

Chapter 6

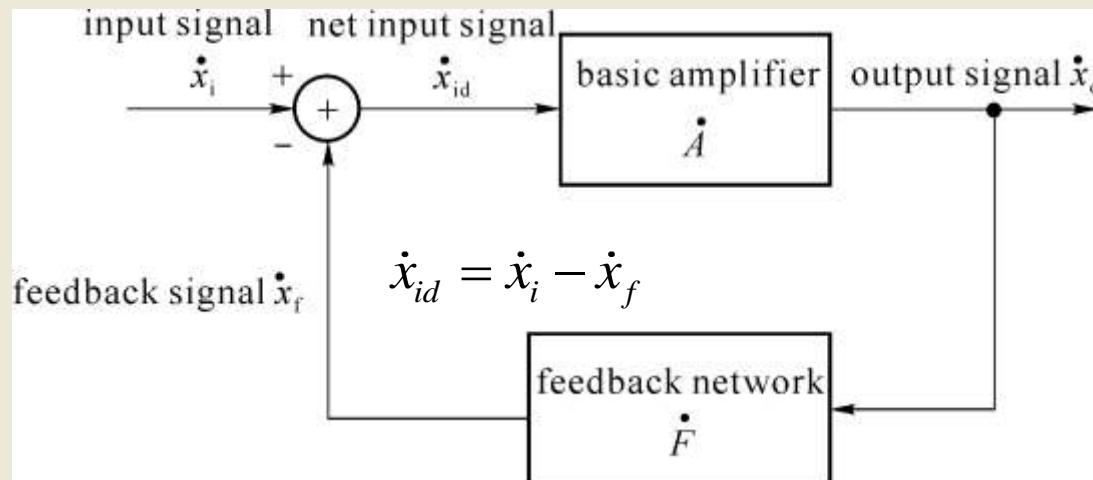
Feedback Amplifiers

6.1 Feedback Concepts

Feedback consists of returning part of the output signal of a system to the input side, and summing or subtraction with the original input signal to form a net input signal to the amplifier.

A feedback amplifier is a close loop:

- Basic amplifier without feedback (also termed as open loop)
- Feedback path from output to input
- Sampling of output signals
- Superimposition of feedback signal and input signal



6.1 Feedback Concepts

Feedback types:

Negative feedback

Be identified by *analyzing instantaneous polarities* for a network

- The feedback signal is of opposite polarity to the input signal causing the net input signal be reduced compared to the original input signal
- Typical application: to improve circuit features

Positive feedback

- The feedback signal is of same polarity to the input signal causing the net input signal be increased
- Typical application: Oscillator

DC feedback

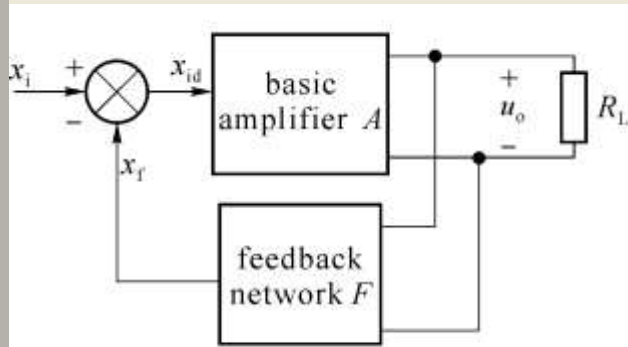
Be identified by *analyzing DC and AC equivalent network*

- Feedback network existing in DC Networks introduces DC feedback
- Improve the Quiescent point

AC feedback

- Feedback network existing in AC Networks introduces AC feedback
- Improve AC characteristics of amplifiers

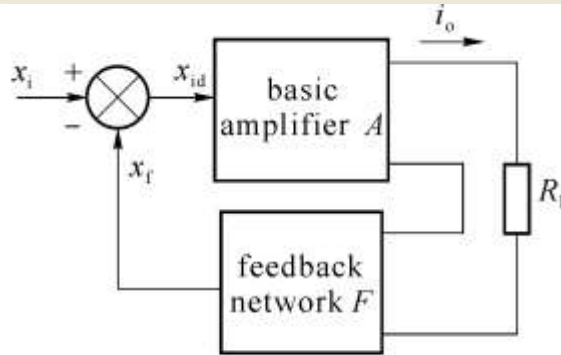
6.2 Negative Feedback Amplifiers



(a) samples the output voltage

Voltage feedback

$$x_o \Rightarrow u_o$$



(b) samples the output current

Current feedback

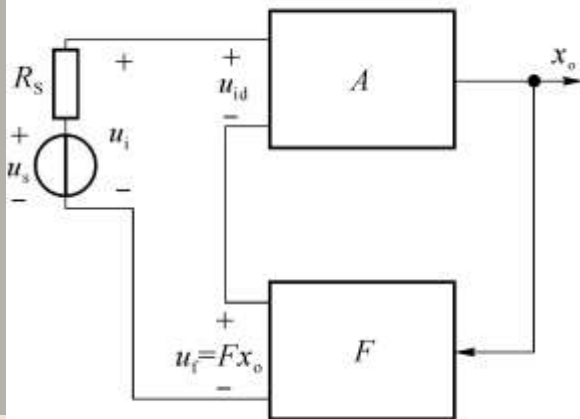
$$x_o \Rightarrow i_o$$

How to identify voltage feedback or current feedback?

