Temperatures in Machining



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Heat generation and Disctribution

Primary zone · Shear

- Major plastic deformation occurs, so heat is generated
- Distributed between Chip and Workpiece

- Secondary zone · Tool·chip interface

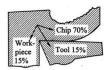
 Friction between Chip Tool · Heat generation

 Distributed between Chip and Tool

 $\underline{\textbf{Tertiary zone - Tool-work interface}}$

- Tool edge does not remain sharp,flank rubs against the workpiece
- This heat is shared by tool, workpiece and coolant

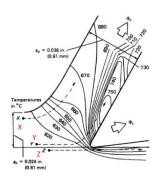
Distribution of Total Heat



Outline

- · Sources of heat generation
- · Heat generation in Primary and Secondary deformation zones
- Estimation of chip temperature
- · Cutting fluids and their application

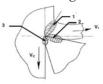
Temperature distribution in Tool-workpiece



Mild steel, V = 0.38 m/s, $_{\rm W}$ =6.35 mm. $_{\rm Y}$ = 30°,

Point X, Y and Z: Point X – moves towards cutting tool passes through primary shear zone. Point Y · experience both primary and secondary zone Point Z · inside the material

Sources of Heat generation



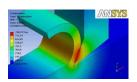
In elastic deformation, energy is stored in material as Strain energy

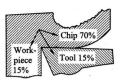
- No heat is generated
- In plastic deformation
- Input energy is mostly converted into heat

Regions of plastic deformation in maching

- Primary zone 1 Shear deformation
- Secondary zone 2 Chip tool interface
- Territory zone 3 Work-tool interface

Effect of Temperature on Tool - Workpiece





Effect on cutting tool

- Thermal expansion of the tool Temp may go > 700 degrees $\rm C$
- · Plastic deformation of cutting edges, Rapid tool wear
- · Formation of build up edge ,poor surface finish, inaccuracy

· Distortion, Residual stresses, Poor dimensional accuracy.

Factors affecting Temperature in machining

- · Cutting parameters: Cutting Speed, Feed, Depth of cut, coolant
- Tool geometry: rake angle, nose radius, tool wear
- Material properties of workpiece and tool:
 Specific heat, Thermal conductivity
- · Temperature increases for
 - Higher hardness and tensile strength materials (Ferrous, Titanium)
 - Lower thermal conductivity of workpiece
 Low Shear angle

 - Dry cutting

Distribution of cutting energy

$$W_c = W_s + W_f$$

- W_c = Power consumed in machining = $F_c V$
- $-W_s$ = Power consumed in primary shear zone = F_sV_s
- $-W_f$ = Power consumed in secondary zone = FV_c
- Typically, 60-70% of the energy in the metal cutting is consumed in
- Remaining 40-30% is consumed at the tool-chip interface (assuming a perfectly sharp tool)
- Energy consumed in the Tool-workpiece contact (due to tool rubbing) is generally neglected.

Estimation of Temperature in machining

- · To evaluate machinability of work materials
- · To evaluate Tool materials
- · To select Process parameters in machining
- To analyze distortions and residual stresses in work
 To design machine elements Thermal stresses

Techniques

- $\bullet \quad Analytical \ methods-Computational \ Modeling$
- · Experimental measurements

Power in Primary shear zone

Power consumed in Shear zone $W_s = W_c - W_f$ = $F_c V - F V_c$

Cutting velocity (V) and chip velocity (V_c) are related by

$$V_c = rV = \frac{\sin \phi}{\cos(\phi - \gamma)}V$$

$$W_S = F_c V - F V_c = V (F_c - F r)$$

Fraction of this power goes into chip to raise its temperature. Typically the fraction is about $85-90\,\%$.

