# Julia for Technical Computing

Josh Day

https://github.com/joshday

emailjoshday@gmail.com

# To run the examples

```
pkgs = [
    "Distributions",
    "Plots",
    "PyPlot",
    "GR",
    "RCall",
    "BenchmarkTools",
    "Query",
    "DataTables"
for pkg in pkgs
    Pkg.add(pkg)
end
```

# Overview

- What is Julia?
- Design, Type System, and Multiple Dispatch
- Julia Packages
- Macros (if time)

What is Julia?

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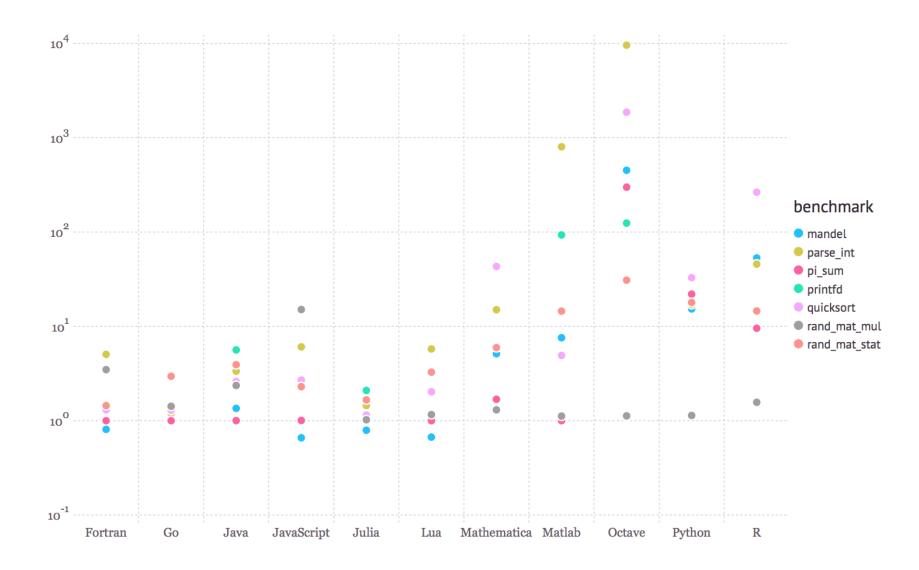
Julia is a high-level, high-performance dynamic programming language for technical computing, with syntax that is familiar to users of other technical computing environments.

http://julialang.org

#### What is Julia?

- Solves the "Two-Language Problem"
- High-level code which produces fast, low-level machine code that has traditionally only been generated by static languages.

## Benchmarks



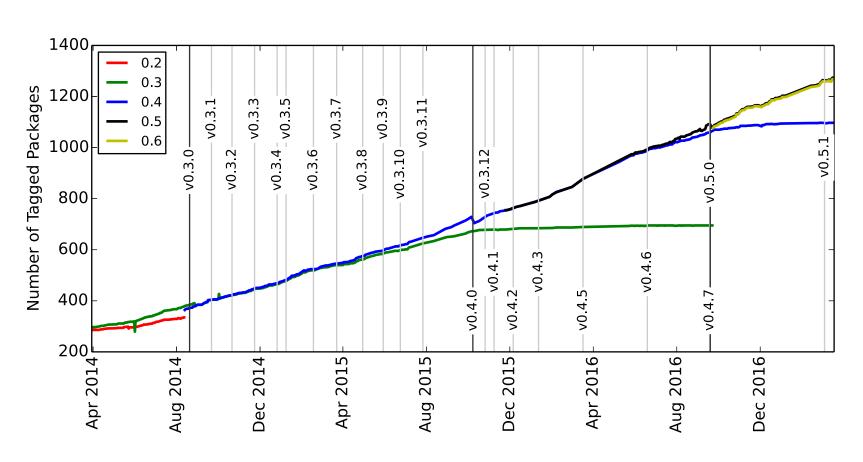
# More than "Fast R" or "Fast Python"

- Julia is fast because of features which work well together
- You can't just take the magic dust that makes Julia fast and apply it to your favorite language

