

EEE6480

EEE660X

COM6915

Research techniques & thesis preparation

Poster /Oral Presentation

Experimental Uncertainty

Contents

- Giving a presentation
- Poster presentation
- Oral presentation
- Experimental uncertainty – instrumental, graphical, numerical

Giving any presentation

- **Formulate objectives**

- What are the objectives of the presentation?
- Which main points do I want to make?
- Which core messages do I want people to remember?

- Sketch the basic structure.....
- Use key words, bullet points
- Review – is it consistent and logical?
- Is there extraneous, unnecessary info that can be omitted?

- **Identify audience**

- How achieve objectives given knowledge of audience?
- Don't tell everything you have done (→confusion)
- Fill in main message with appropriate supportive details
- Slides/posters should have minimum information necessary to get point across.
- Posters often displayed throughout a meeting
 - self-explanatory, clearly stated intro, methods, results, conclusions
- Should be able to go through it in < 5mins

Poster presentation

- Visual aid to present research findings to audience on 1 to 1 basis
- Not possible to include all details or data – be selective!
- Poster and you are used together to present research and answer Qs.
- Allow people time to read it. If they ask a Q, talk them through poster
- Limited space (A1) - make full use of it!



M.Sc. Electronic Engineering Project 2009-10

Project Title

Student and Supervisor Names

Department of Electronic and Electrical Engineering

Poster Format

- Title, name at top
- Introduction (aims, objectives)
- Theory/methodology (techniques employed)
- Results (main analysed results)
- Conclusions
- Further work
- References/acknowledgements

Tips

- Don't make title too long
- Make full use of space, but not crammed full of info
- Don't cut and paste from dissertation
- Be concise (clear English). Big picture, selective results
- Be careful with colours
 - use to highlight, add interest
 - High contrast background/foreground

- Large text (read from ~2m away, e.g. 36pt)
- Titles/headings in larger text
- **Bold** or underline to add emphasis (don't mix fonts)
- Standard fonts (not *anything that may be difficult to read*)
- Keep equations to a minimum – just important ones, large enough, state all variables
- Check spelling
- Maintain consistent style (captions, font size, headings etc)

- Arrangement to follow storyline
- Use relevant pictures to illustrate
- Graphs:
 - to be seen ~2m away (e.g. thick lines, legible annotations)
 - Don't include too many data lines
 - Use same size/scale if comparing
- Relevant diagrams:
 - Label clearly
- Make drafts and review for style, mistakes, legibility

Oral presentation

- Rehearse out aloud – relaxed delivery
- Standard formula –
- Introduce yourself
 1. Tell audience what you're going to tell them
 2. Tell them
 3. Tell them what you have told them

Oral presentation tips

- Don't go over length (~2mins per slide)
- Less is more (e.g. next slide)
- Don't go off at a tangent
- Use voice, facial expressions, body language
 - Speak clearly, project voice to back of room, don't rush, vary pitch/speed of voice
 - Pause at key moments
 - Look at audience not at screen behind you!
 - Know when to move on/stop

Add a title here

Add a useful picture
or graph here
(remember font size
on any axes)

- A few bullets of text
- Outline main points only
- Keep font size >28pt
- Don't overcrowd

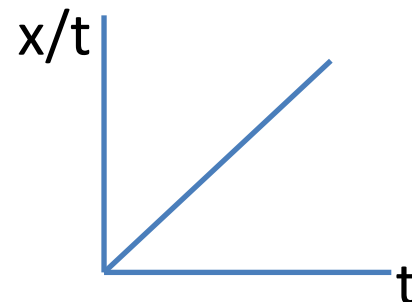
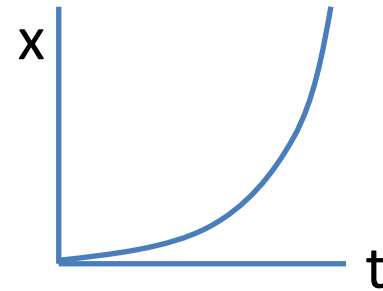
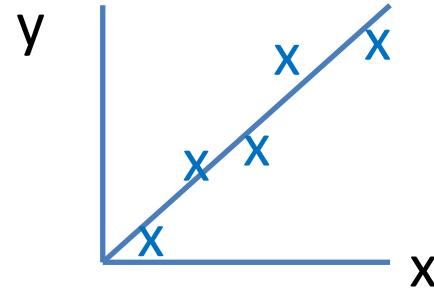
Oral presentation tips

- Avoid
 - Blocking screen (poster) with body
 - Excessive gesturing or pacing about
 - Reading from slides word for word
- Good (interpretable, simple) visual aids – helps convey complex technical data.
- 1 figure per slide, a few bullet points, minimum 28pt text
- Be careful with colour reproduction from projector (use obvious colour schemes)

