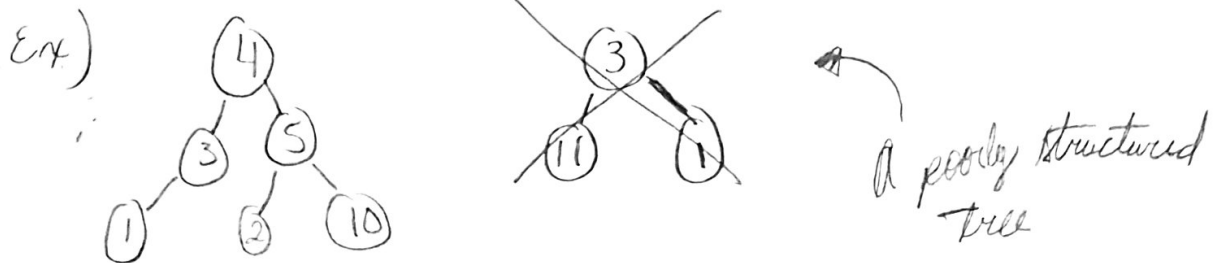


Binary Search Tree Thought process

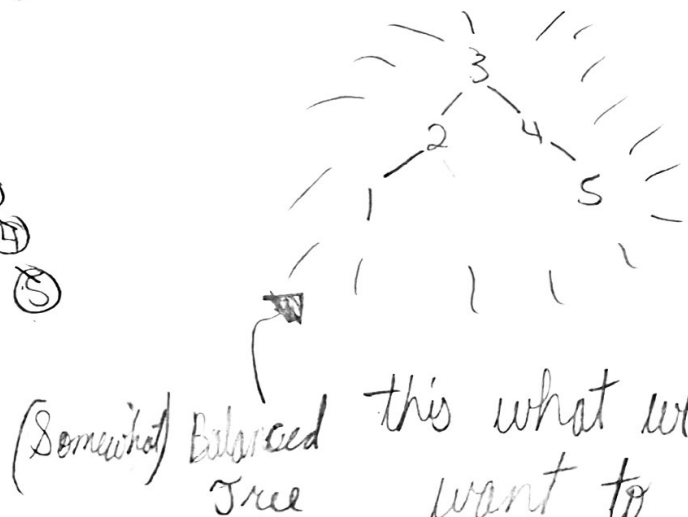
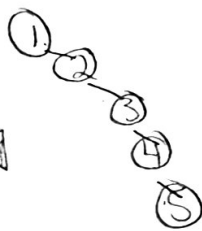
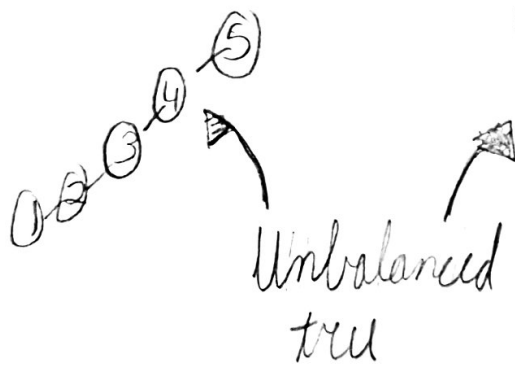
- Each node has at most two children
- Right child is greater than, Where the left child is less than



To be safe sort the array before searching

* However insertion of nodes matter

(Eg) 1, 2, 3, 4, 5



this what we want to achieve

Work flow

Numpy
to generate
Random
Array

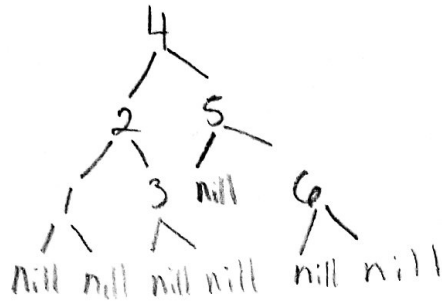
Reuse
Heap
Sort
Algorithm

① Create Tree
② Populate
tree with
previous constraints
in mind

Binary
Search Tree
Algorithm

How do I know when to stop recursing the function?

Answer:



* When both children return null, which is a result of being out of index

Input has inconsistent length?

