

Problems on Numbers - Solved Examples(Set 2)

51. The difference of the squares of two consecutive even integers is always divisible by

- A. 3
B. 6
C. 4
D. 7

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answer with explanation

Answer: Option C

Explanation:

Let the consecutive even integers be n and $(n + 2)$

difference of the squares

$$= (n + 2)^2 - n^2$$

$$= (n^2 + 4n + 4) - n^2$$

$$= 4n + 4$$

$$= 4(n + 1) \text{ which is always divisible by 4}$$

52. Which one of the following numbers is completely divisible by 99?

- A. 115909
B. 115919
C. 115939
D. 115929

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answer with explanation

Answer: Option D

Explanation:

If a number is divisible by two co-prime numbers, then the number is divisible by their product also.

If a number is divisible by more than two pairwise co-prime numbers, then the number is divisible by their product also. ([read more](#))

If a number is divisible by another number, then it is also divisible by all the factors of that number. ([read more](#))

We know that $99 = 9 \times 11$ where 9 and 11 are co-prime numbers. Also, 9 and 11 are factors of 99. Hence,

- (1) If a number is divisible by 9 and 11, the number will be divisible by their product 99 also.
(2) If a number is not divisible by 9 or 11, it is not divisible by 99

Using [divisibility rules](#), we can find out whether a given number is divisible by another number without actually performing the division.

115929 is divisible by both 9 and 11

=> 115929 is divisible by 99

115939 is not divisible by 9

=> 115939 is not divisible by 99

115919 is not divisible by 9

=> 115919 is not divisible by 99

115909 is not divisible by 9

=> 115909 is not divisible by 99

Hence, 115929 is the answer

53. $612 \times 612 \times 612 + 321 \times 321 \times 321$ $612 \times 612 - 612 \times 321 + 321 \times 321 = ?$

A. 933 B. 1000

C. 712 D. 843

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answer with explanation

Answer: Option A

Explanation:

$$a^3 + b^3 = (a+b)(a^2 - ab + b^2)$$

[\(read more\)](#)

Given Equation is in the form $(a^3 + b^3)(a^2 - ab + b^2)$

where $a=612$ and $b=321$

$$(a^3 + b^3)(a^2 - ab + b^2) = (a+b)(a^2 - ab + b^2)(a^2 - ab + b^2) = (a+b)$$

Hence answer $= (a+b) = 612 + 321 = 933$

54. How many terms are there in the G.P. 4, 8, 16, 32, ... , 1024?

A. 9

B. 8

C. 7

D. 6

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answer with explanation

Answer: Option A

Explanation:

n^{th} term of a geometric progression (GP) $t_n = ar^{n-1}$

where $t_n = n^{\text{th}}$ term, a = the first term, r = common ratio, n
= number of terms ([read more](#))

$$a = 4, r = 8, t_n = 1024$$

$$t_n = ar^{n-1} \Rightarrow 1024 = 4 \times 2^{n-1} \Rightarrow 2^{n-1} = 1024/4 = 256 = 2^8 \Rightarrow 2^{n-1} = 2^8 \Rightarrow n-1 = 8 \Rightarrow n = 8+1 = 9$$

$$55. \quad 123 \times 123 + 288 \times 288 + 2 \times 123 \times 288 = ?$$

A. 168151 B. 178121

C. 168921 D. 162481

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answer with explanation

Answer: Option C

Explanation:

$$(a+b)^2 = a^2 + 2ab + b^2$$

[read more...](#)

$$123 \times 123 + 288 \times 288 + 2 \times 123 \times 288 = (123 + 288)^2 = 411^2 = 168921$$

56. If a number is divided by 6, 3 is the remainder. What is the remainder if the the square of the number is divided by 6?

A. 5

B. 4

C. 3

D. 2

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answer with explanation

Answer: Option C

Explanation:

if the number is divided by 6 , 3 is the remainder

Therefore, number = $6k+3$

Square of the number

$$=(6k+3)^2$$

$$=36k^2+36k+9 \quad [\because (a+b)^2=a^2+2ab+b^2]$$

$$=36k^2+36k+6+3=6(6k^2+6k+1)+3$$

Hence, when the square of the number is divided by 6, we get 3 as remainder.

57. In a division, the remainder is 0 when a student mistook the divisor as 12 instead of 21 and obtained 35 as quotient. What is the correct quotient ?

