

Authentication

Authentication

- How to prove that you are whom you claim to be?
 - Indispensible for access control
- User authentication
 - Allows a user to prove his identity
 - E.g., telephone voice authentication
 - Prover: entity to be authenticated
 - Verifier: entity checking prover identity
 - Proof: information allowing prover to be authenticated (prove his ID)
- Message authentication
 - Verify that a message is authentic
 - E.g., receiving a signed email

Authentication mechanisms

- Identification: who are you?
- Authentication: prove it
- Authorization: you can do it

- Password
 - Fixed password
 - One-time password
- Cryptographic authentication protocols: challenge-response
 - A prover proves demonstrates knowing a secret
 - Symmetric key, private key
- Biometrics

Password-based authentication

- User demonstrates knowledge of password to authenticate
 - most common method of user authentication
- A password should be easy to remember, but hard to guess: difficult!
- Password storage
 - Storing unencrypted passwords in a file is risky
 - Store $H(\text{pwd})$: when user inputs password, compare hash with stored hash

Attacks on password

- Intelligent search
- 10 most popular pwds
 - password
 - 123456
 - qwerty
 - abc123
 - letmein
 - monkey
 - myspace1
 - Password1 (passw0rd)
 - blink182
 - name

Dictionary Attack

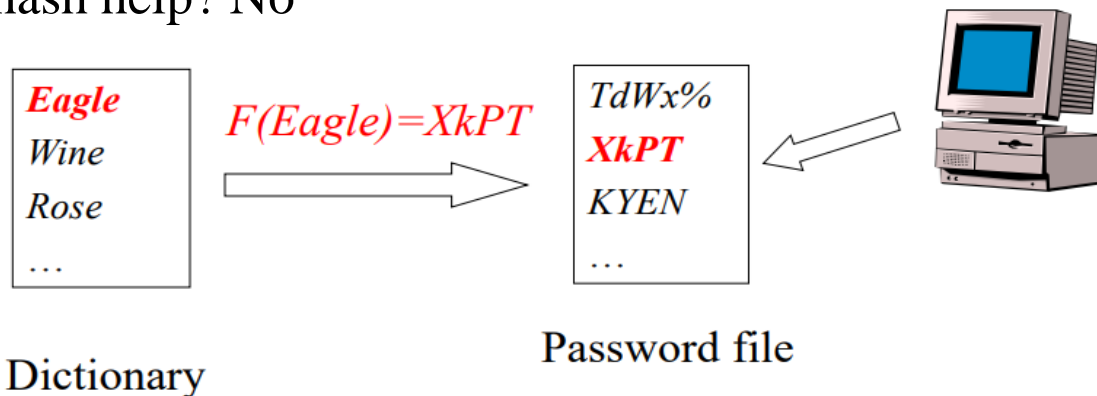
- Online

- Create a dictionary of commonly used pwds
- Use these to guess the password



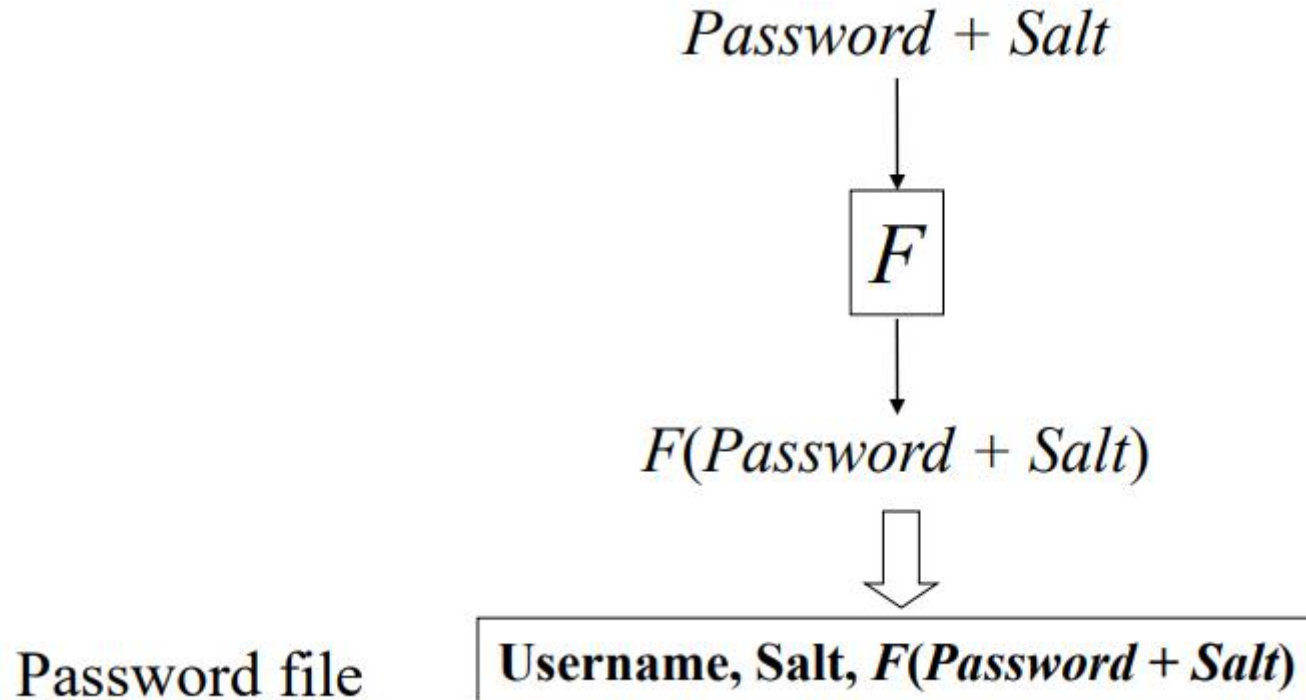
- Offline

- Obtain the pwd file
- Compare with the dictionary
- Does hash help? No



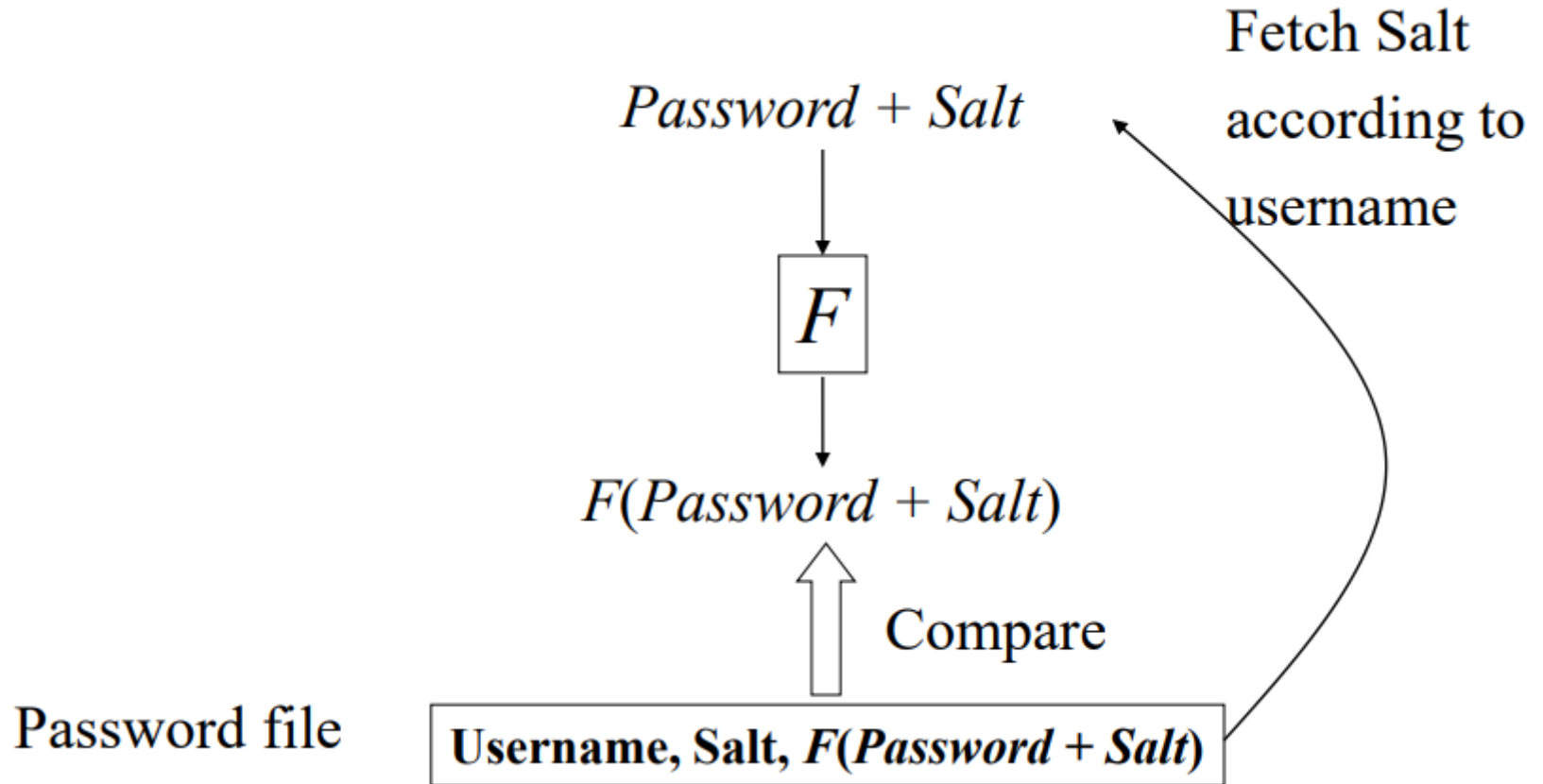
Password Salt

- Storing passwords



Password salt

- Verifying passwords



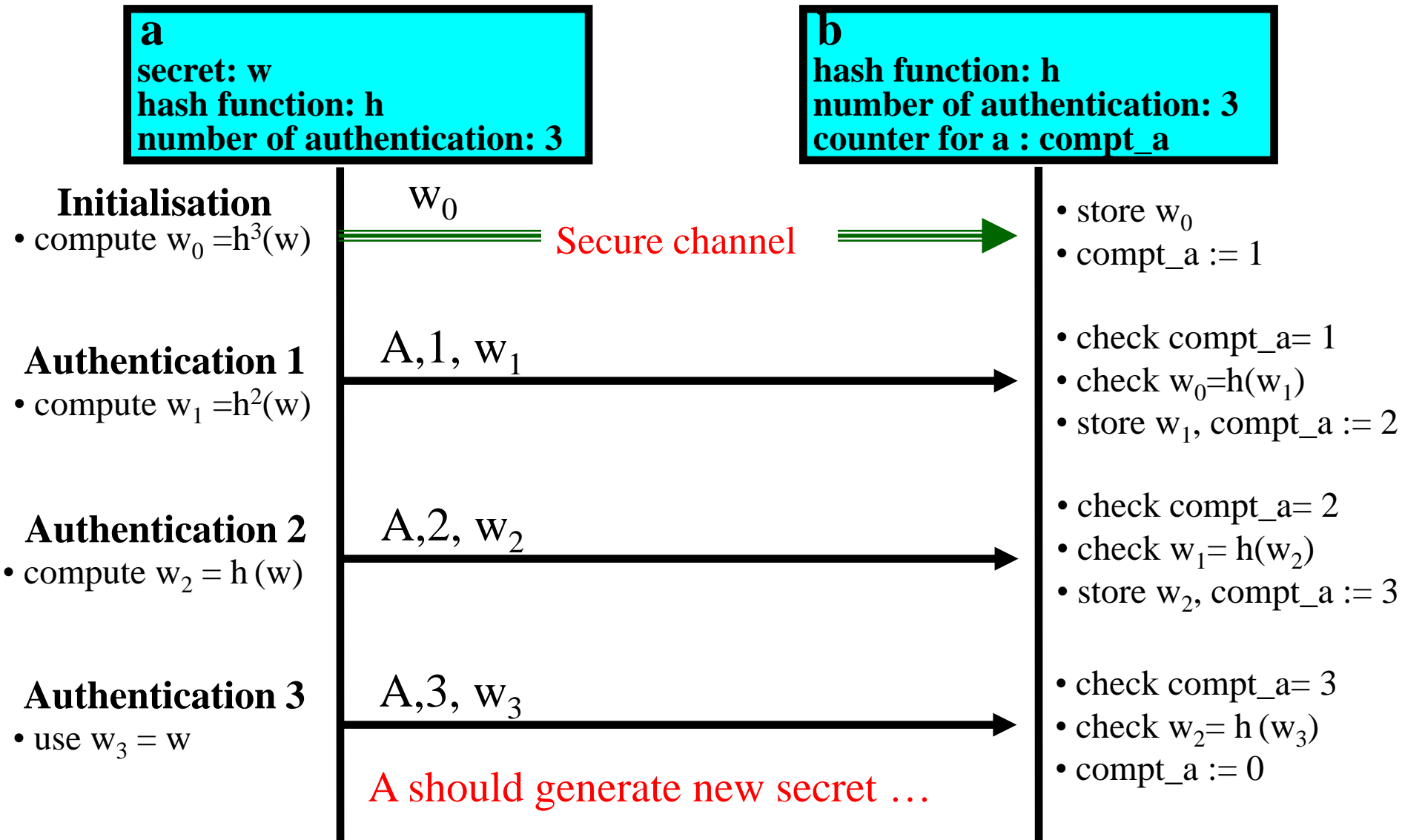
- Dictionary attack?

