

# Selection of Rolling Element Bearings

## **SKF Roller Bearing Catalogue**

[https://www.skf.com/binaries/pub12/Images/0901d196802809de-Rolling-bearings---17000\\_1-EN\\_tcm\\_12-121486.pdf](https://www.skf.com/binaries/pub12/Images/0901d196802809de-Rolling-bearings---17000_1-EN_tcm_12-121486.pdf)

## **History of rolling element bearings -**

<https://ntrs.nasa.gov/api/citations/19810009866/downloads/19810009866.pdf>

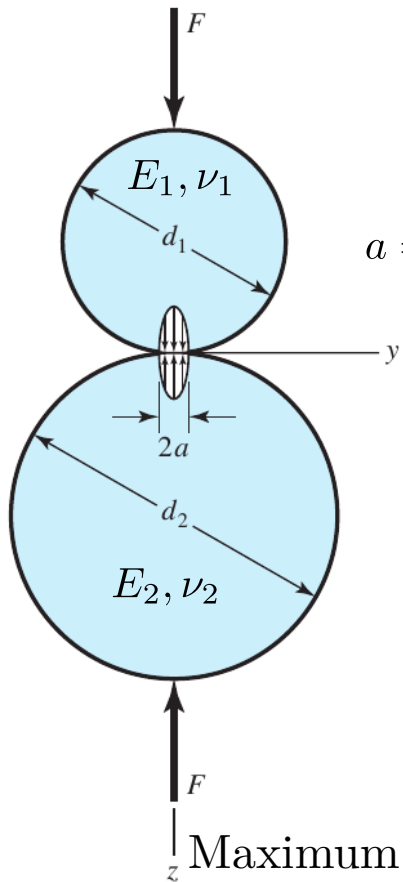
# Preliminaries - Contact Stresses

- Load-resisting members are typically designed on the basis of stresses far away from the point of application of the loads.
- This is based on the assumed that the failures of the members are associated with stresses and strains in portions of the body far removed from the points of application of the loads.
- In some problems, the contact stresses created when surfaces of two bodies are pressed together by external loads are the major cause of failure of one or both of the bodies. For example:
  - Locomotive wheel on a rail
  - Mating gear teeth
  - Cam and follower
  - Rolling bearings

# Hertz Contact Stresses

- The analysis of elastic contact stresses was published in 1881 by Heinrich Hertz
- The analysis was made using the following assumptions:
  - The contact is frictionless.
  - The surfaces are continuous, smooth and nonconforming
  - The size of the contact is small compared to the size of the bodies
  - The strains are small and within elastic limit

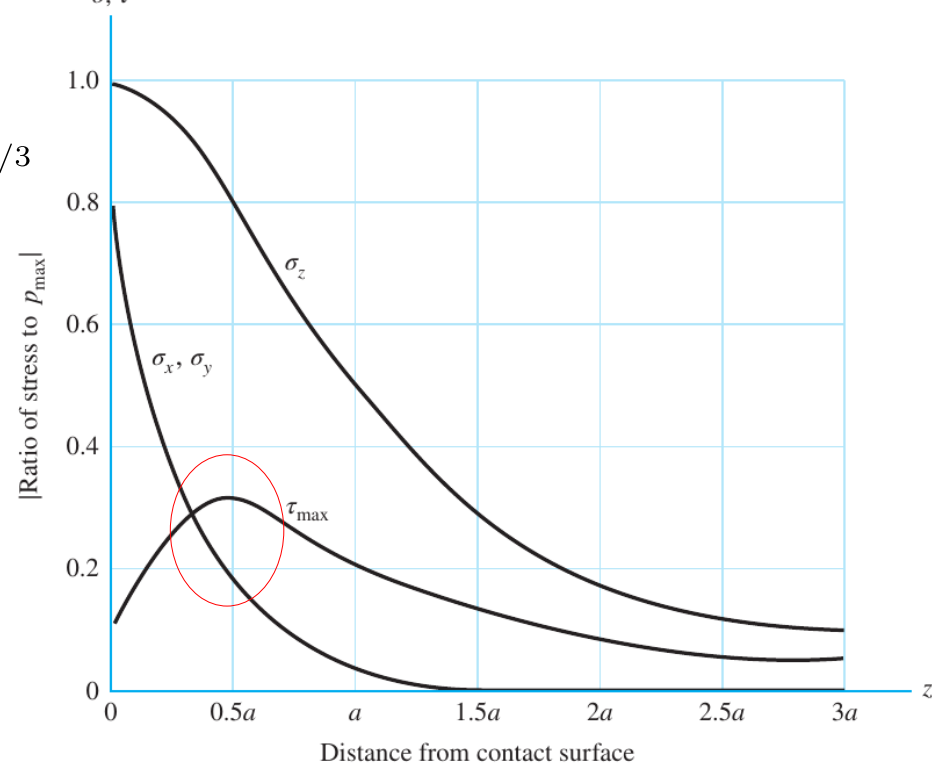
# Spherical Contact



$$a = \left( \frac{3F}{8} \frac{(1 - \nu_1^2)/E_1 + (1 - \nu_2^2)/E_2}{1/d_1 + 1/d_2} \right)^{1/3}$$

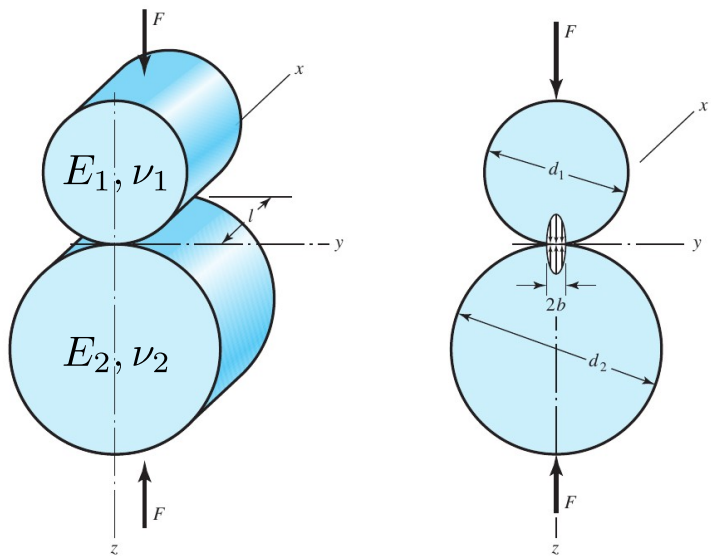
$$p_{max} = \frac{3F}{2\pi a^2}$$

Stress components along the z-axis



Maximum shear stress occurs at a depth of approximately  $0.5a$  from the contact surface

