

Question 1

1	7	13	19	25	31
2	8	14	20	26	32
3	9	15	21	27	33
4	10	16	22	28	34
5	11	17	23	29	35
6	12	18	24	30	36

Question 2

a) $G = (V, E, w)$

$E \subseteq V \times V$

$w : E \rightarrow \mathbb{R}$

$V = \{a, b, \dots\}$

$E = \{e_1 = (a, b), e_2 = (b, c), \dots\}$

$w(e_1) = 1, w(e_2) = 2, \dots$

$V = \{a, b, c, d, e, f, g, h, i, j, k, l, m, n, o, p\}$

$E = \{e_1 = (a, b), e_2 = (b, c), e_3 = (c, d), e_4 = (d, e), e_5 = (e, f), e_6 = (f, g), e_7 = (g, h), e_8 = (h, i), e_9 = (i, j), e_{10} = (j, k), e_{11} = (k, l), e_{12} = (l, m), e_{13} = (m, n), e_{14} = (n, o), e_{15} = (o, p)\}$

$w(e_i) = 1, w$

Question 2

a) $G = (V, E, w)$

$$E \subseteq V \times V$$

$$w: E \rightarrow \mathbb{R}$$

$$V = \{a, b, c, d, e, f, g, h, i, j, k, l, m, n, o, p\}$$

$$E = \left\{ \begin{array}{l} e_1 = (a, b), e_2 = (a, e), e_3 = (b, c), e_4 = (b, f), e_5 = (c, g), e_6 = (c, d), e_7 = (d, h), \\ e_8 = (h, g), e_9 = (h, i), e_{10} = (g, k), e_{11} = (g, f), e_{12} = (f, j), e_{13} = (f, e), \\ e_{14} = (e, i), e_{15} = (i, m), e_{16} = (h, j), e_{17} = (j, n), e_{18} = (j, k), e_{19} = (k, o), \\ e_{20} = (k, l), e_{21} = (l, p), e_{22} = (p, o), e_{23} = (o, n), e_{24} = (n, m) \end{array} \right\}$$

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$$w(e_1) = 1, w(e_2) = 5, w(e_3) = 2, w(e_4) = 3, w(e_5) = 3, w(e_6) = 9, w(e_7) = 7,$$

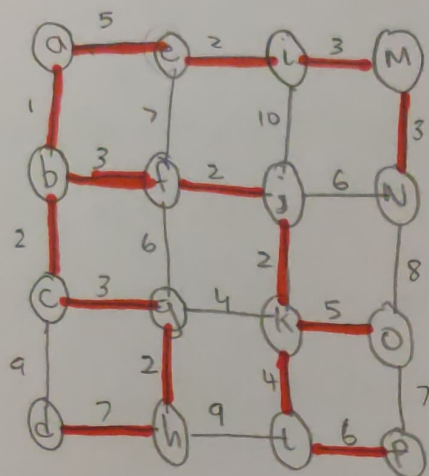
$$w(e_8) = 2, w(e_9) = 9, w(e_{10}) = 4, w(e_{11}) = 6, w(e_{12}) = 2, w(e_{13}) = 7$$

$$w(e_{14}) = 2, w(e_{15}) = 3, w(e_{16}) = 10, w(e_{17}) = 6, w(e_{18}) = 2, w(e_{19}) = 5,$$

$$w(e_{20}) = 4, w(e_{21}) = 6, w(e_{22}) = 7, w(e_{23}) = 8, w(e_{24}) = 3$$

- b) The challenge in ~~the~~ determining the overall cost of ~~a~~ a weighted tree, particularly ~~for~~ a minimum spanning tree, revolves around identifying a set of edges that links all vertices without forming cycles aiming for the lowest possible cumulative edge weight

c)



(while connecting each vertices)

Total minimum cost

=

50

Question 3

a) $t = \text{CTOCOCBCCTOCTOCBC}$

$p = \text{T O C T O C} \quad \Sigma = \{O, B, C, T\}$

0 1 2 3 4 5

b) CTOCOCBCCTOCTOCBC

3C T O C T O C

1C T O C T O C

5C T O C T O C

1C T O C T O C

6C T O C T O C

SKIP

0

5

1

0

Total comparisons = $3 + 1 + 5 + 1 + 6$
= 16

Total alignments = 5

Question 4

Result = "Hello Haskell"

head 1st : "H"

tail 1st : "ello Haskell"

(head 1st : tail 1st) \rightarrow "Hello Haskell"

tail (head 1st : tail 1st) \rightarrow "ello Haskell"

~~head~~ head 1st : tail (head 1st : tail 1st) \rightarrow "Hello Haskell"