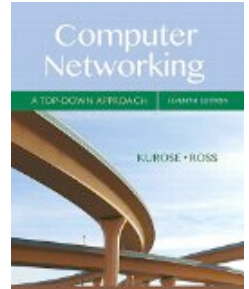


# COMP 375: Lecture 31



- **News & Notes:**
  - Quiz #7 in class Friday
  - Project #5
    - **Protocol Spec Due:** Monday (April 23)
    - **Code Due:** Mon, April 30
- **Reading (Fri, Apr. 20)**
  - Sections 5.3 – 5.4 (Inter-AS Routing)

US-based ISPs are now free to implement  
“fast lanes” for certain traffic\*\*.

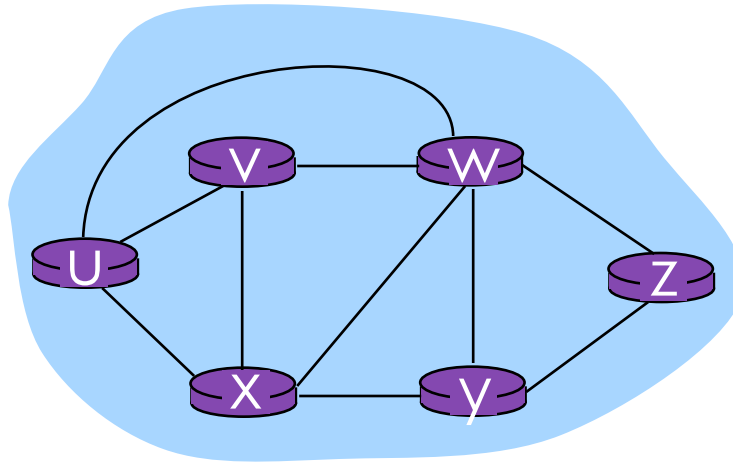
*Discuss:* Based on what we've seen,  
how do you think an ISP could prioritize  
traffic to a website like Netflix?

\*\* *The FCC voted to end “net neutrality” in December 2017.*

Chapter 5

# **NETWORK CONTROL PLANE**

We model networks as graphs, with nodes representing routers.

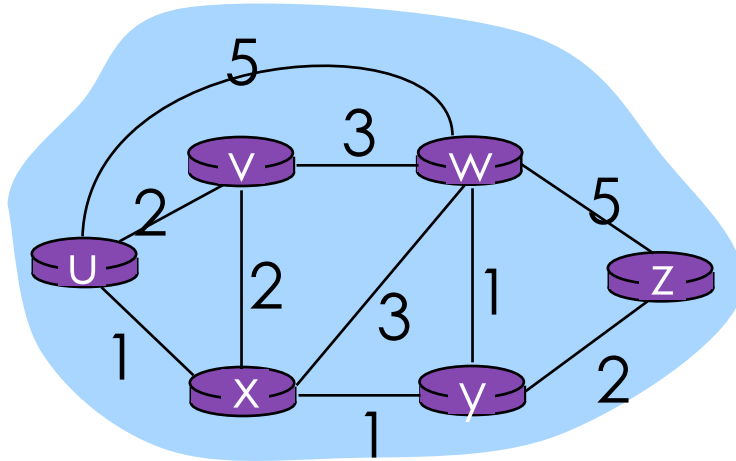


graph:  $G = (N, E)$

**N** = set of routers = { u, v, w, x, y, z }

**E** = set of links = { (u,v), (u,x), (v,x), (v,w), (x,w), (u,w),  
(x,y), (w,y), (w,z), (y,z) }

Routing algorithms calculate the best path based on link costs.



$c(n_1, n_2)$ : cost of link  $(n_1, n_2)$

Cost of path  $(n_1, n_2, n_3, \dots, n_p) = c(n_1, n_2) + c(n_2, n_3) + \dots + c(n_{p-1}, n_p)$

## How should link **costs** be determined?

- |           |  |
|-----------|--|
| <b>A.</b> | They should all be equal.  |
| <b>B.</b> | They should be a function of link capacity.  |
| <b>C.</b> | They should take current traffic characteristics into account (congestion, delay, etc.). |
| <b>D.</b> | They should be manually determined by network administrators.                            |
| <b>E.</b> | They should be determined in some other way.   |

Link costs are often all equal, with network admins tweaking them based on policy.