A. 25

B. 20

C. 15

D. 10

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answer with explanation

Answer: Option B

Explanation:

Let x

be the number

$$x \div 12 = 35, \text{ remainder} = 0$$

$$\Rightarrow x = 35 \times 12$$

correct quotient

$$= x \div 21 = 35 \times 12 \div 21 = 5 \times 12 \div 3 = 5 \times 4 = 20$$

58. $1531 \times 132 + 1531 \times 68 = ?$

A. 306000 B. 306100
C. 306200 D. 306400

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answer with explanation

Answer: Option C

Explanation:

$$a(b+c)=ab+ac$$

(distributive Law)

[\(read more\)](#)

$$1531 \times 132 + 1531 \times 68 = 1531(132 + 68) = 1531 \times 200 = 306200$$

59. $100010 \div 1028 = ?$

A. 10 B. 100
C. 1000 D. 10000

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answer with explanation

Answer: Option B

Explanation:

$$(am)^n = am^n = (an)^m$$

$$a^m \cdot a^n = a^{m+n}$$

$$a^m \div a^n = a^{m-n}$$

[read more...](#)

$$1000101028 = (103)101028 = 10301028 = 102 = 100$$

60. $2 + 22 + 222 + 2.22 = ?$

A. 246 B. 248

C. 248.12 D. 248.22

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answer with explanation

Answer: Option D

61. Which of the following numbers will completely divide $(4915-1)$?

A. 14 B. 46

C. 8 D. 50

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answer with explanation

Answer: Option C

Explanation:

Solution 1

$(x^n - a^n)$

is completely divisible by $(x - a)$

for every natural number n

[read more...](#)

$(4915-1)=(4915-115)$

which is divisible by $(49 - 1) = 48$

Since 8 is a factor of 48, $(4915-1)$

is also divisible by 8

Solution 2

$(x^n - a^n)$

is completely divisible by $(x + a)$

when n is even

[read more...](#)

$(4915-1)=[(72)15-1]=(730-1)=(730-130)$

which is completely divisible by $(7 + 1) = 8$

62. How many even prime numbers are there less than 50?

- A. 1 B. 15
C. 2 D. 16

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answer with explanation

Answer: Option A

Explanation:

2 is the only even prime number

63. How many prime numbers are there less than 50?

- A. 13 B. 14
C. 15 D. 16

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answer with explanation

Answer: Option C

Explanation:

2, 3, 5, 7, 11, 13, 17, 19, 23, 29, 31, 37, 41, 43, 47 are the prime numbers less than 50

64. What is the difference between local value and face value of 7 in the numeral 657903?

- A. 6993 B. 69993
C. 7000 D. 7

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answer with explanation

Answer: Option A

Explanation:

(Local value of 7) - (Face value of 7)
= $(7000 - 7) = 6993$

65. $108+109+110+\dots+202=?$

- A. 14615 B. 14625

C. 14715 D. 14725

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answer with explanation

Answer: Option D

Explanation:

Solution 1

Number of terms of an arithmetic progression

$$n = \frac{l - a}{d} + 1$$

where n = number of terms, a = first term, l = last term, d = common difference

Sum of first n terms in an arithmetic progression

$$S_n = \frac{n}{2} [2a + (n-1)d] = \frac{n}{2} (a + l)$$

where a = the first term, d = common difference,

$$l = \text{tn} = n^{\text{th}} \text{ term} = a + (n-1)d$$

[\(read more\)](#)

$$a = 108, l = 202, d = 109 - 108 = 1$$

$$n = \frac{l - a}{d} + 1 = \frac{202 - 108}{1} + 1 = 94 + 1 = 95 \quad S_n = \frac{n}{2} (a + l) = \frac{95}{2} (108 + 202) = 95 \times 155 = 14725$$

Solution 2

$$1 + 2 + 3 + \dots + n$$

$$= \sum_{n=1}^n n = \frac{n(n+1)}{2}$$

[\(Reference: Power Series\)](#)

$$108 + 109 + 110 + \dots + 202$$

$$= (1 + 2 + 3 + \dots + 202) - (1 + 2 + 3 + \dots + 107)$$

$$= \frac{(202 \times 203)}{2} - \frac{(107 \times 108)}{2} = (101 \times 203) - (107 \times 54) = 20503 - 5778 = 14725$$

66. $23732 \times 999 = ?$

A. 23708268 B. 22608258

C. 22608268 D. 23708258

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answer with explanation

Answer: Option A

Explanation:

$$23732 \times 999 = 23732(1000 - 1) = 23732 \times 1000 - 23732 \times 1 = 23732000 - 23732 = 23708268$$

please go through [speed maths](#) methods to do calculations faster.

