

Details

You can use only `/P=pathName` (without `srcFolderStr`) to specify the source folder to be copied.

Folder paths should not end with single Path Separators. See the **Details** section for **MoveFolder**.

See Also

Open, **MoveFile**, **DeleteFile**, **MoveFolder**, **NewPath**, and **IndexedDir** operations, and **Symbolic Paths** on page II-22.

CopyScales

CopyScales `[/I/P] srcWaveName, waveName [, waveName]...`

The CopyScales operation copies the x, y, z, and t scaling, x, y, z, and t units, the data Full Scale and data units from `srcWaveName` to the other waves.

Flags

`/I` Copies the x, y, z, and t scaling in inclusive format.

`/P` Copies the x, y, z, and t scaling in slope/intercept format (x0, dx format).

Details

Normally the x, y, z, and t (dimension) scaling is copied in min/max format. However, if you use `/P`, the dimension scaling is copied in slope/intercept format so that if `srcWaveName` and the other waves have differing dimension size (number of points if the wave is a 1D wave), then their dimension values will still match for the points they have in common. Similarly, `/I` uses the inclusive variant of the min/max format. See **SetScale** for a discussion of these dimension scaling formats.

If a wave has only one point, `/I` mode reverts to `/P` mode.

CopyScales copies scales only for those dimensions that `srcWaveName` and `waveName` have in common.

See Also

x, **y**, **z**, and **t** scaling functions.

Correlate

Correlate `[/AUTO/C/NODC] srcWaveName, destWaveName [, destWaveName]...`

The Correlate operation correlates `srcWaveName` with each destination wave, putting the result of each correlation in the corresponding destination wave.

Flags

`/AUTO` Auto-correlation scaling. This forces the X scaling of the destination wave's center point to be $x=0$, and divides the destination wave by the center point's value so that the center value is exactly 1.0.

If `srcWaveName` and `destWaveName` do not have the same number of points, this flag is ignored.

`/AUTO` is not compatible with `/C`.

`/C` Circular correlation. (See **Compatibility Note**.)

`/NODC` Removes the mean from the source and destination waves before computing the correlations. Removing the mean results in the un-normalized auto- or cross-covariance.

"DC" is an abbreviation of "direct current", an electronics term for the non-varying average value component of a signal.

Details

Note: To compute a single-value correlation number use the **StatsCorrelation** function which returns the Pearson's correlation coefficient of two same-length waves.

Correlate performs linear correlation unless the `/C` flag is used.

Correlate

Depending on the type of correlation, the length of the destination may increase. *srcWaveName* is not altered unless it also appears as a destination wave.

If the source wave is real-valued, each destination wave must be real-valued and if the source wave is complex, each destination wave must be complex, too. Double and single precision waves may be freely intermixed; calculations are performed in the higher precision.

The linear correlation equation is:

$$\text{destWaveOut}[p] = \sum_{m=0}^{N-1} \text{srcWave}[m] \cdot \text{destWaveIn}[p+m]$$

where *N* is the number of points in the longer of *destWaveIn* and *srcWave*.

For circular correlation, the index $[p+m]$ is wrapped around when it exceeds the range of $[0, \text{numpnts}(\text{destWaveIn}) - 1]$. For linear correlation, when $[p+m]$ exceeds the range a zero value is substituted for *destWaveIn*[$p+m$]. When *m* exceeds *numpnts*(*srcWave*) - 1, 0 is used instead of *srcWave*[*m*].

Comparing this with the **Convolve** operation, which is the linear convolution:

$$\text{destWaveOut}[p] = \sum_{m=0}^{N-1} \text{destWaveIn}[m] \cdot \text{srcWave}[p-m]$$

you can see that the only difference is that for correlation the source wave is *not* reversed before shifting and combining with the destination wave.

The Correlate operation is not multidimensional aware. For details, see **Analysis on Multidimensional Waves** on page II-95 and in particular **Analysis on Multidimensional Waves** on page II-95.

Compatibility Note

Prior to Igor Pro 5, Correlate/C scaled and rotated the results improperly (the result was often rotated left by one and the X scaling was entirely negative).

Now the destination wave's X scaling is unaltered and it does not rotate the result. You can force the old behavior for compatibility with old procedures that depend on the old behavior by setting `root:V_oldCorrelationScaling=1`.

A better way to get identical Correlate/C results with all versions of Igor Pro is to use this code, which rotates the result so that $x=0$ is always the first point in *destWave*, no matter which Igor Pro version runs this code (currently, it doesn't change anything and runs extremely quickly because it does no rotation):

```
Correlate/C srcWave, destWave
Variable pointAtXEqualZero= x2pnt(destWave, 0)      // 0 for Igor Pro 5
Rotate -pointAtXEqualZero, destWave
SetScale/P x, 0, DimDelta(destWave, 0), "", destWave
```

Applications

A common application of correlation is to measure the similarity of two input signals as they are shifted by one another.

Often it is desirable to normalize the correlation result to 1.0 at the maximum value where the two inputs are most similar. To normalize *destWaveOut*, compute the RMS values of the input waves and the number of points in each wave:

```
WaveStats/Q srcWave
Variable srcRMS = V_rms
Variable srcLen = numpnts(srcWave)

WaveStats/Q destWave
Variable destRMS = V_rms
Variable destLen = numpnts(destWave)

Correlate srcWave, destWave          // overwrites destWave

// now normalize to max of 1.0
destWave /= (srcRMS * sqrt(srcLen) * destRMS * sqrt(destLen))
```