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**Data Provided: Smith Chart (4 copies),  
Useful equations are given at the end  
of the paper**

## DEPARTMENT OF ELECTRONIC AND ELECTRICAL ENGINEERING

**Autumn Semester 2010-2011 (2 hours)**

### High Speed Electronic Circuit Design 6

Answer **THREE** questions. **No marks will be awarded for solutions to a fourth question.** Solutions will be considered in the order that they are presented in the answer book. Trial answers will be ignored if they are clearly crossed out. **The numbers given after each section of a question indicate the relative weighting of that section.**

1.
    - a. Explain briefly the difference between the lumped and distributed representations of a circuit element. (4)
    - b. A lossless coaxial transmission line with a length of 1 cm and a characteristic impedance of  $50\Omega$  is terminated with a complex load impedance of  $(37.5+j75)\Omega$ . If the frequency is 3GHz, find the reflection coefficient at the load, the input impedance, the return loss and insertion loss of the line. (5)
    - c. Prove that the distance between any two successive maxima and minima of the voltage standing wave is  $0.25\lambda$ . (6)
    - d. A lossless transmission line is terminated with a  $200\Omega$  load. If the voltage standing wave ratio (VSWR) is 1.5, find the two possible values for the characteristic impedance of the line. (5)
  2.
    - a. Explain how impedance matching can be achieved using a single stub. (5)
    - b. A lossy transmission line is terminated by a load impedance of  $Z_L=(70+j20)\Omega$ . Find the input impedance when the line has a characteristic impedance of  $Z_0=50\Omega$ , a length of 15 cm, and an attenuation of 18 dB/m at 300 MHz. (5)
    - c. For a transmission line with  $Z_0=50\Omega$  and terminated by  $Z_L=(100+j30)\Omega$ , design a double stub matching network to match  $Z_L$  to  $Z_0$ . The 1<sup>st</sup> stub is located at the load, and the two stubs are separated by a distance of  $0.125\lambda$ . The length of each stub should be  $\leq 0.25\lambda$ . (10)
- Note: Find one possible solution for each design.
3.
    - a. Explain with the aid of diagrams what is meant by the ABCD network representation and what is used for. (4)
    - b. Explain the difference between the input reflection coefficient and the  $S_{11}$  scattering parameter in a two ports network. (4)

- c. Find the ABCD parameters for the series and shunt loads shown in Figure 1.

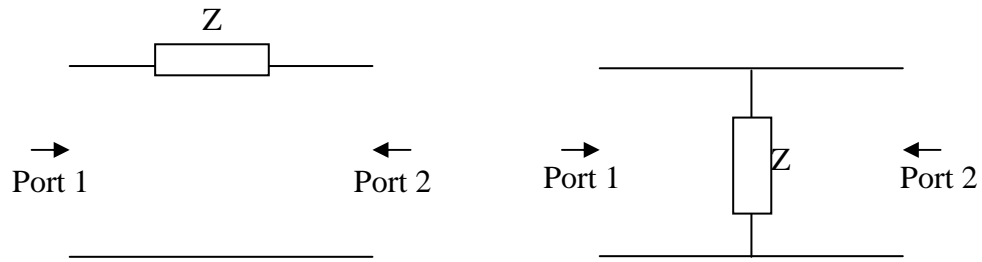


Figure 1

(4)

- d. Find the scattering parameters of the two ports network shown in Figure 2. The characteristic impedance of each port is  $Z_0$ .

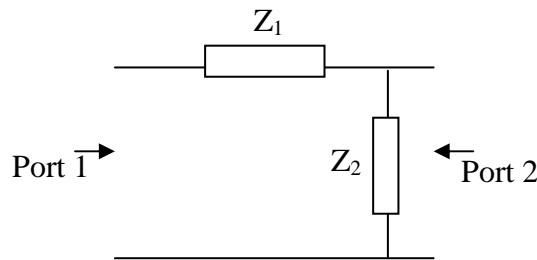


Figure 2

(8)

4. a. Outline the required steps to design an amplifier for a specific power gain when a unilateral assumption is not valid.

(4)

- b. A matched 3 dB attenuator is characterised by the following S-parameters:  $S_{11} = 0$ ,  $S_{21} = 0.707\angle 0^\circ$ ,  $S_{12} = 0.707\angle 0^\circ$ ,  $S_{22} = 0$ . The input side of the attenuator is connected to a source impedance of  $Z_s = 50\Omega$ . The output side is connected to a load of  $Z_L = 50\Omega$ . Calculate the available power gain, the transducer power gain and the operating power gain. How do these gains change if the load is changed to  $25\Omega$ ?

(6)

- c. An amplifier has the following scattering and noise parameters

F [GHz]	$S_{11}$	$S_{21}$	$S_{12}$	$S_{22}$
4.0	$0.6\angle -60^\circ$	$1.9\angle 81^\circ$	$0.05\angle 26^\circ$	$0.5\angle -60^\circ$

$$Z_0 = 50\Omega \quad R_N = 20\Omega \quad NF_{\min} = 1.6\text{dB} \quad \Gamma_{\text{opt}} = 0.62\angle 100^\circ$$

Design an amplifier having a 2 dB noise figure with the maximum gain that is compatible with this noise figure.

(10)

**You may find the following information useful:**

The constant gain and noise figure circles can be plotted using the following set of equations

$$C_s = \frac{g_s S_{11}^*}{1 - (1 - g_s) |S_{11}|^2}$$

$$r_s = \frac{\sqrt{1 - g_s} (1 - |S_{11}|^2)}{1 - (1 - g_s) |S_{11}|^2}$$

$$C_L = \frac{g_L S_{22}^*}{1 - (1 - g_L) |S_{22}|^2}$$

$$r_L = \frac{\sqrt{1 - g_L} (1 - |S_{22}|^2)}{1 - (1 - g_L) |S_{22}|^2}$$

$$C_{NF} = \frac{\Gamma_{opt}}{(N + 1)}$$

$$r_{NF} = \frac{\sqrt{N(N + 1 - |\Gamma_{opt}|^2)}}{(N + 1)}$$

**SKK**