

# EEE118: Electronic Devices and Circuits

## Lecture XIII

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## Review

- Performed switching circuit example calculation (exam/tutorial sheet style)
- Considered several transistor switching circuits for AC including,
  - Half wave single transistor switch
  - Full wave two transistor switch
  - Bridge full wave single transistor switch
- Introduced the H-bridge as a circuit commonly used to drive electrical machines from a DC supply.
- Considered the effects of inductance in the load of a transistor switch in terms of rate of change of current and provided a diode as an alternate current pathway.
- Applied the parallel diode approach to the H bridge and considered four states of operation.

# Outline

- 1 Review
- 2 Transistors in Amplifying Applications
  - Gain, Input Impedance and Output Impedance
  - Voltage, Current and Power Amplifiers
  - Transimpedance and Transconductance Gain
- 3 The Mechanism of Amplification
  - Transconductance Characteristics for Several Amplifying Devices
  - Transconductance Characteristic with Signals
- 4 Voltage Gain
- 5 A Tale of Two Biasing Circuits
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# Transistors in Amplifying Applications

## An Amplifier is...

an electronic component, circuit or subsystem which can accept an input signal and output it at a higher *power* level with minimal distortion.

This is different from a transformer which can only increase voltage or current at the expense of decreasing the other. Total power out is always slightly less than total power in. Amplifiers have three figures of “gain”

- Voltage Gain
- Current Gain
- Power Gain

Some more specialist types of amplifier accept an input current and produce an output voltage (transimpedance) or accept an input voltage and produce an output current (transconductance).

## Gain

is the ratio of the output variable (voltage, current or power) to the input (voltage, current or power)

## Input Impedance

is the ratio of the input voltage to the input current (apply Ohm's law at the input)

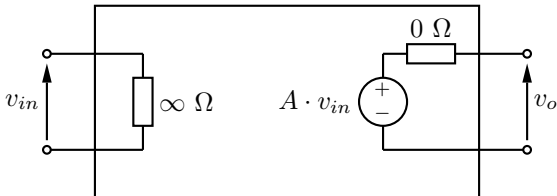
## Output Impedance

is the ratio of the Output voltage to the Output current (apply Ohm's law at the output)

An amplifier must possess voltage gain and current gain in order to have power gain ( $P = I V \dots$ ).

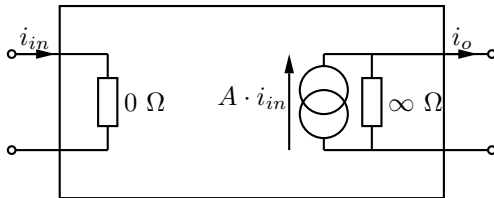
## Voltage Amplifiers

- Used at low frequencies (below 30 MHz).
- Gain is  $\frac{\text{output voltage}}{\text{input voltage}}$  in which case its units are  $\frac{\text{volts}}{\text{volts}}$  i.e. unit-less.
- Should have infinite input impedance i.e. draw no current into its input terminals from the signal source.
- Should have zero output impedance i.e. be able to source an infinite current to the load.



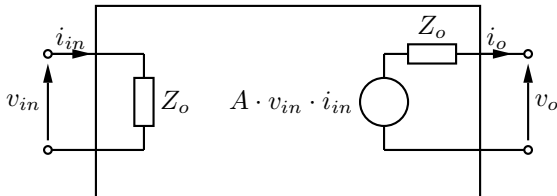
## Current Amplifiers

- Used at low frequencies (below 30 MHz).
- Gain is  $\frac{\text{output current}}{\text{input current}}$  in which case its units are  $\frac{\text{amps}}{\text{amps}}$  i.e. unit-less.
- Should have zero input impedance i.e. can draw infinite current into its input terminals (no signal voltage at the input).
- Should have infinite output impedance i.e. be able to source an infinite voltage to the load.



## Power Amplifiers

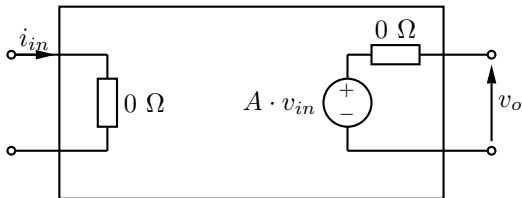
- Used at high frequencies (above 30 MHz) in impedance matched systems where the system has a “characteristic impedance”,  $Z_o$  (often 50 or 70  $\Omega$ )
- Gain is  $\frac{\text{output power}}{\text{input power}}$  in which case its units are  $\frac{\text{watts}}{\text{watts}}$  i.e. unit-less.
- Should have input impedance equal to  $Z_o$ .
- Should have output impedance equal to  $Z_o$ .