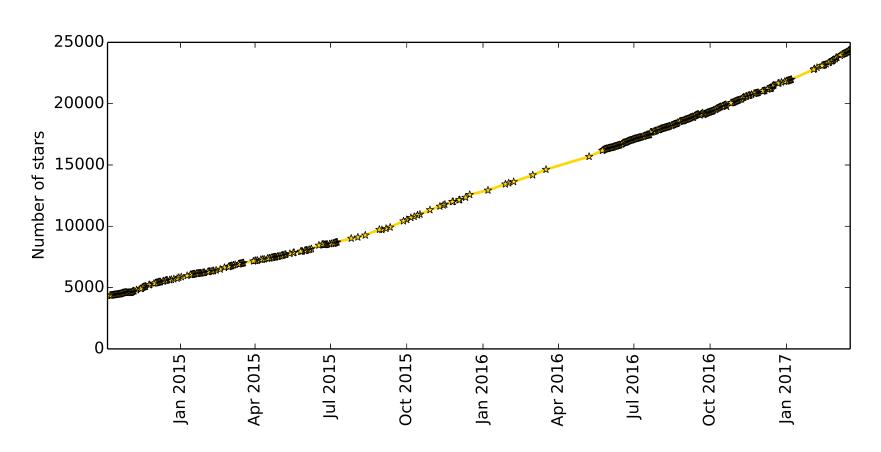
# Julia Language Design

- Type system
- Multiple dispatch
- Type inference
- Metaprogramming (macros)
- Just-in-time (JIT) compilation using LLVM
- Clean, familiar syntax

# Julia's Growth (Number of Packages)



# Julia's Growth (Stars on GitHub)



# Design, Type System, and Multiple Dispatch

#### Everything has a type

```
1  # typeof(1) == Int64

1.0  # Float64

# Arrays have 1-based indexing
[1.0, 2.0]  # Vector{Float64}
```

#### **Supports Unicode Characters**

• Julia's main focus is numerical computing, so creators want code to look similar to mathematical formulas:

$$\hat{\beta} = (X^T X)^{-1} X^T y$$

```
\hat{\beta} = inv(x'x)x'y # Implicit multiplication \hat{\beta} = inv(x'*x) * x' * y
```

Compare this to R:

```
betahat = solve(t(x) %*% x) %*% t(x) %*% y
```

#### **Functions**

```
f(x) = x ^ 2
# Code blocks require an `end`
function f(x)
    x ^ 2
end
```

#### JIT

live example with @code\_llvm macro

$$f(x) = x^2$$

#### For loops

Input:

```
for i in 1:3
    println(i)
end
```

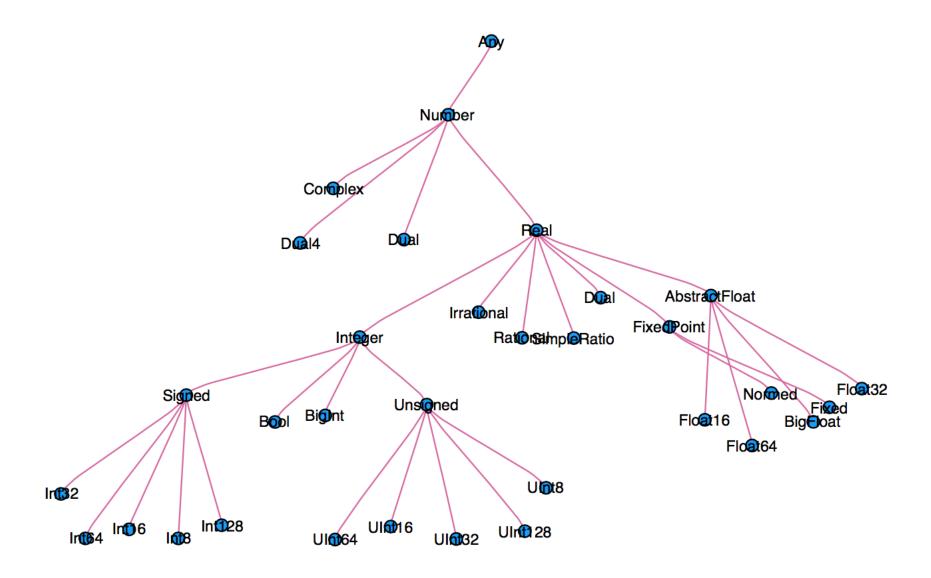
Output:

```
1
2
3
```

# Type System

- When thinking about types, think about sets
- An abstract type defines a set of other types
- One abstract type in Julia is Number

#### Number



#### Number

What should a Number be able to do?

```
+ , - , * , etc.
```

```
methods(*)
```

```
# 178 methods for generic function "*":
*(x::Bool, z::Complex{Bool}) in Base at complex.jl:225
*(x::Bool, y::Bool) in Base at bool.jl:91
*(x::Bool, y::T) where T<:Unsigned in Base at bool.jl:104
*(x::Bool, z::Complex) in Base at complex.jl:232
*(x::Bool, y::Irrational) in Base at irrationals.jl:105
*(x::Bool, y::T) where T<:Number in Base at bool.jl:101
*(a::Float16, b::Float16) in Base at float.jl:368
*(x::Float32, y::Float32) in Base at float.jl:374
*(x::Float64, y::Float64) in Base at float.jl:375</pre>
```

