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## Semiconductors and Devices: EEE 6001

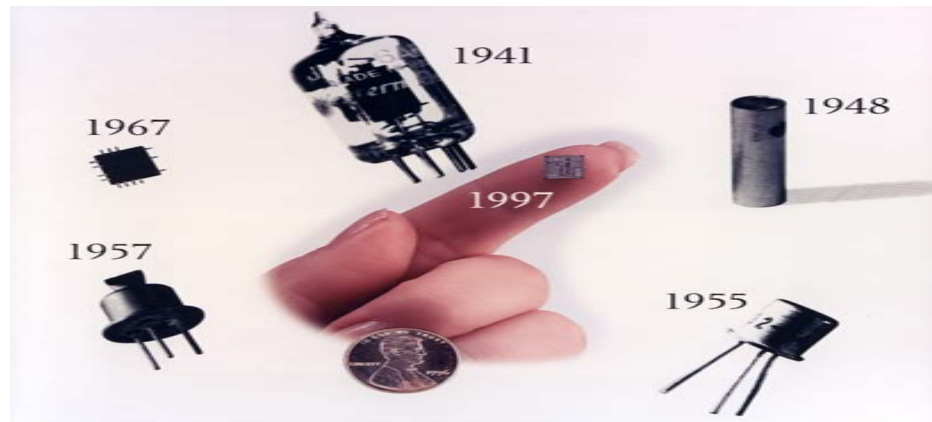
- Introduction: Why are semiconductors so important?
- Electrons in solids: conductors, insulators and semiconductors
- Energy bands & occupation: doping and the Fermi level
- The junction (or p-n) diode
- The Metal-oxide transistor
- Semiconductors as optical emitters and detectors
- Fibre optic systems
- Quantum mechanical view of Semiconductors
- Semiconductors in circuits



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# Semiconductors

John Bardeen, Walter Brattain and William Shockley developed the first transistor in December 1947,

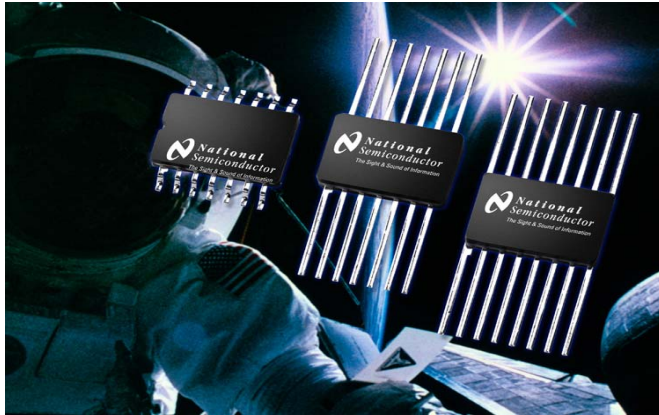


Over the subsequent 50 years semiconductors have revolutionised our world and become a 500 billion dollar business

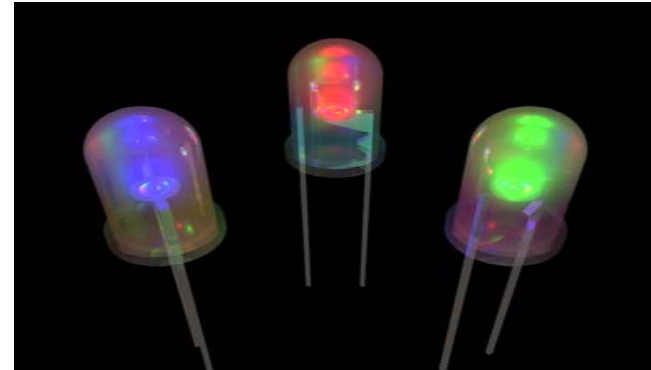


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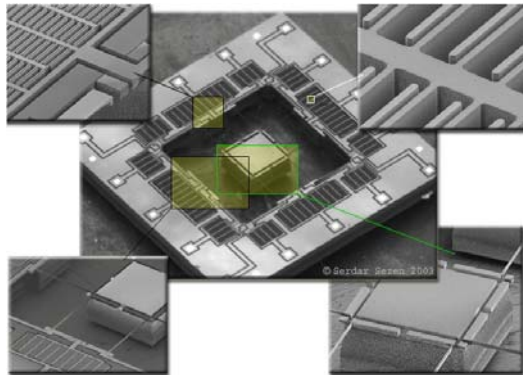
# Semiconductors



