

1- MARK FOR NEARLY RIGHT

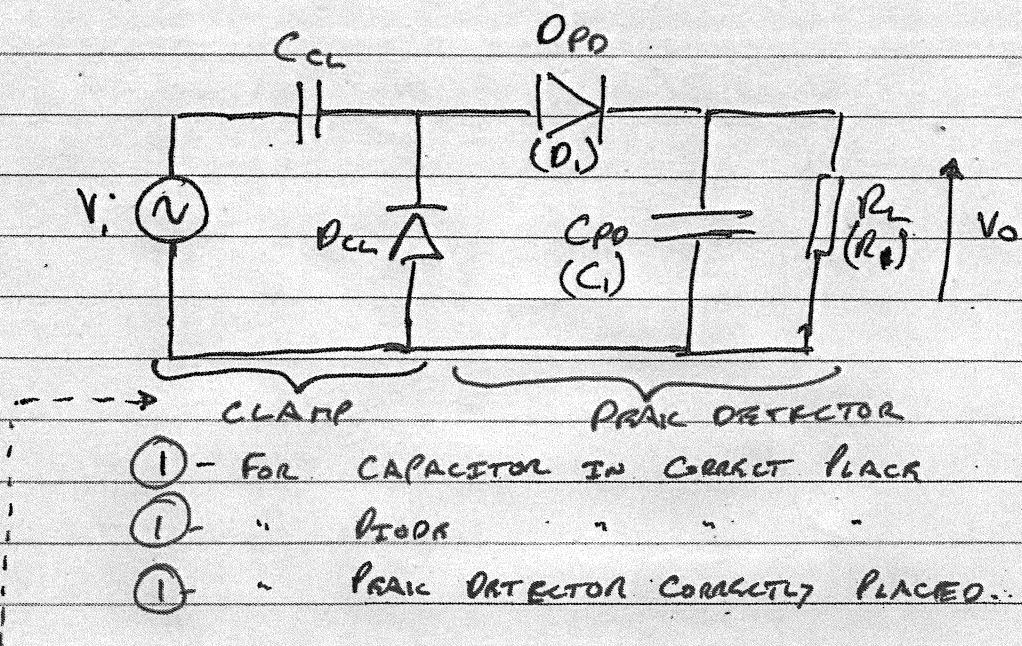
2- FOR "PERFECT". PERFECT ONLY IF SHAPE AND TIME ALIGNMENT DEMONSTRATE UNDERSTANDING.

ii) ① - $V_i > V_o \therefore$ Diode conducts and C_1 charges through Diode, D_1 . Conduction stops when V_i starts to fall as the diode current falls to zero because the capacitor is no longer charging from the input signal.

AT LEAST FROM DIODES
TIES OR
CONNECTORS
GOOD POINTS
SIMILAR

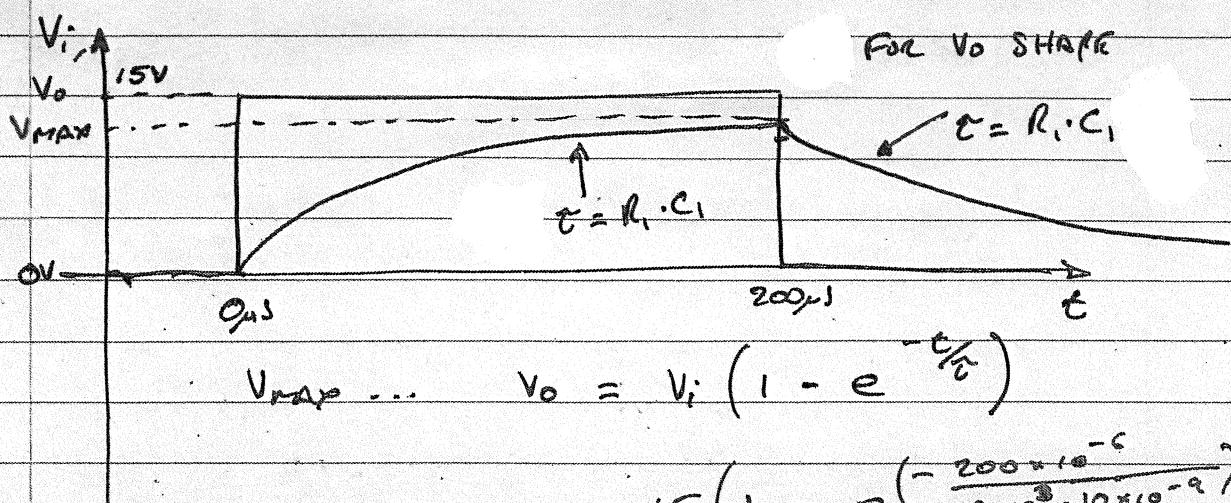
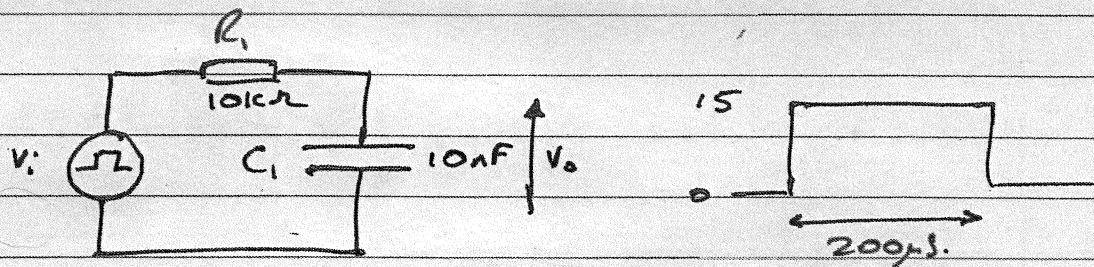
② - $V_i < V_o$. The diode is reverse biased. Only a small leakage current flows in D_1 . C_1 discharges through R_1 . Provided C_1 is capable of storing much more charge than R_1 will conduct over the period of the input wave forming the change in V_o due to C_1 discharging can be approximated as linear although it is actually exponential.