Password recommendation

- Initial passwords are system-generated, change on first login
- Change periodically
- Passwords vulnerable to a dictionary attack are rejected
- Do not use same password on multiple sites

- Other password attacks
 - Eavesdropping
 - Backdoor
 - Phishing

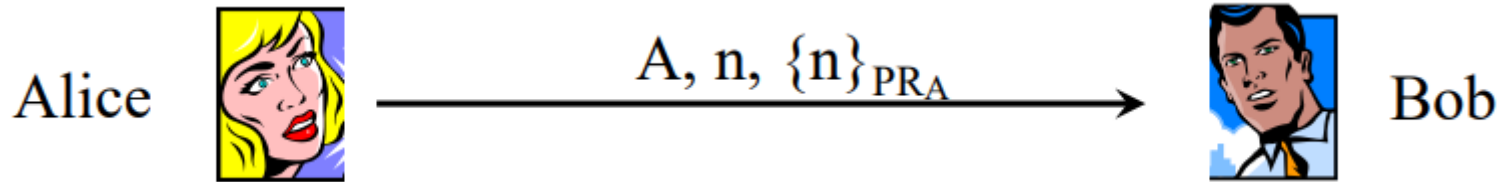
One-time password



Cryptographic authentication protocols

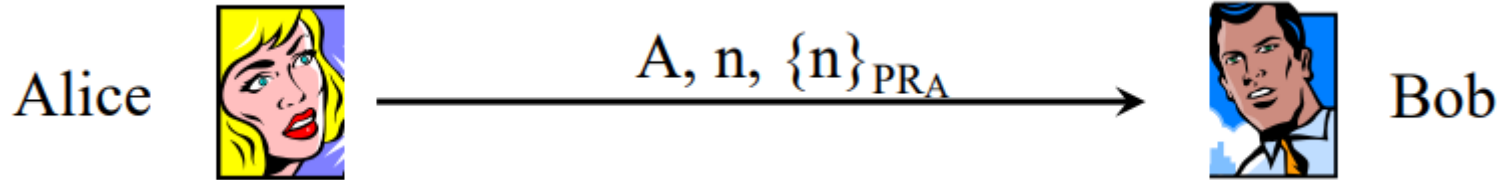
- Goals:
 - Mutual Authentication: each party authenticates itself to the other
 - Key Establishment: establish a session key
 - used to secure communication
- Methods
 - Authentication with asymmetric keys
 - Public key is known to everyone
 - Authentication with symmetric keys
 - A pre-shared secret key
- Attacker can do
 - Message injection, modification, deletion, replay

Authentication with asymmetric keys



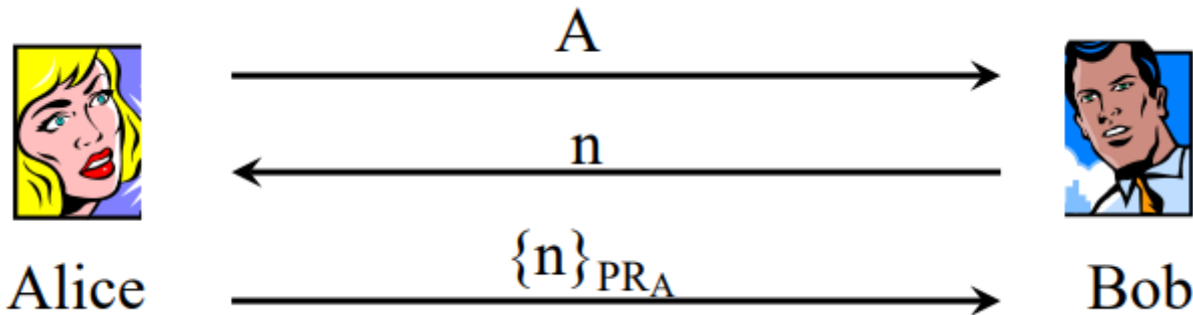
- Private key PR_A , Public key PU_A
- n : nonce
 - An ideal nonce has two properties:
 - Freshness: each nonce is used once during any execution of protocol
 - Unpredictability
 - In practice, it is simulated by a large random number
 - Sometimes we only need freshness
 - Increasing sequence number
 - Time stamp

Version 1



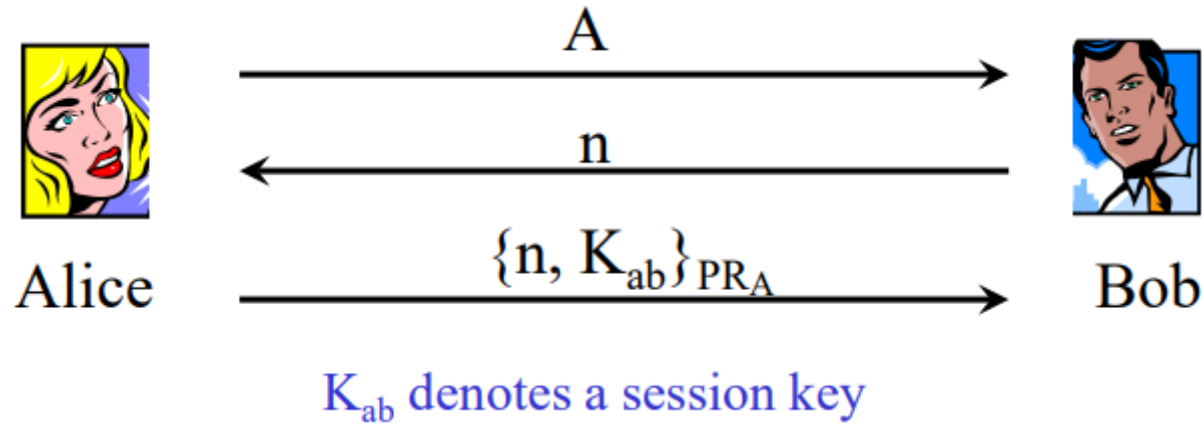
- Can we replace $\{n\}_{PRA}$ by $\{n\}_{PUA}$?
 - Answer: No. Everyone knows PU_A and can compute $\{n\}_{PUA}$.
- What is wrong with this authentication protocol?
 - An attacker can replay this message later to authenticate himself to Bob
 - How to fix this problem?

Version 2



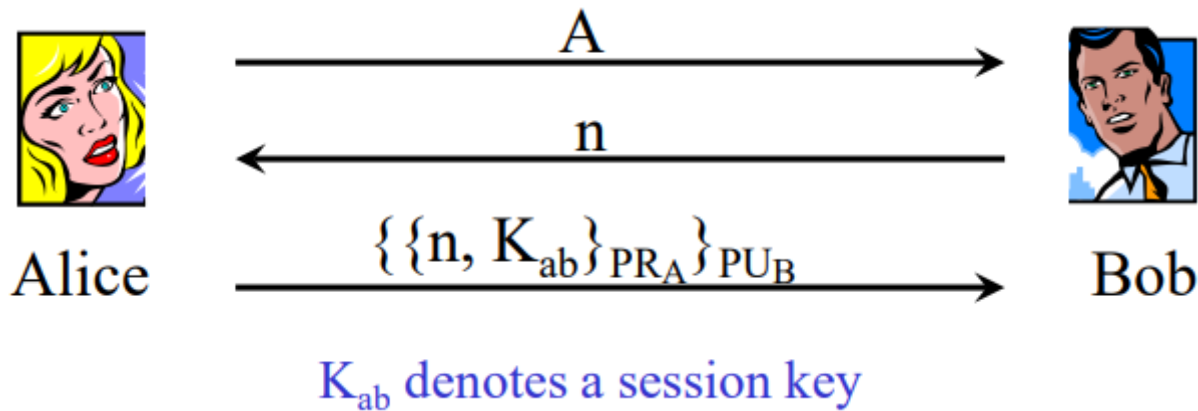
- Attacker cannot replay $\{n\}_{PR_A}$
- What is wrong with this authentication protocol?
 - No session key is established.
 - Authentication = mutual identity verification + session key establishment
 - How to fix this problem?

