# Deep Learning Approach to Bottom Correction from Sonar Data

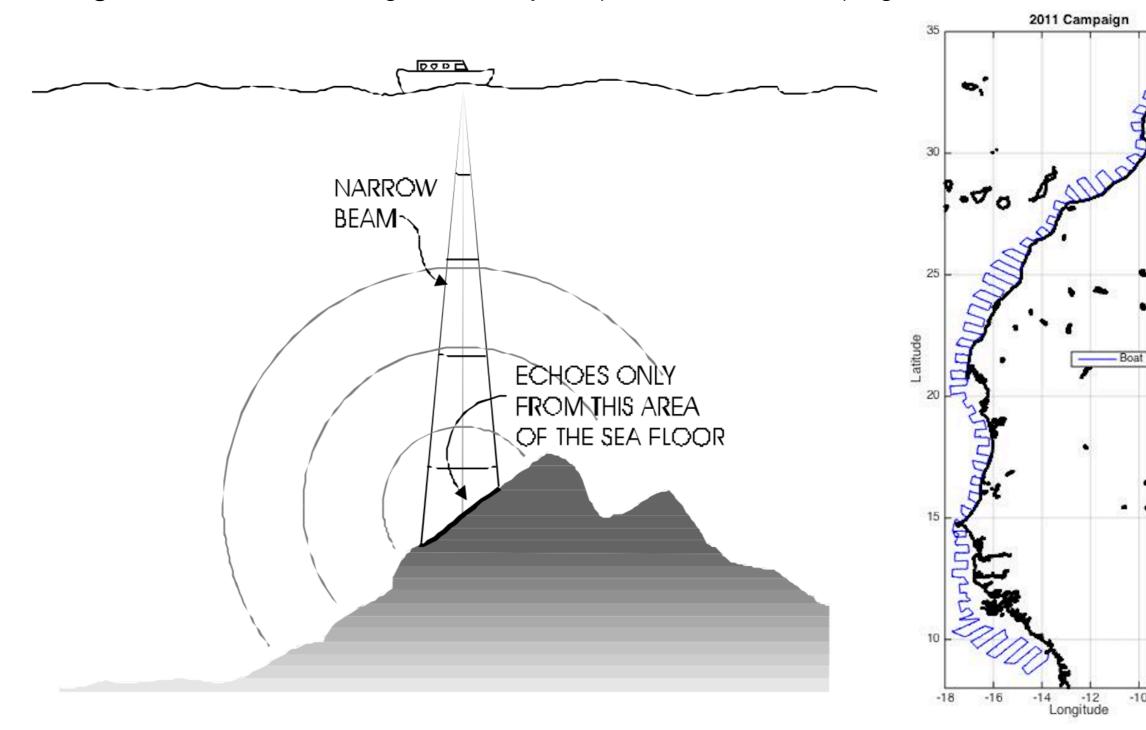
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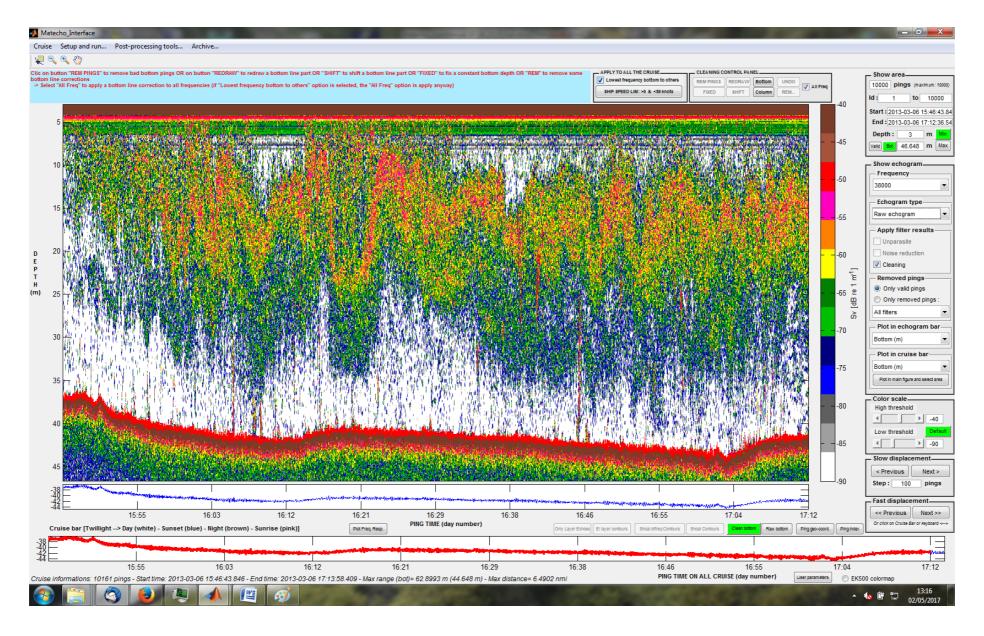
#### Data acquisition