16 i)



iii) THE ADDITIONAL CIRCUIT IS A VOLTAGE CLAMP

1c)



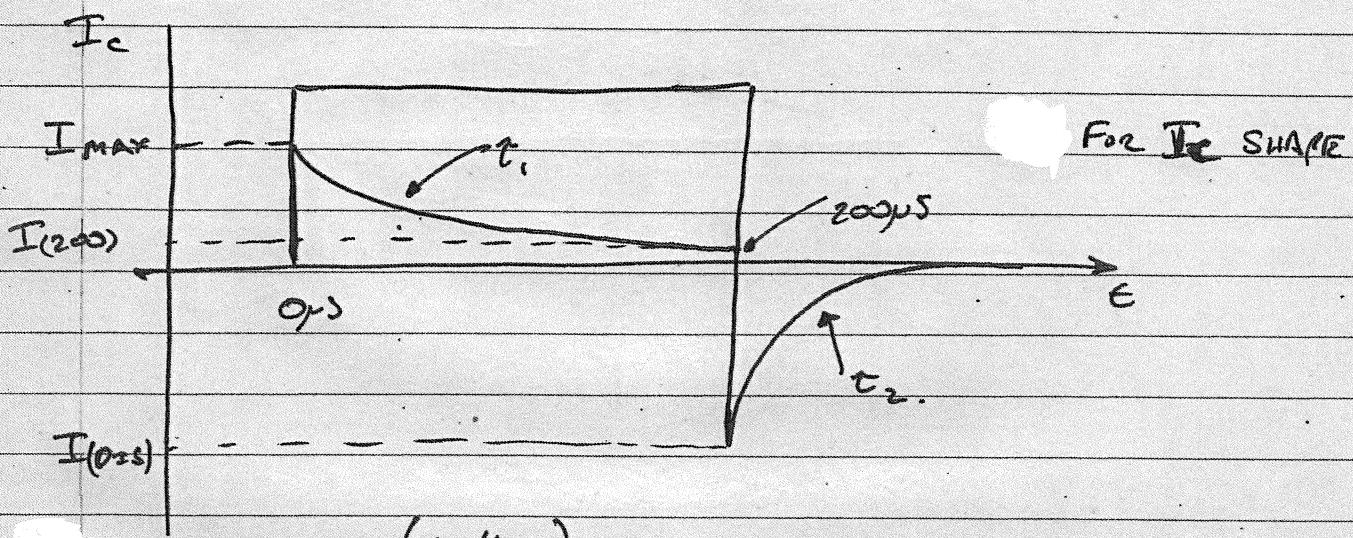
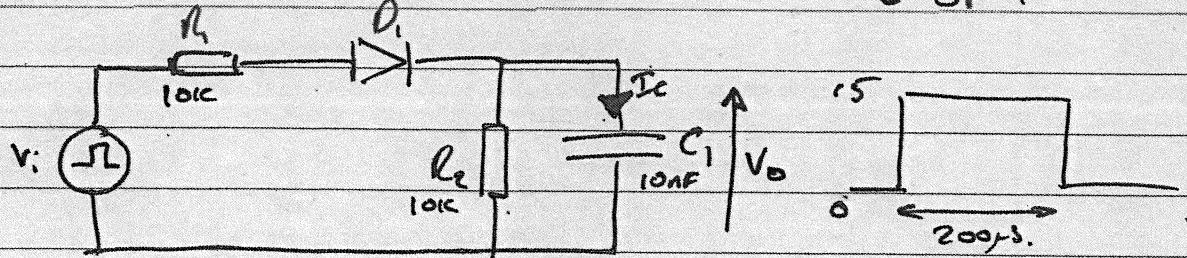
$$V_{max} \dots V_0 = V_i \left(1 - e^{-\frac{t}{\tau}} \right)$$

$$= 15 \left(1 - e^{\left(\frac{-6}{10 \times 10^{-3} \cdot 10 \times 10^{-9}} \right)} \right)$$

$$= 15 \left(1 - 0.43433 \right)$$

$$= 12.9696 \text{ V} \quad \sim \underline{12.97 \text{ V}}$$

1 d.



