

Design Automation and Software Tools for Quantum Computing

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<https://iic.jku.at/eda/research/quantum/>

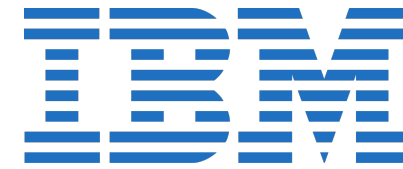
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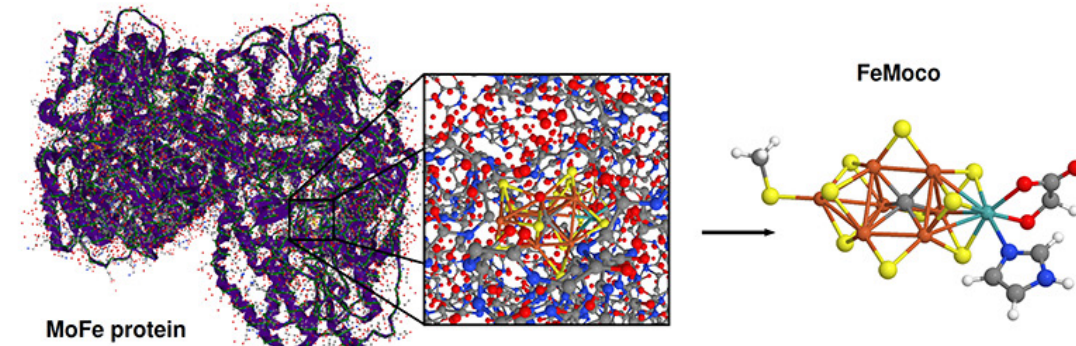


Quantum Computing: The next big Thing

- Global Players are heavily investing
 - IBM, Google, Microsoft, Amazon
 - Startups: Rigetti, IonQ, ...
 - **Exponential improvements** in the best case
- Killer Application: Haber-Bosch Process
 - 1-2% of world's energy consumption
 - 3-5% of world's gas production (\$11 Billion)
 - Bacteria does similar with fewer energy
 - Quantum computers simulate underlying process
- Integer factoring in polynomial time
 - Break current internet cryptography
- Machine learning, physics simulation, unstructured search, ...

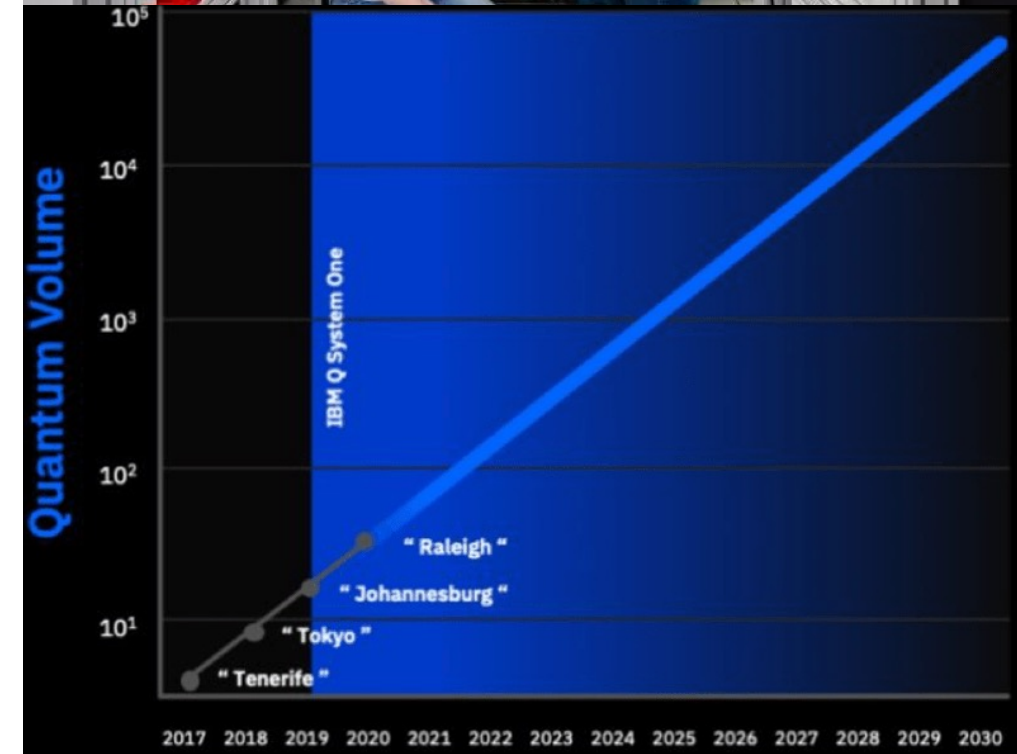
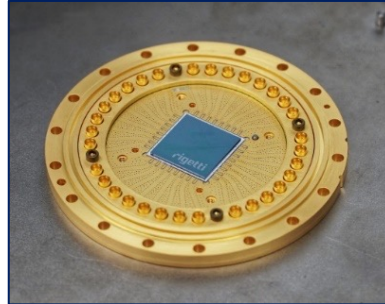
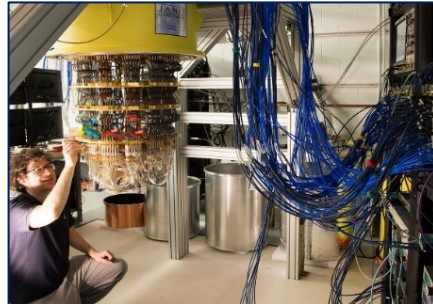
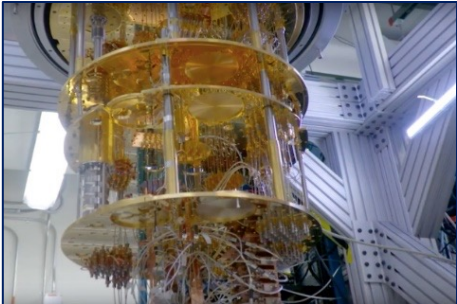