Version 3



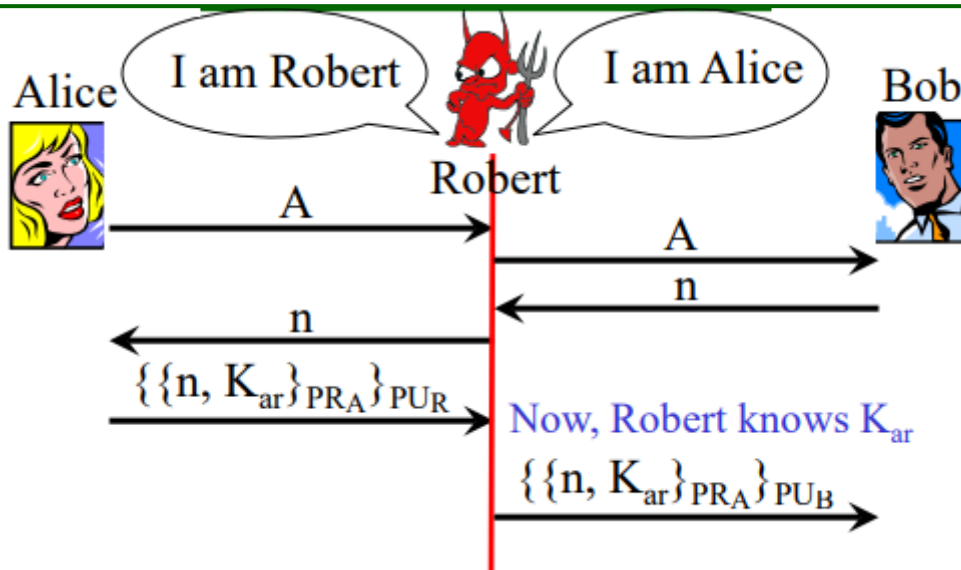
- What is wrong with this authentication protocol?
 - Attacker can see K_{ab} by Alice's public key.
 - How to fix this problem?

Version 4



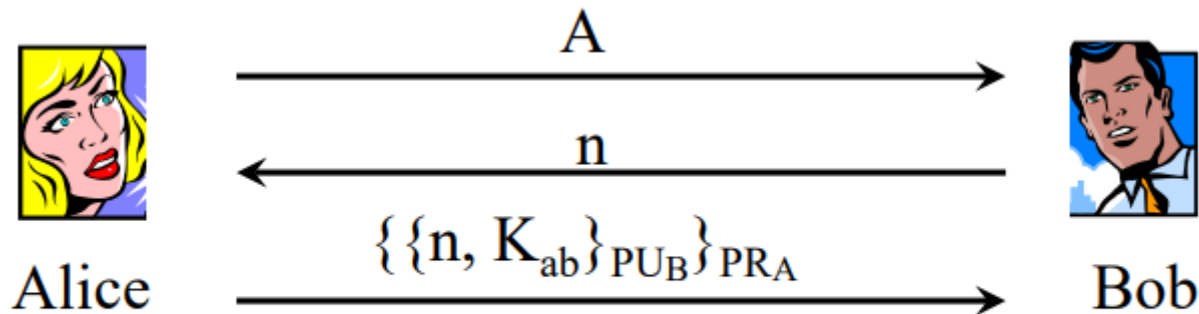
- Only Bob can decrypt $\{\{n, K_{ab}\}_{PR_A}\}_{PU_B}$
- Protocol developed by Denning & Sacco in 1981
- What is wrong with this authentication protocol?
 - Vulnerable to man-in-the-middle attack
 - attacker makes independent connections with the victims and manipulates messages between them

Man-in-the-middle attack



- When Alice begins to talk to Robert, Robert starts to talk to Bob as Alice
- How to fix this problem?
 - Solution 1: use $\{\{n, K_{ar}\}_{PUR}\}_{PRA}$ to replace $\{\{n, K_{ar}\}_{PRA}\}_{PUR}$
 - Solution 2: use $\{\{n, \mathbf{R}, K_{ar}\}_{PRA}\}_{PUR}$ to replace $\{\{n, K_{ar}\}_{PRA}\}_{PUR}$
- Principle: Encryption should be inside a signature, otherwise we need to include principal's names.

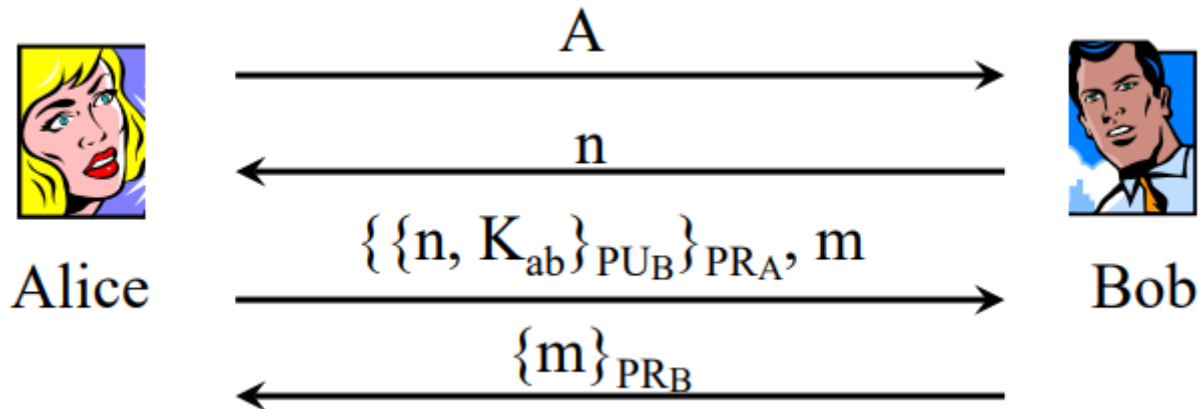
Version 5



K_{AB} denotes a session key

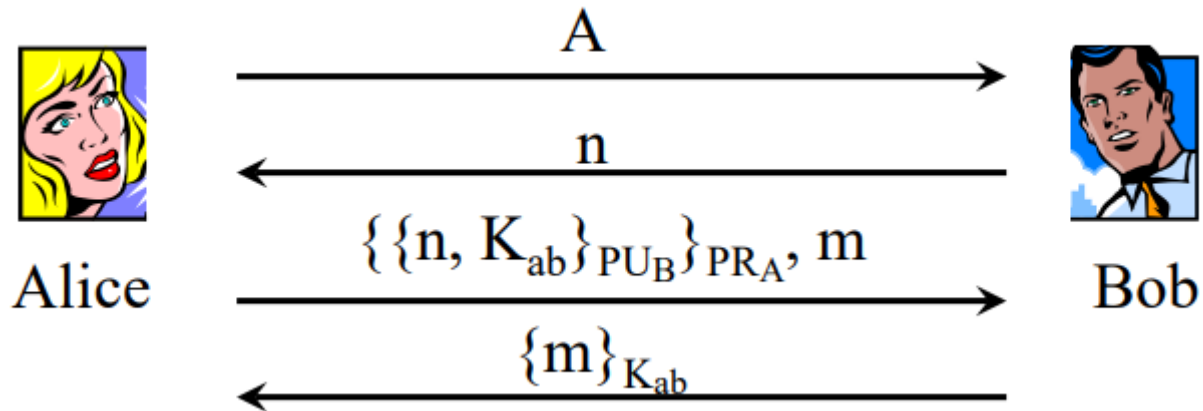
- Now only Alice and Bob know session key K_{ab}
- What is wrong with this authentication protocol?
 - Authentication = mutual identity verification + session key establishment
 - Bob authenticates Alice, but Alice did not authenticate Bob.
 - How to fix this problem?

Version 6

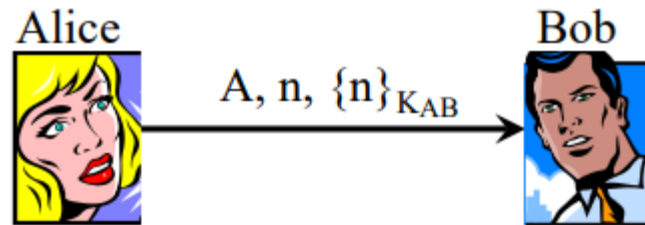


- Now, mutual authentication, and session key established
- Which part of this protocol can be made more efficient?
 - Replace $\{m\}_{PR_B}$ by $\{m\}_{K_{ab}}$.
 - Note: attacker can launch man-in-the-middle attack, but cannot learn K_{ab}

Version 7: final

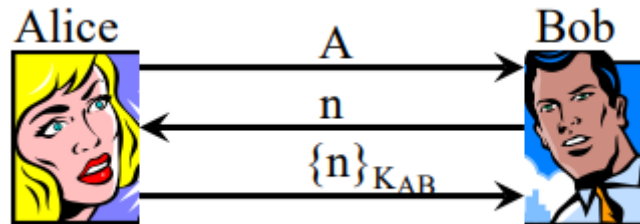


Authentication with symmetric key: V1



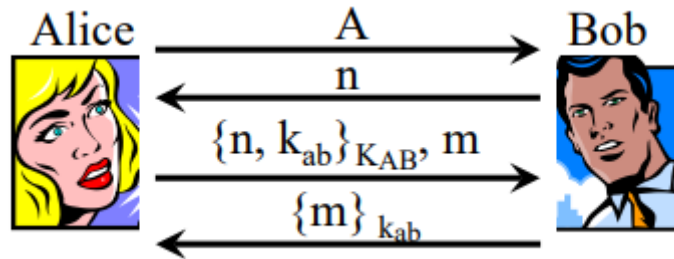
- What is wrong with this authentication protocol?
 - Answer: vulnerable to replay attack
 - How to fix this problem?