$$t_1 = (R_1 \parallel R_2) \cdot C_1 = \frac{10k \cdot 10k}{10k + 10k} \cdot 10nF = \underline{\underline{50 \mu s}}$$

$$t_2 = R_2 \cdot C_1 = 10k \cdot 10nF = \underline{\underline{100 \mu s}}$$

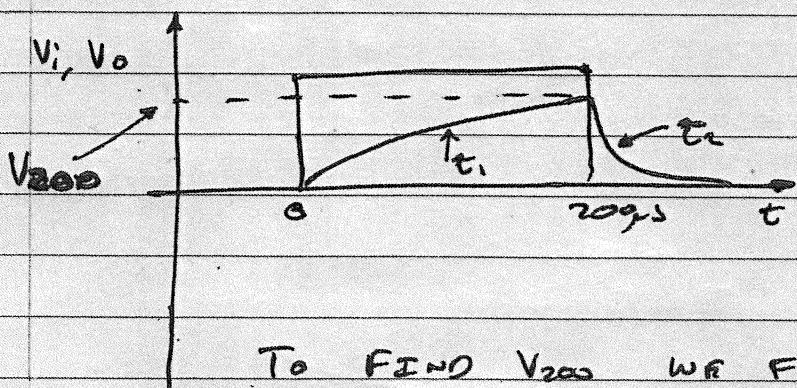
$$I_{\max} = \frac{V_{in}}{R_1} = \frac{15}{10k} = \underline{\underline{1.5 \text{ mA}}}$$

BECUSE C LOOKS LIKE A SHORT CIRCUIT WHEN IT IS FULLY DISCHARGED AND BEFORE IT HAS CHARGED APPROX
- L7.

$$\begin{aligned} I_{(200)} &= I_{\max} \cdot e^{-\frac{t}{t_1}} \\ &= 1.5 \times 10^{-3} \cdot e^{\left(-\frac{(200 \times 10^{-6})}{50 \times 10^{-6}} \right)} \\ &= \underline{\underline{27.47 \mu A}} \end{aligned}$$

I_{0.5s} ... IS HARDER, WE NEED TO KNOW THE VOLTAGE V_o GOT TO @ 200μs. IT IS NOT THE SAME AS I₍₂₀₀₎.

1d) CONTINUED...



To FIND V_{200} WE FIRST NEED V_{MAX} .

V_{MAX} IS THE BIGGEST VOLTAGE V_o CAN GET TO

IN FIGURE 16. IT IS THE POTENTIAL DIVISION
OF V_i BY R_1 & R_2 .

$$V_{MAX} = V_i \cdot \frac{R_2}{R_1 + R_2} = 15 \cdot \frac{10}{10+10} = \underline{\underline{7.5V}}$$

$$\therefore V_{200} = V_{MAX} \cdot \left(1 - e^{-\frac{t}{R_1}} \right)$$

$$= 7.5 \cdot \left(1 - e^{-\left(\frac{200 \times 10^{-6}}{50 \times 10^{-6}} \right)} \right)$$

$$= 7.5 \cdot 0.9817$$

$$= \underline{\underline{7.363V}} \quad \leftarrow \text{SO IT NEARLY MAKES IT}$$

ALL THE WAY, BUT NOT

QUIETE.

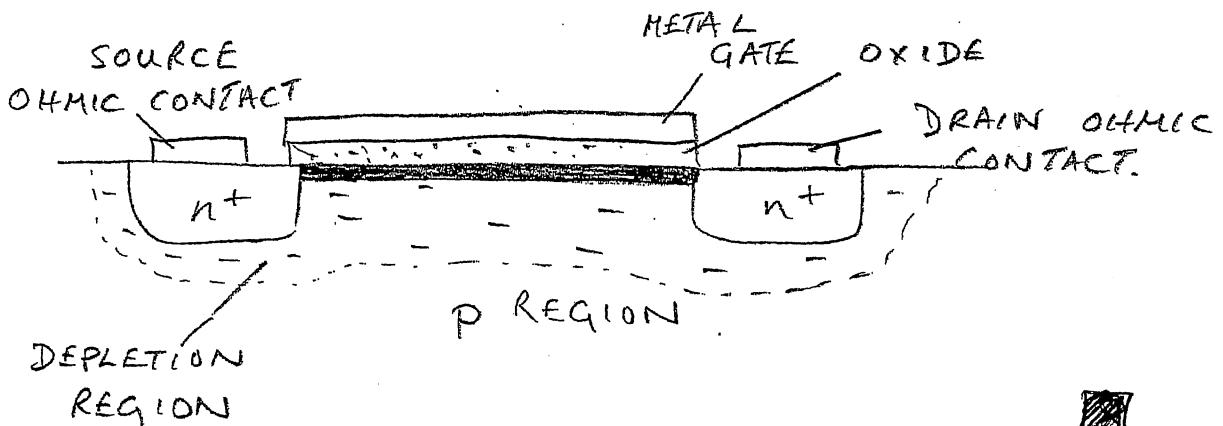
$$\text{So } I(\text{DIS}) = \frac{7.363}{R_2} = \frac{7.363}{10k} = \underline{\underline{736.26 \mu A}}$$

EEE 118 SOLUTIONS.