Microsoft



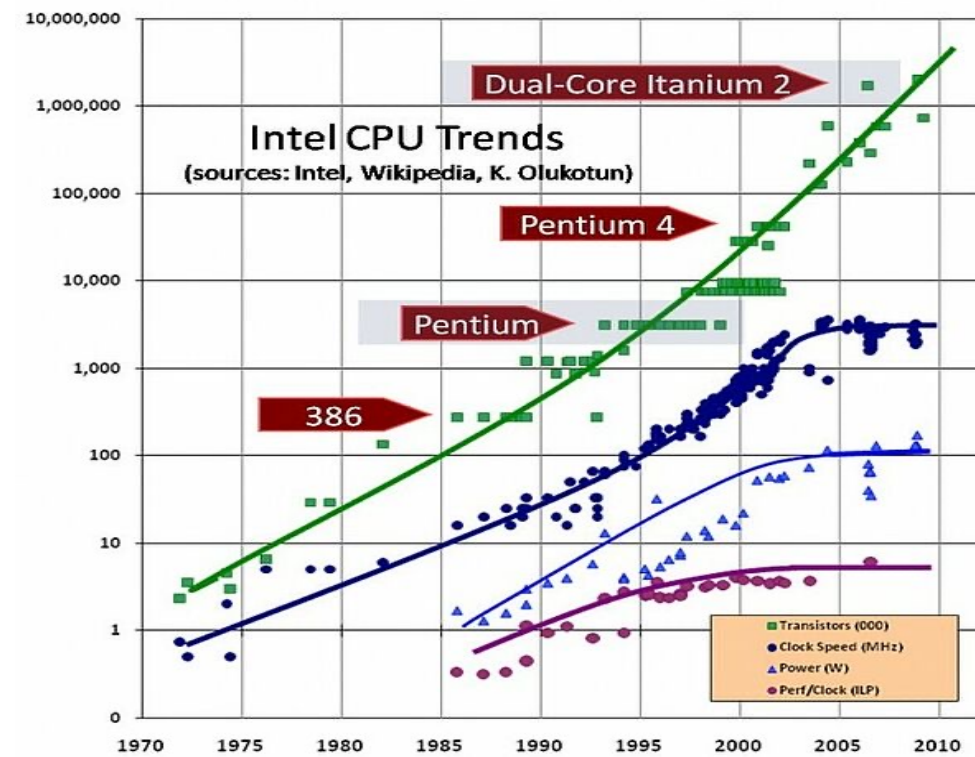
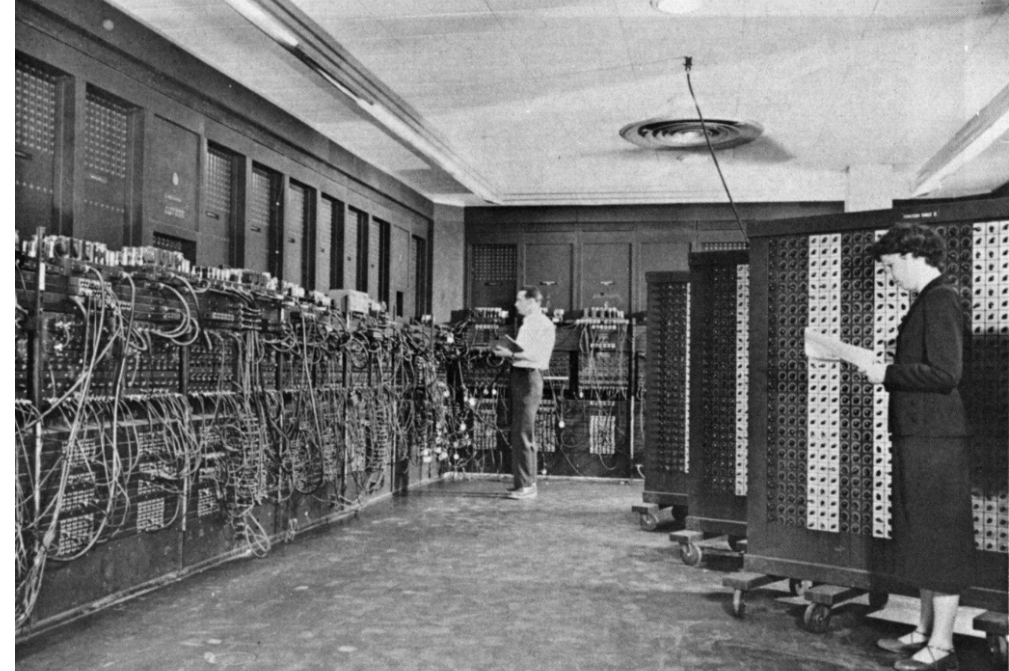
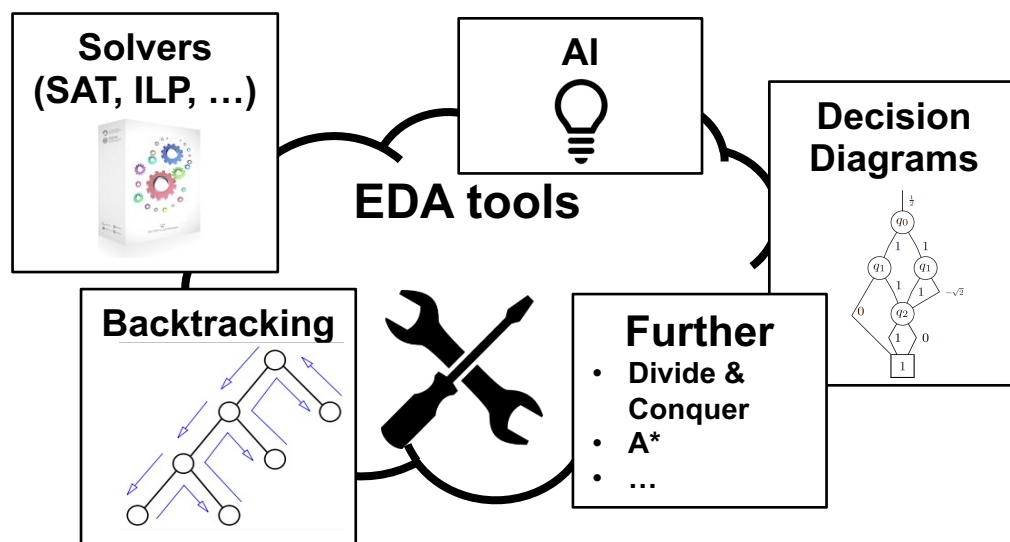
Quantum Hardware

- Significant progress in recent years
 - Publicly available quantum computers by IBM (2017)
 - Google claims quantum supremacy (2019)
- IBM Roadmap:
 - 2020: 65 qubits
 - 2021: 127 qubits
 - 2022: 433 qubits
 - 2023: 1.127 qubits
 - Beyond: Million of qubits



Analogy to Conventional Computers

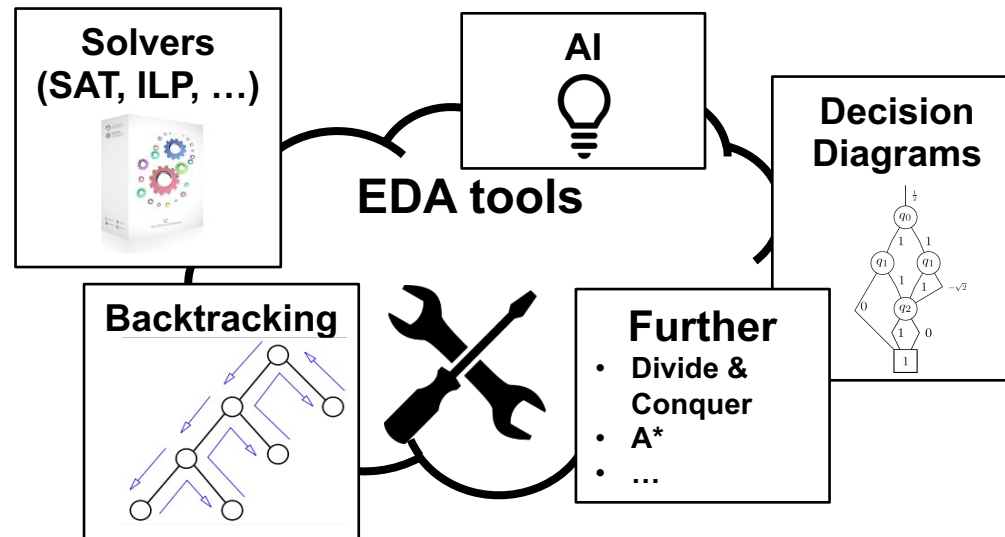
- Similar picture if we look back in time
 - First, bulky computers
 - Moores law
 - Digital revolution
- EDA tools enabled their success
 - **Handle** problems with **enormous complexity**



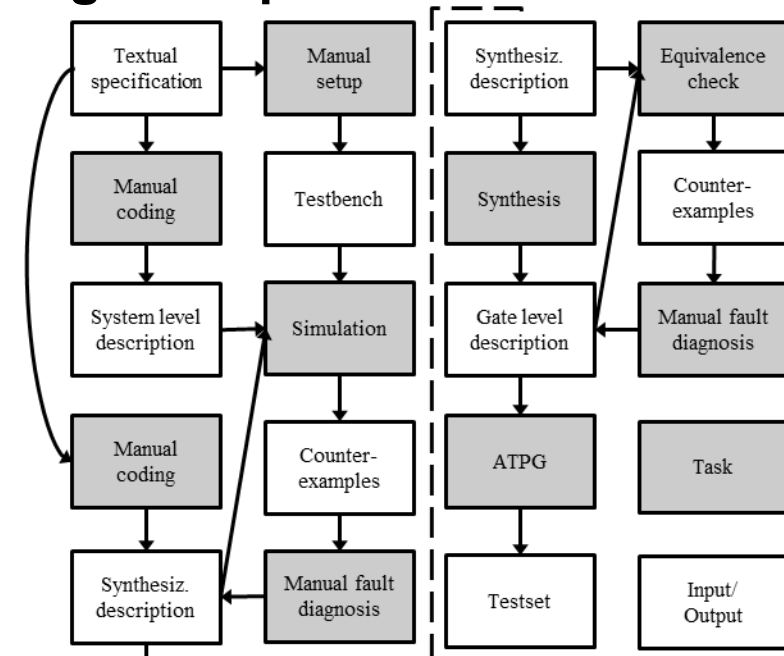
Analogy to Conventional Computers

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 - First, bulky computers
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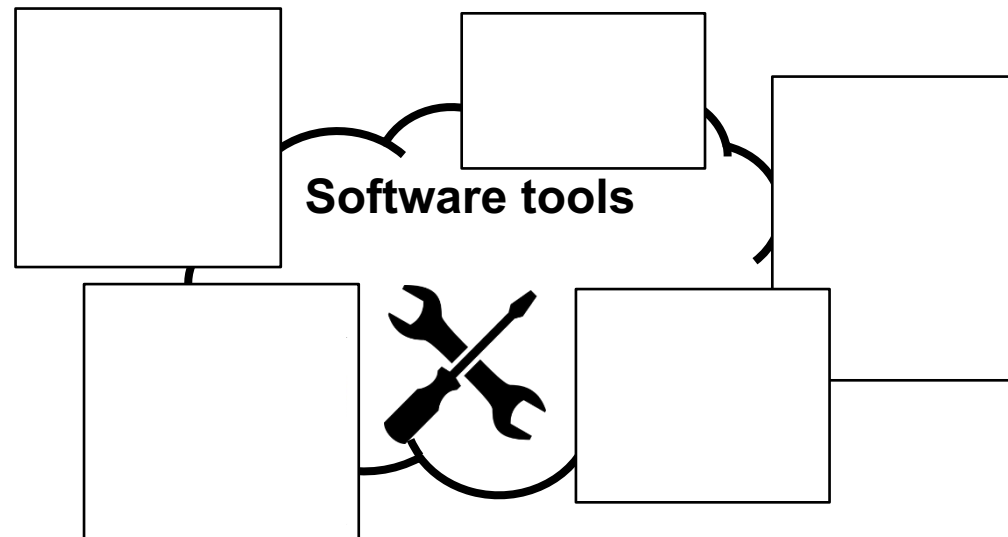


