## Group No. 18

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**Lab No**.:- 6(08-10-2021)

# Dairy product management system

#### ➤ FD Closure and Normal form for all relations:-

#### 1. Customer:-

#### > Attributes :-

■ C\_Mobile\_no, C\_First\_Name, C\_Last\_Name, C\_Locality, C\_Pincode, C\_City, Worker id

#### **> FDs** :-

- $C_{Mobile\_no} \rightarrow C_{First\_Name}$
- $C_{Mobile_{no}} \rightarrow C_{Last_{Name}}$
- $C_Mobile_no \rightarrow C_Locality$
- $\blacksquare$  C Mobile no  $\rightarrow$  C Pincode
- $C_Mobile_no \rightarrow C_City$
- $\blacksquare$  C Mobile no  $\rightarrow$  Worker id

#### ➤ Closure :-

- [C\_Mobile\_no]<sup>+</sup> = {C\_Mobile\_no, C\_First\_Name, C\_Last\_Name, C\_Locality, C\_Pincode, C\_City, Worker\_id}
- $\blacksquare$  [C First Name]<sup>+</sup> = {C First Name}
- $\blacksquare$  [C Locality]<sup>+</sup> = {C Locality}
- $[C_Pincode]^+ = \{C_Pincode\}$

# ➤ Candidate key:-

■ Here we can see that the closure set of C\_Mobile\_no contains all attributes.

■ So C\_Mobile\_no can be the primary key of Customer relation.

#### > Normal form :-

- Here the determinant of all FDs is C\_Mobile\_no and here C\_Mobile\_no is the primary key.
- So we can say that this relation is in BCNF.

#### 2. Sellers:-

- > Attributes :- Seller\_id, S\_first\_name, S\_Last\_name, S\_company\_name, S\_Mobile\_no
- **> FDS** :-
  - Seller\_id  $\rightarrow$  S\_first\_name
  - $\blacksquare$  Seller id  $\rightarrow$  S Last name
  - Seller  $id \rightarrow S$  company name
  - Seller  $id \rightarrow S$  Mobile no

#### ➤ Closure :-

- [Seller\_id]<sup>+</sup> = {Seller\_id, S\_first\_name,
  S Last name, S company name, S Mobile no}
- $\blacksquare$  [S first name]<sup>+</sup> = {S first name}
- $\blacksquare$  [S Last name]<sup>+</sup> = {S Last name}
- $[S \text{ company name}]^+ = \{S \text{ company name}\}$
- $[S_Mobile_no]^+ = \{S_Mobile_no\}$

# ➤ Candidate key:-

- Here we can see that the closure set of Seller\_id contains all attributes.
- So Seller\_id can be the primary key of this relation.

## > Normal form :-

- Here the determinant of all FDs is Seller\_id and here Seller\_id is the primary key.
- So we can say that this relation is in BCNF.

#### 3. Workers:-

➤ Attributes: - Worker\_id, W\_First\_name, W\_Last\_name, W\_Address, W\_birthdate, W\_joining\_date, W\_salary

#### > FDs :-

- Worker\_id → W\_First\_name
- $\blacksquare$  worker id  $\rightarrow$  W Last name
- $\blacksquare$  worker id  $\rightarrow$  W Address
- $\blacksquare$  worker id  $\rightarrow$  W birthdate
- worker\_id → W\_joining\_date
- worker\_id → W salary

#### ➤ Closure :-

- [Worker\_id]<sup>+</sup> = {Worker\_id, W\_First\_name, W\_Last\_name, W\_Address, W\_birthdate, W\_joining\_date, W\_salary}
- $[W_First_name]^+ = \{W_First_name\}$

- $[W_birthdate]^+ = \{W_birthdate\}$
- [W\_joining\_date]<sup>+</sup> = {W\_joining\_date}

## ➤ Candidate key:-

- Here we can see that the closure set of Worker\_id contains all attributes.
- So Worker id can be the primary key of this relation.