**Discuss:** *Why might a network admin change the cost of a link?*

# Routing Challenges

1. *How to choose best path?*
2. *How to scale to millions of users?*
3. *How to adapt quickly to failures or changes?*



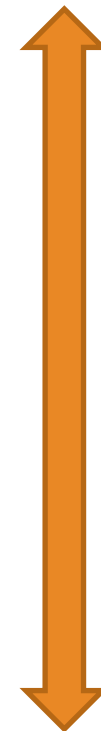
# How much information should a router know about the network?

**A.** The next hop and cost of forwarding to its neighbor(s).

**B.** The next hop and cost of forwarding to any destination.

**C.** The status and cost of every link in the network.

**D.** Some other amount of information.

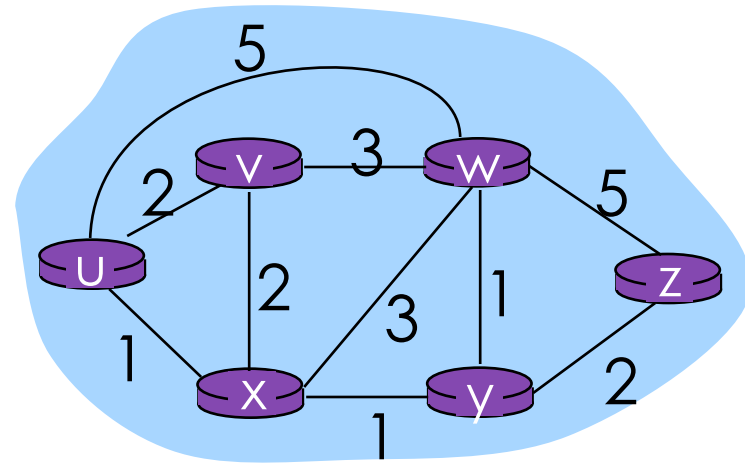


Less state.

Better decisions.

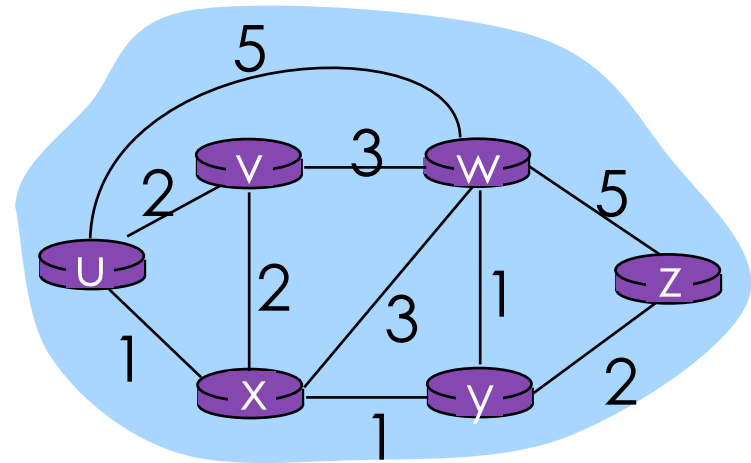
At a minimum, the routing table at U needs to know next hop for each possible destination.

Dest	Next Hop
V	V
X	X
W	X
Y	X
Z	X



Our routing table should probably contain more info (e.g. path cost).

Dest	Next Hop	Cost (Path)
V	V	2
X	X	1
W	X	4
Y	X	2
Z	X	4



Section 5.2

# **ROUTING ALGORITHMS**

Today's routers use either link-state or distance-vector to calculate routes.

### ***Link State (Global)***

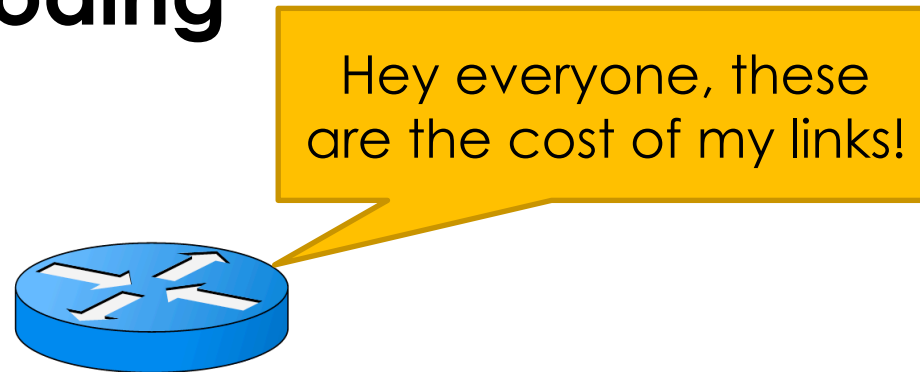
1. Routers maintain cost of each link in the network.
2. Connectivity/cost changes flooded to all routers.
3. Converges quickly (less inconsistency, looping, etc.).
4. Limited network sizes.

