

- *18.2** (*Fibonacci numbers*) Rewrite the **fib** method in Listing 18.2 using iterations.
Hint: To compute **fib(n)** without recursion, you need to obtain **fib(n - 2)** and **fib(n - 1)** first. Let **f0** and **f1** denote the two previous Fibonacci numbers. The current Fibonacci number would then be **f0 + f1**. The algorithm can be described as follows:

```
f0 = 0; // For fib(0)
f1 = 1; // For fib(1)

for (int i = 1; i <= n; i++) {
    currentFib = f0 + f1;
    f0 = f1;
    f1 = currentFib;
}
// After the loop, currentFib is fib(n)
```

Write a test program that prompts the user to enter an index and display Fibonacci number.

- *18.3** (*Compute greatest common divisor using recursion*) The **gcd(m, n)** can be defined recursively as follows:

- If **m % n** is 0, **gcd(m, n)** is **n**.
- Otherwise, **gcd(m, n)** is **gcd(n, m % n)**.

Write a recursive method to find the GCD. Write a test program that prompts user to enter two integers and displays their GCD.

- 18.4** (*Sum series*) Write a recursive method to compute the following series:

$$m(i) = 1 + \frac{1}{2} + \frac{1}{3} + \dots + \frac{1}{i}$$

Write a test program that displays **m(i)** for **i = 1, 2, ..., 10**.

- 18.5** (*Sum series*) Write a recursive method to compute the following series:

$$m(i) = \frac{1}{3} + \frac{2}{5} + \frac{3}{7} + \frac{4}{9} + \frac{5}{11} + \frac{6}{13} + \dots + \frac{i}{2i+1}$$

Write a test program that displays **m(i)** for **i = 1, 2, ..., 10**.

- *18.6** (*Sum series*) Write a recursive method to compute the following series:

$$m(i) = \frac{1}{2} + \frac{2}{3} + \dots + \frac{i}{i+1}$$