# A Geometry for Network Visualization in ggplot2

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There are many implementations of static network visualization in R, but none are equipped with the flexibility and functionality of ggplot2. geom\_net was created to fill this gap. Using two data frames to describe vertex and edge information, geom\_net makes use of the underlying structure of ggplot2 to visualize networks. This makes it possible to easily facet networks according to covariates or change aesthetics such as shape, size, or color according to additional edge or vertex information.

#### todo list:

- 1. there is no protein.rda in the data folder could you please put it there?
- 2. include installation instruction for package ggnet

# 1. INTRODUCTION

At its core, a network is simply a set of points connected in pairs by a set of lines (Newman, 2010). Here, we refer to the lines as edges and the points as vertices, although these are also called nodes. These two seemingly simple sets of graphical objects, points and segments, are used to encode a huge variety and quantity of information across many fields of study. For instance, networks of scientific collaboration, a food web of marine animals, and American college football games are all covered in a paper on community detection in networks by Girvan and Newman (2002). Additionally, Buldyrev et al. (2010) examine node failure in interdependent networks like power grids. Social networks, such as links between actors found on www.imdb.com, and neural networks, like the completely mapped neural network of the C. elegans worm are also etensively studied (Watts and Strogatz, 1998). Networks vary widely in scope and complexity: the smallest network is simply an edge between two vertices, while one of the most commonly used and most complex networks, the world wide web, has billions of vertices (webpages) and billions of edges (hyperlinks) connecting them. The edges in a network can be directed or undirected: directed edges represent information travelling from one vertex to another, and switching the direction would change the structure of the network. The world wide web is an example of a directed network because one webpage may link to another, and not necessarily the other way

around. Undirected edges, however, are simply connections between vertices. Coauthorship networks that encode information about academic publications are examples of undirected networks because if two people author a paper together, that creates a connection between them that is bidirectional.

A social network is a network that everyone is a part of in one way or another. We do not necessarily refer here to social media like Facebook or LinkedIn, but rather to the connections we form with other people. To demonstrate the functionality of our geometry for plotting networks, we have chosen an example of a social network from the popular television show Mad Men. This network was compiled in Chang (2013). In this example network, there are 52 vertices and 87 edges. Each vertex is a character on the show, and there is an edge between every two characters who have had a romantic relationship.

This network is shown in figure 1.

In the plot, we can see one central character who has many more relationships than any other character. This vertex represents the main character of the show, Don Draper, who is quite the "ladies' man." This fun example shows just how ubiquitous networks are.

There are many kinds of networks, and networks are extensively studied across many disciplines. Many sociologists study social networks, and many biologists study protein networks. As different as these and the many other disciplines that study networks are, they all need the ability to quickly and effectively visualize networks. We found the current tools to be lacking in this ability, so we chose to fill this gap by adding network plotting capabilities to the popular and widely used R package ggplot2. Just to give an idea of the popularity and the wide-spread use of ggplot2, from January 1, 2015 to March 21, 2015, ggplot2 was downloaded over 270,000 times, or approximately 3,454 downloads per day. It has also been downloaded in 189 countries at least once, and in 31 of those countries, including China, Israel, and Colombia, it has been downloaded over 1,000 times<sup>1</sup>. This is the user base we are aiming at by making network visualizations a part of ggplot2.

The three necessary elements of any network visualization are the vertices, the edges, and the layout. But once those three items are visualized, we usually find our visualization to be lacking. We may want to color the vertices (or edges) by some sort of grouping variable, or we may want to make vertices of degree ten twice the size of vertices of degree five. Many R packages already exist for network analysis and visualization such as igraph by Csardi and Nepusz (2006), sna by Butts (2014), and network by Butts (2008); Butts et al. (2014) but we have found these packages to have unintuitive or burdensome methods for customizing the colors, sizes, etc of the vertices and edges of the network. For instance, the igraph package allows for coloring vertices by groups but the user must assign the colors to each vertex individually as opposed to assigning color by a grouping factor variable.

The GGally package by Schloerke et al. (2014) contains a very useful function written by François Briatte and Moritz Marbach called ggnet that does allow for fairly straightforward

<sup>&</sup>lt;sup>1</sup>ggplot2 usage statistics taken from http://cran-logs.rstudio.com/.