### ***Distance Vector (Distributed)***

1. Routers maintain next hop and cost of each destination.
2. Connectivity/cost changes iteratively propagate from neighbor to neighbor.
3. Requires multiple rounds to converge.
4. Scales to large networks.

**Link-state (LS)** routing has two phases:  
*reliable flooding* and *path calculation*.

## 1. Reliable flooding

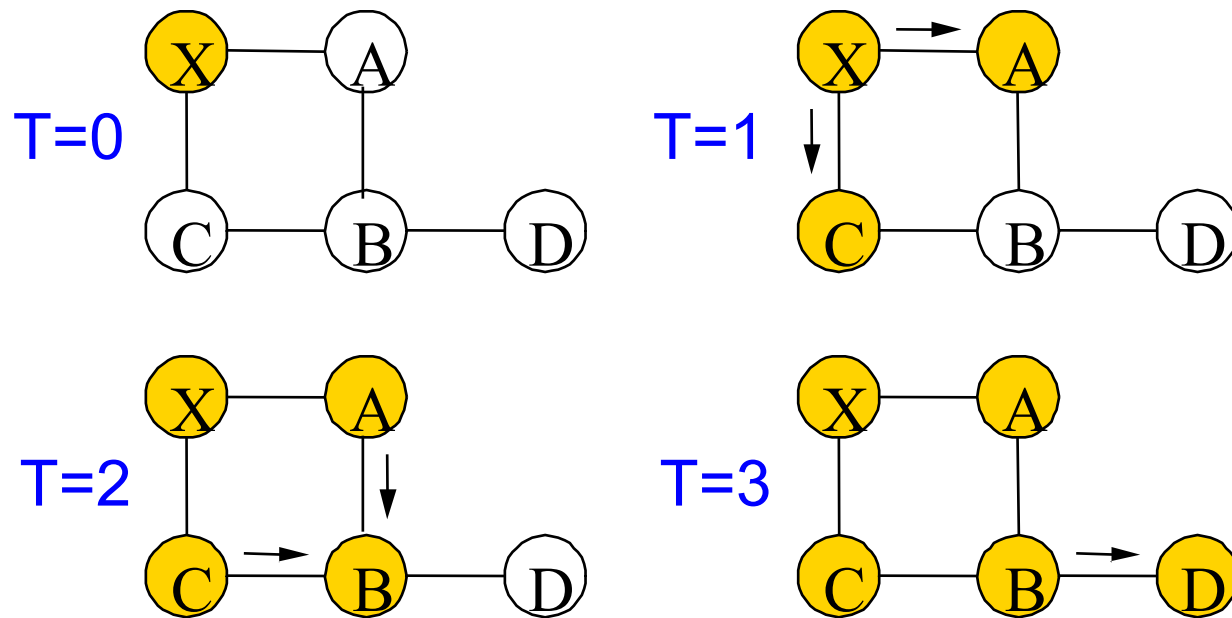


## 2. Path calculation



During flooding, routers forward link-state advertisements (LSAs).

**Example:** LSA generated by X at T=0



# Dijkstra's Algorithm is one option for path calculation.

```
1 Initialization:  
2   $N' = \{u\}$   
3  for all nodes  $v$   
4    if  $v$  adjacent to  $u$   
5      then  $D(v) = c(u,v)$   
6    else  $D(v) = \infty$ 
```



In Dijkstra's Algorithm we calculate one new best cost each iteration.

1 **Initialization:**

2  $N' = \{u\}$

3 for all nodes  $v$

4 if  $v$  adjacent to  $u$

5 then  $D(v) = c(u,v)$

6 else  $D(v) = \infty$

7

8 **Loop**

9 find  $w$  not in  $N'$  such that  $D(w)$  is a minimum

10 add  $w$  to  $N'$

11 update  $D(v)$  for all  $v$  adjacent to  $w$  and not in  $N'$  :