## ➤ Normal form :-

- Here the determinant of all FDs is Worker\_id and here Worker\_id is the primary key.
- So we can say that this relation is in BCNF.

# 4. Working

#### ➤ Attributes :-

■ W\_worker\_id, W\_outlet\_code

#### > FDs :-

■ Here we get only trivial FDs because a combination of both attributes can only determine one another.

#### ➤ Closure :-

■ [W\_worker\_id, W\_outlet\_code]+ = {W\_worker\_id, W\_outlet\_code}

- $[W \text{ worker id}] + = \{W \text{ worker id}\}$
- [W\_outlet\_code]+ = {W\_outlet\_code}

- Here we can see that the closure set of {W\_worker\_id, W\_outlet\_code} contains all attributes.
- So {W\_worker\_id, W\_outlet\_code} can be the primary key of this relation.

## > Normal form :-

- Normal Form theorem :- All attributes are key attributes in a relation then relation is always in BCNF.
- So we can say that this relation is in BCNF.

# 5. WORKER MOBILE NUMBER

- > Attributes :-
  - WMN WORKER KEY, WMN MOBILE NO

#### **> FDs** :-

■ Here we get only trivial FDs because a combination of both attributes can only determine one another.

#### ➤ Closure :-

- [WMN\_WORKER\_KEY,WMN\_MOBILE\_NO]+ = {WMN WORKER KEY, WMN MOBILE NO}
- [WMN\_WORKER\_KEY]+ = {WMN WORKER KEY}
- [WMN\_MOBILE\_NO]+ = {WMN\_MOBILE\_NO}

# ➤ Candidate key:-

- Here we can see that the closure set of {WMN\_WORKER\_KEY,WMN\_MOBILE\_NO} contains all attributes.
- So {WMN\_WORKER\_KEY,WMN\_MOBILE\_NO} can be the primary key of this relation.

#### > Normal form :-

- Normal Form theorem :- All attributes are key attributes in a relation then relation is always in BCNF.
- So we can say that this relation is in BCNF.

## 6. Manager:-

#### > Attributes :-

■ M worker id, M user name, M password

#### **> FDs** :-

- $\blacksquare$  M worker id  $\rightarrow$  M user name
- $\blacksquare$  M worker id  $\rightarrow$  M password
- M\_user\_name → M\_worker\_id
- $M_user_name \rightarrow M_password$

#### ➤ Closure :-

- [M\_worker\_id]+ = {M\_worker\_id, M\_user\_name, M\_password}
- [M\_user\_name]+ = {M\_worker\_id, M\_user\_name, M\_password}
- $[M password] + = \{M password\}$

# ➤ Candidate key:-

- Here we can see that the closure set of M\_worker\_id and M\_user\_name contains all attributes.
- So M\_worker\_id and M\_user\_name are candidate keys.
- So M\_worker\_id can be the primary key of this relation.

## ➤ Normal form :-

- Here the determinant of all FDs is M\_worker\_id or M\_user\_name and here M\_worker\_id and M\_user\_name are candidate keys.
- So we can say that this relation is in BCNF.

#### 7. Product :-

- ➤ Attributes: Product\_id, P\_name, P\_Company\_name, P\_Tax, P\_Unit\_price, P\_Quantity, P\_Profit, seller\_id
- **>** FDs :-
  - Product\_id  $\rightarrow$  P\_name
  - Product\_id → P\_Company\_name
  - Product id  $\rightarrow$  P Tax
  - Product\_id → P\_Unit\_price
  - Product  $id \rightarrow P$  Quantity
  - Product  $id \rightarrow P$  Profit
  - Product\_id → seller\_id

#### ➤ Closure :-

- [Product\_id]<sup>+</sup> = {Product\_id, P\_name,
  P\_Company\_name, P\_Tax, P\_Unit\_price,
  P Quantity, P Profit, seller id}
- $[P Company name]^+ = \{P Company name\}$

# ➤ Super key:-

- Here we can see that the closure set of Product\_id contains all attributes.
- So Product\_id can be the super key of this relation.