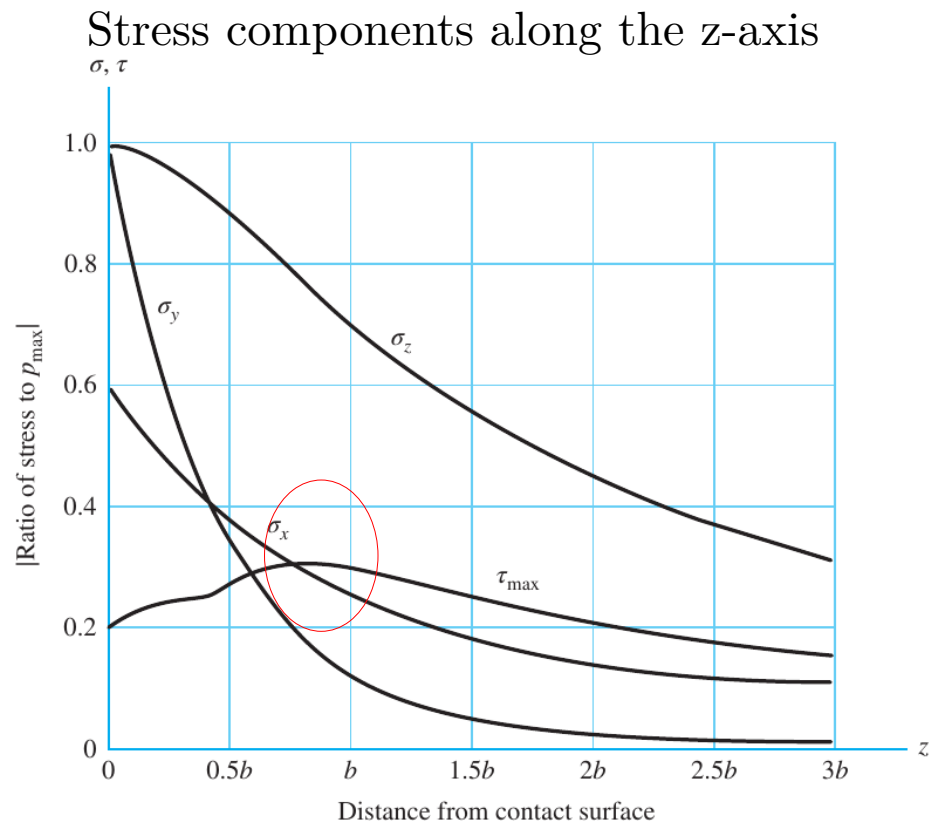
# Cylindrical Contact



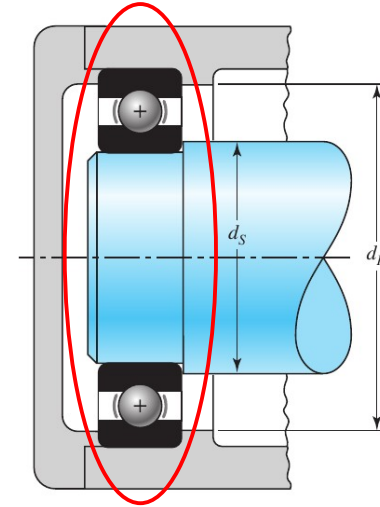
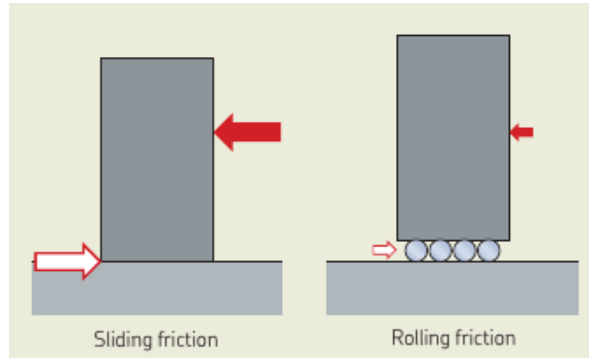
$$b = \left( \frac{2F}{\pi l} \frac{(1 - \nu_1^2)/E_1 + (1 - \nu_2^2)/E_2}{1/d_1 + 1/d_2} \right)^{1/2}$$

$$p_{max} = \frac{2F}{\pi bl}$$

Maximum shear stress occurs at a depth of approximately  $b$  from the contact surface



# Rolling Bearings



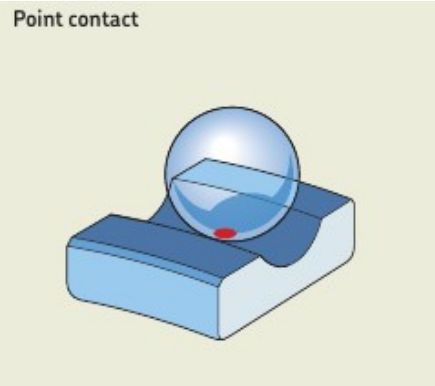
Rolling bearings support and guide, with minimal friction rotating or oscillating machine elements – such as shafts, axles or wheels

Rolling bearings provide high precision and low friction and therefore enable high rotational speeds while reducing noise, heat, energy consumption and wear.

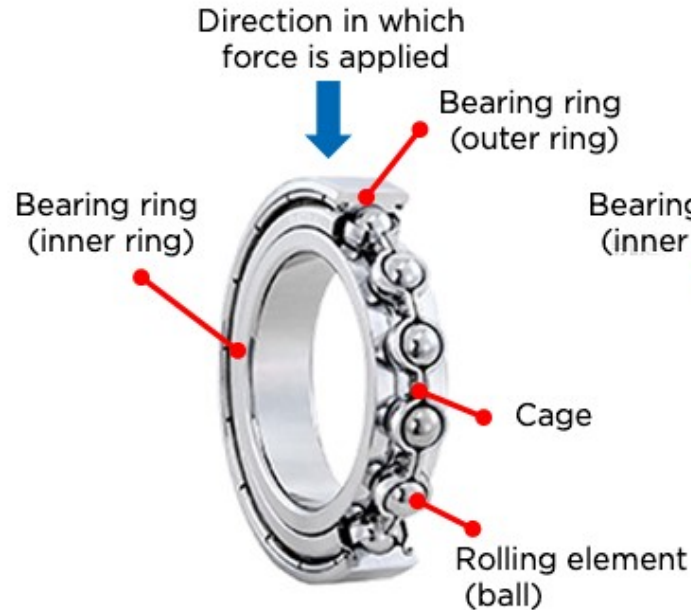
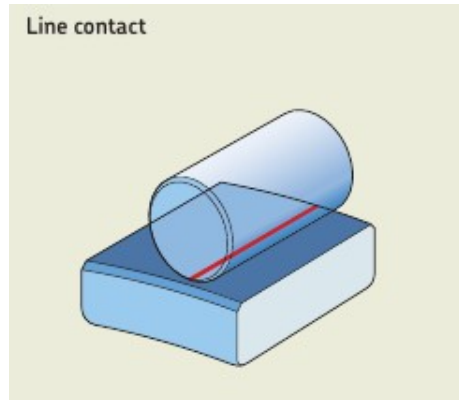
They are cost-effective and exchangeable machine elements that typically follow national or international dimension standards.