Version 2



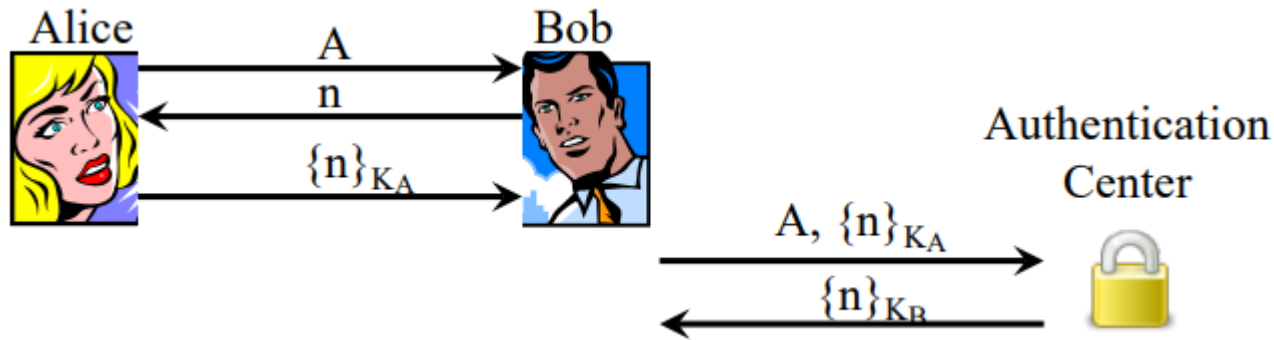
- What is wrong with this authentication protocol?
 - No session key established
 - No mutual authentication.
 - How to fix this problem?
 - Add session key k_{ab} , and a nonce m from Alice

Version 3 : *version finale*



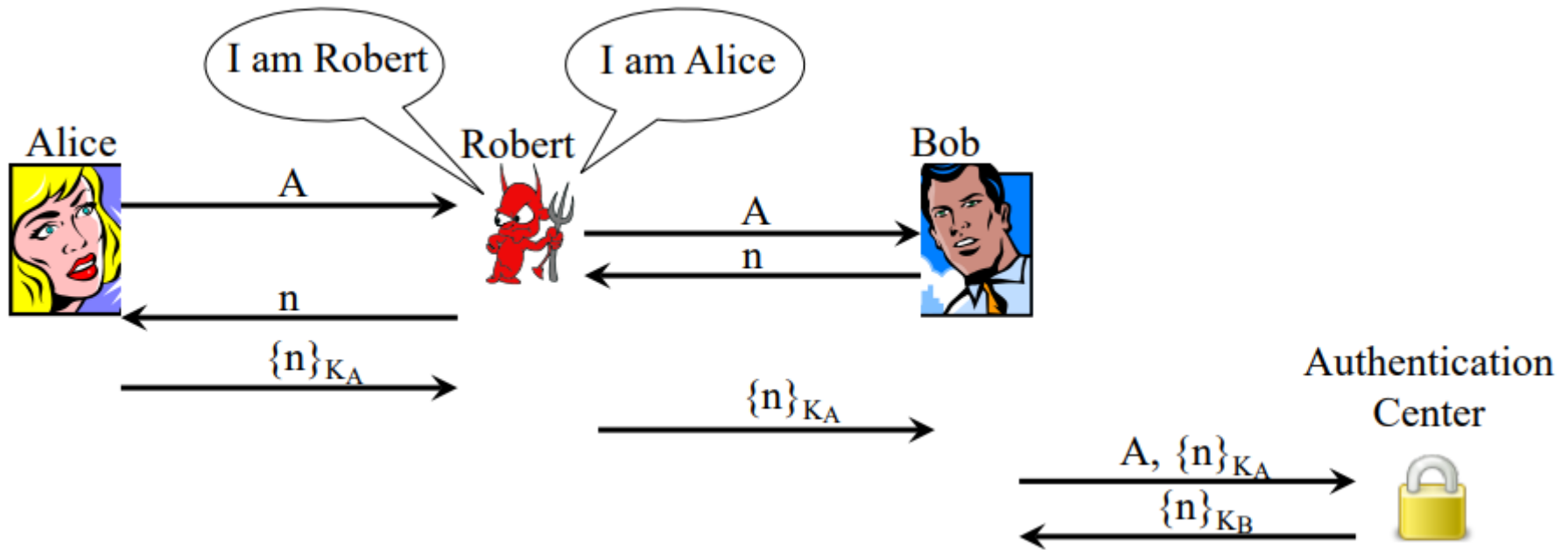
- What is the problem with this protocol
 - In case of authentication among a group of people
 - Every pair of users need to have a shared secret key
 - When a user joins a group, every one in the group needs to configure a new key with him
 - Solution: use a trusted third party
 - reduce $O(n^2)$ keys to $O(n)$ keys.

With trusted third party: Version 1



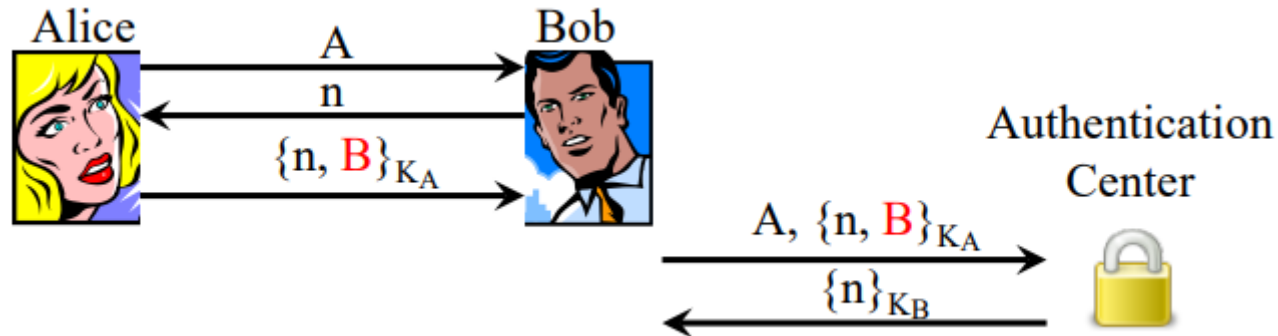
- Is this authentication protocol secure?
 - No, man-in-the-middle attack

Version 2: Man-in-the-middle



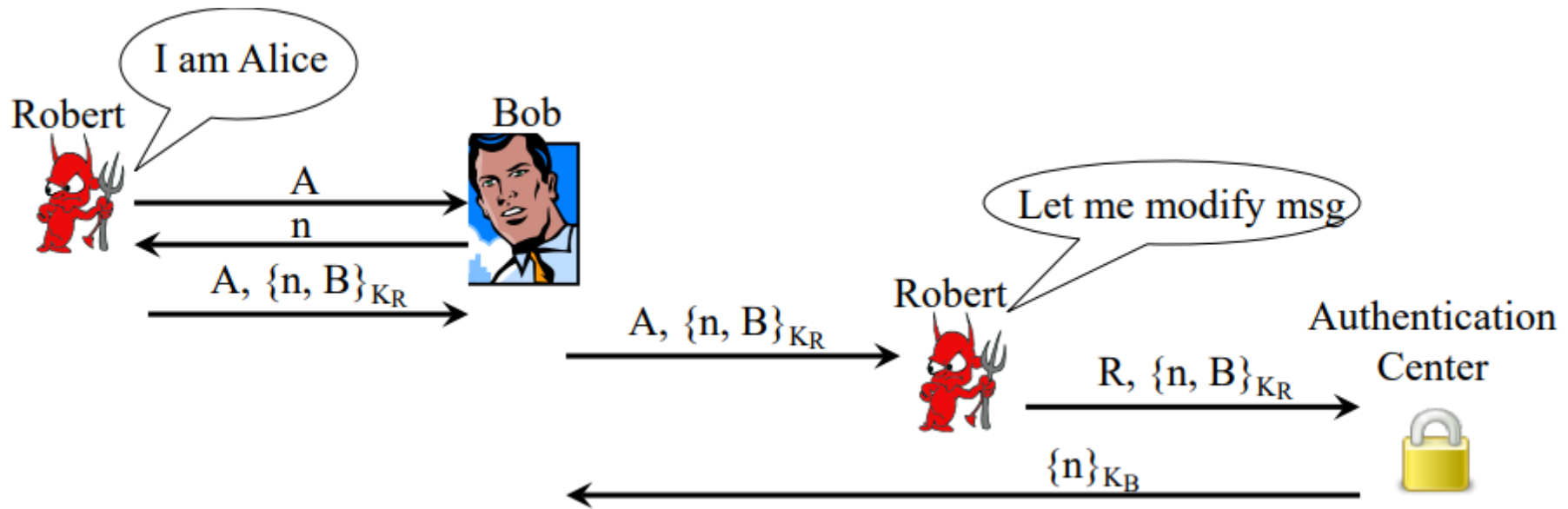
- How to defend against this attack?
 - Add principal name to prevent $\{n\}_{K_A}$ from being reused

Version 3



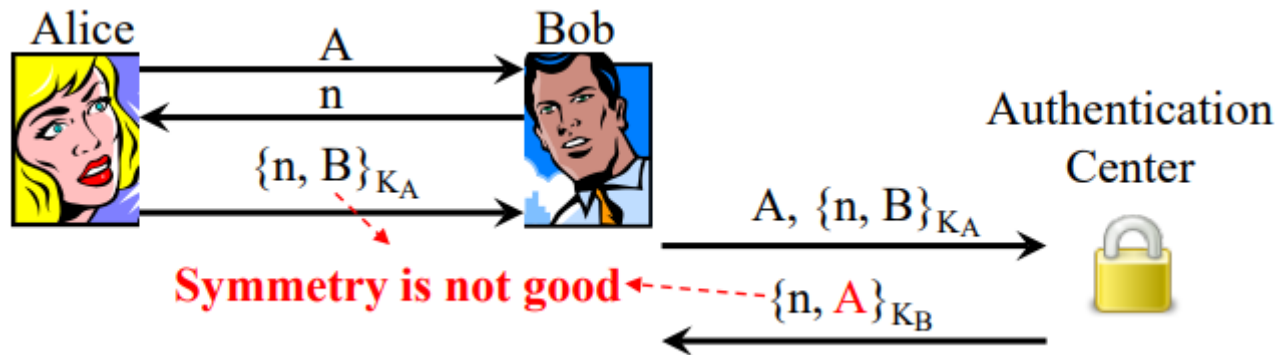
- Is this authentication protocol secure?
 - No

