# egh400-1

October 24, 2023

## 1 CAB420, Practical 8 - Question 1 Solution

```
[1]: import pandas
  import numpy
  from sklearn.cluster import KMeans
  from sklearn.mixture import GaussianMixture
  from scipy.spatial import distance
  import matplotlib.pyplot as plt
  from sklearn.manifold import TSNE
  from scipy.cluster.hierarchy import dendrogram
  from matplotlib import cm
  from datetime import datetime
```

## 1.1 Read the data and setup

```
[2]: data = pandas.read_csv('Data20kcsv.csv');

#data['Author Email Status'] = data['Author Email Status'].map({'Success': 1,__

'Bad': 0, 'SMTP Error': 0, "Absent":0, 'DNS Error':0})

print(data)
```

	Pac	kage	SoftwareMaturityScore	FreshnessScore	\
0	0	-0-1	0.999916	1.000000	
1	Oleve	r-so	0.999193	0.999918	
2	0lever-u	tils	0.998450	0.999840	
3	0x01-autocert-dns-al	iyun	0.999937	1.000000	
4	0x01-cubic	-sdk	0.999911	0.999993	
•••	19994 asserty 19995 assess 19996 asset 19997 asset-allocation		<b></b>	•••	
19994			0.998008	0.999769	
19995			0.999807	0.999976	
19996			0.997128	0.999655	
19997			0.998262	0.999852	
19998			0.999785	0.999942	
	Accessibility_Score	Comm	unity_Engagement_Score	Vulnerability_So	core \
0	0.2		0.770533	0.460	0727
1	0.4		0.770533	0.114	1956
2	0.4		0.724129	0.460	0365

3	0.2	0.770533	0.460727
4	0.2	0.770533	0.460546
•••	•••	•••	•••
19994	0.4	0.724129	0.460546
19995	0.4	0.770533	0.461812
19996	0.2	0.724129	0.466876
19997	0.2	0.770533	0.122189
19998	0.2	0.724129	0.114956

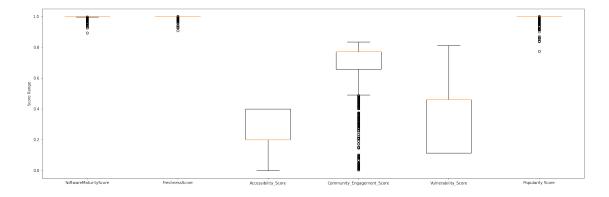
	Popularity Score	FinalRiskScore
0	0.999986	0.831905
1	0.999984	0.710778
2	0.999997	0.836168
3	1.000000	0.831910
4	0.999997	0.831817
•••	•••	•••
19994	0.999997	0.836134
19995	0.999997	0.848123
19996	0.999997	0.822576
19997	0.999986	0.697521
19998	0.999995	0.684086

#### [19999 rows x 8 columns]

```
[3]: | #train = data.iloc[0:3000, [2,3,8,12,13,14,15,16,17,18,19]]
     \#test = data.iloc[3000:6000, [2,3,8,12,13,14,15,16,17,18,19]]
     \#train = data.iloc[0:3000, [2,3,8,12]]
     #test = data.iloc[3000:6000, [2,3,8,12]]
     #train = data.iloc[0:3000, [2,3,8,12,13,14,15]]
     #test = data.iloc[3000:6000, [2,3,8,12,13,14,15]]
     # Features to consider from new dataset
     #SoftwareMaturityScore
     #FreshnessScore
     #Accessibility_Score
     #Community_Engagement_Score
     #Vulnerability_Score
     #Popularity Score
     #FinalRiskScore
     #train = data.iloc[0:3000, [2,3,8,12,13,14,15,16,17,18,19,35]]
     #test = data.iloc[3000:6000, [2,3,8,12,13,14,15,16,17,18,19,35]]
     \#train = data.iloc[0:50000, [2,3,8,12,13,14,15,16,17,18,19,35,38]]
```

```
#test = data.iloc[50000:100000, [2,3,8,12,13,14,15,16,17,18,19,35,38]]
#train = data.iloc[0:50000:100000, [2,3,8]]
#test = data.iloc[50000:100000, [2,3,8]]
#train = data.iloc[0:8000, [1,2,3,4,5,6,7]]
#test = data.iloc[8000:16000, [1,2,3,4,5,6]]
test = data.iloc[8000:16000, [1,2,3,4,5,6]]
#train = data.iloc[8000:16000, [3,4,5]]
#test = data.iloc[8000:16000, [3,4,5]]
#test = data.iloc[8000:16000, [3,4,5]]
#test = data.iloc[8000:16000, [3,4,5]]
#test = data.iloc[8000:16000, [3,4,5]]
#train = (train - mu) / sigma;
#test = (test - mu) / sigma;
```

