

ODE Inputs

You provide to IntegrateODE a function to calculate the derivatives or right-hand-sides of your system of differential equations.

You also provide one output wave for each equation in the system to receive the solution. The solution waves will have a row for each output point you want.

You specify the independent variable either by setting the X scaling of the output waves, by specifying x_0 and deltax using the `/X={x0,deltax}` flag, or by providing an explicit X wave using the `/X=xWave` flag.

For a system of four equations (fourth-order system), if you provide an X wave to specify where you want values, you might have this situation:

Xwave	A	B	C	D
0	1	1	0	0
10	0.98	0.9804	0.0192	0.0003
20	0.962	0.9615	0.0369	0.0015
30	0.943	0.9434	0.0532	0.0033
40	0.926	0.9260	0.0681	0.0057
50	0.909	0.9092	0.0819	0.0087
60	0.893	0.8931	0.0945	0.0122
70	0.878	0.8775	0.1061	0.0163

X wave specifies where to report solutions.
In free-run mode, X wave receives X values for solution rows.

Instead of multiple 1D output waves, you can provide a single 2D output wave:

Xwave	yWave[][0]	yWave[][1]	yWave[][2]	yWave[][3]
0	1	1	0	0
10	0.98	0.98	0.0192	0.000389
20	0.962	0.962	0.0369	0.00152
30	0.943	0.943	0.0532	0.00332
40	0.926	0.926	0.0682	0.00576
50	0.909	0.909	0.0819	0.00876
60	0.893	0.893	0.0946	0.0123
70	0.878	0.878	0.106	0.0163

Igor calculates a solution value for each element of the Y (output) waves.

Before executing IntegrateODE, you must load the initial conditions (the initial $Y[i]$ values) into the first row of the Y waves. Igor then calculates the solution starting from those values. The first solution value is stored in the second element of the Y waves.

If you use the `/R` flag with IntegrateODE to start the integration at a point other than the beginning of the Y wave, the initial conditions must be in the first row specified by the `/R` flag. See **Stopping and Restarting IntegrateODE** on page III-334.

ODE Outputs

The algorithms Igor uses to integrate your ODE systems use adaptive step-size control. That is, the algorithms advance the solution by the largest increment in X that result in errors at least as small as you require. If the solution is changing rapidly, or the solution has some other difficulty, the step sizes may get very small.