

Course Title:	Signals and Systems I
Course Number:	ELE-532
Semester/Year (e.g.F2016)	W2025

Instructor:	Dr.Beheshti
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<i>Assignment/Lab Number:</i>	1
<i>Assignment/Lab Title:</i>	Working with Matlab, Visualization of Signals

<i>Submission Date:</i>	2025-09-28
<i>Due Date:</i>	2025-09-28

Student LAST Name	Student FIRST Name	Student Number	Section	Signature*
Malik	Hamza	501112545	12	H.M
Aneesh	Kattoji	501233584	12	A.K

Figures and Discussion

Part A: Anonymous functions and plotting continuous functions

Problem A.1:

Figure 1.46

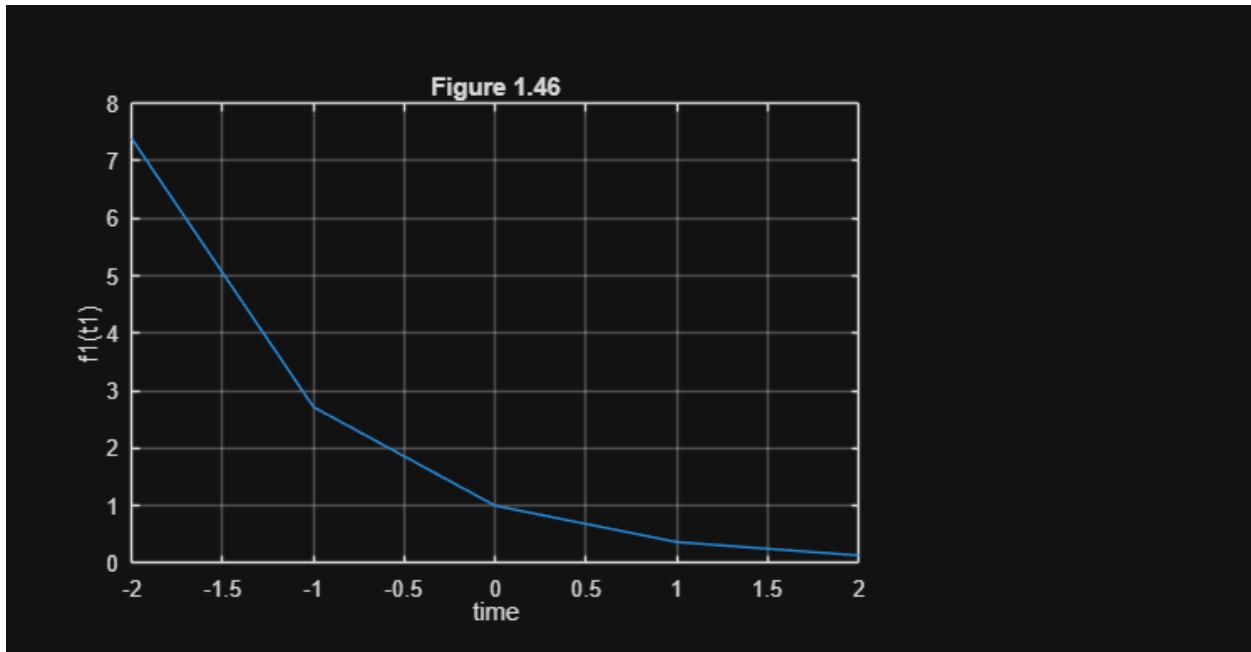
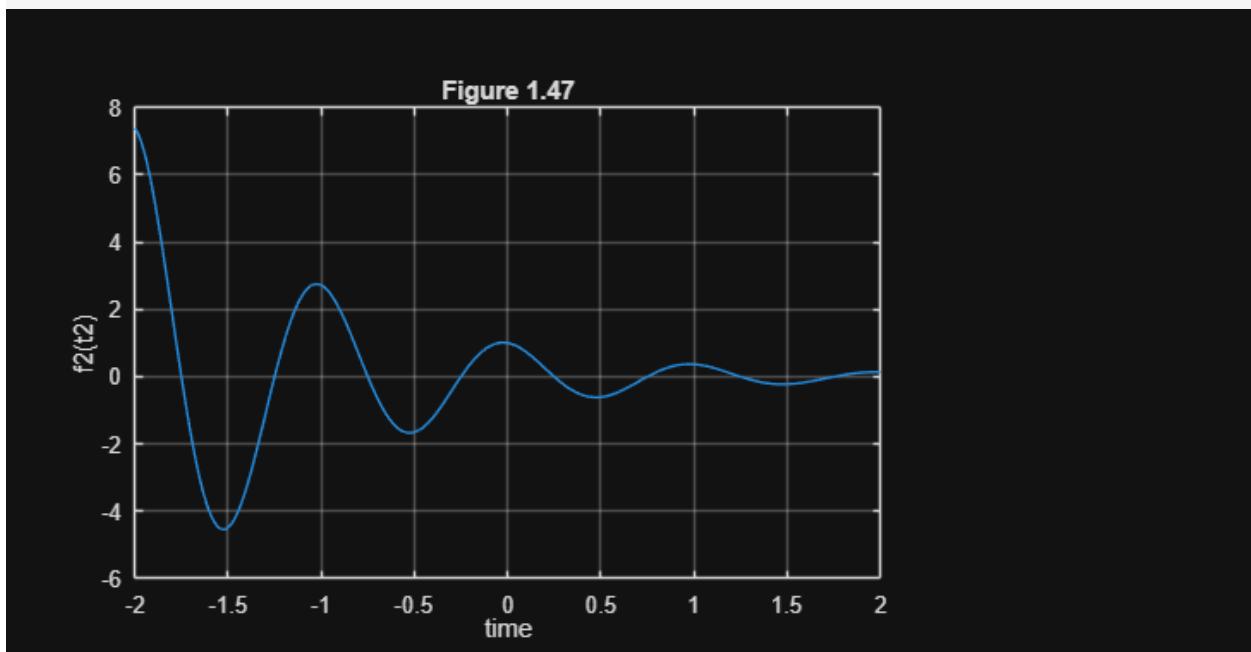
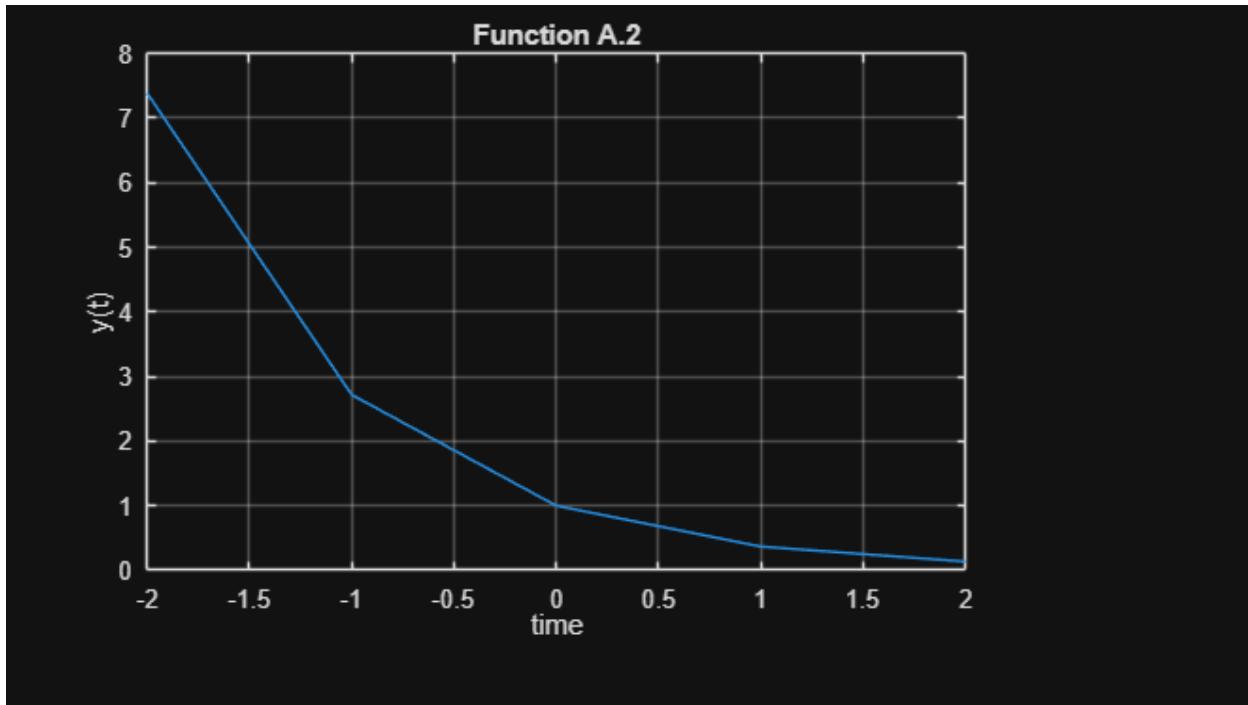


