

## StatsTrimmedMean

**StatsTrimmedMean (waveName, trimValue)**

The StatsTrimmedMean function returns the mean of the wave *waveName* after removing *trimValue* fraction of the values from both tails of the distribution. *trimValue* is a number in the range [0, 0.5]. *waveName* can be any real numeric type.

### See Also

Chapter III-12, **Statistics** for a function and operation overview; **StatsQuantiles** and **mean**.

## StatsTTest

**StatsTTest [flags] wave1 [, wave2]**

The StatsTTest operation performs two kinds of T-tests: the first compares the mean of a distribution with a specified mean value (/MEAN) and the second compares the means of the two distributions contained in *wave1* and *wave2*, which must contain at least two data points, can be any real numeric type, and can have an arbitrary number of dimensions. Output is to the W\_StatsTTest wave in the current data folder or optionally to a table.

### Flags

/ALPH = <i>val</i>	Sets the significance level (default <i>val</i> =0.05).
/CI	Computes the confidence intervals for the mean(s).
/DFM= <i>m</i>	Specifies method for calculating the degrees of freedom. <i>m</i> =0: Default; computes equivalent degrees of freedom accounting for possibly different variances. <i>m</i> =1: Computes equivalent degrees of freedom but truncates to a smaller integer. <i>m</i> =2: Computes degrees of freedom by $DF=n_1+n_2-2$ , where <i>n</i> is the sum of points in the wave. Appropriate when variances are equal.
/MEAN= <i>meanV</i>	Compares <i>meanV</i> with the mean of the distribution in <i>wave1</i> . Outputs are the number of points in the wave, the degrees of freedom (accounting for any NaNs), the average, standard deviation ( $\sigma$ ),

$$s_{\bar{X}} = \frac{\sigma}{\sqrt{DF + 1}},$$

the statistic

$$t = \frac{\bar{X} - meanV}{s_{\bar{X}}}$$

and the critical value, which depends on /TAIL.

/PAIR Specifies that the input waves are pairs and computes the difference of each pair of data to get the average difference  $\bar{d}$  and the standard error of the difference  $s_{\bar{d}}$ . The t statistic is the ratio of the two

$$t = \frac{\bar{d}}{s_{\bar{d}}}.$$

In this case  $H_0$  is that the difference  $\bar{d}$  is zero.

This mode does not support /CI and /DFM.

/Q No results printed in the history area.

## StatsTTest

/T=k	Displays results in a table. <i>k</i> specifies the table behavior when it is closed.
	<i>k</i> =0: Normal with dialog (default).
	<i>k</i> =1: Kills with no dialog.
	<i>k</i> =2: Disables killing.
	The table is associated with the test, not the data. If you repeat the test, it will update any existing table with the new results.
/TAIL=tailCode	Specifies $H_0$ .
	<i>tailCode</i> =1: One tailed test ( $\mu_1 \leq \mu_2$ ).
	<i>tailCode</i> =2: One tailed test ( $\mu_1 \geq \mu_2$ ).
	<i>tailCode</i> =4: Default; two tailed test ( $\mu_1 = \mu_2$ ).
	When performing paired tests using /PAIR:
	<i>tailCode</i> =1: One tailed test ( $\mu_d \leq 0$ ).
	<i>tailCode</i> =2: One tailed test ( $\mu_d \geq 0$ ).
	<i>tailCode</i> =4: Default; two tailed test ( $\mu_d = 0$ ).
	Here $\mu_d$ is the mean of the difference population.
/Z	Ignores errors. V_flag will be set to -1 for any error and to zero otherwise.

### Details

When comparing the mean of a single distribution with a hypothesized mean value, you should use /MEAN and only one wave (*wave1*). If you use two waves StatsTTest performs the T-test for the means of the corresponding distributions (which is incompatible with /MEAN).

When comparing the means of two distributions, the default t-statistic is computed from Welch's approximate t:

$$t' = \frac{\bar{x}_1 - \bar{x}_2}{\sqrt{\frac{s_1^2}{n_1} + \frac{s_2^2}{n_2}}},$$

where  $s_i^2$  are variances,  $n_i$  the number of samples, and  $\bar{x}_i$  the averages of the respective waves. This expression is appropriate when the number of points and the variances of the two waves are different. If you want to compute the t-statistic using pooled variance you can use the /AEVR flag. In this case the pooled variance is given by

$$s_p^2 = \frac{(n_1 - 1)s_1^2 + (n_2 - 1)s_2^2}{n_1 + n_2 - 2},$$

and the t-statistic is

$$t = \frac{\bar{x}_1 - \bar{x}_2}{s_p \sqrt{\frac{1}{n_1} + \frac{1}{n_2}}}.$$

The different test are: