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# 0 Database & ERD Tool Resources

# 0.1 PostgreSQL

1. Server: PostgreSQL

2. IDE: PgAdmin

# 0.2 MySQL

Server: MySQL
 IDE: WorkBench

# 0.3 SQLServer

1. Server: SQLSserver

2. IDE: SSMS

#### 0.4 ERD Tool

Ofline: <u>TerraER</u>
 Online: ERD Plus

# Conceptual database design

# 1.1 ER Diagram

# Exercise 1.1.1

Draw an ER diagram for an entity called **HOTEL** and include no fewer than five attributes for the entity. Of the five attributes, include at least one composite attribute and one multivalued attribute.

# Exercise 1.1.2

Consider STUDENT entity, and the only attributes of student are *student number* and *name*. Let us suppose we have another entity called HIGH SCHOOL — the high school from which the student graduated. For the HIGH SCHOOL entity, we will record the *high school name* and the *location* (meaning *city* and *state*). Draw the ER diagram for it.

#### Exercise 1.1.3

If we have two entities, a **PLANE** and a **PILOT**, and describe the relationship between the two entities as "A **PILOT flies** a **PLANE**."

What should the relationship read from the side of the other entity?

# Exercise 1.1.4

Suppose a college had one dormitory with many rooms. The **DOMITORY** entity, which is actually a "dormitory room" entity since there is only one dorm. Dormitory has the attributes *room number* and singledouble (meaning there are private rooms and double rooms). Let us suppose the **STUDENT** entity in this case contains the attributes *student number*, *student name*, and *cell telephone number*. Draw the ER diagram linking the two entities. Name your relationships.

# Exercise 1.1.5

#### West Florida Mall

A new mall, West Florida Mall, just had its grand opening three weeks ago in Pensacola, Florida. This new mall is attracting a lot of customers and stores. West Florida Mall, which is part of a series of malls owned by a parent company, now needs a database to keep track of the management of the mall in terms of all its stores as well as the owners and workers in the stores. Before we build a database for this system of malls, the first step will be to design an ER diagram for the mall owner. We gathered the following initial user specifications about the mall, with which we can start creating the ER diagram:

1. We need to record information about the mall and each store in the mall. We need to record the mall's name and address. A mall, at any point in time, must contain one or more stores.

- 2. For each store we will need to keep the following information: store number (which will be unique), the name of the store, location of store (room number), departments, the owner of the store, and manager of the store. Each store may have more than one department with each department having a manager. Each store will have only one manager. Each store is owned by only one owner. Each store is located in one and only one mall.
- 3. A store manager can manage only one store. We must record information on the store manager—the name, Social Security number, which store he or she is working for, and the salary.
- 4. The store owner is a person. We will record name, address, and of cell phone about the store owner. A store owner must own at least one store and may own more than one.

# 1.2 Mapping to Relational Model

# Exercise 1.2.1

Map ERD exercise 1.1.1 to Relational Model

#### Exercise 1.2.2

Map ERD exercise 1.1.2 to Relational Model

#### Exercise 1.2.3

Map ERD exercise 1.1.3 to Relational Model

### Exercise 1.2.4

Map ERD exercise 1.1.4 to Relational Model

#### Exercise 1.2.5

Map ERD exercise 1.1.5 to Relational Model

# 2 Logical database design

# 2.1 Functional Dependencies (FDs)

# Exercise 2.1.1

Consider relation r below:

r:	R(A	В	C	D	E )
$t_1$	0	0	0	0	0
$t_2$	0	1	1	1	0
$t_3$	1	0	2	2	0
$t_4$	1	0	3	2	0
$t_5$	2	1	4	0	0

Which of the following FDs does r satisfy (why?):

- a)  $A \rightarrow B$
- b)  $AB \rightarrow D$
- c)  $C \rightarrow BDE$
- d)  $E \rightarrow A$
- e)  $A \rightarrow E$

### Exercise 2.1.2

Prove that r satisfies  $X \to Y$  if and only if X is a key of  $\pi_{XY}(r)$ .

#### Exercise 2.1.3

Let r be a relation on R, with X a subset of R. Show that if  $\pi_X(r)$  has the same number of tuples as r, then r satisfies  $X \to Y$  for any subset Y of R.