Integrated Circuits



Optoelectronics



MEMS/ Sensors



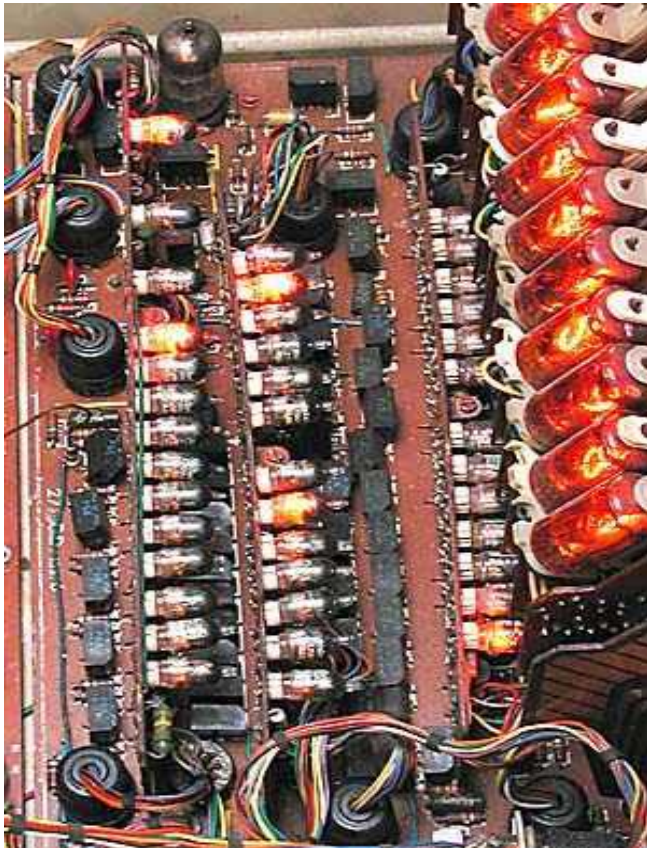
RF Devices



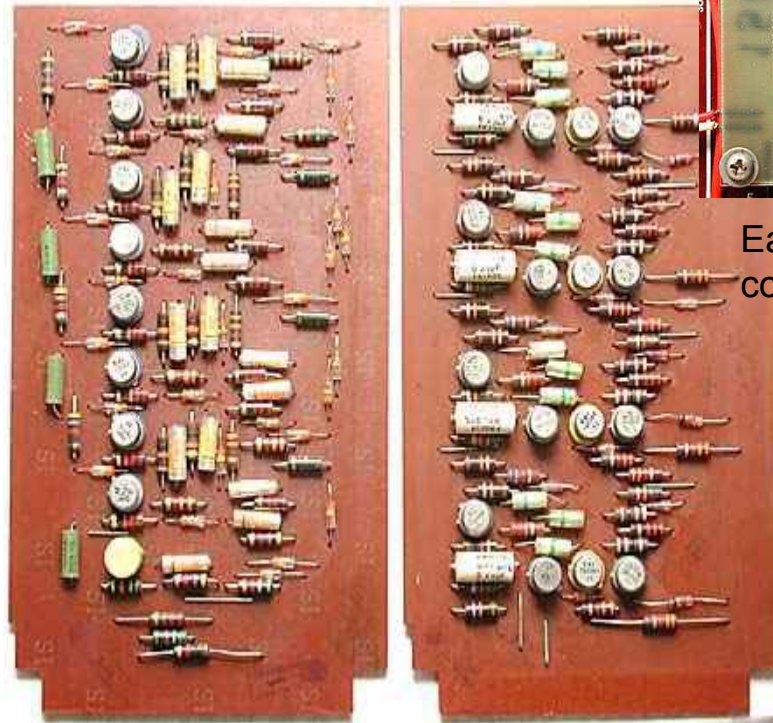


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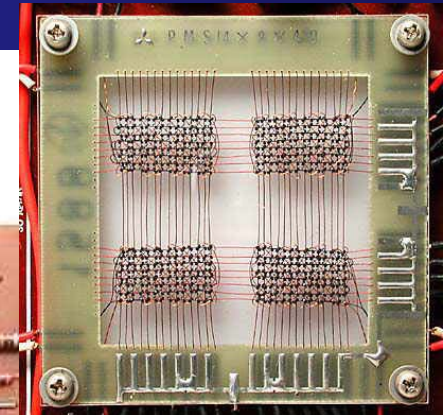
# Historical Development



1950's Hardwire, Valves!



~ 1960 Hardwire, Transistors

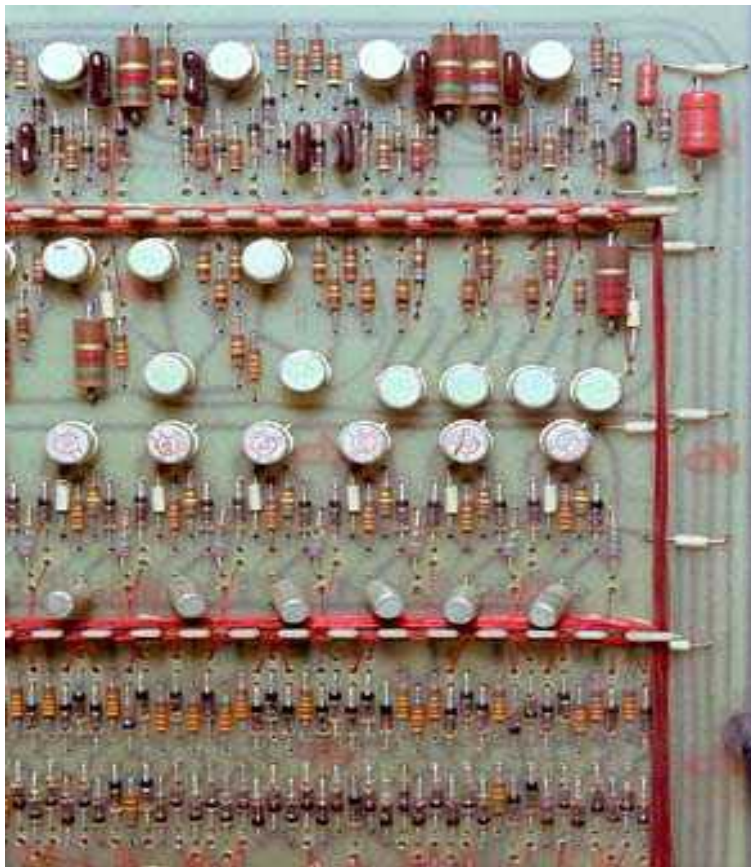


Early RAM! (magnetic  
core memory)



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# Historical Development



~ Early 60's PCB, Transistors

Many individual components on PCB

- Semiconductor transistors and diodes
- Passives: Resistors, Capacitors, Inductors

*All with individual packaging*

Large area, limited processing power,  
Slow!

Complex to assemble – Time  
consuming, costly

Not so reliable and expensive to  
repair

**What about doing it all in  
Silicon?**





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# Monolithic Integration: The IC



Kilby's Chip. Very crude!

Jack Kilby (Texas Instruments, 1958)

Big idea was to make all the components out of silicon



Robert Noyce (Rockwell, Intel, 1959-)

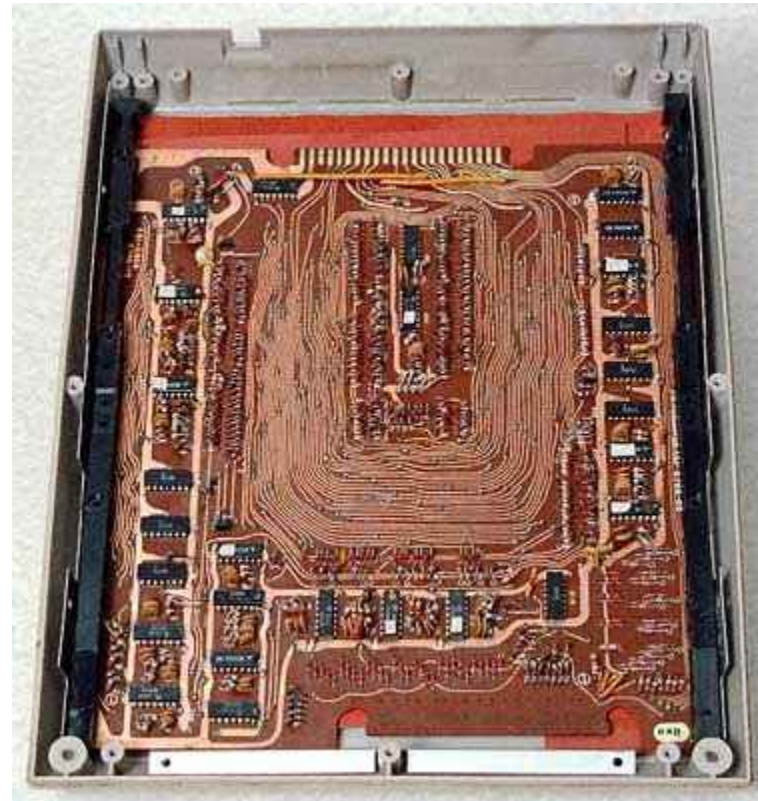
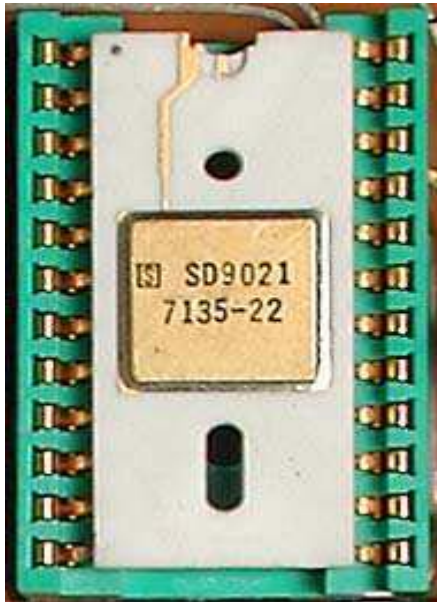
Developed the initial idea by depositing and etching metal to provide interconnects





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## First commercial ICs (late 1960's)



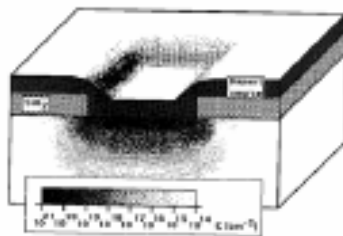
Less components, advanced PCB: Much greater complexity and speed at lower cost



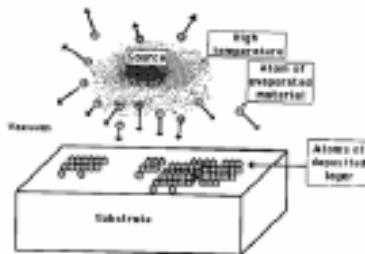
# Silicon IC Manufacturing Steps



**Growing silicon dioxide** to serve as an insulator between layers deposited on the surface of the silicon wafer.



**Doping the silicon substrate** with acceptor and donor atoms to create p- and n-type diffusions that form isolating PN junctions and one plate of the MOS capacitor.