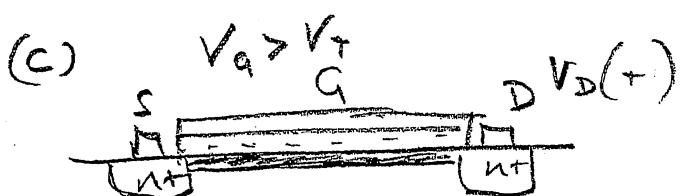
2014 - 15

(1)

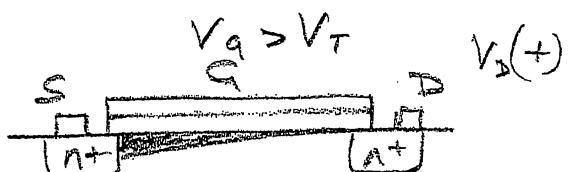
2. (a) n-channel MOSFET



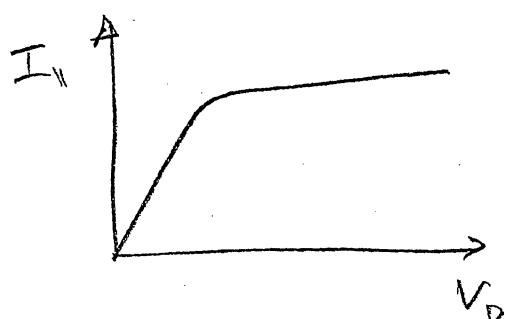
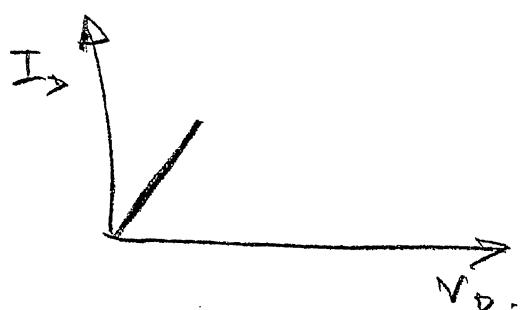
(b) With source and drain grounded, as gate voltage is increased (+) depletion region extends into p-region to uncover negative acceptor charge to balance positive gate charge. Eventually the depletion region can no longer supply enough balancing charge and electrons are formed at the oxide/semiconductor interface to form a conducting bridge between the source and drain.



$$V_D \approx 0$$



$V_D >$ threshold voltage



At $V_D \approx 0$, V_g exceeds the threshold voltage, V_T , and a conducting channel is formed.

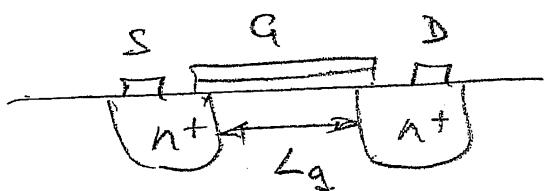
2(c) (continued)

(2)

The current I_D rises linearly since the channel behaves as a resistor. As $(V_D - V_A) \approx V_T$ the channel "pinches off" at the drain end and the resistance of the channel increases (slope reduces). Further increase in V_D pinches the pinch-off region further towards the source. Current saturates since it is now controlled by rate of lateral injection of electrons into the depletion region.



(d)



$$\text{Cut-off frequency} = 15 \text{ GHz} = \frac{1}{2\pi C}$$

\therefore transit time under gate

$$= T = \frac{1}{2\pi \times 15 \times 10^9} = \frac{10.6 \times 10^{-12}}{\text{s}}$$



\therefore gate length required

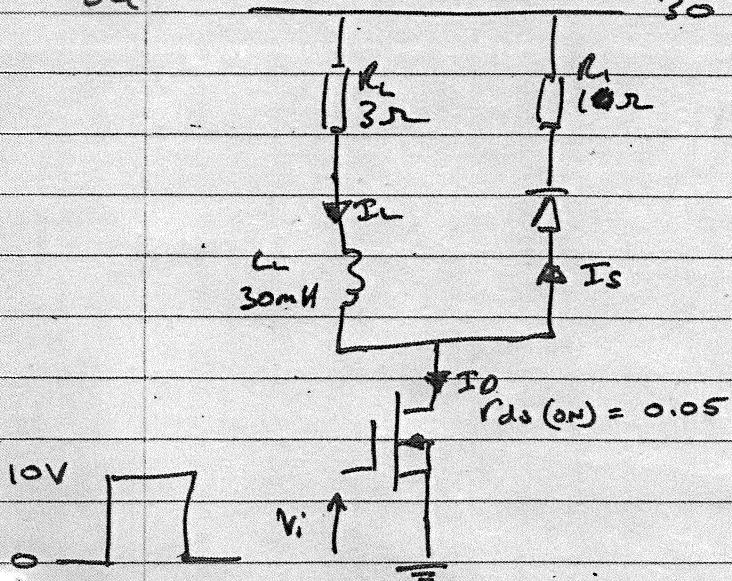
$$L_g = \frac{1 \times 10^5}{10.6 \times 10^{-12}} =$$