67. $123427201 - ? = 568794$

A. 123527207 B. 223521407

C. 123527407 D. 122858407

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answer with explanation

Answer: Option D

Explanation:

$$\text{Let } 123427201 - x = 568794$$

$$x = 123427201 - 568794 = 122858407$$

68. $2210 \times ? = 884$

A. 23

B. 25

C. 15

D. 34

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answer with explanation

Answer: Option B

Explanation:

Let $2210 \times x = 884$

$x = 884 \div 2210 = 442 \div 1105 = 3485 \div 25$

69. If P and Q are odd numbers, then which of the following is even?

A. $P + Q$

B. PQ

C. $P + Q + 1$

D. $PQ + 2$

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answer with explanation

Answer: Option A

Explanation:

The sum of two odd numbers is an even number. ([read more](#))

Hence $P + Q$ is an even number

or

Just take any two odd numbers, say 1 and 3

$P + Q = 1 + 3 = 4 = \text{an even number}$

$P + Q + 1 = 1 + 3 + 1 = 5 = \text{an odd number}$

$PQ = 1 \times 3 = 3 = \text{an odd number}$

$PQ + 2 = (1 \times 3) + 2 = 5 = \text{an odd number}$

Hence $P + Q$ is the answer

70. Which of the following numbers will completely divide $(319+320+321+322)$?

A. 25 B. 16

C. 11 D. 12

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answer with explanation

Answer: Option D

Explanation:

$$319+320+321+322=319(1+3+32+33)=319\times 40=318\times 3\times 4\times 10=318\times 12\times 10$$

which is divisible by 12

71. What is the largest 5 digit number exactly divisible by 94?

A. 99922

B. 99924

C. 99926

D. 99928

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answer with explanation

Answer: Option A

Explanation:

Largest 5 digit number = 99999

$$99999 \div 94 = 1063, \text{ remainder} = 77$$

Hence largest 5 digit number exactly divisible by 94

$$= 99999 - 77 = 99922$$

72. What is the smallest 5 digit number exactly divisible by 94?

A. 10052

B. 10054

C. 10056

D. 10058

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answer with explanation

Answer: Option D

Explanation:

Smallest 5 digit number = 10000

$$10000 \div 94 = 106, \text{ remainder} = 36$$

$$94 - 36 = 58.$$

i.e., 58 should be added to 10000 to make it divisible by 94.
Therefore, smallest 5 digit number exactly divisible by 94
 $= 10000 + 58 = 10058$

73. $1234 - ? = 4234 - 3361$

- A. 351 B. 361
C. 371 D. 379

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answer with explanation

Answer: Option B

Explanation:

Let $1234 - x = 4234 - 3361$

$$x = 1234 - 4234 + 3361 = 361$$

74. $320 \div 2 \div 3 = ?$

- A. None of these B. 53.33
C. 160 D. 106

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answer with explanation

Answer: Option B

Explanation:

$$320 \div 2 \div 3 = 160 \div 3 = 53.33$$

or

$$320 \div 2 \div 3 = 320 \times 12 \times 13 = 1603 = 53.33$$

75. $476**0$ is divisible by both 3 and 11. What are the non-zero digits in the hundred's and ten's places respectively?

- A. 8 and 5
- B. 6 and 5

C. 8 and 2

D. 6 and 2

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answer with explanation

Answer: Option A

Explanation:

References

[1. Divisibility by 3](#)

[2. Divisibility by 11](#)

Solution 1

Just substitute the values in the missing places and apply divisibility rules.

if $a=6$ and $b=2$, number = 476620

$4 + 7 + 6 + 6 + 2 + 0 = 25$ which is not divisible by 3

Hence 476620 is not divisible by 3

if $a=8$ and $b=2$, number = 476820

$4 + 7 + 6 + 8 + 2 + 0 = 27$ which is divisible by 3

Hence 476820 is divisible by 3

$$4 + 6 + 2 = 12$$

$$7 + 8 + 0 = 15$$

$$15 - 12 = 3$$

Hence 476820 is not divisible by 11

if $a=6$ and $b=5$, number = 476650

$4 + 7 + 6 + 6 + 5 + 0 = 28$ which is not divisible by 3

Hence 476650 is not divisible by 3

if $a=8$ and $b=5$, number = 476850

$4 + 7 + 6 + 8 + 5 + 0 = 30$ which is divisible by 3

Hence 476850 is divisible by 3

$$4 + 6 + 5 = 15$$

$$7 + 8 + 0 = 15$$

$$15 - 15 = 0$$

Hence 476850 is divisible by 11

So $a=8$ and $b=5$ is the answer

Solution 2

Let the number be 476ab0

476ab0 is divisible by 3

$\Rightarrow 4 + 7 + 6 + a + b + 0$ is divisible by 3

$\Rightarrow 17 + a + b$ is divisible by 3 ...(equation 1)