- **Emerge of powerful design/compilation flows**

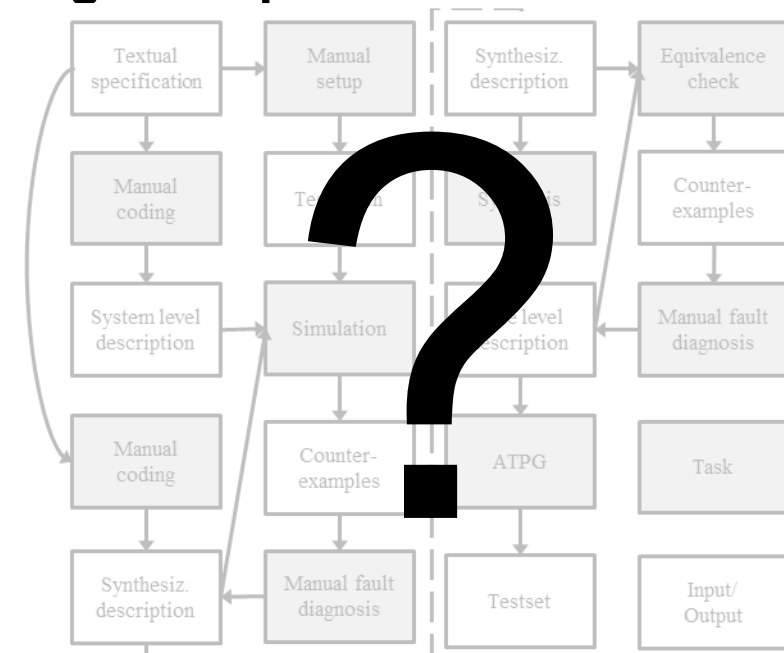


We may end up in a situation where we have quantum computers but no efficient methods to use or design them

■ Software tools

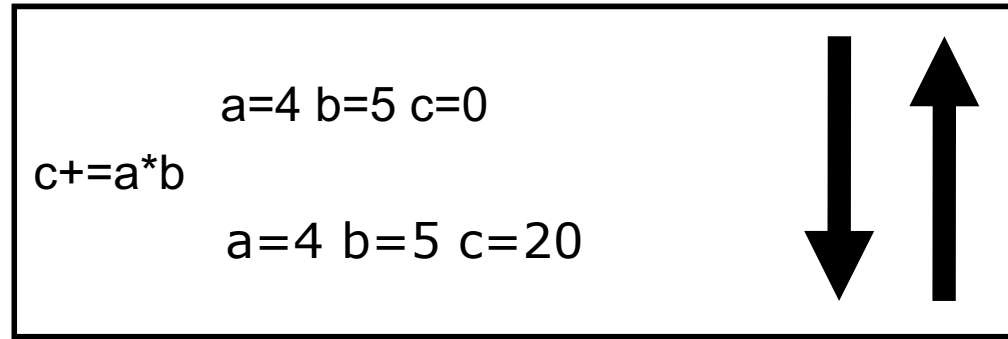


■ Emerge of powerful design/compilation flows



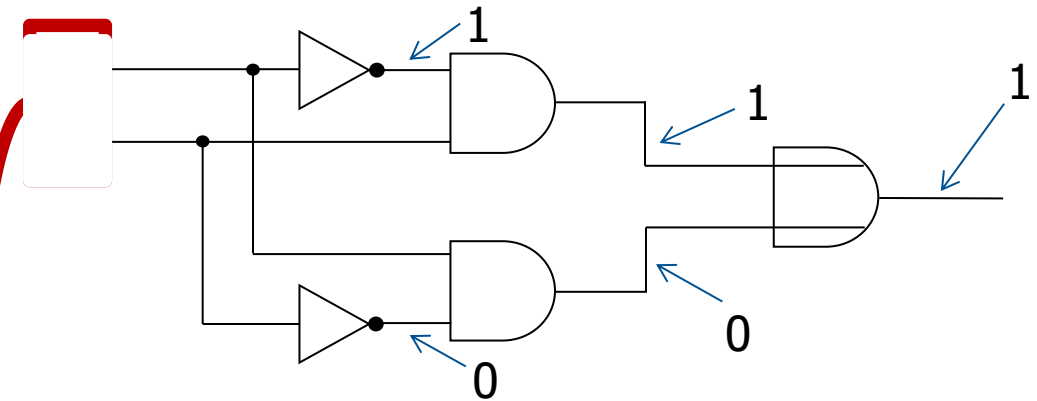
Challenges (Examples)

- “Programming” (different paradigms)
- Every quantum operation is inherently reversible



- Not to mention
 - Dealing with “0 and 1 at the same time”
 - Understanding/Handling quantum operations
 - Physical constraints
 - Error correction
 - ...

Simulation



$$|\psi\rangle = \begin{bmatrix} \alpha_{00} \\ \alpha_{01} \\ \alpha_{10} \\ \alpha_{11} \end{bmatrix}$$

Exponential complexity

Already simple tasks are substantially harder for quantum computing than for conventional circuits/systems

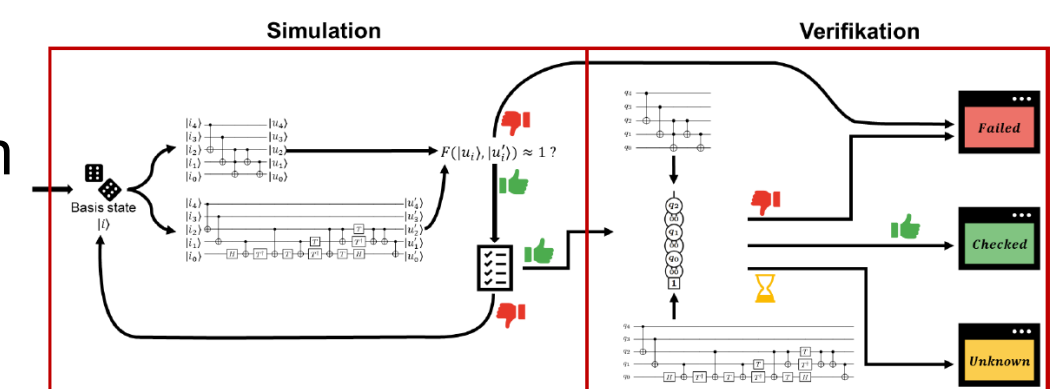
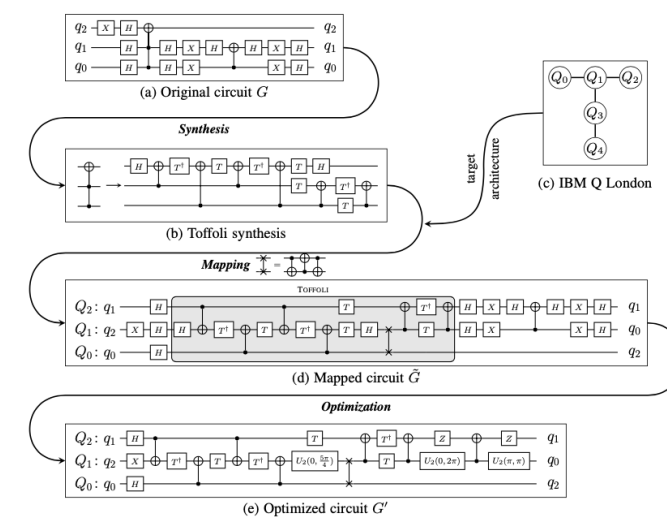
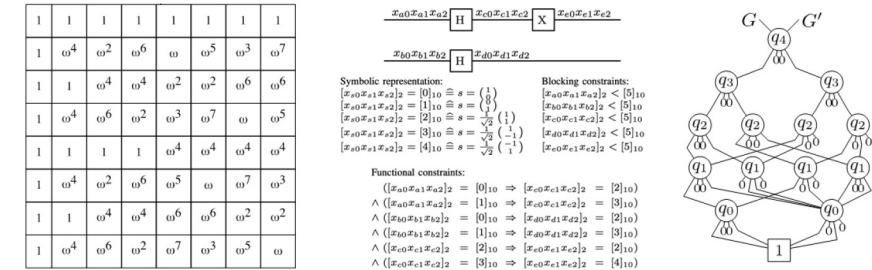
Further:

- Interdisciplinarity
- Terminology and Formalizations
- ...

