta) d\Theta$$

=0 -----answer

$$\text{b) autocorrelation function of } X(t) = R_X(t_1, t_2) = A^2 E[\cos(\omega t_1 + \Theta) \cos(\omega t_2 + \Theta)]$$

$$= \frac{A^2}{2\pi} \int_0^{2\pi} \frac{\cos(\omega(t_1 - t_2) + \Theta) + \cos(\omega(t_1 + t_2) + \Theta)}{2} d\Theta$$

$$= \frac{A^2}{2} \cos(\omega(t_1 - t_2))$$

c) WSS process

$X(t)$ is a wide sense stationary process if

mean = m for all t

and, covariance $C_X(t_1, t_2) = C_X(t_1 - t_2)$

thus it can be seen from the above derivation both the conditions are satisfied therefore it is a WSS process

Tip: We usually send the answers as images, texts within the email body, or in the html format (make sure you download the attached file and open with any of the web browsers like Chrome, Firefox to view the solution).


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