# Types of Rolling Elements

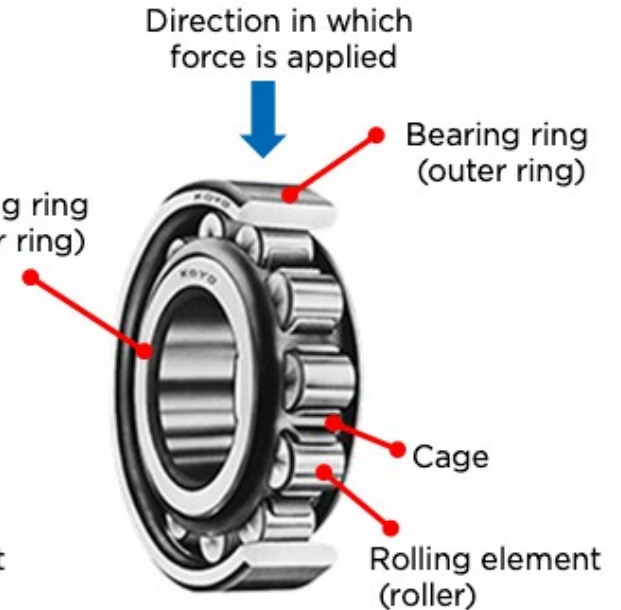
Balls → Ball bearings



Rollers → Roller bearings



**Ball bearing**



**Roller bearing**

[https://koyo.jtekt.co.jp/en/uploads/column01\\_03\\_02.png](https://koyo.jtekt.co.jp/en/uploads/column01_03_02.png)

SKF – Rolling bearing catalogue

PUB BU/P1 17000/1 EN · October 2018

ME423 - IIT Bombay

# Bearing Components

Four main components:

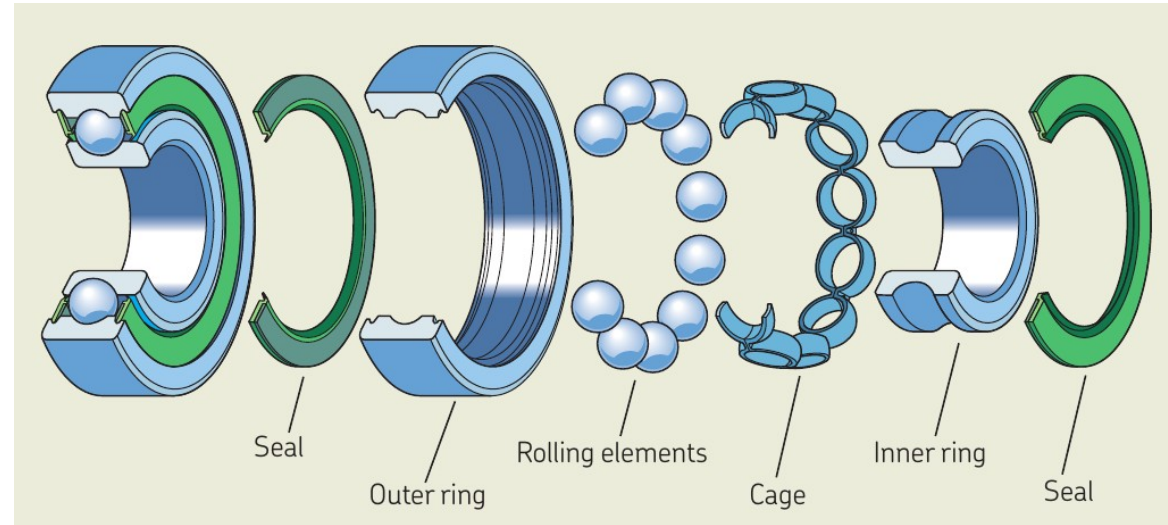
- Outer ring
- Inner Ring
- Rolling elements – transfer the load between inner and outer rings.

Typically, the same steel is used for rolling elements as for bearing rings

- Cage – Primary purpose is

- separating the rolling elements to reduce the frictional heat generated in the bearing
- keeping the rolling elements evenly spaced to optimize load distribution
- guiding the rolling elements in the unloaded zone of the bearing
- retaining the rolling elements of separable bearings when one bearing ring is removed during mounting or dismounting

Seals: Keep in the lubricants in and contaminants out – help to significantly prolong the life of the bearing

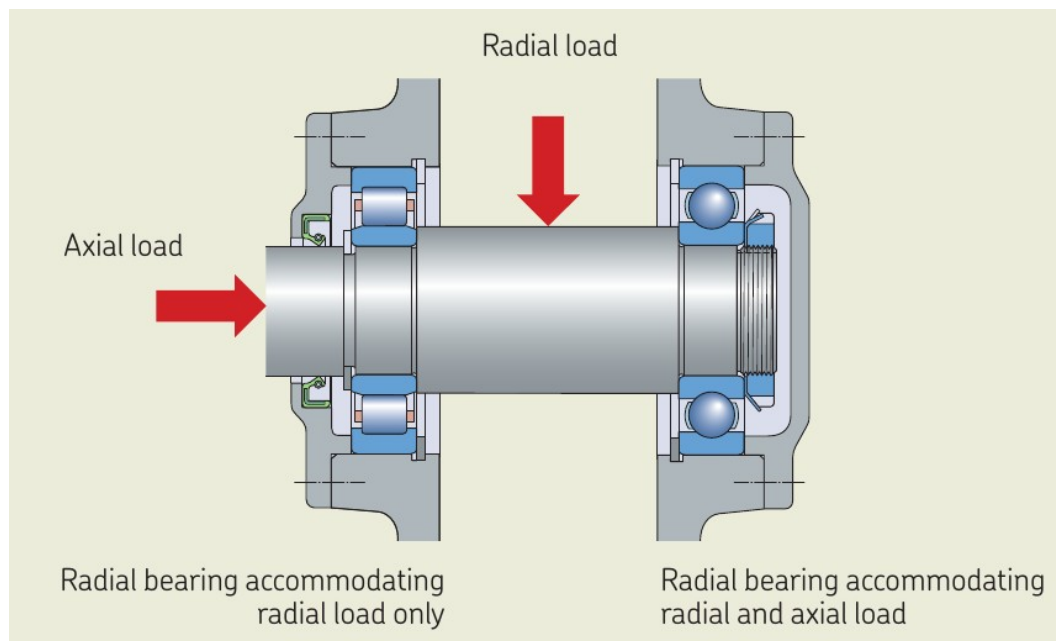




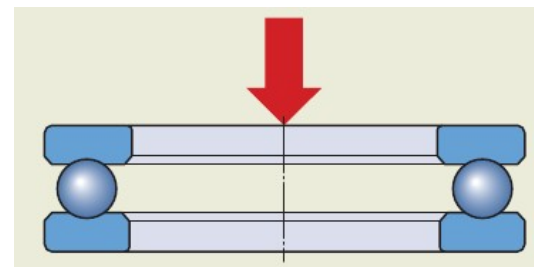
# Types of Rolling Bearings

- **Radial Bearings** – Accommodate loads that are predominantly perpendicular to the shaft. Most can accommodate some load in the axial direction.
- **Thrust Bearings** – Accommodate loads that are predominantly parallel to the shaft.