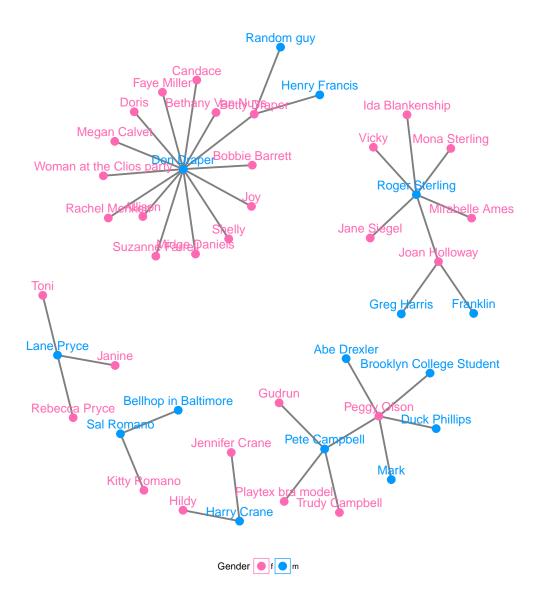


Figure 1. Graph of the characters in the show Mad Men who are linked by a romantic relationship.

customization of these three necessary graph attributes. Coloring the vertices or edges in a graph is a quick and easy way to visualize grouping and can help with pattern or cluster detection. The vertices in a network and the edges between them compose the structure of a network, and being able to discover patterns among them visually is a key part of network analysis. Viewing multiple layouts of the same network can also help reveal patterns or clusters that would not be discovered when only viewing one layout or analyzing only an adjacency matrix. The ggnet function, however, requires the graph input to be a network object according to the network package. Our work builds off of the ggnet function and presents an intuitive geom for network visualization within the ggplot2 framework, without the need for objects other than simple data frames.

#### 1.1 Data Structure

In order for this geometry to work using data frames, there need to be two separate data frames given to the <code>geom\_net</code> function: one for the edge information and one for the vertex information. The vertex data frame should contain all the relevant vertex information. The only necessary variable is one called <code>label</code> which contains the vertex labels as they are encoded in the edges data set. This will be a formal requirement in the final version of the <code>geom\_net</code> function. Each row represents one vertex. Other values of interest, such as grouping variables or degree of each vertex should be stored as columns in this dataframe, with an observation for each vertex.

The edge data frame should contain all the relevant edge information. The only necessary variables are the "from vertex" and "to vertex" for each edge in the network. The From and To vertices should match the names of the vertices in the vertex information data frame. The formal names for these columns are from\_id and to\_id, respectively. Other variables may also be included for each edge, such as the edge weight or grouping variable. As before, the variables of interest are columns in the data frame and the rows are each edge in the network.

#### 1.2 Vertex Aesthetics

In our geometry, we want to create all possible vertex aesthetic to mimic the usual aesthetics in ggplot2 for points. The vcolor aesthetic can be an identity color (e.g. color = "red") to change the color of all vertices, or, in the final version, it will take a factor variable which identifies each vertex as belonging to one of several groups, and it colors the vertices of the graph according to this grouping. In the current version, the vcolor aesthetic does not work like a typical color aesthetic in ggplot2. It can, however, take HEX color characters and assign them to different levels of a factor variable. We use the RColorBrewer package to choose the colors for us in this paper (Neuwirth, 2014). It will also color the vertices along a color gradient according to the different values of some numeric variable such as degree. The vertex color defaults to black.

The vsize aesthetic can also be set to an identity value to increase or decrease the size of all vertices in the graph, or it can be set to one of any numerical columns in the vertex data frame. Right now, the numerical values are strict point values: if the size of a vertex is two, then it will be two points in diameter. A point is the size of the default fontsize in the grid package. In our final version, the vsize will scale to minimum and maximum values as all other size aesthestics in ggplot2 do. The vshape aesthetic is for changing the shape of the vertices from the default circle to other shapes, like square or triangle. It also changes the shape of the vertices according to some grouping variable, which is currently required to consist of integer values from 0 to 25. In the final version, it will be able to change shape based on different levels of a factor variable. Finally, the valpha aesthetic will change the vertex transparency to a set value, like 1/10 or 0.5. It operates in exactly the same way as the alpha aesthetic in geom\_point. This aesthetic is very useful for networks with hundreds or thousands of vertices, which can easily crowd the static visualization. Making the vertices more transparent will better show the underlying structure in the network.