Negative feedback amplifier types:

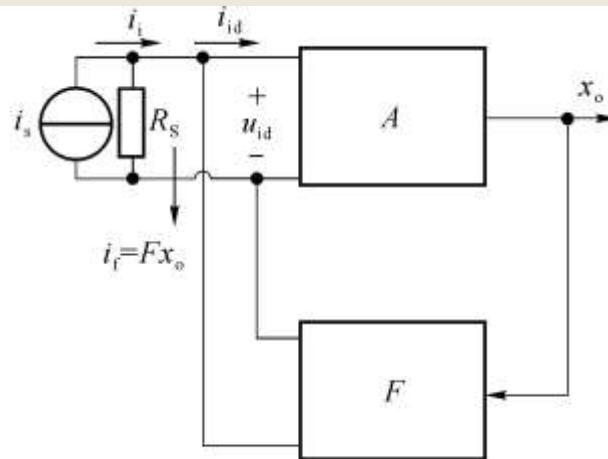
- (1) *voltage-series*
- (2) *voltage-parallel*
- (3) *current-series*
- (4) *current-parallel*

How to identify parallel or series mixing?



Series mixing

$$x_i, x_{id}, x_f \Rightarrow u_i, u_{id}, u_f$$

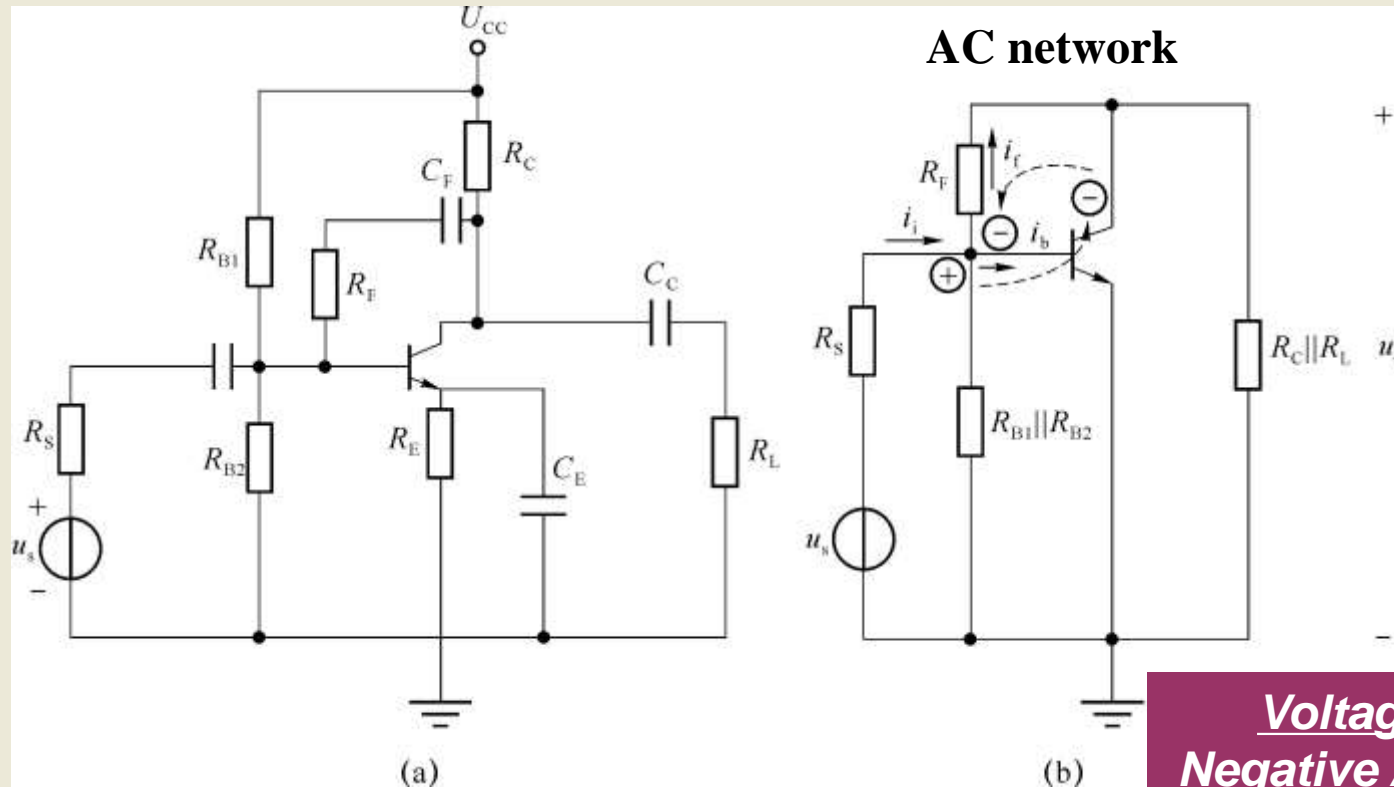


Parallel mixing

$$x_i, x_{id}, x_f \Rightarrow i_i, i_{id}, i_f$$

Examples

Example 6.2: A feedback amplifier is illustrated in Figure (a), determine the polarity of AC feedback and if it is negative feedback, identify its specific type.



