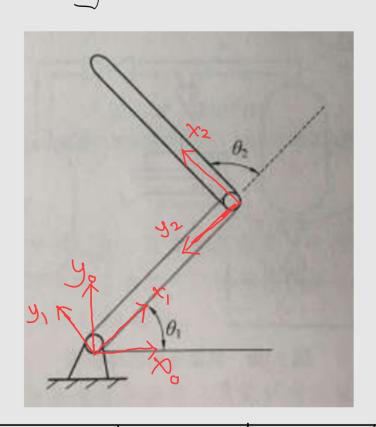
4, 
$$V = F_{U} = \begin{bmatrix} 8 \\ 23 \\ 3 \end{bmatrix}$$
 $H = Trans(20,0,0) Rot(y, 90) F$ 
 $= \begin{bmatrix} 1 & 0 & 0 & 20 \\ 0 & 1 & 0 \\ 0 & 0 & 1 \end{bmatrix} \begin{bmatrix} 0 & 1 & 0 & 10 \\ 0 & 0 & 0 & 1 \\ 0 & 0 & 0 & 1 \end{bmatrix}$ 
 $= \begin{bmatrix} 0 & 0 & 1 & 21 \\ 1 & 0 & 0 & 20 \\ 0 & 1 & 0 & -10 \\ 0 & 0 & 1 \end{bmatrix}$ 

5,



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1	0	(,	0	Ō,
2	U	\ \ 2	0	Θ <sub>2</sub>

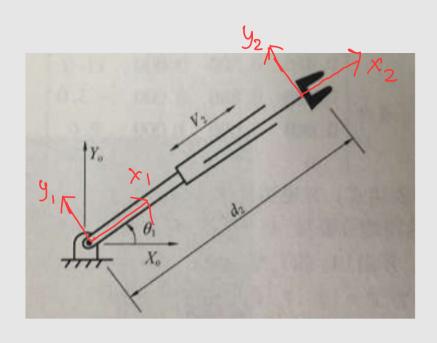
$$A_{1} = R_{ot}(Z, \theta_{1}) \text{ Trans}(l_{1}, 0, 0) R_{ot}(X, 0)$$

$$= \begin{bmatrix} ros\theta_{1} - sin\theta_{1} & O & l_{1}ros\theta_{1} \\ Sin\theta_{1} & cos\theta_{1} & O & l_{1}sin\theta_{1} \\ O & O & 1 & O \\ O & O & 0 & 1 \end{bmatrix}$$

$$A_2 = R_{ot}(Z, \Theta_2)$$
 Trans (L2, 0, 0) Rot (X, 0)

$$= \begin{bmatrix} c_{0}s_{0}z & -sin_{0}z & 0 & l_{2}s_{0}s_{0}z \\ sin_{0}z & c_{0}s_{0}z & 0 & l_{2}s_{0}s_{0}z \\ 0 & 0 & 1 & 0 \\ 0 & 0 & 0 & 1 \end{bmatrix}$$





,	d;	a'i	di	Ð;
1	Q	0	C	Θ,
2	O	dz	0	0

$$A_{1} = R_{0} + (Z_{3}\Theta_{1}) = \begin{bmatrix} \cos \theta_{1} & -\sin \theta_{1} & 0 & 0 \\ \sin \theta_{1} & \cos \theta_{1} & 0 & 0 \\ 0 & 0 & 0 & 0 \end{bmatrix}$$

$$A_2 = Trans(d_2,0,0) = \begin{bmatrix} 1 & 0 & 0 & d_2 \\ 0 & 1 & 0 & 0 \\ 0 & 0 & 0 & 1 \end{bmatrix}$$

$$T_{2} = A_{1} \cdot A_{2} = \begin{bmatrix} \cos \theta_{1} - \sin \theta_{1} & O & d_{2}\cos \theta_{1} \\ \sin \theta_{1} & \cos \theta_{1} & O & d_{2}\sin \theta_{1} \end{bmatrix}$$

$$Sin \theta_{1} \quad (\cos \theta_{1} \quad O \quad d_{2}\sin \theta_{1})$$

$$O \quad O \quad 1 \quad O$$

$$O \quad O \quad 0$$

8,

ι [	a <sub>1-1</sub>	Qi-1	di	0;
1	$\circ$	0	0	Θ,
2	0	-900	d2	©≥
3	Q 2		$\bigcirc$	03
4	03	-900	<b>d</b> 4	04
5	0	900	0	65
6	0	-90°	$\bigcirc$	6