

## GalleryGlobal

Otherwise FunctionPath returns the path to the named function or "" if no function by that name exists.

### Examples

This example loads a lookup table into memory. The lookup table is stored as a wave in an Igor binary wave file.

```
Function LoadMyLookupTable()
  String path

  path = FunctionPath("")      // Path to file containing this function.
  if (CmpStr(path[0],":") == 0)
    // This is the built-in procedure window or a packed procedure
    // file, not a standalone file. Or procedures are not compiled.
    return -1
  endif

  // Create path to the lookup table file.
  path = ParseFilePath(1, path, ":", 1, 0) + "MyTable.ibw"

  DFREF dfSave = GetDataFolderDFR()
  // A previously-created place to store my private data.
  SetDataFolder root:Packages:MyData

  // Load the lookup table.
  LoadWave/O path

  SetDataFolder dfSave
  return 0
End
```

### See Also

The **FunctionList** function.

## GalleryGlobal

### GalleryGlobal#pictureName

The GalleryGlobal keyword is used in an independent module to reference a picture in the global picture gallery which you can view by choosing Misc→Pictures.

### See Also

See **Independent Modules and Pictures** on page IV-244.

## gamma

### gamma (num)

The gamma function returns the value of the gamma function of *num*. If *num* is complex, it returns a complex result. Note that the return value for *num* close to negative integers is NaN, not ±Inf.

### See Also

The **gammln** function.

## gammaEuler

### gammaEuler

The gammaEuler function returns the Euler-Mascheroni constant 0.5772156649015328606065.

The gammaEuler function was added in Igor Pro 7.00.

## gammaInc

### gammaInc (a, x [, upperTail])

The gammaInc function returns the value of the incomplete gamma function, defined by the integral

$$\Gamma(a,x) = \int_x^{\infty} e^{-t} t^{a-1} dt.$$

If *upperTail* is zero, the limits of integration are 0 to *x*. If *upperTail* is absent, it defaults to 1, and the limits of integration are *x* to infinity, as shown. Note that  $\text{gammaInc}(a, x) = \text{gamma}(a) - \text{gammaInc}(a, 0)$ .