

Subject: Ai Fundamentals

Subject Code: CCAI-221

# Exit Search Game

## using A\* star and Dijkstra's Algorithm

---



## Description of Game:

The 'Exit Search Game' originally is a game that involves 1 player (single agent). The goal is for the player to move the turtle to the red dot without touching any of the grey boxes (obstacles). If the turtle touches the obstacles, it returns to the starting point.

Now, the game includes 2 different turtles (multi agent) with each a different search algorithm to help it reach the red dot without interference of a player. It also uses a timer to count how many seconds each turtle takes to reach the red dot. At the end, a conclusion of the comparison of time is displayed stating which turtle reaches the red dot faster. The arrangement of obstacles changes every time the algorithm runs so each algorithm can display its results in terms of efficiency. The game is displayed with an interface.

## Problems Solved using these Search Algorithms:

Techniques used in this game help in pathfinding and navigation. Some applications are used in robots that need to navigate in environments autonomously. GPS and mapping services like Google Maps also use these algorithms to help us find the shortest and fastest route to our destinations, taking into considerations things like traffic density and closed roads. The non-Player Characters (NPCs) in video games use them to navigate their way intelligently in the game world.

It is also used in internet routing and telecommunications to determine the best paths to data packets and best routes for signal transmission. The logistics field and disaster management and rescue operations all benefit from such algorithms.

## Algorithms used:

- **A\* Algorithm:** Green turtle, which moves first, uses this algorithm to reach the red dot. The A\* algorithm is a heuristic-based search algorithm that finds the shortest path from a start node to a goal node. It is represented as  $f(n) = g(n) + h(n)$  where  $g(n)$  is the estimated cost to reach the goal node and  $h(n)$  is the heuristic distance. This algorithm is more efficient most of the time as you will see; green turtle wins more times.
- **Dijkstra's Algorithm:** Blue turtle, which moves next, uses this algorithm to reach the red dot. The Dijkstra's algorithm is a search algorithm used in weighted graphs that finds the shortest path from start node to goal node. It starts from root node and starts exploring nodes that have the smallest distance, but still checks routes not taken in case they lead to the shortest path. This algorithm is efficient to find shortest path without preference unlike the heuristic approach but not efficient timewise.

## **Description of Code:**

### **Initialization:**

The code starts with initializing the screen object which is the interface of the game. The screen contains the title “Exit Search Game”, sets the background color, size of screen, and a tracer for the animation control.

Timer display is initialized next. There is a separate timer for each turtle coupled with some functions to assist in the game. The functions include hiding the turtle, lifting pen up so turtle does not draw while moving, going to coordinates, and writing the turtle’s position with given alignment and font.

The green turtle is created and given a speed of 5, specified the shape to ‘turtle’ and color to green. Also, the penup() function is used to not draw while moving. A starting position is given by (-380,0).

The red dot (exit) is located (380,0) opposite the green turtle.

The obstacles are made next. A while loop is made to make obstacles. However, each obstacle is checked so no obstacles are near turtles or exit. Also, no obstacles are overlapping.

### **A\* Algorithm:**

The graph dictionary stores the cost to move to each position. If position is near an obstacle the cost is raised to infinity. Otherwise, it is set to 20.

A queue is initialized to hold the starting position and ending with distance 0. Another queue is initialized to store the shortest distance to each position from the start. While the queue is not empty, the position of the smallest distance is popped and returned. If the position the turtle reaches the red dot, the loop breaks. For each new position, neighboring positions are considered by calculating the distance and updating the queue. The distance needs to be shorter than the previously known distance and the heuristic will be added.

A function called a\_star is called to get distances to each position from the start. The function helps construct a path from the goal to the start by selecting the neighbor with minimum distance.

### **Dijkstra’s Algorithm:**

Just like the A\* algorithm, the graph dictionary stores the cost to move to each position. If position is near an obstacle the cost is raised to infinity. Otherwise, it is set to 20.

This algorithm also uses the same priority queues. A queue is initialized to hold the starting position and ending with distance 0. Another queue is initialized to store the shortest distance to each position from the start. The distance needs to be shorter than the previously known distance and no heuristic will be added. Dijkstra's search only finds the closest node and expands it. That's how it finds the shortest path.