Version 3: attack



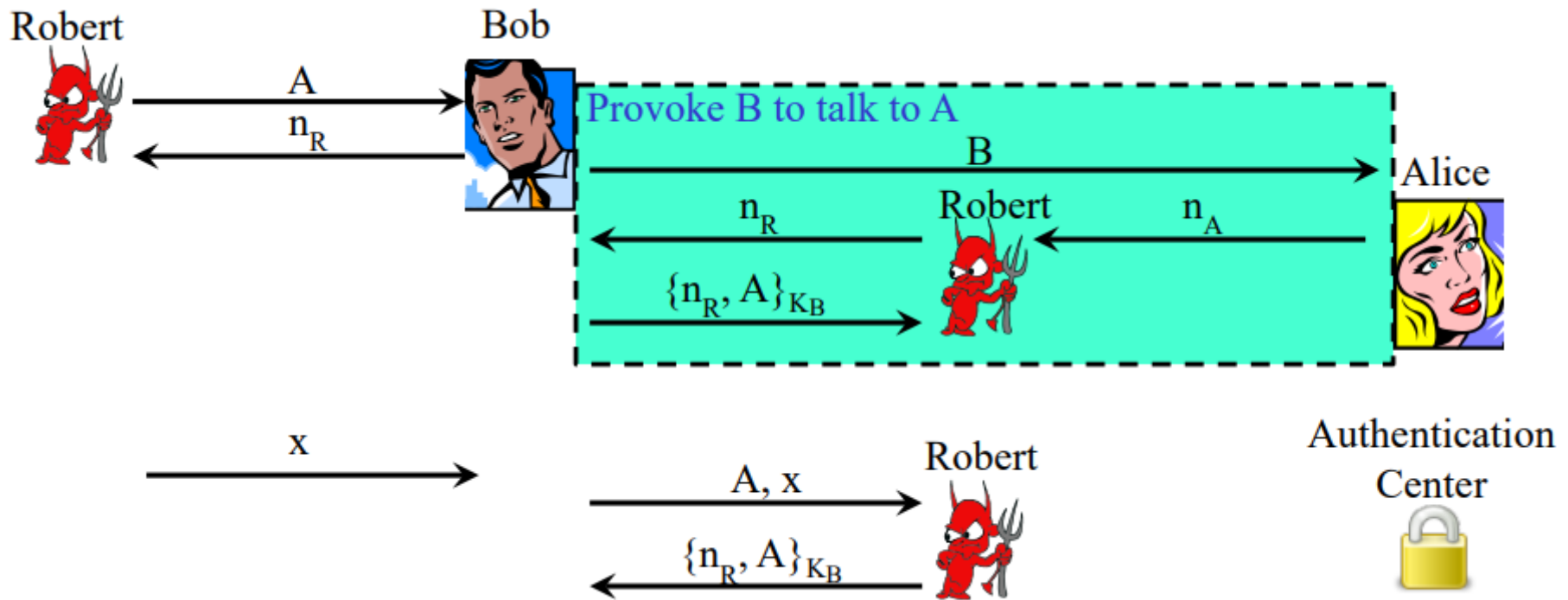
- How to defend against this attack?
 - add principal name into $\{n\}_{K_B}$

Version 4



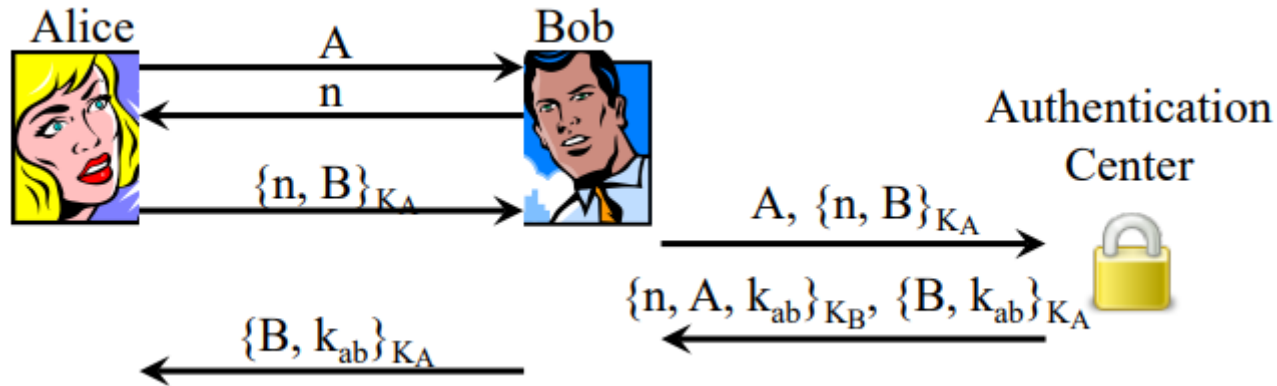
- Is this authentication protocol secure?
 - Answer: No
 - Message symmetry in authentication protocols is not good

Version 4: attack



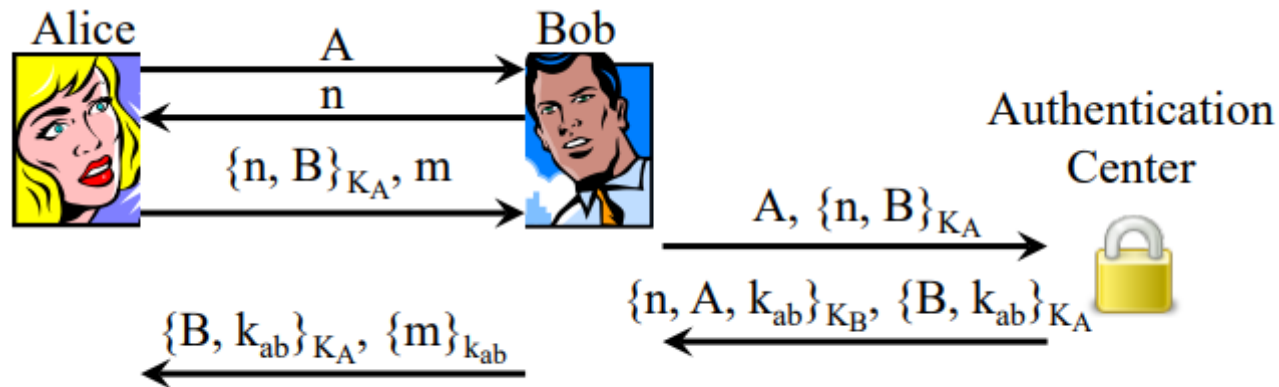
- How to defend against this attack?
 - Break symmetry

Version 5



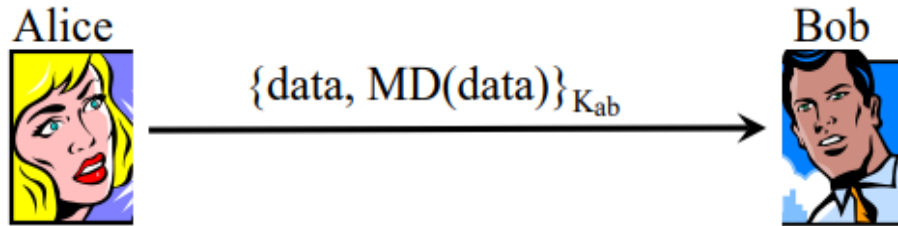
- Almost done there
 - except having mutual authentication

Version 6: fin

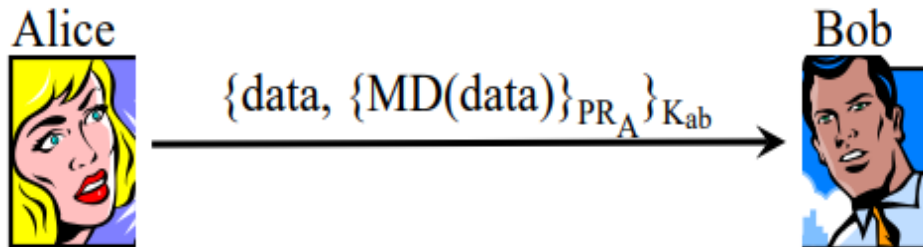


Secrecy, integrity, non-repudiation

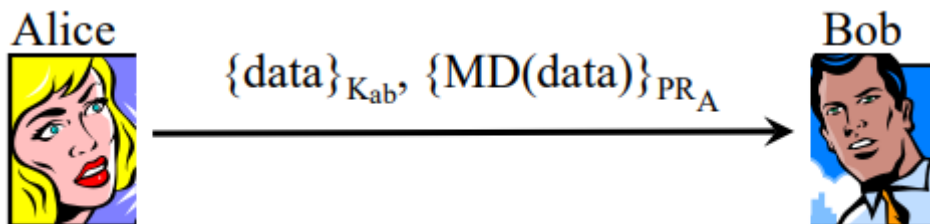
- How to achieve secrecy and integrity?



- How to further achieve non-repudiation?