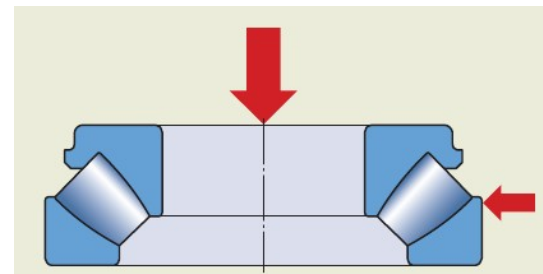
Radial Bearing



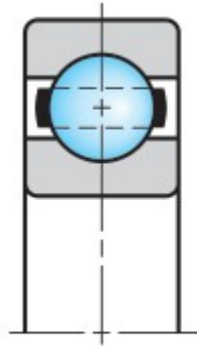
Thrust Bearing – Pure Thrust Load



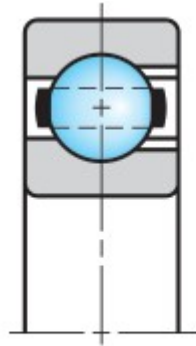
Thrust Bearing – Thrust + Radial Load



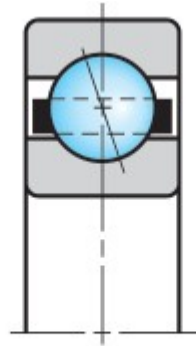
# Types of Ball Bearings



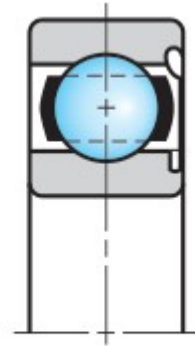
(a)  
Deep groove



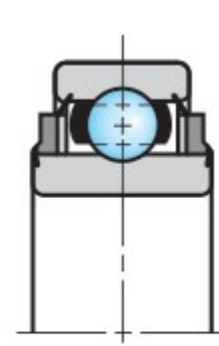
(b)  
Filling notch



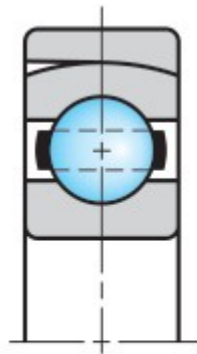
(c)  
Angular contact



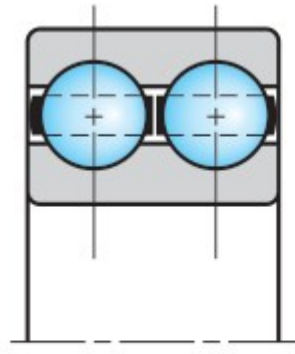
(d)  
Shielded



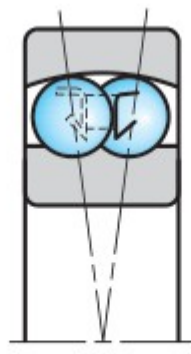
(e)  
Sealed



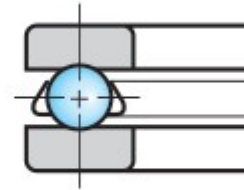
(f)  
External  
self-aligning



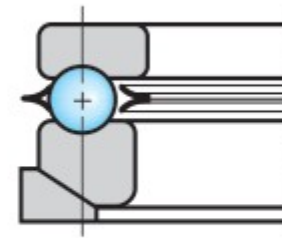
(g)  
Double row



(h)  
Self-aligning

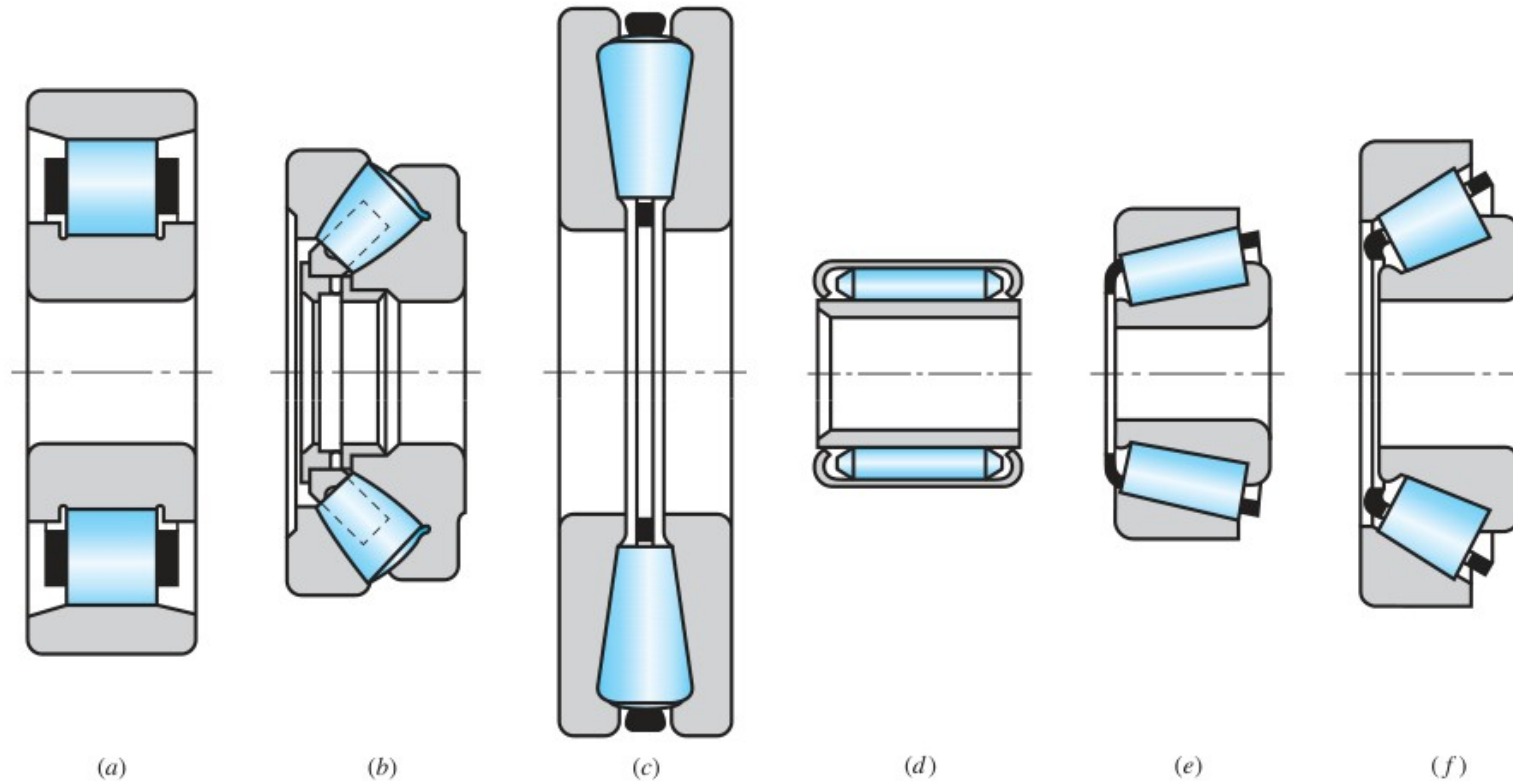


(i)  
Thrust



(j)  
Self-aligning thrust

# Types of Roller Bearings



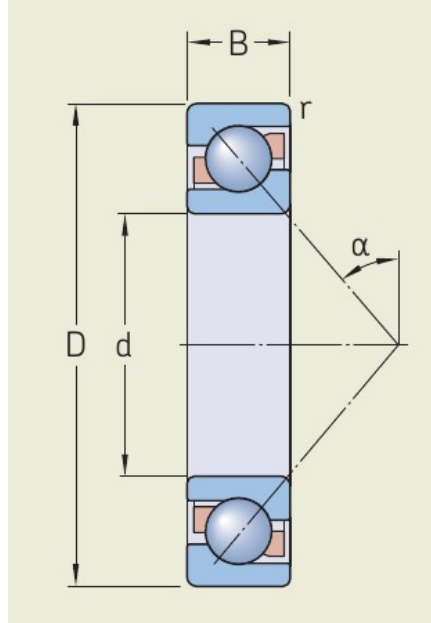