The Dijkstra function is called. It gets the distances to each position from the start. The path is constructed, and blue turtle moves along it.

### Main:

The timing of each turtle is recorded while each turtle gets a turn in finding the shortest path and moving towards it. It displays time using timer1 and timer2 turtles. A comparison is done using the 2 turtle times to conclude who is faster. The result is displayed in the center of the screen. A function is used to keep the window open until the user closes it manually.

```
1  import turtle
2  import heapq
3  import random
4  import time
5
6  # Initialize the screen
7  window = turtle.Screen()
8  window.title("Exit Search Game")
9  window.bgcolor("white")
10 window.setup(width=800, height=600)
11 window.tracer(0)
12
13 # Timer Display
14 timer1 = turtle.Turtle()
15 timer1.hideturtle()
16 timer1.penup()
17 timer1.goto(-200, 260)
18 timer1.write("Turtle 1 Time: 0.0s", align="center", font=("Arial", 16, "normal"))
19
20 timer2 = turtle.Turtle()
21 timer2.hideturtle()
22 timer2.penup()
23 timer2.goto(200, 260)
24 timer2.write("Turtle 2 Time: 0.0s", align="center", font=("Arial", 16, "normal"))
```

```

25
26 # Turtle 1 (A* algorithm)
27 player = turtle.Turtle()
28 player.speed(5)
29 player.shape("turtle")
30 player.color("green")
31 player.penup()
32 player.goto(-380, 0)
33
34 # Exit
35 exit = turtle.Turtle()
36 exit.speed(0)
37 exit.shape("circle")
38 exit.color("red")
39 exit.penup()
40 exit.goto(380, 0)
41
42 # Obstacles
43 obstacles = []
44 obstacle_positions = set() # To keep track of obstacle positions to avoid overlap
45
46 # Function to check if a position is valid
47 def is_valid_position(x, y):
48     if abs(x - player.xcor()) < 20 and abs(y - player.ycor()) < 20:
49         return False
50     if abs(x - exit.xcor()) < 20 and abs(y - exit.ycor()) < 20:
51         return False

```

```

51         return False
52     if (x, y) in obstacle_positions:
53         return False
54     return True
55
56 while len(obstacles) < 50: # Increase the number of obstacles
57     x = random.randint(-350, 350)
58     y = random.randint(-250, 250)
59     if is_valid_position(x, y):
60         obstacle = turtle.Turtle()
61         obstacle.speed(0)
62         obstacle.shape("square")
63         obstacle.color("gray")
64         obstacle.penup()
65         obstacle.goto(x, y)
66         obstacles.append(obstacle)
67         obstacle_positions.add((x, y))
68
69 # A* algorithm
70 def a_star(start, goal, obstacles):
71     graph = {}
72     for i in range(-400, 401, 20):
73         for j in range(-300, 301, 20):
74             if any(abs(i - obs[0]) < 20 and abs(j - obs[1]) < 20 for obs in obstacles):
75                 graph[(i, j)] = float('inf')
76             else:
77                 graph[(i, j)] = 20

```

```

77                 graph[(i, j)] = 20
78
79     queue = [(0, start)]
80     distances = {start: 0}
81     while queue:
82         (dist, current) = heapq.heappop(queue)
83         if current == goal:
84             break
85         for direction in [(20, 0), (-20, 0), (0, 20), (0, -20)]:
86             neighbor = (current[0] + direction[0], current[1] + direction[1])
87             if -400 <= neighbor[0] <= 400 and -300 <= neighbor[1] <= 300:
88                 new_dist = distances[current] + graph[neighbor]
89                 if new_dist < distances.get(neighbor, float('inf')):
90                     distances[neighbor] = new_dist
91                     heapq.heappush(queue, (new_dist + abs(neighbor[0] - goal[0]) + abs(neighbor[1] - goal[1]), neighbor))
92     return distances
93
94 # Move Turtle 1 using A* algorithm
95 def move_player():
96     start = (player.xcor(), player.ycor())
97     goal = (exit.xcor(), exit.ycor())
98     obstacle_positions = [(obstacle.xcor(), obstacle.ycor()) for obstacle in obstacles]
99     distances = a_star(start, goal, obstacle_positions)
100     path = []
101     current = goal
102     while current != start:
103         path.append(current)