Focus of This Talk

■ Development of (automatic) methods and tools for the design of quantum algorithms, quantum circuits, and quantum systems

- Core Methods and Data-structures
- Compilation/Synthesis quantum functionality to quantum devices (e.g. IBM QX architectures, Ion-Traps)
- Simulation and verification of quantum computations
- ...



Data-structures #1

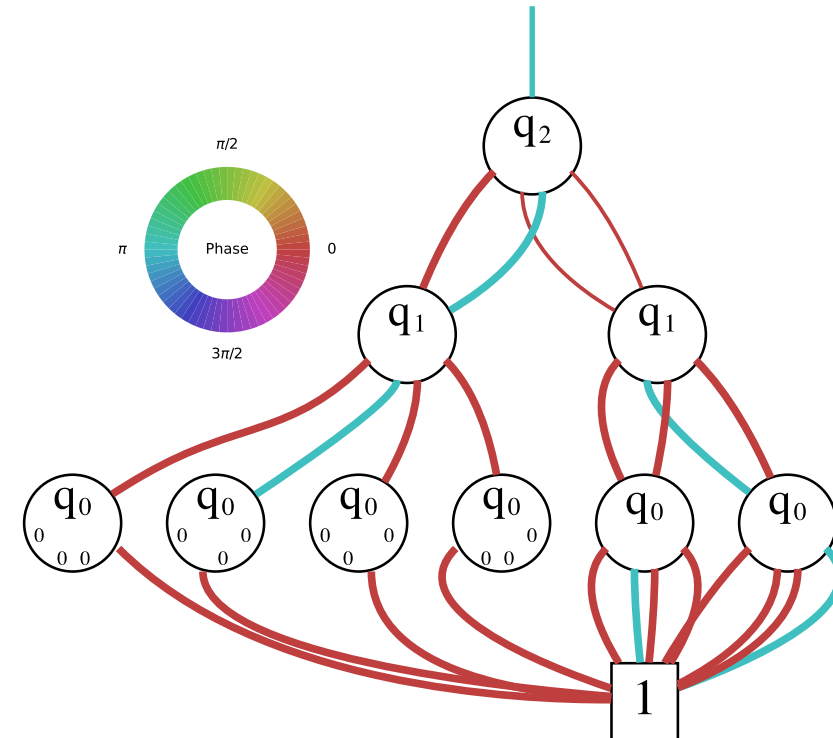


Functionality

$$-\frac{1}{\sqrt{2}} \begin{pmatrix} 0 & 0 & 0 & -1 & 1/2 & -1/2 & -1/2 & -1/2 \\ 0 & 1 & 0 & 0 & 1/2 & 1/2 & -1/2 & 1/2 \\ 0 & 0 & 1 & 0 & 1/2 & -1/2 & 1/2 & 1/2 \\ 1 & 0 & 0 & 0 & 1/2 & 1/2 & 1/2 & -1/2 \\ 0 & 0 & 0 & 1 & 1/2 & -1/2 & -1/2 & -1/2 \\ 0 & -1 & 0 & 0 & 1/2 & 1/2 & -1/2 & 1/2 \\ 0 & 0 & -1 & 0 & 1/2 & -1/2 & 1/2 & 1/2 \\ -1 & 0 & 0 & 0 & 1/2 & 1/2 & 1/2 & -1/2 \end{pmatrix}$$



Decision Diagram



Eventually allows for compact representation and efficient manipulation in many cases

Simulation #1

- Matrix vector multiplication:

$$\underbrace{\begin{bmatrix} 1 & 0 & 0 & 0 \\ 0 & 1 & 0 & 0 \\ 0 & 0 & 0 & 1 \\ 0 & 0 & 1 & 0 \end{bmatrix}}_{CNOT} \times \underbrace{\begin{bmatrix} \alpha_{00} \\ \alpha_{01} \\ \alpha_{10} \\ \alpha_{11} \end{bmatrix}}_{Input} = \begin{bmatrix} \alpha_{00} \\ \alpha_{01} \\ \alpha_{11} \\ \alpha_{10} \end{bmatrix}$$

- Example

$$H|1\rangle$$

- Matrices and state vectors grow exponentially with respect to the number of qubits
- ➔ **Efficient representation and manipulation of quantum systems**

Simulating Shor's algorithm (31 Qubits)

- Microsoft's simulator
 - Exponential complexity



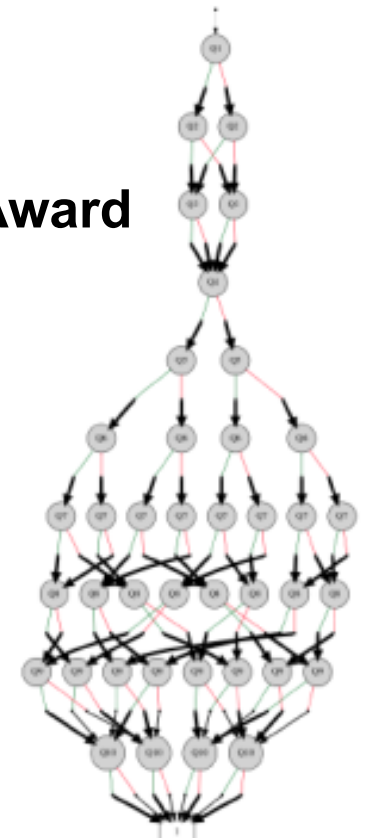
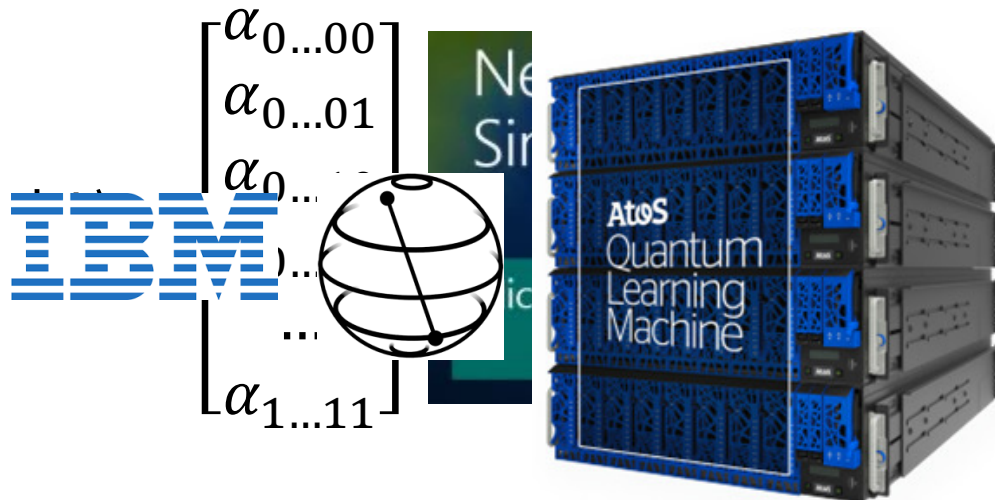
- DD-based simulation
 - Exploit redundancies by shared nodes
 - Computations in $O(n^2)$

