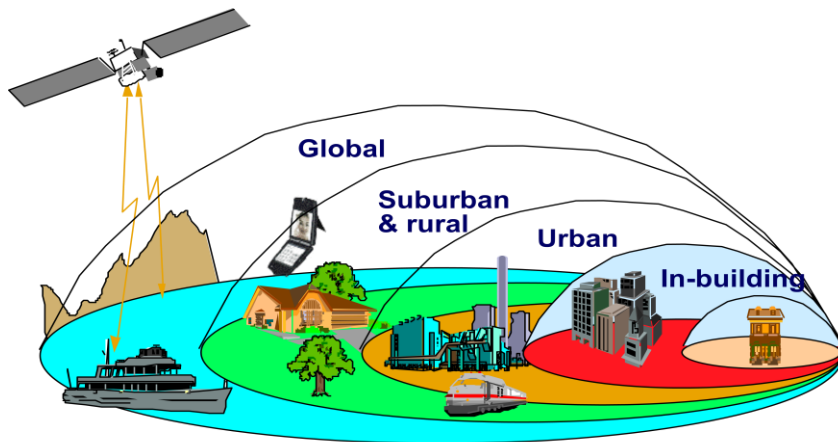


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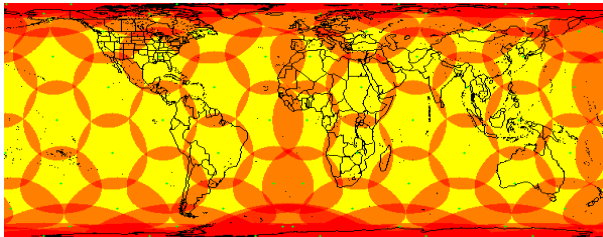
Question 1



(a) **Satellite Macro-Cell Micro-Cell Pico-Cell Femto-Cell**

Students should describe a global system, integrating large and small wireless systems **4 marks**

(b) Iridium or Globalstar system. Low earth orbit satellites giving cellular coverage, cells about 200km across. Spot beams. Large numbers of satellites needed (50-66), handover due to 2 hour orbit visibility, Doppler problems, etc.



Cell coverage from multiple beams. **6 marks**

(c) Calculation

$$\left(\frac{C}{N} \right)_U = E_e - L_U - M + G_s - N_U$$

E_e = earth station eirp = $P_e \times G_e$

L_U = uplink path loss

M = operating margin

G_s = satellite antenna gain

N_U = uplink thermal noise = $k T_s B_{RF}$
 $= -228.6 + 10 \log T_s + 10 \log B_{RF}$ dB

B_{RF} = bandwidth

T_s = satellite transponder noise temperature (antenna + receiver)

$$E_e = 7.78 + 0 \text{ dB} = 7.78 \text{ dBW}$$

$$L_U = 92.5 + 20 \log d + 20 \log 1.6 = 92.5 + 20 \log d + 4.08 = 96.6 + 20 \log d \text{ dB}$$

$$\text{Satellite antenna gain} = 4\pi A\eta / \lambda^2 = 4\pi \cdot \pi \cdot 0.6 \cdot 0.6 \cdot 0.8 / 0.1875^2 = 323.4 = 25.1 \text{ dB}$$

Receiver noise = $kTB = N_u$

$F = 2 \text{ dB} = 1.585$

Temp $T = \text{antenna noise temp} + (F-1)290 = 600 + 0.585 \cdot 290 = 770 \text{ K}$

$N_u = kTB = 1.38 \times 10^{-23} \times 770 \times 150000 = 1.59 \times 10^{-15} \text{ W} = -148 \text{ dBW}$

Hence uplink equation gives $10 = 7.78 - 96.6 - 20 \log d - 15 + 25.1 + 148 = 69.28 + 20 \log d$

$\log d = 59.3/20$, hence $d = 922 \text{ km}$.

10 marks

Question 2

(a) Description of Cassegrain or Gregorian system and its design. Some points to include:

(i) Offset/non offset reflector, smooth metal surface, feed at focus with preamp.