Data are acquired with an echo sounder. The vessel sends out pulses of various frequency's **acoustic** waves in the water, those waves are **reflected back** to the source when they meet diverse organisms (fish, plankton, etc) or more generally **solid objects**. We call **a ping (or echo) the corresponding signal, and echogram** the whole dataset generated by this procedure on a campaign.



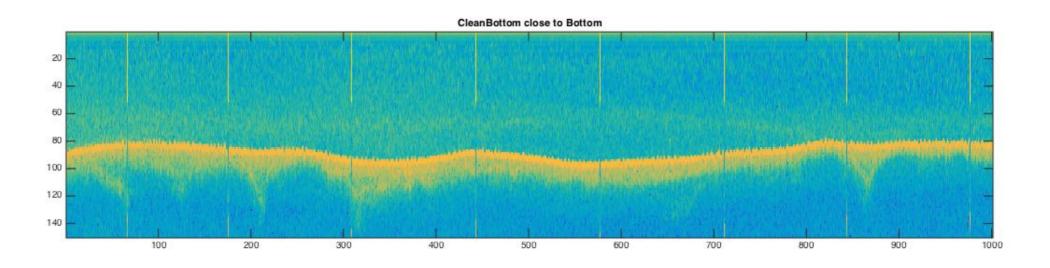
#### **Context**

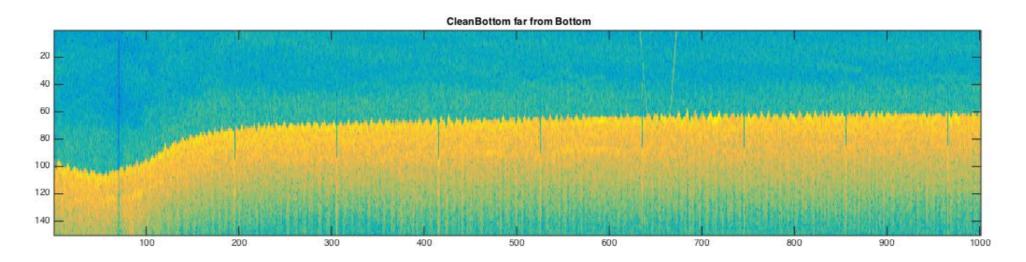
- Stock assessment is important to derive fishery policies to prevent overfishing and protect artisanal fisherman.
- Echo-integration is the main method used for fish stock assessment.
- But before bottom prediction is required



#### Why to Avoid Errors?

- Inability to accurately predict the bottom depth when high density of fish are present close to the seabed.
- Indeed, if the bottom is poorly predicted, we make errors in the fish stock assessment.
- Hence human experts are expected to inspect the whole echogram to correct the bottom depth estimation of the algorithm, and this task is time consuming.





#### Research and Engineering Goal

- Evaluate machine learning (ML) and deep learning (DL) methods on active submarine acoustic data.
- Explore the task of bottom correction as a basic use case.
- Build a simple human assisted system to help the expert correct the bottom from the echogram.