476ab0 is divisible by 11

$\Rightarrow (4+6+b)-(7+a+0)$ is 0 or divisible by 11

$\Rightarrow 3+(b-a)$ is 0 or divisible by 11 ...(equation 2)

Substitute the values of a and b with the values given in the choices and select the values which satisfies both equation 1 and 2.

if $a=6$ and $b=2$,

$17 + a + b = 17 + 6 + 2 = 25$ which is not divisible by 3.

Does not meet equation 1

if $a=8$ and $b=2$,

$17 + a + b = 17 + 8 + 2 = 27$ which is divisible by 3.

Meet equation 1

$3+(b-a) = 3+(2-8) = -3$ which is neither 0 nor divisible by 11

Does not meet equation 2

if $a=6$ and $b=5$,

$17 + a + b = 17 + 6 + 5 = 28$ which is not divisible by 3

Does not meet equation 1

if $a=8$ and $b=5$,

$17 + a + b = 17 + 8 + 5 = 30$ which is divisible by 3

Meet equation 1

$3+(b-a) = 3+(5-8) = 0$

Meet equation 2

Since these values satisfies both equation 1 and equation 2, this is the answer

76. On dividing 2272 as well as 875 by 3-digit number N, we get the same remainder. What is the sum of the digits of N?

A. 11

B. 10

C. 9

D. 8

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answer with explanation

Answer: Option B

Explanation:

Let $2272 \div N = a$, remainder = r

$$\Rightarrow 2272 = Na + r \dots(1)$$

Let $875 \div N = b$, remainder = r

$$\Rightarrow 875 = Nb + r \dots(2)$$

(1)-(2)

$$\Rightarrow 2272 - 875 = [Na + r] - [Nb + r]$$

$$\Rightarrow 1397 = Na - Nb$$

$$\Rightarrow 1397 = N(a - b) \dots(3)$$

It means 1397 is divisible by N

But $1397 = 11 \times 127$

(References: [factors of a number](#), [prime factorization](#))

You can see that 127 is the only 3 digit number which perfectly divides 1397

$$\Rightarrow N = 127$$

Sum of the digits of N

$$= 1 + 2 + 7 = 10$$

77. What is the sum of first ten prime numbers?

A. 55

B. 101

C. 130

D. 129

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answer with explanation

Answer: Option D

Explanation:

([Reference : Prime Numbers](#))

$$\text{Required Sum} = 2 + 3 + 5 + 7 + 11 + 13 + 17 + 19 + 23 + 29 = 129$$

78. Which of the following numbers is exactly divisible by 11?

A. 499774

B. 47554

C. 466654

D. 4646652

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answer with explanation

Answer: Option A

Explanation:

[Reference : Divisibility by 11 Rule](#)

Take 47554

$$4 + 5 + 4 = 13$$

$$7 + 5 = 12$$

$$13 - 12 = 1$$

1 is not divisible by 11

Hence 47554 is not divisible by 11

Take 466654

$$4 + 6 + 4 = 14$$

$$6 + 5 = 11$$

$$14 - 11 = 3$$

3 is not divisible by 11

Hence 466654 is not divisible by 11

Take 4646652

$$4 + 4 + 6 + 2 = 16$$

$$6 + 6 + 5 = 17$$

$$17 - 16 = 1$$

1 is not divisible by 11

Hence 4646652 is not divisible by 11

Take 499774

$$4 + 9 + 7 = 20$$

$$9 + 7 + 4 = 20$$

$$20 - 20 = 0$$

We got the difference as 0.

