



1.
$$S_{n} = T_{1} / T_{n}$$
 and $T_{n} = T_{S} + CT_{p} / W$

(a) $S_{q} = T_{1} / T_{q}$, \therefore $E_{n} = S_{n} / n \Rightarrow E_{q} = S_{q} / \Psi$
 $T_{q} = (o_{10} \times T_{1} + (o_{1} / \Psi) \times T_{1})$ $= 3.0 \times V$

$$\approx 0.746 ?$$

Hence $S_{q} = T_{1}$

$$= \frac{1}{o_{10} \times e_{q}^{2}}$$

$$\approx 3.0 \times 2$$

(b) $S_{g} = T_{1} / T_{g}$, \therefore $E_{n} = S_{n} / n \Rightarrow E_{g} = S_{g} / 8$
 $T_{g} = (o_{10} \times T_{1} + (o_{1} / 8) \times T_{1})$ $= S_{g} = S_{g} / 8$

Hence $S_{g} = T_{1}$

$$= \frac{1}{o_{10} \times e_{g}^{2}}$$

≈ 4.706

≈ 6.4

$$CO \leq_{16} = T_{1} / T_{16} ,$$

$$T_{16} = Co.10 \times T_{1} + (0.9 / 16.0) \times T_{1}) \qquad \therefore \quad E_{1} = S_{11} / 10 \Rightarrow E_{11} = S_{11} / 14$$

$$= 3.077 / 14$$

$$Hence \leq_{16} = T_{1}$$

$$= 1$$

$$0.10 + \frac{0.9}{16}$$

= 3.077/4 ≈ 0.768

≈ 0.768

$$\begin{array}{rcl} (o) & S_8 &= T_1 / T_4 \\ &= & T_1 / (C1 - o_2) T_1 + \left[\frac{o_2}{9} \right] T_1) \\ &= & 1 / (C08) + \frac{o_2}{8} \\ &\approx & 1.212 \end{array}$$

(b)
$$S_{4} = T_{1} / T_{4}$$

$$= T_{1} / T_{1} (1-0.5) + (0.5/4)$$

$$= 1 / 0.5 + (0.5/4)$$

$$\approx 1.6$$

3. Hence
$$\lim_{n\to\infty} S_n = \lim_{n\to\infty} \frac{1}{n \to \infty} \Rightarrow \frac{1}{n \to \infty}$$

$$\lim_{n\to\infty} S_n \approx \frac{1.11}{n}$$

1.
$$T_s = 30\%$$

 $T_p = 100\% - 30\% = 70\%$

2.
$$\frac{5}{16} = \frac{T_2}{T_{16}}$$

= 0.3T₁ + 0.7 · T₁

$$T_n = f_s + CT_\rho I_n \supset$$

$$= T_1 \cdot o.3 + \left[\frac{o.7}{2}\right] \cdot T_1$$

0.3r, + 0.7.T,

$$S_n = \frac{T_1}{T_{\eta}}$$

$$= T_{1}$$

$$0.3T_{1} + \frac{0.2}{2} \cdot T_{1}$$