

OPTICAL SYSTEMS

System analysis

Fibre

Transmitter

Detector

Amplifiers/Regenerators

Examples

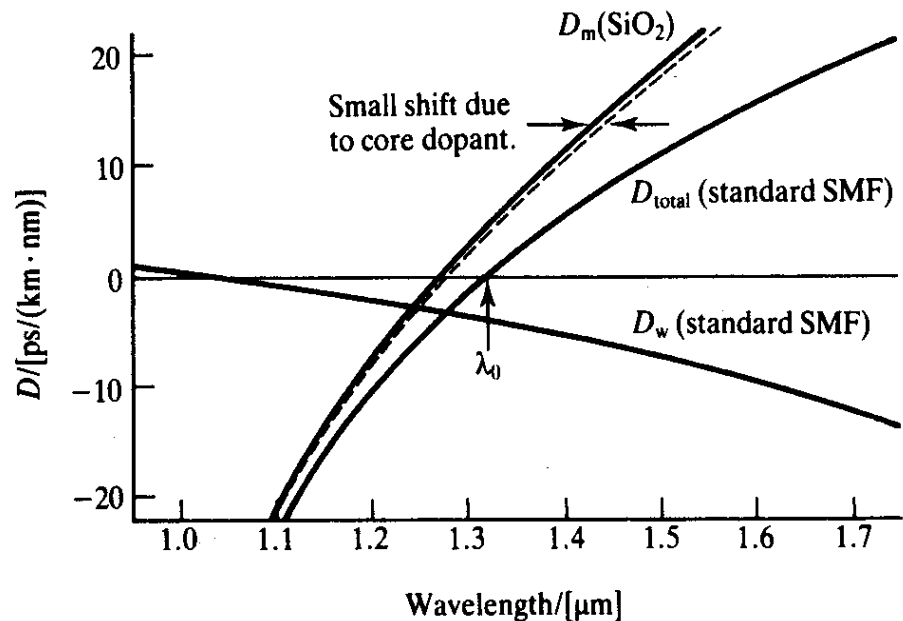
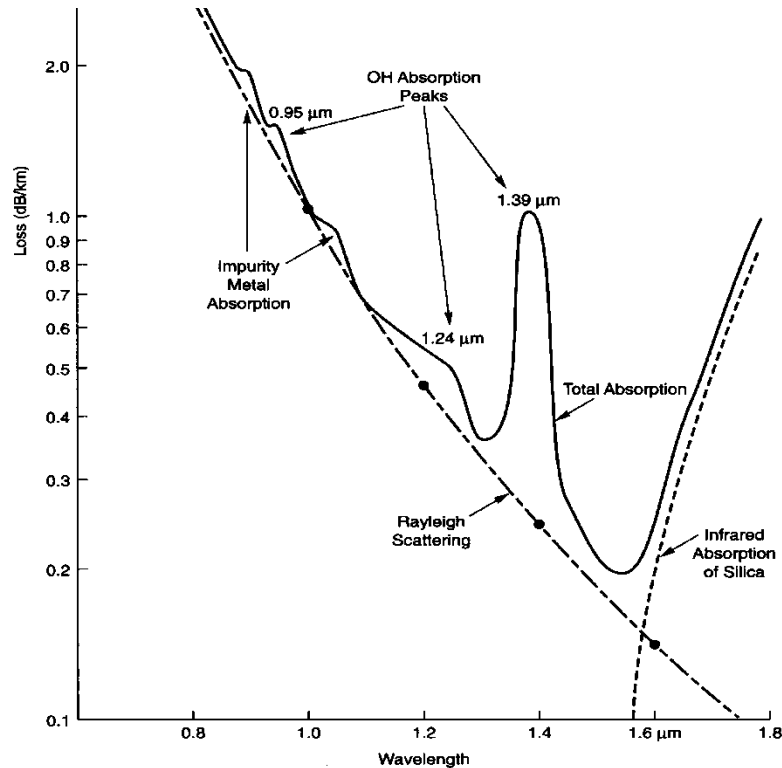
System Requirements

Require transmission at some data rate between points on a network with certain BER ($10^{-9} - 10^{-12}$)

Build in options to increase data rate in future?