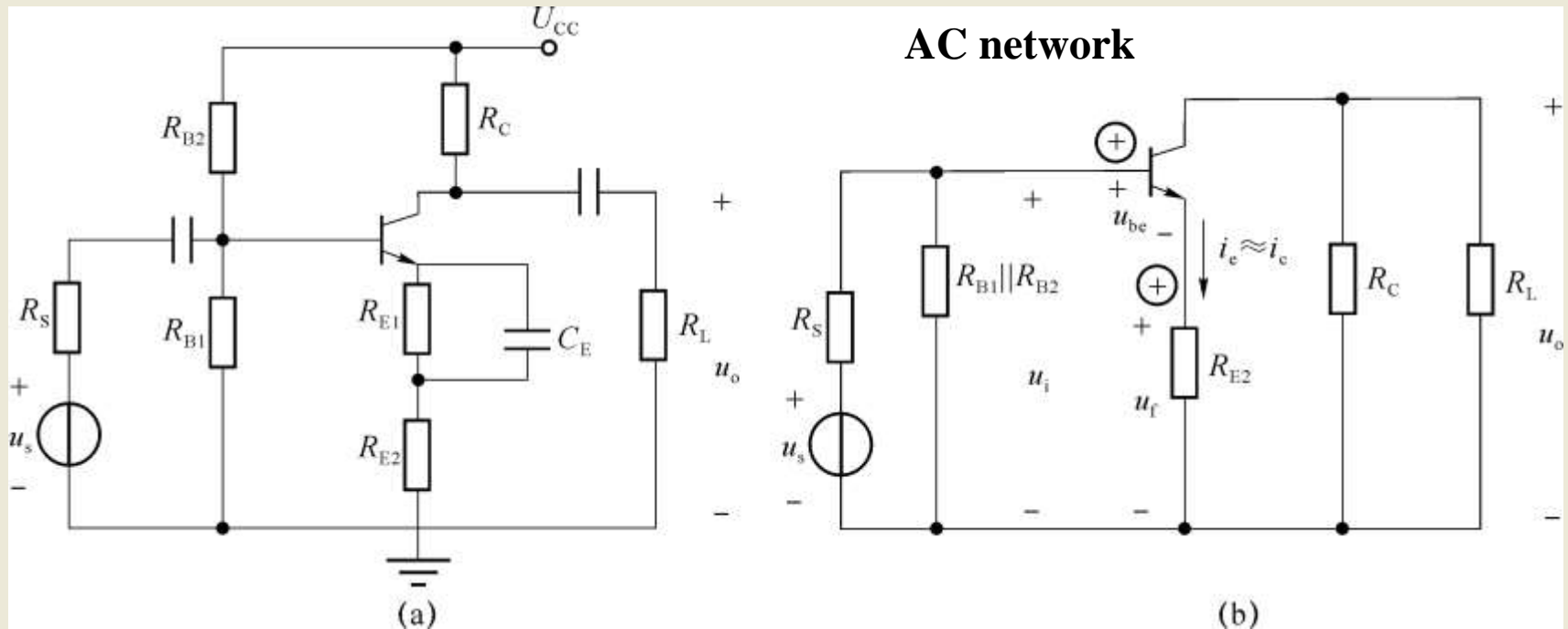
Voltage Parallel
Negative AC Feedback

To identify voltage feedback and current feedback, a simple test is to **Short-circuit the load** to see whether the feedback signal vanishes.

In parallel mixing, the feedback signal and the input signals are connected **at the same input terminal**.

Examples

Example 6.3: A feedback circuit is shown in Figure (a), determine the polarity of AC feedback. If it is a negative feedback, identify its specific type.