Figure 1.47



Problem A.2:

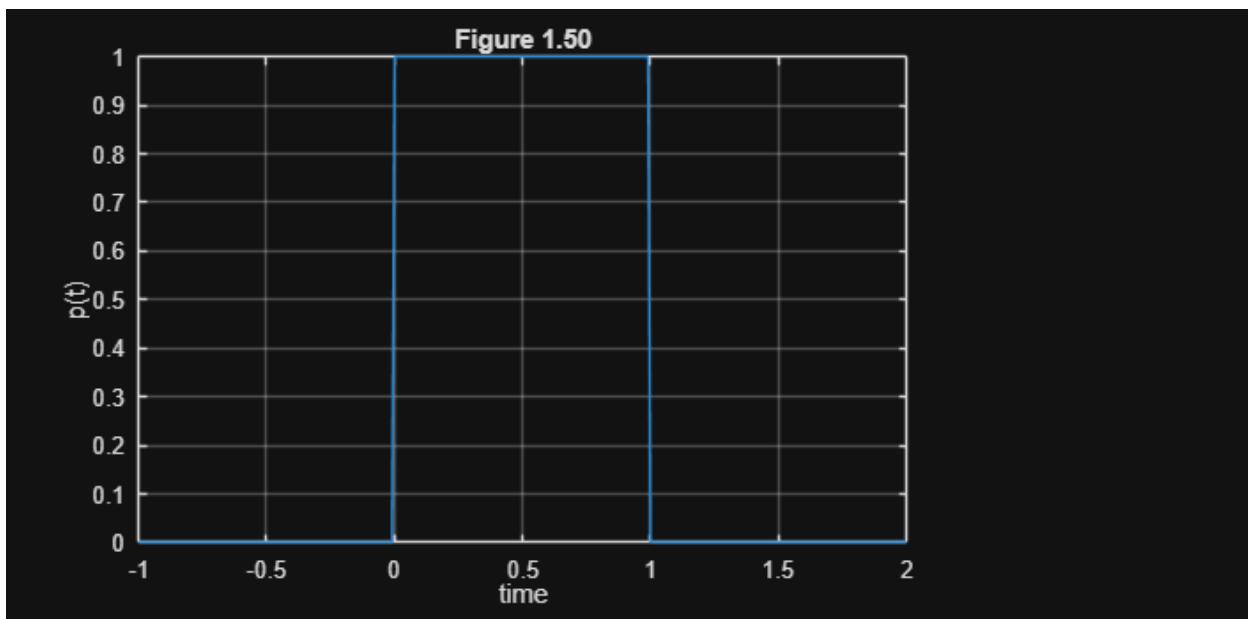


Problem A.3:

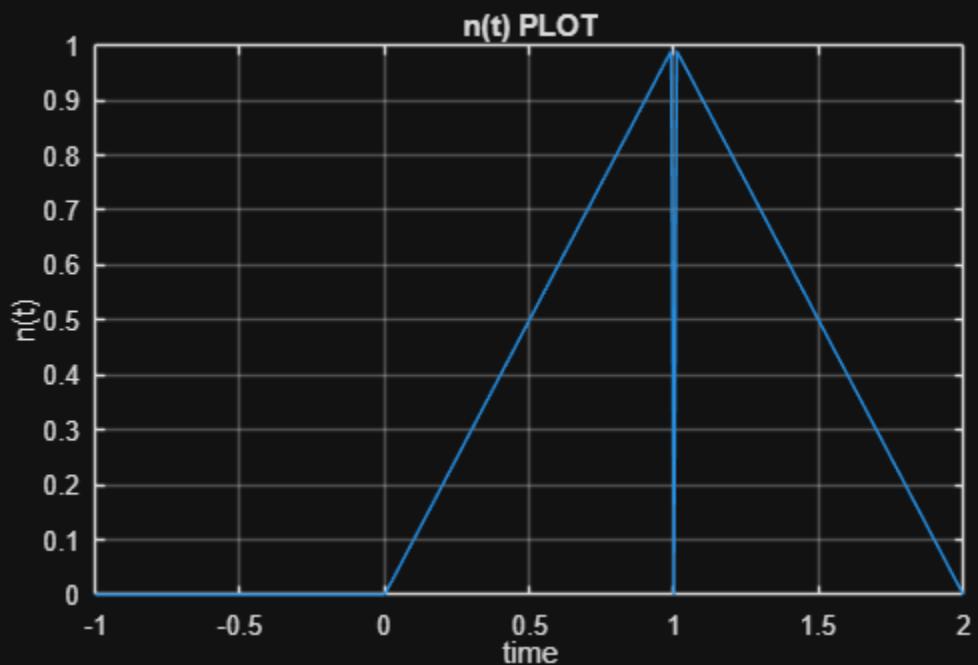
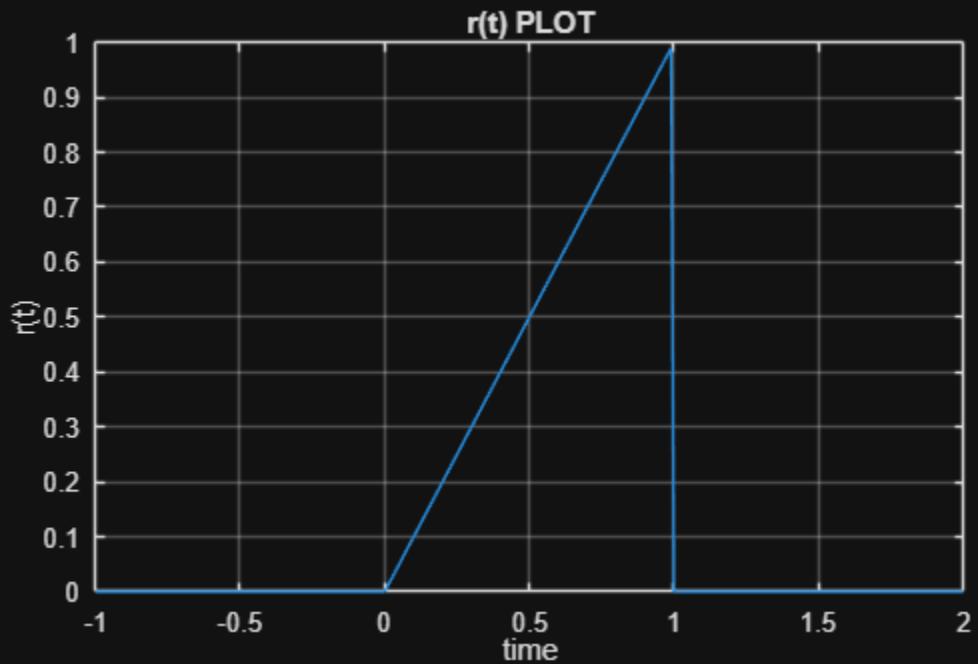
The function plotted in problem A.2 is the exact same as the visual representation of the function of figure 1.46 in problem A.1