## ➤ Normal form :-

- Here the determinant of all FDs is Product\_id and here Product\_id super keys.
- So we can say that this relation is in BCNF.

## 8. Include Product

- > Attributes :- I bill id, I Product id, I QUANTITY
- > FDs :-

■ Here we get only trivial FDs because a combination of both attributes can only determine one another.

#### ➤ Closure :-

- [I\_bill\_id, I\_Product\_id]+ = {I\_bill\_id, I\_Product\_id,I\_QUANTITY}
- $\blacksquare$  [I bill id]+= {I bill id}
- $[I \text{ Product id}] + = \{I \text{ Product id}\}$
- [I\_QUANTITY]+={I\_QUANTITY}

# ➤ Candidate key:-

- Here we can see that the closure set of {I\_bill\_id, I\_Product\_id} contains all attributes.
- So {I\_bill\_id, I\_Product\_id} can be the primary key of this relation.

#### > Normal form :-

- Normal Form theorem :- All attributes are key attributes in a relation then relation is always in BCNF.
- So we can say that this relation is in BCNF.

#### 9. Milk:-

- ➤ Attributes :- M\_Product\_id, M\_fat, M\_type, M\_total\_quantity
- > FDs:-
  - {M\_Product\_id} → {M\_fat, M\_type,M total quantity}

#### ➤ Closure :-

- [M\_Product\_id]+ = {M\_Product\_id, M\_type, M\_fat, M total quantity}
- $\blacksquare [M_fat]^+ = \{M_fat\}$
- $\blacksquare [M\_type] += \{M\_type\}$
- $[M\_total\_quantity]^+ = \{M\_total\_quantity\}$

# ➤ Candidate key:-

■ Here we can see that the closure set of M\_Product\_id contains all attributes.

■ So M\_Product\_id can be the primary key of this relation.

#### > Normal form :-

- Here the determinant of all FDs is M\_Product\_id and here M\_Product\_id is a primary key.
- So we can say that this relation is in BCNF.

#### 10. **Bill:**-

- ➤ Attributes: bill\_id, B\_Payment\_type, B\_Total amount, B Total tax, B Date, C Mo. no, O code
- ➤ FDs :-
  - bill\_id → B\_Payment\_type
  - bill  $id \rightarrow B$  Total amount
  - bill  $id \rightarrow B$  Total tax
  - bill  $id \rightarrow B$  Date
  - $\blacksquare$  bill id  $\rightarrow$  C Mo. no
  - bill  $id \rightarrow O$  code

#### ➤ Closure :-

- [bill\_id]+ = {bill\_id, B\_Payment\_type, B\_Total amount, B Total tax, B Date, C Mo. no, O code}
- [B Payment type]+ = {B Payment type}
- [B\_Total amount]+ = {B\_Total amount}
- $[B \text{ Total tax}] + = \{B \text{ Total tax}\}$
- $\blacksquare [B\_Date] + = \{B\_Date\}$
- $\blacksquare$  [C Mo. no]+ = {C Mo. no}

# ➤ Candidate key:-

- Here we can see that the closure set of bill\_id contains all attributes.
- So bill\_id can be the primary key of this relation.

#### > Normal form :-

- Here the determinant of all FDs is bill\_id and here bill\_id is a primary key.
- So we can say that this relation is in BCNF.

#### 11. Feedback:-

➤ Attributes :- F\_Title, Customer\_Mo\_no., F\_Rating, F\_comment

## **> FDs** :-

- $\{\text{Customer\_Mo\_no.}\} \rightarrow \text{F\_Rating}$
- $\{Customer\_Mo\_no.\} \rightarrow F\_comment$
- $\{\text{Customer Mo no.}\} \rightarrow \text{F Title}$

#### ➤ Closure :-

- [Customer\_Mo\_no.]+ = {F\_Title, Customer\_Mo\_no., F Rating, F comment}
- $[F_Title] += \{F_Title\}$
- $[F_Rating] + = \{F_Rating\}$
- $\blacksquare$  [F\_comment]+ = {F\_comment}

## ➤ Candidate key:-

- Here we can see that the closure set of Customer\_Mo\_no contains all attributes.
- So Customer\_Mo\_no can be the primary key of this relation.

