

**ZCSR**

**zcsr(cursorName [, graphNameStr])**

The zcsr function returns a Z value when the specified cursor is on a contour, image, or waterfall plot. Otherwise, it returns NaN.

**Parameters**

*cursorName* identifies the cursor, which can be cursor A through J.

*graphNameStr* specifies the graph window or subwindow.

When identifying a subwindow with *graphNameStr*, see **Subwindow Syntax** on page III-92 for details on forming the window hierarchy.

**Examples**

```
Print zcsr(A)           // not zcsr("A")
Print zcsr(A, "Graph0") // specifies the graph
```

**See Also**

The **hcsr**, **pcsr**, **qcsr**, **vcscr**, and **xcscr** functions.

**Programming With Cursors** on page II-321.

**zeta**

**zeta(a, b [, terms ])**

The zeta function returns the Hurwitz Zeta function for real or complex arguments *a* and *b*

$$\zeta(a, b) = \sum_{k=0}^{\infty} \frac{1}{(k+b)^a},$$

$$\Re(a) > 1,$$

$$b \neq 0, -1, -2, \dots$$

The Riemann zeta function is the special case:

$$\zeta(a) = \zeta(a, 1).$$

The zeta function was added in Igor Pro 7.00.

**Parameters**

The *terms* parameter defaults to 40. In practice evaluation may terminate before the specified number of terms when convergence is achieved.

**References**

Olver, Frank W. J.; Lozier, Daniel W.; Boisvert, Ronald F.; Clark, Charles W., eds., "NIST Handbook of Mathematical Functions", 607 pp., Cambridge University Press, 2010.

**See Also**

**Dilogarithm**

**ZernikeR**

**ZernikeR(n, m, r)**

The ZernikeR function returns the Zernike radial polynomials of degree *n* that contains no power of *r* that is less than *m*. Here *m* is even or odd according to whether *n* is even or odd, and *r* is in the range 0 to 1.

Note that the full circle polynomials are complex. For any angle *t* (theta), they are given by:

`ZernikeR(n, m, r) * exp(imt)`.