

Exhaustive Pseudocode

```
main():
    point p                                //1 step
    int bestSet, A                          //2 steps
    int i,n                                //2 steps
    bestDist, dist                          //2 steps

    output("Enter the number of vertices") //1 step
    input(n)

    if n < 3:                               //1 + max(1,0)
        exit

    P = new points[n]                       //1 step

    for i in 0 to n:                        //4 * (n - 0 + 1)
        output("Enter x")
        input(P[i].x)
        output("Enter y")
        input(P[i].y)

    bestSet = new int[n]

    for i = 0 to n:                         //1*(n-0+1)
        bestSet[i] = i

    dist = farthest(size n, points p)      //1 step
    bestDistance = n * distance             //1 step

    A = new int[n]

    for int i = 0 to n:                    //1*(n-0+1)
        A[i] = i

    print_perm(size n, A, size n, bestSet, bestDistance)

    output("hamiltonian cycle of min length: ")
    print_cycle(size n, points P, bestSet)

    output("best set: ")

    for i = 0 to n:                        //1* (n-0+1)
        output("bestSet[i"])
```

```

delete P //1 step
delete A //1 step
delete bestSet //1 step

return

```

print_cycle(size n, points P, int sequence):

```

for i = 0 to n: //2 *(n-0+1)
    output("P[seq[i]].x P[seq[i]].y")
    output("P[seq[0]].x P[seq[0]].y")

```

farthest(size n, points p):

```

max_dist = 0
int i,j
dist

for i = 0 to n-1: // (n-1-0+1)
    for j = 0 to n -1: //3 * (n-1-0+1)
        dist = (P[i].x - P[j].x)*(P[i].x - P[j].x) + (P[i].y - P[j].y)*(P[i].y - P[j].y)
        if max_dist < dist:
            max_dist = dist
return sqrt(max_dist)

```

//worst case runtime: $O(n^2)$

print_perm(size n, int a, size size_of_a, points p, bestSet, bestDistance)

```

int i
dist, totalDist = 0
xC, yC

if n == 1:
    //1 + max(4n+6, 0)
    for i = 0 to size_of_a -1: //4 * (n-1-0+1)
        yC = pow((P[A[i + 1]].y - P[A[i]].y), 2)
        xC = pow((P[A[i + 1]].x - P[A[i]].x), 2)

        dist = sqrt(yC + xC)

        totalDist += dist

```

```

yC = pow((P[A[sizeA - 1]].y - P[A[0]].y), 2)    //1 step
xC = pow((P[A[sizeA - 1]].x - P[A[0]].x), 2)    //1 step
dist = sqrt(yC + xC)                            //1 step

totalDist += dist                                //1

step

if totalDist < bestDist:                        //1 + max(1*n,0)
    bestDist = totalDist

    for int i = 0 to size_of_a -1                //1*(n-1-0+1)
        bestSet[i] = A[i]

else:
    for int = 0 to n-1:                          //
        print_perm(n-1, A, size_of_a, P bestSet, bestDist)
        if n%2 == 0:                             //1 +
            temp = A[i]
            A[i] = A[n-1]
            A[n-1] = temp
        else:
            temp = A[0]
            A[0] = A[n - 1]
            A[n - 1] = temp
    print_perm(n-1, A, size_of_a, P, bestSet, BestDist) //1 step

```

Worst case Run time = $O(n^2)$

Nearest Neighbor

```
main():
    pointer2d *P                //1 step
    int *M                      //1 step
    bool *visited               //1 step
    int i, n                    //1 step
    float dist                  //1 step
    int A,B                     //1 step

    input(number_of_elements)   //1 step

    if(n < 3)                    //1+max(1,0) * 1
        exit

    P = new point2d[n]          //1

    output("Enter distinct points")

    for i in 0 to n:            //4 * (n - 0 + 1)
        output("Enter x")
        input(P[i].x)
        output("Enter y")
        input(P[i].y)

    M = new int[n]              //1 step

    for i in 0 to n:            //1*(n-0+1)
        M[i] = i

    visited = new bool[n]

    for i in 0 to n:            //1*(n-0+1)
        visited[i] = false

    A = farthest_point(size n, Points p) //1 step

    i = 0                        //1 step
    M[i] = A                     //1 step

    visited[A] = true           //1 step

    for i = 1 to n:              //4*(n-1+1)
        B = nearest(size m, Points P, farthest A, visited)
```

A = B

M[i] = A

visited[A] = true

dist = 0

float xC, yC

for i in 0 to n-1: //3 *(n-1-0+1)

xC = pow((P[M[i]].x - P[M[i + 1]].x), 2)

yC = pow((P[M[i]].y - P[M[i + 1]].y), 2)

dist += sqrt(xC + yC)

xC = pow((P[M[0]].x - P[M[n - 1]].x), 2); //1 step

yC = pow((P[M[0]].y - P[M[n - 1]].y), 2); //1 step

dist += sqrt(xC + yC); //1 step

output("Hamiltonian Cycle: ")

print_cycle(size n, Points P, PAth M) //1 step

output("Min length") //1 step

delete M //1 step

return //1 step

print_cycle(size n, points p, int sequence):

int i //1 step

for i in 0 to n: //2 * (n-0+1)

ouput("P[seq[i]].x P[seq[i]].y")

output("P[seq[0]].x P[seq[0]].y")

farthest_point(size n, points p):

max_dist = 0 //1 step

i,j,A = 0 //3 steps

dist //1 step

for i in 0 to n: //3(n-1)(n-1)

for j in 0 to n: //3*(n-0+1)

dist = sqrt((P[i].x - P[j].x)*(P[i].x - P[j].x) + (P[i].y - P[j].y)*(P[i].y - P[j].y))

if(max_dist < dist):

max_dist = dist

A = i

```
return A
//worst case run time  $O(n^2)$ 
```

```
nearest(size n, points p, int a, bool visited):
```

```
    smallest = 0, distance
    nearest_index = 0
    xC, xY
```

```
    for i in 0 to n:                                     //8 * (n-0+1)
        if(i != A):                                       //1 + max(4 + max(1+
max(max(2,0), 2 ), 0) 0)
            if visited[i] == false:
                xC = pow((P[i].x - P[A].x), 2)
                yC = pow((P[i].y - P[A].y), 2)
                distance = sqrt(xC+yC)

                if smallest > 0:
                    if distance < smallest:
                        smallest = distance
                        nearest_index = i
                else
                    smallest = distance
                    nearest_index = i

    return nearest_index
```

```
worst case runtime =  $O(n^2)$ 
```