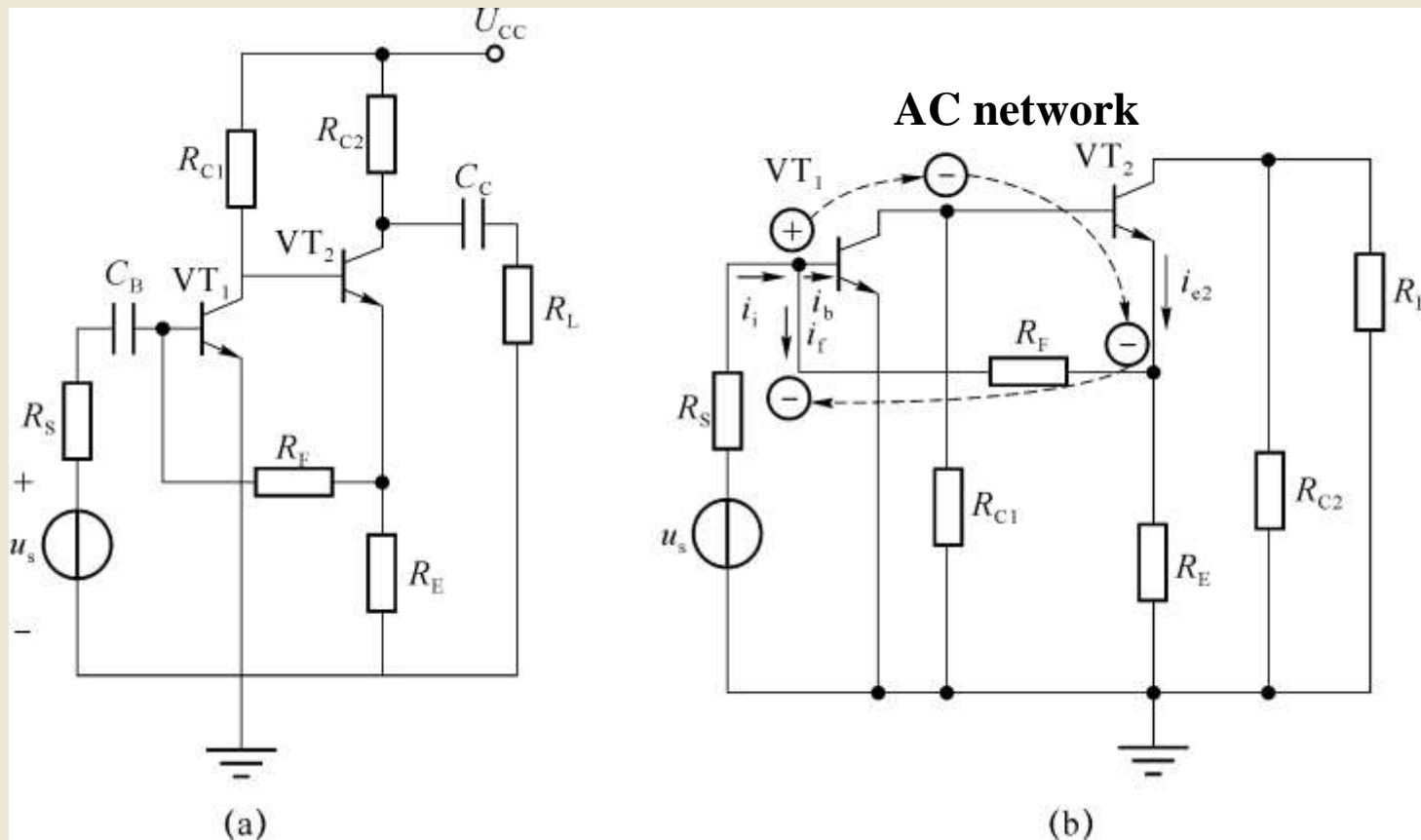


Current Series
Negative AC Feedback

In series mixing, the feedback signal and the input signal are connected at two input terminals separately, and combined by voltage signals.

Examples

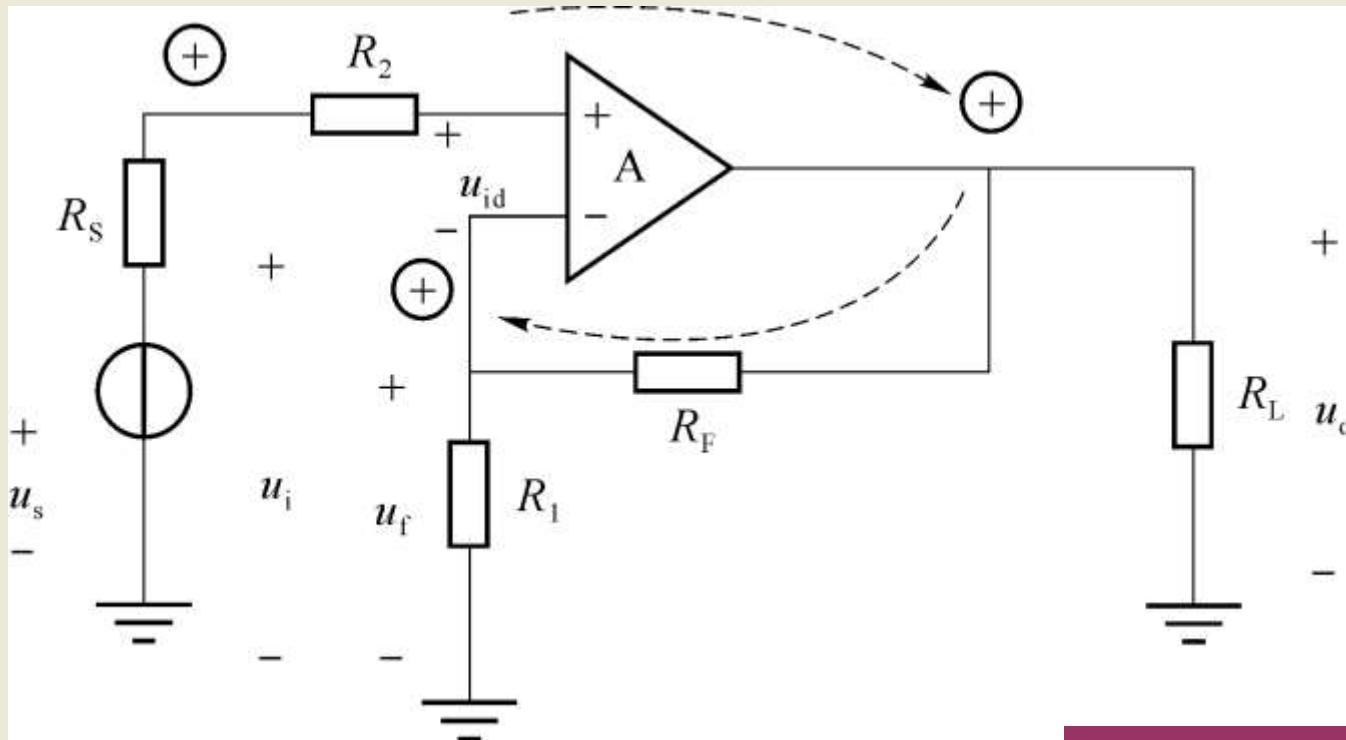
Example 6.5: A feedback circuit is shown in Figure (a), determine the polarity of AC feedback. If it is a negative feedback, identify its specific type .