Hence 499774 is divisible by 11

79. What is the sum all even natural numbers between 1 and 101?

A. 5050

B. 2550

C. 5040

D. 2540

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answer with explanation

Answer: Option B

Explanation:

[Reference 1: Natural Numbers](#)

[Reference 2: Arithmetic Progression \(AP\) and Related Formulas](#)

Required sum = $2 + 4 + 6 + \dots + 100$

This is an arithmetic progression with

$$a = 2$$

$$d = (4 - 2) = 2$$

$$n = (l - a) / d + 1 = (100 - 2) / 2 + 1 = 98 / 2 + 1 = 49 + 1 = 50$$

$$2 + 4 + 6 + \dots + 100 = n/2(a + l) = 50/2(2 + 100) = 25(102) = 25 \times 51 = 2550$$

80. A boy multiplies 987 by a certain number and obtained 559981 as his answer. If in the answer both 9 are wrong, but the other digits are correct, then what will be the correct answer?

A. 556581

B. 555681

C. 555181

D. 553681

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answer with explanation

Answer: Option B

Explanation:

Solution 1

The answer is divisible by 987. So we can use hit and trial method to find out the number divisible by 987 from the given choices.

$553681 \div 987$ gives a remainder not equal to 0

$555181 \div 987$ gives a remainder not equal to 0

$556581 \div 987$ gives a remainder not equal to 0

But $555681 \div 987$ gives 0 as remainder. Hence this is the answer

Solution 2

If a number is divisible by two co-prime numbers, then the number is divisible by their product also.

If a number is divisible by more than two pairwise co-prime numbers, then the number is divisible by their product also. ([read more](#))

If a number is divisible by another number, then it is also divisible by all the factors of that number. ([read more](#))

The answer is divisible by 987.

$987 = 3 \times 7 \times 47$ ([prime factorization](#))

Here 3, 7 and 47 are pairwise co-prime numbers.

Also 3, 7 and 47 are factors of 987. Hence

(1) If a number is divisible by 3, 7 and 47, the number will be divisible by their product 987 also.

(2) If a number is not divisible by 3 or 7 or 47, it is not divisible by 987

Using [divisibility rules](#), we can find out whether a given number is divisible by another number without actually performing the division.

556581 is divisible by 3

556581 is not divisible by 7

Hence 556581 is not divisible by 987

555181 is not divisible by 3

Hence 555181 is not divisible by 987

553681 is not divisible by 3

Hence 553681 is not divisible by 987

555681 is divisible by 3

555681 is divisible by 7

555681 is divisible by 47

Hence 555681 is divisible by 987

81. Which one of the following cannot be the square of a natural number ?

A. 15186125824

B. 49873162329

C. 14936506225

D. 60625273287

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answer with explanation

Answer: Option D

Explanation:

Square of a natural number cannot end with 7. Hence 60625273287 is the answer

82. $7128 + 1252 = 1202 + ?$

A. 6028 B. 1248

C. 2348 D. 7178

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answer with explanation

Answer: Option D

Explanation:

$$? = 7128 + 1252 - 1202 = 7128 + 50 = 7178$$

83. $3 + 32 + 33 + \dots + 38 = ?$

A. 9820 B. 9240

C. 9840 D. 9220

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answer with explanation

Answer: Option C

Explanation:

Sum of first n terms in a geometric progression (GP)

$$S_n = \left\{ \begin{array}{l} a(r^n - 1) / (r - 1) \text{ (if } r > 1) \\ a(1 - r^n) / (1 - r) \text{ (if } r < 1) \end{array} \right.$$

where a = the first term, r = common ratio, n = number of terms

[\(read more\)](#)

This is a Geometric Progression (GP) where

$$a = 3$$

$$r = 323 = 3$$

$$n = 8$$

$$S_n = a(r^n - 1) / (r - 1) = 3(38 - 1) / (3 - 1) = 3(6561 - 1) / 2 = 3 \times 6560 / 2 = 3 \times 3280 = 9840$$

84. $73411 \times 9999 = ?$

- A. 724836589 B. 724036589
C. 734036589 D. 734036129

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answer with explanation

Answer: Option C

Explanation:

$$73411 \times 9999 = 73411(10000 - 1) = 734110000 - 73411 = 734036589$$

85. $32 + 33 + 34 + \dots + 42 = ?$

- A. 397 B. 407
C. 417 D. 427

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answer with explanation

Answer: Option B

Explanation:

Solution 1

Number of terms of an arithmetic progression

$$n = \frac{(l - a)}{d} + 1$$

where n = number of terms, a = the first term, l = last term, d = common difference