Measurements and errors

- Plot graph and fit *e.g.* straight line $y = mx + c$
- Automatic averaging, estimate of random errors, presence of systematic errors.
- Straight line easiest, usual to derive linear form of non linear fits, *e.g.* $x = \frac{1}{2}gt^2$

→ $x/t = \frac{1}{2}gt$, gradient = $\frac{1}{2}g$



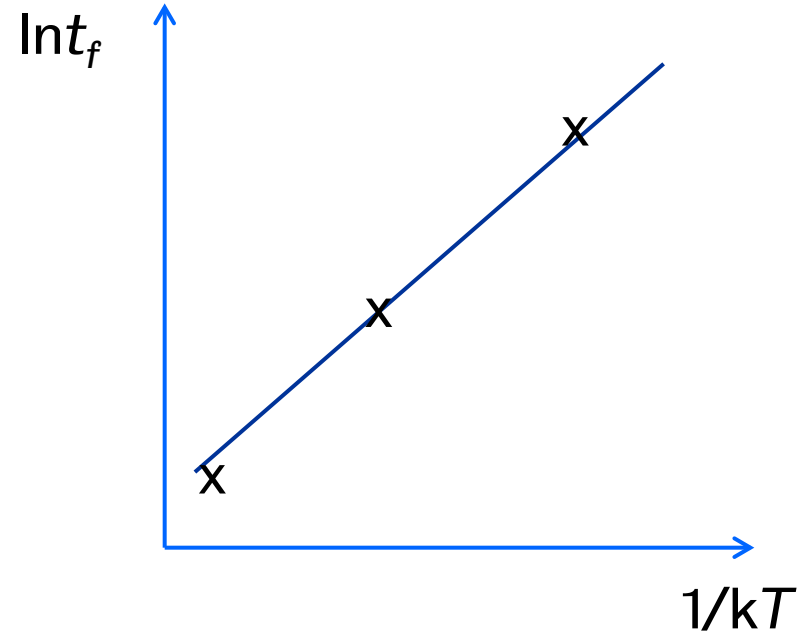
e.g. Arrhenius equation

$$MTTF(T) = A \exp\left(\frac{E_a}{kT}\right)$$

$$\ln t_f = E_a \left(\frac{1}{kT}\right) + \ln A$$

$$y = mx + c$$

Plot $\ln t_f$ versus $1/kT$



$$y = \ln t_f$$
$$x = \left(\frac{1}{kT}\right)$$

Slope, $m = E_a$

Intercept, $c = \ln A$

Errors

- Experiments measure a previously unknown quantity or test a theory. We cannot know for sure unless error (uncertainty) is known

e.g. Diameter of a rod fitting through a hole exactly 3cm diameter is measured as 2.99cm

If diameter is (2.99 ± 0.03) cm we are in trouble!

Error must be determined within experiment.

e.g. Don't say $R = (10.5 \pm 0.5) \Omega$ just because theory says $R = 10 \Omega$.

- Error tells how reproducible results are (spread of values) – STATISTICAL ERROR
- Distinguished from SYSTEMATIC ERROR
- If many measurements, take σ of Gaussian spread of values
- Usually only need rough estimate:
 1. Instrumental
 2. Graphical
 3. Numerical

1) Instrumental

- **Resolution based**

e.g.1. DVM res. = 0.1V so error is $\pm (\frac{1}{2} \text{ least count}) = 0.05\text{V}$

e.g.2. Determined by number of counts that can be displayed, determined by the number of digits.

4 $\frac{1}{2}$ digits means 4 digits with 0-9 variation and one leading digit which is 0 or ± 1 . Total of 20000 counts.

1	9	9	9	9
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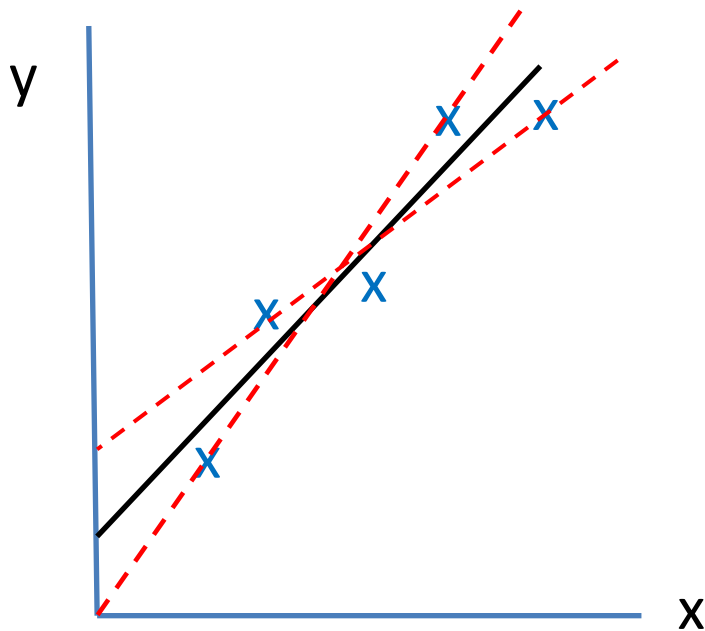
Resolution = smallest count / maximum count, *i.e.* $1/20000$ or $\pm 0.005\%$ for a 4 $\frac{1}{2}$ display.

