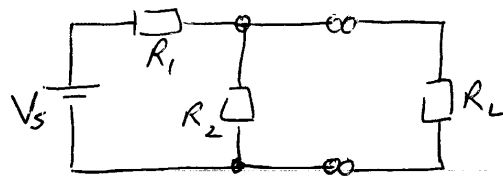
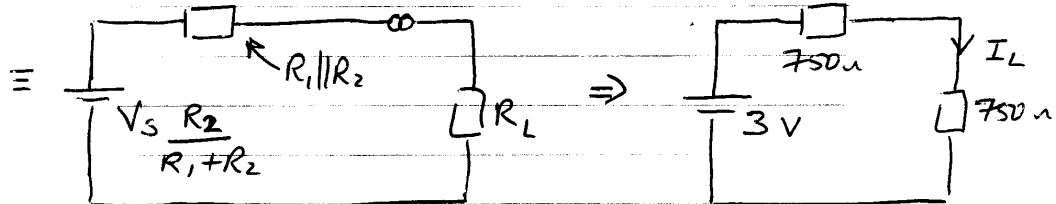


Q1



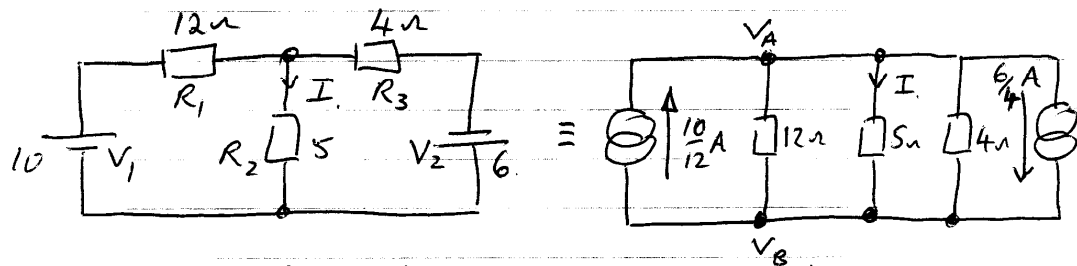
$$\begin{aligned} V_s &= 12 \\ R_1 &= 3\text{ k}\Omega \\ R_2 &= 1\text{ k}\Omega \\ R_L &= 750\Omega \end{aligned}$$



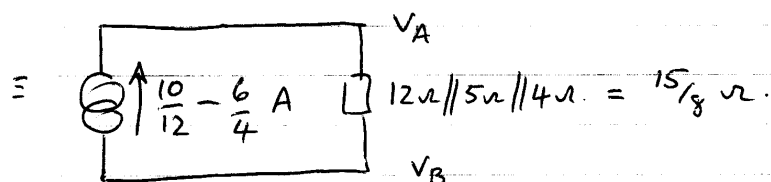
$$V_{TH} = 3\text{ V}, R_{TH} = 750\Omega, I_L = 2\text{ mA}.$$

Q2

Convert $V_1 + R_1$ and $V_2 + R_3$ from a Thevenin form to a Norton form



need to find the voltage $V_A - V_B$



$$V_A - V_B = \left(\frac{10}{12} - \frac{6}{4} \right) \cdot \frac{15}{8} = -\frac{8}{12} \cdot \frac{15}{8} = -\frac{5}{4}\text{ V}$$

$$\therefore I = -\frac{5/4}{5} = -\frac{1}{4}\text{ A} = \underline{\underline{-0.25\text{ A}}}$$

Q3

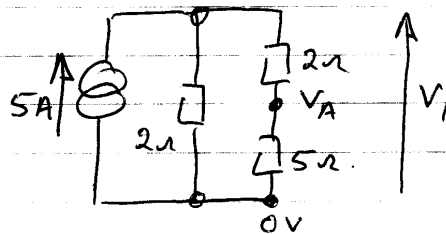
Try replacing the Norton circuits $R_1 + I_1$ and R_2 and I_2 by Thevenin equivalents and see

where you end up.

Q4 The question tells you how to proceed. What is $I_{2\Omega}$ if $V_R = 0$?

Q5 (a) Work out $V_A - V_B$ (or simply V_A if you have remembered to make V_B your zero reference). Probably easiest to use superposition for this - the 10V is easy but I is a bit tricky.

V_A due to I



$$V_1 = 5A \times 2\Omega \parallel (2\Omega + 5\Omega)$$

$$V_{TH} = 15.6V$$

$$\text{and } V_A = V_1 \times \frac{5\Omega}{2\Omega + 5\Omega}$$

$$R_{TH} = 2.22\Omega$$

$$I_{AB} = 3.68A$$

(b) Nothing tricky in this one. The 9V source is easily dealt with once the voltage across the 3Ω resistor due to 7.7A and 11V is found. Again, superposition is probably the best method....

Remembering that V_B is the zero reference,

$$V_{3\Omega} \text{ due to } 7.7A = -9.63V$$

$$V_{3\Omega} \text{ due to } 11V = -2.75V$$

$$\therefore V_{3\Omega \text{ tot}} = -12.4$$

$$\therefore V_A = -12.4 - 9 = \underline{\underline{-21.4}}$$

$R_{TH} = 3\Omega \parallel (4\Omega + 5\Omega) = 2.25\Omega$ by inspection
(remember R_{TH} is the resistance looking into AB with all current sources replaced by

open circuits and all voltage sources replaced by short circuits.)

$$\text{So } I_{AB} \text{ through } 2\Omega \text{ resistor} = \frac{-21.4}{2\Omega + 2.25\Omega} \\ = \underline{\underline{-5.04 \text{ A}}}$$

(c) This one is easy but you need to be careful in your choice of reference. I would choose the common bottom line and work out $V_A + V_B$ with respect to this before working out $V_A - V_B$, which equals V_{TH} .

Q6(a) 5V, 10 Ω and 4 Ω form a potential divider that can be represented as a Thevenin equivalent. The Norton circuit consisting of 1A, 6 Ω and 4 Ω can be converted into a Thevenin equivalent. This leaves a simple series circuit

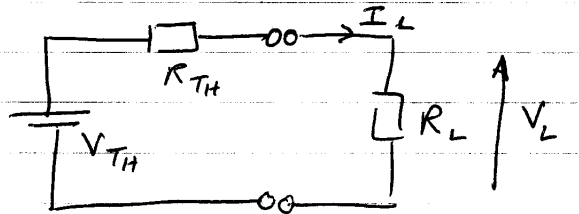
(b) convert 12V + 6 Ω into a Norton equivalent and do the same with 6V + 4 Ω . This gives you a parallel circuit. You can either work from the parallel circuit or you can combine the Nortons into one and convert to a Thevenin.

(c) convert the 2A and 5 Ω into a Thevenin and then the Thevenin consisting of this and the 10 Ω back into a Norton. The current of this Norton can be added to the 4A (using the correct signs, of course) and the resulting Norton converted to a Thevenin. You now have a simple series circuit.

The only tricky bit here is that you

need to recognise that the 3Ω in series with the $4A$ has no effect at all on I - the current through the $3\Omega - 4A$ combination is always $4A$ and the voltage across it is set by the rest of the circuit.

Q7 This is a fairly standard way of measuring internal resistance - there are others. The model you are trying to find values for is



$$\text{so } V_L = -I_L R_{TH} + V_{TH}$$

which is equivalent to

$$y = mx + c$$

$m = -R_{TH}$ = slope of straight line

V_{TH} = value of V at which extension of line cuts the y (voltage) axis.

The incorrectly measured point will not lie on the line.