Current Parallel
Negative AC Feedback

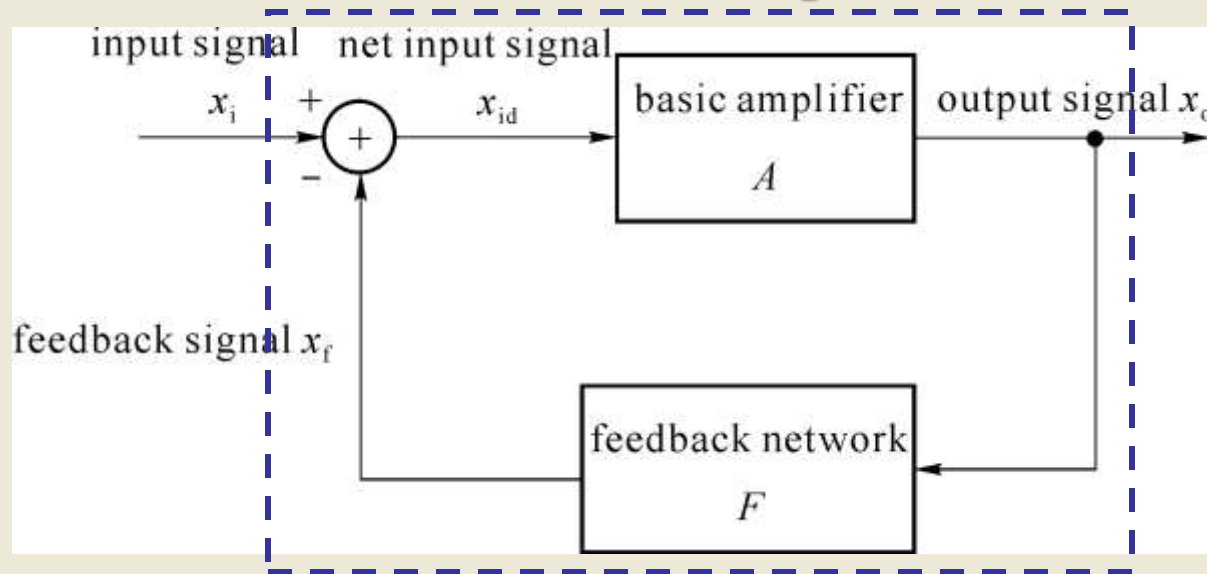
Examples

Example 6.4: A feedback circuit is shown in Figure (a), determine the polarity of AC feedback. If it is a negative feedback, identify its specific type.



Voltage Series
Negative AC Feedback

6.2.2 Fundamental Formulations for Negative Feedback Amplifiers



Negative Feedback Amplifier (close loop)

The *net* input signal to the *basic* amplifier: $x_{id} = x_i - x_f$

The *open-loop* gain of the *basic* amplifier: $A = \frac{x_o}{x_{id}}$

The feedback coefficient: $F = \frac{x_f}{x_o}$

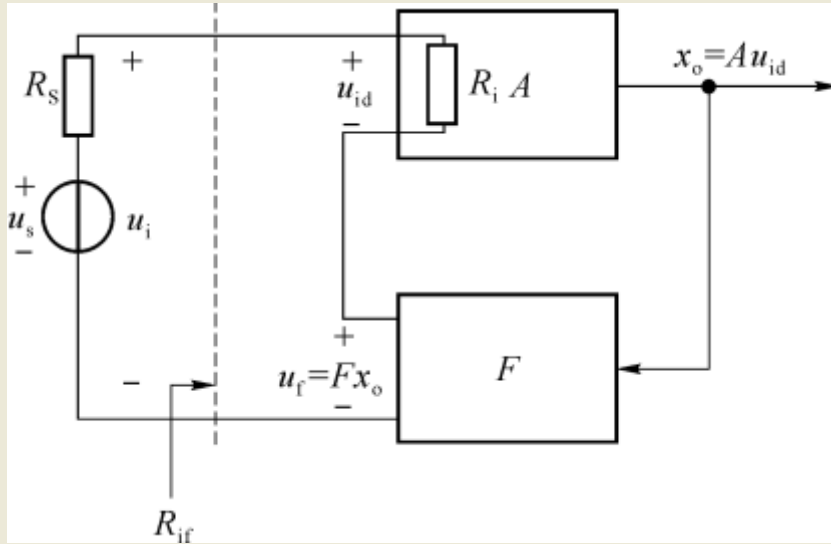
The gain with feedback (the *closed-loop* gain):

$$A_f = \frac{x_o}{x_i} = \frac{x_o}{x_{id} + x_f} = \frac{x_o}{x_{id} + AFx_{id}} = \frac{1}{1 + AF} \cdot \frac{x_o}{x_{id}} = \frac{A}{1 + AF}$$

For an amplifier with strong negative feedback ($AF \gg 1$), $A_f \approx \frac{1}{F}$

6.3 Effect of Negative Feedback

6.3.1 Input Impedance with Feedback

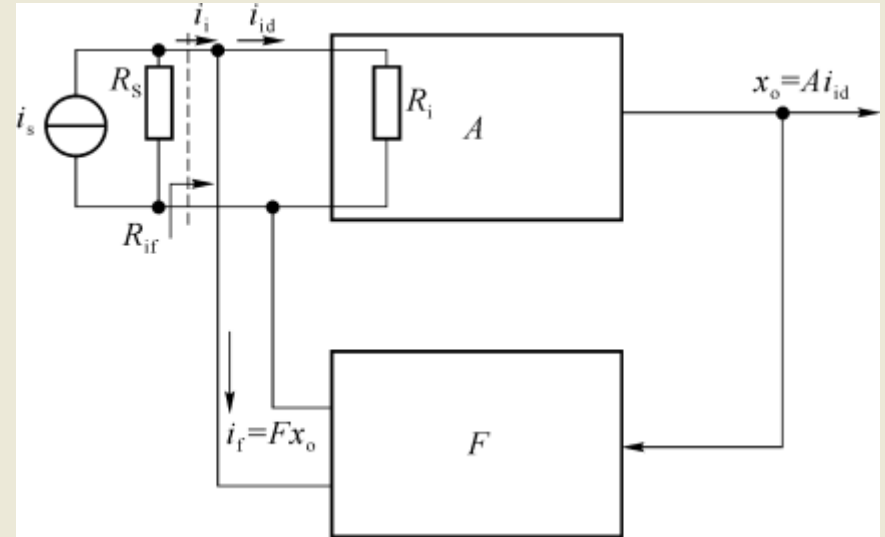


Series mixing

The closed-loop input resistance:

$$R_{if} = \frac{u_i}{i_i} = \frac{u_{id} + u_f}{i_i} = \frac{u_{id} + AF u_{id}}{i_i} = (1 + AF) R_i$$