Part B: Time shifting and time scaling

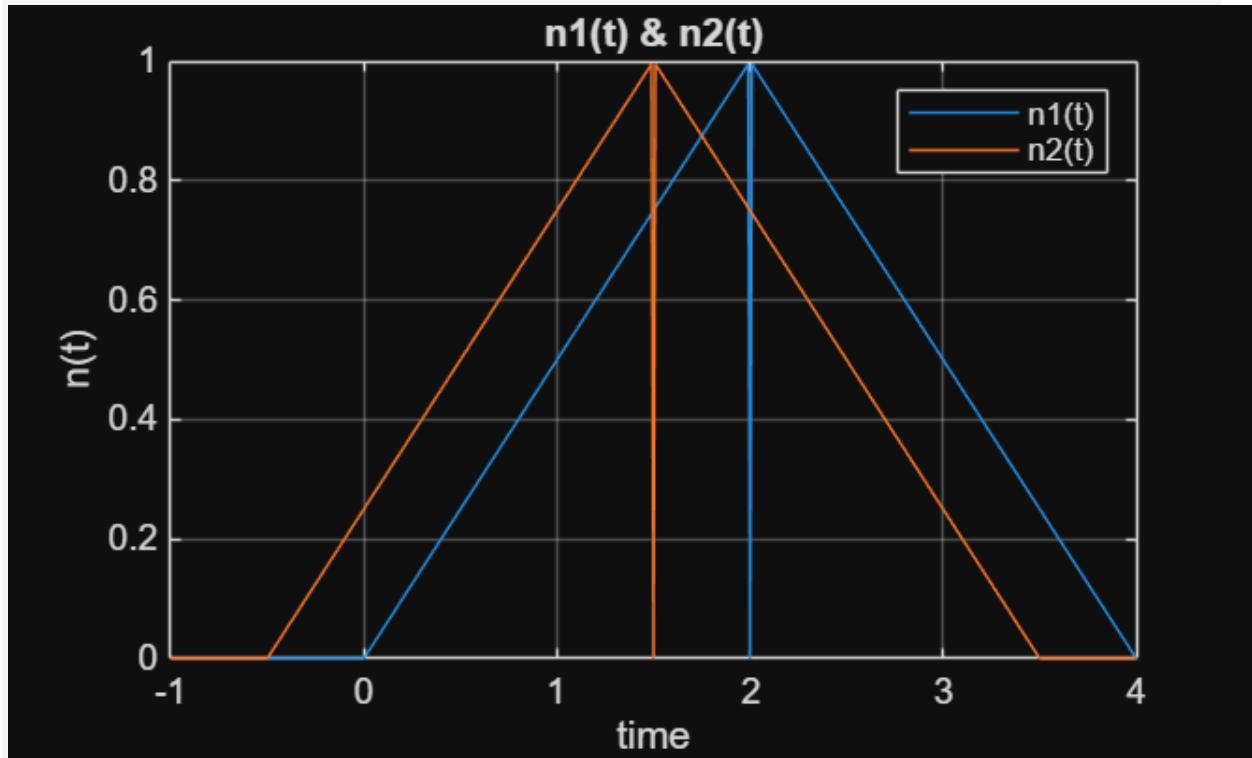
Problem B.1



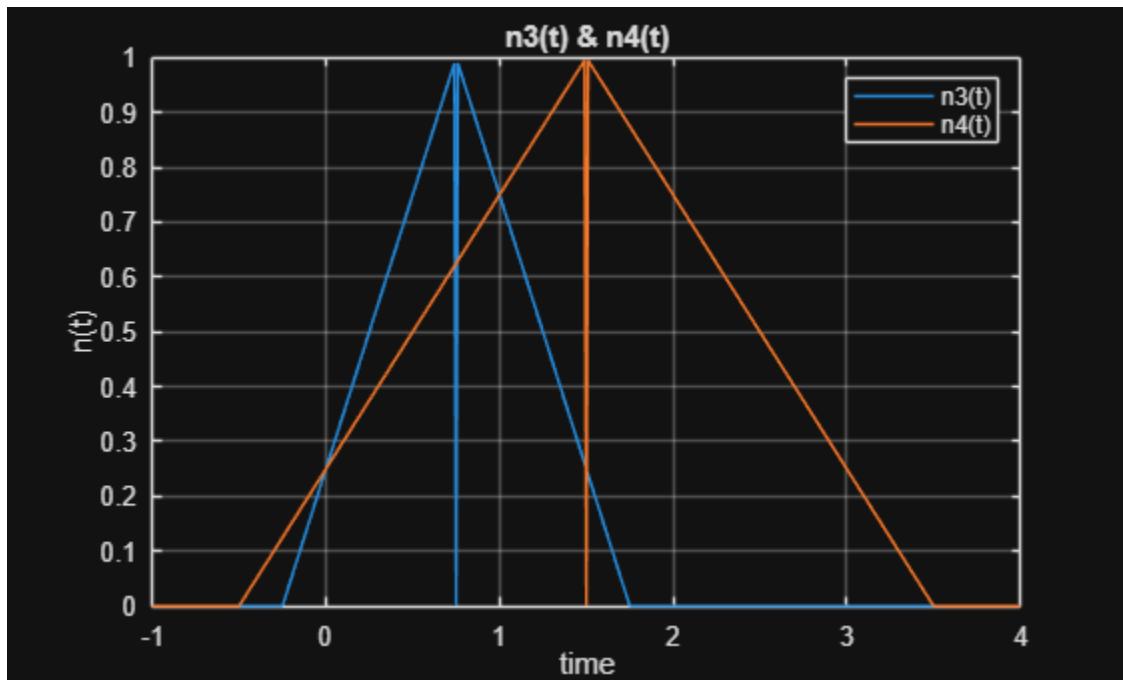
Problem B.2



