

## StatsCauchyPDF

**StatsCauchyPDF** (*x*, *μ*, *σ*)

The StatsCauchyPDF function returns the Cauchy-Lorentz probability distribution function

$$f(x; \mu, \sigma) = \frac{1}{\sigma\pi} \frac{1}{1 + \left(\frac{x - \mu}{\sigma}\right)^2},$$

where *μ* is the location parameter and *σ* is the scale parameter. Use *μ*=0 and *σ*=1 for the standard form of the Cauchy-Lorentz distribution.

**See Also**

Chapter III-12, **Statistics** for a function and operation overview; **StatsCauchyCDF** and **StatsInvCauchyCDF**.

## StatsChiCDF

**StatsChiCDF** (*x*, *n*)

The StatsChiCDF function returns the chi-squared cumulative distribution function for the specified value and degrees of freedom *n*.

$$F(x; n) = \frac{\gamma\left(\frac{n}{2}, \frac{x}{2}\right)}{\Gamma\left(\frac{n}{2}\right)}.$$

where *γ(a,b)* is the incomplete gamma function. The distribution can also be expressed as

$$F(x; n) = 1 - \text{gammq}\left(\frac{n}{2}, \frac{x}{2}\right).$$

**See Also**

Chapter III-12, **Statistics** for a function and operation overview; **StatsChiPDF**, **StatsInvChiCDF**, and **gammq**.

## StatsChiPDF

**StatsChiPDF** (*x*, *n*)

The StatsChiPDF function returns the chi-squared probability distribution function for the specified value and degrees of freedom as

$$f(x; n) = \frac{\exp\left(-\frac{x}{2}\right) x^{\frac{n}{2}-1}}{2^{\frac{n}{2}} \Gamma\left(\frac{n}{2}\right)}.$$

**See Also**

Chapter III-12, **Statistics** for a function and operation overview; **StatsChiCDF** and **StatsChiPDF**.

## StatsChiTest

**StatsChiTest** [*flags*] *srcWave1*, *srcWave2*

The StatsChiTest operation computes a  $\chi^2$  statistic for comparing two distributions or a  $\chi^2$  statistic for comparing a sample distribution with its expected values. In both cases the comparison is made on a bin-by-bin basis. Output is to the W\_StatsChiTest wave in the current data folder or optionally to a table.