## Transimpedance Gain

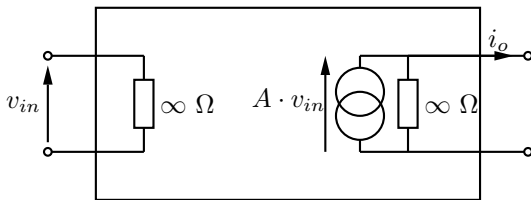
is the ratio of the output voltage to the input current, Gain is measured in Volts per Amp and therefore has the units of Ohms. Input impedance is low and output impedance is low.



This kind of amplifier is sometimes called a current to voltage converter - esp. in DAC/ADC applications. A resistor is a kind of voltage to current or current to voltage converter so it's not difficult to see why the gain of this type of amplifier should have units of Ohms.

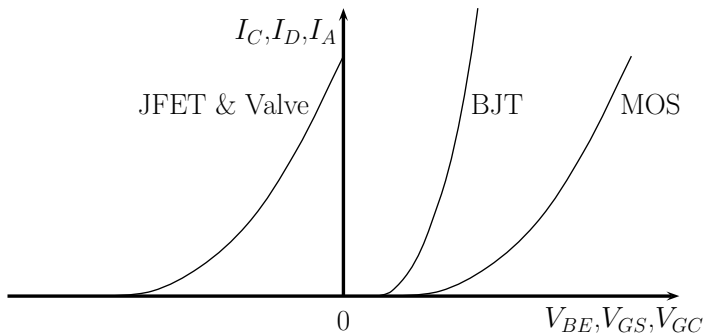
## Transconductance Gain

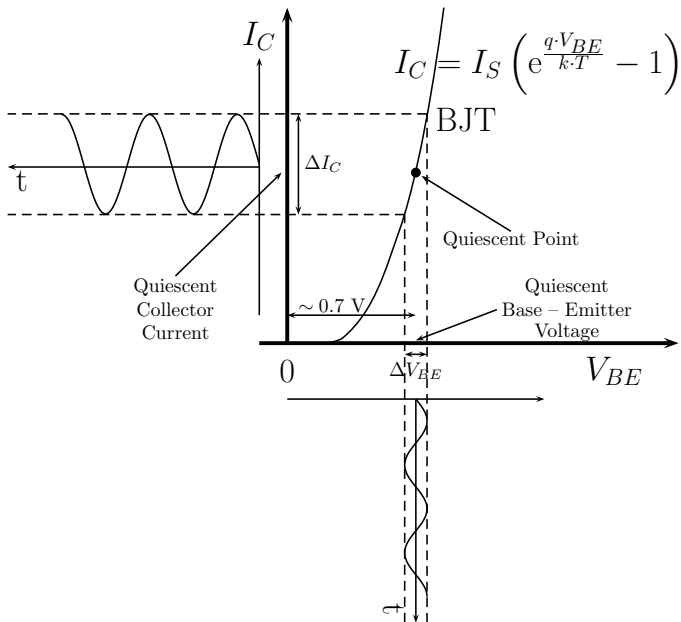
is the ratio of output current to the input voltage, there gain is measured in Amps per Volt and therefore has the units of Siemens or 1/Ohms. Input impedance is high and output impedance is high. **Transconductance is the fundamental mechanism by which transistors operate.**



Transistors may be used to make voltage, current, power, transimpedance and transconductance amplifiers.

- Bipolar transistors, MOSFETs, JFETs and Valves are all modelled as **transconductance devices**.
- The relationship between the input voltage and output current is defined by the **transconductance characteristics**.
- If signals are a small change around an average or quiescent value (often zero) the amplifier will be strongly non-linear.





- A small signal voltage at the input controls a larger signal current at the output.
- To ensure reasonable linearity, the transistor must be **biased** to pass a constant quiescent (no signal) current.
- Signals are superimposed onto the quiescent point.
- The relationship between  $\Delta I_C$  and  $\Delta V_{BE}$  is called the **small signal transconductance** ( $g_m$ ).
- Since the collector current expression is not linear  $g_m$  depends on the choice of quiescent point and on the amplitude of the signal.
- Usually it is assumed that  $\Delta V_{BE}$  is sufficiently small that  $g_m$  is constant at the quiescent value i.e. the circuit is assumed **linear**.
- Usually, the collector current flows through a resistor, which converts the output signal current into a voltage.