Fibre

Two key factors – Dispersion and loss



Affect system performance via making pulse less intense and broadening the optical pulse (n.b. polarization dispersion is ignored)

Transmitter

Wavelength

1.3 μm , 1.55 μm for Silica Fibre

Linewidth

LED $\sim 100\text{nm}$

Fabry-Perot Laser $\sim 1\text{nm}$

DFB Laser $\sim 0.0001\text{nm}$

Power

Need to couple light efficiently, robustly, cheaply, into fibre

Modulation Characteristics

LED – slow –spontaneous recombination

LD – fast – if modulated above threshold – but further implications

Broadening of linewidth with modulation (chirp)?

WDM?

Wavelength control, narrow linewidth

Detector

High Sensitivity – Low noise

- Internal Gain (APD)?

- external gain via boosting amplifier?

Fraction of incident light converted to current depends on depletion region width

Speed – limited by depleted region width and area of diode

System Example

Single Mode Silica Fibre

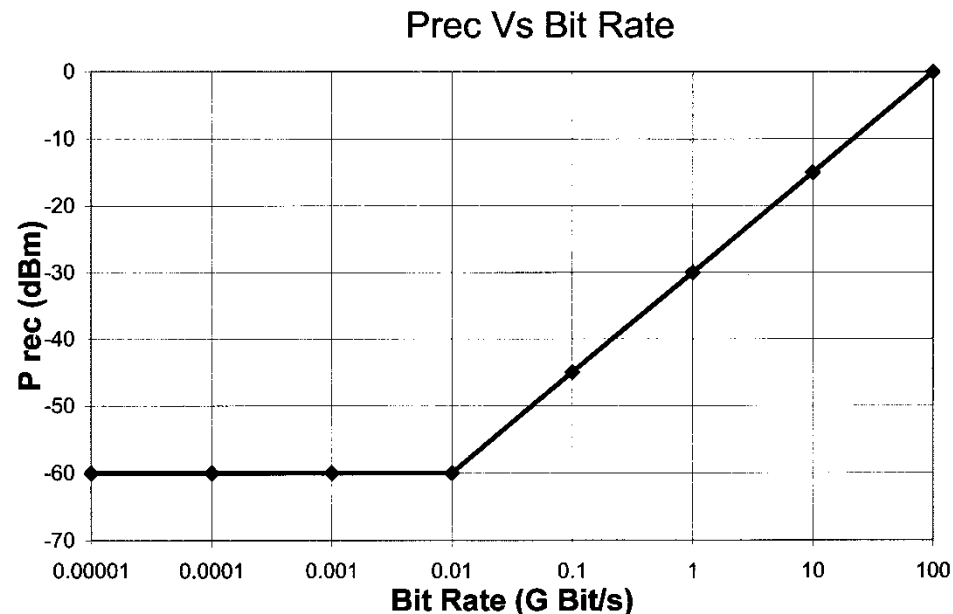
Operating wavelength $1.55\text{ }\mu\text{m}$ at which wavelength $D = 15\text{ ps/nm.km}$
 $\alpha = 0.2\text{ dB/km}$

Transmitter Fabry Perot laser

AM with 50:50 mark:space ratio
Launches 2 dBm of power in fibre
 $\Delta\lambda = 1\text{ nm}$

Detector

p-i-n photodiode
Time averaged optical power
to measure a bit as a function of
bit rate is shown in the graph