- Further improvement



More attacks: freshness

Needham-Schroeder protocol

$M_1, a \rightarrow s : a . b . r_a$

$M_2, s \rightarrow a : \{ r_a . b . K_{ab} . \{ K_{ab} . a \}_{K_{sb}} \}_{K_{sa}}$

$M_3, a \rightarrow b : \{ K_{ab} . a \}_{K_{sb}}$

$M_4, b \rightarrow a : \{ r_b \}_{K_{ab}}$

$M_5, a \rightarrow b : \{ r_b - 1 \}_{K_{ab}}$

K_{sa}, K_{sb} , secret key between $s \& a$, $s \& b$

- Denning-Sacco attack: attacker already obtained $oldK_{ab}$
 $M_3, x/a \rightarrow b : \{ oldK_{ab} . a \}_{K_{sb}}$
 $M_4, b \rightarrow x/a : \{ r_b \}_{oldK_{ab}}$
 $M_5, x/a \rightarrow b : \{ r_b - 1 \}_{oldK_{ab}}$

Solution: add time stamp in M_2 and M_3

$M_2: s \rightarrow a : \{ b . K_{ab} . t_a . \{ a . K_{ab} . t_a \}_{K_{sb}} \}_{K_{sa}}$

$M_3: a \rightarrow b : \{ K_{ab} . a . t_a \}_{K_{sb}}$

Type confusion attack

Otway-Rees protocol (K_{sa} , K_{sb} , secret key between s & a , s & b)

$M_1: a \rightarrow b: m.a.b.\{n_a.m.a.b\}_{K_{sa}}$ m is transaction ID

$M_2: b \rightarrow s: m.a.b.\{n_a.m.a.b\}_{K_{sa}}\{n_b.m.a.b\}_{K_{sb}}$

$M_3: s \rightarrow b: m.\{n_a.K_{ab}\}_{K_{sa}}\{n_b.K_{ab}\}_{K_{sb}}$

$M_4: b \rightarrow a: m.\{n_a.K_{ab}\}_{K_{sa}}$ m 32 bits, a, b 16 bits, K_{ab} 64 bits

Attack: replay encrypted part in M_1

$M_1: a \rightarrow x/b: m.a.b.\{n_a.m.a.b\}_{K_{sa}}$

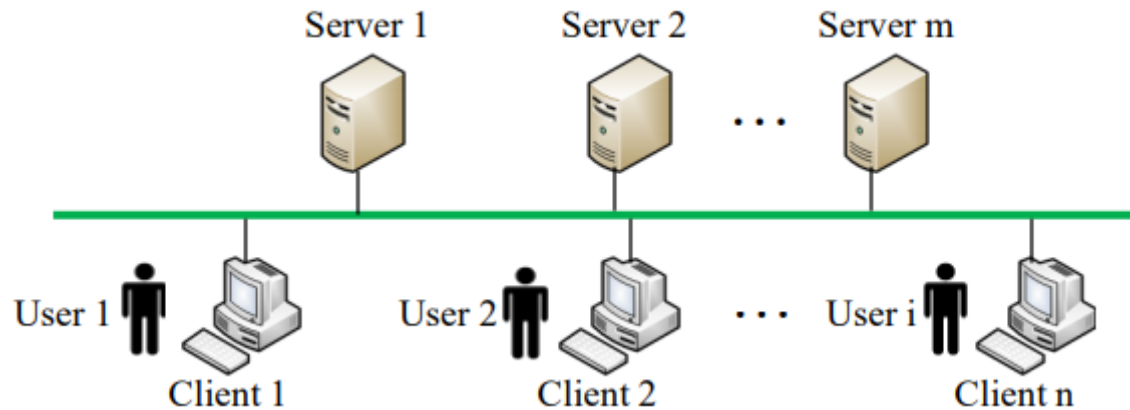
$M_4': x/b \rightarrow a: \{n_a.m.a.b\}_{K_{sa}}$

Result: a accepts $m.a.b$ as key

Test: find another attack

Kerberos

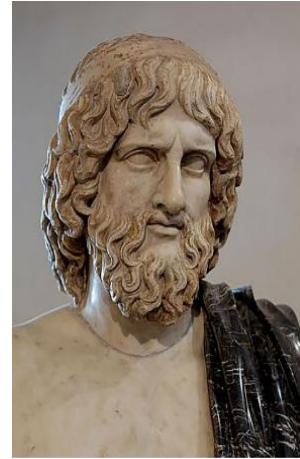
- Authentication service developed by MIT
 - Multi-user, multi-client machine, multi-server machine
 - Authentication
 - Users prove their identities when requesting services at servers from client machines



- Uses a trusted third party & symmetric cryptography
- Based on Needham Schroeder with Denning Sacco
- Passwords not sent in clear text
 - Only the network can be compromised

Kerberos

- Most widely used authentication service
- Kerberos:
 - a many headed dog, commonly three
 - guardian of the entrance of Hadès
 - Zeus, Hadès et Poséidon
- Why Kerberos
 - Want to access resources from anywhere
 - Don't want to enter password for each access
 - Time consuming
 - Insecure



Kerberos

- Kerberos realm consists of a
 - Kerberos server
 - Authentication Server (AS)
 - Ticket Granting Server (TGS)
 - Users and servers that are registered with Kerberos server
- Uses ticket
 - Ticket granting Ticket, TGT (issued by AS for user to request for service ticket from TGS)
 - Service Ticket (issued by TGS for user to use service from server)
- Procedure: 4 steps
 - User login: user login at client machine
 - Authentication: user is authenticated
 - Authorization: user is granted access to service
 - Service request: user sends request to server

Kerberos

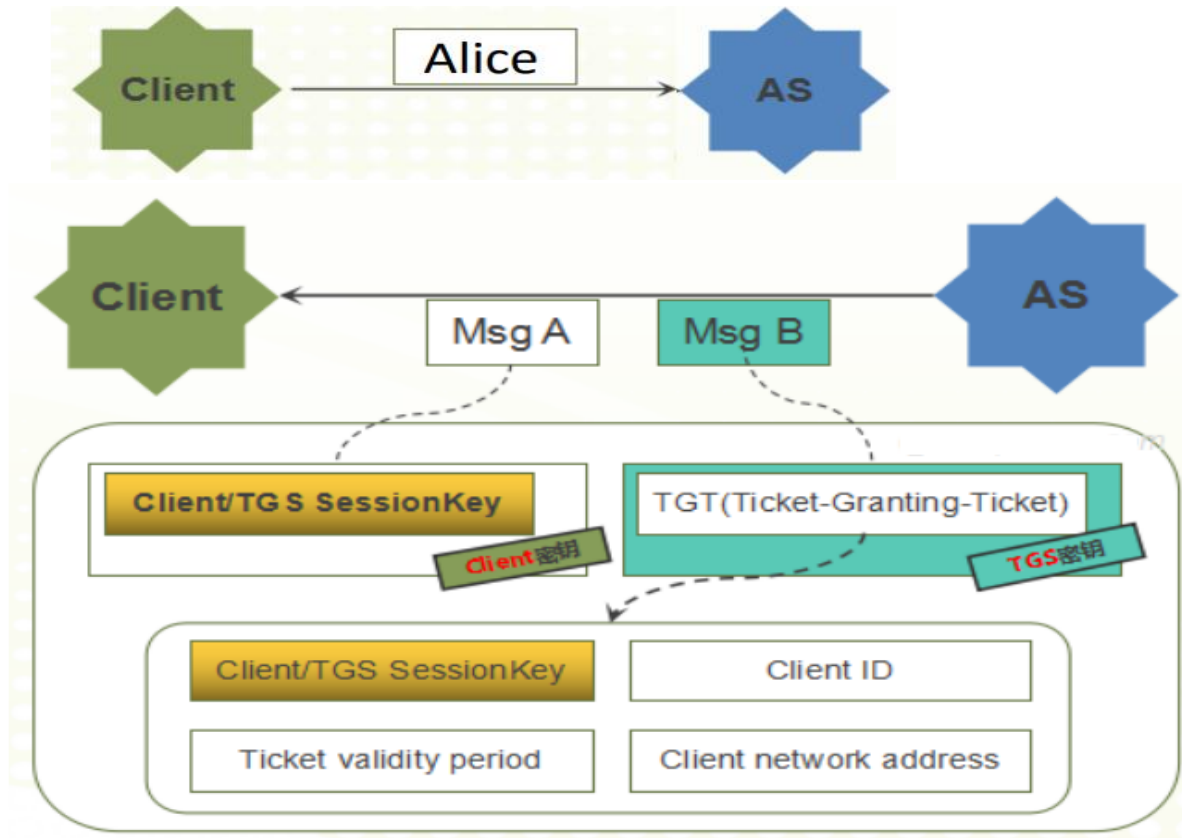


- Application Client (Client): client requesting service at Server
- Authentication Server (AS): authenticates Client
- Ticket-Granting Service (TGS): grants tkt to access service
- Service Server (SS): has the service requested by Client

Step 1: user login

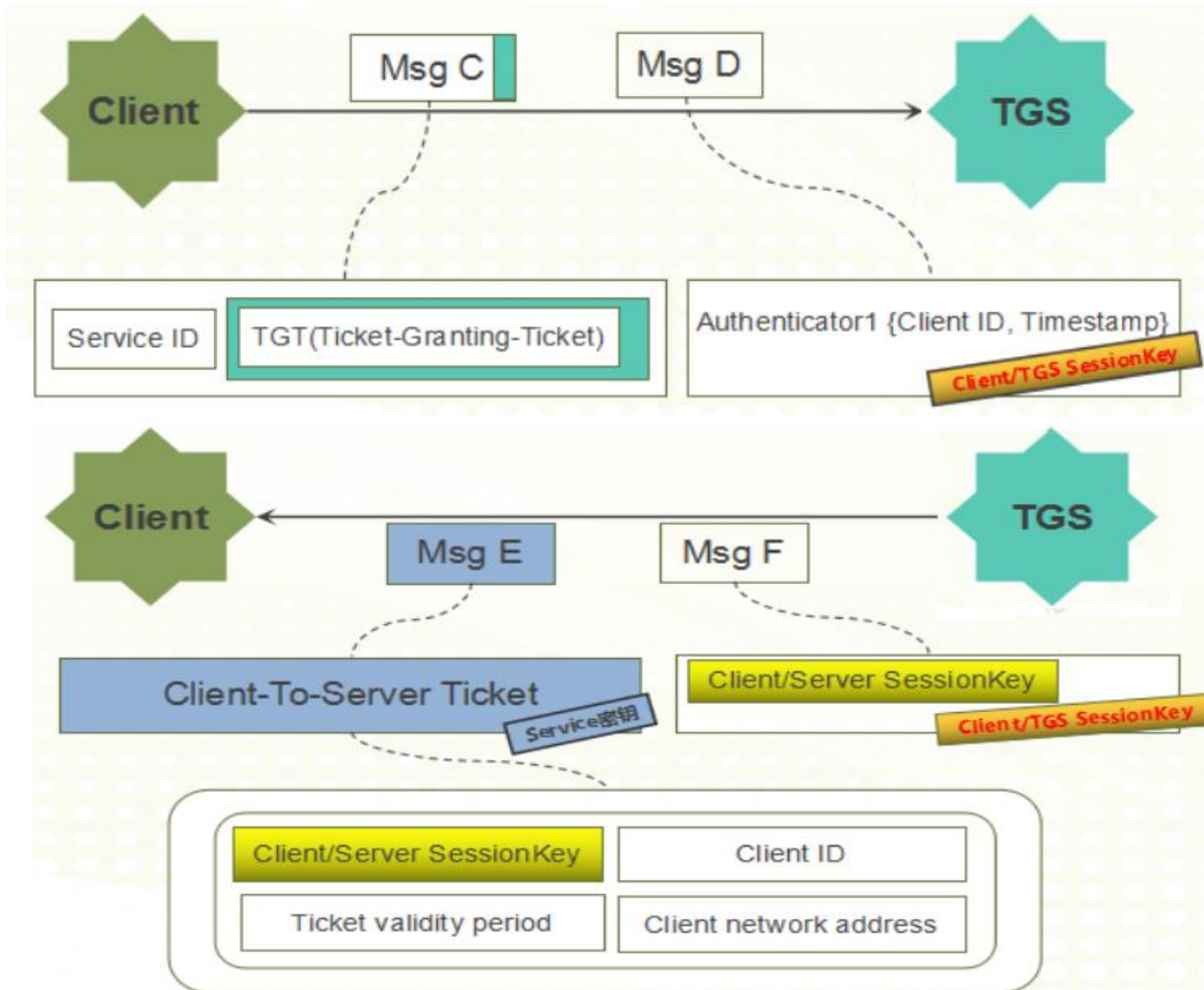
- Alice wants to access a service at Server from Client
- Alice types user ID and password into Client
- Client derives Client key: $H(\text{pwd})$