**Depositing material on the wafer** to create masks, wires and the other plate of the MOS capacitor.



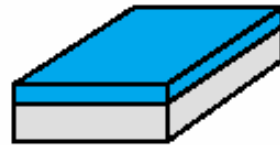
**Etching deposited materials** to create the appropriate geometric patterns.



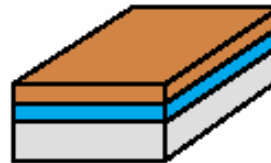


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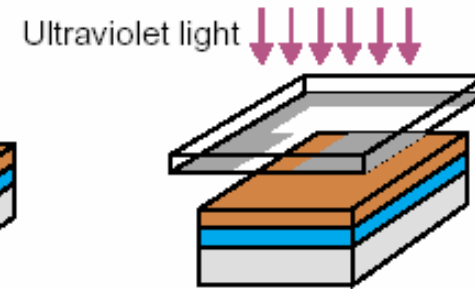
# Etch Process Steps



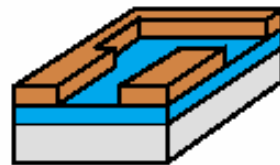
Silicon with  
silicon dioxide layer



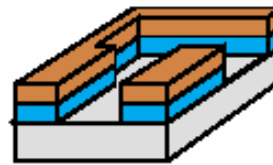
Coat with  
photoresist



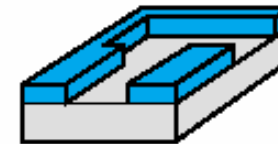
Expose photoresist  
with a patterned reticle