**Figure 11–3**

Types of roller bearings: (a) straight roller; (b) spherical roller, thrust; (c) tapered roller, thrust; (d) needle; (e) tapered roller; (f) steep-angle tapered roller. (Source: Redrawn from material Furnished by The Timken Company, Budinas, Shigley'S Mechanical Engineering

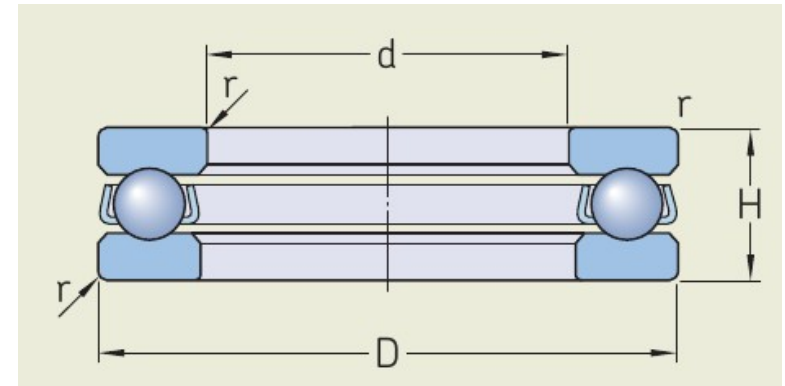
# Boundary Dimensions

$d$  – Bore diameter  
 $D$  – Outside diameter  
 $B$  – Bearing width  
 $H$  – Bearing height  
 $r$  – Chamfer dimension  
 $\alpha$  – Contact angle

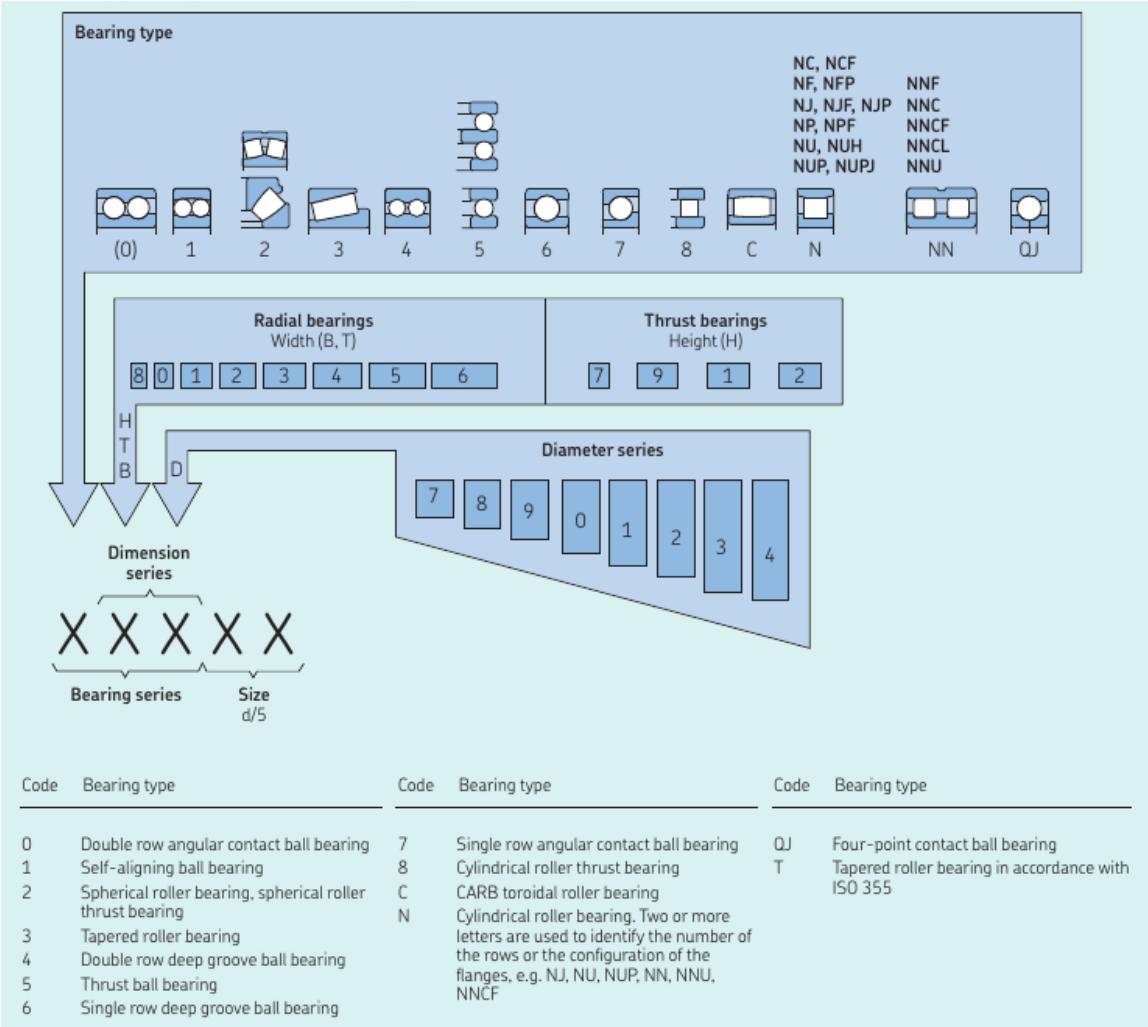
Radial Bearing



Thrust Bearing



# Bearing Designation System – SKF



- The first digit or letter or combination of letters identifies the bearing type and eventually a basic variant.
- The following two digits identify the ISO dimension series. The first digit indicates the width or height series (dimensions B, T or H). The second digit identifies the diameter series (dimension D).
- The last two digits of the basic designation identify the size code of the bearing bore. The size code multiplied by 5 gives the bore diameter (d) in mm.