Loss Limits

Tx power - total loss+ amplification = margin + Rx sensitivity

@ < 0.01 Gbit/s: Loss + Margin = 62dBm Loss = αL

→ 310km Transmission Distance

@0.1 Gbit/s: Loss + Margin = 47dBm

→ 235 km Transmission Distance

@1 Gbit/s: Loss + Margin = 32dBm

→ 160 km Transmission Distance

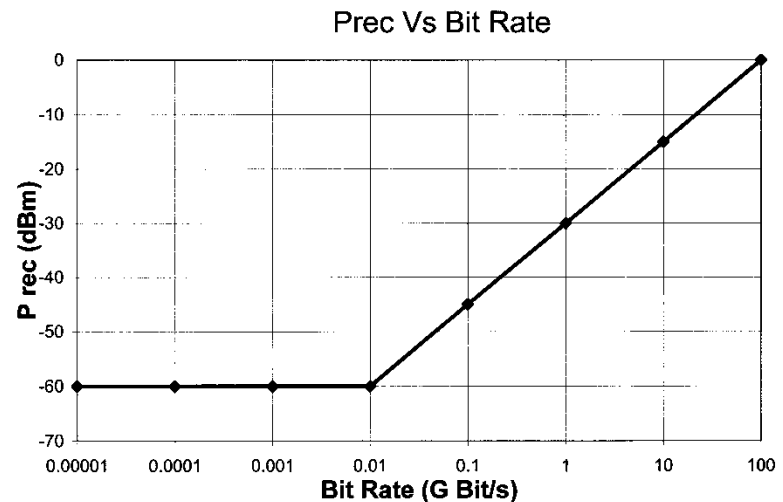
@10 Gbit/s: Loss + Margin = 17dBm

→ 85 km Transmission Distance

@100 Gbit/s: Loss + Margin = 2dBm

→ 10 km Transmission Distance

Transmitter launches
2dBm of power



Dispersion Limits

Commonly used criterion is that broadening $\leq T_B/4$

$$BL\Delta\lambda D(\lambda) \leq 1/4$$

$$D(\lambda) = 15 \text{ ps/nm.km}$$

For FP Laser $\Delta\lambda = 1 \text{ nm}$ so

$$\Delta\lambda D(\lambda) = 15 \text{ ps/km} = 15 \times 10^{-15} \text{ s/m}$$

$$BL \leq 1/(60 \times 10^{-15}) \text{ m/s}$$

$$BL \leq 1.67 \times 10^{13} \text{ m/s}$$

Want B In GBit (10^9) and L in km (10^3)

So $BL \leq 16.7 \text{ (Gbit/s.km)}$

B (Gbit) Distance(km)