Develop  
photoresist



Etch silicon  
dioxide layer

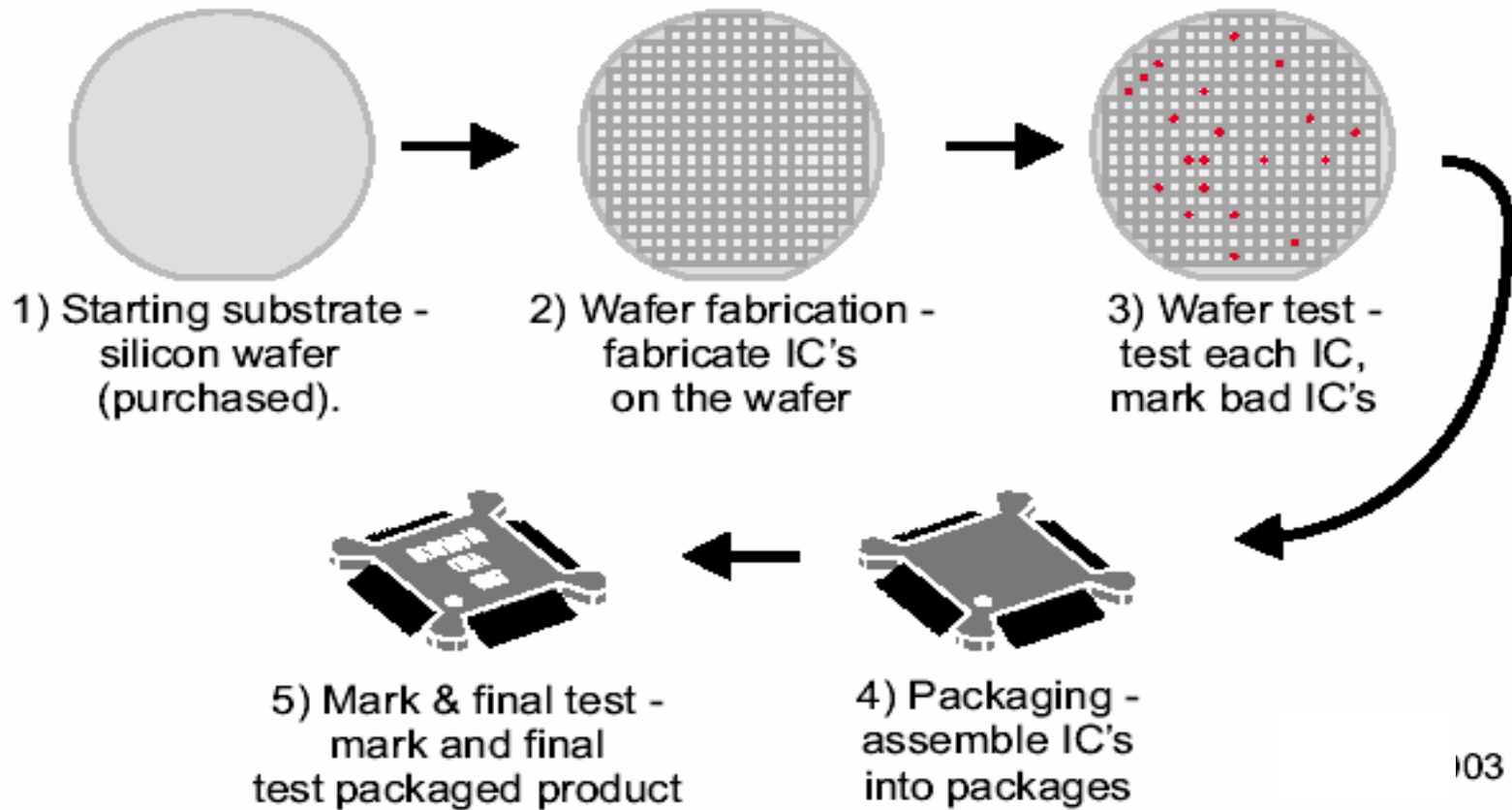


Strip  
photoresist

Photolithography and etch



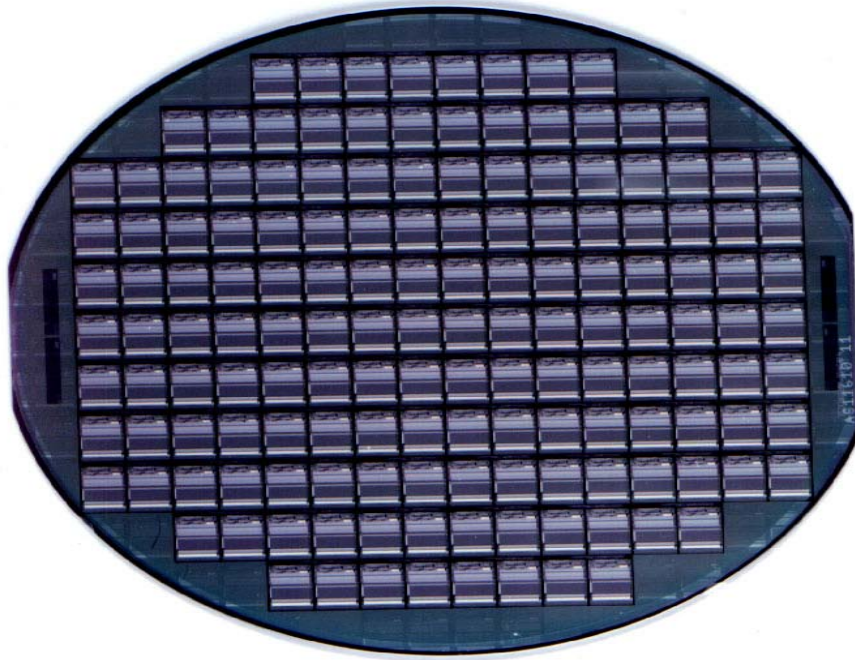
# IC Manufacturing Steps





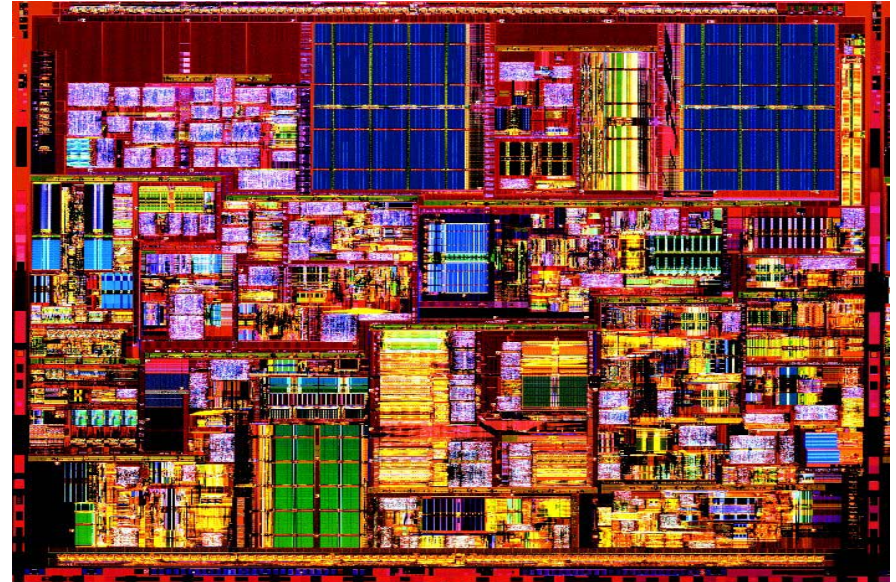
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# IC Manufacturing Steps



Processed Silicon Wafer

40 million transistors, 109 processed die per 12 inch wafer



Individual processed die (Pentium 4)





## **ICs are at the core of a modern digital system**

Many systems fit entirely on a single IC (SOC)

- A single (15mm) processor chip can hold  $10^8$  transistors
- A simple 32-bit CPU can be realised in an area of  $1\text{mm}^2$

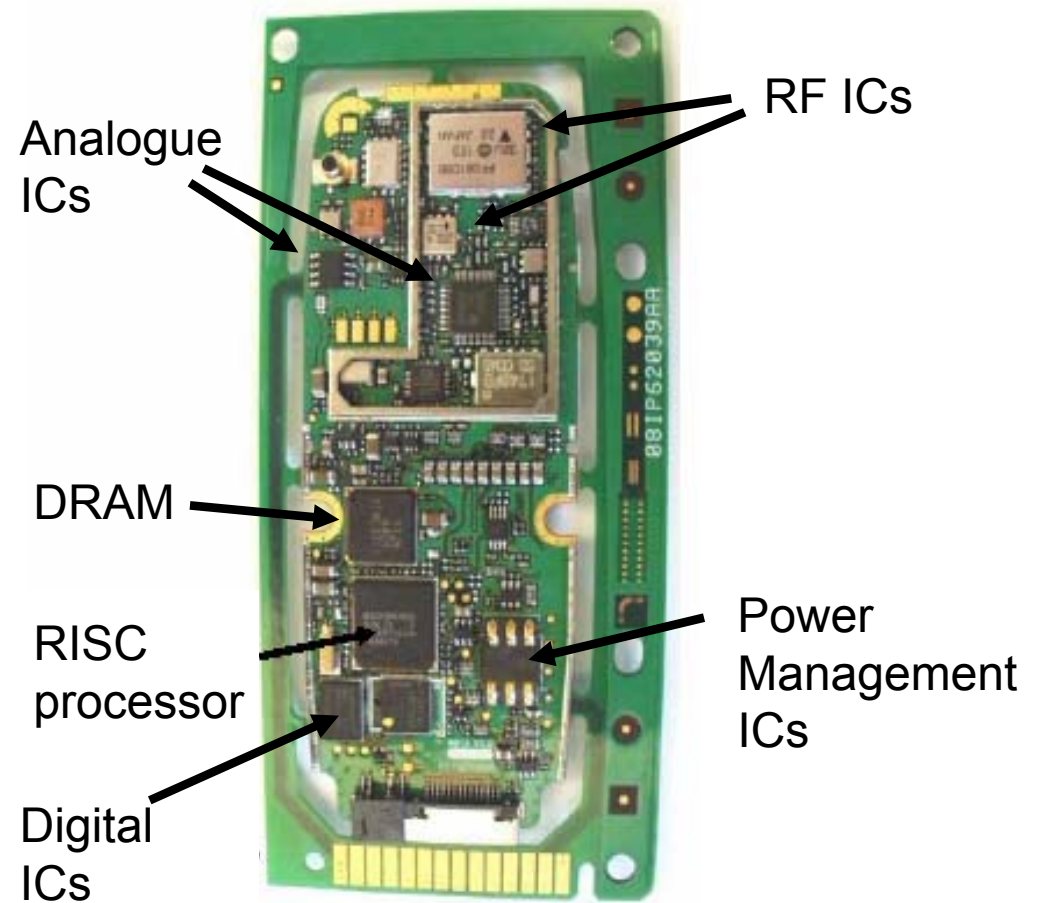


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## Modern Multi IC PCB (mobile phone)

Multifunction ICs enable:

- Small Form Factor
- High Performance
- Low Cost
- Low Power consumption
- High Reliability



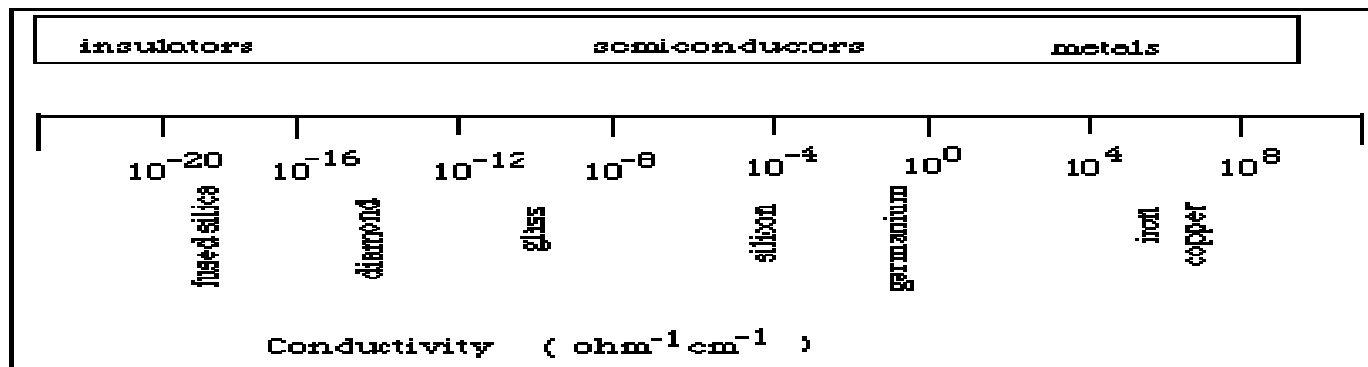


# Electrons in Solids

Metals are good conductors of electricity, of heat and are generally strong yet malleable materials: easy to form into various shapes eg: copper, aluminium, gold