### Exercise 2.1.4

Prove or disprove the following inference rules for a relation r(R) with W, X, Y, Z subsets of R.

- a)  $X \to Y$  and  $Z \to W$  imply  $XZ \to YW$ .
- b)  $XY \to Z$  and  $Z \to X$  imply  $Z \to Y$ .
- c)  $X \to Y$  and  $Y \to Z$  imply  $X \to YZ$ .
- d)  $X \to Y$ ,  $W \to Z$ , and  $Y \supseteq W$  imply  $X \to Z$ .

# 2.2 Amstrong's Axiom

# Exercise 2.2.1

Consider  $F = \{AB \rightarrow CD, A \rightarrow BE, BH \rightarrow DK, H \rightarrow BC \}$ Prove by Amstrong:  $F \models AH \rightarrow CK$ 

# Exercise 2.2.2

Consider  $F = \{AB \rightarrow E, AG \rightarrow J, BE \rightarrow I, E \rightarrow G, GI \rightarrow H\}$ Prove by Amstrong:  $F \models AB \rightarrow GH$ 

# Exercise 2.2.3

Consider  $F = \{A \to D, B \to CE, E \to H, D \to E, E \to C\}$  Prove by Amstrong:

- a)  $F \models B \rightarrow H$
- b)  $F \models AB \rightarrow CH$

### Exercise 2.2.4

Consider  $F = \{D \rightarrow BK, AB \rightarrow GK, B \rightarrow H, CE \rightarrow AG, H \rightarrow E, K \rightarrow G, EH \rightarrow K, G \rightarrow AH \}$  Prove by Amstrong:

- a)  $F \models AB \rightarrow GH$
- b)  $F \models DE \rightarrow AG$
- c)  $F \models BH \rightarrow EK$

# 2.3 Closure

# Exercise 2.3.1

Show that for any set of FDs F,  $F^+ = (F^+)^+$ .

#### Exercise 2.3.2

Suppose R(ABCDE) and set of functional dependencies:

 $F = \{ A \rightarrow BC, CD \rightarrow E, B \rightarrow D, E \rightarrow A \}$ . Compute:

- a)  $CD_F^+$
- b)  $E_F^+$

# Exercise 2.3.3

Suppose R(ABCDEK) and set of functional dependencies:  $F = \{AB \rightarrow C, BC \rightarrow AD, D \rightarrow E, CK \rightarrow B\}$ . Compute:

- a)  $BCK_F^+$
- b)  $CD_F^+$
- c)  $D_F^+$

# Exercise 2.3.4

Suppose R(ABCDEKGH) and set of functional dependencies:

 $F = \{A \rightarrow BC, E \rightarrow C, AH \rightarrow D, CD \rightarrow E, D \rightarrow AEH, DH \rightarrow BC\}$ . Compute:

- a)  $AE_F^+$
- b)  $BCD_F^+$

# Exercise 2.3.5

Consider:

$$F_1 = \left\{ \begin{array}{l} AB \rightarrow CD, \ A \rightarrow BE, \ BH \rightarrow DK, \ H \rightarrow BC \end{array} \right\}$$
 
$$F_2 = \left\{ \begin{array}{l} AB \rightarrow E, \ AG \rightarrow J, \ BE \rightarrow I, \ E \rightarrow G, \ GI \rightarrow H \end{array} \right\}$$
 
$$F_3 = \left\{ \begin{array}{l} A \rightarrow D, \ B \rightarrow CE, \ E \rightarrow H, \ D \rightarrow E, \ E \rightarrow C \end{array} \right\}$$
 
$$F_4 = \left\{ \begin{array}{l} D \rightarrow BK, \ AB \rightarrow GK, \ B \rightarrow H, \ CE \rightarrow AG, \ H \rightarrow E, \ K \rightarrow G, \ EH \rightarrow K, \ G \rightarrow AH \end{array} \right\}$$
 Compute:

- a)  $AH_{F_1}^+$
- b)  $AB_{F_2}^+$
- c)  $B_{F_2}^+$
- d)  $AB_{F_2}^+$
- e)  $AB_{F_{\bullet}}^{+}$
- f)  $DE_{F_A}^+$
- g)  $BH_{F_4}^+$

# Exercise 2.3.6

Consider  $F = \{ A \rightarrow B, A \rightarrow C, CD \rightarrow E, B \rightarrow D, E \rightarrow A \}$ Which of the following functional dependencies is NOT implied by the above set?