- Memory: < 100 MB
- Simulation time: < 1 Min

- Google Faculty Research Award



- Integration into
 - IBM Qiskit
 - ATOS QLM



Simulation – MQT DDSIM DEMO

<https://github.com/cda-tum/ddsim>
`pip install mqt.ddsim`

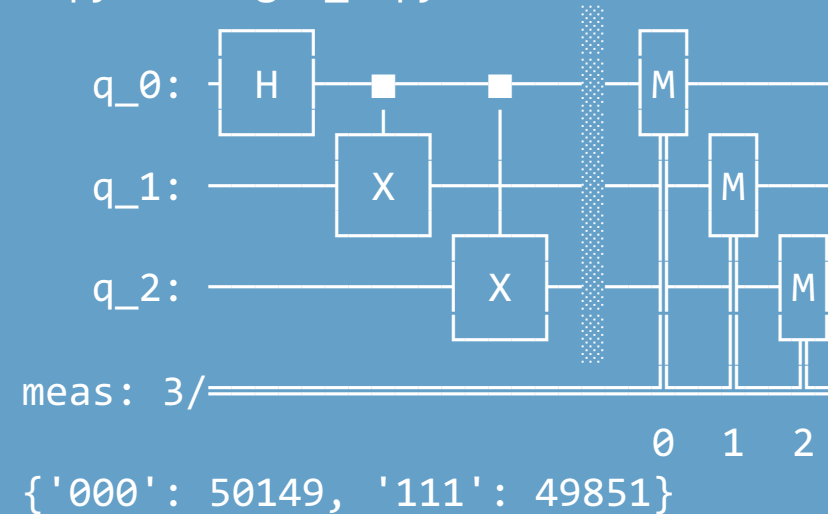
```
ghz_3.py
from qiskit import *
from jkq import ddsim

circ = QuantumCircuit(3)
circ.h(0)
circ.cx(0, 1)
circ.cx(0, 2)
circ.measure_all()
print(circ.draw())

provider = ddsim.JKQProvider()
backend = provider.get_backend('qasm_simulator')
job = execute(circ, backend, shots=100000)
result = job.result()
counts = result.get_counts(circ)
print(counts)
```

Terminal

```
$ python3 ghz_3.py
```



```
meas: 3/
      0 1 2
{'000': 50149, '111': 49851}
```


Compilation



Conceptual algorithm



Limited Gate Set



Synthesis



Limited Connectivity



Mapping



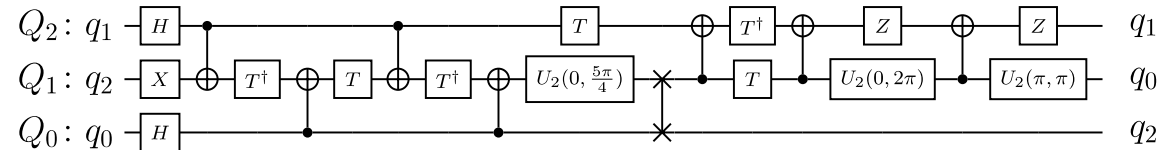
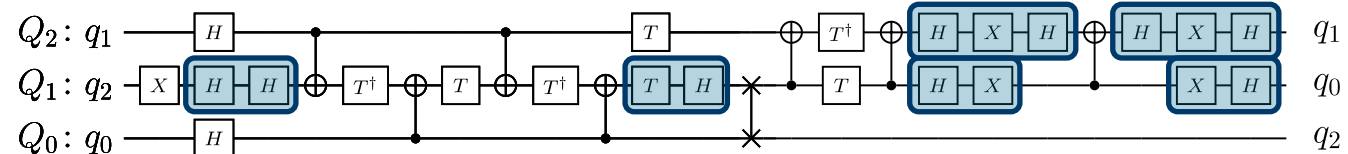
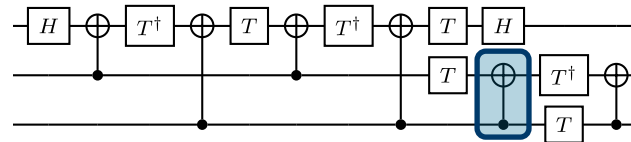
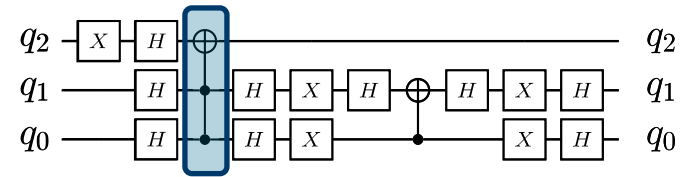
Limited Fidelity and Coherence



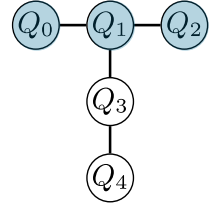
Optimizations



Actual Realization



Target Device



➔ Kind of “typical” EDA problems (some of them proven NP-hard)

Compilation – MQT QMAP DEMO – JKQ DDSIM

<https://github.com/cda-tum/qmap>

`pip install mqt.qmap`

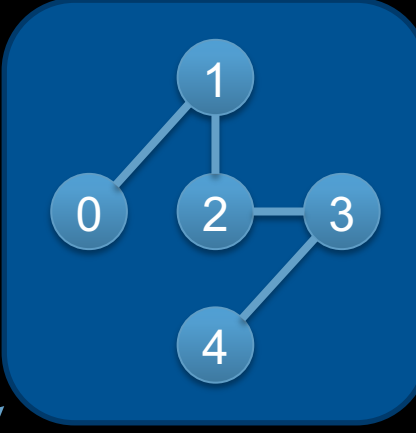
```
ghz_4.py
from qiskit import *
from jkq import qmap

circ = QuantumCircuit(4)
circ.h(0)
circ.cx(0, 1)
circ.cx(0, 2)
circ.cx(0, 3)
print(circ.draw())

arch = qmap.Arch.IBMQ_Bogota
method = qmap.Method.exact

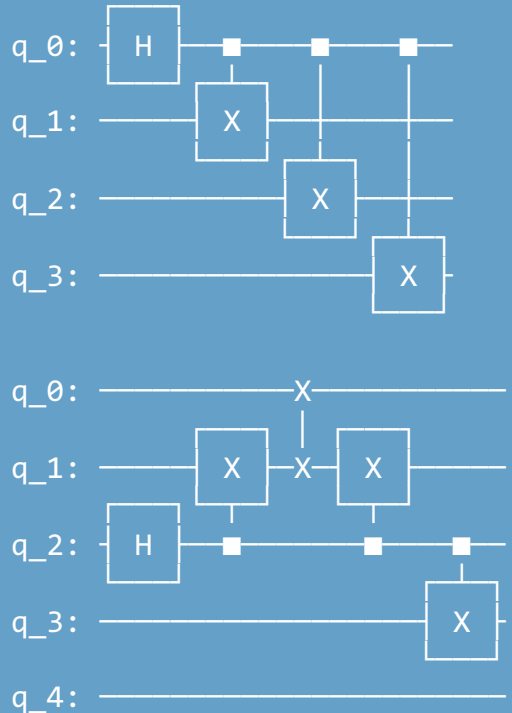
result = qmap.compile(circ, arch=arch, method=method)

qasm = result['mapped_circuit']['qasm']
m_circ = QuantumCircuit.from_qasm_str(qasm)
print(m_circ.draw())
```



Terminal

```
$ python3 ghz_4.py
```



Verification



Conceptional algorithm



Limited Gate Set



Synthesis



Limited Connectivity



Mapping



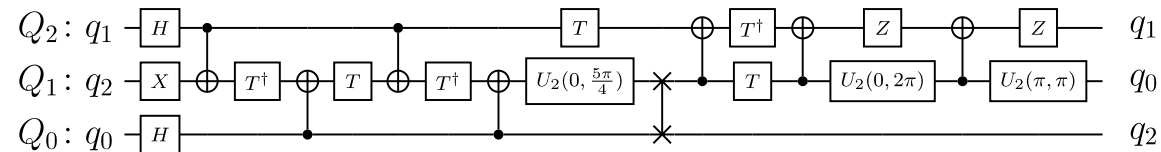
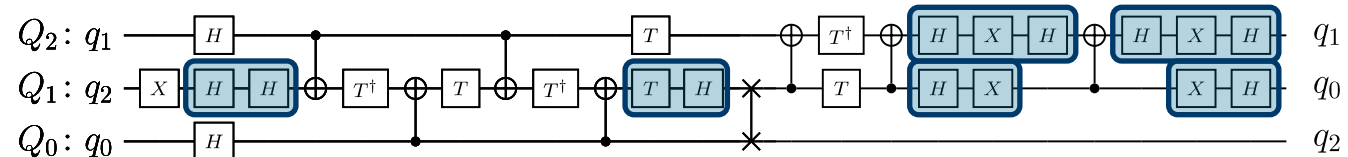
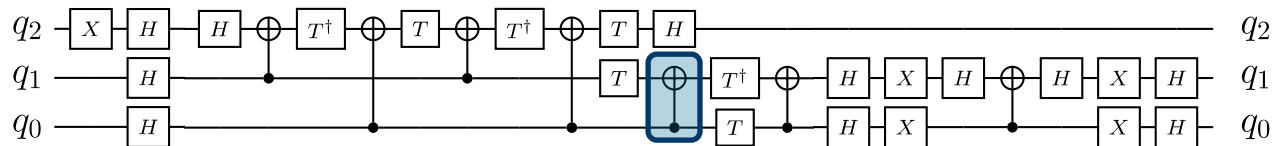
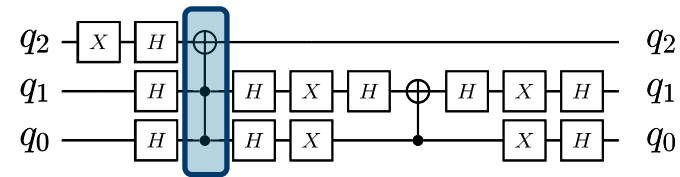
Limited Fidelity and Coherence