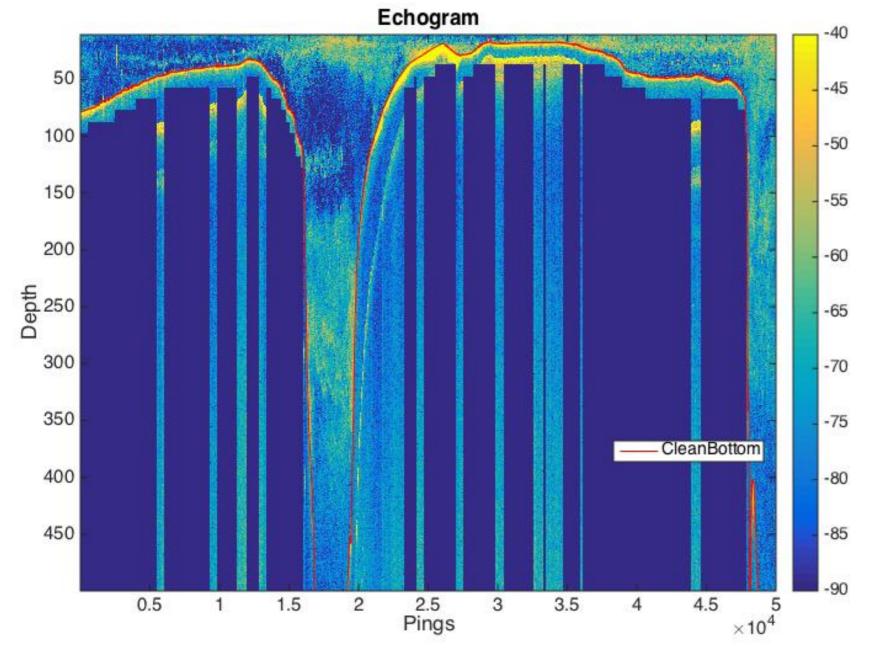
#### Machine Learning Goal

As discussed earlier the automatic procedure fails when the echogram signal is more diffuse, thus it requires correction from a human expert. In the following image the upper picture represent a clear echogram and the picture just below represent a diffuse echogram.

- GOAL: Classify every ping from the full echogram in two classes: clear echogram and diffuse echogram.
- MEASURE OF SUCCESS: Accuracy of well classified pings.

#### Sample of the echogram

- Gradient of color indicates the intensity of the reflection.
- A column is a ping.
- The stong blue color represent Not a number (Nan) due to data collection settings during the campaign.
- There are echogram without bottom as you can see in the picture down below.