- a)  $CD \rightarrow AC$
- b)  $BD \rightarrow CD$
- c)  $BC \rightarrow CD$
- d)  $AC \rightarrow BC$

# Exercise 2.3.7

From Axiom 1, 2, 3 prove Axiom 4, 5 and 6.

### Exercise 2.3.8

Prove that inference axioms 1, 2, and 3 are independent. That is, no one of them can be proved from the other two.

### Exercise 2.3.9

```
R(ABCD) having two FDs sets: F = \left\{ \begin{array}{l} A \rightarrow B, \ B \rightarrow C, \ AB \rightarrow D \end{array} \right\}, G = \left\{ \begin{array}{l} A \rightarrow B, \ B \rightarrow C, \ A \rightarrow C, \ A \rightarrow D \end{array} \right\} Are the two sets equivalent?
```

#### Exercise 2.3.10

```
R(ABCD) having two FDs sets: F = \{A \rightarrow B, B \rightarrow C, A \rightarrow C\}, G = \{A \rightarrow B, B \rightarrow C, A \rightarrow D\} Are the two sets equivalent?
```

# Exercise 2.3.11

```
R(ACDEH) having two FDs sets: F = \left\{ \begin{array}{l} A \rightarrow C, \ AC \rightarrow D, \ E \rightarrow AD, \ E \rightarrow H \end{array} \right\}, G = \left\{ \begin{array}{l} A \rightarrow CD, \ E \rightarrow AH \end{array} \right\} Are the two sets equivalent ?
```

### Exercise 2.3.12

R(ABCDE) having two FDs sets:  $F = \{\ A \to BC,\ A \to D,\ CD \to E\ \},$   $G = \{\ A \to BCE,\ A \to ABD,\ CD \to E\ \}$  Are the two sets equivalent?

# Exercise 2.3.13

R(ABCDE) having two FDs sets:  $F = \left\{ \begin{array}{l} AB \rightarrow C, \ A \rightarrow B, \ B \rightarrow C, \ A \rightarrow C \end{array} \right\},$   $G = \left\{ \begin{array}{l} AB \rightarrow C, \ A \rightarrow B, \ B \rightarrow C \end{array} \right\}$  Are the two sets equivalent ?

# Exercise 2.3.14

Consider  $F = \{ A \rightarrow B, B \rightarrow C, C \rightarrow A, B \rightarrow A, A \rightarrow C \}$ 

- a) Find a minimum cover  $F_c$  of F by loop from right to left
- b) Find a minimum cover  $F_c$  of F by loop from left to right

# Exercise 2.3.15

Consider  $F = \{ A \rightarrow BC, B \rightarrow C, A \rightarrow B, AB \rightarrow C \}$ Find a minimum cover  $F_c$  of F

# Exercise 2.3.16

Consider  $F = \{ A \rightarrow BC, \ CD \rightarrow E, \ B \rightarrow D, \ E \rightarrow A \}$  Find a minimum cover  $F_c$  of F

### Exercise 2.3.17

Consider  $F = \{ B \rightarrow A, \ AD \rightarrow BC, \ C \rightarrow ABD \}$ Find a minimum cover  $F_c$  of F

#### Exercise 2.3.18

Consider R(ABC),  $F = \{AB \rightarrow C, A \rightarrow B\}$  $G = \{A \rightarrow B, B \rightarrow C\}$ 

- a) Find a minimum cover  $F_c$  of F
- b) Is G a minimal cover of F? Otherwise give a data instance of R satisfy F but not G

### Exercise 2.3.19

Consider R(ABCDE),  $F = \{AB \rightarrow CD, B \rightarrow CD, CD \rightarrow AE, DE \rightarrow AB, D \rightarrow E\}$  Compute Projected Functional Dependencies:

- a)  $\pi_{R_1(ABC)}(F)$
- b)  $\pi_{R_2(BCD)}(F)$
- c)  $\pi_{R_3(CDE)}(F)$
- d)  $\pi_{R_4(ADE)}(F)$
- e)  $\pi_{R_5(BDE)}(F)$
- f)  $\pi_{R_6(AE)}(F)$
- g)  $\pi_{R_7(DE)}(F)$

# Exercise 2.3.20

Consider R(ABCDEGH),  $F = \{AB \rightarrow CD, E \rightarrow D, ABC \rightarrow DE, E \rightarrow AB, D \rightarrow AG, ACD \rightarrow BE \}$  Compute Projected Functional Dependencies:

- a)  $\pi_{R_1(ABCD)}(F)$
- b)  $\pi_{R_2(DEGH)}(F)$
- c)  $\pi_{R_3(CDE)}(F)$
- d)  $\pi_{R_4(ADE)}(F)$
- e)  $\pi_{R_5(BDE)}(F)$
- f)  $\pi_{R_6(AE)}(F)$
- g)  $\pi_{R_7(DE)}(F)$

# 2.4 Keys

### Exercise 2.4.1

Consider R(ABCDEH) with a set of FDs  $F = \{A \rightarrow B, BC \rightarrow D, E \rightarrow C, D \rightarrow A\}$  What are the candidate keys of R

- a) AE, BE
- b) AE, BE, DE
- c) AEH, BEH, BCH
- d) AEH, BEH, DEH

# Exercise 2.4.2

Consider R(DEGHIJKLMN) with a set of FDs  $F = \{DE \rightarrow G, D \rightarrow IJ, EH \rightarrow KL, K \rightarrow M, L \rightarrow N\}$  What is the key for R?

- a) EF
- b) DEH
- c) DEHKL
- d) E

# Exercise 2.4.3

Consider R(ABCDEKGH) with a set of FDs  $F = \left\{ ABC \to DE, \ AB \to D, \ DE \to ABCK, \ E \to C \right\}$  Find all the candidate keys of R

# Exercise 2.4.4

Consider R(ABCDEGHK) with a set of FDs  $F = \{CD \rightarrow A, EC \rightarrow H, GHB \rightarrow AB, C \rightarrow D, EG \rightarrow A, H \rightarrow B, BE \rightarrow CD, EC \rightarrow B\}$  Find all the candidate keys of R

# 2.5 Normal Form by FDs

# Exercise 2.5.1

Which normal form of relational scheme below:

- a)  $R_1(ABC), F_1 = \{ A \to C \}$
- b)  $R_2(ABC), F_2 = \{ C \to B \}$
- c)  $R_3(ABCD)$ ,  $F_3 = \{A \rightarrow B, B \rightarrow A\}$
- d)  $R_4(ABCD)$ ,  $F_4 = \{ D \rightarrow C, B \rightarrow A \}$
- e)  $R_5(ABCD)$ ,  $F_5 = \{ B \rightarrow D, C \rightarrow D \}$

- f)  $R_6(ABCDE)$ ,  $F_6 = \{AB \rightarrow C, B \rightarrow A, D \rightarrow A\}$
- g)  $R_7(ABCDE)$ ,  $F_7 = \{AB \rightarrow C, C \rightarrow D, D \rightarrow A\}$
- h)  $R_8(ABCDE)$ ,  $F_8 = \{AB \rightarrow CD, CD \rightarrow AE, D \rightarrow A\}$
- i)  $R_9(ABCDE)$ ,  $F_9 = \{ D \rightarrow A, BC \rightarrow E, A \rightarrow C \}$
- j)  $R_{10}(ABCDEG), F_{10} = \{AB \rightarrow CG, G \rightarrow D, B \rightarrow D\}$
- k)  $R_{11}(ABCDE)$ ,  $F_{11} = \{ E \rightarrow D, C \rightarrow B, A \rightarrow EB \rightarrow A, D \rightarrow C \}$
- 1)  $R_{12}(ABCDE)$ ,  $F_{12} = \{AC \rightarrow B, BD \rightarrow C, CE \rightarrow D\}$
- m)  $R_{13}(ABCD), F_{13} = \emptyset$