# Bearing Life

**Bearing life** is defined as the number of revolutions (or the number of operating hours) at a given speed that the bearing is capable of enduring before the first sign of metal fatigue (spalling) occurs on a rolling element or the raceway of the inner or outer ring.



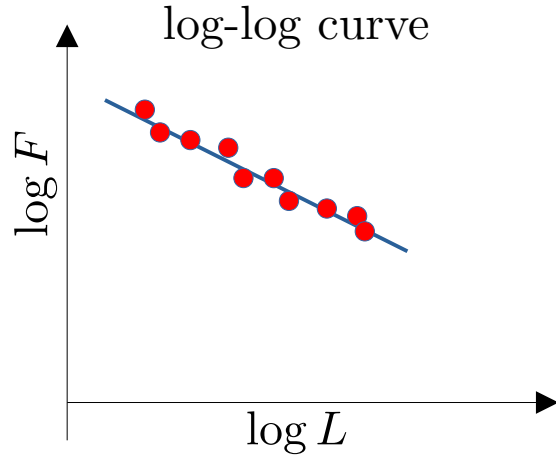
The **basic rating life**,  $L_{10}$ , is the fatigue life that 90% of a sufficiently large group of apparently identical bearings, operating under identical operating conditions, can be expected to attain or exceed.

Each bearing manufacturer will choose a specific rating life for which load ratings of its bearings are reported. The most commonly used rating life is  $10^6$  revolutions.

The Timken Company is a well-known exception, rating its bearings at  $90 \times 10^6$  revolutions

# Bearing Load Life at Rated Reliability

Typical bearing load-life



$$L \propto \frac{1}{F^a}$$

$a = 3$  (ball bearing)  
 $a = 10/3$  (roller bearing)

A **catalogue load rating**,  $C_{10}$ , (**basic dynamic load rating**) is defined as the bearing load that causes 10% of a group of bearings to fail at the bearing manufacturer's rating life, usually  $10^6$ . It is assumed that the load is constant in magnitude and direction and is radial for radial bearings and axial, centrically acting, for thrust bearings.

If identical bearings are run at loads  $F_1, F_2, \dots$  and if  $L_1, L_2, \dots$  are their rated lives then

$$L_{10}C_{10}^a = L_1F_1^a = L_2F_2^a = \dots \text{constant}$$

# Problem

Consider SKF, which rates its bearings for 1 million revolutions. If you desire a life of 5000 h at 1725 rpm with a load of 1792 N with a reliability of 90 percent for a ball bearing, for which catalogue rating would you search in an SKF catalogue?

We have  $F_1 = 1762$  N,  $L_1 = 5000 \times 60 \times 1725 = 517.5 \times 10^6$  revolutions  
 $L_{10} = 10^6$  revolutions.  $C_{10} = ?$

We have  $L_{10}C_{10}^3 = L_1F_1^3$  Therefore  $C_{10} = F_1 \left( \frac{L_1}{L_{10}} \right)^{1/3} = 14.15$  kN

For the above bearing, find the radial load for a rating life of 500 h at 1500 rpm  
 $L_{10} = 10^6$  revolutions.  $C_{10} = 14.15$  kN

We have  $L_2 = 500 \times 60 \times 1500 = 45 \times 10^6$  revolutions

Therefore  $C_2 = C_{10} \left( \frac{L_{10}}{L_2} \right)^{1/3} = 42.59$  kN



# Design for Variable Loading

Let radial loads  $F_1, F_2, \dots, F_k$  act on bearing for successive intervals of a work cycle. Let  $L_i$  be the life of the bearing (revolutions) if operated exclusively at load  $F_i$ . Let  $n_i$  revolutions be the actual application of load  $F_i$

Then as per Miner's rule

$$\sum_{i=1}^k \frac{n_i}{L_i} = 1 \quad \text{Here } L_i = \frac{L_{10} C_{10}^3}{F_i^3}$$

or

$$\sum_{i=1}^k n_i F_i^3 = L_{10} C_{10}^3 = n_T F_e^3 \quad n_T = n_1 + n_2 + \dots + n_k$$

where  $F_e$  is the equivalent load that causes the bearing to fail in  $n_T$  revolutions

or

$$F_e = \left( \sum_{i=1}^k \alpha_i F_i^3 \right)^{1/3} \quad \sum_{i=1}^k \alpha_i = 1$$

$\alpha_1, \alpha_2, \dots, \alpha_k$  are the fraction of the total revolutions spent at  $F_1, F_2, \dots, F_k$

# Load Application Factor

- Accounts for the actual operating conditions of the bearing that may differ from the ideal conditions. Ensures that the selected bearing can handle unexpected loads, misalignments, vibrations, etc.
- Adjusts the calculated or nominal load to account for the actual loading condition.
- The factor is typically determined based on empirical data and experience. It varies depending on the type of machinery, operating conditions, and the nature of the load (e.g., steady, variable, shock loads).

Similar to design factor

Type of Application	Load Factor
Precision gearing	1.0–1.1
Commercial gearing	1.1–1.3
Applications with poor bearing seals	1.2
Machinery with no impact	1.0–1.2
Machinery with light impact	1.2–1.5
Machinery with moderate impact	1.5–3.0

Budinas, Shigley'S Mechanical Engineering  
Design (SIE), 11<sup>th</sup> Ed

# Problem - Design for Variable Loading

A ball bearing is run at four piecewise continuous steady loads as shown in the following table. Find the equivalent radial load the bearing is subjected to.

Time Fraction	Speed (rpm)	Radial Load (N) $F_i$	Load Factor $a_i$
0.1	2000	3531.71	1.1
0.1	3000	2784.45	1.25
0.3	3000	3905.34	1.1
0.5	2400	2971.26	1.25

# Problem - Design for Variable Loading

A ball bearing is run at four piecewise continuous steady loads as shown in the following table. Find the equivalent radial load the bearing is subjected to.