12  **$D(v) = \min( D(v), D(w) + c(w,v) )$**

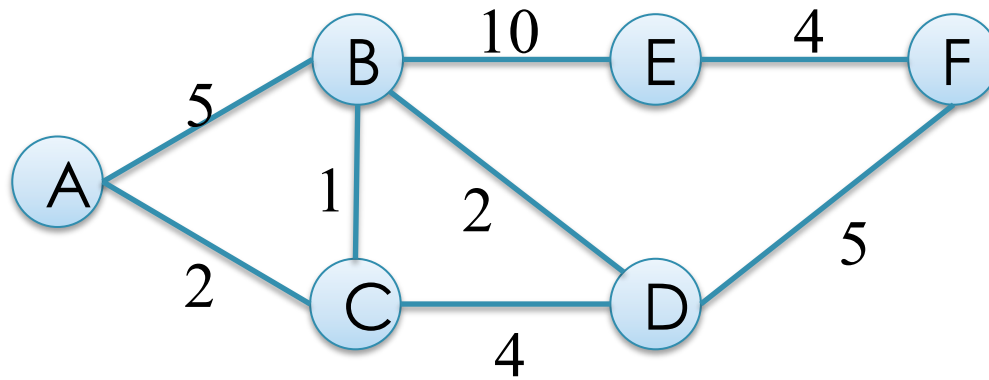
13 /\* new cost to  $v$  is either old cost to  $v$  or known

14 shortest path cost to  $w$  plus cost from  $w$  to  $v$  \*/

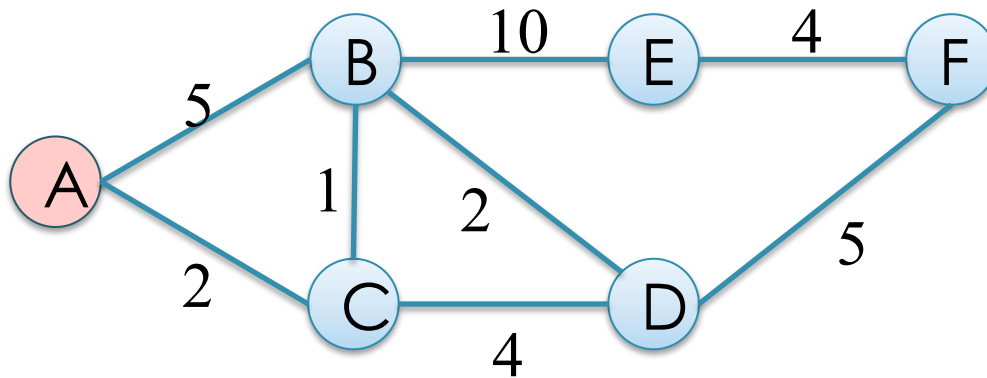
15 **until all nodes in  $N'$**



In this example, we will try to determine the shortest paths from node A.