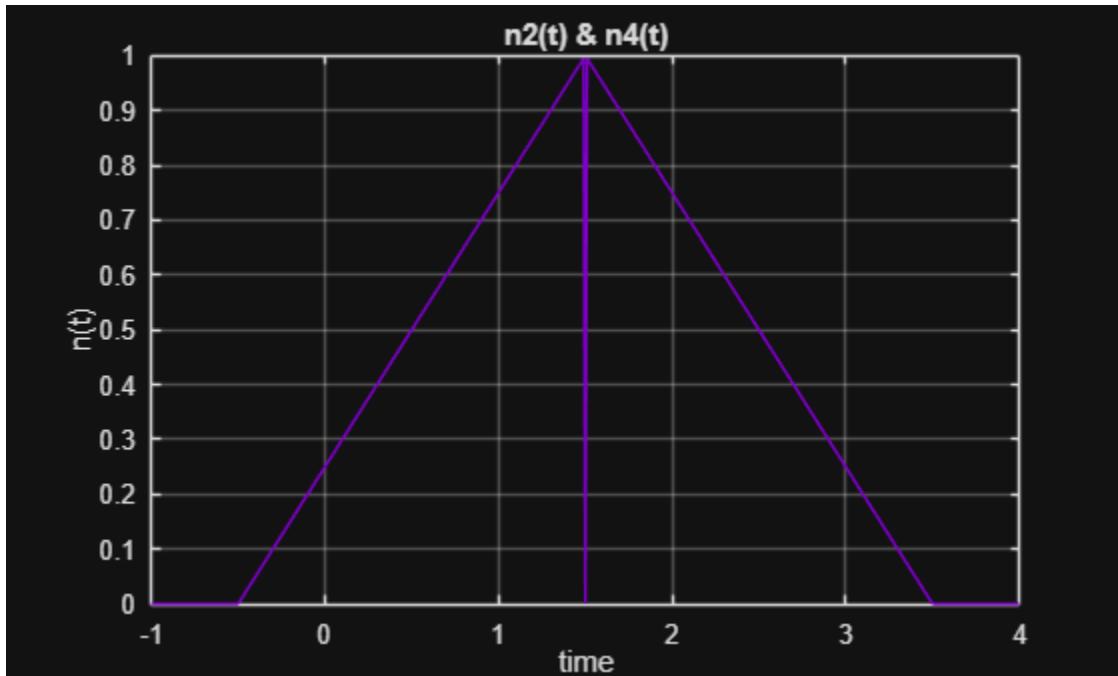
%Problem B.3



Problem B.4



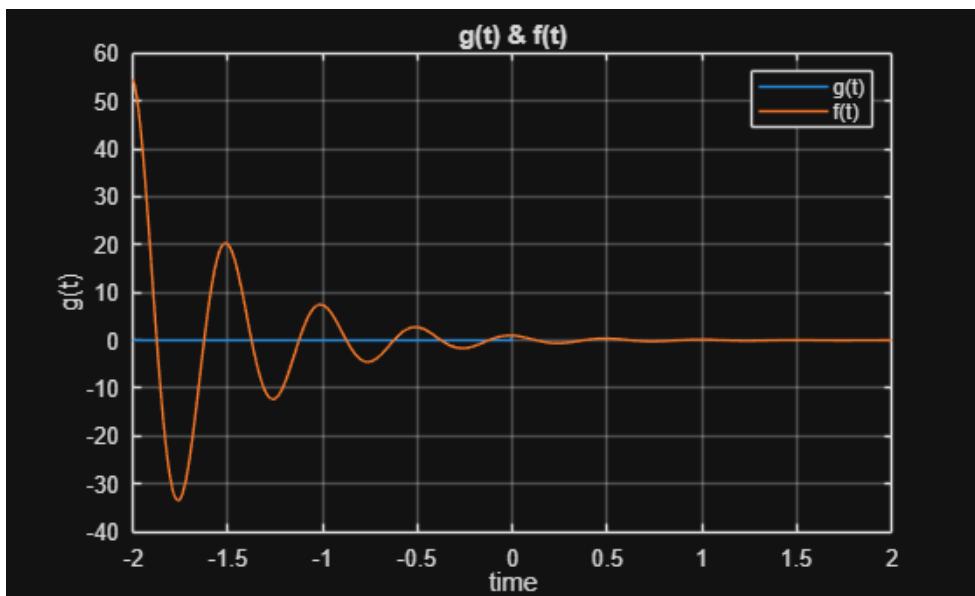
Problem B.5



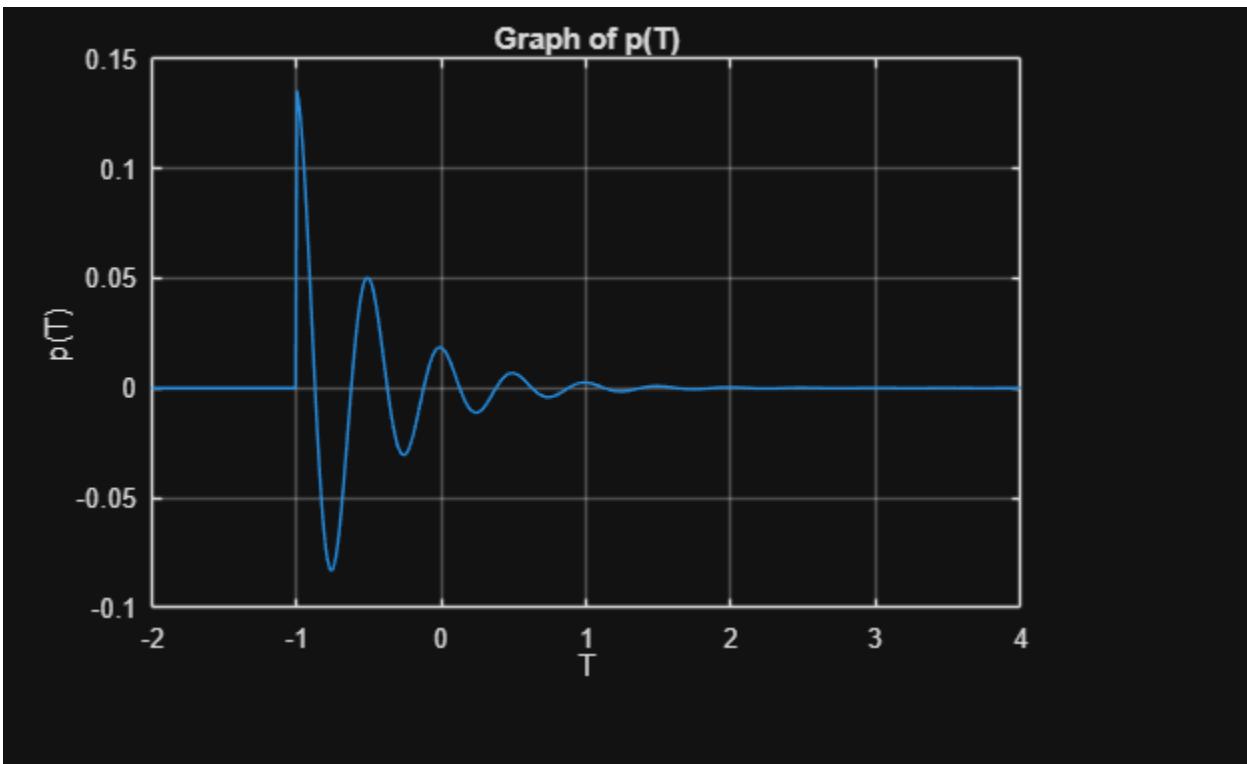
it seems the n4 and n2 are the same graph as they overlap

this makes sense, because if you expand both equation until
they are in terms of t, they become the same equation