# Exercise 2.5.2

Consider R(ABCD),  $F = \{A \rightarrow C, B \rightarrow D\}$ 

- a) Keys and Normal form?
- b) Decompose R

#### Exercise 2.5.3

Consider R(ABCD),  $F = \{AC \rightarrow D\}$ 

- a) Keys and Normal form?
- b) Decompose R

# Exercise 2.5.4

Consider R(ABCDE),  $F = \{AB \rightarrow C, B \rightarrow A, D \rightarrow A\}$ 

- a) Keys and Normal form?
- b) Decompose R

#### Exercise 2.5.5

Consider R(ABCDE),  $F = \{CD \rightarrow A, EC \rightarrow B, AD \rightarrow C\}$ 

- a) Keys and Normal form?
- b) Decompose R

### Exercise 2.5.6

Consider R(ABCDEGH),

 $F = \left\{ \ CD \rightarrow A, \ EC \rightarrow H, \ GHB \rightarrow AB, \ C \rightarrow D, \ EG \rightarrow A, \ H \rightarrow B, \ BE \rightarrow CD, \ EC \rightarrow B \ \right\}$ 

- a) Keys and Normal form?
- b) Decompose R

### Exercise 2.5.7

Consider R(ABCD),  $F = \{A \rightarrow B, B \rightarrow C, D \rightarrow B\}$ 

- a) Normal form of R?
- b) If R is not good, let try to find a good decomposition for R

### Exercise 2.5.8

Consider R(ABCD),  $F = \{A \rightarrow B, B \rightarrow C, A \rightarrow D, D \rightarrow C\}$ 

One decomposition  $\rho$  of R:

$$R_1(AB), F_1$$
  
 $R_2(AC), F_2$ 

- $R_3(BD), F_3$
- a)  $F_i$ ?
- b) Keys and Normal form of  $R_i$ ?

# Exercise 2.5.9

```
Consider R(A\ B\ D\ E\ M\ N\ O\ P\ X\ Y\ Z\ V\ W), F=\left\{\begin{array}{l} D\to XMNPE,\ MPN\to EYABO,\ MN\to ZO,\ O\to V,\ P\to ABW,\ AB\to P,\ NE\to MP\end{array}\right\} One decomposition \rho of R: R_1(DXMNPE),F_1 R_2(MNPEYABO),F_2 R_3(MNZO),F_3 R_4(OV),F_4 R_5(PABW),F_5
```

- a)  $F_i$ ?
- b) Keys and Normal form of  $R_i$ ?
- c) Evaluate the quality of  $\rho$  (Normal form, Conserve information, Conserve FDs)
- d) If  $\rho$  is not good, let make a improvement of  $\rho$

### Exercise 2.5.10

```
Consider R(ABCDEGH), F = \{CD \rightarrow A, EC \rightarrow H, GHB \rightarrow AB, C \rightarrow D, EG \rightarrow A, H \rightarrow B, BE \rightarrow CD, EC \rightarrow B\} Evaluate the decomposition below (Normal form, Conserve information, Conserve FDs) \rho = \{R_1(ABC), R_2(CDEG), R_3(EGH)\}
```

### Exercise 2.5.11

Give an example of a relation in 3NF that has some prime attribute transitively dependent upon a key

### Exercise 2.5.12

Let  $R_1$  and  $R_2$  be relation schemes with  $R_1 \cap R_2 = X$ . Show that for any relation  $r(R_1R_2)$  that satisfies  $X \to R_2$ ,  $r = \pi_{R_1}(r) \bowtie \pi_{R_2}(r)$ 

# 2.6 Multivalued Dependencies (MVDs)

#### Exercise 2.6.1

Consider relation r below:

```
В
     R(A
                 C
                      D
                           E )
        0
             0
                  1
                       0
                           0
t_1
t_2
        0
             0
                  2
                            0
                       1
        0
             2
                  2
                       0
                            1
t_3
```

From data instance R above make R satisfies each MVD below:

- a)  $AB \rightarrow C$
- b)  $AB \rightarrow E$
- c)  $D \twoheadrightarrow C$
- d)  $AD \rightarrow C$
- e)  $C \rightarrow DE$

