1 Machine Learning & Neural Networks

Solution to Problem (a):

- i. The vector \mathbf{m} is kind of a "velocity". It always change into to be a quite similar vector as before, because the hyperparameter β_1 is close to 1. Such a feature of "momentum" method alleviates wavering update of model parameters, thus the learning process becomes stable.
- ii. Note that \mathbf{v} is a moving average of (element-wise) square of the gradient. If the loss function did not change that much so far in terms of some parameters, then the entries of \mathbf{v} associated to such parameters would be smaller. As a result, by dividing the update by \mathbf{v} , such parameters will get larger updates. In other words, the given trick allows the parameters whose effective learning rate is relatively poor to have more possibility to get modified. This helps with learning in a sense of element-wise equalizing impact.

Solution to Problem (b):

i. The value of γ should be equal to $1/(1-p_{\rm drop})$, because of the last equality of the following calculations:

$$\mathbb{E}_{p_{\text{drop}}}[\boldsymbol{h}_{\text{drop}}]_{i} = \mathbb{E}_{p_{\text{drop}}}[\gamma d_{i}h_{i}]$$

$$= \gamma h_{i} \{ p_{\text{drop}} \cdot 0 + (1 - p_{\text{drop}}) \cdot 1 \}$$

$$= \gamma h_{i} (1 - p_{\text{drop}}) = h_{i}.$$

ii. According to the paper, applying Dropout during training 'prevents units from coadapting too much' and thus resolves overfitting problem. In test time, however, Dropout must not be used, because the model should take advantage of all parameters it has learned.

2 Neural Transition-Based Dependency Parsing

Solution to Problem (a):

Stack	Buffer	New dependency	Transition
[ROOT]	[I, parsed, this, sentence, correctly]		Initial Configuration
[ROOT, I]	[parsed, this, sentence, correctly]		SHIFT
[ROOT, I, parsed]	[this, sentence, correctly]		SHIFT
[ROOT, parsed]	[this, sentence, correctly]	parsed→I	LEFT-ARC
[ROOT, parsed, this]	[sentence, correctly]		SHIFT
[ROOT, parsed, this, sentence]	[correctly]		SHIFT
$[{\rm ROOT, parsed, sentence}]$	[correctly]	sentence→this	LEFT-ARC
[ROOT, parsed]	[correctly]	parsed→sentence	RIGHT-ARC
$[{\rm ROOT, parsed, correctly}]$	[]		SHIFT
[ROOT, parsed]		parsed→correctly	RIGHT-ARC
[ROOT]	[]	ROOT→parsed	RIGHT-ARC

Solution to Problem (b):

We need exactly n reduction transitions (either LEFT-ARC or RIGHT-ARC): each of words is a dependent of a dependency; also, we need exactly n shift transitions, or SHIFT: each of words in the buffer is moved to the stack once and only once. Therefore, we need 2n steps to parse a sentence with n words.

Solution to Problem $(c)\sim(d)$: (Pure Coding)

Solution to Problem (e): (Coding)

i. Best UAS on dev set: 88.24

ii. UAS on test set: 88.64

Solution to Problem (f):

- i. Error Type: Verb Phrase Attachment Error
 - Incorrect dependency: wedding \rightarrow fearing
 - Correct dependency: heading \rightarrow fearing
- ii. Error Type: Coordination Attachment Error
 - Incorrect dependency: makes \rightarrow rescue
 - Correct dependency: rush \rightarrow rescue

- iii. Error Type: Prepositional Phrase Attachment Error
 - Incorrect dependency: named \rightarrow Midland
- iv. Error Type: Modifier Attachment Error
 - Incorrect dependency: elements \rightarrow most
 - Correct dependency: crucial \rightarrow most