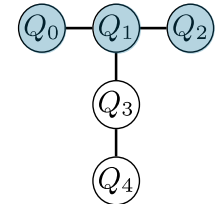
Optimizations



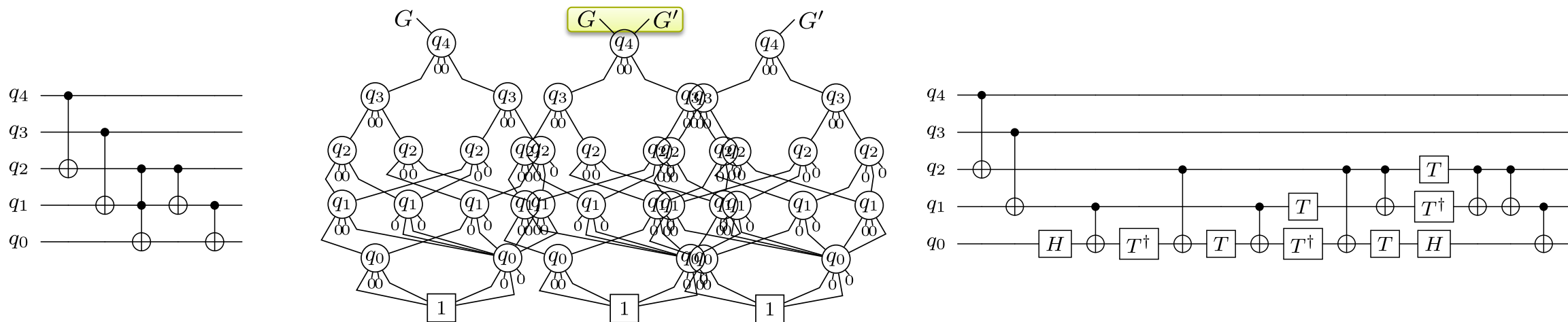
Actual Realization



Target Device



➔ Kind of “typical” EDA problems (some of them proven NP-hard)

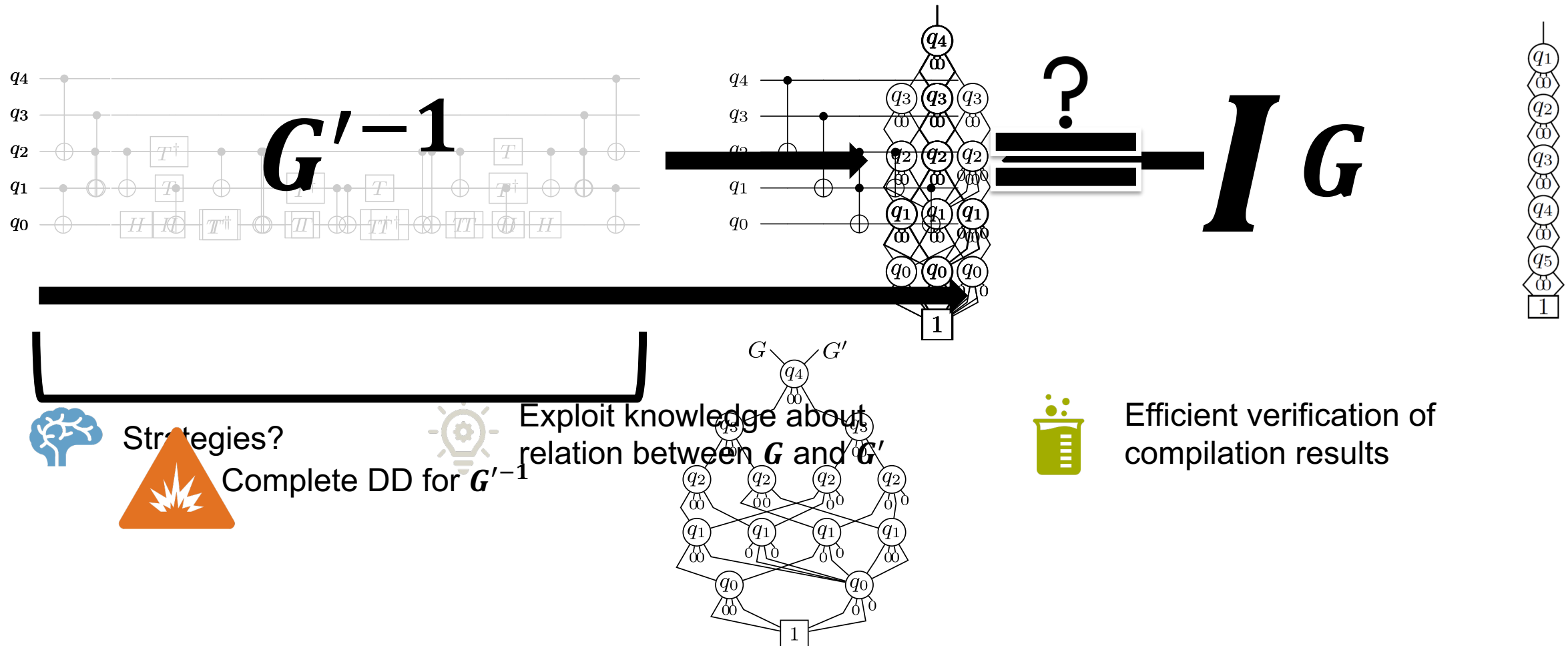


$$[U_m \dots U] U_0 \stackrel{?}{=} [U'_m \dots U'] U'_0$$

We can do even better

- If $G \equiv G'$, then $G'^{-1} \cdot G \equiv I$

- G'^{-1} easy due to reversibility



Exploiting Knowledge about the Compilation Flow



Conceptual algorithm



Limited Gate Set



Synthesis



Limited Connectivity



Mapping



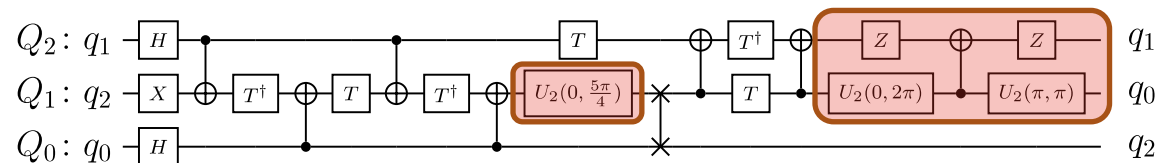
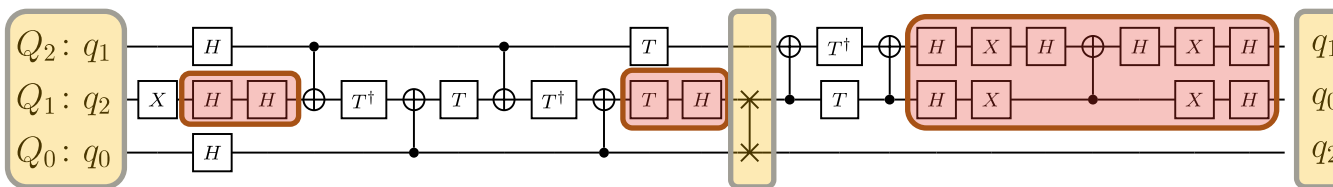
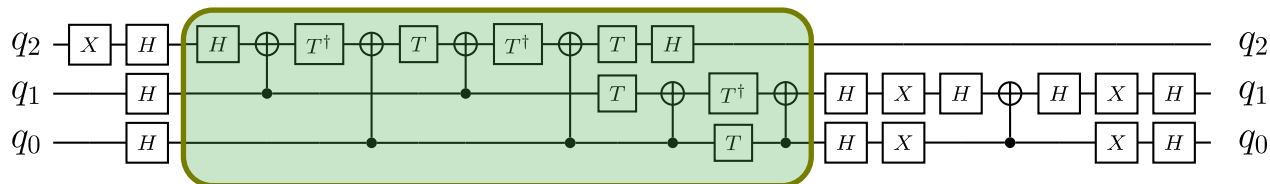
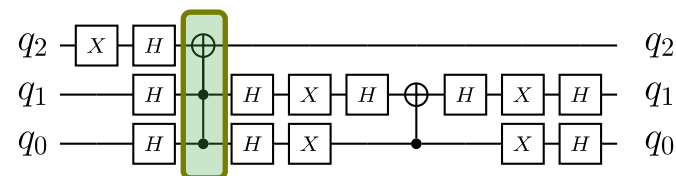
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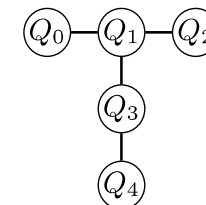
Optimizations



