

INTRO TO CS

Problem 1.1:

In order to find the minimal spanning tree, we must reorder the edges so that their costs are ordered increasingly:

Edge:	(a,f)	(b,c)	(d,e)	(d,f)	(e,f)	(c,f)	(a,e)	(b,f)	(c,d)	(a,b)
cost:	1	2	3	4	5	5	5	6	6	7

now forming the graph from the edge with the lowest cost first and eliminating the edges that form cycles.

$E' = \{\}$ start, $C = 0$

$A = \{\{a\}, \{b\}, \{c\}, \{d\}, \{e\}, \{f\}\}$

$E' = \{\{a,f\}\}$ step 1, $C = 1$

$A = \{\{a,f\}, \{b\}, \{c\}, \{d\}, \{e\}\}$

$E' = \{\{a,f\}, \{b,c\}\}$ step 2, $C = 3$

$A = \{\{a,f\}, \{b,c\}, \{d\}, \{e\}\}$

$E' = \{\{a,f\}, \{b,c\}, \{d,e\}\}$ step 3, $C = 6$

$A = \{\{a,f\}, \{b,c\}, \{d,e\}\}$

$E' = \{\{a,f\}, \{b,c\}, \{d,e\}, \{d,f\}\}$ step 4, $C = 10$

$A = \{\{a,f,d,e\}, \{b,c\}\}$

$E' = \{\{a,f\}, \{b,c\}, \{d,e\}, \{d,f\}, \{c,f\}\}$ step 5, $C = 15$

$A = \{\{a,f,d,e,b,c\}\}$

Problem 1.2:

a)

The naive string search algorithm:

comparing the characters one by one

We are looking for F F L F R in F F L F L F R F R F F L F R F

F	F	L	F	L	F	R	F	R	F	F	L	F	R	F
F	F	L	F	R										
	F	F	l	f	r									
		F	f	l	f	r								
			F	F	l	f	r							
				F	f	l	f	r						
					F	F	l	f	r					
						F	f	l	f	r				
							F	F	l	f	r			
								F	f	l	f	r		
									F	F	L	F	T	

-Alignments used : 10

-comparisons done : 22

b)

We are looking for F F L F R

F	F	L	F	L	F	R	F	R	F	F	L	F	R	F
f	f	l	f	R										
		F	F	L	F	R								
				f	f	L	F	R						
									F	F	L	F	R	

-Alignments used : 4

-comparisons done : 14

c)

The lookup table:

	F	F	L	F	R
	0	1	2	3	4
L	0	1	-	3	4
R	0	1	2	3	-
F	-	-	2	-	4
P	0	1	2	3	4

Problem 1.3:

a) operations such as + , - or = will return an error because the program won't know from where to start reading it.

b) The dollar operator is right associative and has a level of precedence of 0.
the infix notation:

$$(^) 2 \$ (*) 5 \$ (+) 2 3 = (^) 2 \$ (*) 5 \$ 5 = (^) 2 \$ 25 = 2^{(25)}$$