211 composition 35 65/2007 35 2417 Prime no state 22 1 32 = 8x6 m A robusing on monowikat 327-1815 Every Composite number hon (Alternatively: You can Prove the Next Theorem: (every integer is either prime or Product of primes) - which automatically proves the above theorem. But you will get penalty in marks!!!) almin Recobied tes no delice is not find of the sales in the or within an composite the sking water Agad Arrison by 20 Correction Aga 2017 20 777 n 27 7010 7016 BIA16125 727t, 30. Duppose, there exists a number have any prime divisor. Let n,

Informal: Divisors usually appear in pairs ... Suppose: divisors of  $n = \{1, ..., a, ..., b, ..., n\}$  where n = a\*bNow, either a or b are Prime (proved) OR if not (a and b composite), they will gradually break down to smaller numbers (a=p\*q, b=r\*s where p,q,r,s smaller) until we hit any prime, or go down upto if has a divisor me greater than Now, m is also a compasite number and in not prime according to induction. But, m is smalley than n which contradicts that n us such smallest number. So, no number can be found of such type (Proved) Its day possitive integer >1 vis either Alternatively (but with marks penalty) You can just State the Fundamental Theorem of Arithmetic and prove => Every integer has a unique prime factorization !!! n=P,P2...Pn=77-Px=2x2x3 Basis: Lowest integer greater than 1 is 2. 2 is prime et, this statement is trong for

all numbers between 2 = h < K. we show for the that this statement is torne for n = k +1. So n has a divisor 'a' such that 1n. Since divisors we are done. always appear in pairs, Let: n = k+1 = a \* b, for some integers a,b if n is not prime. Then n is a to composite number det k+1= a.b/ fon some integers a, b. But 2 5 a < K+1 and 25 b < K+1 By induction, a, b one either prime on product of primes 30, K+1 = a.b is obso a product
of primes. (Proved) in stady no dynasti tadimen energies and tous source Anne dans de de