Sum of first n terms in an arithmetic progression

$$S_n = n[2a + (n - 1)d] / 2 = n(a + l) / 2$$

where a = the first term, d = common difference,

$$l = t_n = n^{\text{th}} \text{ term} = a + (n - 1)d$$

[\(read more\)](#)

$$a=32l=42d=33-32=1$$

$$n=(l-a)d+1=42-32+1=10+1=11$$

$$S_n=n2(a+l)=112(32+42)=11\times742=11\times37=407$$

Solution 2

$$1+2+3+\dots+n$$

$$=\sum n=n(n+1)2$$

[\(Reference: Power Series\)](#)

$$32+33+34+\dots+42$$

$$=(1+2+3+\dots+42)-(1+2+3+\dots+31)$$

$$=(42\times432)-(31\times322)=21\times43-31\times16=903-496=407$$

86. What is the digit in the unit place of the number represented by $(795-358)$

A. 4 B. 3

C. 2 D. 1

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answer with explanation

Answer: Option A

Explanation:

Let's first find out the unit digit of 795

$$795=(74)23\times73$$

Hence, unit digit of 795

$$=\text{unit digit of } (74)23 \times \text{unit digit of } 73 \dots \mathbf{(1)}$$

unit digit of $(74)23$

= unit digit of $(7 \times 7 \times 7 \times 7)23$
 = unit digit of $(9 \times 9)23$ ($\because 7 \times 7 = 49$ and 9 is the unit digit of 49)
 = unit digit of 123 ($\because 9 \times 9 = 81$ and 1 is the unit digit of 81)
 = 1 **...(2)**

unit digit of 73
 = unit digit of $(7 \times 7 \times 7)$
 = unit digit of (9×7) ($\because 7 \times 7 = 49$ and 9 is the unit digit of 49)
 = 3 **...(3)** ($\because 9 \times 7 = 63$ and 3 is the unit digit of 63)

from (1),(2) and (3),
 unit digit of $795 = 1 \times 3 = 3$ **...(A)**

Similarly we can find out unit digit of 358
 $358 = (34)14 \times 32$
 Hence, unit digit of 358
 = unit digit of $(34)14 \times$ unit digit of 32 **...(4)**

unit digit of $(34)14$
 = unit digit of $(3 \times 3 \times 3 \times 3)14$
 = unit digit of $(9 \times 9)14$ ($\because 3 \times 3 = 9$)
 = unit digit of 114 ($\because 9 \times 9 = 81$ and 1 is the unit digit of 81)
 = 1 **...(5)**

unit digit of $32 = 9$ **...(6)**

Hence from (4),(5) and (6),
 unit digit of $358 = 1 \times 9 = 9$ **...(B)**

We have already found out that
 unit digit of $795 = 3$ (from A)
 and unit digit of $358 = 9$ (from B)

Hence, unit digit of $(795 - 358)$
 = unit digit of $795 -$ unit digit of 358
 = unit digit of [larger number of last digit 3 - smaller number of last digit 9] ($\because 795 > 358$)

= 4 (\because 4 is the unit digit when a smaller number of last digit 9 is subtracted from a larger number of last digit 3. example : $113 - 19 = 94$)

87. What is the unit digit in the number represented by $365 \times 659 \times 771$

A. 1 B. 2

C. 3 D. 4

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answer with explanation

Answer: Option D

Explanation:

Let's first find out the unit digit of 365

$$365 = (34)16 \times 3$$

Hence, unit digit of 365

$$= \text{unit digit of } [(34)16 \times 3]$$

$$= \text{unit digit of } [(3 \times 3 \times 3 \times 3)16 \times 3]$$

$$= \text{unit digit of } [(9 \times 9)16 \times 3] (\because 3 \times 3 = 9)$$

$$= \text{unit digit of } [116 \times 3] (\because 9 \times 9 = 81 \text{ and } 1 \text{ is the unit digit of } 81)$$

$$= 1 \times 3$$

$$= 3 \dots \textbf{(A)}$$

unit digit of 659 = 6 **...(B)** (\because unit digit is 6 for all powers of 6)

$$771 = (74)17 \times 73$$

Hence, unit digit of 771

$$= \text{unit digit of } (74)17 \times \text{unit digit of } 73 \text{ ----} \textbf{(1)}$$

unit digit of (74)17

$$= \text{unit digit of } (7 \times 7 \times 7 \times 7)17$$

$$= \text{unit digit of } (9 \times 9)17 (\because 7 \times 7 = 49 \text{ and } 9 \text{ is the unit digit of } 49)$$

$$= \text{unit digit of } 117 (\because 9 \times 9 = 81 \text{ and } 1 \text{ is the unit digit of } 81)$$

$$= 1 \dots \textbf{(2)}$$

unit digit of 73

$$= \text{unit digit of } (7 \times 7 \times 7)$$

$$= \text{unit digit of } (9 \times 7) (\because 7 \times 7 = 49 \text{ and } 9 \text{ is the unit digit of } 49)$$

$$= 3 \dots \textbf{(3)} (\because 9 \times 7 = 63 \text{ and } 3 \text{ is the unit digit of } 63)$$

