

Tutorial Sheet – No 7

(Balanced Three-phase Systems)

- 1 A $440V_{rms}$ three-phase supply is connected to a balanced star connected load. The load phase current is $30A_{rms}$ and lags 30° behind the phase voltage. Find the phase voltage and the total power to the load.
($254.0V_{rms}$; $19.8kW$)
- 2 A $415V_{rms}$, 3-phase, 3 wire supply is connected to a balanced star-connected load which draws a line current of $20A_{rms}$ lagging by 30° . Calculate the total power dissipated in the load and the voltage across each leg of the star.
($12.45kW$; $239.6V_{rms}$)
- 3 If the load in question 2 is reconnected in delta, what are the new line current, total power and voltage across each leg?
($60A_{rms}$; $37.35kW$; $415V_{rms}$)
- 4 Each phase of a delta connected load consists of a 50Ω resistor in series with a $50\mu F$ capacitor. Calculate the line and phase currents and the total load power and volt-amps, when connected to a $440V_{rms}$, 50Hz, three-phase supply.
($9.41A_{rms}$; $5.43A_{rms}$; $4.43kW$; $7.17kVA$)
- 5 A three-phase, star-connected generator provides a $2.2kV_{rms}$ supply for a delta connected induction motor. If the motor is 93% efficient and is operating at 0.85 power factor lagging, calculate the phase currents of the generator and the motor when the motor is delivering 1.49 MW of mechanical power.
($494A_{rms}$; $285A_{rms}$)
- 6 A balanced, three-phase, star-connected motor has a terminal impedance of $(8+j6)\Omega$ per phase and is connected to a $415V_{rms}$, 50Hz supply. Calculate its line current, phase power factor and total output power if it is 90% efficient. Power-factor improvement is achieved by placing three $200\mu F$ capacitors in star across the motor terminals. Calculate the new line current from the supply.
($24A_{rms}$; 0.8 lag; $12.42kW$; $19.2A_{rms}$)
- 7 Three equal impedances of $(7.07 + j7.07)\Omega$ are connected in star across a $220V_{rms}$ supply. Determine the magnitude and phase angle of each of the phase voltages and line currents, taking the voltage between lines A and B as reference and the phase sequence as ABC. Two wattmeters are connected to measure the total power into the load. If one wattmeter is connected with its current coil in line A and its voltage coil between lines A and B, calculate the reading on this meter. Where would you place the second meter and what would be its reading?
($V_{AN} = 127 \angle -30^\circ V_{rms}$; $V_{BN} = 127 \angle -150^\circ V_{rms}$; $V_{CN} = 127 \angle -270^\circ V_{rms}$;
 $I_A = 12.7 \angle -75^\circ A_{rms}$; $I_B = 12.7 \angle -195^\circ A_{rms}$; $I_C = 12.7 \angle -315^\circ A_{rms}$;
 $W_1 = 723W$; In line C and between lines C and B, $W_2 = 2698W$)