$$= 1.06 \times 10^{-6}$$

$$= \underline{1.06 \mu\text{m}}$$



3a



$$i) I_L = \frac{V_S}{R_L + r_{ds(on)}} = \frac{30}{3.05}$$

$$I_L = \underline{\underline{9.8361 \text{ A}}}$$

$$ii) E_{LL} = \frac{1}{2} L I^2$$

$$= \frac{1}{2} \cdot 30 \times 10^{-3} \cdot 9.8361 \text{ A} \\ = \underline{\underline{147.54 \text{ mJ}}}$$

$$iii) P_{LOAD} = I^2 R_L = 9.8361^2 \cdot 3 = \underline{\underline{290.25 \text{ W}}}$$

$$iv) P_{SWITCH} = I^2 r_{ds(on)} = 9.8361^2 \cdot 0.05 = \underline{\underline{4.837 \text{ W}}}$$

v) DIRECTLY AFTER SWITCH OFF $I_D \rightarrow 0$. AND I_L DOES NOT CHANGE SO $\underline{\underline{I_S = I_L}}$.

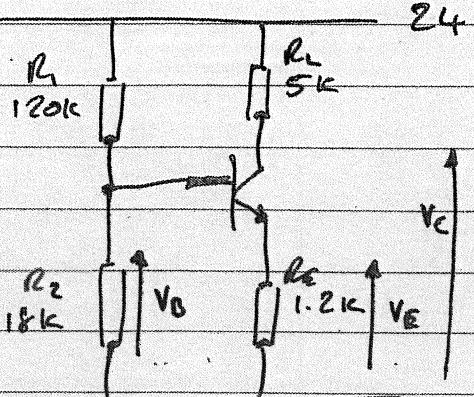
$$vi) V_{DS} = 30 + I_S R_L + 0.7$$

↑
POWER SUPPLY...

$$V_{DS} = 30 + 9.8361 \cdot 1 + 0.7 \\ = \underline{\underline{40.5361 \text{ V}}}$$

$$(i) V_R = \frac{24 \cdot R_2}{R_1 + R_2} = \frac{24 \cdot 18 \text{ k}}{120 \text{ k} + 18 \text{ k}} \\ = \underline{\underline{3.1304 \text{ V}}}$$

$$V_E = V_R - 0.7 \\ = \underline{\underline{2.43043 \text{ V}}}$$



24

36(i) CONTINUE . . .

$$I_E = \frac{V_E}{R_E} = \frac{2.43043}{1.2 k\Omega} = \underline{\underline{2.0254 \text{ mA}}}$$

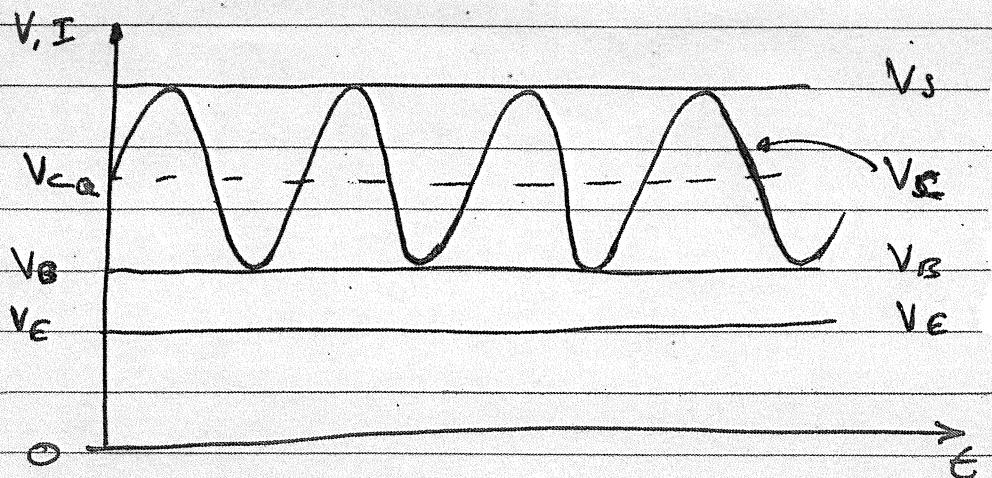
Assuming $I_B = 0$ ($h_{FE} \gg 1$). $I_C = I_E$
So

$$\begin{aligned} V_C &= V_S - I_C \cdot R_C \\ &= 24 - 2.0254 \cdot 5 \\ &= \underline{\underline{13.873 \text{ V}}} \end{aligned}$$

$$\begin{aligned} g_m &= \frac{e I_C}{kT} = \frac{1.6 \times 10^{-19} \cdot 2.0254 \times 10^{-3}}{1.38 \times 10^{-23} \cdot 297.15} \\ &= \underline{\underline{79.027 \text{ mS}}} \end{aligned}$$

$$r_{ce} = \frac{B}{g_m} = \frac{700}{79.027 \times 10^{-3}} = \underline{\underline{8.858 \text{ k}\Omega}}$$

ii)