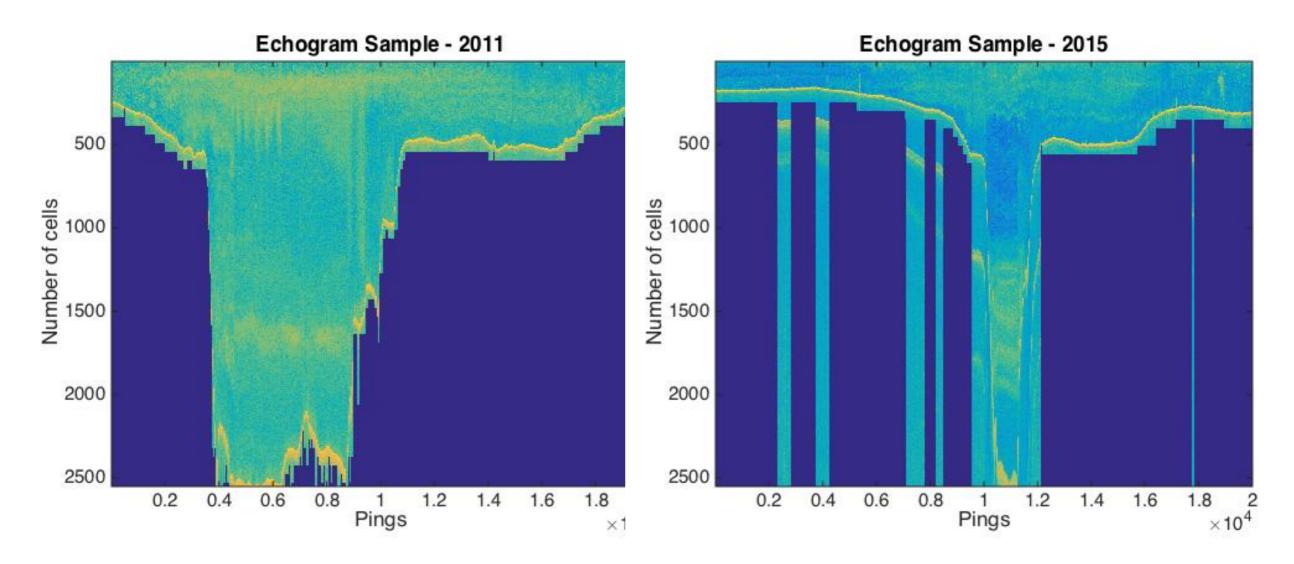


#### **Preprocessing**

- Remove all the pings with no bottom by selecting only value of echo with a **strong signal** (>-32).
- Replace all Nan by -200

#### Data Format

• Due to difference in data collection settings, the echo from 2011 and 2015 differs, In particular the **position of Nan with respect to the bottom** differs as we can see below.



• To address this we will make two experiment.

#### <u>Goal</u>

Train a human assisted system to take advantage of past labeled data (2011) that is able to generalize well on mostly unseen data (2015)

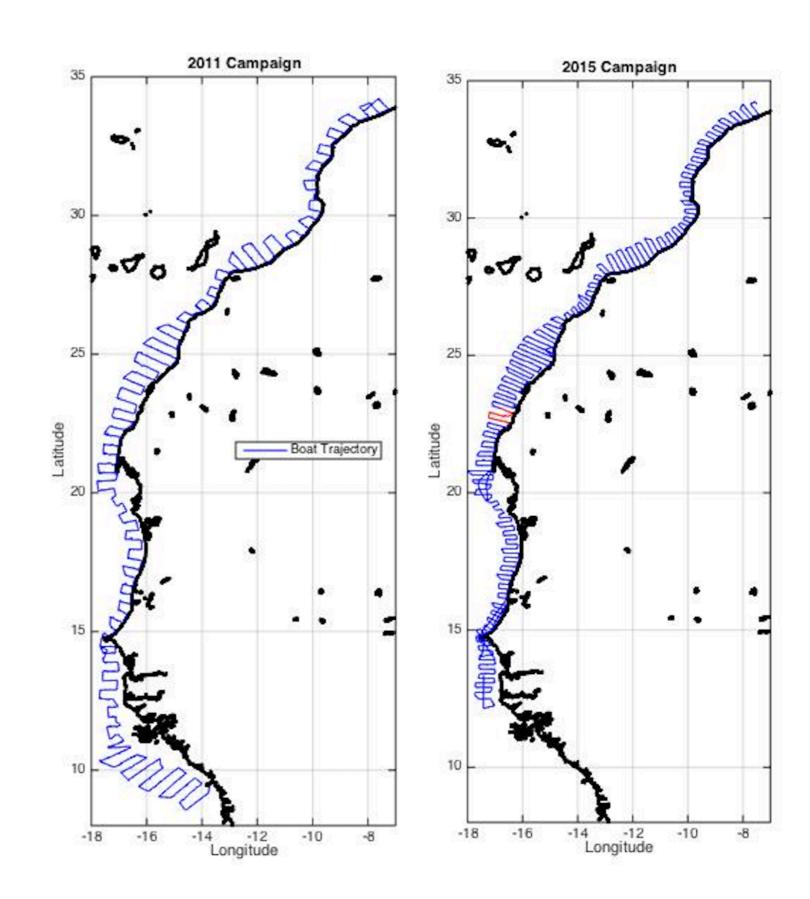
# Machine Learning Experiment Design

# **Experiment 1 - Standard Learning**

- Learn with the echogram preprocessed of 2011
- Validate with a subset of the 2015 echogram

# **Experiment 2 - Cross Domain Learning**

- Learn with the full echogram preprocessed of 2011 and a portion of 2015.
- Validate with a subset of the 2015 echogram



#### Reminder About Learning Algorithms

#### Let's denote

- $(X_{train}, Y_{train})$  our training set (2011 complete).
- $(X_{val}, Y_{val})$  our validation set (fraction of 2015).
- $(X_{test}, Y_{test})$  our test set (2015 complete).
- (x,y) a ping and it's label.