Evidently, we created all of these aesthetics to fit in exactly to the ggplot2 grammar of graphics. We also created the edge aesthetics in a similar fashion.

# 1.3 Edge Aesthetics

Again, our edge aesthetics mimic the familiar ggplot2 aesthetics, this time for segments. The ecolor aesthetic changes the color of all of the edges according to the identity function or can change the color according to HEX colors assigned to levels of a grouping variable. In the final version, the ecolor aesthetic will automatically color according to levels of a grouping variable or according to a gradient scale associated with a numeric variable. The elinetype aesthetic can also be used with a grouping variable to change the line type of each edge in the graph from solid to one of the different types of lines in ggplot2. Currently, the column associated with this aesthetic must be integer valued and take on values from zero to six. In the final version, it will change the edge linetypes according to levels of a grouping variable. The esize aesthetic can also be set to the weight or probability of each edge, or it can be changed for all edges with the identity function. The associated column can take on any numerical values, and currently maps the values directly to points, just like the vsize aesthetic. In the final version, this aesthetic will work exactly like the sizing in ggplot2, by scaling sizes to the minimum and maximum values. This is one of two ways to visualize the number of edges between two vertices. The other way is through the ealpha aesthetic. The ealpha aesthetic can change the edge transparency to a set value on the interval [0,1]. If there are multiple edge connections given between two vertices in the edge data frame, the ealpha aesthetic can be changed to plot opaque lines between vertices with many mutual connections and varying degrees of transparent lines between vertices with only a few or a single connection. This property is also especially useful for large networks with a lot of connections or with vertices of relatively high degree. Finally, we will add an elabel aesthetic to print the name or number assigned to each edge on or next to it. This aesthetic will be very useful for visualizing random graphs or Markov processes where each edge probability is of interest.

# 1.4 Other Arguments

Similar to the other geometries and functions in ggplot2, our geometry takes several arguments outside of the aesthetic mapping parameters. One such argument is the vlabel argument. The vlabel aesthetic is a logical value that, if set to TRUE prints the name or number associated with each vertex in the label column in order to identify it on the plot. In the final version of this geometry, we will add capabilities to adjust the size and positioning of the labels. For the moment, the color is set to the vertex color, the size is set to twice the vertex size, and all other possible parameters are set to their defaults in geom\_text(). The vlabel argument is most useful for smaller network objects where all vertex names can be printed on their corresponding vertices and still be read clearly. Next, the directed argument is a logical value that identifies whether or not the network is directed. When this value is true, arrows are created on the end of the line segment that corresponds to the to\_id value for each edge. The arrows match the edges in coloring, linetype, and size, and the default length of the arrow is set using the unit function in the grid package to 0.015 of the normalised parent coordinates of the plot. Finally, the layout argument takes a character value corresponding to the possible layouts in the sna package that are created by the gplot.layout.\*() family of functions. The default layout is the Kamada-Kawai layout. This is a force-directed layout for undirected networks (Kamada and Kawai, 1989). There are, however, many other layouts possible.

All layouts that geom\_net is currently capable of graphing are listed in table 1. The layouts not marked with an asterisk can also take their associated layout parameters. The layout.par argument takes a list of named parameters. For instance, if layout = "random", we can also set layout.par = list(dist = "normal") to change the distribution of vertex placement from the default uniform to Gaussian.

### 2. USAGE EXAMPLES

In this section, we demonstrate the current capabilities of **geom\_net** in a series of diverse examples.