Time Fraction	Speed (rpm)	Radial Load (N) $F_i$	Load Factor $a_i$	Rev in time fraction	Revolution Fraction $\alpha_i$	$\alpha_i(a_i F_i)^{1/3}$
0.1	2000	3531.71	1.1	200	0.077	4.51014E+09
0.1	3000	2784.45	1.25	300	0.115	4.86515E+09
0.3	3000	3905.34	1.1	900	0.346	2.74425E+10
0.5	2400	2971.26	1.25	1200	0.462	2.36461E+10
				2600		6.04639E+10

The equivalent load the bearing is subjected to is  $(6.04639E+10)^{1/3} = 3924.9$  N

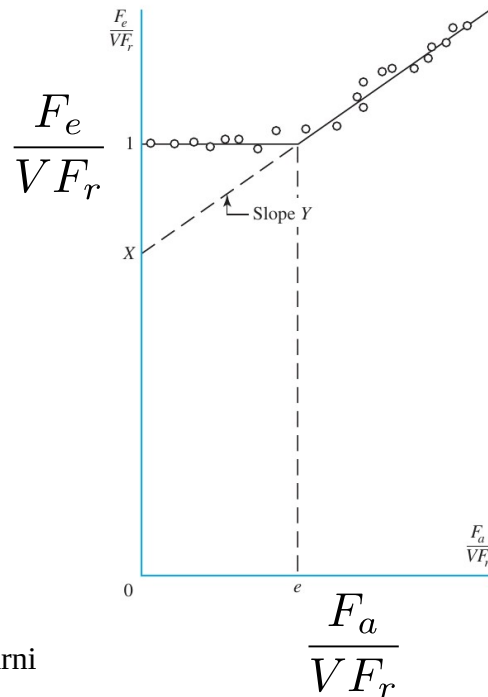
# Basic Static Load Rating $C_0$

- The basic static load rating  $C_0$  is defined in as the load that results in a certain value of contact stress at the centre of contact of the most heavily loaded rolling element/raceway. The contact stress values are:
  - 4600 MPa for self-aligning ball bearings
  - 4200 MPa for all other ball bearings
  - 4000 MPa for all roller bearings
- It represents the maximum load that a bearing can withstand when stationary, without causing permanent deformation of the rolling elements and raceways.
- It is approximately equal to the load that will produce a total permanent deformation in the raceway and rolling element at any contact point of 0.0001 times the diameter of the rolling element.*
- This rating is essential for ensuring the bearing's performance and longevity under static conditions.
- It is tabulated along with the basic dynamic load rating  $C_{10}$ , in bearing manufacturer's catalogues.

Bore, mm	OD, mm	Width, mm	Fillet Radius, mm	Shoulder		Load Rat	
				Diameter, mm		Deep Groove	
				$d_s$	$d_H$	$C_{10}$	$C_0$
10	30	9	0.6	12.5	27	5.07	2.24
12	32	10	0.6	14.5	28	6.89	3.10
15	35	11	0.6	17.5	31	7.80	3.55

# Combined Radial and Thrust Loading

- Consider a bearing subjected to both axial thrust ( $F_a$ ) and radial load ( $F_r$ ) that are constant in both magnitude and direction.
- Would like to find  $F_e$ , the equivalent dynamic radial load, constant in both magnitude and direction, that does the same damage as the combined radial and thrust loads together.



$$\frac{F_e}{VF_r} = \begin{cases} 1 & \frac{F_a}{VF_r} \leq e \\ X + Y \frac{F_a}{VF_r} & \frac{F_a}{VF_r} > e \end{cases}$$

$V$  is the rotation factor with

$$V = \begin{cases} 1 & \text{inner ring rotates} \\ 1.2 & \text{outer ring rotates} \end{cases}$$

# Combined Radial and Thrust Loading

$$\frac{F_e}{VF_r} = \begin{cases} 1 & \frac{F_a}{VF_r} \leq e \\ X + Y \frac{F_a}{VF_r} & \frac{F_a}{VF_r} > e \end{cases}$$

$V$  is the rotation factor with

$$V = \begin{cases} 1 & \text{inner ring rotates} \\ 1.2 & \text{outer ring rotates} \end{cases}$$

$F_a/C_0$	$e$	$F_a/(VF_r) \leq e$		$F_a/(VF_r) > e$	
		$X_1$	$Y_1$	$X_2$	$Y_2$
0.014*	0.19	1.00	0	0.56	2.30
0.021	0.21	1.00	0	0.56	2.15
0.028	0.22	1.00	0	0.56	1.99
0.042	0.24	1.00	0	0.56	1.85
0.056	0.26	1.00	0	0.56	1.71
0.070	0.27	1.00	0	0.56	1.63
0.084	0.28	1.00	0	0.56	1.55
0.110	0.30	1.00	0	0.56	1.45
0.17	0.34	1.00	0	0.56	1.31
0.28	0.38	1.00	0	0.56	1.15
0.42	0.42	1.00	0	0.56	1.04
0.56	0.44	1.00	0	0.56	1.00

\*Use 0.014 if  $F_a/C_0 < 0.014$ .

# Combined Radial and Thrust Loading

An SKF 6210 angular-contact ball bearing has an axial load  $F_a$  of 1779 N and a radial load  $F_r$  of 2224 N applied with the outer ring stationary. The basic static load rating  $C_0$  is 19793 N and the basic load rating  $C_{10}$  is 35139 N. Estimate the  $L_{10}$  life at a speed of 720 rev/min.

*Given*

$F_a := 1779 \text{ N}$      $F_r := 2224 \text{ N}$      $V := 1.0$      $rpm := 720$

$C_0 := 19793 \text{ N}$      $C_{10} := 35139 \text{ N}$





# Combined Radial and Thrust Loading

An SKF 6210 angular-contact ball bearing has an axial load  $F_a$  of 1779 N and a radial load  $F_r$  of 2224 N applied with the outer ring stationary. The basic static load rating  $C_0$  is 19793 N and the basic load rating  $C_{10}$  is 35139 N. Estimate the  $L_{10}$  life at a speed of 720 rev/min.

*Given*

$$F_a := 1779 \text{ N} \quad F_r := 2224 \text{ N} \quad V := 1.0 \quad rpm := 720$$

$$C_0 := 19793 \text{ N} \quad C_{10} := 35139 \text{ N}$$

*Solution*

$$r := \frac{F_a}{C_0} = 0.0899 \quad ep := 0.28 + \frac{(0.3 - 0.28)}{0.110 - 0.084} \cdot (r - 0.084) = 0.2845$$

$$r1 := \frac{F_a}{V \cdot F_r} = 0.7999 \quad y1 := 1.55 + \frac{(1.55 - 1.45)}{0.084 - .110} \cdot (r - 0.084) = 1.5274$$

$$Fe := V \cdot F_r \cdot \left( 0.56 + y1 \cdot \frac{F_a}{V \cdot F_r} \right)^6 = 3962.6554 \text{ N}$$

$$L_{10} := (C_{10})^3 \cdot \frac{10}{Fe} = 6.9728 \cdot 10^8 \quad \text{Hours} := \frac{L_{10}}{60 \cdot rpm} = 16140.8169$$

# Reliability Aspects

For cases where one desires a higher reliability than 90% a life adjustment factor  $a_1$  is introduced