```

```

104     min_dist = float('inf')
105     best_neighbor = None
106     for direction in [(20, 0), (-20, 0), (0, 20), (0, -20)]:
107         neighbor = (current[0] + direction[0], current[1] + direction[1])
108         if -400 <= neighbor[0] <= 400 and -300 <= neighbor[1] <= 300:
109             if neighbor not in path and distances.get(neighbor, float('inf')) < min_dist:
110                 min_dist = distances.get(neighbor, float('inf'))
111                 best_neighbor = neighbor
112     current = best_neighbor
113     path.append(start)
114     path.reverse()
115     for position in path:
116         player.goto(position)
117         window.update()
118         time.sleep(0.1) # Pause for 0.1 seconds
119
120 # Turtle 2 (Dijkstra's algorithm)
121 player2 = turtle.Turtle()
122 player2.speed(5)
123 player2.shape("turtle")
124 player2.color("blue")
125 player2.penup()
126 player2.goto(-380, 0)
127
128 # Dijkstra's algorithm
129 def dijkstra(start, goal, obstacles):

```

```

128 # Dijkstra's algorithm
129 def dijkstra(start, goal, obstacles):
130     graph = {}
131     for i in range(-400, 401, 20):
132         for j in range(-300, 301, 20):
133             if any(abs(i - obs[0]) < 20 and abs(j - obs[1]) < 20 for obs in obstacles):
134                 graph[(i, j)] = float('inf')
135             else:
136                 graph[(i, j)] = 20
137
138     queue = [(0, start)]
139     distances = {start: 0}
140     while queue:
141         (dist, current) = heapq.heappop(queue)
142         if current == goal:
143             break
144         for direction in [(20, 0), (-20, 0), (0, 20), (0, -20)]:
145             neighbor = (current[0] + direction[0], current[1] + direction[1])
146             if -400 <= neighbor[0] <= 400 and -300 <= neighbor[1] <= 300:
147                 new_dist = distances[current] + graph[neighbor]
148                 if new_dist < distances.get(neighbor, float('inf')):
149                     distances[neighbor] = new_dist
150                     heapq.heappush(queue, (new_dist, neighbor))
151     return distances

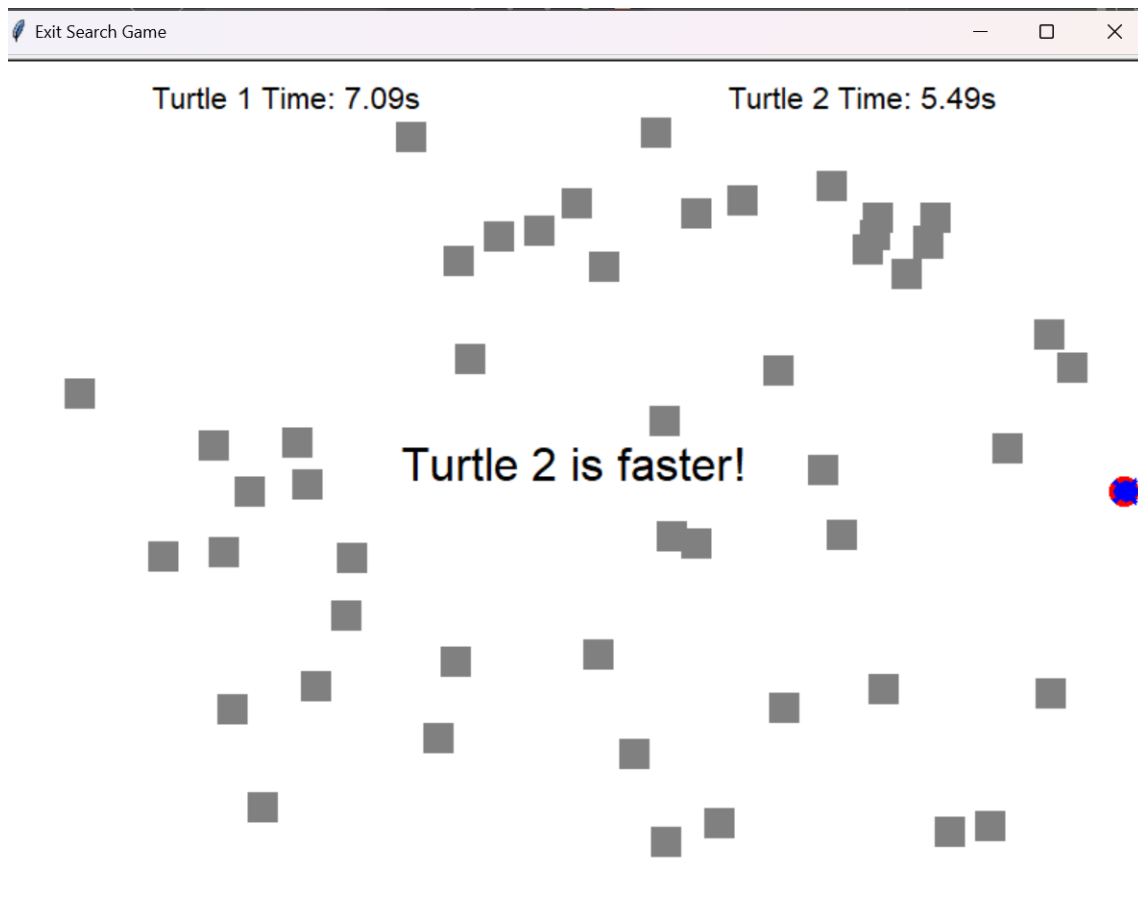
```

```

153 # Move Turtle 2 using Dijkstra's algorithm
