

ARTIFICIAL INTELLIGENCE ASSIGNMENT Date: _____

HANDWRITTEN TASKS

QUESTION 2: DRY RUN OF GENETIC ALGORITHM

Performing 2 iterations:

Step 1: Initialize Population (6 chromosomes)

$C_1: [2, 3, 3, 2, 3, 1, 2]$

$C_2: [1, 2, 3, 1, 2, 3, 2]$

$C_3: [3, 1, 2, 3, 1, 2, 1]$

$C_4: [2, 1, 3, 2, 1, 3, 2]$

$C_5: [1, 3, 2, 1, 3, 2, 1]$

$C_6: [3, 2, 1, 3, 2, 1, 3]$

Step 2: Evaluate Fitness

$C_1: 2, 3, 1, 2, 3, 1, 2$

Costs:

Task 1, $f_2 = 5 \times 12 = 60$

Task 2, $f_3 = 8 \times 16 = 128$

Task 3, $f_1 = 4 \times 8 = 32$

Task 4, $f_2 = 7 \times 10 = 70$

Task 5, $f_3 = 6 \times 12 = 72$

Task 6, $f_1 = 3 \times 9 = 27$

Task 7, $f_2 = 9 \times 12 = 108$

Total Cost: 497

Loads:

$f_1: 4 + 3 = 7$

$f_2: 5 + 7 + 9 = 21$

$f_3: 8 + 6 = 14$

Capacities: [24, 30, 18]

All within capacities.

Fitness: 497

$C_2: 1, 2, 3, 1, 2, 3, 2$

Costs:

Task 1, $f_1 = 5 \times 10 = 50$

Task 2, $f_2 = 8 \times 14 = 112$

Task 3, $f_1 = 4 \times 7 = 28$

Task 4, $f_1 = 7 \times 12 = 84$

Task 5, $f_2 = 6 \times 13 = 78$

Task 6, $f_3 = 3 \times 10 = 30$

Task 7, $f_2 = 9 \times 12 = 108$

Total cost: 490

Loads:

$f_1: 5 + 7 = 12$

$f_2: 8 + 6 + 9 = 23$

$f_3: 4 + 3 = 7$

Capacities: [24, 30, 28]

All within Capacity

Fitness: 490

$C_3: 3, 1, 2, 3, 1, 2, 1$

Costs:

Task 1, $f_3 = 5 \times 9 = 45$

Task 2, $f_1 = 8 \times 15 = 120$

Task 3, $f_2 = 4 \times 9 = 36$

Task 4, $f_3 = 7 \times 13 = 91$

Task 5, $f_2 = 6 \times 14 = 84$

Task 6, $f_2 = 3 \times 8 = 24$

Task 7, $f_1 = 9 \times 11 = 99$

Total cost: 499

Loads:

$f_1: 8 + 6 + 9 = 23$

$f_2: 4 + 3 = 7$

$f_3: 5 + 7 = 12$

Capacities: [24, 30, 18]

All within capacity

Fitness: 499

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$C_4: [2, 1, 3, 2, 1, 3, 2]$	$C_5: [1, 3, 2, 1, 3, 2, 1]$	$C_6: [3, 2, 1, 3, 2, 1, 3]$
Cost:	Cost:	Cost:
Task 1, $F_1 = 5 \times 12 = 60$	Task 1, $F_1 = 5 \times 10 = 50$	Task 1, $F_1 = 5 \times 9 = 45$
Task 2, $F_1 = 8 \times 15 = 120$	Task 2, $F_2 = 8 \times 16 = 128$	Task 2, $F_2 = 8 \times 14 = 112$
Task 3, $F_3 = 4 \times 7 = 28$	Task 3, $F_2 = 4 \times 9 = 36$	Task 3, $F_1 = 4 \times 8 = 32$
Task 4, $F_2 = 7 \times 10 = 70$	Task 4, $F_1 = 7 \times 12 = 84$	Task 4, $F_3 = 7 \times 13 = 91$
Task 5, $F_1 = 6 \times 14 = 84$	Task 5, $F_3 = 6 \times 12 = 72$	Task 5, $F_2 = 6 \times 13 = 78$
Task 6, $F_3 = 3 \times 10 = 30$	Task 6, $F_2 = 3 \times 8 = 24$	Task 6, $F_1 = 3 \times 9 = 27$
Task 7, $F_2 = 9 \times 12 = 108$	Task 7, $F_1 = 9 \times 11 = 99$	Task 7, $F_3 = 9 \times 13 = 117$
Total cost: 500	Total cost: 493	Total cost: 502
$F_1 = 8 + 6 = 14$	loads: $F_1 = 5 + 7 + 9 = 21$	loads: $F_1 = 4 + 3 = 7$
$F_2 = 5 + 7 + 9 = 21$	$F_2 = 4 + 3 = 7$	$F_2 = 8 + 6 = 14$
$F_3 = 4 + 3 = 7$	$F_3 = 8 + 6 = 14$	$F_3 = 5 + 7 + 9 = 21$
Capacities: [24, 30, 28]	Capacities: [24, 30, 28]	Capacities: [24, 30, 28]
All within capacities	All within capacities	All within capacities
Fitness: 500	Fitness: 493	Fitness: 502