#### 2.1 Blood Donation

In this directed network, there are eight vertices and 27 edges. The vertices represent the eight different blood types in humans that are most important for donation: the ABO blood types A, B, AB, and O, combined with the RhD positive (+) and negative (-) types. The edges are directed: a person whose blood type is that of a *from* vertex can to donate

Layout Name	Description
"adj"	a version of "mds" which scales the raw adjacency matrix
"circle"*	places vertices uniformly in a circle
"circrand"	places vertices randomly in a circle
"eigen"	places vertices based on the eigenstructure of the adjacency
	matrix
"fruchtermanreingold"	uses a variant of Fruchterman and Reingold's force-directed
	placement algorithm
"geodist"	a version of "mds" which scales the matrix of geodesic dis-
	tances
"hall"*	places vertices based on the last two eigenvectors of the
	Laplacian of the input matrix
"kamadakawai"	generates a vertex layout using a version of the Kamada-
	Kawai force-directed placement algorithm
"mds"	places vertices based on a metric multidimensional scaling
	of a specified distance matrix
"random"	places vertices randomly
"segeo"	a version of "mds" which scales the squared euclidean dis-
	tances between row-wise geodesic distances
"seham"	a version of "mds" which scales the Hamming distance be-
	tween rows/columns of the adjacency matrix
"target"	produces a "target diagram" or "bullseye" layout using a
	force-directed placement algorithm.

Table 1. All possible layouts to pass to  $geom\_net$ . All descriptions are from Butts (2014). Note that the layouts marked with an asterisk (\*) are the only layouts that do not take layout parameters.

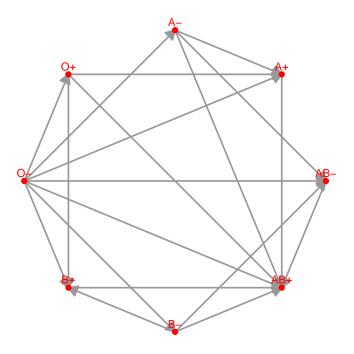


Figure 2. Network of blood donation possibilities in humans by ABO and RhD blood types.

blood to a person whose blood type is that of a corresponding to vertex. In the example below, loops are removed because loops exist on every vertex in this example, as blood between two people of matching ABO and RhD type can always be exchanged.

This network is shown in figure 2. Here, we have used the aesthetics vcolour and vsize set to identity values to change the size and color of all vertices. We have also used the layout and vlabel arguments to change the default layout to a circle layout and to print the blood types, respectively. The circle layout places blood types of the same ABO type next to each other and spreads the vertices out far enough to distinguish between the various "in" and "out" types. You can tell clearly from this plot that the O- type is the universal donor: it has out degree of seven and in degree of zero. Additionally, you can see that the AB+ type is the universal recepient, with in degree of seven and out degree of zero. Anyone looking at this plot can quickly determine which type(s) of blood they can receive and which type(s) can receive their blood.

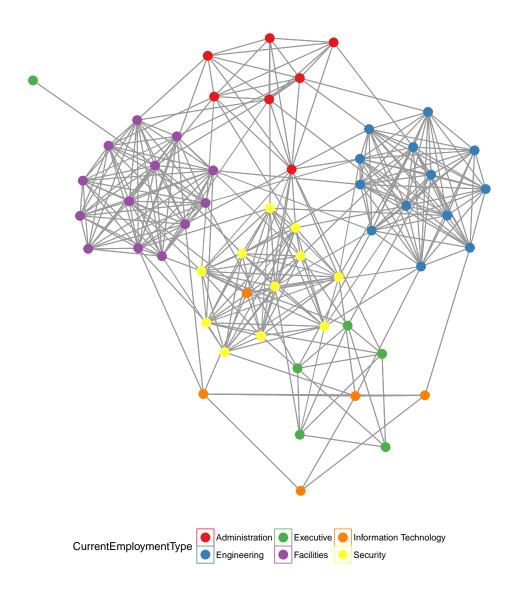


Figure 3. Email network within a company over a two week period.

#### 2.2 Email Network

This email network comes from the 2014 VAST Challenge (Cook et al., 2014). It is a directed network of emails between company employees with 55 vertices and 9,063 edges. Each vertex is an employee of the company, and each edge is an email sent from one employee to one or more other employees. The arrow of the directed edge points to the recipient(s) of the email. The network contains two business weeks of emails across the entire company. In order to better visualize the structure of the communication network between employees, all emails that were sent out to all employees are removed in the subsequent examples.