Hence from (1), (2) and (3),

$$\text{unit digit of } 771 = 1 \times 3 = 3 \text{ ----} \textbf{(C)}$$

We have already found out that

unit digit of 365 = 3 (from A)

unit digit of 659 = 6 (from B)

unit digit of $771=3$ (from C)

Hence, unit digit in the number represented by $365 \times 659 \times 771$

= unit digit of $(3 \times 6 \times 3)$

= unit digit of (8×3)

($\because 3 \times 6 = 18$ and 8 is the unit digit of 18)

= 4 ($\because 8 \times 3 = 24$ and 4 is the unit digit of 24)

88. $112 \times 112 + 88 \times 88 = ?$

A. 26218 B. 20328

C. 20288 D. 24288

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answer with explanation

Answer: Option C

Explanation:

$$(a+b)^2 = a^2 + 2ab + b^2 \quad (a-b)^2 = a^2 - 2ab + b^2 \quad (a+b)^2 + (a-b)^2 = 2(a^2 + b^2)$$

[\(read more\)](#)

$$112 \times 112 + 88 \times 88 = 112^2 + 88^2 = (100+12)^2 + (100-12)^2 = 2(100^2 + 12^2) = 2(10000 + 144) = 2 \times 10144 = 20288$$

89. $9312 \times 9999 = ?$

A. 93110688 B. 93010688

C. 93110678 D. 83110688

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answer with explanation

Answer: Option A

Explanation:

$$9312 \times 9999 = 9312(10000 - 1) = 93120000 - 9312 = 93110688$$

90. $112 \times 112 - 88 \times 88 = ?$

A. 4600 B. 4700
C. 4800 D. 4900

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answer with explanation

Answer: Option C

Explanation:

$$a^2 - b^2 = (a - b)(a + b)$$

[\(read more\)](#)

$$112 \times 112 - 88 \times 88 = 112^2 - 88^2 = (112 - 88)(112 + 88) = 24 \times 200 = 4800$$

91. $1234 + 123 + 12 - ? = 1221$

A. 148 B. 158
C. 168 D. 178

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answer with explanation

Answer: Option A

Explanation:

$$? = 1234 + 123 + 12 - 1221 = 148$$

92. A three-digit number $4a3$ is added to another three-digit number 984 to give a four digit number $13b7$, which is divisible by 11. What is the value of $(a + b)$?

A. 9 B. 10
C. 11 D. 12

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answer with explanation

Answer: Option B

Explanation:

[\(Reference : Divisibility by 11 rule\)](#)

$$\begin{array}{r} 4a3 \\ 984 \\ \hline \end{array}$$

$$13b7$$

$$\Rightarrow a + 8 = b \dots (1)$$

$$13b7 \text{ is divisible by } 11$$

$$\Rightarrow (1 + b) - (3 + 7) \text{ is } 0 \text{ or divisible by } 11$$

$$\Rightarrow (b - 9) \text{ is } 0 \text{ or divisible by } 11 \dots (2)$$

$$\text{Assume that } (b - 9) = 0$$

$$\Rightarrow b = 9$$

$$\text{Substituting the value of } b \text{ in (1),}$$

$$a + 8 = b$$

$$a + 8 = 9$$

$$\Rightarrow a = 9 - 8 = 1$$

$$\text{If } a = 1 \text{ and } b = 9,$$

$$(a + b) = 1 + 9 = 10$$

10 is there in the given choices. Hence this is the answer.