Fitness Values: [497, 490, 499, 500, 493, 502]

Step#3: Selection (Roulette wheel) $\frac{1}{\text{cost}}$

Indices:	Probabilities:
$C_1: \frac{1}{497} = 0.002012$	$C_1: \frac{0.002012}{0.012077} = 0.167$
$C_2: \frac{1}{490} = 0.002041$	$C_2: \frac{0.002041}{0.012077} = 0.169$
$C_3: \frac{1}{499} = 0.002004$	$C_3: \frac{0.002004}{0.012077} = 0.166$
$C_4: \frac{1}{500} = 0.002000$	$C_4: \frac{0.002000}{0.012077} = 0.166$
$C_5: \frac{1}{493} = 0.002028$	$C_5: \frac{0.002028}{0.012077} = 0.168$
$C_6: \frac{1}{502} = 0.001992$	$C_6: \frac{0.001992}{0.012077} = 0.165$
Total: 0.012077	

Selecting $C_2, C_5, C_1, C_3, C_2, C_5$ (C_1 and C_5 favoured due to slightly lower cost)

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Step #4: Crossover (80% chance)	
Pair 1: $G_1: [1, 2, 3, 1, 2, 3, 2]$ $G_5: [1, 3, 2, 1, 3, 2, 1]$	Pair 2: $C_1: [2, 3, 1, 2, 3, 1, 2]$ $G_3: [3, 1, 2, 3, 1, 2, 1]$
Crossover at Pos 2: Crossover at Pos 2: Crossover at Pos 5	
Child 1: $[1, 2, 2, 1, 3, 2, 1]$	Child 3: $[2, 3, 2, 3, 1, 2, 1]$
Child 2: $[1, 3, 3, 1, 2, 3, 2]$	Child 4: $[3, 1, 1, 2, 3, 1, 2]$
Step #5: Mutation (20% chance)	
Child 1: $[1, 2, 2, 1, 3, 2, 1] \rightarrow$ No mutation	
Child 2: $[1, 3, 3, 1, 2, 3, 2] \rightarrow$ 20% chance. Swapping pos 3 and 4: $[1, 3, 3, 1, 2, 2, 3]$	
Child 3: $[2, 3, 2, 3, 1, 2, 1] \rightarrow$ No mutation	
Child 4: $[3, 1, 1, 2, 3, 1, 2] \rightarrow$ No mutation	
Child 5: $[1, 2, 3, 1, 2, 2, 1] \rightarrow$ 20% chance. Swapping pos 2 and 4: $[1, 1, 3, 2, 2, 2, 1]$	
Child 6: $[1, 3, 2, 1, 3, 3, 2] \rightarrow$ No mutation	
New Population:	
$[1, 2, 2, 1, 3, 2, 1]$	$[3, 1, 1, 2, 3, 1, 2]$
$[1, 3, 3, 1, 2, 2, 3]$	$[1, 1, 3, 2, 2, 2, 1]$
$[2, 3, 2, 3, 1, 2, 1]$	$[1, 3, 2, 1, 3, 3, 2]$
Evaluating fitness of next Population	
$G_1: [1, 2, 2, 1, 3, 2, 1]$	$C_4: [3, 1, 1, 2, 3, 1, 2]$
Total cost = $50 + 112 + 36 + 84 + 72 + 24 + 99 = 477$	Total cost = $45 + 120 + 72 + 70 + 72 + 27 + 108 = 474$
loads: $F_1: 517 + 9 = 21, F_2: 814 + 7 = 15, F_3: 6$	loads: $F_1: 814 + 7 = 15, F_2: 7 + 9 = 16, F_3: 5 + 6 = 11$
All within capacities, Fitness = 477	All within capacities, Fitness = 474
$G_2: [1, 3, 3, 1, 2, 2, 3]$	$C_5: [1, 1, 3, 2, 2, 2, 1]$
Total cost = $50 + 128 + 36 + 84 + 72 + 24 + 117 = 509$	Total cost = $50 + 120 + 72 + 70 + 72 + 27 + 99 = 469$
loads: $F_1: 517 + 12 = 12, F_2: 814 + 3 = 13, F_3: 4 + 9 = 13$	loads: $F_1: 5 + 8 + 9 = 21, F_2: 7 + 6 + 3 = 16, F_3: 7$
All within capacities, Fitness = 509	All within capacities, Fitness = 469
$G_3: [2, 3, 2, 3, 1, 2, 1]$	$C_6: [1, 2, 2, 1, 3, 3, 2]$
Total cost = $60 + 128 + 36 + 91 + 84 + 124 + 99 = 522$	Total cost = $50 + 128 + 36 + 84 + 72 + 70 + 108 = 508$
loads: $F_1: 619 = 15, F_2: 514 + 3 = 12, F_3: 817 = 15$	loads: $F_1: 5 + 7 = 12, F_2: 819 = 17, F_3: 4 + 6 + 1 = 13$
All within capacities, Fitness = 522	All within capacities, Fitness = 508