*e.g. Specification of $\pm(0.05\% + 1 \text{ count})$ for a 4 $\frac{1}{2}$ digit DMM reading 10.000 Volts, Corresponds to: $\pm 0.05\%$ of 10 Volts = $\pm 0.005\text{V} = \pm 5\text{mV}$, ± 1 count of XX.XXX display = $\pm 0.001\text{V} = \pm 1\text{mV}$
Total error of $\pm (5\text{mV} + 1\text{mV}) = \pm 6\text{mV}$.*

- **Accuracy** (how close to true value)
- e.g. ammeter with $\pm 5\%$ reading 1A could be 0.95 to 1.05A
- Analogue meters – accuracy as % of f.s.d
e.g. 1A measured on 3A fsd range with $\pm 5\%$ fsd accuracy $\rightarrow \pm 0.15\text{A}$
(so measuring 0.2A on this range is $\pm 75\%$!)
- Digital meters – accuracy as % of reading plus % of range

2) Graphical

- Draw best line through data
- For estimate of error on gradient, draw lines of max. and min. gradient



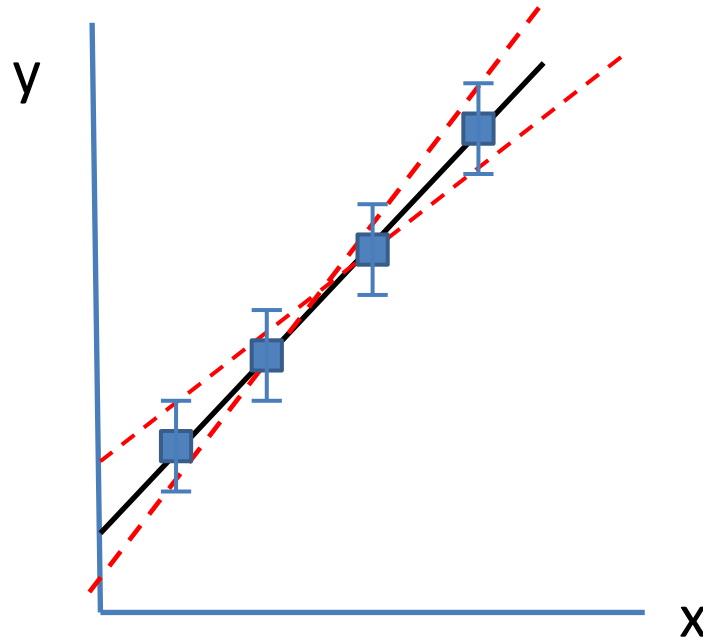
$$m = 10.7, 8.9, 11.9$$

$$\text{So } m = 10.7 \pm 1.5$$

$$c = 6.9, 13, 0$$

$$\text{So } c = 7 \pm 7$$

- When using error bars



Errors on individual measurements taken into account

3) Numerical method

- Uses mean, standard deviation

Errors on derived quantities

- Relate error on final result to error on measured quantities.

1. Constant factors –

e.g $r \pm \delta r$, $C = 2\pi r \pm 2\pi\delta r$ i.e. same fractional error

2) Powers-

e.g. if square has side $x \pm \delta x$, area = $(x \pm \delta x)^2$
so $x^2 \pm 2x\delta x$

3) Multiplication/division of independent measurements:

$$\frac{\delta A}{A} = \sqrt{\left(\frac{\delta L}{L}\right)^2 + \left(\frac{\delta w}{w}\right)^2}$$

4) Addition/subtraction: If $L = a + b$

$$(\delta L)^2 = (\delta a)^2 + (\delta b)^2$$

i.e. absolute error, not
fractional error

- Finally.

Don't double count errors -

errors on individual measurements are already included in errors on gradient or intercept.

There is no need to add the individual errors to the errors on fitted results!

Errors - Further reading

“Experimental Methods”. L. Kirkup. John Wiley & Sons. 1994