Negative series feedback increases input resistance



Parallel mixing

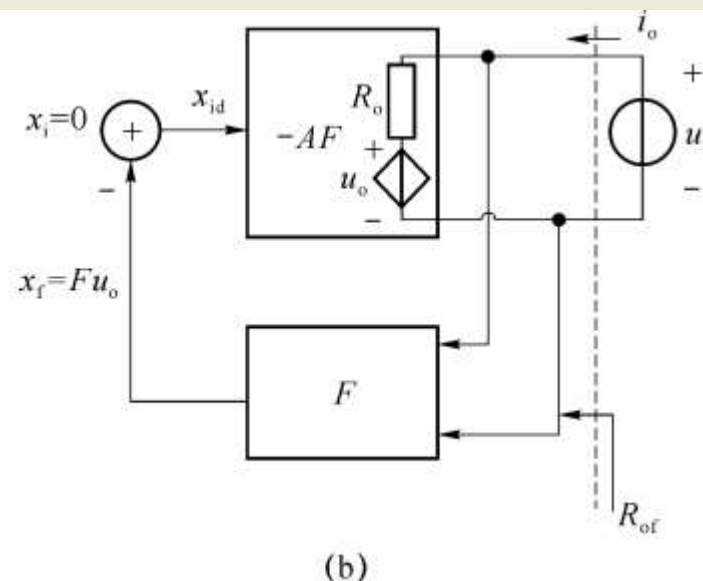
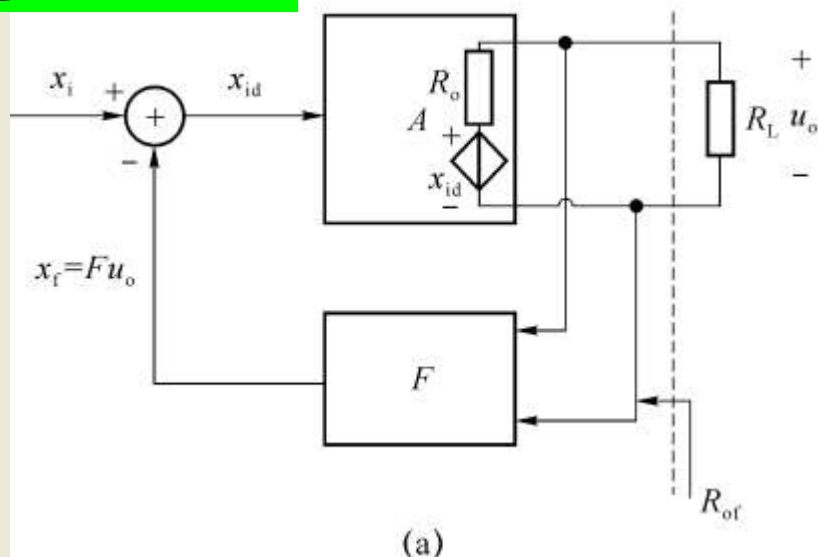
The closed-loop input resistance:

$$R_{if} = \frac{u_i}{i_i} = \frac{u_i}{i_{id} + i_f} = \frac{u_i}{i_{id} + AF i_{id}} = \frac{R_i}{1 + AF}$$

Negative parallel feedback reduces input resistance

6.3.2 Output Impedance with Feedback

Voltage feedback



$$R_{of} = \left. \frac{u_o}{i_o} \right|_{x_i=0}$$

$$i_o = \frac{u_o - A(0 - F u_o)}{R_o} = \frac{(1 + AF)u_o}{R_o}$$

$$R_{of} = \frac{u_o}{i_o} = \frac{R_o}{1 + AF}$$

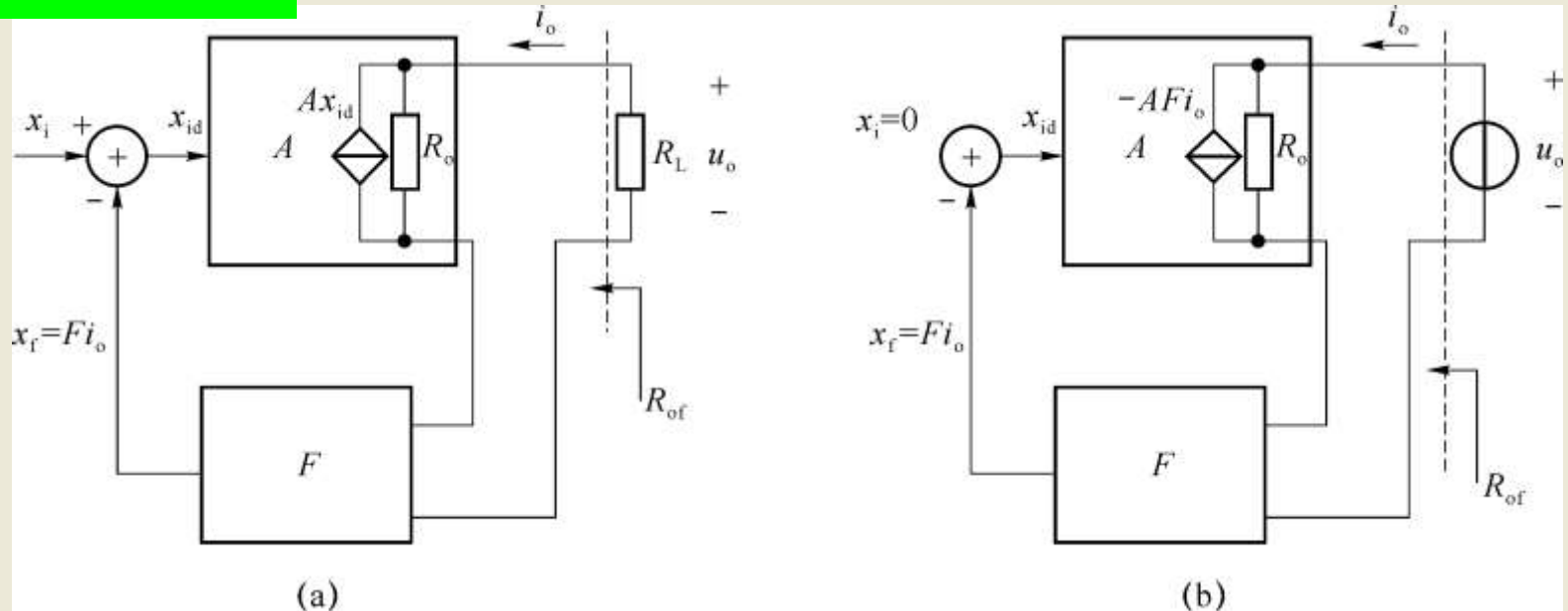
For strong negative feedback with $(1 + AF) \rightarrow \infty$

$$R_{of} \rightarrow 0$$

Negative voltage feedback reduces the output resistance.