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Fitness: [472, 505, 522, 477, 469, 508]

Conclusion: After 1 iteration, the GA improved the best cost from 490 to 469, with the Assignment [1, 1, 3, 2, 2, 2, 1], meeting all constraints.

QUESTION 4:

State 2: 0 at 5

X	2	3	R ₁ : +100	X	X	3
X	5	6	R ₂ : 0	X	0	6
0	0	9	R ₃ : -100	0	0	9

Three X: +1000

C₁: 0

Three 0: -1000

C₂: 0

Two X's, one empty: +100

C₃: 0

One X, Two empty: +10

D₁: 0

Two 0's, one empty: -100

D₂: -100

One 0, Two empty: -10

Sum-R: 0, Sum-C: 0, Sum-D: -100

Else = 0

V-Sum: -100

V-Sum = Sum-R + Sum-C + Sum-D

1

State 3: 0 at 6

STATES FOR X AT POS 2

X	X	3	R ₁ : +100	X	X	3
X	5	6	R ₂ : 0	X	5	0
0	0	9	R ₃ : -100	0	0	9

State 1: 0 at 3

C₁: 0

R₁: 0

X X 0

C₂: -10

R₂: +10

X 5 6

D₁: +10

R₃: -100

0 0 9

D₂: -10

C₁: 0

Sum-R: 0, Sum-C: -10, Sum-D: 0

C₂: 0

V-Sum: -10

C₃: -10

D₁: +10

D₂: -100

Sum-R: -90, Sum-C: -10, Sum-D: -90

V-Sum: -190.

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State 4: 0 at 9				$C_1: 0$
$R_1: +100$	X	X	3	$C_2: -10$
$R_2: +10$	X	5	6	$C_3: 0$
$R_3: -1000$	0	0	0	$D_1: +100$
$C_1: 0$				$D_2: -100$
$C_2: 0$				$\text{Sum } R_2: +10, \text{Sum } C_1: -10, \text{Sum } D_2: 0$
$C_3: -10$				$V\text{-Sum}: 0$
$D_1: 0$				
$D_2: -10$				STATE 7: 0 at 5
$\text{Sum } R_2: +90, \text{Sum } C_1: -10, \text{Sum } D_1: -10$				$R_1: +10$ X 2 3
$V\text{-Sum}: -910$				$R_2: 0$ X 0 6
				$R_3: 0$ 0 0 X
STATES for X at pos 9				$C_1: 0$
	X	2	3	$C_2: -100$
	X	5	6	$C_3: +10$
	0	0	X	$D_1: 0$
STATE 5: 0 at 2				$D_2: -100$
$R_1: 0$	X	0	3	$\text{Sum } R_1: +10, \text{Sum } C_1: -90, \text{Sum } D_1: -100$
$R_2: +10$	X	5	6	$V\text{-Sum}: -180$
$R_3: 0$	0	0	X	
$C_1: 0$				STATE 8: 0 at 6
$C_2: -100$				$R_1: +10$ X 2 3
$C_3: +10$				$R_2: 0$ X 5 0
$D_1: +100$				$R_3: 0$ 0 0 X
$D_2: -10$				$C_1: 0$
$\text{Sum } R_2: +10, \text{Sum } C_2: -90, \text{Sum } D_2: 90$				$C_2: -10$
$V\text{-Sum}: 10$				$C_3: 0$
				$D_1: +100$
STATE 6: 0 at 3				$D_2: -10$
$R_1: 0$	X	2	0	$\text{Sum } R_1: +10, \text{Sum } C_2: -10, \text{Sum } D_2: 90$
$R_2: +10$	X	5	6	$V\text{-Sum}: 90$
$R_3: 0$	0	0	X	