#### > Normal form :-

- Here the determinant of all FDs is Customer\_Mo\_no and here Customer Mo no is the primary key.
- So we can say that this relation is in BCNF.

# 12. Purchase report:-

- > Attributes :- PR\_Date, Seller\_id, Outlet\_code, payment\_type, PR\_total\_amount
- > FDs :-
  - {PR\_Date, Seller\_id, Outlet\_code} → payment\_type
  - {PR\_Date, Seller\_id, Outlet\_code} → PR total amount

#### ➤ Closure :-

- [PR\_Date, Seller\_id, Outlet\_code]<sup>+</sup> = {PR\_Date, Seller\_id, Outlet\_code, payment\_type, PR total amount}

- $\blacksquare$  [PR\_total\_amount]<sup>+</sup> = {PR\_total\_amount}

- Here we can see that the closure set of {PR\_Date, Seller id, Outlet code} contains all attributes.
- So {PR\_Date, Seller\_id, Outlet\_code} can be the primary key of this relation.

#### > Normal form :-

- Here the determinant of all FDs is {PR\_Date, Seller\_id, Outlet\_code} and here {PR\_Date, Seller\_id, Outlet\_code} is the primary key.
- So we can say that this relation is in BCNF.

# 13. Selling report:-

#### ➤ Attributes :-

■ SR\_Date,SR\_PRODUCT\_CODE, Outlet\_code, SR\_total\_quantity, SR\_total\_amount, SR\_total\_profit

#### > FDs:-

- {SR\_Date,SR\_PRODUCT\_CODE, Outlet\_code} → SR\_total\_quantity
- {SR\_Date,SR\_PRODUCT\_CODE, Outlet\_code} → SR total amount
- {SR\_Date,SR\_PRODUCT\_CODE, Outlet\_code} → SR total profit

#### ➤ Closure :-

■ [SR\_Date,SR\_PRODUCT\_CODE, Outlet\_code]<sup>+</sup> = {SR\_Date,SR\_PRODUCT\_CODE, Outlet\_code,

- SR\_total\_quantity, SR\_total\_amount, SR\_total\_profit}
- [SR\_PRODUCT\_CODE]<sup>+</sup> = {SR\_PRODUCT\_CODE}
- [SR\_total\_quantity]<sup>+</sup> = {SR\_total\_quantity}
- $\blacksquare$  [SR\_total\_amount]<sup>+</sup> = {SR\_total\_amount}
- [SR\_total\_profit]<sup>+</sup> = {SR\_total\_profit}

- Here we can see that the closure set of {SR\_Date,SR\_PRODUCT\_CODE, Outlet\_code} contains all attributes.
- So {SR\_Date,SR\_PRODUCT\_CODE, Outlet\_code} can be the primary key of this relation.

#### > Normal form :-

- Here the determinant of all FDs is {SR\_Date,SR\_PRODUCT\_CODE, Outlet\_code} and here {SR\_Date,SR\_PRODUCT\_CODE, Outlet\_code} is the primary key.
- So we can say that this relation is in BCNF.

#### 14. **Outlet:**-

#### > Attributes :-

■ Outlet code, O starting date, O Address

#### **> FDs** :-

- Outlet code  $\rightarrow$  O starting date
- Outlet\_code  $\rightarrow$  O\_Address

#### ➤ Closure :-

- [Outlet\_code]<sup>+</sup> = {Outlet\_code, O\_starting\_date, O\_Address}
- [Outlet starting date]<sup>+</sup> = {Outlet starting date}

# ➤ Candidate key:-

- Here we can see that the closure set of Outlet\_code contains all attributes.
- So Outlet\_code can be the primary key of this relation.

#### ➤ Normal form :-

- Here the determinant of all FDs is Outlet\_code and here Outlet\_code is the primary key.
- So we can say that this relation is in BCNF.