Insulators are poor conductors of electricity and heat. They are often brittle and have high melting points. Examples include glasses & ceramics

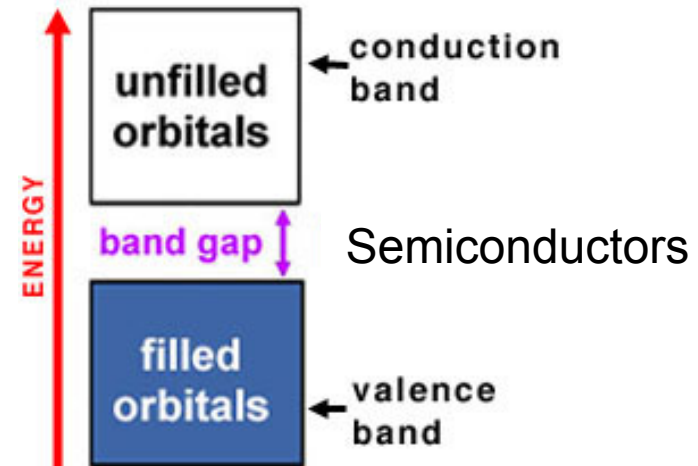
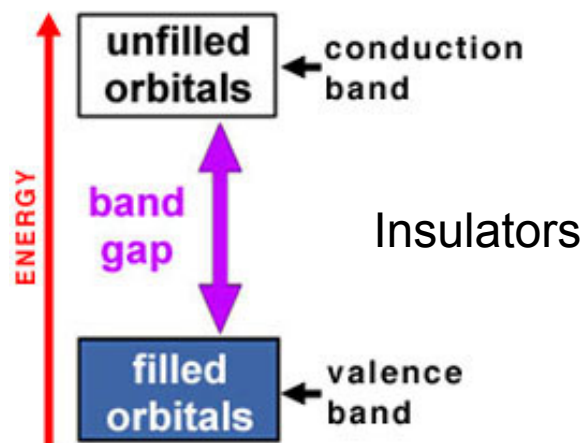
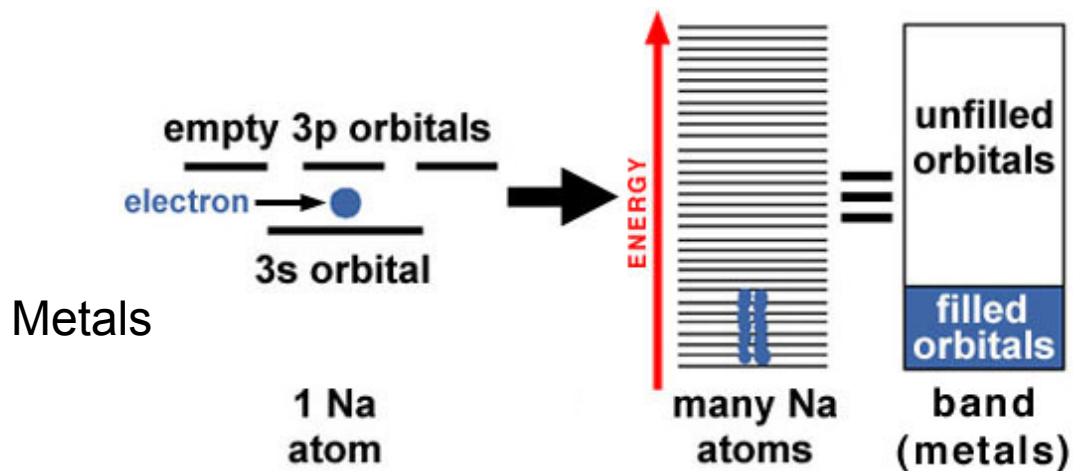
Semiconductors are somewhere in the middle. They can conduct, but their conduction is often controlled by impurities and effected by temperature. In many ways their physical properties can be viewed as 'semi-metallic' (poor metals).





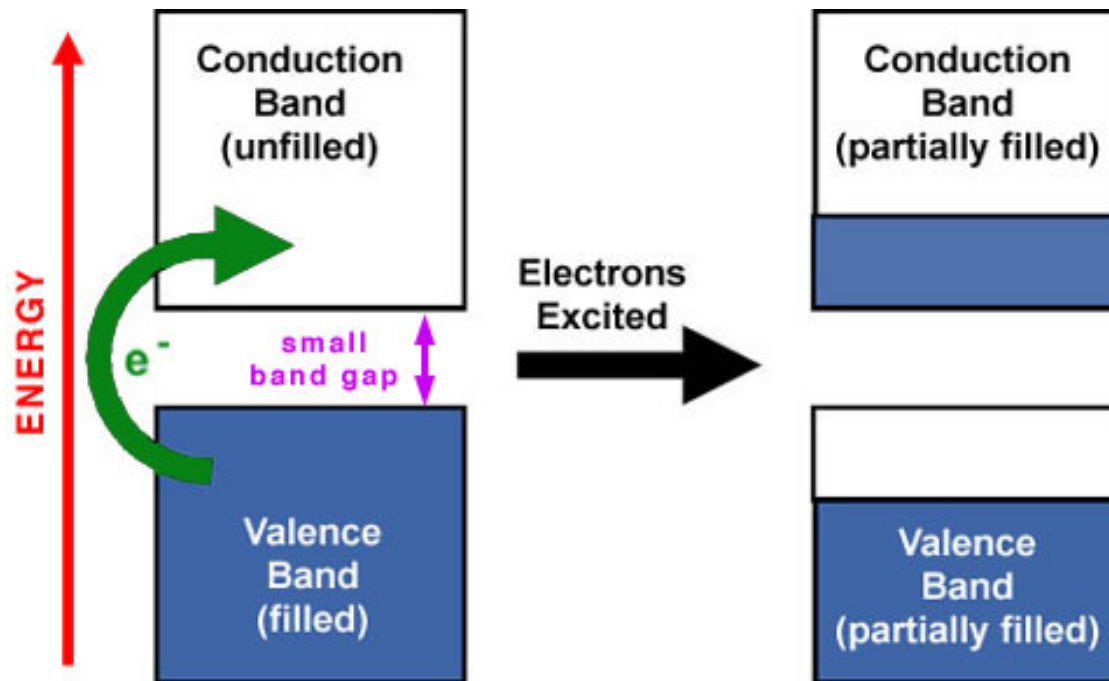


# Electrons in Solids





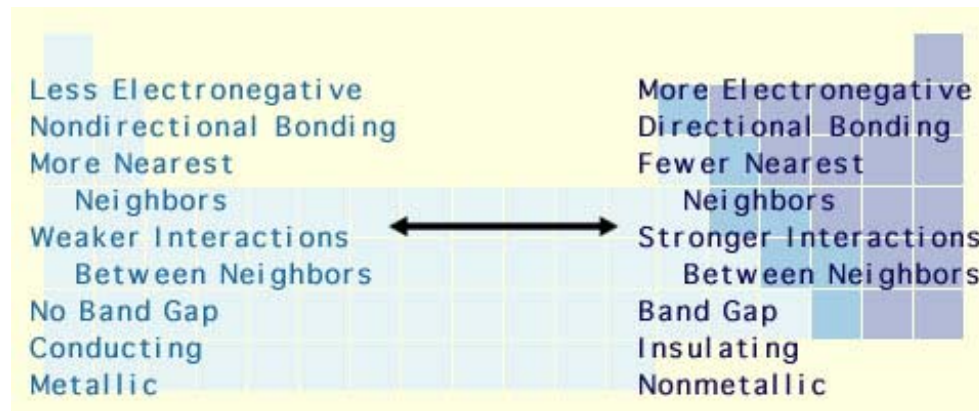
# Electrons in solids



Conduction needs access to unfilled energy levels. In a semiconductor, the band gap is small enough that electrons can gain sufficient energy to move from the valence band to new orbitals in the conduction band. This leaves both bands partially filled, so the material can conduct electricity



# Electrons in Solids



The periodic table shows trends in bonding and conduction

Carbon in diamond form is an insulator with extremely high resistivity. But in graphite form its interatomic spacing is larger, making the band gap small enough to support some electrical conduction.