Minimax Decision:

X at 2: V-Sum: $\{-150, -100, -10, -910\} \rightarrow \text{minimum} = -910$

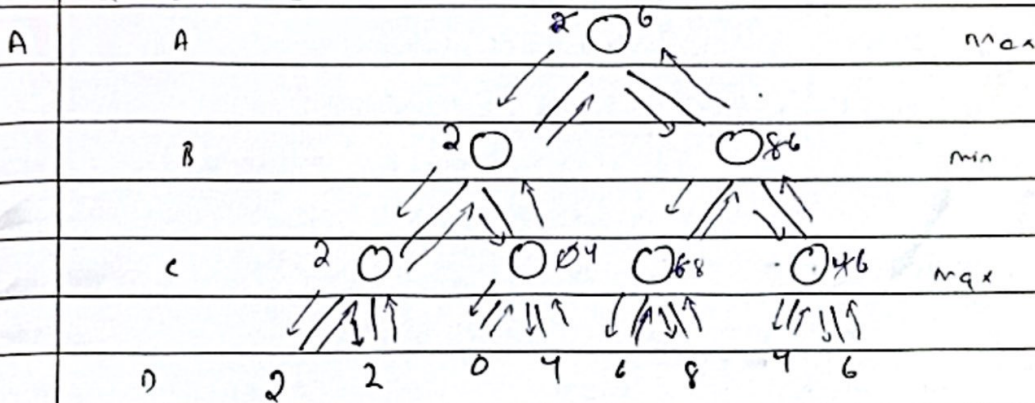
X at 9: V-Sum: $\{10, 0, -150, 50\} \rightarrow \text{minimum} = -150$

X chooses $\max(\text{minimum})$: $\max(-910, -150) = -150$

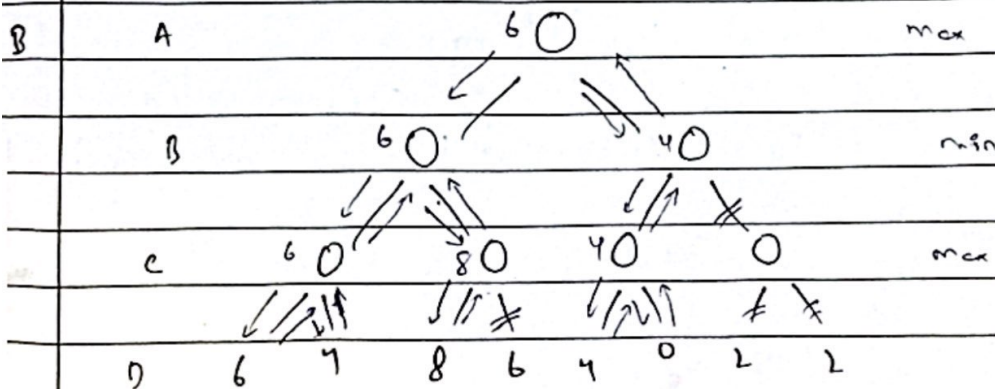
BEST MOVE:

Place x at Position 9, as it yields a minimum V-Sum of -150 , better than -910 for position 2.

QUESTION 5:



All Branches evaluated, none of them pruned, No parts cut, winning Path is $A \rightarrow B_2 \rightarrow C_4 \rightarrow D_8$. As All are computed, none are struck out.



All Branches under B, except $D_4(6)$ is evaluated, $D_4(6)$ pruned when C2's 8 exceeds B's 6. Under B2, C3 yields 8, setting P's 8. Since A already has 6 from B1, and C4 max is 10, not 6, C4 including D_7 and D_8 is pruned, as it can't ~~improve~~ improve A's value. The winning path is $A \rightarrow B_1 \rightarrow C_1 \rightarrow D_1(6)$; struck out values are $B(D_4)$, $C(D_7)$, $C(D_8)$.

QUESTION 6.

Part (a)

1) **PLAYER:**

max (Defender): An AI driven ID, tasked with protecting the network from cyber threats.

min (Attacker): Aims to penetrate the network through various attack methods.