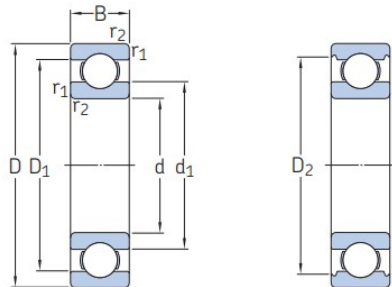
$$L_m = a_1 L_{10}$$

Reliability %	Factor $a_1$
90	1
95	0.64
96	0.55
97	0.47
98	0.37
99	0.25

# Sample Catalogue Page (SKF)

## 1.1 Single row deep groove ball bearings d 25 – 30 mm

1.1



2Z



2RSL



2RZ



2RS1



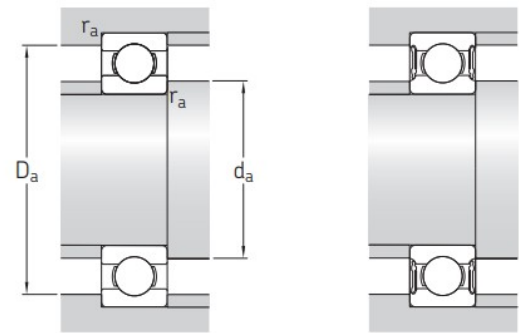
2RS1



2RSH

Principal dimensions			Basic load ratings		Fatigue load limit	Speed ratings		Mass	Designations	
d	D	B	C	C <sub>0</sub>	P <sub>u</sub>	Reference speed	Limiting speed <sup>1)</sup>		Bearing open or capped on both sides	capped on one side <sup>1)</sup>
mm			kN		kN	r/min		kg	–	
25	37	7	4,36	2,6	0,125	–	11 000	0,022	► 61805-2RS1	–
	37	7	4,36	2,6	0,125	38 000	19 000	0,022	► 61805-2RZ	–
	37	7	4,36	2,6	0,125	38 000	24 000	0,022	► 61805	–
	42	9	7,02	4,3	0,193	–	10 000	0,045	► 61905-2RS1	–
	42	9	7,02	4,3	0,193	36 000	18 000	0,045	► 61905-2RZ	–
	42	9	7,02	4,3	0,193	36 000	22 000	0,045	► 61905	–

# Sample Catalogue Page (SKF)



Dimensions						Abutment and fillet dimensions				Calculation factors	
d	d <sub>1</sub> ≈	d <sub>2</sub> ≈	D <sub>1</sub> ≈	D <sub>2</sub> ≈	r <sub>1,2</sub> min.	d <sub>a</sub> min.	d <sub>a</sub> max.	D <sub>a</sub> max.	r <sub>a</sub> max.	k <sub>r</sub>	f <sub>0</sub>
mm						mm				–	
25	–	27,4	–	34,2	0,6	27	27,3	35	0,3	0,015	14
	28,5	–	–	34,2	0,3	27	28,4	35	0,3	0,015	14
	28,5	–	33,2	–	0,6	27	–	35	0,3	0,015	14
	30,2	–	–	37,7	0,6	27	29	40	0,3	0,02	15
	30,2	–	–	37,7	0,6	27	29	40	0,3	0,02	15
	30,2	–	–	37,7	0,6	27	–	40	0,3	0,02	15
	33,3	–	–	42,4	0,3	27	–	45	0,3	0,02	15

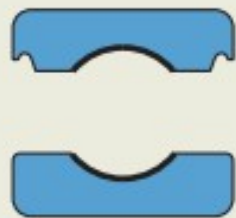
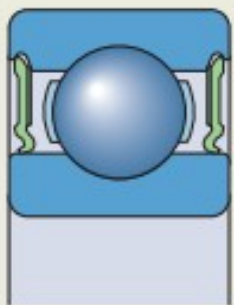
# Bearing Catalogue

- **Fatigue load limit  $P_u$ :** The load level below which metal fatigue will not occur in a bearing
- **Reference Speed:** It is the speed at which the bearing can operate under specific thermal operating conditions without overheating.
  - It is based on achieving a thermal equilibrium where the heat generated by friction is balanced by the heat dissipated through the bearing's surroundings
  - It provides a quick assessment of the bearing's speed capability under typical operating conditions.
- **Limiting Speed:** It is the maximum speed at which the bearing can operate without risking mechanical failure.

# Bearing System Life

## Bearing system life

$$L_{\text{bearing}} = f(L_{\text{raceways}}, L_{\text{rolling elements}}, L_{\text{cage}}, L_{\text{lubricant}}, L_{\text{seals}})$$

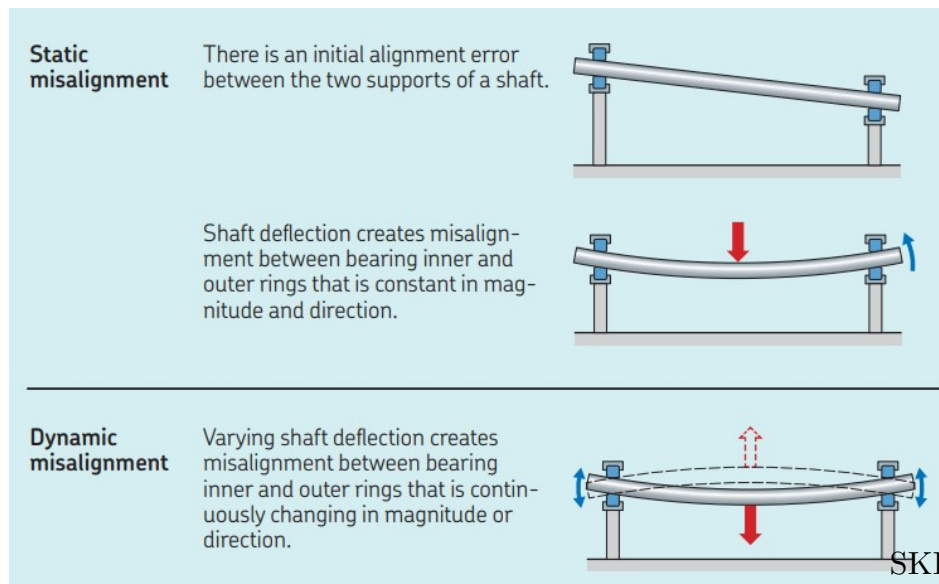


## Main considerations:

- Rolling contact fatigue
- Permanent deformation
- Cage type of cage material – may limit the speed, temperature
- Speed limit of contact seals
- Lubricant life

# Bearing Selection Criteria

- **Available Space**
- **Loads** (Radial, Axial, Combined radial and axial) – Primary factor in bearing selection
- **Misalignment**



SKF – Rolling bearing catalogue

# Bearing Selection Criteria

- **Speed and friction** - The permissible operating temperature of rolling bearings imposes limits on the speed at which they can be operated.
- **Temperature** – the permissible operating temperature is limited by the dimensional stability of the races and rolling elements, seals and lubricants.
- **Stiffness** - The stiffness of a rolling bearing is characterized by the magnitude of the elastic deformation in the bearing under load and depends not only on bearing type, but also on bearing size and operating clearance.
- **Mounting and Dismounting** - Separable bearings are easier to mount and dismount.
- **Integral Sealing** – Sealing is important to keep the lubricants in and contaminants out.
- **Cost and Availability**



End