154 def move_player2():
155     start = (player2.xcor(), player2.ycor())
156     goal = (exit.xcor(), exit.ycor())
157     obstacle_positions = [(obstacle.xcor(), obstacle.ycor()) for obstacle in obstacles]
158     distances = dijkstra(start, goal, obstacle_positions)
159     path = []
160     current = goal
161     while current != start:
162         path.append(current)
163         min_dist = float('inf')
164         best_neighbor = None
165         for direction in [(20, 0), (-20, 0), (0, 20), (0, -20)]:
166             neighbor = (current[0] + direction[0], current[1] + direction[1])
167             if -400 <= neighbor[0] <= 400 and -300 <= neighbor[1] <= 300:
168                 if neighbor not in path and distances.get(neighbor, float('inf')) < min_dist:
169                     min_dist = distances.get(neighbor, float('inf'))
170                     best_neighbor = neighbor
171         current = best_neighbor
172     path.append(start)
173     path.reverse()
174     for position in path:
175         player2.goto(position)
176         window.update()
177         time.sleep(0.1) # Pause for 0.1 seconds
178
179 # Main loop
180 start_time = time.time()
181 move_player()
182 end_time = time.time()
183 time1 = end_time - start_time
184 print("Turtle 1 took", time1, "seconds to reach the exit")
185 timer1.clear()
186 timer1.write(f"Turtle 1 Time: {time1:.2f}s", align="center", font=("Arial", 16, "normal"))
187
188 start_time = time.time()
189 move_player2()
190 end_time = time.time()
191 time2 = end_time - start_time
192 print("Turtle 2 took", time2, "seconds to reach the exit")
193 timer2.clear()
194 timer2.write(f"Turtle 2 Time: {time2:.2f}s", align="center", font=("Arial", 16, "normal"))
195
196 result_message = "Turtle 1 is faster!" if time1 < time2 else "Turtle 2 is faster!"
197
198 # Display result message
199 result_turtle = turtle.Turtle()
200 result_turtle.hideturtle()
201 result_turtle.penup()
202 result_turtle.goto(0, 0)
203 result_turtle.write(result_message, align="center", font=("Arial", 24, "normal"))
204
205 # Keep the window open
206 window.mainloop()

```

## Result 1:



**Result 2:**