2) **DECISION MAKING:**

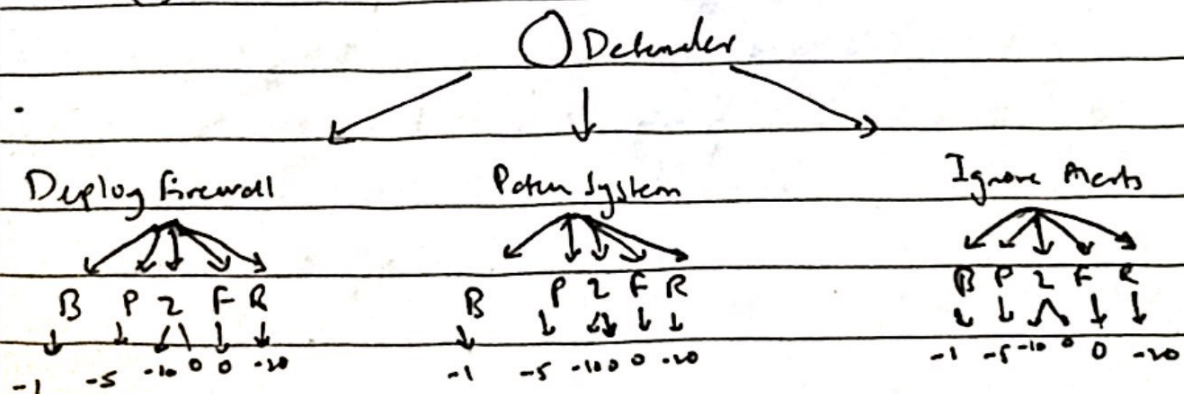
max (Defender): Decides on actions such as setting up firewalls, applying patches, or dismissing alerts to reduce damage while balancing resource use.

Min (Attacker): Picks attacks like Brute Force, Phishing, Zero-Day Exploit, Fake, or Red to inflict maximum harm on the network.

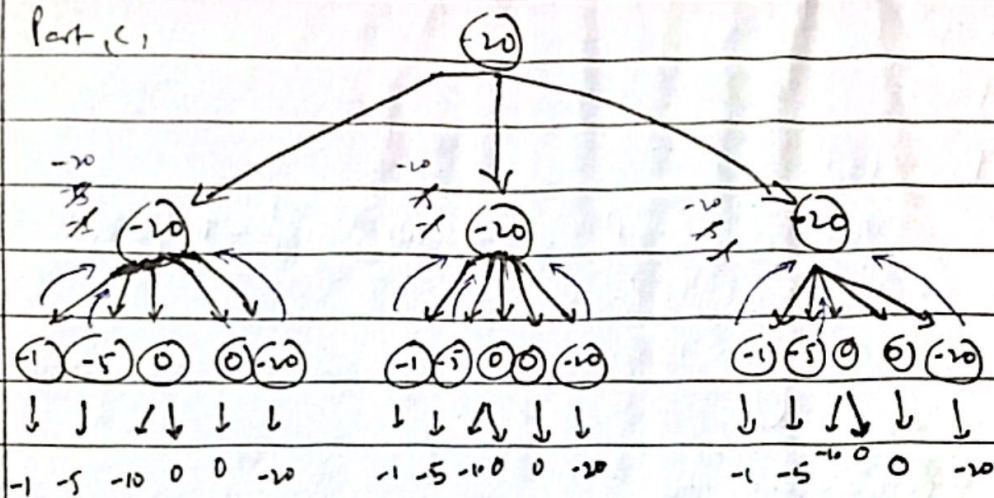
3) **Stochastic Elements:**

Attacks with probabilities, such as zero-Day Exploits (eg 50% success chance), create unpredictability, pushing the defender to adjust from worst case planning to strategies based on expected value (eg using Expectimax).

Part (b)



Part c,



Part d,

1) Success (50%) = Damage -10

Fail (50%) = Damage = 0

Expected value = $(0.5 \times -10) + (0.5 \times 0) = -5$

Zero-Day Exploit, on average, causes -5 damage to the system

2) Minimax: The Defender prepares for the worst outcome (eg Zero-Day exploit succeeding at -10) typically choosing to deploy a firewall for strong defence.

Expectedimax: The Defender considers the expected value (-5) for zero Day Exploits, viewing them as less severe. It might prefer patching the system or even ignoring Alerts if false Attacks are probable, taking a more calculated approach rather than always overreacting.