Used as p-dopants to produce p-type semiconductors.

Tin can be considered to be a semiconductor with a very small band gap, but at room temperature it supports metallic conduction

B	C $2p^2$	N
Al	Si $3p^2$	P
Ga	Ge $4p^2$	As
In	Sn $5p^2$	Sb
Tl	Pb $6p^2$	Bi

Silicon and germanium are the intrinsic semiconductors employed in solid state electronics.

Used as n-dopants to produce n-type semiconductors.

The bands overlap in lead, making it a metallic conductor.

Semiconductors come from one part of the periodic table

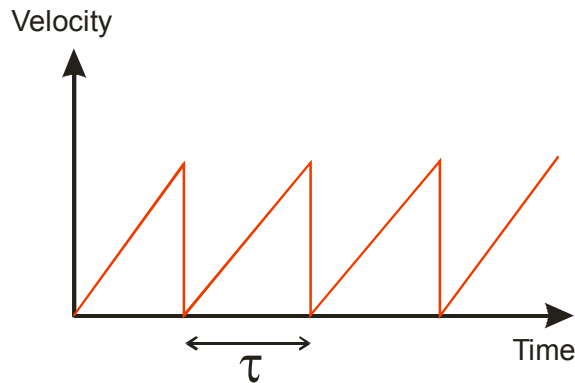




# Electrons in Solids

## Electron mobility in a semiconductor ( $\mu$ ) = $v/E$

An electron in an electric field undergoes acceleration and then collides every  $\tau$  seconds with phonons (lattice vibrations), defects, impurities etc.  $\tau \sim 10^{-14}$  sec



$$\text{Force } (F) = eE$$

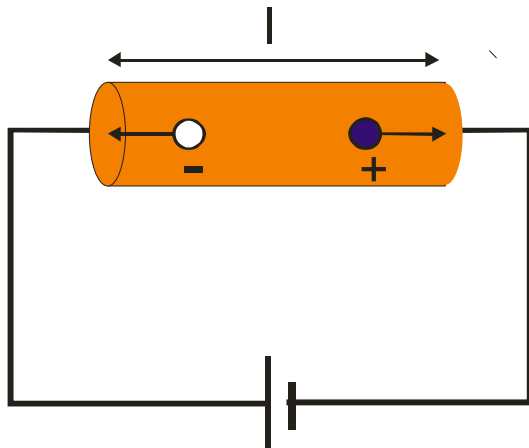
$$\text{velocity } (v) = \text{accel} \times \text{time. } V = eE/m * t$$

$$V_{Ave} = \frac{1}{2}(0 + eE\tau/m) = eE\tau/2m$$

therefore

$$\mu = \frac{e\tau}{2m} \quad \text{Actually} \rightarrow \mu = \frac{e\tau}{m} \quad \text{See Allison (p72-74)}$$

Intrinsic (pure) semiconductors have equal number of electrons and holes as when bonds are broken we have one electron and one hole created. Therefore;  $n = p = n_i$



$$\text{Field } (E) = V/l$$

$$\text{Time } (t) = l/v$$

$$\text{Since } v = \mu_e E, \text{ time } (t) = l / \mu_e E,$$

Similarly for holes

$$t = l / \mu_h E$$



# Electrons in Solids

$$\text{Current}(I) = \text{charge} / \text{time}$$

$$\text{Charge} = lA(n, p)e$$

$$I = \frac{lAne\mu_e E}{l} + \frac{lAnp\mu_p E}{l}$$

$$\text{Current density}(J) = \frac{I}{A}$$

$$J = eE(n\mu_e + p\mu_h) = \sigma E$$

$$\text{conductivity}(\sigma) = e(n\mu_e + p\mu_h)$$

## Energy Band Model for Electrons in Solids

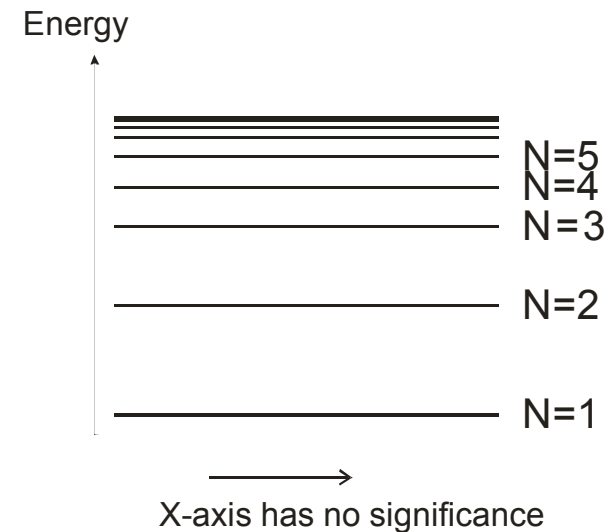
Consider hydrogen atom as it has the simplest atomic structure

In 1913 Neils Bohr postulated that to explain discrete sharp lines in the radiation spectrum, the atom must consist of:

- i) Fixed orbitals
- ii) Quantised electron energy levels

$$E = - \frac{13.6 \text{ eV}}{n^2}$$

Where n are the principal quantum numbers: 1, 2, 3 etc





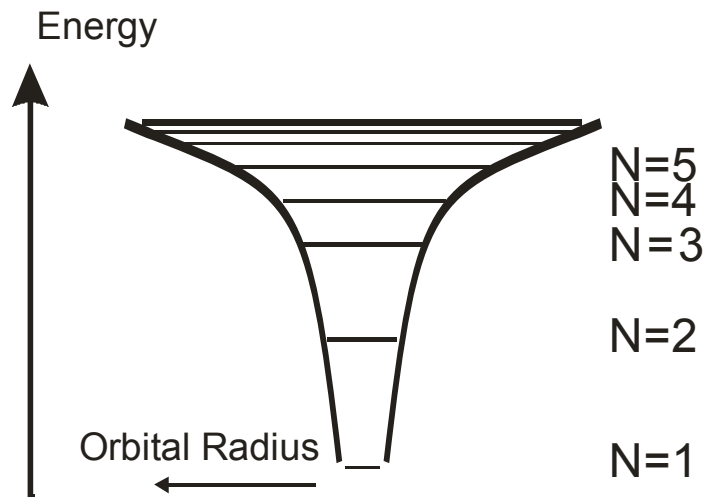
# Electrons in Solids

Transitions between two levels result in emission of radiation of Energy  $E (=h \cdot \nu)$ , where  $h$  is Planks constant and  $\nu$  is the frequency.