#### 15. Outlet mobile number

#### > Attributes :-

■ OMN outlet code,OMN Mobile no

#### $\gg$ Fds :-

■ Here we get only trivial FDs because a combination of both attributes can only determine one another.

#### ➤ Closure :-

- [OMN\_outlet\_code,OMN\_Mobile no]+ = {OMN\_outlet\_code,OMN\_Mobile no}
- [OMN\_outlet\_code]+ = {OMN\_outlet\_code}
- [OMN Mobile no ]+ = {OMN Mobile no }

# ➤ Candidate key :-

- Here we can see that the closure set of {OMN\_outlet\_code,OMN\_Mobile no} contains all attributes.
- So {OMN\_outlet\_code,OMN\_Mobile no} can be the primary key of this relation.

#### > Normal form :-

- Normal Form theorem :- All attributes are key attributes in a relation then relation is always in BCNF.
- So we can say that this relation is in BCNF.

# 16. Transport:-

#### > Attributes :-

■ Transport\_id, Driver\_First\_name,
 Driver\_Last\_name, T\_Date, Address,
 T\_Total\_amount, merchant\_first\_name,
 merchant\_last\_name, merchant\_mobile\_no,
 T bill id, T worker id

## > Fds:-

- Transport  $id \rightarrow Driver$  First name
- Transport  $id \rightarrow Driver$  Last name
- Transport\_id  $\rightarrow$  T\_Date
- Transport\_id  $\rightarrow$  Address
- Transport\_id → T\_Total\_amount
- Transport  $id \rightarrow merchant$  first name
- Transport id  $\rightarrow$  merchant last name
- Transport\_id → merchant\_mobile\_no
- Transport\_id  $\rightarrow$  T bill id
- Transport  $id \rightarrow T$  worker id
- T bill  $id \rightarrow Driver$  First name
- $T_bill_id \rightarrow Driver_Last_name$
- $\blacksquare$  T bill id  $\rightarrow$  T Date
- T bill  $id \rightarrow Address$
- $T_bill_id \rightarrow T_Total_amount$
- T\_bill\_id → merchant\_first\_name
- $T_bill_id \rightarrow merchant_last_name$
- $\blacksquare$  T bill id  $\rightarrow$  merchant mobile no
- T\_bill\_id → Transport\_id
- T bill  $id \rightarrow T$  worker id

#### ➤ Closure :-

- [Transport\_id]<sup>+</sup> = {Transport\_id, Driver\_First\_name,
  Driver\_Last\_name, T\_Date, Address,
  T\_Total\_amount, merchant\_first\_name,
  merchant\_last\_name, merchant\_mobile\_no,
  T bill id, T worker id}
- [Driver First name] $^+$  = {Driver First name}

- [Driver Last name] $^+$  = {Driver Last name}

- $\blacksquare$   $[T\_Total\_amount]^+ = {T\_Total\_amount}$
- [merchant\_first\_name]<sup>+</sup> = {merchant\_first\_name}
- [merchant last name]<sup>+</sup> = {merchant last name}
- [merchant\_mobile\_no]<sup>+</sup> = {merchant\_mobile\_no}
- [T\_bill\_id]<sup>+</sup> = {Transport\_id, Driver\_First\_name, Driver\_Last\_name, T\_Date, Address, T\_Total\_amount, merchant\_first\_name, merchant\_last\_name, merchant\_mobile\_no, T\_bill\_id, T\_worker\_id}

- Here we can see that the closure set of Transport\_id and T bill id contains all attributes.
- So Transport id and T bill id are candidate keys.
- So here we choose Transport\_id for the primary key of this relation.

#### > Normal form :-

- Here the determinant of all FDs is Transport\_id or T\_bill\_id and here Transport\_id and T\_bill\_id are candidate keys.
- So we can say that this relation is in BCNF.

# ➤ List update, delete, and insert anomalies in original database design :-

- ➤ Here our schema is in BCNF because all relations are in BCNF.
- ➤ So we can say that if we update, delete and insert anomalies in the original database we can't find any redundancy.