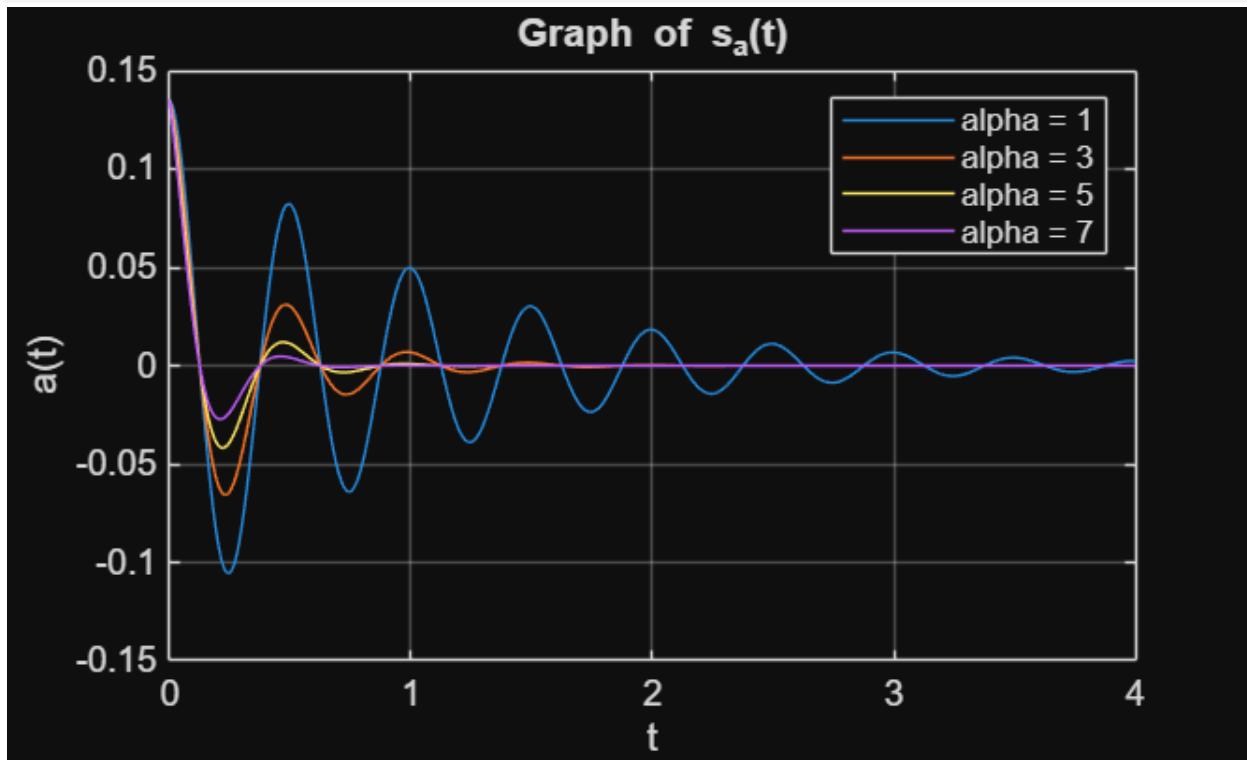
%Problem C.1



Problem C.2



Problem C.3



```
%Problem C.4
```

the size of the array

4x401x

```
%% Part D: Array Indexing
```

```
%Problem D.1
```

ans = 20×1

0.5377

1.8339

-2.2588

0.8622

0.3188

-1.3077

-0.4336

0.3426

3.5784

2.7694

-1.3499

3.0349

0.7254

-0.0631

0.7147

ans = 20×1

(Rows 1:10)

0.5377

1.8339

-2.2588

0.8622

0.3188

-1.3077

-0.4336

```
0.3426
```

```
3.5784
```

```
2.7694
```

```
-1.3499
```

```
3.0349
```

```
0.7254
```

```
-0.0631
```

```
0.7147
```

```
A([2 4 7])
```

```
ans = 1×3
```

```
1.8339 0.8622 -0.4336
```

```
ans = 1×3
```

```
(Columns 1:3)
```

```
1.8339 0.8622 -0.4336
```

```
[A>=0.2]
```

```
ans = 5×4 logical array
```

```
1 0 0 0
```

```
1 0 1 0
```

```
0 1 1 1
```

```
1 1 0 1
```

```
1 1 1 1
```

```
ans = 5×4 logical array
```

```
(Rows 1:5 | Columns 1:4)
```

```
1 0 0 0
```

```
1 0 1 0
```

```
0 1 1 1
```

```
1 1 0 1
```

```
1 1 1 1
```

```
A([A >= 0.2])
```

```
ans = 13×1
```

0.5377

1.8339

0.8622

0.3188

0.3426

3.5784

2.7694

3.0349

0.7254

0.7147

1.4897

1.4090

1.4172

ans = 13×1

(Rows 1:10)

0.5377

1.8339

0.8622

0.3188

0.3426

3.5784

2.7694

3.0349

0.7254

0.7147

1.4897

1.4090

1.4172

PART A execution time:

Elapsed time is 0.006380 seconds.

PART B execution time:

Elapsed time is 0.005046 seconds.