# Dijkstra's Algorithm – Step 0



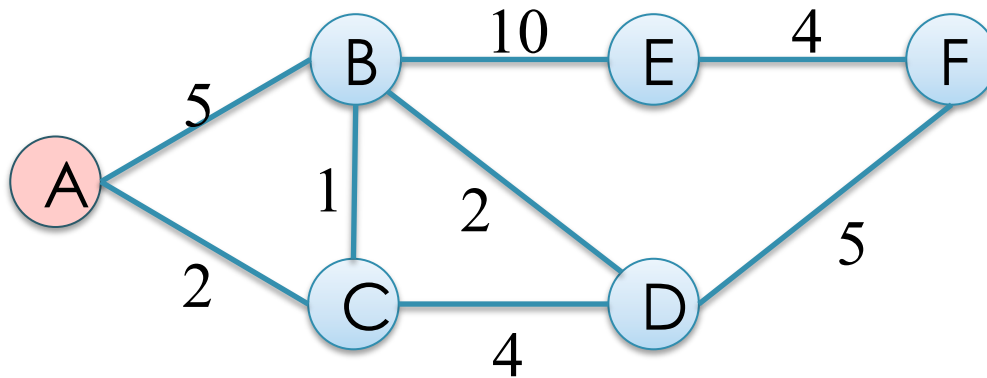
Previous Step

Dest	Path	Cost D(v)
A		
B		
C		
D		
E		
F		

This Step

Dest	Path	Cost D(v)
A	A	0
B	B	5
C	C	2
D	?	$\infty$
E	?	$\infty$
F	?	$\infty$

# Dijkstra's Algorithm – Step 1



Previous Step

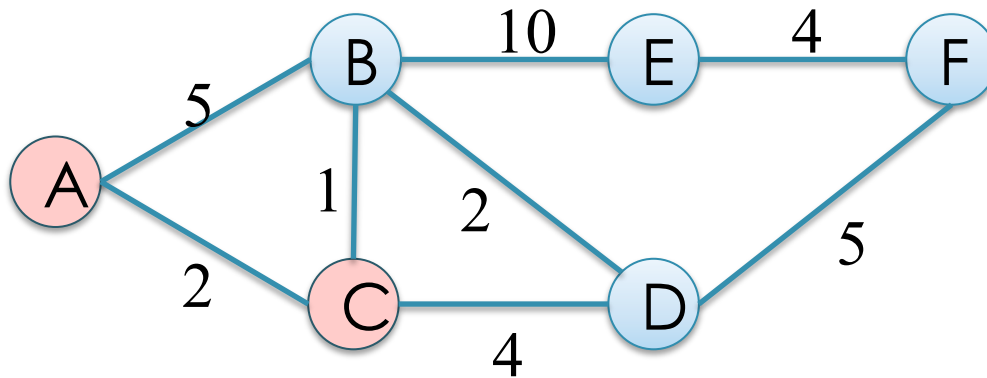
✓	Dest	Path	Cost D(v)
	A	A	0
	B	B	5
	C	C	2
	D	?	$\infty$
	E	?	$\infty$
	F	?	$\infty$

Pick  
Min

This Step

✓	Dest	Path	Cost D(v)
	A	A	0
	B		
	C		
	D		
	E		
	F		

# Dijkstra's Algorithm – Step 1



Can we find lower cost to any other node by going through C?

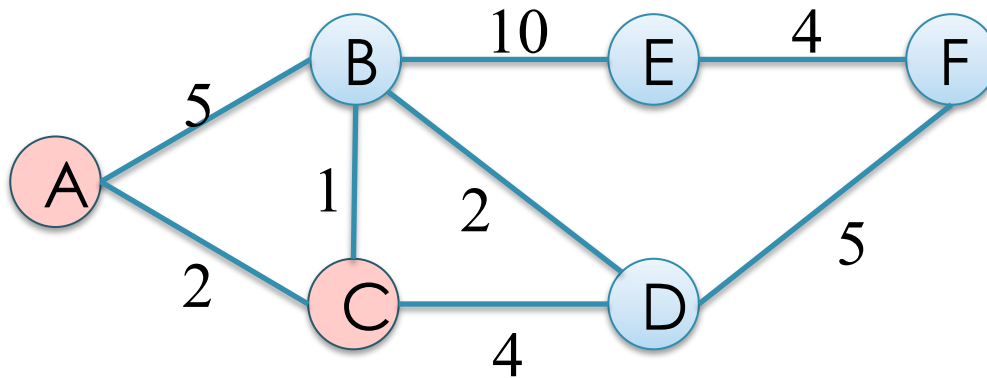
Previous Step

✓	Dest	Path	Cost D(v)
	A	A	0
	B	B	5
	C	C	2
	D	?	$\infty$
	E	?	$\infty$
	F	?	$\infty$

This Step

✓	Dest	Path	Cost D(v)
	A	A	0
	B		
✓	C	C	2
	D		
	E		
	F		

# Dijkstra's Algorithm – Step 1



Consider path to B:

$D(B)$   
or  
 $D(C) + \text{cost}(C, B)$

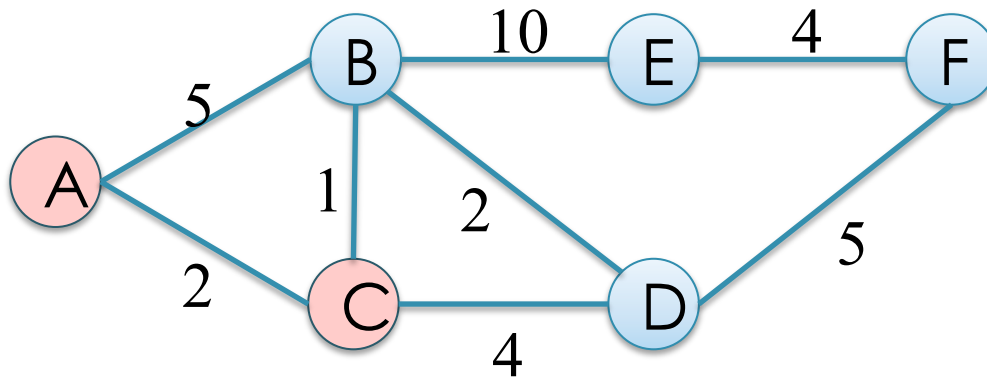
Previous Step

✓	Dest	Path	Cost $D(v)$
	A	A	0
	B	B	5
	C	C	2
	D	?	$\infty$
	E	?	$\infty$
	F	?	$\infty$