# Multiple Dispatch

- The idea of calling different code depending on the types of the arguments is called multiple dispatch.
- Consider the Distributions package, where every distribution has its own type.

```
using Distributions
mean(Normal(0,1)) == 0.0
mean(Gamma(10,6)) == 60.0
```

#### **Abstraction**

Consider these three function definitions:

```
# Too broad: Not everything can be added
f(x) = x + x

# Too specific: Numbers besides Float64 can be added
g(x::Float64) = x + x

# Just right: Every number has a `+` method, so this
# works on the entire type tree in the previous slide
h(x::Number) = x + x
```

# Quantile Example

Suppose I want to find quantiles using Newton's method:

$$heta_{t+1} = heta_t - rac{F( heta_t) - q}{F'( heta_t)}$$

where F is the CDF of a distribution

- In R, I would need a different function for every distribution!
- In Julia, we can do this in one function

#### The Power of Julia: Abstraction

- Define functions for the "highest" type you can
- A UnivariateDistribution has methods mean, cdf, pdf

```
 \begin{array}{l} \textbf{using Distributions} \\ \textbf{function} & \textbf{myquantile}(\textbf{d::UnivariateDistribution, q::Number}) \\ & \theta = \texttt{mean}(\textbf{d}) \\ & \textbf{tol} = \textbf{Inf} \\ & \textbf{while tol} > \textbf{1e-5} \\ & \theta \text{old} = \theta \\ & \theta = \theta - (\texttt{cdf}(\textbf{d, }\theta) - \texttt{q}) \ / \ \texttt{pdf}(\textbf{d, }\theta) \\ & \textbf{tol} = \texttt{abs}(\theta \text{old} - \theta) \\ & \textbf{end} \\ & \theta \\ \end{array}
```

#### Input:

```
for d in [Normal(), Gamma(5,1), TDist(4)]
    println("For $d")
    println(" > myquantile: $(myquantile(d, .4))")
    println(" > quantile: $(quantile(d, .4))\n")
end
```

#### Output:

```
For Distributions.Normal{Float64}(μ=0.0, σ=1.0)
    > myquantile: -0.2533471031356957
    > quantile: -0.2533471031357997

For Distributions.Gamma{Float64}(α=5.0, θ=1.0)
    > myquantile: 4.1477358804705435
    > quantile: 4.1477358804705435

For Distributions.TDist{Float64}(ν=4.0)
    > myquantile: -0.27072229470638115
    > quantile: -0.27072229470759746
```

## Defining types

- Your own types are just as performant as Julia's built-ins.
- Most of Julia is written in Julia

```
# Can change `a` after creating a new instance
type MyType
   a::Int64
end

# Can NOT change `a` after creation
immutable MyOtherType{T <: Number}
   a::T
end</pre>
```

# Defining methods

#### Input:

```
f(m::MyType) = o.a + o.a

o = MyType(4)
f(o)
```

#### Output:

```
8
```

Julia's Package Ecosystem

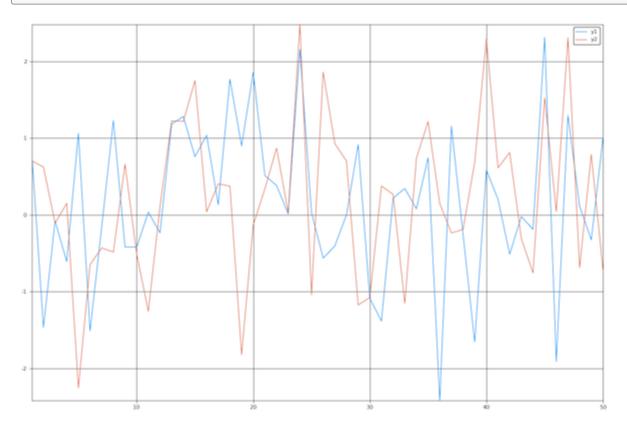
# Plotting and Graphics

Julia does not have a built-in plotting package

- Plots
  - Defines a plotting API that can use several "backends"
- Gadfly
  - Grammar of graphics for Julia
- Others: PyPlot, UnicodePlots, GR, GLPlot, Winston, ...

