Memory allocation to methods# When a method is called, the state of the method is placed on the call stack along with the information about

where it was called from. This tells the run-time where it should return to when the current method finishes executing. Each recursive call pushes a new stack frame. A stack frame consists of information such as the return address, argument variables, and local variables related to that method call. When a method calls itself, the new method call gets added to the top of the call stack and execution of the current method pauses while the recursive call is being processed. When the base case is reached the stack frames start popping from the stack until the stack becomes empty.

Example **Computing Factorials** 

## What is a Factorial? A factorial is the product of an integer and all the positive integers below it. It is denoted by the symbol:!

## $6! = 6 \times 5 \times 4 \times 3 \times 2 \times 1 = 720$

 $4! = 4 \times 3 \times 2 \times 1 = 24$ 

Code

class Factorial { // Recursive function private static int factorial(int n) { // Base case

return (n \* factorial(n-1));

For example, 4! (read as four factorial) is denoted as follows:

if (n == 1) { return 1; // Recursive case

10

11

12

13

else {

```
public static void main( String args[] ) {
   14
               // Calling from main
   15
               int result = factorial(5);
   16
               System.out.println("Factorial of 5 is: " + result);
   17
   18
   19 }
                                                                                                    Reset
   Run
We will now briefly discuss the two main parts of a recursive method, the base case and the recursive case,
implemented in the code above.
The Base Case
We have defined the base case on line 5 where it states that when the variable n equals 1, the method should
terminate and start popping frames from the stack.
The Recursive Case
This is similar to the formula given above for the factorial. For example, in case of 3 factorial,
3! = 3 \times 2 \times 1 = 6 we multiply the original number \frac{n}{n} with the integer that precedes it, \frac{n-1}{n}, and the
recursive call, factorial(n-1), is made until n reaches 1.
```

The following illustration may help you to understand the code through a stack:

Visualizing through Stack

```
factorial(5)
                                  top
                                                            1 of 13
        5*factorial(4)
                                   top
n=5
          factorial(5)
```

**2** of 13 4\*factorial(3) top n=4 n=5

5\*factorial(4) factorial(5)

**3** of 13 3\*factorial(2) top n=3 4\*factorial(3) n=4 5\*factorial(4) n=5 factorial(5) **4** of 13

2\*factorial(1) top n=2 3\*factorial(2) n=3 4\*factorial(3) n=4 5\*factorial(4) n=5 factorial(5) **5** of 13 1\*factorial(0) - top n=1

2\*factorial(1) n=2 3\*factorial(2) n=3 4\*factorial(3) n=4 5\*factorial(4) n=5 factorial(5) **6** of 13 1\*factorial(0) top n=1

2\*factorial(1) n=2 3\*factorial(2) n=3 4\*factorial(3) n=4 5\*factorial(4) n=5 factorial(5) base case reached **7** of 13 1\*factorial(0) top n=1 2\*factorial(1) n=2

3\*factorial(2) n=3 4\*factorial(3) n=4 5\*factorial(4) n=5 factorial(5) return 1x1 **8** of 13 2\*factorial(1) top n=2 3\*factorial(2) n=3

4\*factorial(3) n=4 5\*factorial(4) n=5 factorial(5) return 2x1 **9** of 13 3\*factorial(2) top n=3

4\*factorial(3) n=4

5\*factorial(4) n=5 factorial(5) return 3x2

**10** of 13

4\*factorial(3) top n=4

5\*factorial(4) n=5

factorial(5) return 4x6

**11** of 13

5\*factorial(4) top n=5 factorial(5)

return 5x24

factorial(5)=120

**12** of 13

**13** of 13