% Problem D.3

ans = 58

For the audio data set, the threshold is: 58

Full Code

```
clear;

% Name: Hamza Malik, Student number: 501112545, Section: 12

% Aneesh Kattoji, Student number: 501233584, Section: 12

%%

% ELE532_LAB_1: Working with Matlab Functions, Visualization of
Signals, and Signals Properties

%

%% Part A: Anonymous functions and plotting continuous functions

%Problem A.1:

%Figure 1.46

t1 = (-2:2);

f1= @(t1) exp(-t1).*cos(2*pi*t1);

figure;

plot(t1,f1(t1));

xlabel('time'); ylabel('f1(t1)'); title('Figure 1.46'); grid;

hold off;

%Figure 1.47

t2 = (-2:0.01:2);

f2= @(t2) exp(-t2).*cos(2*pi*t2);

figure;

plot(t2,f2(t2));

xlabel('time'); ylabel('f2(t2)'); title('Figure 1.47'); grid;

hold off;

%Problem A.2:

t = (-2:1:2);

y = exp(-t);

figure;
```

```

plot(t,y);

xlabel('time'); ylabel('y(t)'); title('Function A.2'); grid;

hold off;

%Problem A.3:

    %The function plotted in problem A.2 is the exact same as the
visual

    %representation of the function of figure 1.46 in problem A.1

%% Part B: Time shifting and time scaling

%Problem B.1

t = (-1:0.01:2);

p = @(t) 1.0.*((t>=0) & (t<1));

figure;

plot(t,p(t));

xlabel('time'); ylabel('p(t)'); title('Figure 1.50'); grid;

hold off;

%Problem B.2

r = @(t) p(t) .* t;

figure;

plot(t,r(t));

xlabel('time'); ylabel('r(t)'); title('r(t) PLOT'); grid;

hold off;

n = @(t) r(t) + r(-t+2);

figure;

plot(t,n(t));

xlabel('time'); ylabel('n(t)'); title('n(t) PLOT'); grid;

hold off;

%Problem B.3

t = (-1:0.01:4);

```

```

n1 = @(t) n(t*0.5);

n2 = @(t) n1(t + 0.5);

figure;

plot(t, n1(t), t, n2(t));

legend('n1(t)', 'n2(t)');

xlabel('time'); ylabel('n(t)'); title('n1(t) & n2(t)'); grid;

hold on;

%Problem B.4

n3 = @(t) n(t + 0.25);

n4 = @(t) n3(t .* 0.5);

figure;

plot(t, n3(t), t, n4(t));

legend('n3(t)', 'n4(t)');

xlabel('time'); ylabel('n(t)'); title('n3(t) & n4(t)'); grid;

hold on;

%Problem B.5

figure;

plot(t, n2(t), t, n4(t), 'Color', [0.5 0 0.8]);

xlabel('time'); ylabel('n(t)'); title('n2(t) & n4(t)'); grid;

hold on;

% it seems the n4 and n2 are the same graph as they overlap

%this makes sense, because if you expand both equation until

%they are interms of t, they become the same equation

%Problem C.1

t = (-2:0.01:2);

f = @(t) exp(-2.*t).*cos(4.*pi.*t);

u = @(t) 1.0.* (t>=0);

g = @(t) f(t).*u(t);

```

```

figure;

plot(t, g(t), t, f(t));

legend('g(t)', 'f(t)');

xlabel('time'); ylabel('g(t)'); title('g(t) & f(t)'); grid;

hold on;

%Problem C.2

T = (-2:0.01:4);

p = @(T) exp(-2).*g(T+1);

figure;

plot(T, p(T));

xlabel('T'); ylabel('p(T)'); title('Graph of p(T)'); grid;

hold off;

% Problem C.3

u = @(t) 1.0.* (t>=0);

t = (0:0.01:4);

a = [1, 3, 5, 7];

s_alpha = zeros(length(a), length(t));

for alpha = a

    s = @(t) exp(-2).*exp(-alpha.*t).*cos(4*pi*t).*u(t);

    plot(t,s(t));

    hold on;

end

xlabel("t"); ylabel("a(t)"); title("Graph of s_a(t)"); grid;

legend('alpha = 1', 'alpha = 3', 'alpha = 5', 'alpha = 7');

hold off;

%Problem C.4

fprintf("the size of the array")

fprintf('%dx',size(s_alpha));

```

```

% Matrix would be 4 x 399 if transposed properly

%% Part D: Array Indexing

%Problem D.1

load("C:\Users\anees\Downloads\ELE532_Lab1_Data.mat")

A(:)

A([2 4 7])

[A>=0.2]

A([A >= 0.2])

A([A>=0.2]) = 0;

%  Fix for Problem D.2: define B if it doesn't exist

Num_rows = size(B,1);

Num_cols = size(B,2);

for i = 1:Num_rows

    for j = 1:Num_cols

        if abs(B(i,j)) < 0.01

            B(i,j) = 0;

        end

    end

end

B([abs(B)>= 0.01]) = 0;

% part Ci

tic

for i = 1:Num_rows

    for j = 1:Num_cols

        if abs(B(i,j)) < 0.01

            B(i,j) = 0;

        end

    end

end

```

```

end

fprintf('\nPART A execution time: ')

toc

% part Cii

tic

B([abs(B)>= 0.01]) = 0;

fprintf('PART B execution time: ')

toc

% Problem D.3

Num_rows = size(x_audio,1);

Num_cols = size(x_audio,2);

threshold = 0;

for i = 1:Num_rows

    for j = 1:Num_cols

        if abs(x_audio(i,j)) == 0

            threshold = threshold + 1;

        end

    end

end

f = @(x_audio) sum(~x_audio(:));

f(x_audio)

fprintf("For the audio data set, the threshold is: " + threshold);

sound(x_audio,8000);

```