0.01 1670

0.1 167

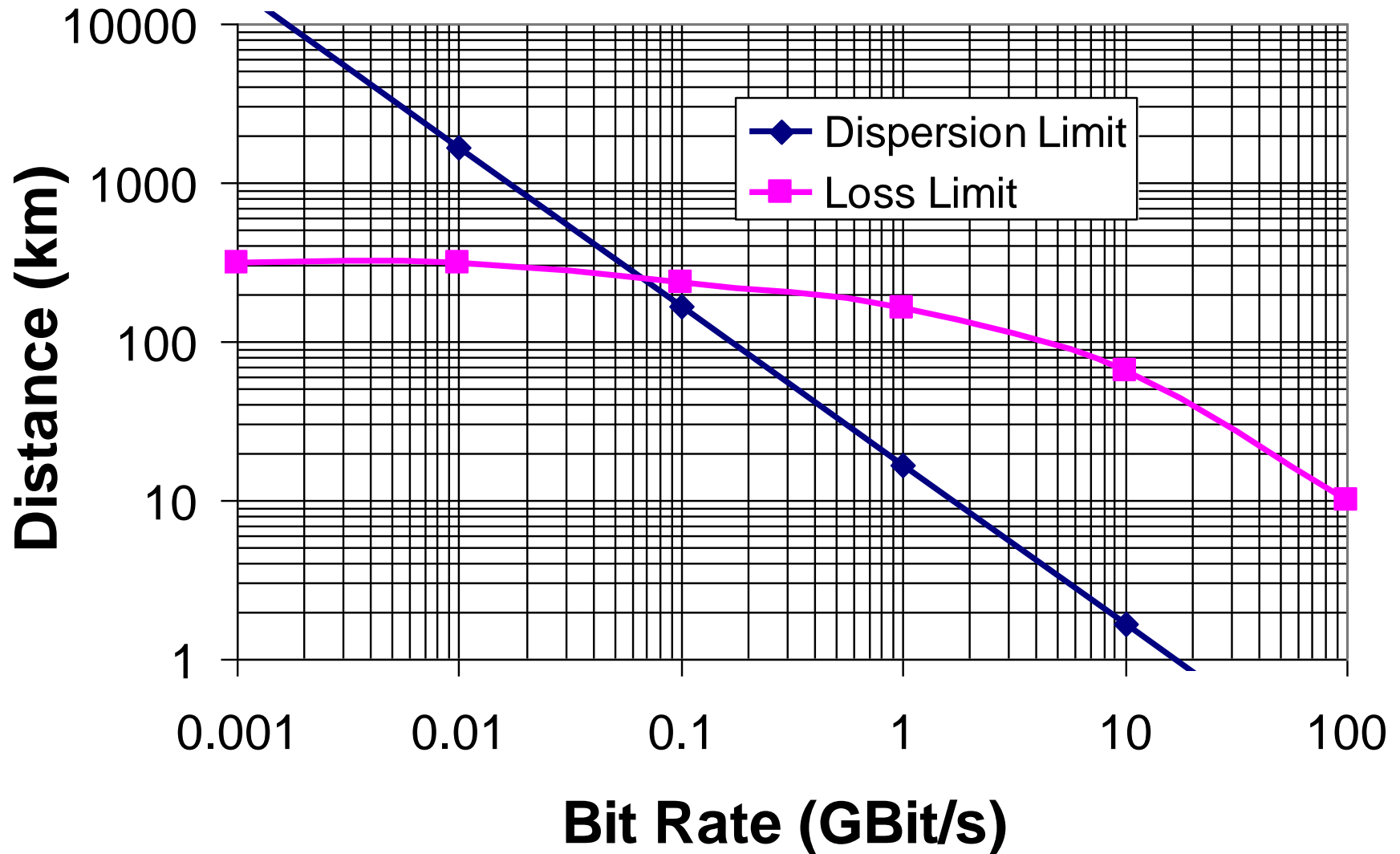
1 16.7

10 1.67

100 0.167

1000 0.0167

Loss and Dispersion Limits - Silica Fibre



Plastic Optical Fibres

- Growing demand for delivering high speed services directly to work stations has led to development of high bandwidth graded-index polymer (plastic) fibres.
- Losses much greater than glass fibres but they are tough and durable. Core diameters 10x larger than glass and connector tolerances much larger.
- Cheap to manufacture.

Plastic Fibre Example

Multi Mode Plastic Fibre

Multimode plastic fibre operating at 650nm

Modal Dispersion = 300 ns/km, $\alpha=200\text{dB/km}$

Two Transmitters

AM with 50:50 mark:space ratio

Both launch 2dBm of power in fibre

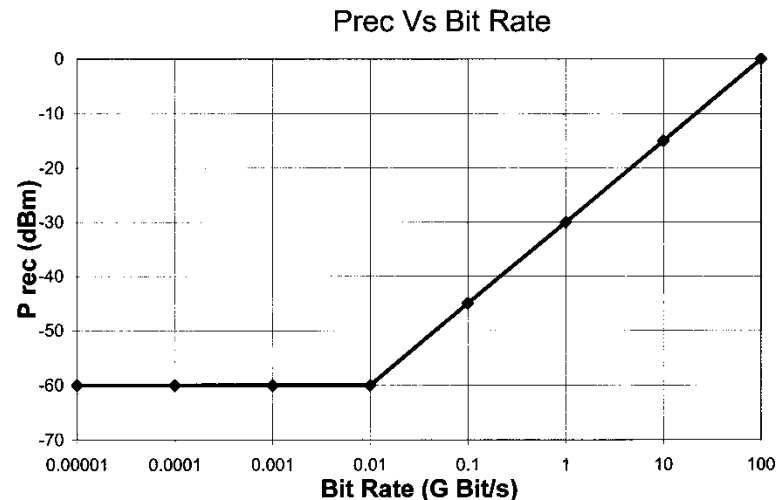
LED $\Delta\lambda=100\text{nm}$

FP $\Delta\lambda=1\text{nm}$

Detector

p-i-n photodiode

Time averaged optical power to measure a bit as a function of bit rate is shown in the graph