### [7]: Text(0, 0.5, 'Score Range')



## 2 K-Means Algorithm

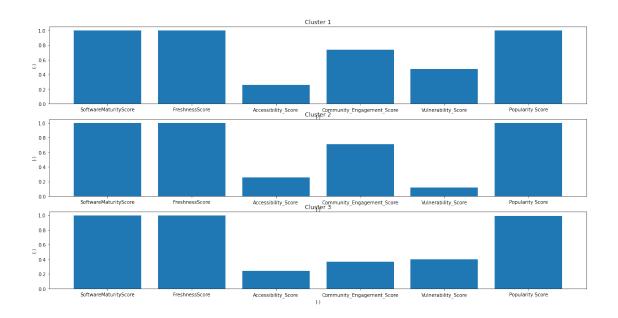
```
[16]: #
     # K-Means Analysis from CAB420, Prac 8, Q1
     # Author: Simon Denman (s.denman@qut.edu.au)
     def do_kmeans_analysis(n_clusters, random_state, train, test,_
      ⇒abnormal_threshold = 0.7):
         # train the k-means model
         kmeans = KMeans(n_clusters=n_clusters, random_state=random_state,__
      cluster labels = kmeans.predict(test)
         # plot the cluster centres
         #x = ['Contributors', 'No_Of_Releases', 'Mean_Distance', 'Number of Stars', __
      →'Closed_Issues', 'Open_Issues', 'Total_Branches', 'Open_Pull_Requests',
      → 'Closed_Pull_Requests', 'Open_Milestones', 'Closed_Milestones']
         #x = ['Contributors', 'No_Of_Releases', 'Mean_Distance', 'Number of Stars']
         → 'Closed Issues', 'Open Issues', 'Total Branches']
         \#x = ['Contributors', 'No_Of_Releases', 'Mean_Distance', 'Number of Stars', \sqcup
      ر 'Closed_Issues', 'Open_Issues', 'Total_Branches', 'Open_Pull_Requests', '
      → 'Closed Pull Requests', 'Open Milestones', 'Closed Milestones', 'Avq Package
      ⇔Size']
         ر 'Closed_Issues', 'Open_Issues', 'Total_Branches', 'Open_Pull_Requests', '
      → 'Closed_Pull_Requests', 'Open_Milestones', 'Closed_Milestones', 'Avg Package_
      ⇒Size', 'Author Email Status']
         #x = ['Contributors', 'No_Of_Releases', 'Mean_Distance']
         \#x = ['SoftwareMaturityScore', 'FreshnessScore', 'Accessibility_Score', 'I']
      → 'Community_Engagement_Score', 'Vulnerability_Score', 'Popularity Score', 
      → 'FinalRiskScore']
         x = ['SoftwareMaturityScore', 'FreshnessScore', 'Accessibility_Score',
      → 'Community_Engagement_Score', 'Vulnerability_Score', 'Popularity Score']
         #x = ['Accessibility_Score', 'Community_Engagement_Score',_
      → 'Vulnerability_Score']
         fig = plt.figure(figsize=[20, 10])
         for i in range(n_clusters):
            ax = fig.add_subplot(n_clusters, 1, i + 1)
            ax.bar(x, kmeans.cluster_centers_[i,:])
             ax.set_title('Cluster %d' % (i+1))
            ax.set_xlabel('(-)')
            ax.set_ylabel('(-)')
         # plot the data, we can't plot 10-d data, so we'll run TSNE and show that
```