An input voltage of,

$$V_{in} = V_{BQ} \pm \frac{\Delta V_{BE}}{2} \quad (1)$$

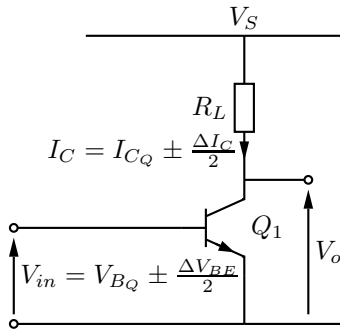
will give rise to a current change of,

$$I_C = I_{CQ} \pm g_m \frac{\Delta V_{BE}}{2} \quad (2)$$

note,

$$g_m = \frac{\Delta I_C}{\Delta V_{BE}} \quad (3)$$

for a BJT.



This will give rise to a change in collector voltage of,

$$V_O = V_S - I_C R_L \quad (4)$$

$$V_O = V_S - I_{CQ} R_L \mp g_m R_L \frac{\Delta V_{BE}}{2} \quad (5)$$

$$V_O = V_S - I_{C_Q} R_L \mp g_m R_L \frac{\Delta V_{BE}}{2} \quad (6)$$

$$V_O = V_{O_Q} \pm \frac{\Delta V_O}{2} \quad (7)$$

where  $V_{O_Q}$  the the quiescent output voltage, i.e.,

$$V_{O_Q} = V_S - I_{C_Q} R_L \quad (8)$$

and  $\frac{\Delta V_O}{2}$  is the component of the output voltage due to the signal.  
i.e.

$$\frac{\Delta V_O}{2} = -g_m R_L \frac{\Delta V_{BE}}{2} \quad (9)$$

It is possible to estimate the voltage gain of the amplifier as,

$$\Delta V_O = -g_m R_L \cdot \Delta V_{BE} \quad (10)$$

$$\frac{\Delta V_O}{\Delta V_{BE}} = -g_m R_L \quad (11)$$

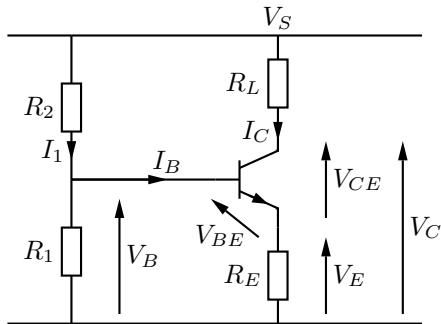
## Some Key Conclusions

- 1 Because the bias conditions  $V_{BQ}$  and  $I_{CQ}$  and  $V_{OQ}$  do not appear in the gain expression, the gain of the amplifier can be found without *directly* considering the biasing conditions. Note that  $g_m$  is a function of  $I_{CQ}$  however, so the gain is indirectly influenced by the choice of quiescent point.
- 2 The gain is negative. This means that the output signal is  $180^\circ$  out of phase with the input signal. When the input signal is increasing towards a maximum, the output signal is decreasing towards a minimum.

Point 1 allows the calculation of biasing voltages and currents (the quiescent conditions) without having to calculate what will happen to the signal voltages and currents. This is a considerable simplification.



## Circuit One



Circuit 1.

Both circuits aim to control the collector current. In both cases this is achieved by the use of **negative feedback**.

In this circuit  $V_B$  is defined by  $V_S$ ,  $R_1$  &  $R_2$  and is also formed from  $V_E + V_{BE}$ .

If  $V_E$  is large compared to any changes in  $V_{BE}$ , due to temperature or device variation for example, then  $V_E$  and therefore  $I_C$  are quite constant. Control of  $I_C$  has been taken away from the transistor and is now defined by circuit parameters (resistances) which can be easily and repeatably controlled.

## Working Out the Biasing Conditions

Assume,  $I_B$  is negligible,  $V_{BE} = 0.7 \text{ V}$ ,  $h_{FE} \gg 1 \therefore I_C \approx I_E$  Using potential division,

$$V_B = V_S \frac{R_2}{R_1 + R_2} \quad (12)$$

$$V_B = V_E + 0.7 \quad (13)$$

by Kirchhoff's Voltage Law,

$$V_B = V_E + V_{BE} \quad (14)$$

$$I_E \approx I_C = \frac{V_E}{R_E} = \frac{V_B - 0.7}{R_E} = \frac{1}{R_E} \left[ V_S \frac{R_2}{R_1 + R_2} - 0.7 \right] \quad (15)$$

also by Kirchhoff's Voltage Law,

$$V_C = V_S - I_C R_L \quad (16)$$

## Review

- Introduced some terminology (gain, bias, input, output impedance).
- Introduced three ideal amplifiers in terms of their gain and input and output impedance.
- Considered what happens to signals when applied to an un-biased transistor
- Shown that biasing allows linear operation of an amplifier.
- Derived the voltage gain of a simple transistor amplifier with bias.
- Noted that the biasing terms and signal terms can be separated
- Introduced one of two biasing circuits, which operate using negative feedback, to control collector current nearly independently of device parameters and temperature.