* This function's index check allows us to have varying lengths

Pseudocode

ArrayToTree (arr, first, last)

Assumes array is sorted

middle = $(\text{first} + \text{last}) / 2$

left = ArrayToTree (arr, first, middle)

right = ArrayToTree (arr, middle, last)

if not Null

add to tree

if left and right == null and within index

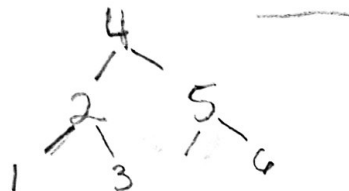
Return

Array to Binary Tree

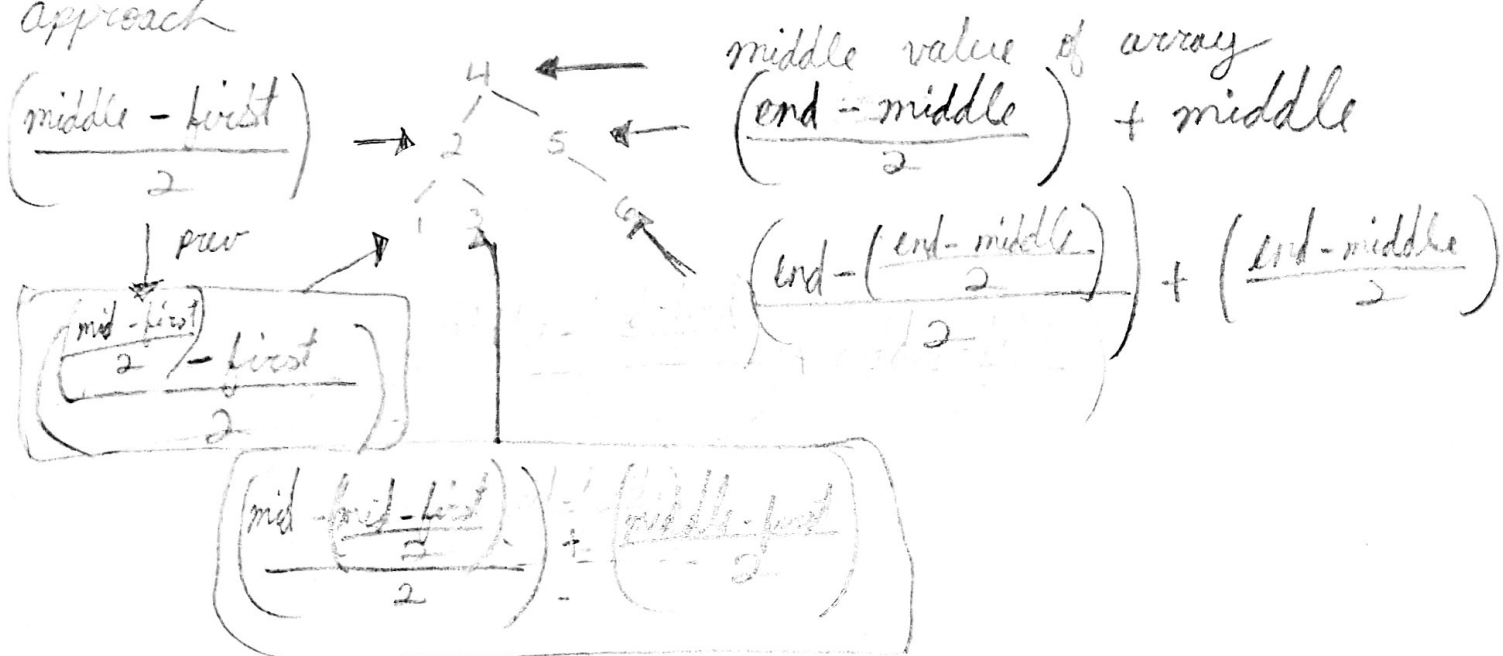
Input: Sorted Array

1	2	3	4	5	6
0	1	2	3	4	5

Output: Balanced Tree



Approach



Concerns:

What if the length of my input changes often?

How do I know when to stop repeating the function?

Binary Search

Problem: Given an sorted array. We want to implement binary search algorithm to find index of element in array, if present.

Constraint(s):

① Array must be sorted in Ascending order

1, 2, 3, 4, 5, 6

Ex Query

input = 1

(3)
 $\text{array}[\text{mid}] > 1$; So move to the left

1, 2, 3, 4, 5, 6

mid
length

1, 2, 3 ... ignore
mid
length

(2)

$\text{array}[(\text{new})\text{mid}] > 1$; So move left

1 [...] ← ignore
last element

if $\text{array}[(\text{new new})\text{mid}] = 1$
return index

Else return Not found ... or Nil.