Step 2: User authentication



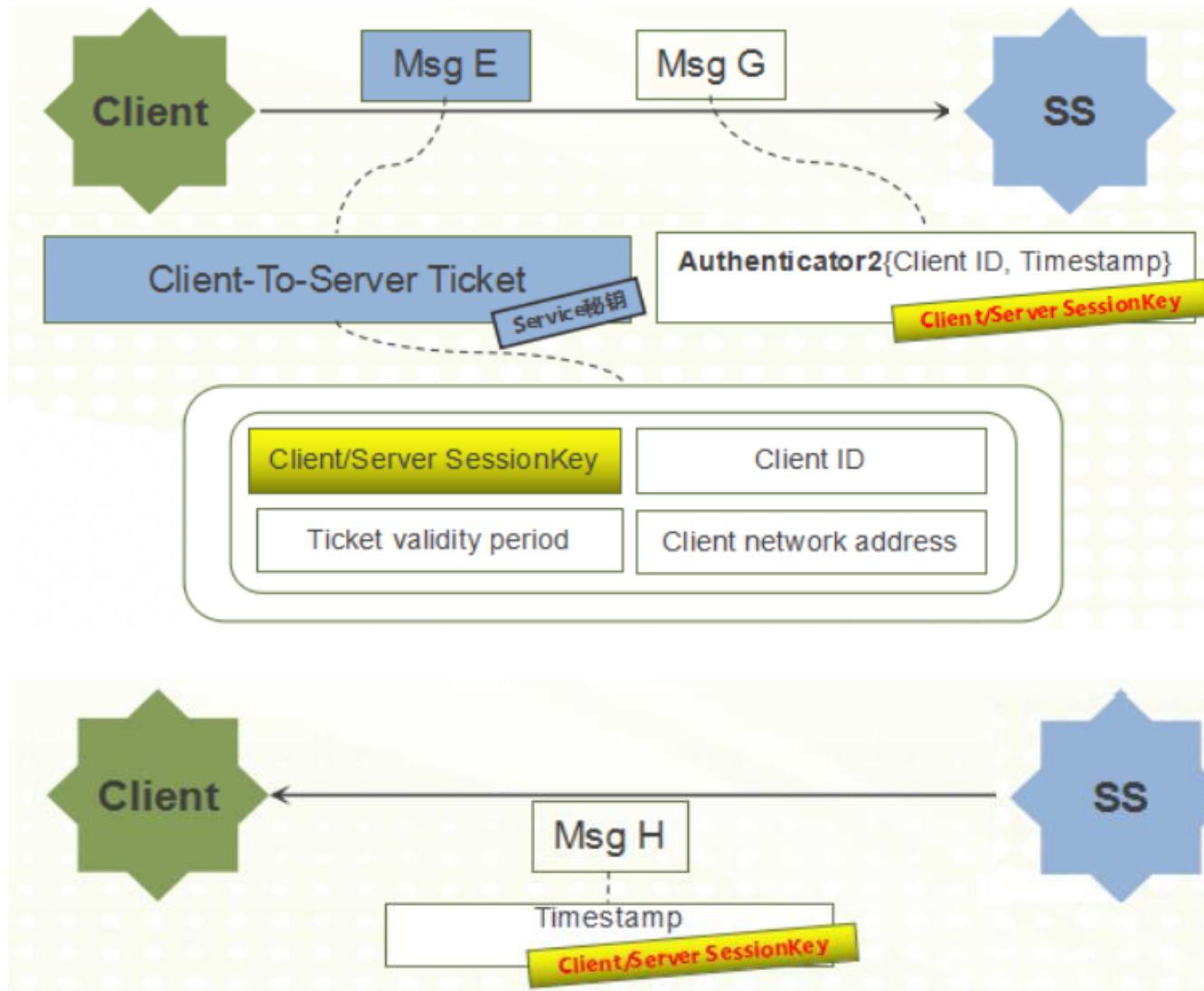
- AS authenticates Client (Alice)
- Msg A: Client/TGS SessionKey generated encrypted by $H(\text{pwd})$
 - Client can decrypt Client/TGS SessionKey
- Msg B: Client cannot decrypt

Step 3: Access grant



- Msg E: Client cannot decrypt

Step 4: Client-Server interaction



Case study: SPLICE/AS

- | | | | |
|----|--------------------|---|--|
| 1. | $C \rightarrow AC$ | : | C, S, N_1 |
| 2. | $AC \rightarrow C$ | : | $AC, \{AC, C, N_1, PK_S\}_{SK_{AC}}$ |
| 3. | $C \rightarrow S$ | : | $C, S, \{C, T, L, \{N_2\}_{PK_S}\}_{SK_C}$ |
| 4. | $S \rightarrow AC$ | : | S, C, N_3 |
| 5. | $AC \rightarrow S$ | : | $AC, \{AC, S, N_3, PK_C\}_{SK_{AC}}$ |
| 6. | $S \rightarrow C$ | : | $S, C, \{S, N_2+1\}_{PK_C}$ |

- Objective: mutual authentication + establishing session key N_2
 - S: server, C: client, AC: authority of certification
 - AC knows public key of S & C; S & C know public key of AC
- The protocol involves 3 ways of authentication, what are they?
- When S is authenticated to C, and C to S?
- Why use encryption in 6, propose another way without encryption
- Why the protocol is not a key agreement protocol?

Case study: SPLICE/AS

- | | | | |
|----|--------------------|---|--|
| 1. | $C \rightarrow AC$ | : | C, S, N_1 |
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| 6. | $S \rightarrow C$ | : | $S, C, \{S, N_2+1\}_{PK_C}$ |

- Perfect Forward Secrecy (PFS)
 - Breaking a long-term key does not break session keys before.
 - The protocol does not satisfy PFS, how to enforce this?
- Give an attack, where attacker can authenticate itself to S as C
 - How to counter the attack?
- Give an attack, where attacker can authenticate itself to C as S
 - How to counter the attack?

1.	$C \rightarrow X/AC$:	C, S, N_1
1'.	$X/C \rightarrow AC$:	C, X, N_1
2.	$AC \rightarrow C$:	$AC, \{AC, C, N_1, PK_X\}_{SK_{ac}}$
3.	$C \rightarrow X/S$:	$C, S, \{C, T, L, \{N_2\}_{PK_X}\}_{SK_c}$
4.	$X \rightarrow AC$:	X, C, N_3
5.	$AC \rightarrow X$:	$AC, \{AC, X, N_3, PK_c\}_{SK_{ac}}$
6.	$X/S \rightarrow C$:	$S, C, \{S, N_2+1\}_{PK_c}$

- | | | | |
|-----|----------------------|---|--|
| 1. | $X \rightarrow AC$ | : | X, S, N_1 |
| 2. | $AC \rightarrow X$ | : | $AC, \{AC, X, N_1, S, PKS\}_{SK_{ac}}$ |
| 3. | $X/C \rightarrow S$ | : | $C, S, \{C, T, L, \{N_2\}_{PK_S}\}_{SK_X}$ |
| 4. | $S \rightarrow X/AC$ | : | S, C, N_3 |
| 4'. | $X/S \rightarrow AC$ | : | S, X, N_3 |
| 5. | $AC \rightarrow S$ | : | $AC, \{AC, S, N_3, PK_X\}_{SK_{ac}}$ |
| 6. | $S \rightarrow X/C$ | : | $S, C, \{S, N_2+1\}_{PK_X}$ |

Case study: SPLICE/AS

1. $C \rightarrow AC$: C, S, N_1
2. $AC \rightarrow C$: $AC, \{AC, C, N_1, PK_S\}_{SK_{Ac}}$
3. $C \rightarrow S$: $C, S, \{C, T, L, \{N_2\}_{PK_S}\}_{SK_C}$
4. $S \rightarrow AC$: S, C, N_3
5. $AC \rightarrow S$: $AC, \{AC, S, N_3, PK_C\}_{SK_{Ac}}$
6. $S \rightarrow C$: $S, C, \{S, N_2+1\}_{PK_C}$

- Give a Man-in-the-middle attack.
 - How to counter the attack?
- Show that the above attack is still feasible if ECB is used.