This network is plotted in figure 3. There are six distinct clusters in this network which almost perfectly correspond to the six different types of employee in this company: administration, engineering, executive, facilities, information technology, and security. Unfortunately, there is currently no legend to associate color with employment type. This will be remedied in the final version of our geometry. Additionally, the edges between employees in the same cluster are much darker than edges between employees in different clusters. This is due to the value of the ealpha aesthetic: more emails between two employees lead to darker edges. The value is set to 0.1 in this example, so that 10 or more emails between 2 employees results in a completely opaque edge. This pattern of heavy communication between employees of the same type is fairly unsurprising. To make this visualization more interesting and informative, we facet the network by day: each panel in 4 shows the different email networks associated with each day of the week. This plot is shown in figure ??. With the facetting, we can see that there are several days where one or more departments do not communicate with any of the other departments. There are only two days, 13 and 15, without any isolated department communications. Facetting is one of the major benefits of creating a geometry for networks in ggplot2. Facetting quickly separates dense networks into separate subnetworks for easy visual comparison and analyses.

# 2.3 ggplot2 Theme Elements

This example comes from the theme() help page in the ggplot2 documentation (Wickham, 2009). It is a directed network which shows the structure of the inheritance of theme options in the construction of a ggplot2 plot. There are 53 vertices and 36 edges in this network. Each vertex represents one possible theme option. There is an arrow from one theme option to another if the element represented by the to vertex inherits its values from the from vertex. For example, the axis.ticks.x option inherits its value from the axis.ticks value, which inherits its value from the line option. Thus, setting the line option to a value such as element\_blank() sets the entire inheritance tree to element\_blank(), and no lines appear anywhere on the plot background. Finally, we note that the vertices with no edges were incorporated into the plot by adding their labels to the edges data frame in both the 'from\_id' and 'to\_id' columns before passing the edges data frame to ggplot.

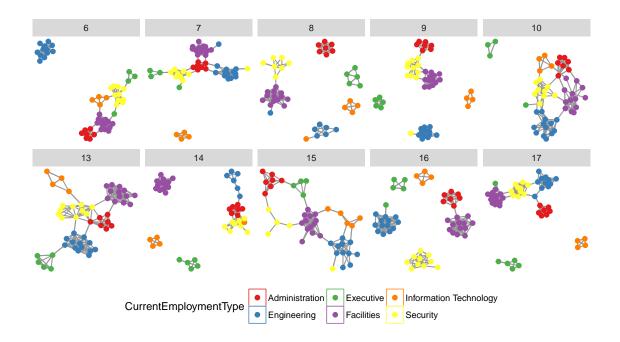


Figure 4. The same email network as in figure 3 facetted by day of the week.

```
ggplot(data = TEnet, aes(from_id = parent, to_id = child)) +
geom_net(directed = TRUE, label = TRUE, vjust=-.5) +
theme_net() + xlim(c(-0.05, 1.05))
```

The inheritance structure is plotted in figure 5. In this plot, it is easy to quickly determine the parent and child vertices. Using this plot made creation of the theme\_net object used throughout these examples very simple. We just made set each of the major parent elements, text, rect, and line to element\_blank() and then set the aspect ratio equal to one.

#### 2.4 Mad Men Networks

The following code creates the network example given in the introduction. We changed the vertex size and edge color for all vertices and edges, included vertex labels, and colored the vertices according to the character's gender.

There is another Mad Men network included in the gcookbook package (Chang, 2013). It is a directed network, also of romantic relationships between characters, but it also includes advances made by one character that were rejected by the other. For example, Roger Sterling made advances toward Betty Draper, but Betty refused him, and so there is a directed edge going from Roger to Betty, but not from Betty to Roger. If the advance is reciprocated, like between Sal Romano and the Bellhop, there are two directed edges between the two vertices.

This network is shown in figure 6. This network is much more connected than the previous Mad Men example. It also allows us to see much more of the drama in the show. For instance, you can see that Roger made advances towards Betty, his business partner's wife, which is much more scandalous than what we can see in the first network.