Loss Limits - Plastic

Tx power - total loss+ amplification = margin + Rx sensitivity

@ < 0.01 Gbit/s Loss + Margin = 62dBm loss = αL

→ 0.310 Km Transmission Distance

@0.1 Gbit/s Loss + Margin = 47dBm

→ 0.235 Km Transmission Distance

@1 Gbit/s Loss + Margin = 32dBm

→ 0.160 Km Transmission Distance

@10 Gbit/s Loss + Margin = 17dBm

→ 0.085 Km Transmission Distance

@100 Gbit/s Loss +Margin = 2dBm

→ 0.01 Km Transmission Distance

Dispersion Limits

Commonly used criterion is that broadening $\leq T_B/4$

$$BLD \leq 1/4$$

B (Mbit) Distance(km)

Modal Dispersion $D = 300 \text{ ns/km}$

0.01 83

0.1 8.3

1 0.83

10 0.083

100 0.0083

$$D = 300 \text{ ns/km} = 300 \times 10^{-12} \text{ s/m} = 3 \times 10^{-10}$$

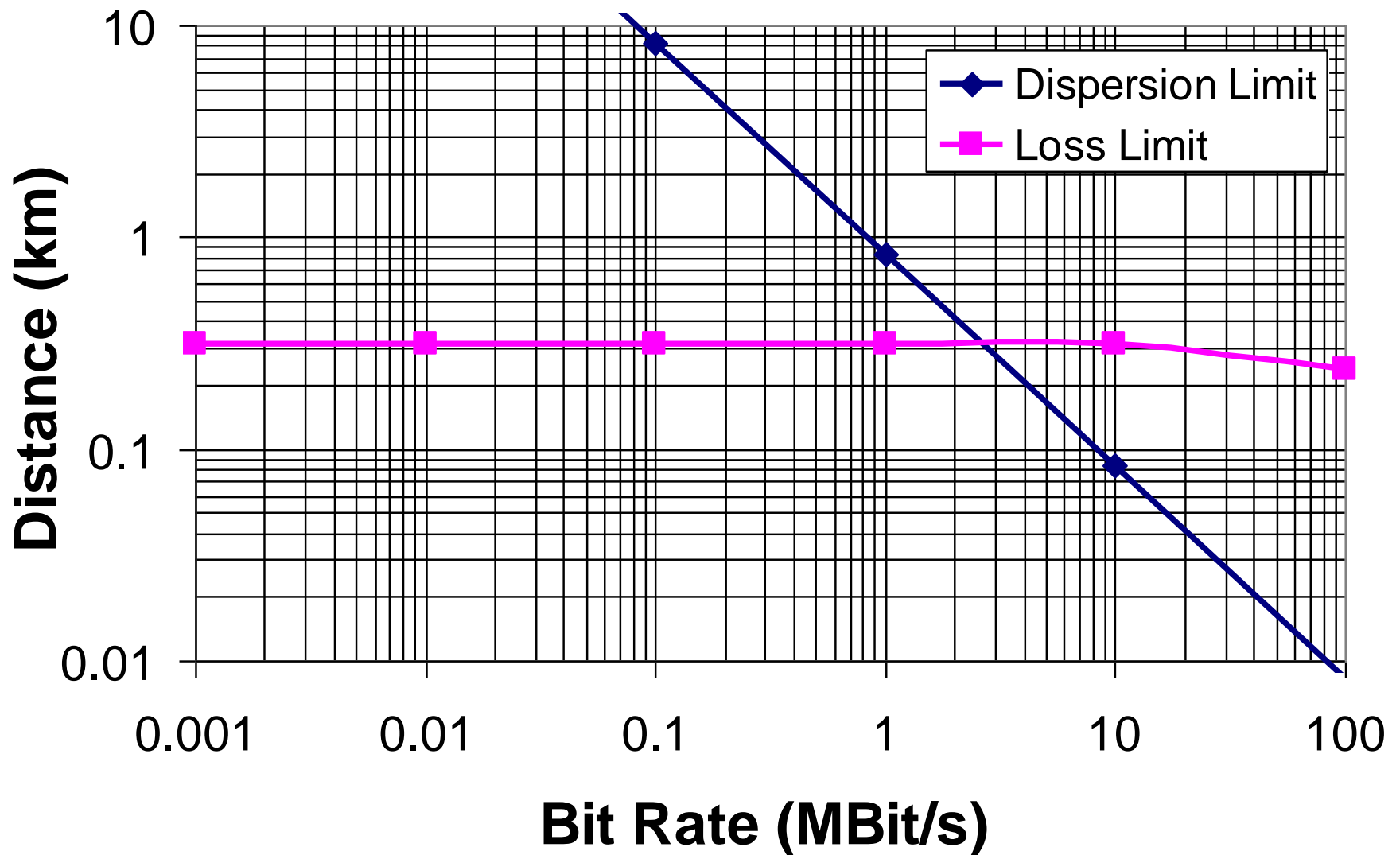
$$BL \leq 1/ 1.2 \times 10^{-9}$$

$$BL \leq 8.3 \times 10^8 \text{ m/s}$$

Want B in MBit (10^6) and L in km (10^3)

So $BL \leq 0.83 \text{ (Mbit/s.km)}$

Loss and Dispersion Limits - Plastic Fibre



Summary

Complex interplay between fibre dispersion and loss characteristics as a fn of wavelength and transmitter and receiver performance.

Required data rate, bit error rate, and link length will typically determine the wavelength of operation and result in either loss or dispersion being a limiting factor.

This in turn will determine the use of amplifiers or regenerators for long link lengths.

Example