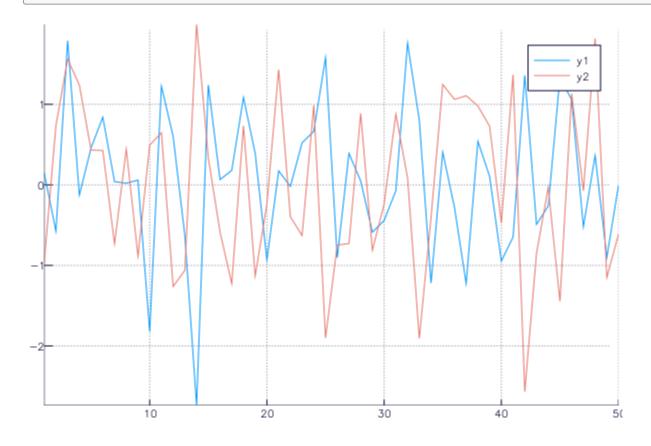
# Plots with PyPlot

```
using Plots
pyplot() # use PyPlot backend
plot(randn(50, 2))
```



#### Plots with GR

```
gr() # use GR backend
plot(randn(50, 2))
```



# **Easy Animations**

```
anim = @animate for i in 1:20
    plot(sin, 0, i, xlim = (0,20), ylim = (-1, 1))
end
gif(anim, "/Users/joshday/Desktop/my_animation.gif")
```

INFO: Saved animation to /Users/joshday/Desktop/my\_animat

# Calling R from Julia

- Side note: REPL modes
  - o; (shell mode)
  - ? (help mode)
- RCall adds
  - \$ (R mode)

```
using RCall
R"rnorm(5)"
```

# Calling Python from Julia

#### Input:

```
using PyCall
@pyimport math
math.pi
```

#### Output:

3.141592653589793

# Statistics, Working with Data, Machine Learning, etc.

StatsBase, GLM, DataFrames, Query, MixedModels,
 Distributions, KernelDensity, OnlineStats, LossFunctions,

#### StatsBase

Much of the functionality built into R

```
using StatsBase
sample(1:5, 5, replace = false)
```

#### DataFrames and DataTables

- Both for working with tabular data
- DataTables is a fork of DataFrames
  - Behind the scenes containers are different
    - DataArray Vs. NullableArray

#### **DataTables**

#### Input:

```
iris = readtable(joinpath(Pkg.dir("DataTables"), "test/da-
head(iris)
```

#### Ouput:

5 Dat Row	caTables.DataTa SepalLength	able   SepalWidth	PetalLength	PetalWid <sup>.</sup>
1 2 3 4 5	5.1 4.9 4.7 4.6 5.0 5.4	3.5 3.0 3.2 3.1 3.6 3.9	1.4 1.4 1.3 1.5 1.4	0.2 0.2 0.2 0.2 0.2 0.4

# Query (query almost any data source)

```
using Query

x = @from i in iris begin
    @where i.Species == "setosa" && i.PetalLength > 1.7
    @select i
    @collect DataTable
end
```

2×5 DaṭaTables.DaṭaTable								
	Row	SepalLength	SepalWidth	PetalLength	PetalWid <sup>-</sup>			
	1 2	4.8 5.1	3.4 3.8	1.9 1.9	0.2 0.4			

## Macros

#### Macros

- Macros are functions of expressions
- They change an expression before it is run, and can therefore do many things!

```
x = randn(1000);
@time sum(x) # JIT at work
# 0.031018 seconds (12.86 k allocations: 602.013 KB)
# -34.195601715147035

@time sum(x)
# 0.000003 seconds (5 allocations: 176 bytes)
# -34.195601715147035
```

# Macros (turn off bounds checking)

```
x = rand(1000)

for i in eachindex(x)
   @inbounds x[i] *= 5.0
end
```

# Macros (benchmarking)

```
using BenchmarkTools
@benchmark sum(x)
```

```
BenchmarkTools.Trial:
 memory estimate: 16 bytes
 allocs estimate: 1
 minimum time: 223.916 ns (0.00% GC)
 median time: 231.385 ns (0.00% GC)
 mean time: 237.263 ns (0.86% GC)
 maximum time: 7.247 μs (95.52% GC)
 samples:
                  10000
 evals/sample:
              455
 time tolerance: 5.00%
 memory tolerance: 1.00%
```

# Macros (Other)

```
@which sum(x) # find the method being called
@edit sum(x) # open file where the method is
```

## Summary

- Julia is ideal for developing projects from scratch/with few dependencies
- The package ecosystem grows fast but is still lacking much of the functionality you can find in R.
- There are also many interesting things in Julia that R doesn't have:
  - Plots, Convex, JuMP, OnlineStats, Distributions, LossFunctions, ...

# Thank You