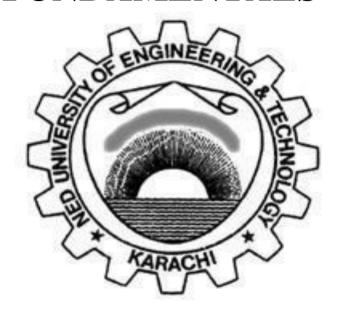
# Practical Workbook

# CT-175 PROGRAMMING FUNDAMENTALS



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# EXERCISE Q# 01

Write a program which will find the factorial of a given number. Exit the program if the input number is negative. Test case: Input number = 5,Factorial is=5\*4\*3\*2\*1

```
#include<stdio.h>
int main(){
    int a, fact=1;
    printf("Enter a number:");
    scanf("%d", &a);
    if (a<0){
        printf("Invalid. The factorial of a negative number is not possible");
        return 1;
    }
    printf("Factorial is=");
    for(int i=a;i>=1;i--){
        fact*=i;
        printf("%d",i);
        if(i>1){
        printf("*");
        }
    }
    printf("= %d\n", fact);
}
```

## **OUTPUT:**

```
Enter a number:5
Factorial is=5*4*3*2*1= 120
```

## EXERCISE Q# 02

Write a program which will generate the Fibonacci series up to 1000. Also find the sum of the generated Fibonacci numbers divisible by 3, 5 and 7 only.

**Fibonacci series is:**1 1 2 3 5 8 13 25......

**Note:** Do this task by using *for loop* and *while loop*. Also identify which one is more efficient?

#### WHILE-LOOP:

```
#include <stdio.h>
int main() {
    int a = 1, b = 1, sum = 0;
    int thirdterm = a + b;
    printf("The Fibonacci series up to 1000 is:\n%d\n%d\n", a, b);
    while (thirdterm <= 1000) {
        printf("%d\n", thirdterm);
        if (thirdterm % 3 == 0 || thirdterm % 5 == 0 || thirdterm % 7 == 0) {
            sum += thirdterm;
        }
        a = b;
        b = thirdterm;
        thirdterm = a + b;
    }
    printf("\nThe sum of Fibonacci numbers divisible by 3,5,and 7 is: %d\n",
sum);
    return 0;
}
FOR LOOP:
#include <stdio.h>
int main() {
    int a=1,b=1,sum=0;
    int thirdterm = a+b;
    printf("The Fibonacci series up to 1000 is:\n%d\n%d\n",a,b);
    for (; thirdterm <= 1000; a=b, b= thirdterm, thirdterm =a+b) {</pre>
        printf("%d\n",thirdterm);
        if (thirdterm%3==0 || thirdterm%5==0 || thirdterm%7==0) {
            sum += thirdterm;
        }
    }
```

```
printf("\nThe sum of Fibonacci numbers divisible by 3, 5,and 7 is: %d\n",
sum);
    return 0;
}
```

#### **CONCLUSION:**

The while loop is more efficient because it continues until Fibonacci values exceed 1000, making it ideal for condition-based checks. In contrast, a for loop works best with an initial value and a specific number of iterations. Since multiple variables need updates each time, the while loop is the better option here.

### **OUTPUT:**

```
The Fibonacci series up to 1000 is:
1
2
3
5
8
13
21
34
55
89
144
233
377
610
987
The sum of Fibonacci numbers divisible by 3,5, and 7 is: 1825
```

# EXERCISE Q# 03

Write a program which will input a 5-digit number. If the sum of digits is even, find whether the input number is a prime or not. If the sum of digits is odd find, whether the number is palindrome or not? **Example of prime number:** A number which is only divisible by itself and 1 i.e., 7, 11, and 13. **Example of a Palindrome:** A number whose reverse order is the same as the original number i.e., 11211, 44344.

```
#include<stdio.h>
int main(){
    int num, sum=0;
    printf("Enter a five digit number");
    scanf("%d", &num);
    int originalnum;
    originalnum=num;
int a, reverse=0;
while(num>0){
  a=num%10;
    sum+=a;
    reverse=reverse*10+a;
    num=num/10;
}
if (sum % 2 == 0) {
        if (originalnum > 1) //because 1 and 0 are not prime
            int i;
            for (i = 2; i <= originalnum / 2; i++) {</pre>
                if (originalnum % i == 0) {
                    printf("The number is not prime.\n");
                     break;
                }
            }
            if (i > originalnum / 2) {
                printf("The number is prime.\n");
            }
        } else {
            printf("The number is not prime.\n");
    } else {
        if (originalnum == reverse) {
```

```
printf("The number is a palindrome.\n");
} else {
    printf("The number is not a palindrome.\n");
}

return 0;
}
```

## **OUTPUT:**

Enter a five digit number12321
The number is a palindrome.

E:\Hamna Uni Files\Semester 1\PF\PI
Enter a five digit number12345
The number is not a palindrome.

E:\Hamna Uni Files\Semester 1\PF\PI
Enter a five digit number10007
The number is prime.

E:\Hamna Uni Files\Semester 1\PF\PI
Enter a five digit number10010
The number is not prime.

# EXERCISE Q# 04

(Calculating the Value of  $\pi$ ) Calculate the value of  $\pi$  from the infinite series. Print a table that shows the value of  $\pi$  approximated by one term of this series, by two terms, by three terms, and so on. How many terms of this series do you have to use before you first get 3.14? 3.141? 3.1415? 3.14159?

```
#include <stdio.h>
int main() {
double pi = 0.0;
int sign = 1;
int terms = 0;
printf("Terms\t\t\pi Approximation\n");
printf("-----\n");
for (int i = 0; ; i++) {
pi += sign * (4.0 / (2 * i + 1));
sign *=-1;
terms++;
printf("%d\t\t%f\n", terms, pi);
if (pi > 3.14 - 0.001 \& pi < 3.14 + 0.001) //0.001 to capture values slightly
below or above 3.14 for pi approximation
printf("\nReached 3.14 after %d terms.\n", terms);
if (pi > 3.141 - 0.0001 \&\& pi < 3.141 + 0.0001) //0.0001 to capture values
slightly below or above 3.141 for pi approximation
printf("Reached 3.141 after %d terms.\n", terms);
if (pi > 3.1415 - 0.00001 \& pi < 3.1415 + 0.00001) //0.00001 to capture values
slightly below or above 3.1415 for pi approximation
printf("Reached 3.1415 after %d terms.\n", terms);
if (pi > 3.14159 - 0.000001 \& pi < 3.14159 + 0.000001) //0.000001 to capture
values slightly below or above 3.14159 for pi approximation
printf("Reached 3.14159 after %d terms.\n", terms);
break;
}
      }
  return 0;
```

## **OUTPUT:**

Reached 3.14 after 1454 terms. Reached 3.141 after 1454 terms.

1455 3.14228 1456 3.14091

Reached 3.14 after 1456 terms. Reached 3.141 after 1456 terms.

1457 3.14228 1458 3.14091

Reached 3.1415 after 10138 terms.

10139 3.14169 10140 3.14149

Reached 3.1415 after 10140 terms.

10141 3.14169 10142 3.14149

Reached 3.1415 after 10142 terms.

10143 3.14169 10144 3.14149

273703 3.14160 273704 3.14159

Reached 3.14159 after 273704 terms.