36(iii)

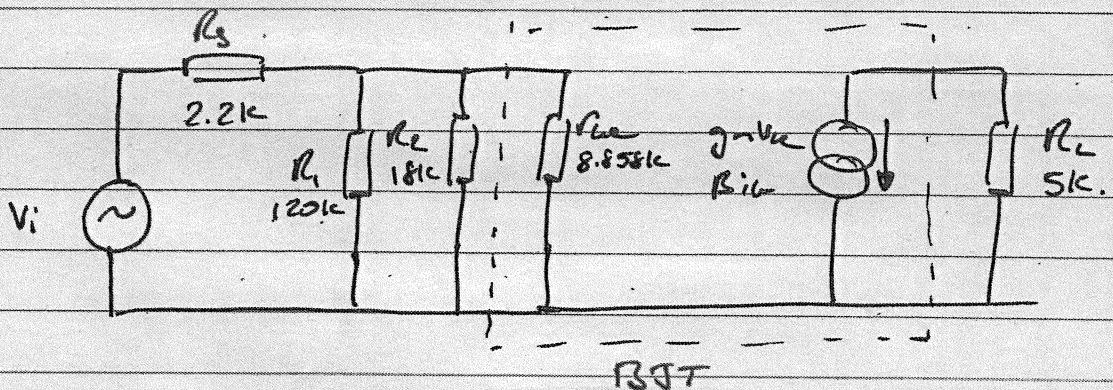
MANY WAYS TO DO THIS...

$$V_{ca} = \frac{V_B + V_S}{2} = 13.57$$

$$= \frac{3.1304 + 24}{2} = \underline{\underline{13.57 \text{ V}}}$$

DEPENDS ON ASSUMPTIONS TOO. SAY V_C MUST NOT FALL BELOW V_B ...

c.i)



① - FOR TRANSISTOR PLACEMENT.

① - FOR R_1 & R_2 TO GND.

① - FOR R_L TO GND.

① - FOR V_i & R_s PLACEMENT.

ii)

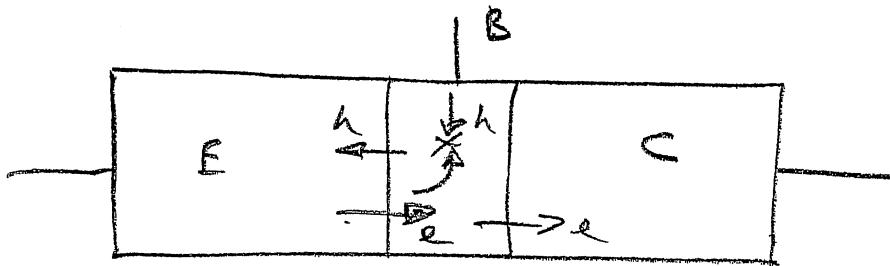
INPUT RESISTANCE BY INSPECTION IS $R_1 // R_2 // R_{ce}$

$$\text{So } \frac{1}{r_{in}} = \frac{1}{R_{ce}} + \frac{1}{R_1} + \frac{1}{R_2}$$

$$\frac{1}{r_{in}} = \frac{1}{8.858} + \frac{1}{120} + \frac{1}{18}$$

$$r_{in} = \underline{\underline{5.6567 \text{ k}\Omega}}$$

4. (a) Emitter - base junction forward biased (3)
 Base - collector junction reverse biased.



At emitter - base junction electrons flow from emitter into base. They then diffuse through the base and are pulled into the reverse biased base - collector junction.

- (i) Hole current from base to emitter reduces gain (current does not appear in collector).
- (ii) Some electrons recombine with majority holes in the base. (lost to collector current).
- (i) - ensure emitter doping \gg base doping
- (ii) - base width \ll minority carrier diffusion length

$$(b) \text{ current gain} = \frac{I_C}{I_B} = 60$$

$$\therefore I_C = 60 \times 5 \text{ mA} = \underline{\underline{300 \text{ mA}}} \text{ peak to peak}$$

$$\text{For } 50\Omega \text{ load } V_C = 0.3 \times 50 \\ = \underline{\underline{15V}}$$

4 (continued)

(4)

(c) First need α + β for data

$$\beta = \frac{\alpha}{1-\alpha} \quad \alpha = R\gamma \quad (\text{from formula page})$$

$$\beta = 100 \Rightarrow \alpha_{100} = \frac{1}{100+1} = 0.99$$

$$\beta_{100} = \frac{\alpha_{100}}{\gamma} = \frac{0.99}{0.997} = 0.993$$

$$= 1 - \frac{1}{2} \left(\frac{L_a}{L_e} \right)^2 \quad (\text{from formula page})$$