Actual picture of energy levels is more complicated as there are **3** other quantum numbers:  $l$  (gives allowed angular momentum),  $m$  (magnetic quantum number -angle of spin axis with respect to a B field and  $s$  (spin, which is either  $+1/2$  or  $-1/2$  for an electron)

Electrons in solids also obey 2 other rules:

- i) Usually occupy **lowest** available energy level
- ii) Obey **Pauli Exclusion Principle** -only 1 electron is allowed in any particular quantum state, i.e. only 1 electron with particular ( $n, l, m$  &  $s$  values)



( approx. 0.1nm)

**2 electrons cannot exist at the same place with the same energy**

Higher quantum numbers mean larger radius

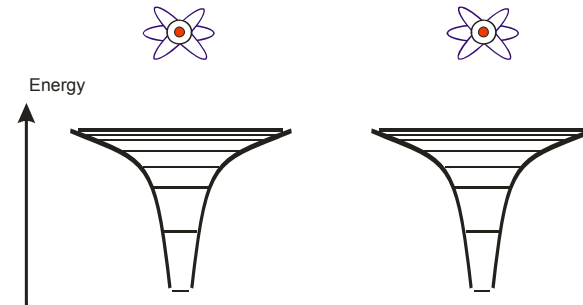
Potential binds electrons to the nucleus, but electrons in higher quantum number states are progressively more weakly bound



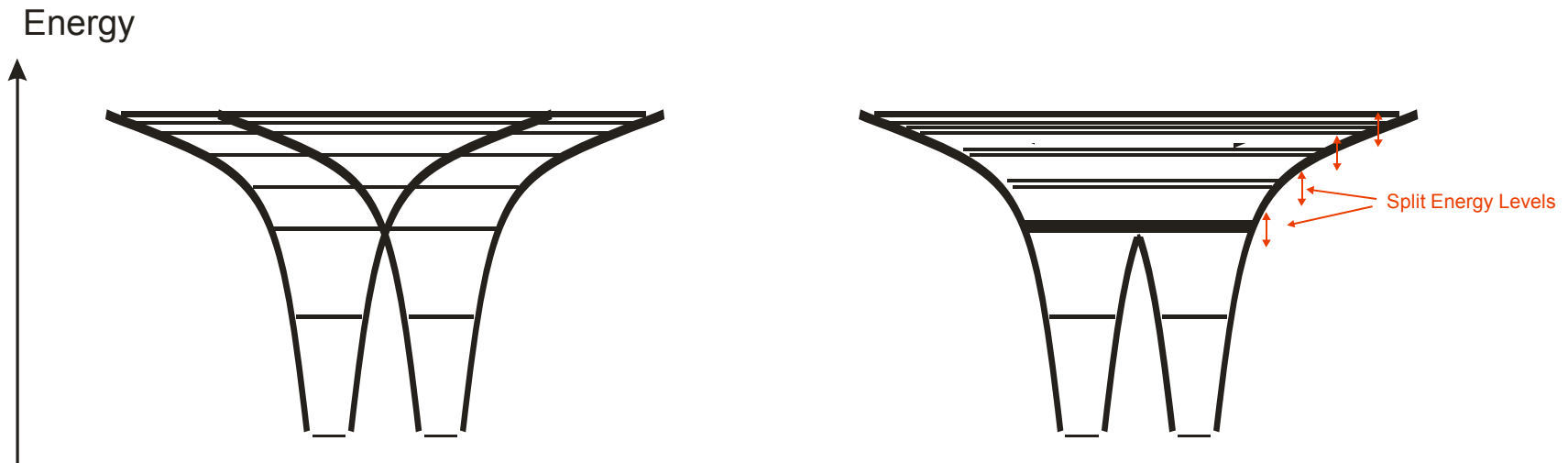


# Electrons in Solids

When atoms are far apart -as in a gas without any interaction, there is no overlap of orbitals, so electrons **can** have the same energy levels.

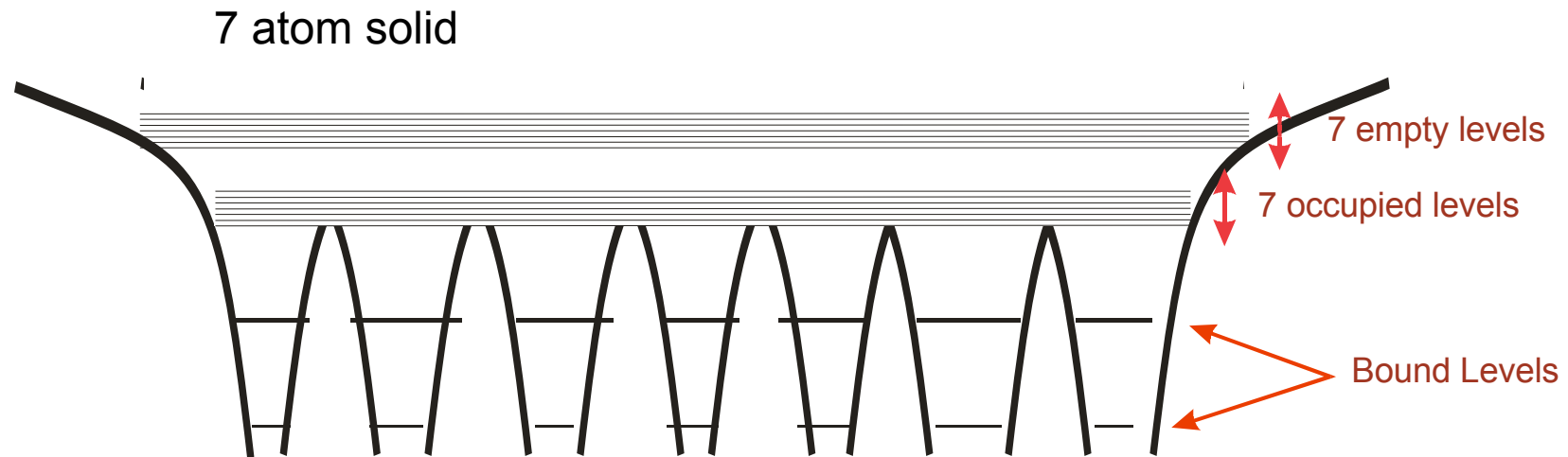


But as soon as atoms are brought together in a solid, outer electron orbitals overlap, so their corresponding energy levels change slightly ('split') to avoid contravening the Pauli exclusion principle. These electrons are not bound to the nucleus and become 'free'.

