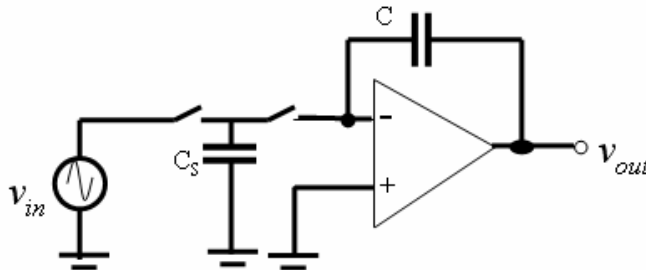
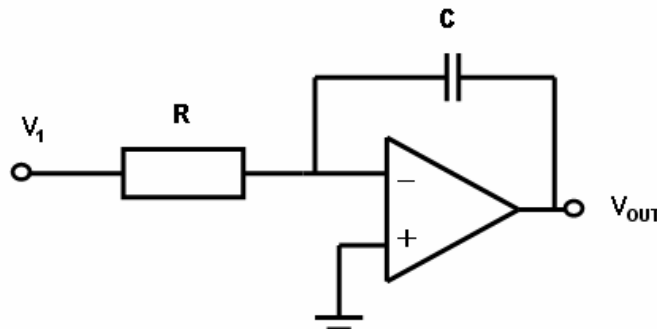


## EEE331 Part II, Solution to tutorial question 2

1. The following switched capacitor structure simulates an active RC integrator. Let  $C=5\text{pF}$ , the equivalent resistance  $1.5\text{ M}\Omega$  can be realised by a switched capacitor  $C_s$ . The value of  $C_s$  is determined by  $R=1/(f_{\text{CLOCK}} C_s)$ , based on the property of resistance ( $R=V/I$ , where  $I$  is  $dQ/dt$ ). Therefore  $C_s=1/[(512,000)(1,500,000)]=1.3\text{pF}$ .



2. The give switched capacitor structure simulates an active RC integrator. Let  $C=5\text{pF}$ , the equivalent resistance of switched capacitor can be determined by  $R=1/(f_{\text{CLOCK}} C_s)$ , based on the property of resistance ( $R=V/I$ , where  $I$  is  $dQ/dt$ ). Therefore  $R=1/[(512,000)(0.5\text{ E-}12)]=3.9\text{ M}\Omega$ .



3. Based on Kirchoff's Current Law at each node,

$$i_{\text{in}} = i_{L2} + i_{C1}$$

$$i_{L2} = i_{C3} + i_{L4}$$

$$i_{L4} = i_{C5} + i_{\text{out}}$$

$$i_{\text{out}} = V_{\text{out}} / R$$

$$i_{\text{in}} = (V_{\text{in}} - V_1) / R$$

and

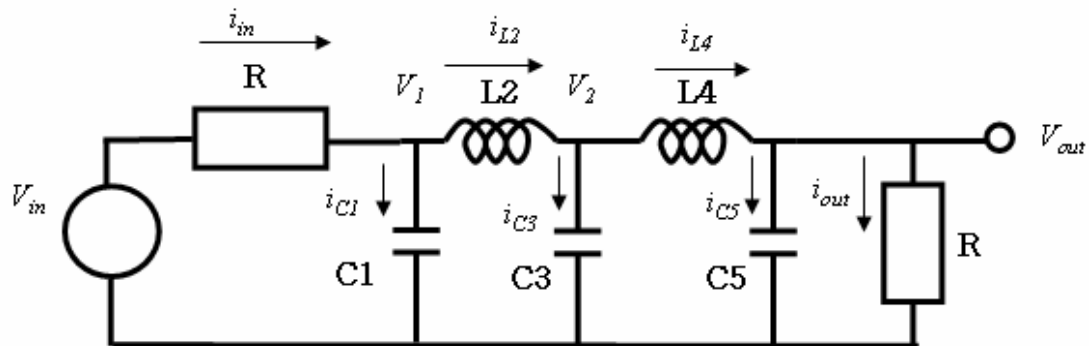
$$i_{L2} = (1/sL2)(V_1 - V_2)$$

$$i_{L4} = (1/sL4)(V_2 - V_{\text{out}})$$

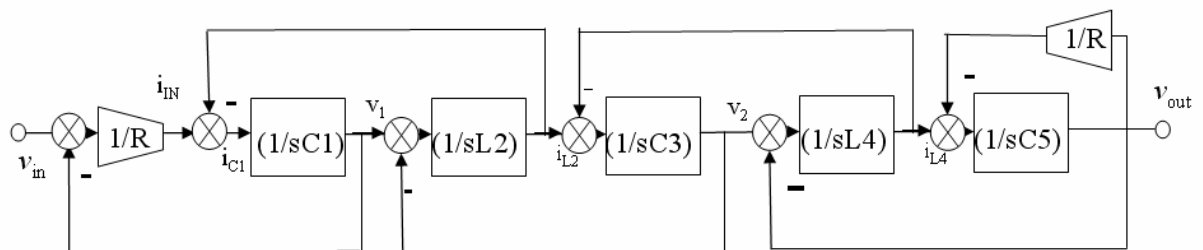
$$V_1 = (1/sC1)(i_{\text{in}} - i_{L2})$$

$$V_2 = (1/sC3)(i_{L2} - i_{L4})$$

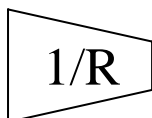
$$V_{\text{out}} = (1/sC5)(i_{L4} - i_{\text{out}})$$



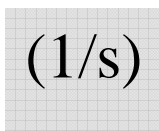
The following signal flow graph represents the equivalent filter characteristics, which is the Leap-Frog structure, based on integrators and adder (the difference calculation).



Summation symbol



Multiplier representing trans-conductance



Integrator