$$\Rightarrow L_a = \sqrt{(1-0.993) \times 2 \times (1.5 \times 10^{-6})^2}$$

$$= 0.177 \times 10^{-6} \text{ m}$$

$$= \underline{0.177 \mu\text{m}}$$

5. (a) Use diode equation from formulae

$$J = J_0 \left(\exp \frac{eV}{kT} - 1 \right)$$

In forward bias neglect "-1" term

$$\therefore \exp \frac{eV}{kT} = \frac{J}{J_0} = \frac{50 \times 10^{-3}}{1 \times 1 \times 10^{-6}} = 5 \times 10^4$$

$$\Rightarrow V = \frac{kT}{e} \ln(5 \times 10^4) = 0.026 \times 10^{-8} \cdot 1 \quad \left(\frac{kT}{e} = 0.026 \right)$$

$$= \underline{0.28V}$$

From formulas $R_n = \frac{L_n}{\sigma_n A}$ and $\frac{L_p}{\sigma_p A}$ for
n and p regions respectively.

$$R_n = \frac{1 \times 10^{-3}}{500 \times 1 \times 10^{-6}} = 2 \Omega$$

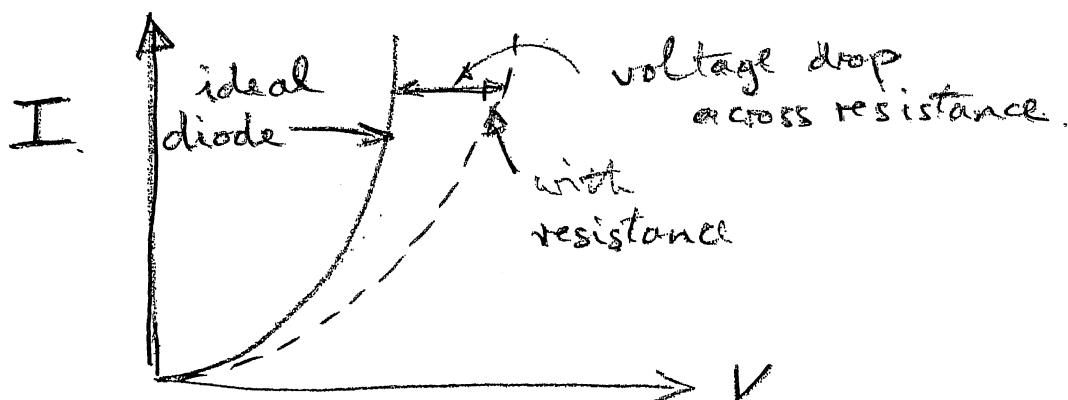
$$R_p = \frac{1 \times 10^{-3}}{2000 \times 1 \times 10^{-6}} = 0.5 \Omega$$

$$\therefore \text{Total resistance} = \underline{2.5 \Omega}$$

$$\text{Total voltage drop} = (50 \times 10^{-3} \times 2.5) = 0.28V$$

$$= 0.125 + 0.28 = \underline{0.405V}$$

(b)



5 (continued)

⑥

- (c) Voltage would be lost to the output and efficiency would be reduced.

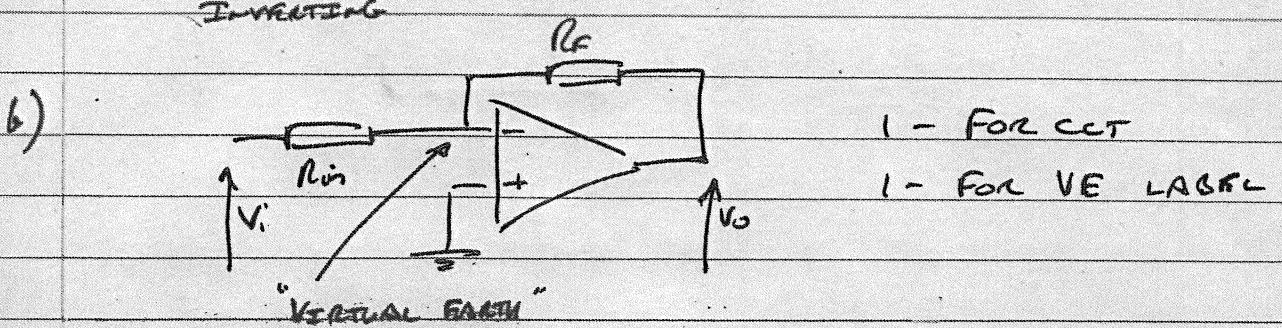
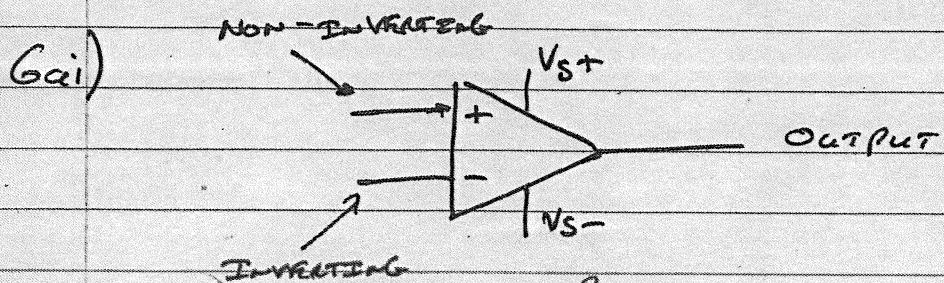


$$(d) J_0 = \frac{e L_p n_p}{\tau_e} + \frac{e L_h p_n}{\tau_h}$$

n_p and p_n are the minority carrier densities which depend on thermally generated electron-hole pairs ($\propto \exp \frac{W_g}{kT}$; W_g = band gap).