(ii) Efficiency - Tapered illumination, spillover minimised, offsetting feed reduces blockage.

(iii) Noise – reduce backlobe, spillover,

7 marks

(b)

$$F = F_1 + \frac{F_2 - 1}{G_1} + \frac{F_3 - 1}{G_1 G_2} + \dots + \frac{F_n - 1}{G_1 G_2 \dots G_{n-1}} \quad F = 1 + \frac{T_e}{T_0}$$

(i)

Antenna amplifier gain $G_1 = 7 \text{ dB} = 5$ and

$F_1 = 1 + 100/290 = 1.345$

Receiver $F_2 = 2 \text{ dB} = 1.585$

Hence $F = 1.345 + (1.585 - 1)/5 = 1.462 = \underline{1.65 \text{ dB}}$

(ii)

Add lossy cable $F = F_1 + \frac{F_2 - 1}{G_1} + \frac{F_3 - 1}{G_1 G_2}$

Antenna amplifier gain $G_1 = 5$ and $F_1 = 1.345$

Receiver $F_3 = 2 \text{ dB} = 1.585$

Lossy cable $F_2 = 3 \text{ dB} = 2$ and $G_2 = -3 \text{ dB} = 0.5$

Hence $F = 1.345 + (2 - 1)/5 + (1.585 - 1)/(5 \times 0.5) = 1.8$

$F = \underline{2.5 \text{ dB}}$

7 marks

(c) Because of operating frequency and bandwidth limitations, payloads typically employ polarisation frequency reuse schemes to maximize the system capacity.

frequency reuse is accomplished by using orthogonally polarized beams

- linear polarization schemes use vertical and horizontal electric field (e-field) beams
- circular polarization schemes use left and right hand circularly rotating e-field beams
- Alternatively spatial reuse is possible – multiple beams to earth can use same frequency if beams do not overlap or if they do on a cell type system can still be reused but less often.

6 marks

Question 3

a) Attenuation and dispersion

2 marks

b)

- i. 1550 nm as optical amplification is available and fibre has lower loss
- ii. laser – narrow spectral bandwidth
- iii. APDs – more sensitive
- iv. optical amps have much wider bandwidth
- v. coherent detection – more sensitivity

5 marks

c)

(i) Power budget: $P_T = P_R + (\alpha_{fc} + \alpha_j)L + L_c + M$

$$5 = -60 + (2 + 0.2)L + 2 \times 3 + 10$$

3 marks

$$\text{hence } L = 49/2 = 22.3 \text{ km}$$

(ii) Dispersion over length L , $\tau = 0.7 \times 20.1 = 15.61 \text{ ns}$

3 marks

$$\text{Max bite rate } B_T = 1/2\tau = \underline{32 \text{ Mb/s}}$$

(iii)

Commonly used criterion is that broadening $\Delta t \leq T_B/4$

$$\Delta t = L \Delta \lambda D(\lambda)$$

$$L \Delta \lambda D(\lambda) \leq T_B/4$$

$$BL \Delta \lambda D(\lambda) \leq 1/4$$

$$\underline{BL = 1/[4 \Delta \lambda D(\lambda)]}$$

Note: $\Delta \lambda D(\lambda)$ often quoted as dispersion in ns/km

So bit rate - length product is $B \times L = 1/(4 \Delta \lambda D(\lambda)) \text{ MHz.km}$

$$\underline{\text{For a length of 20 km, } B = 1/(4 \times 0.7 \times 20) = 17.9 \text{ MB/s.}}$$

5 marks

d)

Dispersion constant is difficult but the line width can be narrowed.