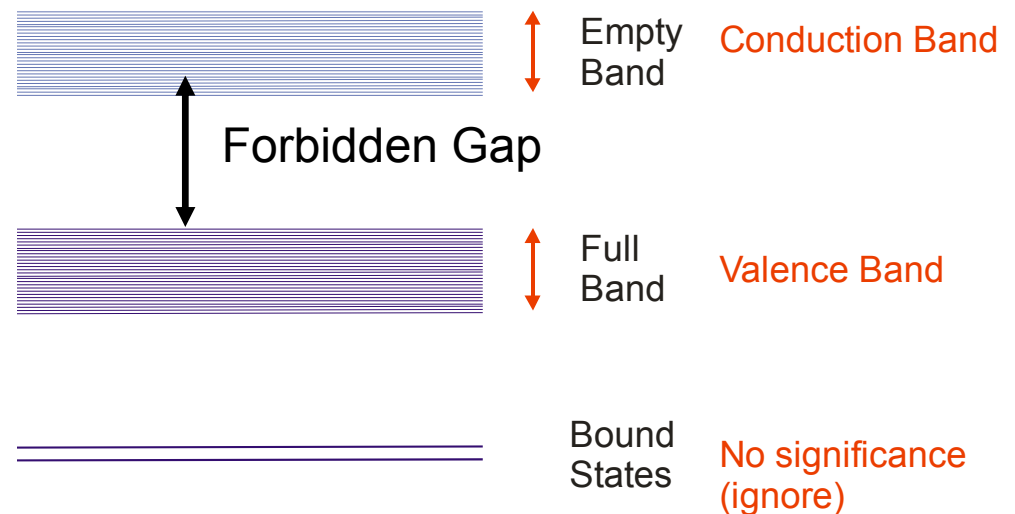




# Electrons in Solids



As 7 atoms interact to form the 'solid', outer overlapping electron levels each split 7 ways, so as to obey Pauli's exclusion principle. End up with a BAND of empty levels, a BAND of allowed levels.



Energy levels in a band are  $10^{-22}$  eV apart: quasi continuous



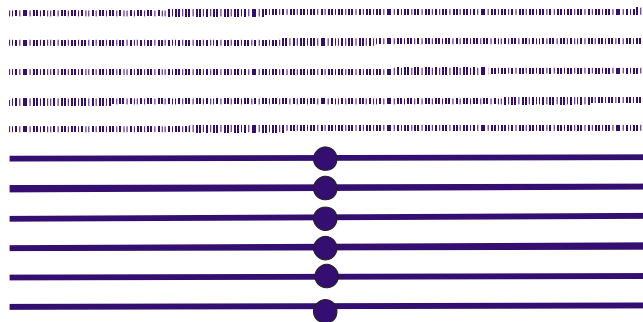
# Electrons in Solids

## Conduction in a band

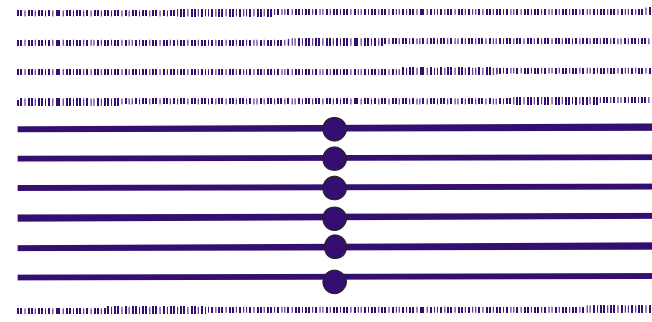
- i) There must be free electrons, i.e. no conduction in an empty C.B
- ii) There needs to be a band of states. If carriers gain energy there must be a higher empty level available, otherwise Pauli's exclusion principle violated.

Consequences:

- (a) an empty C.B. cannot support conduction
  - (b) a completely full band cant support conduction either
- Band must be partially filled!



$E\text{-field} = 0$



$E\text{-field} > 0$

If electric field is applied, electrons gain energy and can move into higher energy empty states



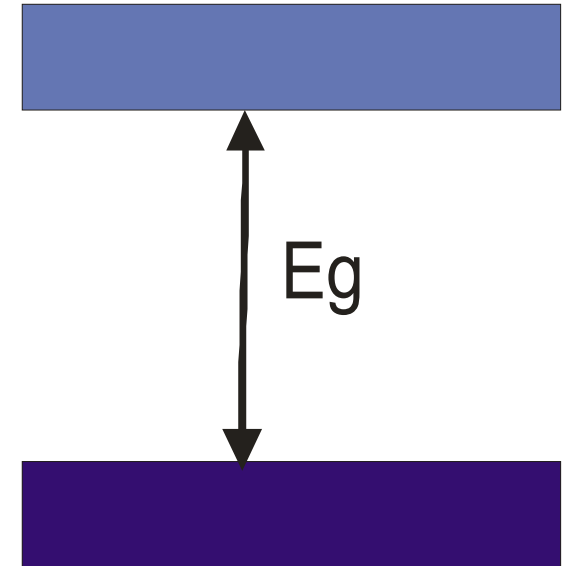
# Electrons in Solids

## Insulators

Have a filled VB and a conduction band separated by a large energy gap (typically 5-20eV)

Only if electrons can acquire an energy  $E_g$  can they move into the CB.

Thermal energy =  $kT \sim 0.025\text{eV}$  at 300K so probability is small  
No (or very poor) conduction.



## Metals

Their electronic structure has a distinguishing feature.

Outer empty band overlaps the inner full band  
As a result, you have a composite band and an ideal situation for conduction.

There is no energy gap. Electrons are free to move in an electric field to higher energy levels



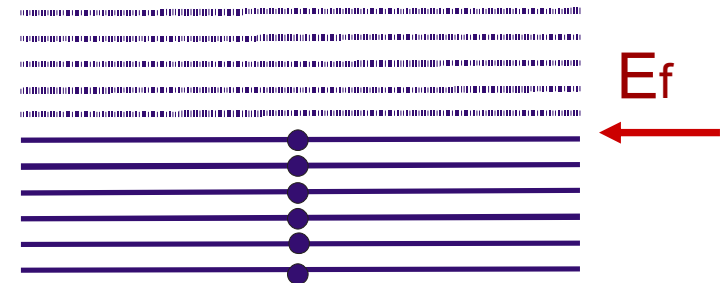




# Electrons in Solids

We can define a fill level, known as the **FERMI LEVEL**

At OK, levels above the Fermi level are empty,  
levels below are full

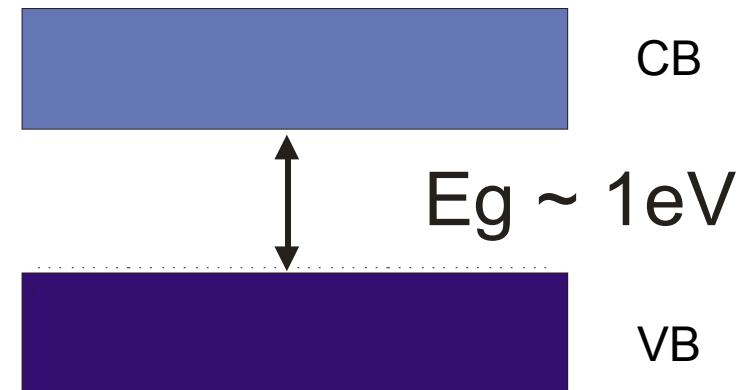


In a **Semiconductor** the energy gap ( $E_g$ )  $\sim 1\text{eV}$

At low temperature electrons cannot reach the  
CB: INSULATOR

Thermal energy =  $kT \sim 0.025\text{eV}$  at 300K

So  $E_g > kT$ , but there is a now finite possibility of  
some electrons in the CB





# Electrons in Solids

Energy gap is sufficiently small that electrons can be promoted to the conduction band.

Each electron promoted to the CB leaves behind one vacant level (hole) in the VB. Conduction in semiconductors is due to:

- (i) electrons moving in the part filled CB
- (ii) electrons in the VB moving into levels vacated by electrons elevated into the CB. Easier to view as the movement of holes

In an intrinsic semiconductor:

$$\begin{aligned}\text{number of electrons} &= n \text{ (m-3)} = \text{number of holes} = p \text{ (m-3)} \\ &= n_i \quad (\text{intrinsic concentration})\end{aligned}$$