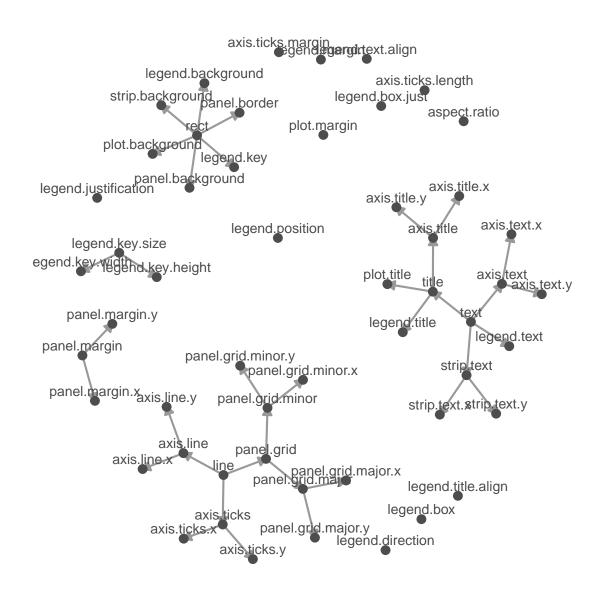


Figure 5. Inheritance structure of ggplot2 theme elements. This is a recreation of the graph found at http://docs.ggplot2.org/current/theme.html.

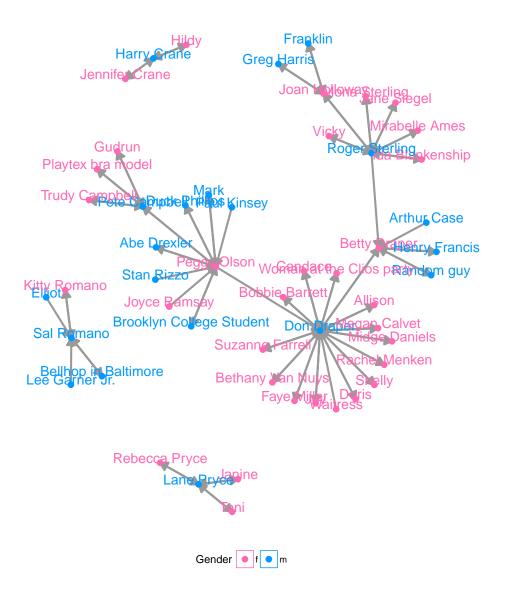


Figure 6. A directed network of relationships in Mad Men.

## 2.5 College Football

This next example comes from M.E.J. Newman's network data web page (Girvan and Newman, 2002). It is an undirected network consisting of all regular season college football games played between Division I schools in Fall of 2000. There are 115 vertices and 613 edges: each vertex represents a school, and an edge represents a game played between two schools. There is an additional variable in the vertex data frame corresponding to the conference each team belongs to, and there is an additional variable in the edge data frame that is equal to one if the game occured between teams in the same conference or zero if the game occured between teams in different conferences.

The network of football games is given in figure 7. Here, we have changed the elinetype aesthetic to correspond to games that occur between teams in the same conference or different conferences. These lines are dotted and solid, respectively. We have also assigned a different color to each conference, and the vertices and their labels are colored according to their conference. This coloring and changing of the linetypes make the structure of the game network easier to view. There is one conference consisting of Navy, Notre Dame, Utah State, Central Florida, and Connecticut, which is spread out all over the network, whereas most other conferences' teams are all very close to each other because they play within conference much more than they play out of conference. At the time, these five schools were all independents and did not have a home conference. Without the coloring capability, we would not have been able to pick out that difference as easily.

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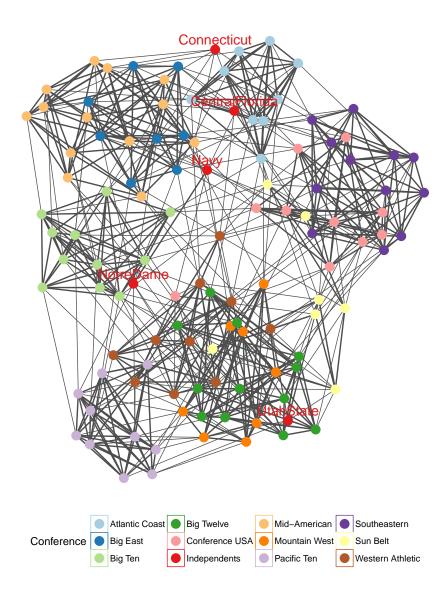


Figure 7. The network of regular season Division I college football games in the season of fall 2000. The vertices and their labels are colored by conference.

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