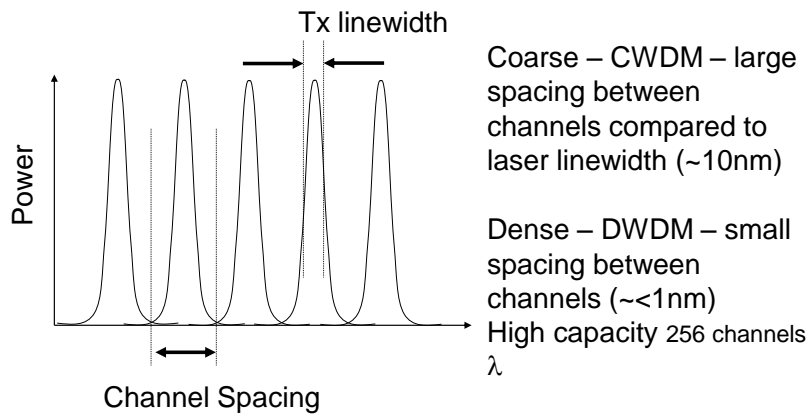
2 marks

Question 4

a.
i.

Wavelength Division Multiplexing

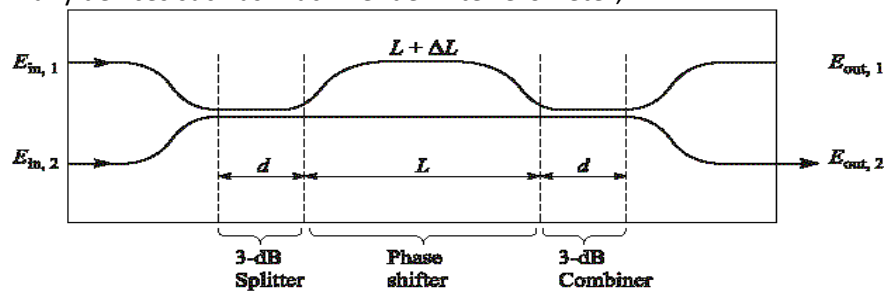
Many channels can be deployed massively increasing available bandwidth of one fibre



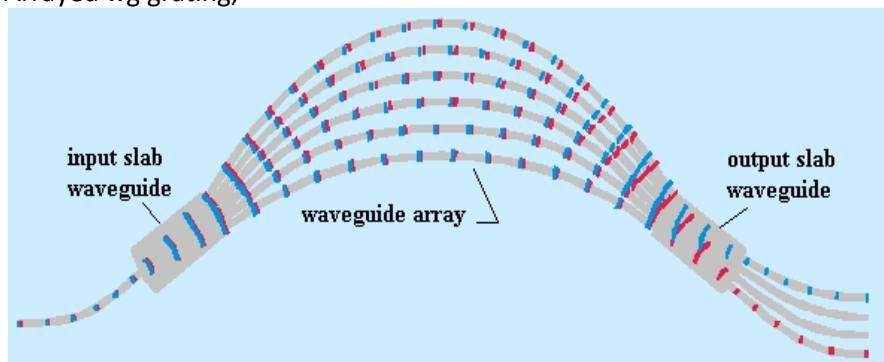
2 marks

ii.

Many devices such as Mach-Zender interferometer,



Arrayed wg grating,



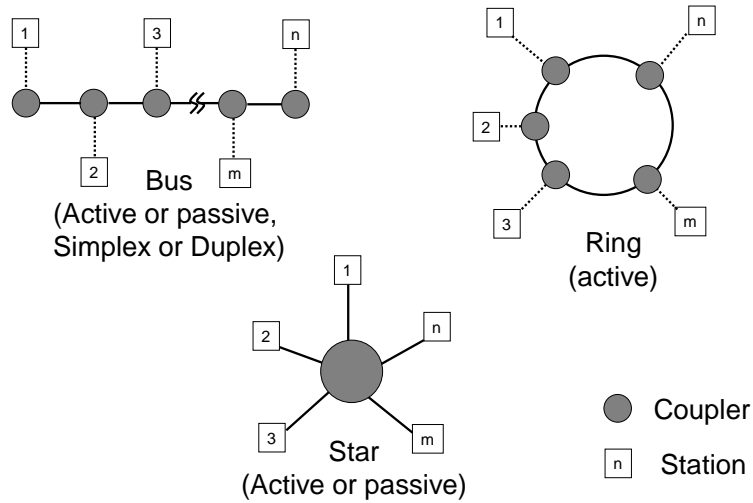
Diffraction grating, interferometer with Fibre bragg grating.