6.3.2 Output Impedance with Feedback

Current feedback



$$i_o = \frac{u_o}{R_o} + A(0 - Fi_o)$$

$$R_{of} = \frac{u_o}{i_o} = (1 + AF)R_o$$

For strong negative feedback with $(1 + AF) \rightarrow \infty$
 $R_{of} \rightarrow \infty$

Negative current feedback increases the output resistance.

6.3 Effect of Negative Feedback

when $AF \gg 1$

- Gain

- Reduced gain, but improve gain stability $A_f = \frac{A}{1 + AF}$

$$A_f \approx \frac{1}{F}$$

- Input impedance

- **- *series*: increase input impedance
- **- *parallel*: decrease input impedance

$$R_{if} = (1 + AF)R_i$$

$$R_{if} = \infty$$

$$R_{if} = \frac{R_i}{1 + AF}$$

$$R_{if} = 0$$

- Output impedance

- *voltage*-**: decrease output impedance
- *current*-**: increase output impedance

$$R_{of} = \frac{R_o}{(1 + AF)}$$

$$R_{of} = 0$$

$$R_{of} = (1 + AF)R_o$$

$$R_{of} = \infty$$

- Extends bandwidth

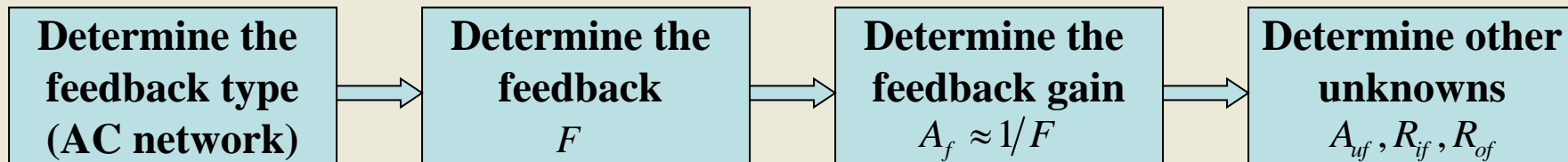
$$B_f = (1 + AF)B$$

- Reduce non-linear distortion

6.4 Negative Feedback Amplifier Analysis

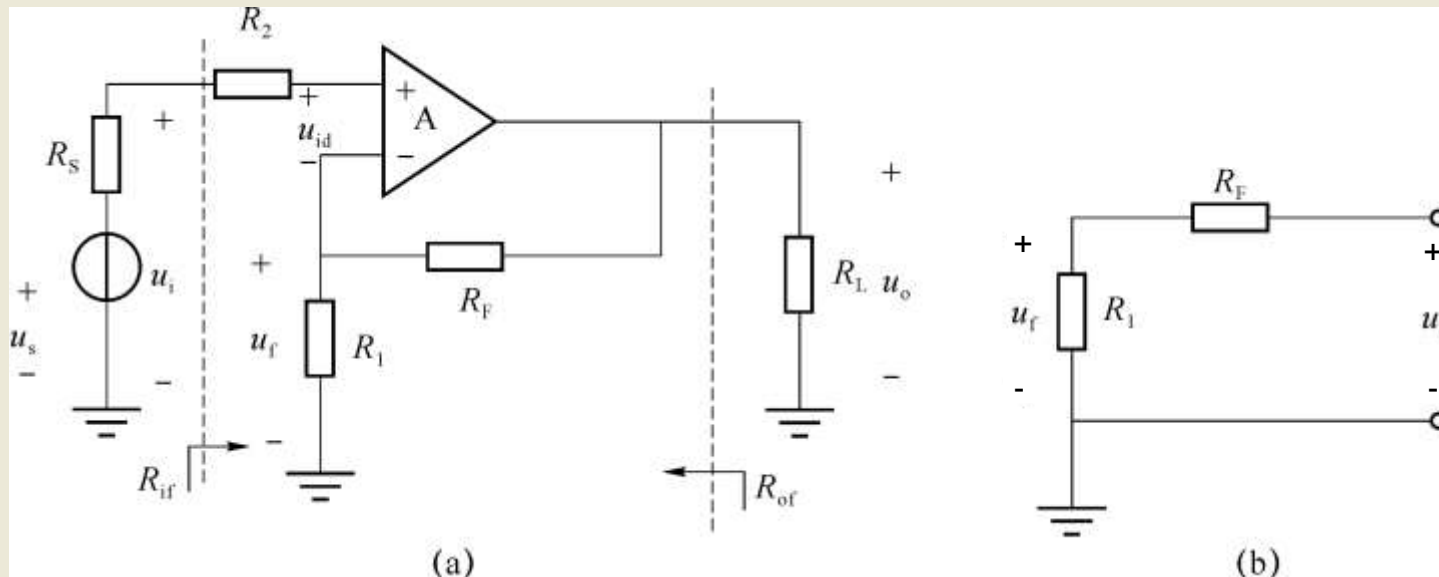
- General method
 - Divide the close-loop amplifier into two parts: a basic open-loop amplifier and a feedback network.
 - For the open-loop amplifier, calculate A , R_i , R_o .
 - For the feedback network, calculate F .
 - Calculate A_f , A_{uf} , R_{if} , R_{of}
- Special case for Strong negative feedback
 - Approximation method

when $AF \gg 1$



Examples

Example 6.6: The AC network of a feedback amplifier is illustrated in Figure (a), identify the type of the negative feedback. Suppose it is a strong negative feedback, calculate the voltage gain, input resistance and output resistance of the amplifier denoted in the circuit.