Actual Realization



Target Device



easy to incorporate

necessary

potentially hard

Verification – MQT QCEC DEMO

<https://github.com/cda-tum/qcec>

`pip install mqt.qcec`

```
ghz_4.py

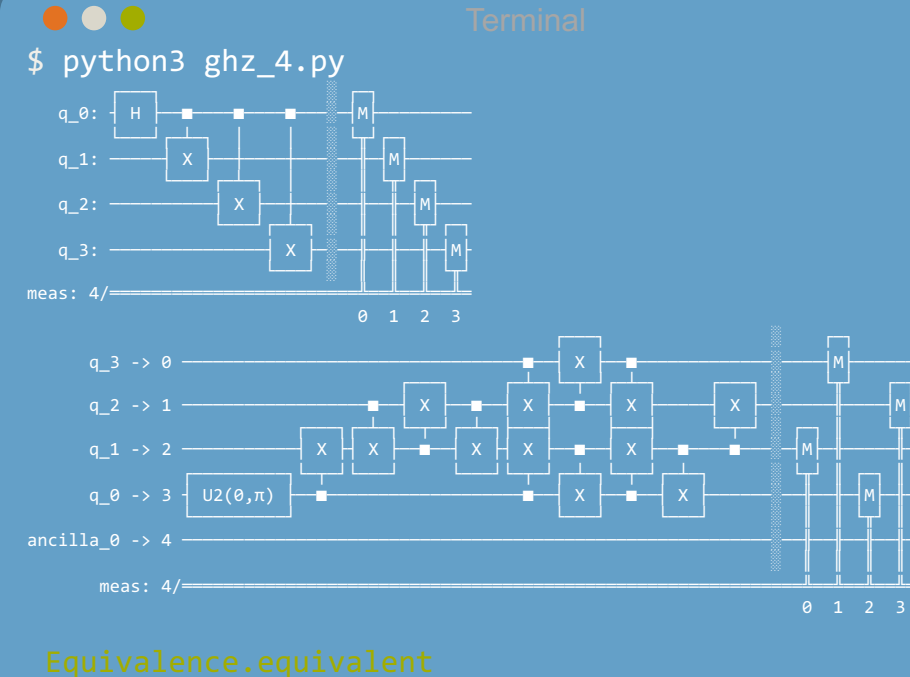
from qiskit import *
from qiskit.test.mock import FakeBogota
from jkq import qcec

circ = QuantumCircuit(4)
circ.h(0)
circ.cx(0, 1)
circ.cx(0, 2)
circ.cx(0, 3)
circ.measure_all()
print(circ.draw())

backend = FakeBogota()
m_circ = transpile(circ, backend=backend, optimization_level=2)
print(m_circ.draw())

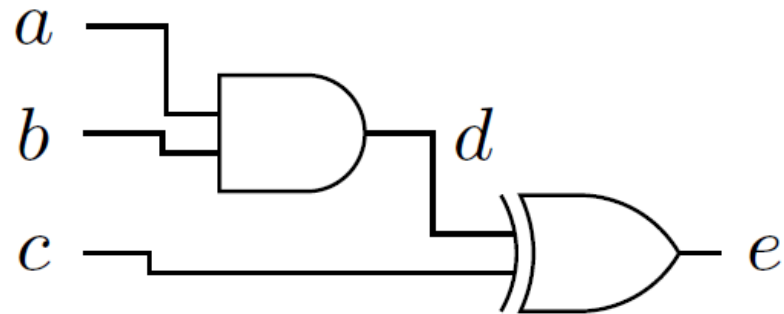
config = qcec.Configuration()
config.strategy = qcec.Strategy.compilationflow

result = verify(circ, m_circ, config)
print(result.equivalence)
```



Core Methods

■ SAT Solving (classical)



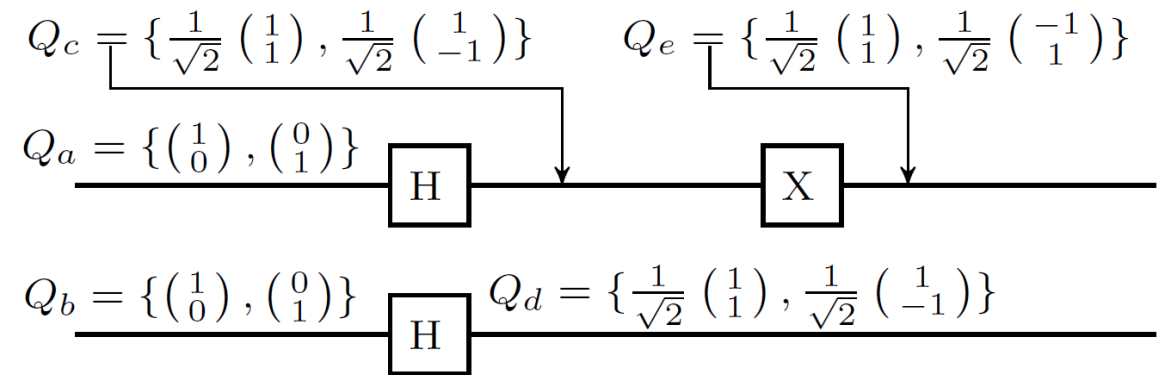
$$(x_d = x_a \wedge x_b)$$

$$\wedge (x_e = x_c \oplus x_d)$$

■ Exploitation of decades of design automation

■ Goal: Generic interface/library providing a stack of alternatives to be used in a black-box fashion

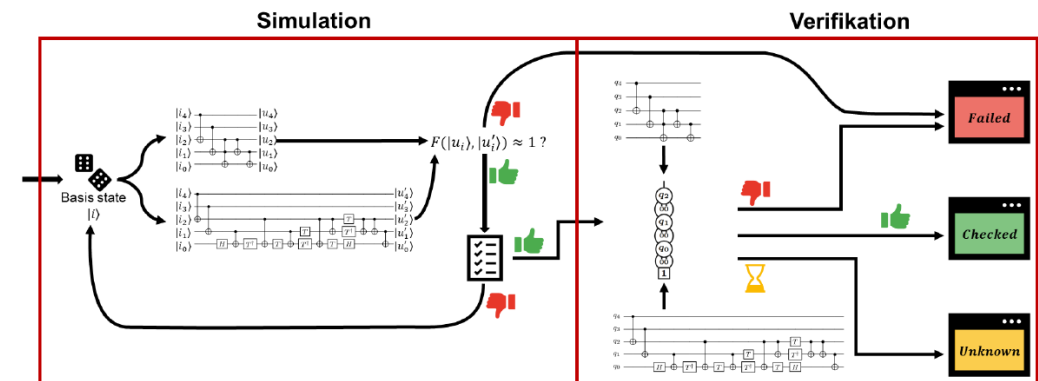
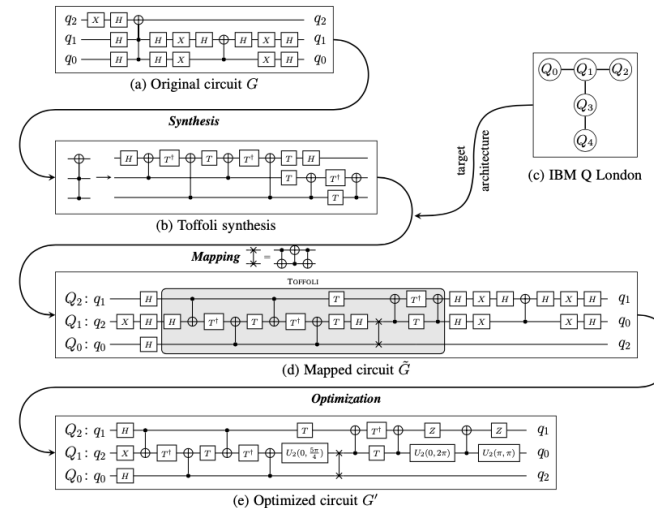
■ SAT Solving (quantum)