8 marks

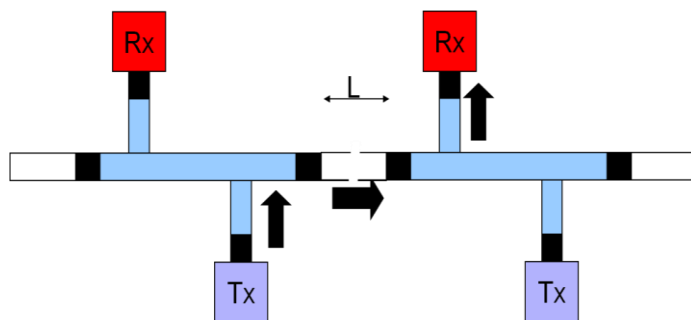
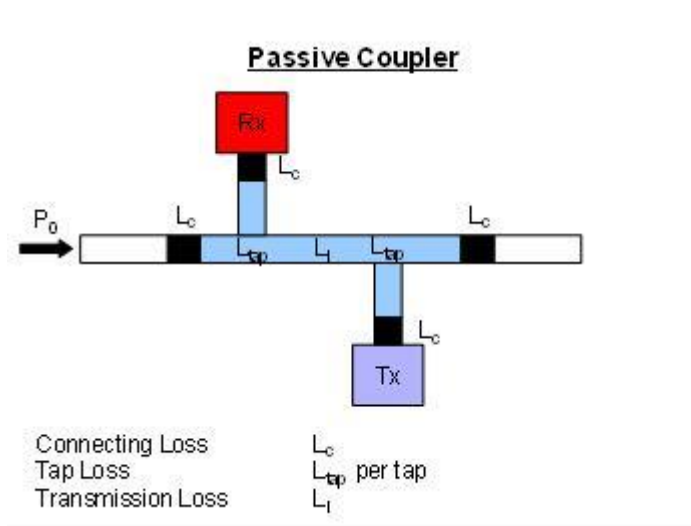
b.

Bus network

Topologies for Fiber Optic Networks



2 marks



Candidates need to know how couplers work and losses associated with them

Connecting Loss L_c
 Tap Loss (coupling) L_{tap} per tap,
 Intrinsic Transmission Loss L_i

Loss Between Nearest Neighbours Tx-Rx

$$= \alpha L + 2L_{\text{tap}} + 4L_c + 2L_i \quad (\alpha L = \text{fibre loss/m})$$

Loss Between station 1 and N

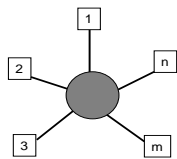
2 Connectors per station – intrinsic loss at each station

@ transmitting and detector ends – one tap loss

@ intermediate stations – one L_{thru} losses

$$\text{Total Loss} = (N-1)\alpha L + 2NL_c + 2L_{\text{tap}} + (N-2)L_{\text{thru}} + NL_i$$

Star Network – Losses and Power Budget



Star Coupler - Splitting Loss $L_{\text{split}} = 10\log N$

In doing so there is an excess loss L_{excess}

Connector at Transmitter and Receiver

All stations L km from Coupler

$$\text{Total Loss} = 2\alpha L + 2L_c + 10\log N + L_{\text{excess}}$$

6 marks

$$\text{Star network loss} = 2 \times 0.4/2 + 2 + 10 + 2 = 14.4 \text{ dB}$$

$$\text{Bus loss} = 9 \times 0.4/2 + 2 \times 10 \times 1 + 2 \times 10 + 8 \times 0.9 + 10 \times 0.5 = 54 \text{ dB} \quad \mathbf{2 \text{ marks}}$$