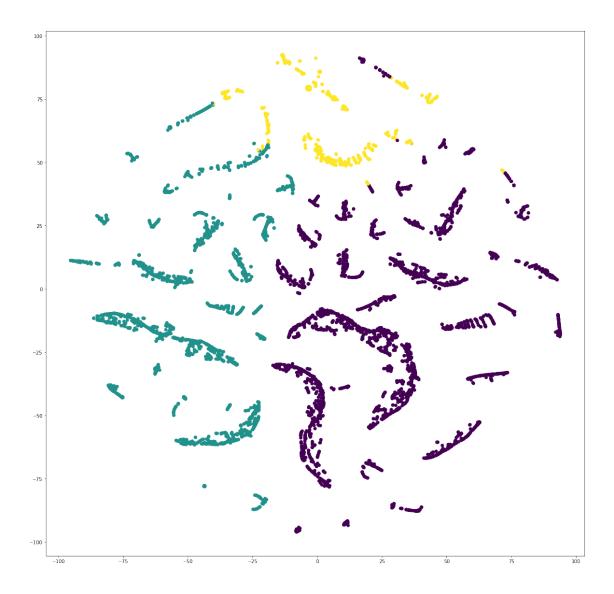
```
fig = plt.figure(figsize=[20,20])
       ax = fig.add_subplot(1, 1, 1)
       tsne_embeddings = TSNE(random_state=4).fit_transform(numpy.vstack([train,u
⇔kmeans.cluster_centers_]))
       ax.scatter(tsne_embeddings[:-n_clusters,0], tsne_embeddings[:
→-n clusters,1], c = kmeans.labels );
        #add cluster centres to the plot
       {\tt ax.scatter(tsne\_embeddings[-n\_clusters:,0],\ tsne\_embeddings[-n\_clusters:,0],\ tsne\_embeddings[-n\_clust
\rightarrow,1], s=200, marker='x')
       # find abnormal travellers. With k-means, we'll use distance to the cluster
⇔centre as our measure
       distances = kmeans.transform(test)
       distances = numpy.min(distances, axis=1)
       print('Risk Scores:')
       for count, (dist, cluster) in enumerate(zip(distances, cluster_labels)):
                              #print(f'{cluster}')
                   if cluster == 0:
                   # If the package is in Cluster O, multiply the distance by 5
                   # If the new distance is greater than 1, set it to 1
                              if dist > 1:
                                         dist = 1
                  print(f'{dist}')
       print('Reliability Scores:')
       for count, (dist, cluster) in enumerate(zip(distances, cluster_labels)):
                              #print(f'{cluster}')
                   if cluster == 0:
                   # If the package is in Cluster O, multiply the distance by 5
                              dist *= 5
                   # If the new distance is greater than 1, set it to 1
                              if dist > 1:
                                         dist = 1
                  print(f'{1 - dist}')
```

We'll run three versions of K-means, with different random seeds.

```
[]: do_kmeans_analysis(2, 59, train, test)
```

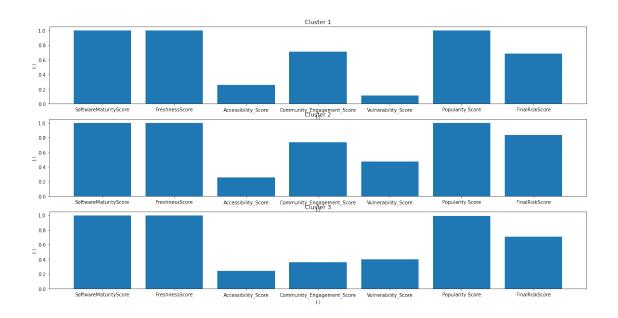
```
[11]: do_kmeans_analysis(3, 314, train, test)
```

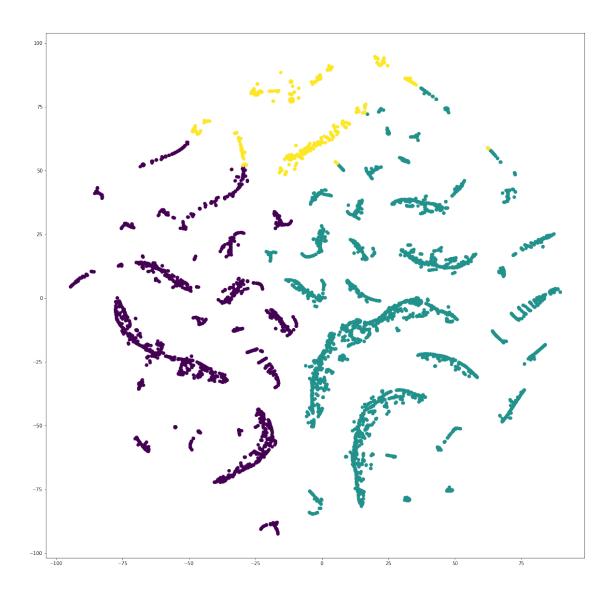




<Figure size 1800x1440 with 0 Axes>

[30]: do\_kmeans\_analysis(3, 200, train, test)





