

Clement Samuel Marly 2206082114 Matdis - F

1

$$10! 10! \dots 1 = 7$$

$\square = +/-$ , 14  $\square$  dimana 10 + dan 4 -

$$\underbrace{+++++}_{10!} \underbrace{----}_{4!} = \frac{14!}{10! 4!} = 1001$$

2

$\dots LVMP \dots$

$$L = {}^{12}C_1 = 12$$

$$P = {}^{10}C_1 = 10$$

} kewajiban sebelah pria dan wanita

$\square \square \square \square LVMP \square \square \square \square$

14 16 18 20 12

10 19 17 15 13

→ kemungkinan memilih dari 20 pasangan wanita pria

$$\begin{aligned} \text{Kemungkinan} &= 12 \cdot 10 \cdot 20 \cdot 19 \cdot 18 \cdot 17 \cdot 16 \cdot 15 \cdot 14 \cdot 13 \\ &= 609.493.248.000 // \end{aligned}$$

3

Kalku = 5

PSD = 3

DDP = 6

Matdis = 7

Kombistek = 4

a Buku judul berbeda,  $(5+7+4+3+6)!$  → posisi dan urutan diperhatikan  
 $= 25!$   
 $= 15511210043330985984000000 //$   
 maka semua buku ditambah kemudian faktorial

b

$$\underbrace{5! 7! 3! 4! 6!}_{\text{posisi judul buku}} \cdot \underbrace{5!}_{\text{posisi jenis buku}} = 120 \cdot 5040 \cdot 6 \cdot 24 \cdot 720 \cdot 120$$

$$= 7524679680000 //$$



3 c MD/PPP | Kalku, PSD, Kombis MD/PPP

$$\begin{array}{l}
 5! \cdot 7! \cdot 3! \cdot 4! \cdot 6! \cdot 2! \cdot 3! = 120 \cdot 5040 \cdot 6 \cdot 24 \cdot 720 \cdot 2 \cdot 6 \\
 \text{posisi judul buku} \quad \text{posisi MD/PPP} \quad \text{posisi Kalku/PSD/Kombis} \\
 = 752467968000,
 \end{array}$$

d PSD | \*jenis (PSD dipinggir) | Konsep = jumlah total - jumlah PSD pinggir

$$5! \cdot 7! \cdot 3! \cdot 4! \cdot 6! \cdot 4! \cdot 2! = 3009871872000$$

posisi selain kanan  
PSD kiri

$$\text{Posisi bebas} = \text{nomor 36, } 7524679680000$$

(jenis)

$$\begin{array}{r}
 3009871872000 \\
 \hline
 4514807808000,
 \end{array}$$

4

$$\begin{array}{l}
 \text{Alfabet} = 26 \\
 26 \cdot 26 \cdot 26 \rightarrow 17576 \quad \left. \begin{array}{l} (3 \text{ kata}) \text{ max 3 kata} \\ (2 \text{ kata}) \\ (1 \text{ kata}) \end{array} \right\} 18.278 \\
 26 \cdot 26 \rightarrow 676 \\
 26 \rightarrow 26
 \end{array}$$

$$\begin{array}{l}
 \text{Kemungkinan ada dua orang} = 18.278 + 1 \quad (\text{dianggap hanya 2 yang}) \\
 \text{inisial sama} \quad \quad \quad = 18.279 \quad \quad \quad \text{sama, tidak semua}
 \end{array}$$

$$\begin{array}{l}
 \text{Biaya minimal} = 18.279 \cdot 10.000 \\
 = 180.279.000
 \end{array}$$

5

$$\begin{array}{l}
 \bullet \bullet \bullet \quad \text{a. Emina tidak meleset} \\
 \bullet \bullet \bullet \\
 1 \quad 2 \quad 3 \quad \text{Terdapat 3 target} = 3!
 \end{array}$$

$$\text{1 baris 3 target yang berurutan} = 3!$$

$$\text{Kemungkinan urutan} = \frac{9!}{3! \cdot 3! \cdot 3!}$$

$$= 1680 \text{ kemungkinan,}$$





5 6 panah tidak meleset = 1680 (nomor 5a)

panah meleset 1, objek 8 yang kena

2 3 3

3 2 3

3 3 2

} ada kemungkinan meleset beda baris

$$\frac{8!}{3!3!2!} \cdot 3 = 1680$$

panah meleset 2, objek 7 yang kena

1 3 3

3 1 3

3 3 1

} panah meleset sama baris

$$\frac{7!}{3!3!1!} \cdot 3 = 420$$

2 2 3

2 3 2

3 2 2

} panah meleset beda baris

$$\frac{7!}{2!2!3!} \cdot 3 = 630$$

panah meleset 3, objek 6 yang kena

0 3 3

3 0 3

0 3 3

} meleset baris sama

$$\frac{6!}{3!3!0!} \cdot 3 = 60$$

5 6 | 123 213 }  
 321 312 } panah meleset beda baris, 2 sama baris, 1 beda  
 132 231 }

$$\frac{6!}{3! \cdot 2! \cdot 1!} = 360$$

222 → meleset baris beda semua } 450

$$\frac{6!}{2! \cdot 2! \cdot 2!} = 90$$

$$\begin{aligned} \text{Total kemungkinan cara} &= 1680 + 1050 + 60 + 450 + 1680 \\ &= 4920, \end{aligned}$$

6

150.000 penduduk

orang inisial sama =  $\frac{150.000}{26} = 5.769, \dots$  sama

warna mata = 2

orang mata sama =  $\frac{150.000}{2} = 75.000$  sama

tanggal ulang tahun sama =  $\frac{150.000}{365} = 410,958$  sama

inisial, warna mata, tanggal ulang tahun sama

$$= \frac{150.000}{26 \cdot 2 \cdot 365}$$

$$= 7,9$$

$\approx 8$ , , setidaknya.

7

ayam, sapi, kambing, domba = 4 jenis

min 4 ekor setiap jenis  $\rightarrow$  16 ekor

max jumlah = 30

jumlah sisa = 14

ayam | sapi | kambing | domba | sisa

$$\begin{array}{l} 4 \text{ sehat} \rightarrow 18(4) \\ 14 \text{ sisa} \end{array} = \frac{18 \cdot 17 \cdot 16 \cdot 15}{4 \cdot 3 \cdot 2}$$

= 3060 cara memilih jenis hewan,,

8

koefisien  $x^8 = m$ 

$$x^7 = n$$

$$m = -n$$

a. ekspansi =  $(3-2x)^a$ , apabila  $m = -n$ 

$$\text{koefisien } x^8 = -\text{koefisien } x^7$$

$$\sum_{a-8=0}^a \binom{a}{a-8} 3^{a-8} (-2x)^8 = - \left( \sum_{a-7=0}^a \binom{a}{a-7} 3^{a-7} (-2x)^7 \right)$$

$$\frac{a!}{8!(a-8)!} \cdot 3^{a-8} (-2)^8 = - \left( \frac{a!}{7!(a-7)!} \cdot 3^{a-7} (-2)^7 \right)$$

$$- \frac{7!(a-7)!}{8!(a-8)!} \cdot \frac{3^{a-8}}{3^{a-7}} \cdot \frac{(-2)^8}{(-2)^7} = 1$$

$$- \frac{7!(a-7)(a-8)!}{8 \cdot 7! (a-8)!} \cdot \frac{3^7}{3^8} \cdot (-2)^1 = 1$$

$$\rightarrow \frac{a-7}{8 \cdot 4} \cdot \frac{1}{3} \cdot 2 = 1$$

$$a = 12 + 7$$

$$a = 19,,$$

b koefisien  $x^3$  di ekspansi  $(3-2x)^{19}$

$$\sum_{j=0}^{19} \binom{19}{j} 3^{16} \cdot -2x^3$$

$$j=3$$

$$\frac{19!}{16!3!} \cdot 3^{16} \cdot -2^3 //$$