It is a *voltage-series* negative feedback amplifier → Feedback network

$$A_f = \frac{x_o}{x_i} = \frac{u_o}{u_i} = A_{uf}$$

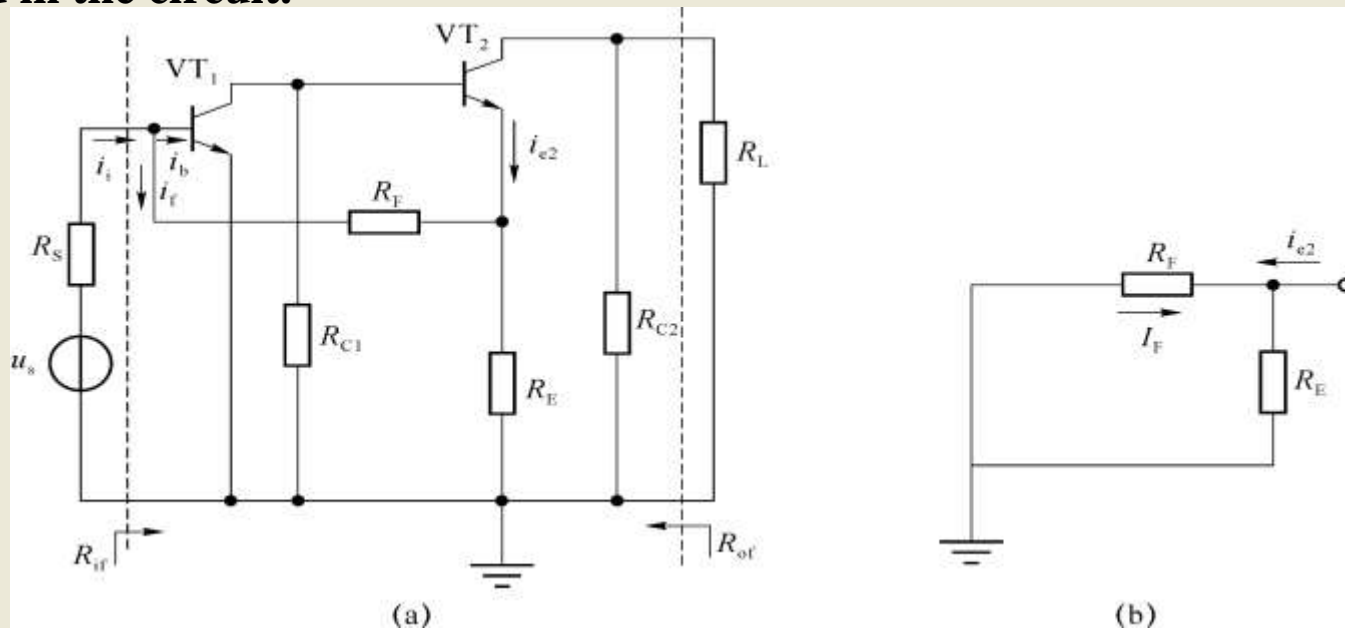
$$F = \frac{x_f}{x_o} = \frac{u_f}{u_o} = \frac{R_1}{R_1 + R_f}$$

$$A_f \approx \frac{1}{F} = 1 + \frac{R_f}{R_1} \quad A_{uf} \approx 1 + \frac{R_f}{R_1}$$

$$R_{if} \approx \infty \quad R_{of} \approx 0$$

Examples

Example 6.7: The AC network of a feedback amplifier is illustrated in Figure (a), identify the type of the negative feedback. Suppose it is a strong negative feedback, calculate the voltage gain, input resistance and output resistance of the amplifier denoted in the circuit.



It is a *current-parallel* negative feedback amplifier → Feedback network

$$A_f = \frac{x_o}{x_i} = \frac{i_{e2}}{i_i} \approx \frac{i_{c2}}{i_i} \approx \frac{1}{F}$$

$$A_{uf} = \frac{u_o}{u_s} = \frac{-i_{c2}(R_{C2} \parallel R_L)}{R_S i_i} = -\frac{(R_{C2} \parallel R_L)}{R_S} A_f = \frac{(R_{C2} \parallel R_L)}{R_S} \left(1 + \frac{R_F}{R_E}\right)$$

$$R_{if} \approx 0 \quad R_{of} \approx \infty$$

$$F = \frac{x_f}{x_o} = \frac{i_f}{i_{e2}} = -\frac{R_E}{R_E + R_F}$$

$$A_f \approx \frac{1}{F} = -\left(1 + \frac{R_F}{R_E}\right)$$

Summary

Feedback concepts

- Close-loop vs. Open-loop
- Find out feedback and determine the type of feedback
 - *DC feedback/AC feedback*
 - *Positive feedback/negative feedback*

Principles for negative feedback

- Determine the types of a negative feedback amplifier
 - *AC network*
 - *Voltage-series/voltage-parallel/current-series/current-parallel*
- Effects of negative feedback
 - *Gain/Input impedance/output impedance/.....*
- Strong negative feedback
 - *Gain/input impedance/output impedance/.....*

Approximation on quantitative analysis for strong negative feedback