This Step

✓	Dest	Path	Cost $D(v)$
	A	A	0
	B		
✓	C	C	2
	D		
	E		
	F		

# Dijkstra's Algorithm – Step 1



Consider path to B:

$$D(B) = 5$$

or

$$D(C) + \text{cost}(C, B) \\ 2 + 1 = 3$$

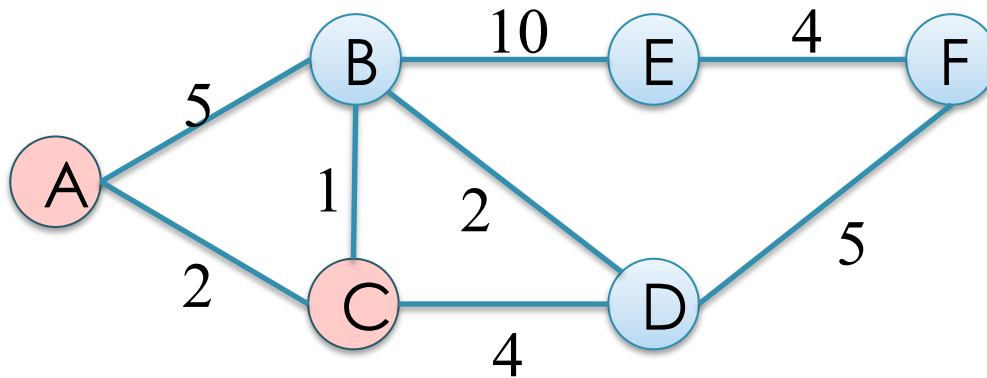
Previous Step

✓	Dest	Path	Cost D(v)
	A	A	0
	B	B	5
	C	C	2
	D	?	$\infty$
	E	?	$\infty$
	F	?	$\infty$

This Step

✓	Dest	Path	Cost D(v)
	A	A	0
	B	C, B	3
✓	C	C	2
	D		
	E		
	F		

# Dijkstra's Algorithm – Step 1



Consider path to D:

$$D(D) = \infty$$

or

$$D(C) + \text{cost}(C, D)$$

$$2 + 4 = 6$$

Previous Step

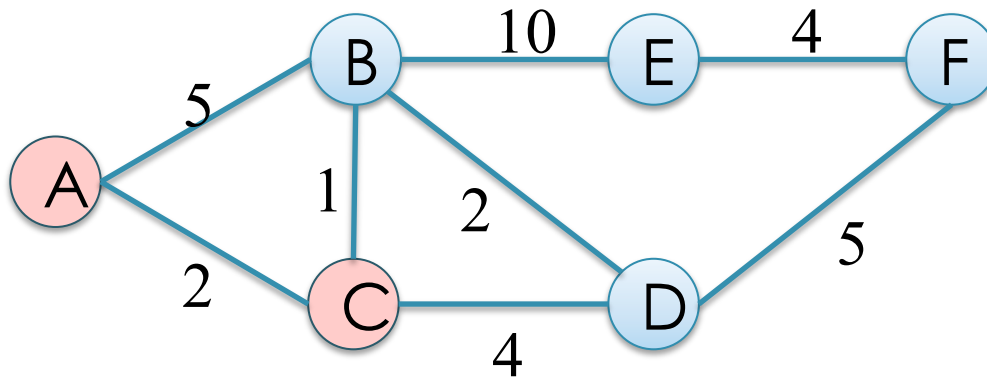
✓	Dest	Path	Cost D(v)
	A	A	0
	B	B	5
	C	C	2
	D	?	$\infty$
	E	?	$\infty$
	F	?	$\infty$

This Step

✓	Dest	Path	Cost D(v)
	A	A	0
	B	C, B	3
✓	C	C	2
	D	C, D	6
	E		
	F		



# Dijkstra's Algorithm – Step 1



Still no  
information  
about E or F.

Previous Step

✓	Dest	Path	Cost D(v)
	A	A	0
	B	B	5
	C	C	2
	D	?	$\infty$
	E	?	$\infty$
	F	?	$\infty$

This Step

✓	Dest	Path	Cost D(v)
	A	A	0
	B	C, B	3
✓	C	C	2
	D	C, D	6
	E	?	$\infty$
	F	?	$\infty$