#### Exercise 2.6.2

Let R(ABCDE),  $\mathfrak{D} = \{A \twoheadrightarrow BC, A \twoheadrightarrow E, E \twoheadrightarrow CD\}$ Proving by MVDs axiom:

- a)  $\mathfrak{D} \models A \twoheadrightarrow C$
- b)  $\mathfrak{D} \models A \twoheadrightarrow BD$
- c)  $\mathfrak{D} \models AC \twoheadrightarrow BD$
- d)  $\mathfrak{D} \models AC \twoheadrightarrow BE$
- e)  $\mathfrak{D} \models DE \twoheadrightarrow AC$
- f)  $\mathfrak{D} \models DE \twoheadrightarrow AB$

# Exercise 2.6.3

Let R(ABCDGH),  $\mathfrak{D} = \{A \twoheadrightarrow B, B \twoheadrightarrow GH, CD \twoheadrightarrow G\}$ Proving by MVDs axiom:

- a)  $\mathfrak{D} \models BC \twoheadrightarrow AD$
- b)  $\mathfrak{D} \models BC \twoheadrightarrow GH$
- c)  $\mathfrak{D} \models BC \twoheadrightarrow DG$
- d)  $\mathfrak{D} \models CD \twoheadrightarrow AB$
- e)  $\mathfrak{D} \models CD \twoheadrightarrow BG$
- f)  $\mathfrak{D} \models CD \twoheadrightarrow GH$

# Exercise 2.6.4

Let R(ABCGHI),  $\mathfrak{D} = \{A \twoheadrightarrow B, B \twoheadrightarrow HI, CG \twoheadrightarrow H\}$ Compute  $X_{\mathfrak{D}}^{++}$ :

- a)  $A_{\mathfrak{D}}^{++}$
- b)  $AG_{\mathfrak{D}}^{++}$
- c)  $BG_{\mathfrak{D}}^{++}$
- d)  $BC_{\mathfrak{D}}^{++}$
- e)  $HG_{\mathfrak{D}}^{++}$

# Exercise 2.6.5

Prove the correctness of inference axioms M1 and M2.

### Exercise 2.6.6

Prove the correctness of inference axiom M3.

# Exercise 2.6.7

We know axiom M7 is correct from Lemma 8.3

Prove the correctness of inference axiom M4 using axioms M3 and M7.

# Exercise 2.6.8

Prove the correctness of inference axiom M5 using axioms M4.

### Exercise 2.6.9

Prove the correctness of inference axiom M6 using axioms M1-M5 and M7

# 2.7 Tableau Chase Test

# Exercise 2.7.1

Consider  $\mathfrak{D} = \{AB \to CD, A \to BE, BH \to DK, H \to BC \}$ Prove by Tableau Chase test:  $\mathfrak{D} \models AH \to CK$ 

# Exercise 2.7.2

Consider  $\mathfrak{D} = \{AB \to E, AG \to J, BE \to I, E \to G, GI \to H\}$ Prove by Tableau Chase test:  $\mathfrak{D} \models AB \to GH$ 

### Exercise 2.7.3

Consider  $\mathfrak{D} = \{ A \to D, B \to CE, E \to H, D \to E, E \to C \}$ Prove by Tableau Chase test:

- a)  $\mathfrak{D} \models B \to H$
- b)  $\mathfrak{D} \models AB \to CH$

# Exercise 2.7.4

Consider  $\mathfrak{D} = \{ D \to BK, \ AB \to GK, \ B \to H, \ CE \to AG, \ H \to E, \ K \to G, \ EH \to K, \ G \to AH \}$ Prove by Tableau Chase test:

- a)  $\mathfrak{D} \models AB \to GH$
- b)  $\mathfrak{D} \models DE \to AG$
- c)  $\mathfrak{D} \models BH \to EK$

# Exercise 2.7.5

Suppose R(ABCDE) and set of functional dependencies:

 $\mathfrak{D} = \{ A \to BC, CD \to E, B \to D, E \to A \}$ . Using Tableau Chase test to compute:

- a)  $CD_{\mathfrak{D}}^+$
- b)  $E_{\mathfrak{D}}^+$

### Exercise 2.7.6

Suppose R(ABCDEK) and set of functional dependencies:

 $\mathfrak{D} = \{AB \to C, BC \to AD, D \to E, CK \to B\}$ . Using Tableau Chase test to compute:

- a)  $BCK_{\mathfrak{D}}^+$
- b)  $CD_{\mathfrak{D}}^+$
- c)  $D_{\mathfrak{D}}^+$

# Exercise 2.7.7

Suppose R(ABCDEKGH) and set of functional dependencies:

 $\mathfrak{D} = \{ A \to BC, E \to C, AH \to D, CD \to E, D \to AEH, DH \to BC \}$ . Using Tableau Chase test to compute:

- a)  $AE_{\mathfrak{D}}^+$
- b)  $BCD_{\mathfrak{D}}^+$

# Exercise 2.7.8

Consider:

- a)  $AH_{\mathfrak{D}_1}^+$
- b)  $AB_{\mathfrak{D}_2}^+$
- c)  $B_{\mathfrak{D}_3}^+$
- d)  $AB_{\mathfrak{D}_2}^+$
- e)  $AB_{\mathfrak{D}_4}^+$
- f)  $DE_{\mathfrak{D}_4}^+$
- g)  $BH_{\mathfrak{D}_4}^+$

### Exercise 2.7.9

Consider  $\mathfrak{D} = \{ A \to B, A \to C, CD \to E, B \to D, E \to A \}$ 

**Using Tableau Chase test to compute**: Which of the following functional dependencies is NOT implied by the above set?

- a)  $CD \rightarrow AC$
- b)  $BD \rightarrow CD$
- c)  $BC \rightarrow CD$
- d)  $AC \rightarrow BC$

# Exercise 2.7.10

Let R(ABCDE),  $\mathfrak{D} = \left\{ A \twoheadrightarrow BC, \ A \twoheadrightarrow E, \ E \twoheadrightarrow CD \right\}$ 

**Using Tableau Chase test to compute:** 

- a)  $\mathfrak{D} \models A \twoheadrightarrow C$
- b)  $\mathfrak{D} \models A \twoheadrightarrow BD$
- c)  $\mathfrak{D} \models AC \twoheadrightarrow BD$
- d)  $\mathfrak{D} \models AC \twoheadrightarrow BE$
- e)  $\mathfrak{D} \models DE \twoheadrightarrow AC$
- f)  $\mathfrak{D} \models DE \twoheadrightarrow AB$

### Exercise 2.7.11

Let R(ABCDGH),  $\mathfrak{D} = \{A \twoheadrightarrow B, B \twoheadrightarrow GH, CD \twoheadrightarrow G\}$ 

Using Tableau Chase test to compute:

- a)  $\mathfrak{D} \models BC \twoheadrightarrow AD$
- b)  $\mathfrak{D} \models BC \twoheadrightarrow GH$
- c)  $\mathfrak{D} \models BC \twoheadrightarrow DG$
- d)  $\mathfrak{D} \models CD \twoheadrightarrow AB$
- e)  $\mathfrak{D} \models CD \twoheadrightarrow BG$
- f)  $\mathfrak{D} \models CD \twoheadrightarrow GH$

# 2.8 More Normal form and Dependencies

# Exercise 2.8.1

Modify the relation r below to satisfy the MVDs  $A \rightarrow BC$  and  $CD \rightarrow BE$  by adding rows.

- r: R(A B C D E)
- $t_1$  0 0 0 0 0
- $t_2$  0 1 0 1 0
- $t_3$  1 0 0 0 1

#### Exercise 2.8.2

Prove that if a relation r(R) satisfies the MVDs  $X woheadrightarrow Y_1$ ,  $X woheadrightarrow Y_2 woheadrightarrow Y_k$ , where  $R = XY_1Y_2...Y_k$ , then r decomposes converse information onto the relation schemes  $XY_1$ ,  $XY_2$ , ...,  $XY_k$ .