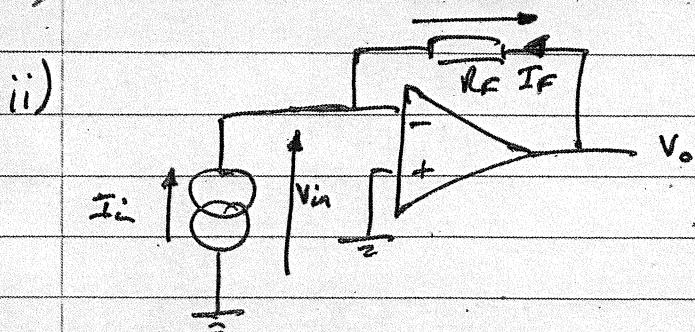
L and τ only have a weak temperature dependence.

- (e) LED - photons come from energy released as electrons and holes recombine.
In non light emitting diodes recombination still occurs but energy released transfers to crystal as heat.



THE VIRTUAL GROUND EXISTS DUE TO THE OPAMP OPERATION AND THE USE OF NEGATIVE FEEDBACK. THE OPAMP IS DESCRIBED BY THE EQUATION $V_o = A_v (V^+ - V^-)$. ASSUMING A_v IS LARGE, THE OPAMP WILL, WHEN OPERATED WITH NEGATIVE FEEDBACK, ATTEMPT TO BRING ITS INPUTS TOGETHER BY ADJUSTING ITS OUTPUT VOLTAGE. SINCE THE NON-INVERTING INPUT IS GROUNDED THE OPAMP TENDS TO MAKE THE INVERTING INPUT GROUND TOO.

i) IT IS A CURRENT TO VOLTAGE CONVERTER.



Sum Currents at V^-

$$I_{in} + I_F = 0$$

$$I_{in} + \frac{V_o - V^-}{R_f} = 0$$

$$\text{If } A_v \rightarrow \infty \quad V^+ = V^- = 0 \dots$$

(6cii) CONTINUED...

$$\therefore I_{in} + \frac{V_o}{R_F} = 0$$

$$\text{so } \frac{V_o}{I_{in}} = -R_F$$

- iii) For R_{in} AND WITH $A_v \neq \infty$...
Sum currents at V^-

$$I_{in} + I_F = 0$$

$$I_{in} + \frac{V_o - V^-}{R_F} = 0 \quad (\text{A})$$

$$V_o = A_v(V^+ - V^-) \quad (\text{B})$$

(B) \rightarrow (A) :

$$I_{in} + \frac{A_v(V^+ - V^-)}{R_F} = 0$$

$$V^+ = 0$$

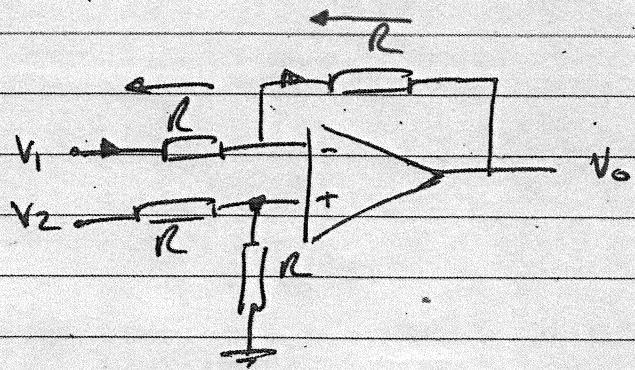
\therefore

$$I_{in} R_F + A_v V^- = 0 \quad (V^- = V_{in}) \dots$$

$$R_{in} = \frac{V_{in}}{I_{in}} \quad \therefore -A_v V_{in} = -I_{in} R_F$$

$$\text{And } \frac{V_{in}}{I_{in}} = \underline{\underline{\frac{R_F}{A_v}}}$$

Qd) i)

Sum I @ v⁻:

$$\frac{V_1 - V^-}{R} = \frac{V^- - V_0}{R} \quad (\text{C})$$

Also: $V^+ = \frac{V_2 \cdot R}{R + R} \quad (\text{D}) \quad A_v \rightarrow \infty \Rightarrow V^+ = V^-$

Get (C) IN TERMS OF V⁻

$$V^- = \frac{V_1 + V_0}{2} \quad (\text{E})$$

SUBSTITUTE (D) & (E) INTO $V^+ = V^-$

$$\frac{V_1 + V_0}{2} = \frac{V_2}{2}$$

SIMPLIFY TO:

$$\underline{V_0 = V_2 - V_1}$$

- ii) THIS IS A SUBTRACTOR CIRCUIT OR A DIFFERENTIAL AMPLIFIER