In our case a neural network is a parametric model i.e a function:

$$f_{\theta}: x \to P(y=1|x,\theta)$$

The cost function is

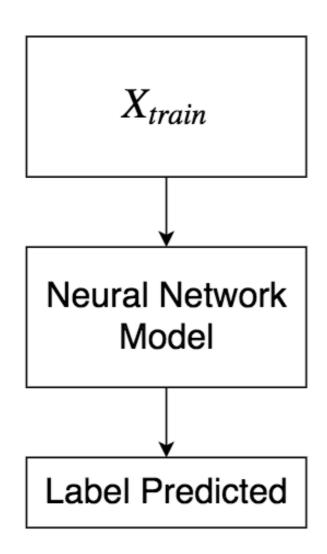
$$l(x,y,f_{\theta}) = -y \cdot log(f_{\theta}(x)) + (1-y) \cdot log(1-f_{\theta}(x))$$

The total loss function is

$$\mathcal{L}(X_{train}, Y_{train}, f_{\theta}) = -\frac{1}{m_{train}} \cdot \sum_{i=1}^{m_{train}} l(x^{(i)}, y^{(i)}, f_{\theta})$$

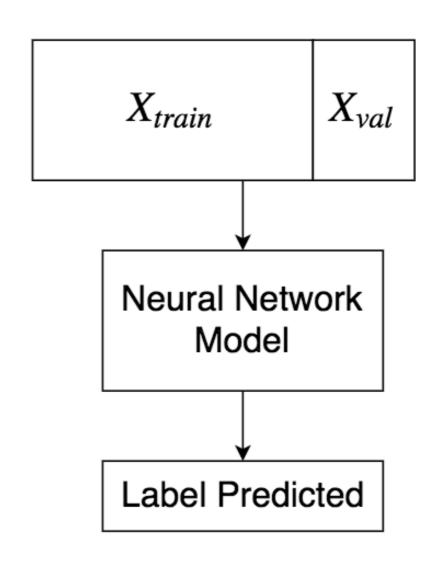
The learning process consist of minimizing this quantity.

### Standard Learning

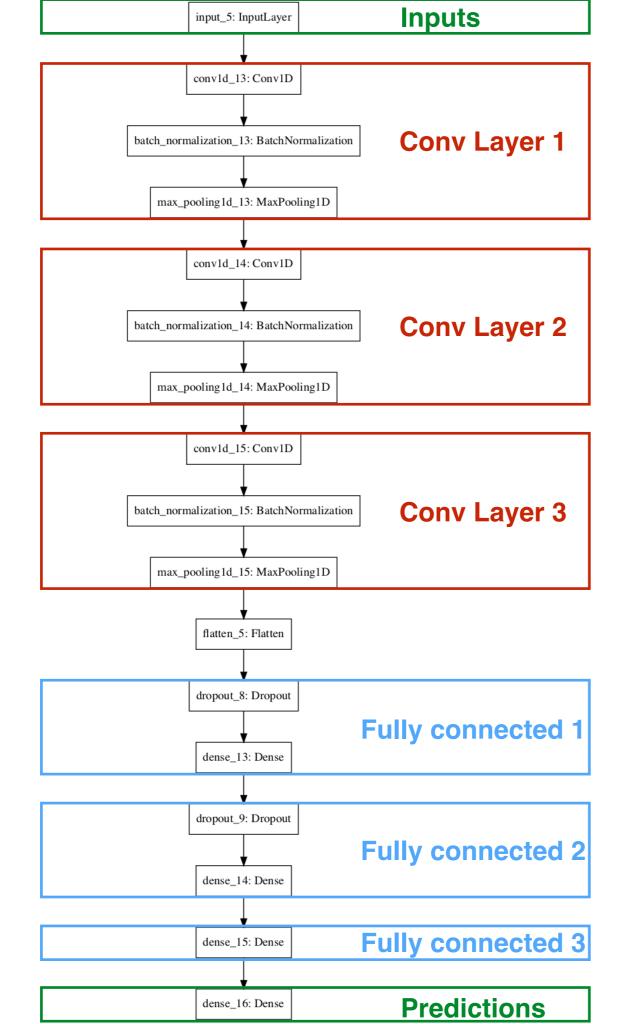


$$\mathcal{L}_1 = -rac{1}{m_{train}} \cdot \sum_{i=1}^{m_{train}} l(x^{(i)}, y^{(i)}, f_{ heta})$$