In a certain optical fibre communication system the receiver needs a minimum power at the photo detector of -50 dBm. The transmitted power is 1 dBm and the link losses are:

Fibre loss 2dB/km Splice loss 0.2dB/km

Two connector losses at 4dB each Operating margin 10dB

- (a) Calculate the maximum link length,
- (b) If the fibre dispersion is 0.7 ns/km, for the length of fibre found in (a) determine the maximum transmission bit rate,
- (c) Derive an expression for the bitrate-length product in relation to fibre dispersion for a NRZ pulse stream. Calculate the maximum bitrate for a length of 30 km.

(i) Power budget: $P_T = P_R + (\alpha_{fc} + \alpha_j)L + L_c + M$

$$1 = -50 + (2 + 0.2)L + 2 \times 4 + 10$$

hence $L = 15$ km

(ii) Dispersion over length L , $\tau = 0.7 \times 15 = 10.5$ ns

Max bite rate $B_T = 1/2\tau = \underline{47 \text{ Mb/s}}$ OR $1/\tau = \underline{94 \text{ Mb/s}}$

(iii)

Commonly used criterion is that broadening $\Delta t \leq T_B/4$

$$\Delta t = L \Delta \lambda D(\lambda)$$

$$L \Delta \lambda D(\lambda) \leq T_B/4$$

$$BL \Delta \lambda D(\lambda) \leq 1/4$$

$$\underline{\mathbf{BL = 1/[4 \Delta \lambda D(\lambda)]}}$$

Note: $\Delta \lambda D(\lambda)$ often quoted as dispersion in ns/km

So bitrate- length product is $B \times L = 1/(4 \Delta \lambda D(\lambda))$ MHz.km

For a length of 30 km, $B = 1/(4 \times 0.7 \times 30) = 11.9 \text{ Mb/s}$.