$$\begin{array}{lll}
3. & C \rightarrow X/S & : \quad C, S, \{C, T, L, \{N_2\}_{PK_S}\}_{SK_C} \\
3'. & X \rightarrow S : & X, S, \{X, T, L, \{N_2\}_{PK_S}\}_{SK_X} \\
6'. & S \rightarrow X & : \quad S, X, \{S, N_2+1\}_{PK_X} \\
6. & X/S \rightarrow C & : \quad S, C, \{S, N_2+1\}_{PK_C}
\end{array}$$

$$\begin{array}{lll}
3. & C \rightarrow X/S & : \quad C, S, \{C, T, L, \{C, N_2\}_{PK_S}\}_{SK_C} \\
3'. & X \rightarrow S : & X, S, \{X, T, L, \{X, N_2\}_{PK_S}\}_{SK_X} \\
6'. & S \rightarrow X & : \quad S, X, \{S, N_2+1\}_{PK_X} \\
6. & X/S \rightarrow C & : \quad S, C, \{S, N_2+1\}_{PK_C}
\end{array}$$

Random Number Generation

- Many crypto protocols require random numbers
 - Key generation
 - Authentication nonces
- How to generate random numbers?
 - How to generate truly random bits?
 - How to use cryptographic methods to stretch a little bit of true randomness into a large stream of pseudorandom values
 - indistinguishable from true random bits

What Can Go Wrong

```
unsigned char key[16];

srand(time(NULL));
for (i=0; i<16; i++)
    key[i] = rand() & 0xFF;

static unsigned int next = 0;
void srand(unsigned int seed) {
    next = seed;
}

/* RAND_MAX assumed to be 32767 */
int rand(void) {
    next = next * 1103515245 + 12345;
    return next % 32768;
}
```

- Seed highly predictable
 - `time(NULL)` returns the current time, in # seconds since 1/1/1970
 - only $3600 \times 24 \times 365 = 31,536,000 \approx 2^{25}$ seconds in a year
 - if I can guess the year? the month? the day?
- Output not very random
 - Last bit?
 - Predictable: depends only on last value
 - Only the last 15 bits matter, even last 8 bits

Real-world Examples

- X Windows “magic cookie” was generated using rand()
- Netscape SSL session keys used time & process ID as seed
- Kerberos
 - First discover to be similarly flawed
 - 4 yrs later, discovered flaw with memset()
- PGP used return value from read() to seed its PRNG
- On-line poker site used insecure PRNG to shuffle cards
- Debian Openssl generates predictable pseudorandom numbers
- Lessons learned
 - Seeds must be unpredictable
 - Algorithm for generating pseudorandom bits must be secure

Generating Pseudorandom Numbers

- True random number generator
 - TRNG
 - Generates bits distributed uniformly at random,
 - All outputs are equally likely, no patterns, correlations, etc.
- Cryptographically secure pseudorandom number generator
 - CS-PRNG
 - Taking a short true-random seed
 - Generating long sequence of bits
 - computationally indistinguishable from true random bits

CS-PRNG

- Cryptographically secure pseudorandom number generator
 - G : maps a seed to an output $G(S)$
 - E.g., $G: \{0,1\}^{128} \rightarrow \{0,1\}^{1000000}$
 - K : a random variable distributed uniformly at random in S
 - U : a random variable distributed uniformly at random in $G(S)$
 - G is secure if output $G(K)$ is computationally indistinguishable from U
- Sample construction
 - Use the seed as a key k , and compute $\text{AES-CBC}(k, 0)$

TRNG

- TRNG should be random and unpredictable
- Good or bad choices?
 - IP addresses, Contents of network packets, Process IDs
 - High-speed clock
 - Soundcard, Keyboard input, Disk timings
 - Non-uniform
- How to convert non-uniform random sources into TRNG?
 - Use a cryptographic hash function,
 - Hash(x) truncated to n bits

Secret Sharing

- A trusted authority TA has a secret K
- Wants to split K into n shares S_1, \dots, S_n ,
- Distributing to n users U_1, \dots, U_n
 - Can reconstruct K from any t of the n shares
 - Any $(t-1)$ shares reveal no information about K
- Such a scheme is called an (n,t) threshold secret sharing scheme

(n,n) Secret Sharing

- Suppose the secret K is an integer between 0 and $M-1$
- (n,n) threshold scheme:
 - Pick S_1, \dots, S_{n-1} uniformly at random in $[0, M-1]$
 - Set $S_n = K - (S_1 + \dots + S_{n-1}) \bmod M$
- How to reconstruct K ?
- What happens if $n-1$ users get together

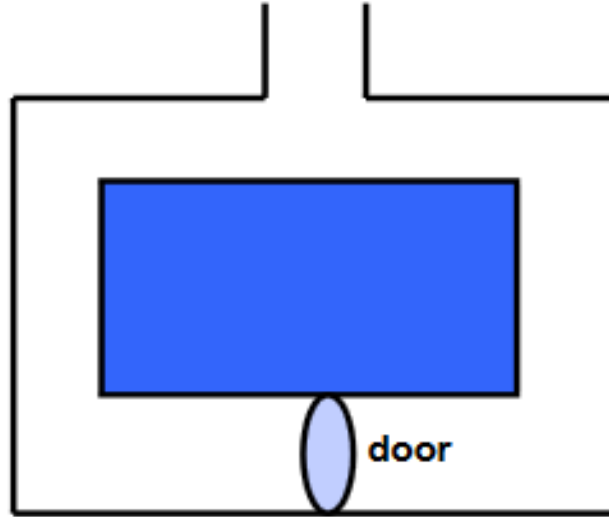
(n,t) Threshold Scheme

- Polynomials modulo prime p
 - Polynomials whose coefficients are elements mod p
 - E.g., $f(x) = y = x^2 + 2x + 4 \pmod{5}$
 - Uniquely determined by any $n+1$ distinct pairs (x_i, y_i)
 - Lagrange interpolation
- To (n,t) threshold share secret K :
 - Pick a random polynomial f of degree $t-1$
 - $f(0) = K$
 - Share $s_i = f(i)$ for $i = 1$ to n
 - How to recover K ?
 - How many shares do you need to recover K ?
 - What happens if you have fewer shares than t ?

Zero-knowledge Proof

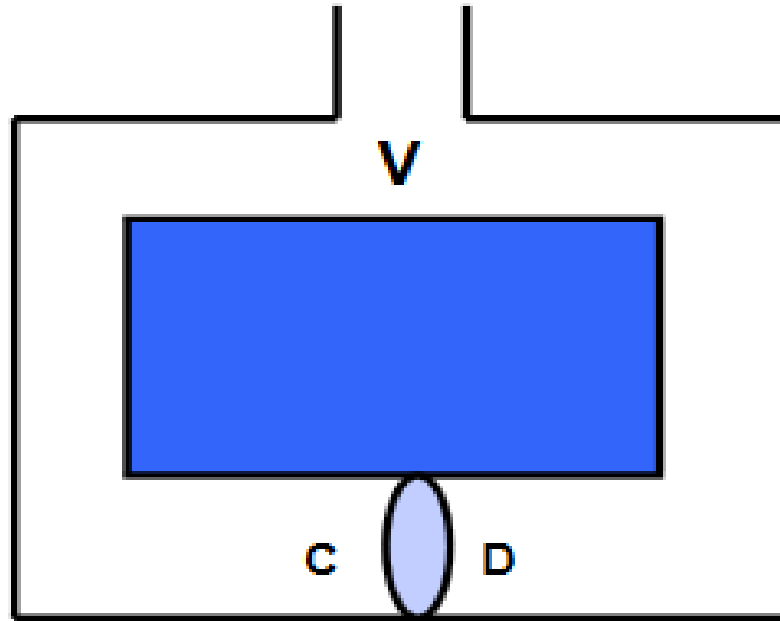
- An interactive proof: prover proves to verifier he knows a secret without revealing it
 - Alice->Bob: I know solution to Q3 in hw 1, but I can't tell you
 - Bob->Alice: tell me, or I don't believe you
 - Alice->Bob: Zero-knowledge proof
- $n=670592745=12345*54321$ is not a ZKP that n is a prime

Example: Zero-knowledge Cave



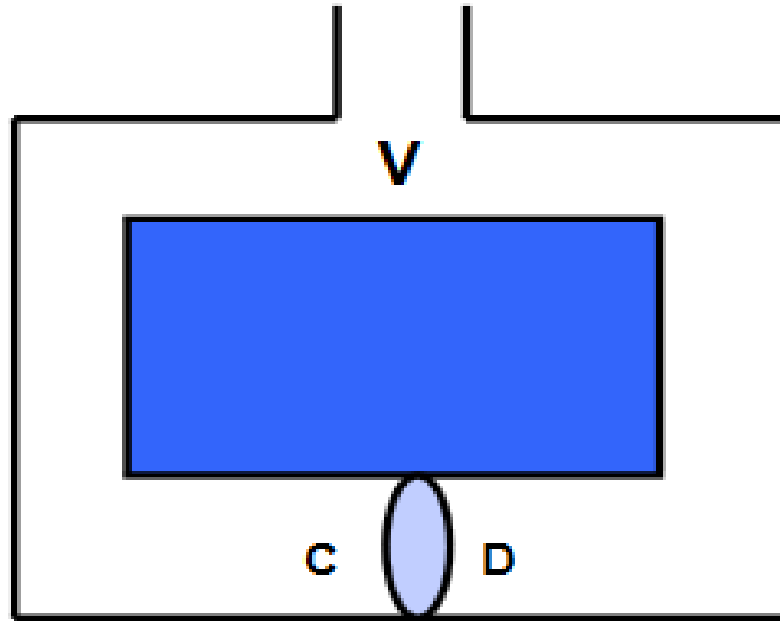
- Alice wants to prove to Bob that she has the key of the door
 - Without revealing it to Bob

Example: Zero-knowledge Cave



- Alice walks to either C or D
- Bob stands at V, calling either Left or Right
- Alice complies, using her key to open door if needed
- Alice & Bob repeats steps 1-3 for n times

Example: Zero-knowledge Cave



- What if Alice didn't know the key?
- What does Bob learn at the end of the proof?

How to prove knowing square root

- Finding square root mod $N=pq$ is as hard as factoring
- A knows b s.t. $b^2 \equiv y \pmod{pq}$, she wishes to prove to B
 - A picks random r
 - $A \rightarrow B: s = r^2 \pmod{pq}$
 - B flips coin
 - $B \rightarrow A: \text{coin flip}$
 - If heads
 - $A \rightarrow B: t = r \pmod{pq}$
 - B verifies $t^2 \equiv s \pmod{pq}$
 - If tails
 - $A \rightarrow B: t = rb \pmod{pq}$
 - B verifies $t^2 \equiv sy \pmod{pq}$
- What if A didn't know the square root?
- What did B learn after the proof?