Work done (Power) in machining Work done in shear zone (W_s) $W_s = F_S V_S$ F_s Shear force on shear plane V_s shear velocity Work done in overcoming FV_c work tone in overcoming the friction + secondary plastic deformation (W_f) $W_f = F Vc$ F friction force on rake V_c chip velocity Total work done in cutting $W_c = FcV = W_s + Wf$ Total work done W = work supplied by electric motor W_m = Work consumed in cutting action + Work done in feeding motion Neglecting work in feed motion. $W_m \approx W_c = Ws + Wf$ $F_cV = FsVs + FVc$

Temperature in Primary shear zone

If γ is fraction of primary heat which goes to the work piece, (1- γ) will be tken by chips

Value of γ depends upon shear angle φ and thermal conductivity k $(\gamma = 0.15-0.1)$

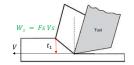
$$\gamma = 0.15 \ln \left(\frac{27.5}{\lambda \tan \phi} \right) \qquad \qquad \lambda = \frac{\rho cVt}{k}$$

- γ : fraction of primary heat which conducted to the work piece, ρ : density of workpiece material

- c: specific heat of workpiece material
 k: thermal conductivity of workpiece material
- V: cutting Speed t: uncut chip thickness

Temperature Rise in Primary shear zone

 $W_s = F_c V - F V_c$



y: fraction of primary heat which conducted to the work piece (1- γ) fraction will be taken by chips.

Heat taken away by the chips = $(1 - \gamma)W_s$

 $= mc\Delta\theta$

c: Sp heat

Mass of material removed per unit time : $m = Vwt\rho$ Temperature rise of material passing through shear zone

$$\Delta\theta_s = \frac{(1 - \gamma)W_s}{Vwt\rho c}$$

Role of cutting fluids in machining

Temperature affects the tool wear and thus productivity
• Need to reduce temperature to Increases tool life

- Reduced friction on the rake surface

Use of Cutting fluid

- Cools down chip-tool-work zone by carrying away generated heat Reduces the coefficient of friction at chip-tool Interface

Cutting fluids should have following properties:

- Large specific heat and good thermal conductivity,
- Low viscosity, Nonpoisonous/Inexpensive

Types of cutting fluids:

- Water $\bar{\text{based}}$ (contains salt or soluble oils)
 - Mineral/ Synthetic oil

Temperature Rise in Secondary zone

Maximum temperature rise $\Delta\theta_{\rm f}$ when material passes through the

$$\Delta\theta_f \approx 1.13 \left[\frac{\lambda t_c}{l} \left(\frac{W_f}{\rho c V w t} \right) \right]$$

$$\lambda = \frac{\rho cVt}{k}$$

- Here, l is the length of contact between tool and chip $\frac{l}{t_c} \approx [1 + \tan(\phi - \alpha)]$

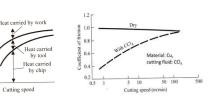
Average temperature rise of material passing through secondary shear zone $\Delta\theta_f = 1.13 \sqrt{\frac{1}{\rho cVt~k[1+\tan(\phi-\alpha)]} \frac{W_f}{w}}$

$$\Delta\theta_f = 1.13 \sqrt{\frac{1}{\rho cVt} \frac{1}{k[1 + \tan(\phi - \alpha)]} \frac{W_f}{w}}$$

· Final temperature rise is given as:

$$\Delta\theta = \Delta\theta_s + \Delta\theta_f$$

Effect of cutting fluid



At higher cutting speed,

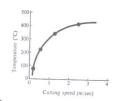
- Chip carries away most of the heat -70-80~%
- Effectiveness of cutting fluids reduces as it take some finite time to reach the zone of cutting in work

Tool Chip overall Temperature

Overall chip-tool interface temperature (θ_{ov}) relation from experimental studies

$$\theta_{ov} \propto \frac{V^{0.4} f^{0.2} t^{0.1}}{V^{0.1}}$$

- Influence of Speed is maximum V > f > t
- · Inverse in Nose radius r beneficial
- Increase of Shear angle ϕ beneficial · Reduction in Cutting Forces



Cutting Fluid : Application methods

Cutting fluid can be applied by several ways:

- · Manual brush/ By flood exposure / Through spindle cooling
- Mist cooling small droplets through Spray







Through spindle cooling