#### Cross Domain Learning



$$\mathcal{L}_{1} = -\frac{1}{m_{train}} \cdot \sum_{i=1}^{m_{train}} l(x^{(i)}, y^{(i)}, f_{\theta}) \qquad \mathcal{L}_{2} = -\frac{1}{m_{train}} \cdot \sum_{i=1}^{m_{train}} l(x^{(i)}, y^{(i)}, f_{\theta}) - \frac{\beta}{m_{val}} \cdot \sum_{i=1}^{m_{val}} l(x^{(i)}, y^{(i)}, f_{\theta})$$



#### Neural Network Model

We use bayesian optimization to find the hyper parameters

#### **Search space**

• kernel1 : [5, 60]

• kernel2: [5, 60]

kernel3 : [5, 60]

no neurone 1 : [5, 600]

no neuron 2 : [5, 320]

no neuron 3 : [5, 160]

dropout 1 : [0, 1]

• dropout 2: [0, 1]

• dropout 3: [0, 1]

#### **Hyperparameters**

• kernel1:56

• kernel2:54

• kernel3:13

no neuron 1 : 13

no neuron 2: 303

no neuron 3:81

• dropout 1 : 0.5

• dropout 2: 0.6

Activation function

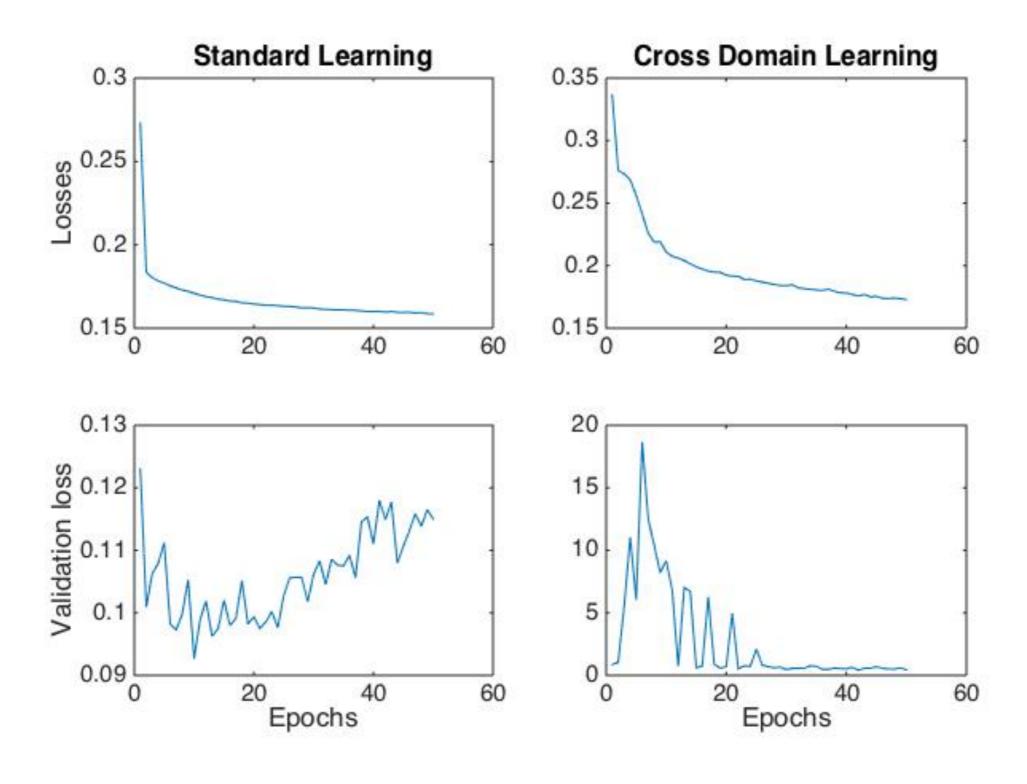
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#### **Trainable Parameters**