	\mathcal{U}	
	H	X
$q_0 = \begin{pmatrix} 1 \\ 0 \end{pmatrix}$	$\frac{1}{\sqrt{2}} \begin{pmatrix} 1 \\ 1 \end{pmatrix}$	-
$q_1 = \begin{pmatrix} 0 \\ 1 \end{pmatrix}$	$\frac{1}{\sqrt{2}} \begin{pmatrix} 1 \\ -1 \end{pmatrix}$	-
$q_2 = \frac{1}{\sqrt{2}} \begin{pmatrix} 1 \\ 1 \end{pmatrix}$	-	$\frac{1}{\sqrt{2}} \begin{pmatrix} 1 \\ 1 \end{pmatrix}$
$q_3 = \frac{1}{\sqrt{2}} \begin{pmatrix} 1 \\ -1 \end{pmatrix}$	-	$\frac{1}{\sqrt{2}} \begin{pmatrix} -1 \\ 1 \end{pmatrix}$
$q_4 = \frac{1}{\sqrt{2}} \begin{pmatrix} -1 \\ 1 \end{pmatrix}$	-	-

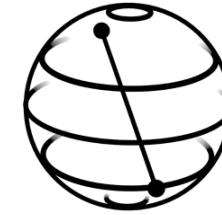
- ☐ ...

Figure 1 illustrates the symbolic representation of the 2D Ising model. The top part shows a single spin configuration with a central spin 'x' and its four neighbors. The bottom part shows a 2D lattice with spins 'x' and 'y' and their neighbors. The lattice is divided into two regions by a vertical line, with the left region labeled 'H' and the right region labeled 'X'.



Selected Results

- Methods have been integrated in toolkits such as **IBM's Qiskit** or **Atos' QLM**
- The work on simulation of quantum computations has been recognized by a **Google Research Award**
- The work on compilation to IBM QX architectures received the **first price in the IBM QISKIT Developer Challenge**
- Work on Design Automation for Quantum Computing supported by **ERC Consolidator Grant**



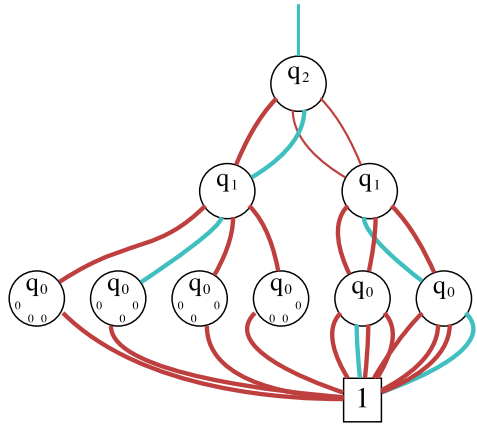
Atos



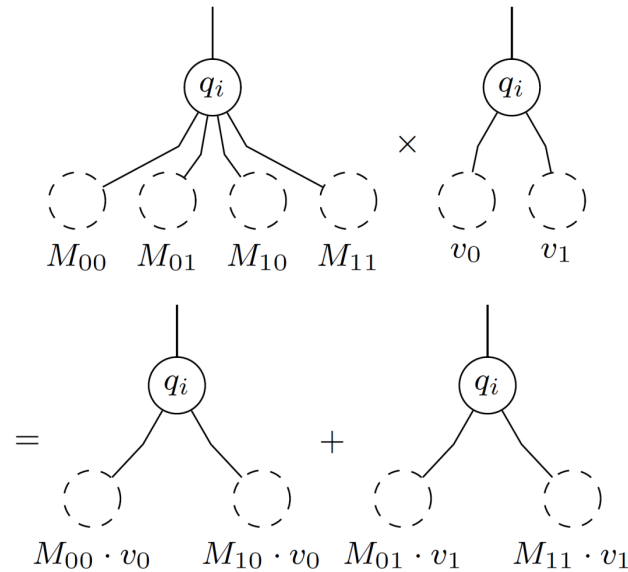
European Research Council
Established by the European Commission

Tools for Quantum Computing

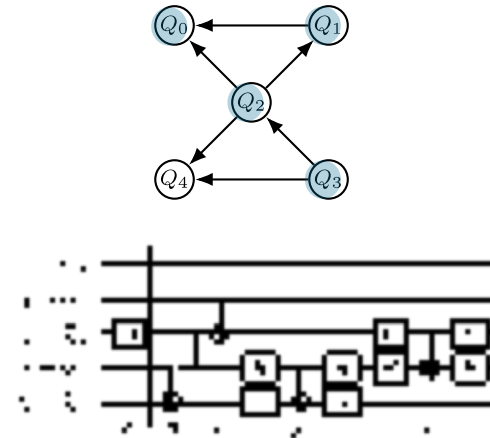
■ Representation



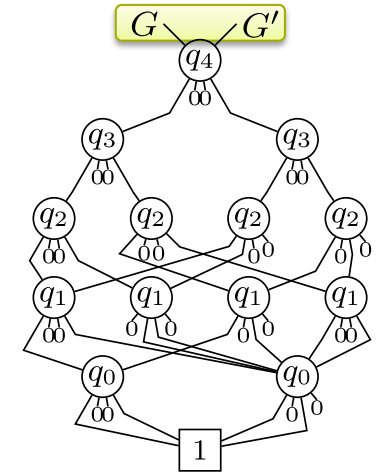
■ Simulation



■ Compilation



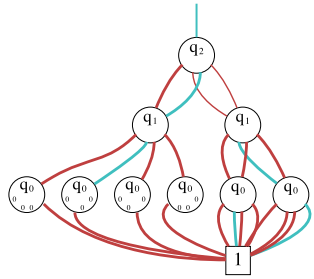
■ Verification



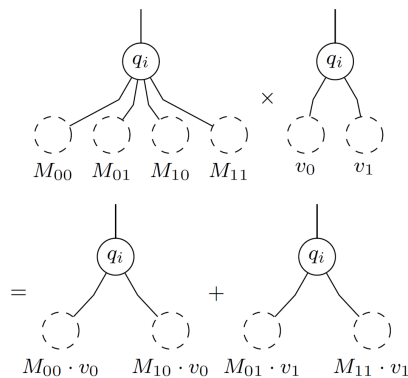
<https://github.com/cda-tum>

Tools for Quantum Computing

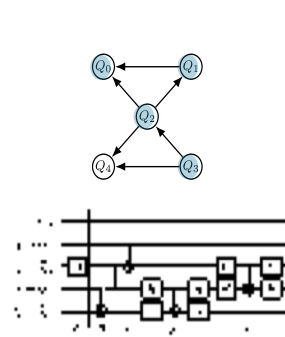
■ Representation



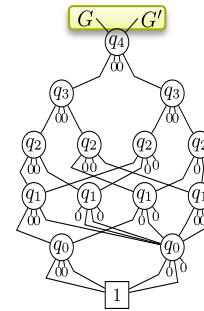
■ Simulation



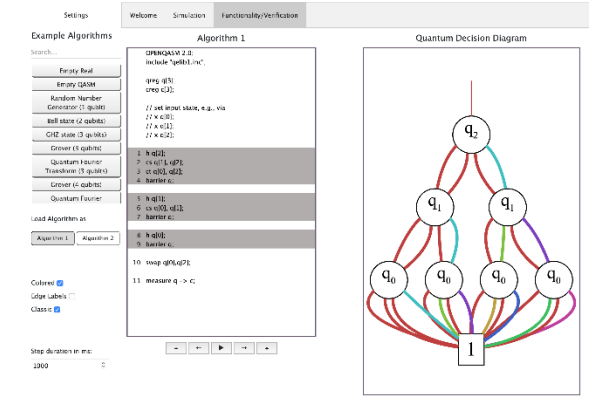
■ Compilation



■ Verification



■ Web-based and installation-free tool



<https://github.com/cda-tum>

<https://www.cda.cit.tum.de/app/ddvis/>

- Can be used as black box (pure interface to conduct quantum operations; no understanding of the internal working necessary)



- More information: <https://www.cda.cit.tum.de/research/quantum/>