$$93. \quad 122 \times 122 + 322 \times 322 - 2 \times 122 \times 322 = ?$$

A. 44000 B. 42000
C. 38000 D. 40000

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answer with explanation

Answer: Option D

Explanation:

$$(a - b)^2 = a^2 - 2ab + b^2$$

[\(read more\)](#)

$$122 \times 122 + 322 \times 322 - 2 \times 122 \times 322 = 122^2 - 2 \times 122 \times 322 + 322^2 = (122 - 322)^2 = (-200)^2 = 40000$$

$$94. \quad 22 + 42 + 62 + \dots + 142 = ?$$

A. 559 B. 363

C. 364 D. 560

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answer with explanation

Answer: Option D

Explanation:

$$1^2 + 2^2 + 3^2 + \dots + n^2$$

$$= \sum n^2 = \frac{n(n+1)(2n+1)}{6}$$

[\(read more\)](#)

$$2^2 + 4^2 + 6^2 + \dots + 14^2$$

$$= (2 \times 1)^2 + (2 \times 2)^2 + (2 \times 3)^2 + \dots + (2 \times 7)^2$$

$$= (22 \times 1^2) + (22 \times 2^2) + (22 \times 3^2) + \dots + (22 \times 7^2)$$

$$= 22(1^2 + 2^2 + 3^2 + \dots + 7^2) = 22 \left[\frac{n(n+1)(2n+1)}{6} \right] = 4[7(7+1)(2 \times 7+1)] = 4 \times 7 \times 8 \times 156 = 4 \times 7 \times 8 \times 52 = 2 \times 7 \times 8 \times 5 = 56 \times 10 = 560$$

95. The sum of the two numbers is 11 and their product is 24. What is the sum of the reciprocals of these numbers ?

A. $\frac{1}{12}$

B. $\frac{11}{12}$

C. $\frac{11}{24}$

D. $\frac{7}{8}$

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answer with explanation

Answer: Option C

Explanation:

Let the numbers be x

and y Then

$$x + y = 11 \quad xy = 24$$

Hence,

$$x + yxy = 1124$$

$$\Rightarrow 1y + 1x = 1124$$

96. What is the difference between the place values of two sevens in the numeral 54709479 ?

A. 699930

B. 699990

C. 99990

D. None of these

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answer with explanation

Answer: Option A

Explanation:

Required Difference

$$= 700000 - 70 = 699930$$

97. Which of the following numbers completely divides $(461+462+463+464)$

?

A. 11 B. 10

C. 9 D. 7

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answer with explanation

Answer: Option B

Explanation:

$$461+462+463+464=461(1+41+42+43)=461(1+4+16+64)=461 \times 85=461 \times 5 \times 17=460 \times 4 \times 5 \times 17=460 \times 20 \times 17=460 \times 10 \times 2 \times 17$$

Hence this is completely divisible by 10

98. A number when divided by 75 leaves 34 as remainder. What will be the remainder if the same number is divided by 65?

A. 3

B. 1

C. 6

D. 9

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answer with explanation

Answer: Option D

Explanation:

Let the number be x

Let $x \div 75 = p$ and remainder = 34

$$\Rightarrow x = 75p + 34 \Rightarrow x = (25p \times 3) + 25 + 9 \Rightarrow x = 25(3p + 1) + 9$$

Hence, if the number is divided by 25, we will get 9 as remainder

99. The number 7490xy is divisible by 90. Find out (x+y)

.

A. 4 B. 5

C. 6 D. 7

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|

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answer with explanation

Answer: Option D

Explanation:

If a number is divisible by two co-prime numbers, then the number is divisible by their product also. ([read more](#))

A number is divisible by 10 if the last digit is 0. ([read more](#))

A number is divisible by 9 if the sum of its digits is divisible by 9. ([read more](#))

$10 \times 9 = 90$ where 10 and 9 are co-prime numbers. Hence, if 7490xy

is divisible by 9 and 10, it will also be divisible by 90

Suppose 7490xy is divisible by 10. We know that a number is divisible by 10 if the last digit is 0. Hence $y = 0$

Thus we have the number 7490x0. If this is divisible by 9, $7 + 4 + 9 + 0 + x + 0$ is divisible by 9

=> $20+x$ is divisible by 9 (where x is a digit)

=> $x=7$

Hence, $(x+y)=(7+0)=7$

100. What is the smallest 3 digit prime number?

A. 107

B. 100

C. 102

D. 101

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answer with explanation

Answer: Option D

Explanation:

[1. Prime Numbers](#)

[2. Divisibility Rules](#)

102 is divisible by 2

=> 102 is not a prime number

100 is divisible by 2

=> 100 is not a prime number.

$$\sqrt{101} < 11$$

101 is not divisible by the prime numbers 2, 3, 5, 7

Hence 101 is a prime number.

Since 100 is not a prime number, 101 is the smallest 3 digit prime number.

$$\sqrt{107} < 11$$

107 is also not divisible by the prime numbers 2,3,5,7

Hence 107 is also a prime number.

But the smallest 3 digit prime number is 101