400, 539 neurons

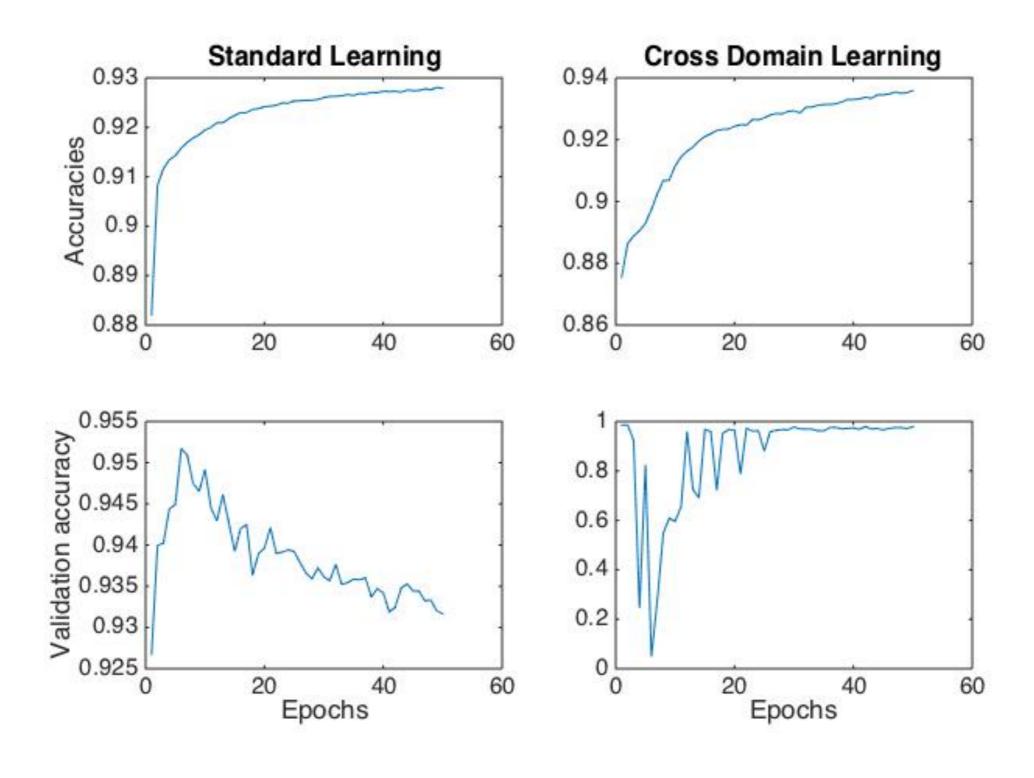
#### **Results**

### <u>Losses</u>



#### **Results**

### <u>Accuracies</u>



#### Results

#### Results Summary

	2011 Accuracy	2015 Accuracy
Standard NN	93.0%	93.2%
Cross Domain NN	93.1%	97,8%

#### **Conclusions**

- Machine learning methods specifically neural networks offers good perspective with regards to submarine active acoustic data.
- Those methods are robust to variation due to difference in data collection.
- The model was able to perform at 97.8% on mostly unseen data, thus it can be use as a human assisted system.

#### Closing Remarks

- The accuracy on the 2015 data set is higher than on the 2011 data set, this is unexpected, and certainly due to less ambiguous examples in 2015
- Also, the training and testing was conducted on the same geographical area, it would be interesting to explore the effectiveness of the model on a new region.

#### **Tools and References**

#### **Bibliography**

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- Andrew Ng, Machine Learning Yearning, Chapter 39 Weighting Data, 2018

#### <u>Tools</u>

- Languages: Python 3, Matlab.
- Python environment: Tensorflow 1.7.
- Critical libraries: Keras, GyOpt, Numpy, Scipy,, h5py.
- GPUs: Tesla K80 on Floydhub.

# Merci de votre attention