<Figure size 1800x1440 with 0 Axes>

## 2.0.1 GMM

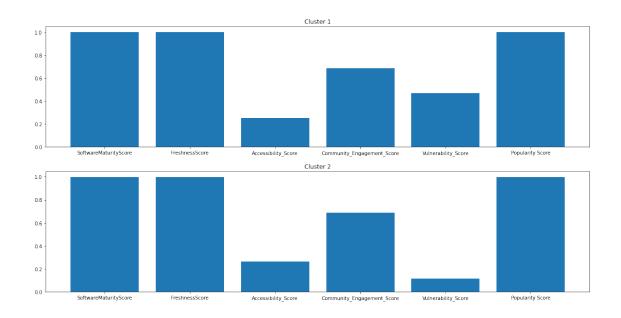
```
[18]: #
# GMM Analysis from CAB420, Prac 8, Q1
# Author: Simon Denman (s.denman@qut.edu.au)
#
def do_gmm_analysis(n_components, random_state, train, test):
# train the GMM
gmm = GaussianMixture(n_components=n_components, random_state=random_state).

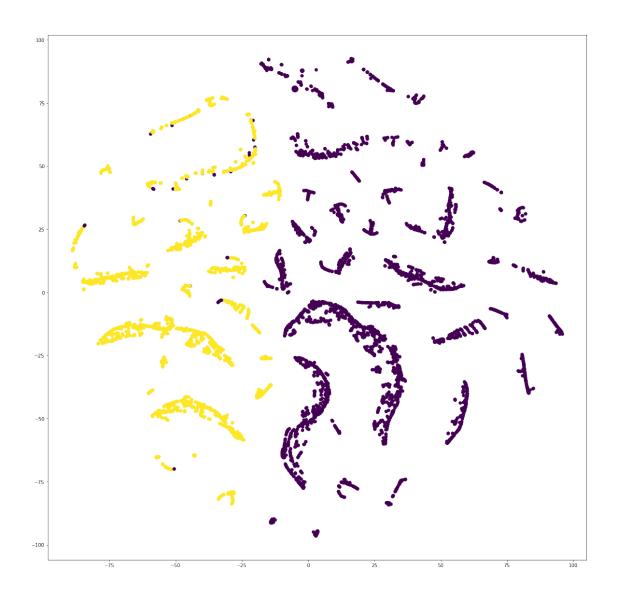
ofit(train)
```

```
# plot the component means
   #x = ['Contributors', 'No_Of_Releases', 'Mean_Distance', 'Number of Stars',
→'Closed Issues', 'Open Issues', 'Total Branches', 'Open Pull Requests', ⊔
→ 'Closed_Pull_Requests', 'Open_Milestones', 'Closed_Milestones']
  x = ['SoftwareMaturityScore', 'FreshnessScore', 'Accessibility_Score',
→ 'Community Engagement Score', 'Vulnerability Score', 'Popularity Score']
  fig = plt.figure(figsize=[20, 10])
  for i in range(n_components):
       ax = fig.add_subplot(n_components, 1, i + 1)
       ax.bar(x, gmm.means_[i,:])
       ax.set_title('Cluster %d' % (i+1))
  # TSNE plot of the data
  fig = plt.figure(figsize=[20,20])
  ax = fig.add_subplot(1, 1, 1)
  tsne_embeddings = TSNE(random_state=4).fit_transform(numpy.vstack([train,_
⇔gmm.means_]))
  train_labels = gmm.predict(train)
  ax.scatter(tsne_embeddings[:-n_components,0], tsne_embeddings[:

¬-n_components,1], c = train_labels);
  # add component means to the scatter plot
   #ax.scatter(tsne_embeddings[-n_components:,0],_
\hookrightarrow tsne\_embeddings[-n\_components:,1], s=200, marker='x')
   # compute likelihood for travellers. With a GMM, we can get the likelihood \Box
⇔that such a traveller exists
  # given the learned distribution
  distances = gmm.score_samples(test)
```

[19]: do\_gmm\_analysis(2, 59, train, test)





[]: