## Calculation of mean, variance, skew, kurtosis for the datasets

```
[9]: # calculate mean
      df_heart[choosen_features_nums].mean()
[9]: oldpeak
                   1.113106
      thalach
                 149.647978
      dtype: float64
[10]: # calculate variance
      df_heart[choosen_features_nums].var()
[10]: oldpeak
                   1.577304
      thalach
                 487.358850
      dtype: float64
[11]: # calculate skew
      df_heart[choosen_features_nums].skew()
[11]: oldpeak
                 1.224053
      thalach
                -0.394100
      dtype: float64
[12]: # calculate kurtosis
      df_heart[choosen_features_nums].kurtosis()
[12]: oldpeak
                 1.363172
      thalach
                -0.214108
      dtype: float64
```

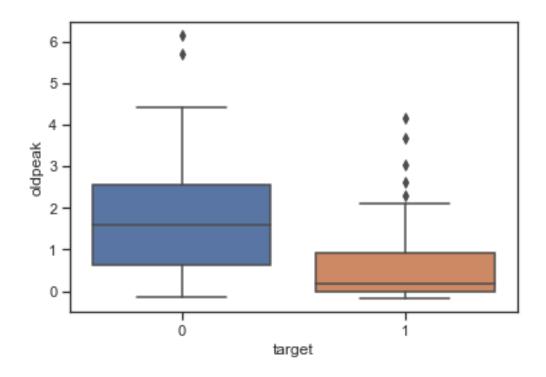
#### From mean, var, skew, kurtosis, we observe that:

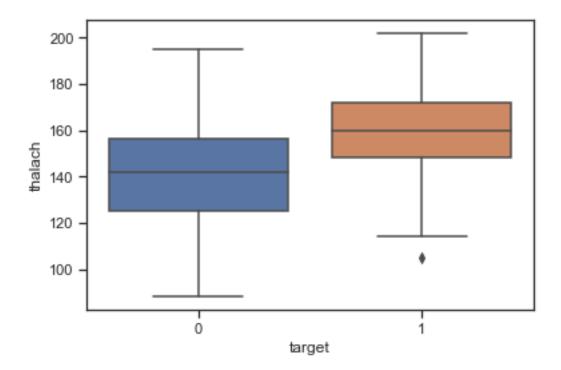
- oldpeak is left-skewed, whereas thalach is right skewed.
- the kurtosis values for thalach is negative indicating light tail distribution. Whereas, oldpeak has positive kurtosis value indicating heavy tail distribution.
- variance for oldpeak and thalach are high indicating that the values are highly spread out from the mean.

# [CM3]

## Checking for notable outliers using "Box Plots"

```
[13]: # boxplot for outlier detection of numerical features
for column in df_heart[choosen_features_nums]:
    plt.figure()
    ax = sns.boxplot(x='target', y=column, data=df_heart)
    plt.show()
```





From the above box-plot of selected numerical features 'oldpeak' & 'thalach': - we notice few outliers in oldpeak - an outlier in thalach

### Checking for outliers using IQR

```
[14]: # outlier detection using IQR
      for column in df_heart[choosen_features_nums]:
          for target in df_heart['target'].unique():
              q25 = df_heart[column][df_heart['target'] == target].quantile(0.25)
              q75 = df_heart[column][df_heart['target'] == target].quantile(0.75)
              iqr = q75 - q25
              print(target, '-', column.upper())
              print('Percentiles: 25th = %.3f, 75th = %.3f, IQR = %.3f' % (q25, q75, iqr))
              # Calculate the outlier cutoff
              cut_off = iqr * 1.5
              lower, upper = q25 - cut_off, q75 + cut_off
              # Identify outliers
              df_heart2 = pd.DataFrame(df_heart[df_heart['target'] == target][column])
              count = len(df_heart2[df_heart2[column] < lower].index)</pre>
              count += len(df_heart2[df_heart2[column] > upper].index)
              print('Identified outliers: ', count)
              # replacing outliers with NaN (Will be later replaced with feature mean)
              for index in df_heart2[df_heart2[column] < lower].index:</pre>
                  df_heart.loc[index, column] = np.nan
              for index in df_heart2[df_heart2[column] > upper].index:
                  df_heart.loc[index, column] = np.nan
```

#### 1 - OLDPEAK

```
Percentiles: 25th = -0.023, 75th = 0.906, IQR = 0.929
Identified outliers: 5
O - OLDPEAK
Percentiles: 25th = 0.623, 75th = 2.555, IQR = 1.932
Identified outliers: 2
1 - THALACH
Percentiles: 25th = 148.052, 75th = 172.048, IQR = 23.996
Identified outliers: 1
O - THALACH
Percentiles: 25th = 124.972, 75th = 156.158, IQR = 31.186
Identified outliers: 0
```

We observe that the number of outliers found corresponds to the box-plot. These outliers can be handled by replacing with feature mean.

# [CM4]

#### Histogram plot of the features

```
[15]: # plot histogram
     for column in df_heart[choosen_features]:
          sns.displot(df_heart, x=column, hue="target")
```