### Exercise 2.8.3

Let r(R) be a relation where  $R_1 \subseteq R$ ,  $R_2 \subseteq R$  and  $R = R_1R_2$ . Prove that  $r = \pi_{R_1}(r) \bowtie \pi_{R_2}(r)$  if and only if:  $Count(\pi_R([X=x](r))) = Count(\pi_{R_1}([X=x](r))) \times Count(\pi_{R_2}([X=x](r)))$  for every X-value x in r

### Exercise 2.8.4

Prove that if relation r(R) satisfies X woheadrightarrow Y and Z = R - XY, then

$$\pi_Z(\sigma_{X=x}(r)) = \pi_Z(\sigma_{XY=xy}(r))$$

for every XY-value xy in r

#### Exercise 2.8.5

Let relation scheme R and let W, X, Y,  $Z \subseteq R$ . Show that:

$$\{X \rightarrow Y, Z \subseteq W\} \models XW \rightarrow YZ$$

# Exercise 2.8.6

Prove the correctness of inference axiom M6 using axioms M1-M5 and M7

# Exercise 2.8.7

Let relation scheme R and let  $X, Y, Z \subseteq R$ . Show that:

$$\{X \twoheadrightarrow Y, XY \rightarrow Z\} \models X \rightarrow Z - Y$$

# 3 Physical database design

#### Exercise 3.0.1

#### Sales and order management system:

- Customers: Stores information about customers, such as name, address, phone number, and email.
- Products: Stores information about the products, such as name, price, quantity, and description.
- Orders: Stores information about orders, such as order date.
- Invoice: Stores information about the invoice, such as invoice date, amount, tax, and total value.

The relationships between entities are described as follows:

- A customer can place multiple orders.
- An order can include many products and corresponding quantities ordered.
- An invoice can be created from an order to calculate delivery charges. Delivered goods may have a different quantity than when ordered and the unit price may be different from the original unit price in stock.

#### **Request:**

- 1. Conceptual Model Design (EER).
- 2. Switch to the relational model.
- 3. Logical design.
- 4. Physical design.

### Exercise 3.0.2

#### Order and Delivery Management System: (considered by ChatGPT)

You are tasked with designing an ERD for a complex order and delivery management system for a global e-commerce platform. This system handles orders for a wide range of products and manages deliveries across multiple regions. Consider the following entities and relationships:

#### **Entities**:

- 1. Customer
- 2. Product
- 3. Order
- 4. Delivery
- 5. Warehouse
- 6. Shipping Carrier
- 7. Payment
- 8. Address
- 9. Region

# Relationships:

- Customers can place multiple orders.
- Each order is associated with one customer.
- Orders can contain multiple products, and products can be in multiple orders.
- Each order requires a payment, and payments are associated with orders.
- Orders are shipped through deliveries, and each order is associated with one delivery.
- Deliveries can be assigned to different warehouses, and warehouses can handle multiple deliveries.
- Deliveries are assigned to specific shipping carriers.

- Deliveries are made to customer addresses, which are linked to regions.
- Regions represent different geographical areas where deliveries are made.

# **Requirements:**

- 1. Conceptual Model Design (EER).
- 2. Switch to the relational model.
- 3. Logical design.
- 4. Physical design.

### Exercise 3.0.3

### Restaurant Order and Delivery with Special Orders: (considered by ChatGPT)

a high-end restaurant's order and delivery management system. This restaurant not only handles regular menu items but also allows customers to place special orders with unique customization requests. Here are some additional complexities to consider:

### Entity:

- 1. Customer
- 2. Order
- 3. Menu Item
- 4. Special Order
- 5. Ingredient
- 6. Delivery Driver
- 7. Delivery Location
- 8. Table (for dine-in orders)

### Relationships:

- Customers can place multiple orders.
- Each order is associated with one customer.
- Orders can include multiple regular menu items, and menu items can be in multiple orders.
- Customers can place special orders with specific ingredient customizations, and these special orders are associated with regular menu items.
- Special orders can have multiple ingredients, and ingredients can be in multiple special orders.
- Some orders are for dine-in, and some are for delivery.
- Each delivery order is associated with one delivery driver and one delivery location.
- For dine-in orders, orders are associated with a specific table.

#### **Requirements:**

- 1. Conceptual Model Design (EER).
- 2. Switch to the relational model.
- 3. Logical design.
- 4. Physical design.